

2330545_RenjenSherpa_Worksheet_1.ipynb

File Edit View Insert Runtime Tools Help

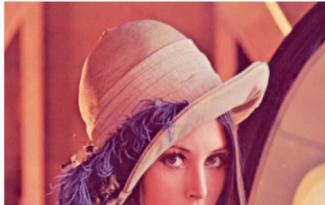
Files

- drive
 - MyDrive
 - Artificial intelligence and machine learning
 - Worksheet1
 - 2330545.ipynb
 - Cam.png
 - Rose.png

Disk 72.69 GB available

```
[5] from PIL import Image
import matplotlib.pyplot as plt
image_path = "/content/drive/MyDrive/Artificial intelligence and machine learning/Worksheet1/Rose.png"
image_colored = Image.open(image_path)
image_colored.show()
plt.imshow(image_colored)
plt.axis("off")
plt.title("Rose")
plt.show()
```

Rose



2. Display only the top left corner of 100x100 pixels. • Extract the top-left corner of the image (100x100 pixels) and display it using NumPy and Array Indexing.

```
[7] import numpy as np
image_array = np.array(image_colored)
top_left_corner = image_array[:100, :100]
plt.imshow(top_left_corner)
plt.axis("off")
plt.title("Top-Left Corner (100x100)")
plt.show()
```

Top-Left Corner (100x100)

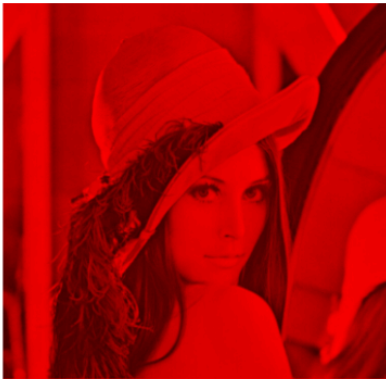


3. Show the three color channels (R, G, B). • Separate the image into its three color channels (Red, Green, and Blue) and display them individually, labeling each channel as R, G, and B.(Using NumPy.)

```
red_channel = image_array.copy()
red_channel[:, :, 1] = 0
red_channel[:, :, 2] = 0
plt.imshow(red_channel)
plt.title("Red Channel")
plt.axis("off")
plt.show()
```



Red Channel



```
[10] green_channel = image_array.copy()
      green_channel[:, :, 0] = 0
      green_channel[:, :, 2] = 0
      plt.imshow(green_channel)
      plt.title("Green Channel")
      plt.axis("off")
      plt.show()
```



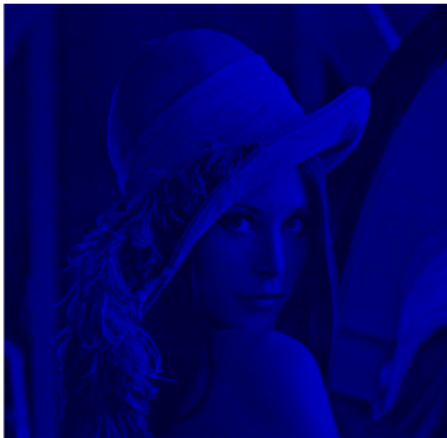
Green Channel



```
blue_channel = image_array.copy()
blue_channel[:, :, 0] = 0
blue_channel[:, :, 1] = 0
plt.imshow(blue_channel)
plt.title("Blue Channel")
plt.axis("off")
plt.show()
```

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Blue Channel



Modify the top 100 × 100 pixels to a value of 210 and display the resulting image: • Modify the pixel values of the top-left 100 × 100 region to have a value of 210 (which is a light gray color), and then display the modified image.

```
image_array[:100, :100] = 210
modified_image = Image.fromarray(image_array)
plt.imshow(modified_image)
plt.title("Modified Image (Top 100×100 pixels = 210)")
plt.axis("off")
plt.show()
```

Modify the top 100 × 100 pixels to a value of 210 and display the resulting image: • Modify the pixel values of the top-left 100 × 100 region to have a value of 210 (which is a light gray color), and then display the modified image.

```
image_array[:100, :100] = 210
modified_image = Image.fromarray(image_array)
plt.imshow(modified_image)
plt.title("Modified Image (Top 100x100 pixels = 210)")
plt.axis("off")
plt.show()
```

Modified Image (Top 100x100 pixels = 210)



▼ Exercise: 2

1. Load and display a grayscale image. • Load a grayscale image using the Pillow library. • Display the grayscale image using matplotlib.

```
from PIL import Image
import matplotlib.pyplot as plt
image_path = "/content/drive/MyDrive/Artificial intelligence and machine learning/Worksheet1/Cam.png"
image_grayed = Image.open(image_path).convert('L')
plt.imshow(image_grayed, cmap='gray')
plt.axis("off")
plt.title("Cameraman Image")
plt.show()
```

Cameraman Image



2. Extract and display the middle section of the image (150 pixels). • Extract a 150 pixel section from the center of the image using NumPy array slicing. • Display this cropped image using matplotlib.

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```
image_array = np.array(image_grayed)
height, width = image_array.shape
start_x = (width // 2) - 75
start_y = (height // 2) - 75
end_x = start_x + 150
end_y = start_y + 150
middle_section = image_array[start_y:end_y, start_x:end_x]
plt.imshow(middle_section, cmap='gray')
plt.axis("off")
plt.title("Middle 150x150 Section")
plt.show()
```




Middle 150x150 Section



3. Apply a simple threshold to the image (e.g., set all pixel values below 100 to 0). • Apply a threshold to the grayscale image: set all pixel values below 100 to 0, and all values above 100 to 255 (creating a binary image). • Display the resulting binary image.


```
05 [17] threshold_value = 100
    binary_image = np.where(image_array < threshold_value, 0, 255)
    plt.imshow(binary_image, cmap='gray')
    plt.axis("off")
    plt.title("Binary Image (Threshold = 100)")
    plt.show()
```

 Binary Image (Threshold = 100)



4. Rotate the image 90 degrees clockwise and display the result. • Rotate the image by 90 degrees clockwise using the Pillow rotate method or by manipulating the image array. • Display the rotated image using matplotlib.

```
05 [18] rotated_image = image_grayed.rotate(-90, expand=True)
    plt.imshow(rotated_image, cmap='gray')
    plt.axis("off")
    plt.title("Rotated 90 Degrees Clockwise (Pillow)")
    plt.show()
```

 Rotated 90 Degrees Clockwise (Pillow)



5. Convert the grayscale image to an RGB image. • Convert the grayscale image into an RGB image where the grayscale values are replicated across all three channels (R, G, and B). • Display the converted RGB image using matplotlib.

```
rgb_image = np.stack((image_array,) * 3, axis=-1)
plt.imshow(rgb_image)
plt.axis("off")
plt.title("RGB Image (Grayscale Replicated)")
plt.show()
```



RGB Image (Grayscale Replicated)



3 Image Compression and Decompression using PCA.

1. Load and Prepare Data: • Fetch an image of your choice. (If colour convert to grayscale) • Center the dataset - Standardize the Data. • Calculate the covariance matrix of the Standardized data.

```
image_path = "/content/drive/MyDrive/Artificial intelligence and machine learning/Worksheet1/Rose.png"
image_colored = Image.open(image_path)

image_gray = image_colored.convert('L') if image_colored.mode != 'L' else image_colored

image_array = np.array(image_gray)
height, width = image_array.shape

plt.imshow(image_array, cmap='gray')
plt.axis("off")
plt.title("Grayscale Image")
plt.show()

mean = np.mean(image_array)
std = np.std(image_array)
standardized_data = (image_array - mean) / std

covariance_matrix = np.cov(standardized_data, rowvar=False)

print("Mean:", mean)
print("Standard Deviation:", std)
print("Covariance Matrix Shape:", covariance_matrix.shape)
print("Covariance Matrix:\n", covariance_matrix)
```




Grayscale Image



Mean: 123.22885000994934

Standard Deviation: 48.4529695822499

Covariance Matrix Shape: (366, 366)

Covariance Matrix:

```
[[ 0.63151995  0.61539384  0.59823939 ... -0.20317985 -0.19751555
  -0.17746954]
 [ 0.61539384  0.60940111  0.59593405 ... -0.23273413 -0.22640124
  -0.20698558]
 [ 0.59823939  0.59593405  0.59271171 ... -0.2476314  -0.24075542
  -0.2222826 ]
 ...
 [-0.20317985 -0.23273413 -0.2476314  ...  1.3075225   1.29483298
   1.28089899]
 [-0.19751555 -0.22640124 -0.24075542 ...  1.29483298  1.29347978
   1.28690391]
 [-0.17746954 -0.20698558 -0.2222826  ...  1.28089899  1.28690391
   1.2924409  ]]
```

2. Eigen Decomposition and Identifying Principal Components: • Compute Eigen Values and Eigen Vectors. • Sort the eigenvalues in descending order and choose the top k eigenvectors corresponding to the highest eigenvalues. • Identify the Principal Components with the help of cumulative Sum plot.

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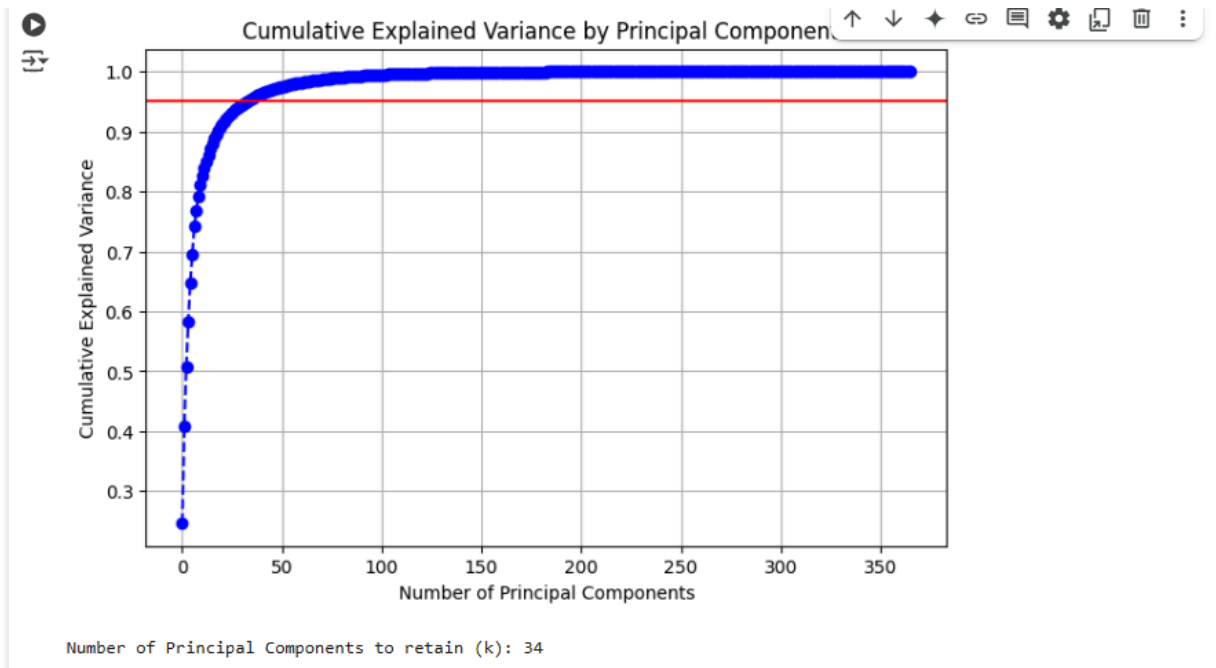
```
▶ eigenvalues, eigenvectors = np.linalg.eigh(covariance_matrix)

sorted_indices = np.argsort(eigenvalues)[::-1]
sorted_eigenvalues = eigenvalues[sorted_indices]
sorted_eigenvectors = eigenvectors[:, sorted_indices]

explained_variance_ratio = sorted_eigenvalues / np.sum(sorted_eigenvalues)
cumulative_variance = np.cumsum(explained_variance_ratio)

plt.figure(figsize=(8, 5))
plt.plot(cumulative_variance, marker='o', linestyle='--', color='b')
plt.xlabel("Number of Principal Components")
plt.ylabel("Cumulative Explained Variance")
plt.title("Cumulative Explained Variance by Principal Components")
plt.axhline(y=0.95, color='r', linestyle='--')
plt.grid(True)
plt.show()

k = np.argmax(cumulative_variance >= 0.95) + 1
print(f"\nNumber of Principal Components to retain (k): {k}")
```



3. Reconstruction and Experiment:

- **Reconstruction:** Transform the original data by multiplying it with the selected eigenvectors (PCs) to obtain a lower-dimensional representation.
- **Experiments:** Pick Four different combination of principal components with various explained variance value and compare the result.
- **Display the Results and Evaluate.**

```

def compress_decompress_image(data, eigenvectors, mean, k):
    components = eigenvectors[:, :k]
    compressed_data = np.dot(data, components)
    decompressed_data = np.dot(compressed_data, components.T) + mean
    return compressed_data, decompressed_data

k_values = [10, 20, 40, 50, 100, 150, 200]
plt.figure(figsize=(20, 10))

plt.subplot(2, 4, 1)
plt.imshow(image_array, cmap='gray')
plt.title("Original Image")
plt.axis("off")

for i, k in enumerate(k_values):
    compressed_data, decompressed_data = compress_decompress_image(
        standardized_data, sorted_eigenvectors, mean, k
    )
    decompressed_image = decompressed_data.reshape(height, width)

    plt.subplot(2, 4, i + 2)
    plt.imshow(decompressed_image, cmap='gray')
    plt.title(f"Reconstructed (k={k})")
    plt.axis("off")

plt.tight_layout()
plt.show()

```

