



Laborator PS

ALGORITMI DE COMPRESIE

Algoritmul Huffman neadaptiv - exemplu

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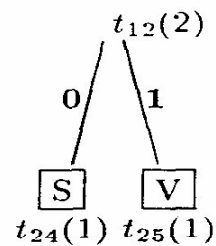
As. Ing. Alexandru DUMITRASCU

Constructia arborelui binar

Setul de date D : **IT IS BETTER LATER THAN NEVER.** $\Rightarrow N=13$ elem.,
nr. noduri=25, $k=12$

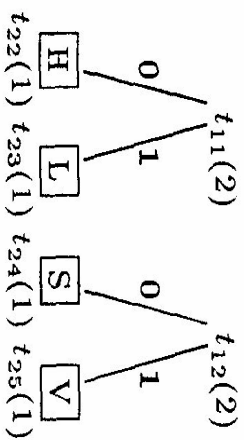
Nod	t_{13}	t_{14}	t_{15}	t_{16}	t_{17}	t_{18}	t_{19}	t_{20}	t_{21}	t_{22}	t_{23}	t_{24}	t_{25}
A^0		E	T	R	A	I	N	.	B	H	L	S	V
$N(s)$	5	5	5	3	2	2	2	1	1	1	1	1	1

$$k = 1$$



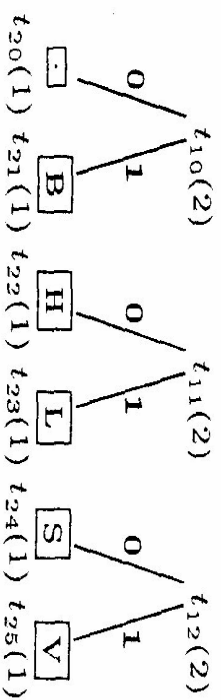
Nod	t_{13}	t_{14}	t_{15}	t_{16}	t_{17}	t_{18}	t_{19}	t_{20}	t_{21}	t_{22}	t_{23}	t_{12}
$\mathcal{A}^{0,12}$	\square	E	T	R	A	I	N	.	B	H	L	\square
$\mathcal{N}(s)$	5	5	5	3	2	2	2	1	1	1	1	2

$$k = 2$$



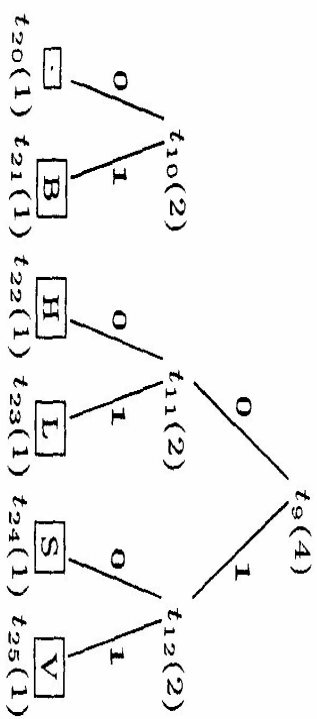
Nod	t_{13}	t_{14}	t_{15}	t_{16}	t_{17}	t_{18}	t_{19}	t_{20}	t_{21}	t_{11}	t_{12}
$\mathcal{A}^{0,11}$	\cup	E	T	R	A	I	N	.	B	\square	\square
$\mathcal{N}(s)$	5	5	5	3	2	2	2	1	1	2	2

$$k = 3$$



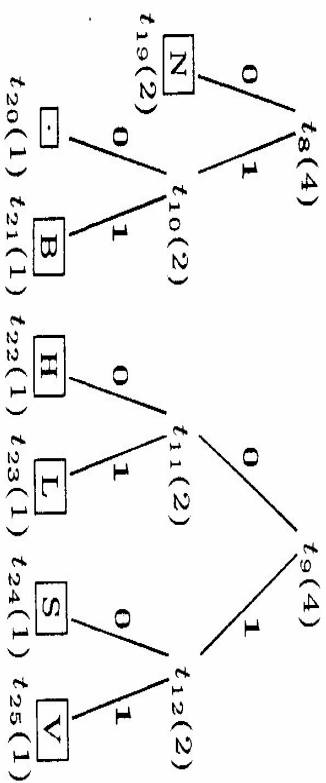
Nod	t_{13}	t_{14}	t_{15}	t_{16}	t_{17}	t_{18}	t_{19}	t_{10}	t_{11}	t_{12}
$\mathcal{A}^{0,10}$	\cup	E	T	R	A	I	N	\square	\square	\square
$\mathcal{N}(s)$	5	5	5	3	2	2	2	2	2	2

$$k = 4$$

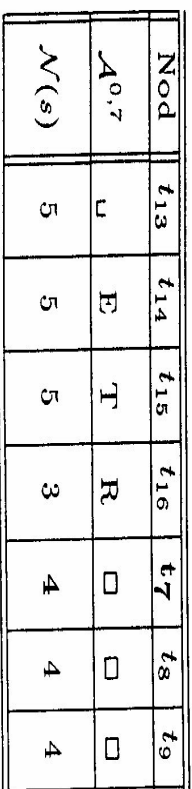


Nod	t_{13}	t_{14}	t_{15}	t_{16}	t_{17}	t_{18}	t_{19}	t_{10}	t_9
$\mathcal{A}^{0,9}$	\sqcup	E	T	R	A	I	N	\square	\square
$\mathcal{N}(s)$	5	5	5	3	2	2	2	2	4

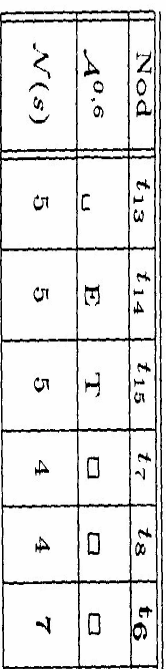
$$k = 5$$



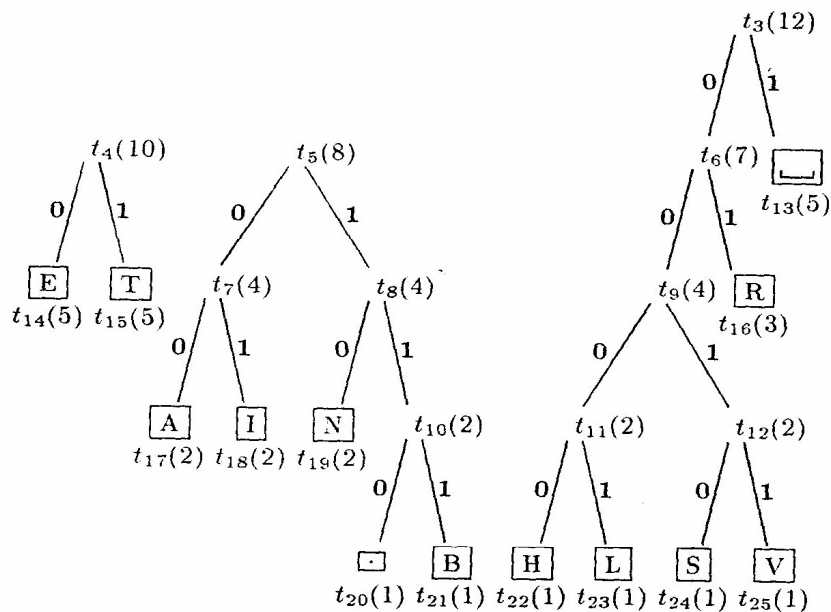
Nod	t_{13}	t_{14}	t_{15}	t_{16}	t_{17}	t_{18}	t_8	t_9
$\mathcal{A}^{0,8}$	\sqcup	E	T	R	A	I	\square	\square
$\mathcal{N}(s)$	5	5	5	3	2	2	4	4



$k = 7$



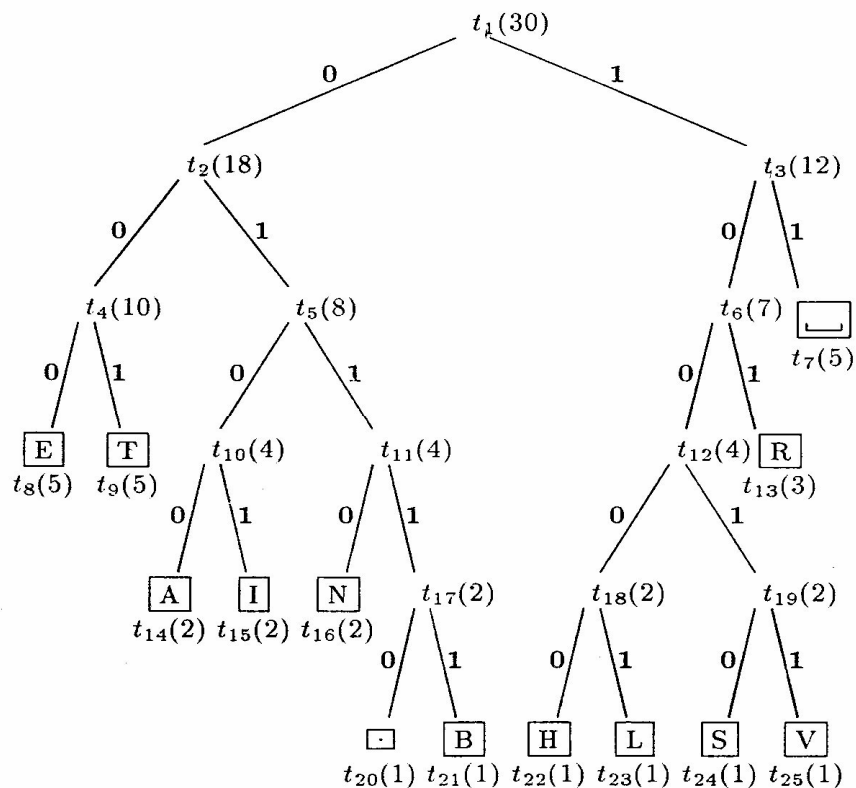
$k = 10$



Nod	t_4	t_5	t_3
$\mathcal{A}^{0,3}$	<input type="checkbox"/>	<input type="checkbox"/>	<input type="checkbox"/>
$\mathcal{N}(s)$	10	8	12

Structura setului de date comprimate

D: IT IS BETTER LATER THAN NEVER.



Un arbore binar de tip HUFFMAN (alfabet static de ordin 0).

Informatia obtinuta pe fluxul de iesire este:

- Informatia auxiliara (identica cu cea de la alg. Shannon-Fano).
- Informatia utila:

Cod	0101	001	11	0101	10010	11	01111	000	001	001
Info	I	T	□	I	S	□	B	E	T	T
Nr. biți	4	3	2	4	5	2	5	3	3	3

Cod	000	101	11	10001	0100	001	000	101	11	001
Info	E	R	□	L	A	T	E	R	□	T
Nr. biți	3	3	2	5	4	3	3	3	2	3

Cod	10000	0100	0110	11	0110	000	10011	000	101	01110
Info	H	A	N	□	N	E	V	E	R	.
Nr. biți	5	4	4	2	4	3	5	3	3	5

Obs:

- Noile coduri ale simbolilor nu depasesc 5 biti in lungime.
- Codurile simbolilor difera de cele obtinute prin metoda Shannon-Fano.
- Analiza performantelor este similara cu cea de la algoritmul Shannon-Fano.
- Pentru seturi mai lungi de date, metoda Huffman ofera o compresie mai mare decat metoda Shannon-Fano.