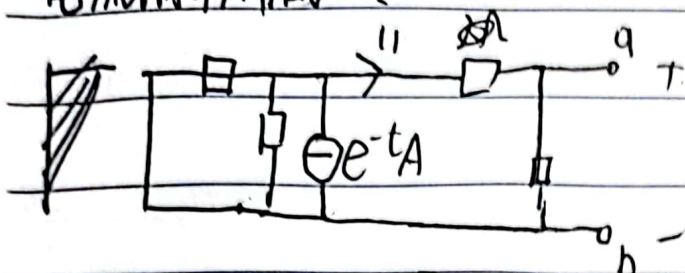


4-1.

电流源作用时

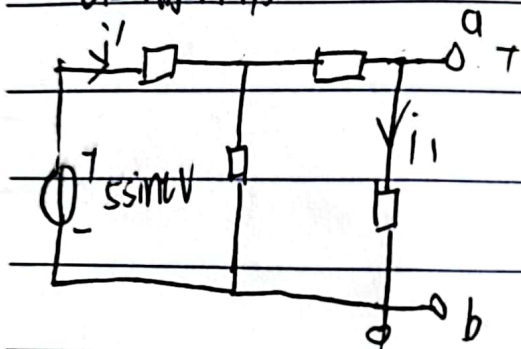


$$i_1 = e^{-t} \cdot \frac{0.75}{0.75+3}$$

$$= 0.2e^{-t}$$

$$U_{ab}' = 0.2e^{-t} \cdot 1\Omega = 0.2e^{-t}$$

电压源作用时



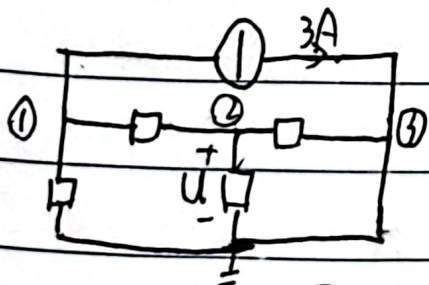
$$i' = 5\sin t / 2.5 = 2\sin t$$

$$i_1' = \frac{1}{2} i' = \sin t$$

$$\therefore U_{ab}'' = i_1' \cdot 1\Omega = \sin t$$

$$\therefore U_{ab} = U_{ab}' + U_{ab}'' = 0.2e^{-t} + \sin t$$

4-2. 3A电流源作用时



以下方结点为零电位

$$U_{n1}(\frac{1}{2} + \frac{1}{8}) - U_{n2} \cdot \frac{1}{8} = -3$$

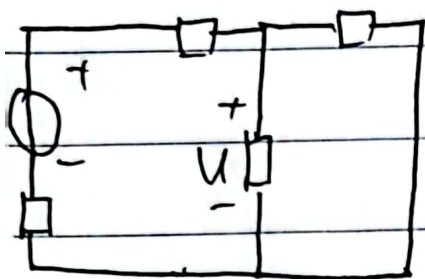
$$-\frac{1}{8}U_{n1} + (U_{n2}(\frac{1}{8} + \frac{1}{40} + \frac{1}{10}) - \frac{1}{10}U_{n3}) = 0$$

$$U_{n3} = 0 \quad -\frac{1}{10}U_{n2} + \frac{1}{10}U_{n3} = 0$$

$$U_{n2} = -\frac{8}{3}V, \quad U_1 = -\frac{8}{3}V$$



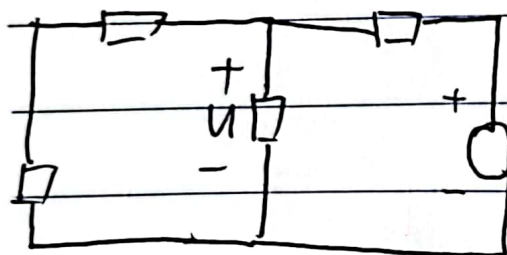
136V 电压源作用时



$$R' = \frac{10 \times 40}{10 + 40} = 8 \Omega$$

$$U_1 = \frac{8}{8 + 8 + 2} \times 136 = \frac{544}{9} V$$

50V 电压源作用时



$$R'' = \frac{(2+8) \times 40}{40 + 2 + 8} = 8 \Omega$$

$$U_3 = \frac{8}{10 + 8} \times 50$$

$$= \frac{200}{9} V$$

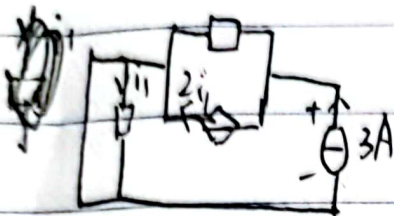
$$U = U_1 + U_2 + U_3 = 80 V$$



4-4.

(1).

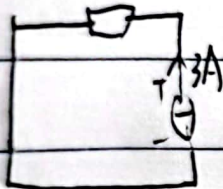
3A电流源作用时



由图知左侧电阻短路

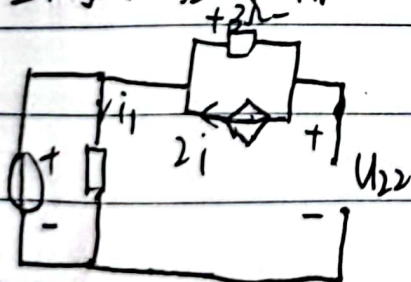
$$\therefore i_1 = 0$$

\therefore 电路等效为



$$\therefore U_{21} = 3A \cdot 3\Omega = 9V$$

左侧2V电压源作用时



$$\therefore i_1 = \frac{2}{4} = 0.5A$$

易知两回路相互之间无电流流过

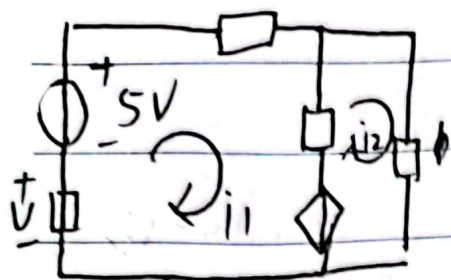
$$U = 2i_1 \cdot 3 = 3V$$

$$\therefore U_{22} - 2V + 3V = 0$$

$$U_{22} = -1V \quad \therefore U_2 = U_{21} + U_{22} = 8V$$



(2). 左侧5V电压源作用时



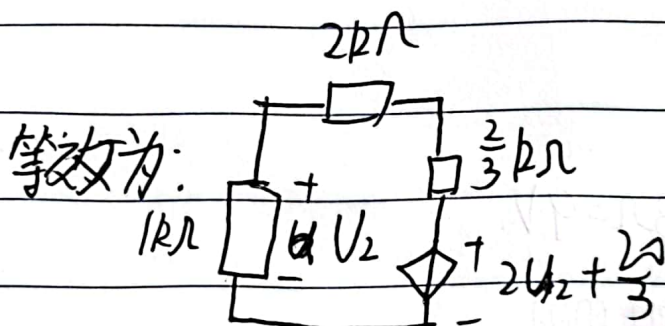
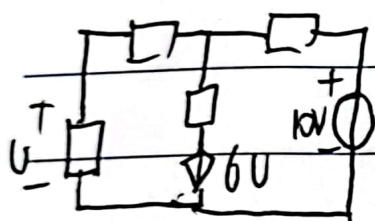
$$-5 + 6U + 5i_1 - 2i_2 = 0$$

$$3i_2 - 6U - 2i_1 = 0$$

$$U = -i_1$$

解得: $i_1 = 3A$, $U = -3V$.

右侧10V电压作用时



等效为

$$(2U_2 + \frac{20}{3}) \cdot \frac{1}{1+2+\frac{2}{3}} = U_2$$

解得 $U_2 = 4V$

$$U = U_1 + U_2 = 1V$$

4-7. 设原电路中, i_s 在 ab 产生电压为 U_1 , U_s 产生为 b , U_{s2} 产生为 c

$$\begin{cases} a+b+c=1 \\ -a-b+c=0.5 \\ -a+b-c=0.3 \end{cases} \quad \text{联立解得} \quad \begin{cases} a = -0.1 \\ b = 0.6 \\ c = 0.4 \end{cases}$$

$$\therefore \text{反 } i_s, \text{ 反向, } U_{ab}' = (-a+b+c)U_{ab} = 1$$

\therefore 应为原来的1.1倍



4.8 电压源 U_{S1} 在毫安表处产生电流

$$I_{vs1} = I'' - I' = -100 \text{ mA}$$

则电压源 U_{S2} 在毫安表处产生电流

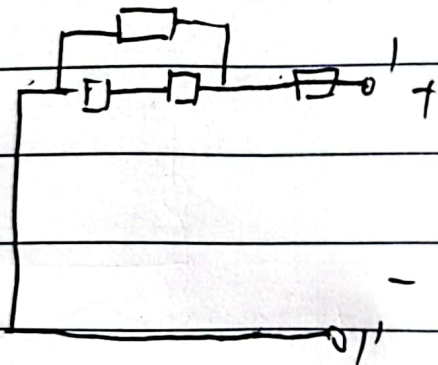
$$I_{vs2} = -\frac{U_{S2}}{U_{S1}} \cdot I_{vs1} = 150 \text{ mA} \quad (\text{正负号方向相反故产生电流方向相反})$$

$$\text{故 } I''' = I' + I_{vs1} = 190 \text{ mA}$$

4-12.8

(A).

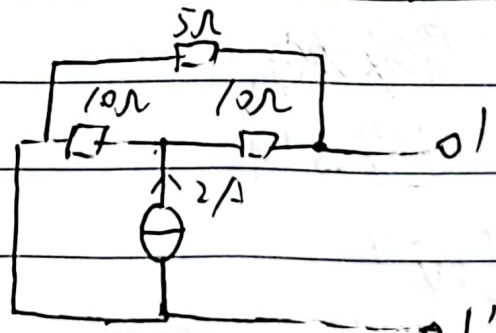
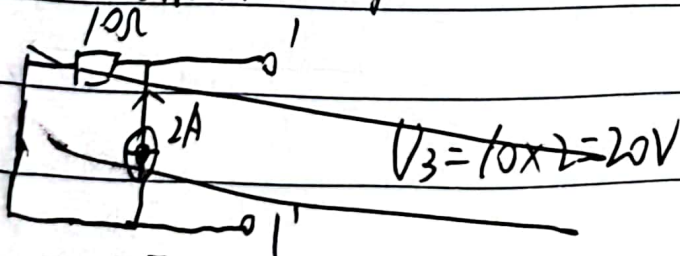
将图中电流源、电压源置零：



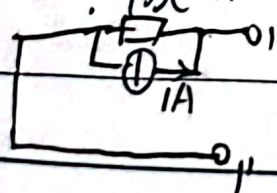
$$\therefore R_{eq} = 14\Omega$$

易知, 6V, 5V 电压源分别在 1' 处产生电压为 $U_1 = 6V, U_2 = 5V$

2A 电流源作用时, 等效为



1A 电流源作用时, 等效为



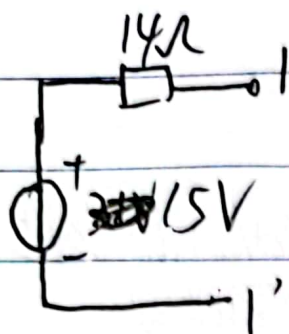
$$U_4 = 10V$$

$$U_3 = (2A \times \frac{5 \times 10}{15 + 10}) \times \frac{5}{15} = 4V$$

$$\therefore U_{oc} = U_1 + U_2 + U_3 + U_4 = 15V$$



∴ 等效为



(b). 把电流源电压源归零

$$R_{eq} = 16\Omega$$

9V电压源产生电压

$$U_1 = -9V$$

2A电流源产生

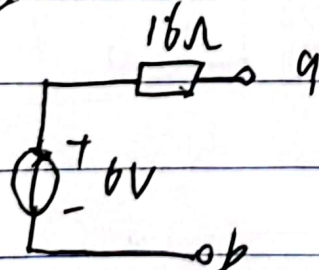
$$U_2 = 6 \times 2 = 12V$$

3V电压源

$$U_3 = 3 - 10 + 6 = 3V$$

$$U_{oc} = 4 - 6 = -2V$$

∴ 等效为



(c). 在回路列KVL方程得

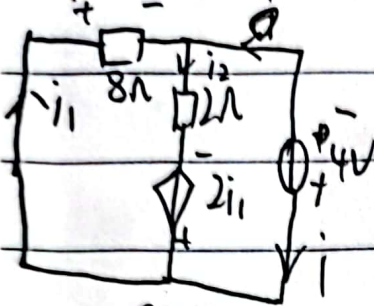
$$-4 + 10i_1 - 2i = 0$$

$$i = 0.5A$$



$$U = 2i_1 - 2i_1 = 0$$

外加电源 4V 如图所示, 把电压源电流源归零



大回路 KVL

$$8i_1 - 4 = 0$$

$$i_1 = 0.5A$$

右侧回路 KVL

$$8i_1 + 2i_2 - 2i_1 = 0$$

$$i_2 = -1.5A$$

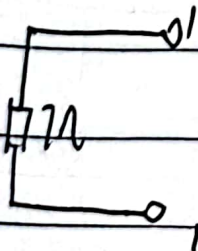
~~$$i = i_2 - i_1 = -1A$$~~

$$i = i_1 - i_2 = 2A$$

$$\therefore R = \frac{4}{2} = 2\Omega$$

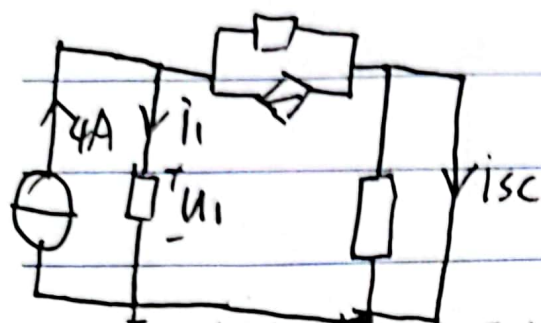
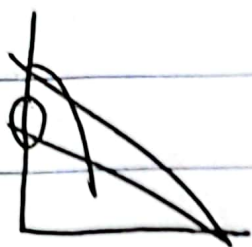
$$R_{eq} = 2 + 5 = 7\Omega$$

\therefore 等效



(d). 先短路, 得





则用结点电压法如图所示

$$U_1 \left(\frac{1}{8} + \frac{1}{2} \right) = 4 + 2U_1$$

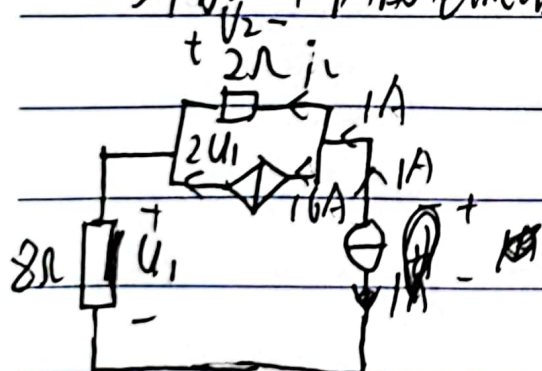
$$\text{解得 } U_1 = -\frac{6.4}{2.2} \text{ V}$$

$$i_1 = \frac{U_1}{8}$$

$$isc = 4A - i_1 = 4.364A$$

将内部独立电流源电压源归零

外加个 1A 的电流源



$$U_1 = 8V$$

$$i_2 = 1 - 16 = -15A \quad U_2 = 30V$$

$$\therefore U = -30 + 8 = -22V$$

$$R = \frac{U}{I} = -22\Omega$$

$$R = \frac{-22 \times 5}{-22 + 5} = 6.471\Omega$$

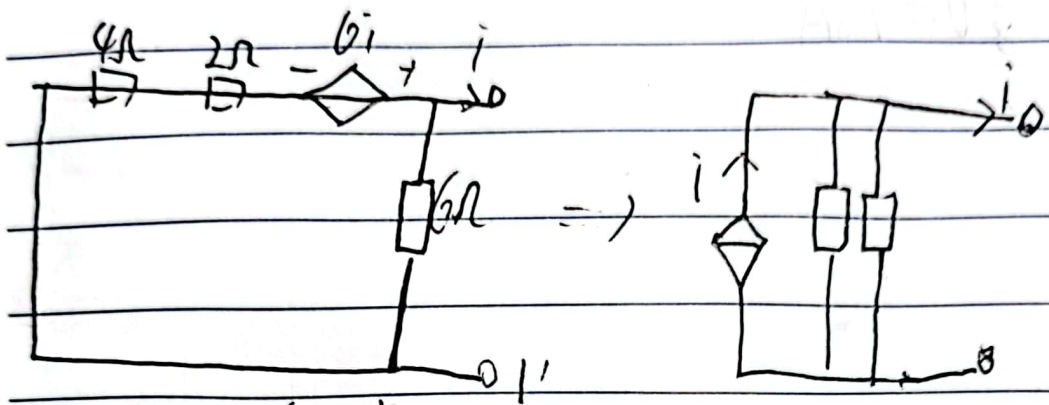


4-13. (a)

断开时, $i=0$

$$U_{OC} = 10 \times \frac{6}{6+2+6} = 5V$$

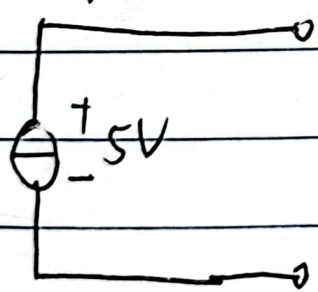
电路作变化得



端口电流任意, 端口电压为零

∴ 短路

$$\therefore R_{eq} = 0$$



(b). 用节点电压法求 U_{OC}

$$U_2 \left(\frac{1}{6} + \frac{1}{12} + \frac{1}{12} \right) = \frac{15}{6} + \frac{4U_2}{12}$$

$$\frac{U_2 - U_1}{3} = \frac{5}{2}$$

$$\therefore U_{OC} \rightarrow \infty$$

$$U_{OC} = U_2, \quad U_{OC} \rightarrow \infty$$

短路电路



$$i_{sc} = i_1 + i_2$$

$$U_2 = \frac{15}{6 + \frac{12 \times 8}{12 + 8}} \cdot \frac{12 \times 8}{12 + 8} = \frac{20}{3} V$$

$$i_{sc} = i_1 + i_2$$

$$= \frac{U_2}{8} + \frac{4U_2}{4} = \frac{1}{8} U_2 = 7.5 A$$

$$R_{eq} = \frac{U_{oc}}{I_{sc}}$$

$$U_{oc} \rightarrow \infty$$

$$I_{sc} = 7.5$$

$$\therefore R_{eq} \rightarrow \infty$$

\therefore 等效为

