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Experiment - 6.

(1)

TESTING HYPOTHESES.EXP-A :- NULL hypothesis significance testing.

A small t-value typically less than 0.05 indicates strong evidence against null hypothesis, so we can reject it.

A large p-value greater than 0.05 indicates weak evidence against null hypothesis, so we can fail to reject it.

Eg:- T-test (x & col name, $\mu=23$, alternative="less").

t = 121.36, df = 4999, p-value = 1

alternative hypothesis: true mean is less than 23

95 Percent confidence interval:

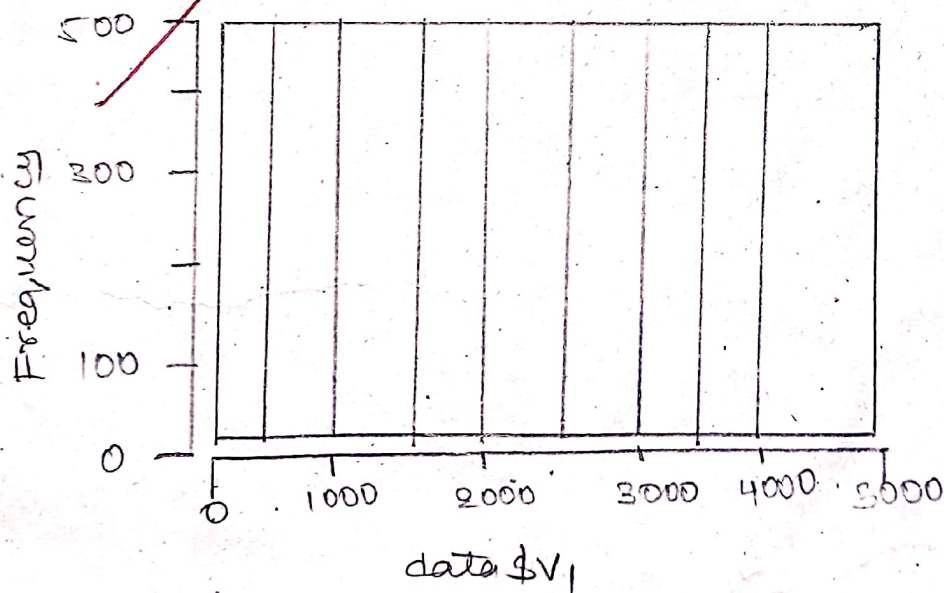
-Inf 2534.085

sample estimates: mean of x = 2500.5

t.test(data \$ V1, mu=23, alternative="less").

hist(x & col name).

hist(data \$ V1).



(3)
Exp-B :- Testing the mean of one sample.

Eg: T-test(X , alternative="less", $\mu=0$, conf.level=0.95)

```
data <- read.csv("sample_1.csv")  
t.test(data[,X3], alternative="less", mu=10,  
conf.level=0.95).
```

data : data[,X3]
 $t=14.807$, $df=98$, $p\text{-value}=1$
alternative hypothesis: true mean is less than 0
95 percent confidence interval:
-Inf 5658.321

Sample estimates:

mean of X

5087.747

Exp-c Testing two means: (4)

Eg:- T-test (X, Y, Var. equal = True, paired = FALSE)

Two sample t-test.

data: data \$X1 and data \$X3

$t = -14.658$, $df = 196$, $p\text{-value} < 2.2e-16$

alternative hypothesis: true difference in means
is not equal to 0

95 percent confidence interval:

-5714.408 - 4359.087

sample estimates:

mean of X mean of Y

51.000 5087.747.

data: data \$X.213.25 and data \$X38.94

$t = 0.40661$ / $df = 196$, $p\text{-value} = 0.6847$

95 percent confidence interval:

-115.1749 175.0029.

alternative hypothesis: true difference in means
is not equal to 0.

sample estimates:

mean of X mean of Y

107.73131 77.81727.

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