



a. Greedy Best-First Search

Search Steps & Solution Path

$$F(n)$$

Search Steps & Solution Path

[illegible] $F(n)$

A 10x10 grid with a black shape and letters G and S. The black shape consists of a horizontal bar of 6 cells in row 4, a single cell at (5,1), a single cell at (5,3), and a single cell at (6,7). The letter 'G' is at (2,3) and the letter 'S' is at (6,6).

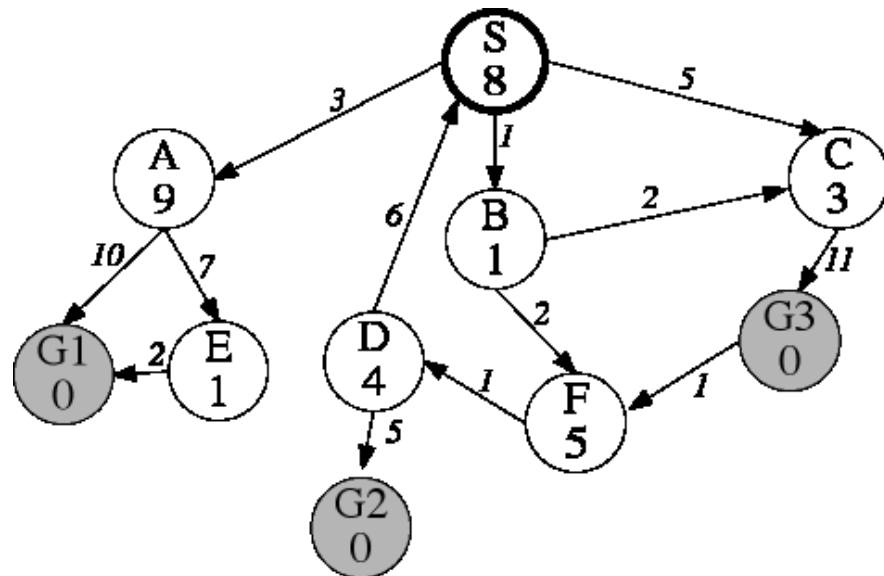
Search Steps & Solution Path

A 10x10 grid with a black shape and letters G and S. The black shape consists of a horizontal bar of 6 cells in row 4, a single cell at (5,2), and a single cell at (6,3). The letter 'G' is at (2,3) and the letter 'S' is at (6,7).

- 2) Assuming that successor states are generated in alphabetical order (in stack-based algorithms, placed on the Open List in alphabetical order either at the start or at the end), and ties (for priority-queue based algorithms) broken in alphabetical order,
- (a). in what order are the nodes in this graph expanded by each of the following search algorithms (tree search)? Do not forget to remove repeated states.

Also for each,

- (b). which goal state is the founded goal state?
 (c). what is the cost of the path found?
 (d). Is the founded path optimal?



a. Breadth-First Search

Expanded Nodes: S A B C E G1
 Founded Goal State: G1
 Founded Cost Path: 13
 Is It An Optimal Path? no

b. Depth First Search

Expanded Nodes: S A E G1
 Founded Goal State:
 Founded Cost Path:
 Is It An Optimal Path?

c. Uniform Cost Search

Expanded Nodes:
 Founded Goal State:
 Founded Cost Path:
 Is It An Optimal Path?

d. Iterative Deepening

Expanded Nodes:
 Founded Goal State:
 Founded Cost Path:
 Is It An Optimal Path?

e. Greedy Best-First Search

Expanded Nodes:
Founded Goal State:
Founded Cost Path:
Is It An Optimal Path?

f. A*

Expanded Nodes:
Founded Goal State:
Founded Cost Path:
Is It An Optimal Path?

g. IDA*

Expanded Nodes:
Founded Goal State:
Founded Cost Path:
Is It An Optimal Path?

3) If $h_1(s)$ and $h_2(s)$ are both admissible heuristic functions, which of the following are also admissible:

$$h_3(s) = h_1(s) + h_2(s)$$

$$h_3(s) = |h_1(s) - h_2(s)|$$

$$h_3(s) = \max(h_1(s), h_2(s))$$

$$h_3(s) = \min(h_1(s), h_2(s))$$

Be sure to explain your answers. For those cases where $h_3(s)$ is not admissible, show a counter example. Which of the above four combinations do you feel is the best one? Why?

4) Prove each of the following statements whether it is true or false:

- a. Breadth-first search is a special case of uniform-cost search.
- b. Breadth-first search, depth-first search, and uniform-cost search are special cases of best-first search.
- c. Uniform-cost search is a special case of A* search.