

IMPERIAL COLLEGE LONDON

DEPARTMENT OF ELECTRICAL AND ELECTRONIC ENGINEERING
EXAMINATIONS 2004

EEE/ISE PART II: MEng, BEng and ACGI

LANGUAGE PROCESSORS

Friday, 4 June 2:00 pm

Time allowed: 2:00 hours

There are FOUR questions on this paper.

Q1 is compulsory.

Answer Q1 and any two of questions 2-4.

Q1 carries 40% of the marks. Questions 2 to 4 carry equal marks.

Corrected Copy

Any special instructions for invigilators and information for candidates are on page 1.

Examiners responsible

First Marker(s) : Y.K. Demiris, Y.K. Demiris

Second Marker(s) : G.A. Constantinides, G.A. Constantinides

QUESTION 1:

- (a) Describe two advantages for including an intermediate code generation phase in a compiler. [2]
- (b) Within Chomsky's hierarchy of grammars, describe the main difference between a type-1 and a type-2 grammar, and provide two example production rules (one for each type of grammar) that illustrate this difference. [3]
- (c) Provide the regular expression for valid identifiers in PASCAL [3]
- (d) Provide a deterministic finite state automaton (DFA) for recognizing valid strings derived from the regular expression you provided in question 1(c). Clearly mark the start and final states of the DFA. [3]
- (e) Explain why the grammar below is not LL(1), and use left-factoring to transform it to its LL(1) equivalent.
A \rightarrow aAb
A \rightarrow aAc
A \rightarrow d [4]
- (f) Provide an algorithm for partitioning three-address statement sequences into basic blocks [3]
- (g) Provide the definition of L-attributed grammars [2]

QUESTION 2:

Construct the deterministic finite state automaton (DFA) for the regular expression $a(b/c)^*a$ by:

- (a) constructing a non-deterministic finite automaton (NFA) using Thompson's algorithm. [8]
- (b) constructing the minimal equivalent DFA using the subset construction algorithm, followed by a DFA minimization step (*if required*). Explain the intermediate steps you have taken. [12]

QUESTION 3:

- (a) For the augmented grammar below, compute the canonical LR(0) collection of sets of items
G' \rightarrow G
G \rightarrow G - X | X
X \rightarrow X * F | F
F \rightarrow (G) | a
where {a, -, *, (,)} are terminals, and {G', G, X, F} are the non-terminals. [8]
- (b) The computation of the collection of sets of LR(0) items
C = {I₀, I₁, I₂, ..., I_n}
is the first step in the construction of an SLR parsing table for an augmented grammar G'.
Provide the remaining steps of the algorithm.
[Hint: You will need to provide the rules for constructing parsing actions and goto transitions for each state *i* constructed from I_i] [12]

QUESTION 4:

- (a) For the grammar below, calculate the FIRST and FOLLOW sets for all non-terminal symbols [where \$ represents the input right end marker, {a, -, *, (,)} are terminals, and {G', G, T, T', F} are non-terminals]

$$\begin{aligned} G &\rightarrow T G' \\ G' &\rightarrow -TG' \mid \epsilon \\ T &\rightarrow FT' \\ T' &\rightarrow *FT' \mid \epsilon \\ F &\rightarrow (G) \mid a \end{aligned}$$

[10]

- (b) The algorithm for the construction of a predictive parsing table M for a given grammar is as follows:

For each production rule $A \rightarrow \alpha$ do:

- For each terminal x in $FIRST(\alpha)$, add $A \rightarrow \alpha$ to $M[A, x]$
- If $FIRST(\alpha)$ contains ϵ , add $A \rightarrow \alpha$ to $M[A, b]$ for each terminal b in $FOLLOW(A)$
- If $FIRST(\alpha)$ contains ϵ , and $FOLLOW(A)$ contains \$, add $A \rightarrow \alpha$ to $M[A, \$]$
- Mark all undefined entries of M as "error".

Use this algorithm to construct the parsing table for the grammar above. Format your parsing table as shown below.

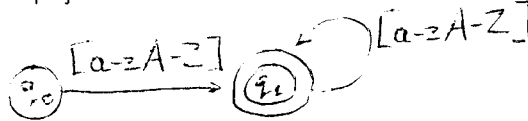
[10]

Non-terminal	Input symbol					
	a	-	*	()	\$
G						
G'						
T						
T'						
F						

E2.15: Language Processors
Sample Model answers to exam questions 2004

Question 1

- (a) [bookwork] (1) Front-end/back-end separation enables easy porting to new architectures/languages
 (2) Machine-independent optimisations can be applied to the intermediate code representation.
- (b) [bookwork] Main difference: type-2 grammars are context-free grammars (type-1 are context sensitive); Type1-example: $AB \rightarrow xyz$, Type-2 example: $A \rightarrow xyz$
- (c) [new computed example] id: $[a-zA-Z]([a-zA-Z][0-9])^*$
- (d) [new computed example]

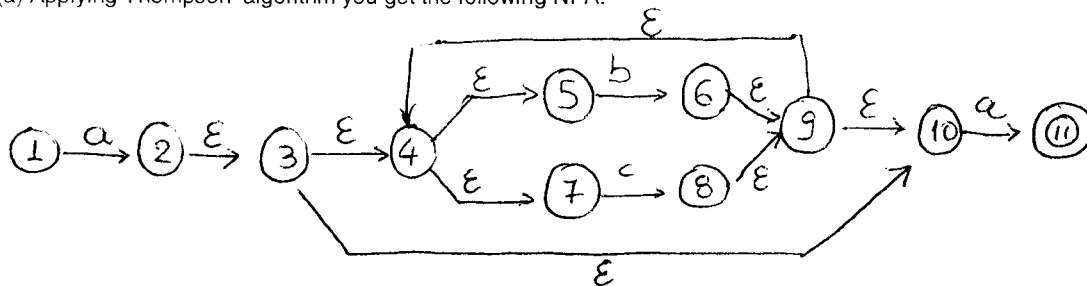


- (e) [bookwork/new computed example] Its not LL(1) since $FIRST(A)$ contains "a" in both the first and second rules; applying left-factoring will give you
 $A \rightarrow aAX$
 $X \rightarrow b \mid c$
 $A \rightarrow d$
- (f) [bookwork]: First we need to determine the set of leaders, i.e. the first statements of basic blocks; we use the following two rules for that: (1) The first statement in the sequence is a leader (2) any statement that is the target of a conditional or unconditional goto is a leader (3) any statement that immediately follows a goto or conditional goto statement is a leader. Once the leaders are determined, for each leader, its basic block consists of the leader, and all the statements up to but not including the next leader.
- (g) [bookwork]: L-attributed grammars are grammars where each inherited attribute of X_j ($1 \leq j \leq n$) in a production rule of the form $A \rightarrow X_1 X_2 \dots X_n$ depends only on the attributes of the symbols X_1, X_2, \dots, X_{j-1} to the left of X_j in the production, and the inherited attributes of A .

Question 2

[new computed example]

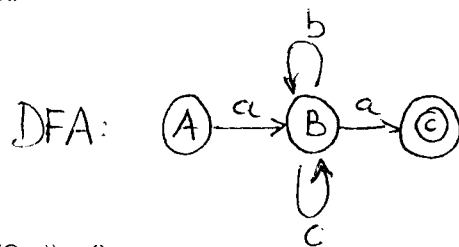
- (a) Applying Thompson's algorithm you get the following NFA:



- (b) Applying the subset construction algorithm on this NFA we get:

ϵ -closure(Start-State) = {1} = A
 ϵ -closure(move(A, a)) = {2,3,4,5,6,7,8,9,10} = B
 ϵ -closure(move(A, b)) = ϵ -closure(move(A, c)) = {}
 ϵ -closure(move(B, a)) = {2,3,4,5,6,7,8,9,10, 11} = C
 ϵ -closure(move(B, b)) = {2,3,4,5,6,7,8,9,10} = B
 ϵ -closure(move(B, c)) = {2,3,4,5,6,7,8,9,10} = B

ϵ -closure(move(C, a)) = ϵ -closure(move(C, b)) = ϵ -closure(move(C, c)) = {}
 – no more new created states; we are done.



Question 3:

(a) [new computed example]

$I_0:$	$I_1:$	$I_2:$	$I_3:$	$I_4:$	$I_5:$
$G' \rightarrow .G$ $G \rightarrow .G-X$ $G \rightarrow .X$ $X \rightarrow .X^*F$ $X \rightarrow .F$ $F \rightarrow .(G)$ $F \rightarrow .a$	$G' \rightarrow G.$ $G \rightarrow G.-X$	$G \rightarrow X.$ $X \rightarrow X.^*F$	$X \rightarrow F.$	$F \rightarrow (.G)$ $G \rightarrow .G-X$ $G \rightarrow .X$ $X \rightarrow .X^*F$ $X \rightarrow .F$ $F \rightarrow .(G)$ $F \rightarrow .a$	$F \rightarrow a.$
$I_6:$	$I_7:$	$I_8:$	$I_9:$	$I_{10}:$	$I_{11}:$
$G \rightarrow G.-X$ $X \rightarrow .X^*F$ $X \rightarrow .F$ $F \rightarrow .(G)$ $F \rightarrow .a$	$X \rightarrow X.^*F$ $F \rightarrow .(G)$ $F \rightarrow .a$	$F \rightarrow (G.)$ $G \rightarrow G.-X$	$G \rightarrow G.-T$ $X \rightarrow X.^*F$	$X \rightarrow X^*F.$	$F \rightarrow (G.)$

(b) [Bookwork]

The remaining steps after the construction of the collection of sets of LR(0) items are:

- Construct the parsing entries for state i are determined as follows:
 - o For a terminal a , if $[A \rightarrow \alpha.aB]$ is in I_i and $\text{goto}(I_i, a) = I_j$ then set $\text{action}[i, a]$ to "shift j "
 - o If $[A \rightarrow \alpha.]$ is in I_i , then set $\text{action}[i, a]$ to "reduce $A \rightarrow \alpha$ for all a in $\text{FOLLOW}(A)$ "
 - o If $[S' \rightarrow S.]$ is in I_i , then set $\text{action}[i, \$]$ to "accept"
- The goto transitions for state i are constructed for all nonterminals A using the rule: if $\text{goto}(I_i, A) = I_j$ then $\text{goto}[i, A] = j$
- All entries not defined by the two rules above, are made "error".

Question 4:

(a) $\text{FIRST}(G) = \text{FIRST}(T) = \text{FIRST}(F) = \{(-, a)\}$; $\text{FIRST}(G') = \{-, \epsilon\}$; $\text{FIRST}(T') = \{*, \epsilon\}$ $\text{FOLLOW}(G) = \text{FOLLOW}(G') = \{), \$\}$; $\text{FOLLOW}(T) = \text{FOLLOW}(T') = \{-,), \$\}$; $\text{FOLLOW}(F) = \{+, *,), \$\}$

(b) The parsing table for the grammar is:

	Input symbol					
	a	$-$	$*$	$($	$)$	$\$$
G	$G \rightarrow TG'$			$G \rightarrow TG'$		
G'		$G' \rightarrow -TG'$			$G' \rightarrow \epsilon$	$G' \rightarrow \epsilon$
T	$T \rightarrow FT'$			$T \rightarrow FT'$		
T'		$T' \rightarrow \epsilon$	$T' \rightarrow *FT'$		$T' \rightarrow \epsilon$	$T' \rightarrow \epsilon$
F	$F \rightarrow a$			$F \rightarrow (G)$		