Nearest State/County Finder:

Leveraging Geospatial Data for Efficient Query Processing

Aowei Zhao Haolin Ye Jiayu Wang Sen Wang

Department of Electrical and Computer Engineering

College of Engineering



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Overview

Geospatial Data:

Geographic location

Characteristics of natural or constructed features

Boundaries on Earth

Workflows:

Given the locations of cities and counties in the US as reference points
User could enter a latitude and longitude to find the nearest counties
Return the nearest K(1<=K<=10) counties and their states

Project Objective:

Develop a system that quickly and accurately finds the nearest state or county in the US based on given **geographic coordinates**

Project Challenge:

Processing a vast dataset to respond to queries in real-time



Approach

Task 1 - Data Structure Implementation (KD-Tree)

- Space-partitioning data structure
- Organizing points in a k-dimensional space

Task 2 - Efficient Query Processing

- User queries for coordinates
- leveraging the KD-Tree
- Determine the corresponding state and county



Data Loading

Represents geographical location
State, county
Geographical coordinates

A basic binary tree node structure

Stores *Province_data*Pointers to its left and right child nodes.

```
struct Province_data{
    string state;
    string county;
    double latitude;
    double longitude;
};
```

```
struct Node{
    Province_data point;
    Node* left;
    Node* right;
};
```



Distance Calculation

Distance Calculation Methodology

Equirectangular Approximation Formula:

$$ullet \ x = (\lambda_2 - \lambda_1) \cdot \cos\left(rac{\phi_1 + \phi_2}{2}
ight)$$

- $y=\phi_2-\phi_1$
- Distance = $\sqrt{x^2 + y^2} \cdot R$

Implementation:

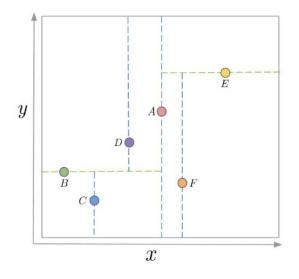
```
double distance_calculator(const Province_data &d1, Province_data &d2){
   const double R = 6371;

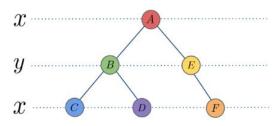
   double x = (d2.longitude - d1.longitude) * cos((d1.latitude + d2.latitude) / 2);
   double y = d2.latitude - d1.latitude;
   double d = sqrt(x*x + y*y) * R;
   return d;
};
```



Build KD-Tree

- Data structure for organizing points in a K-dimensional space
- Binary search tree where data in each node is a K-Dimensional point in space





Step 1: Choose the middle node on the x-axis and draw a vertical line.

Step 2: Choose the middle node on the y-axis and draw a horizontal line.

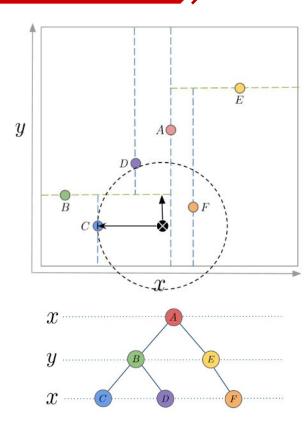
Step 3: Repeat steps above until all the nodes have drawn lines.

int mid = (start + end) / 2;

return root;



KD-Tree Search



$$d(\otimes, \circ) > | \circ - \circ |$$

Step 1: DownSearch: Compare from the root to bottom: X-Y-X-Y-X...

Step 2: Calculate the distance. Update or Discard.

Step 3: Upsearch: Go to the upper level. Calculate the distance.

Step 4: Decide whether to search other subtrees

reverse(k_nearest_neighbors.begin(), k_nearest_neighbors.end());

return k_nearest_neighbors;

```
priority_queue<pair<double, Province_data>, vector<pair<double, Province_data>>, CompareDistance> minHeap;
function<void(Node*)> search = [&](Node* current){
   if (current == nullptr)
       return;
   double distance = distance_calculator(current->point, query);
   minHeap.push(make_pair(distance, current->point));
   if (minHeap.size() > k)
       minHeap.pop();
   bool isLeft = (query.latitude < current->point.latitude);
   if ((isLeft && current->left) || (!isLeft && current->right)) {
       if (isLeft)
           search(current->left);
           search(current->right);
   double currentAxisDistance = (isLeft) ? abs(query.latitude - current->point.latitude) : abs(query.longitude - current->point.longitude);
   if (minHeap.size() < k || currentAxisDistance < minHeap.top().first) {
       if (isLeft)
           search(current->right);
           search(current->left);
search(root);
while (!minHeap.empty()) {
   k_nearest_neighbors.push_back(minHeap.top().second);
   minHeap.pop();
```



Linear Search for K-NN

Unlike the KD-Tree method, this linear approach compares the query point with every point in the dataset to find the k nearest neighbors. It's simpler but less efficient for large datasets.

```
vector<Province_data> liner_nearest_neighbor(const vector<Province_data> &Data, Province_data target, int k)∤
    auto cmp = [target](const Province_data& a, const Province_data& b) {
       auto distanceToA = distance_calculator(target, a);
       auto distanceToB = distance_calculator(target, b);
        return distanceToA < distanceToB;</pre>
    }:
    priority queue<Province data, vector<Province data>, decltype(cmp)> min heap(cmp);
    for (auto data : Data){
        if (min_heap.size() < k){</pre>
            min_heap.push(data);
        else{
            double dist = distance calculator(target, data);
            if (dist < distance calculator(target, min heap.top())){</pre>
                min_heap.pop();
                min_heap.push(data);
    vector<Province_data> k_nearest_neighbors;
   while(!min_heap.empty()){
        k_nearest_neighbors.push_back(min_heap.top());
       min_heap.pop();
    reverse(k_nearest_neighbors.begin(), k_nearest_neighbors.end());
    return k nearest neighbors;
```



Result

```
Please enter the latitude and longitude: 123.456 99.99
Elapsed time: 0.000285608 seconds
(AK, Copper River) (AK, Ketchikan Gateway) (AK, Kusilvak) (AK, Prince of Wales-Hyder) (AK, Aleutians East)
(AK, Matanuska-Susitna) (IA, Floyd) (WY, Niobrara) (IA, Chickasaw) (WI, Dane)
Elapsed time: 0.000465209 seconds
(AK, Copper River) (AK, Ketchikan Gateway) (AK, Kusilvak) (AK, Prince of Wales-Hyder) (AK, Aleutians East)
(AK, Matanuska-Susitna) (IA, Floyd) (WY, Niobrara) (IA, Chickasaw) (WI, Dane)
Please enter the latitude and longitude: 1.4567 9.1453
Elapsed time: 0.000466117 seconds
(FL, Charlotte) (TX, Kenedy) (FL, Glades) (FL, Palm Beach) (FL, Lee)
(TX, Zapata) (FL, Hendry) (TX, Brooks) (FL, Martin) (TX, Jim Hogg)
Elapsed time: 0.000615125 seconds
(FL, Charlotte) (TX, Kenedy) (FL, Glades) (FL, Palm Beach) (FL, Lee)
```

(TX, Zapata) (FL, Hendry) (TX, Brooks) (FL, Martin) (TX, Jim Hogg)



Conclusion

KD-Tree vs. Linear Scanning

KD-Tree is generally more efficient for large datasets, while Linear Scanning is simpler but less efficient.

Data Structures and Algorithms

The KD-Tree construction uses recursive median finding and space partitioning
The search algorithm uses a priority queue to efficiently find the k-nearest neighbors

Efficiency and Accuracy

While KD-Trees offer greater efficiency for larger datasets, they come with the complexity of implementation.



THANK YOU

Q&A

