

**ICECUBE**  
NEUTRINO OBSERVATORY

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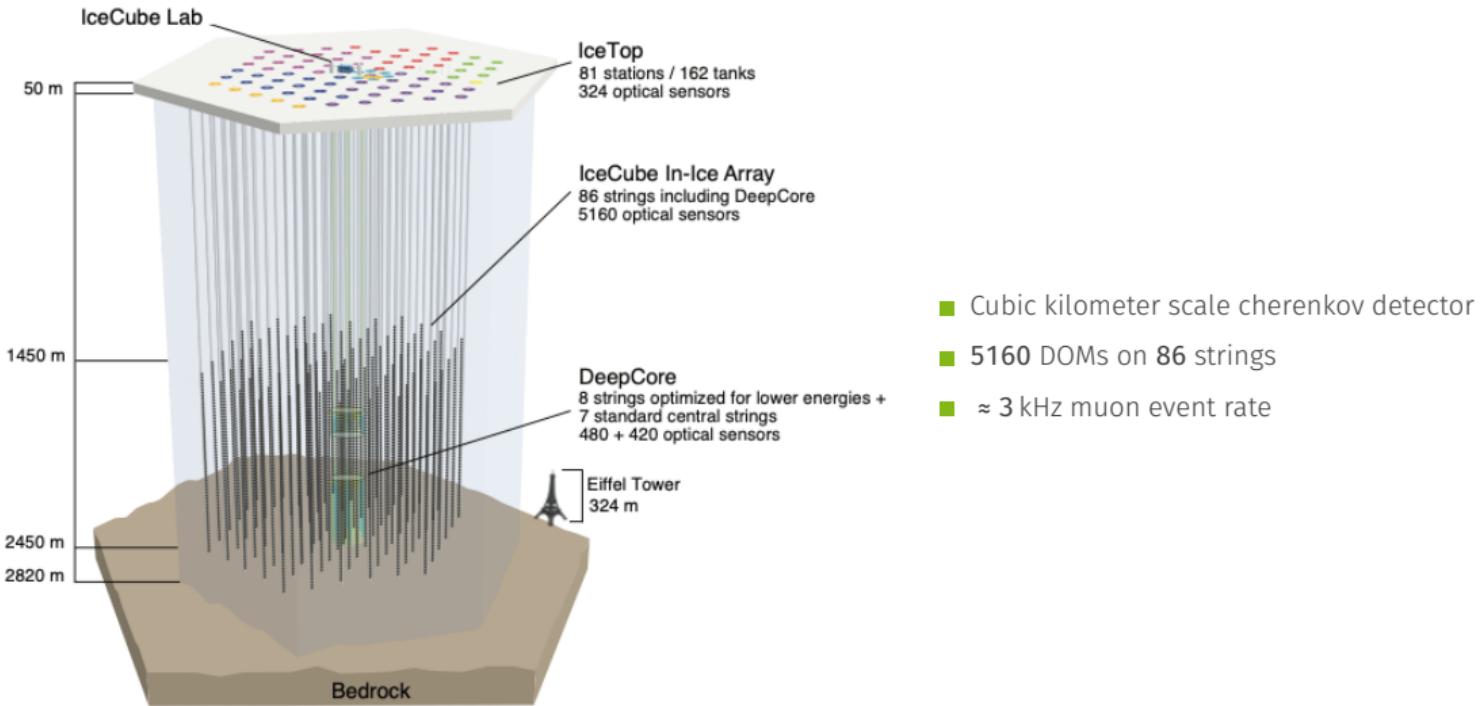
## Observing the Prompt Component of the Atmospheric Muon Flux Using IceCube

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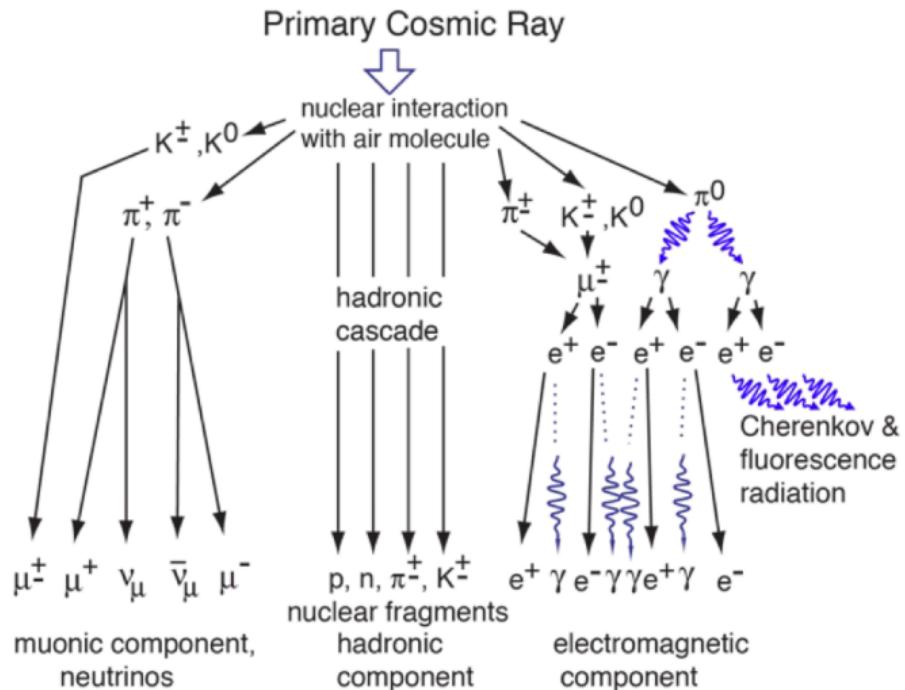
Leander Flottau

3 April 2025

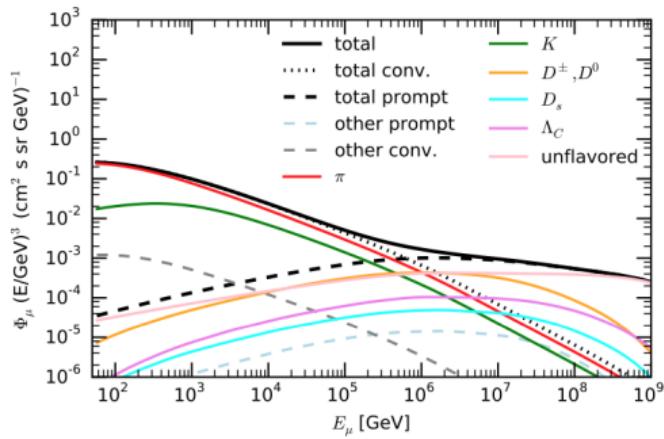
## IceCube Neutrino Observatory



## Atmospheric Air Showers



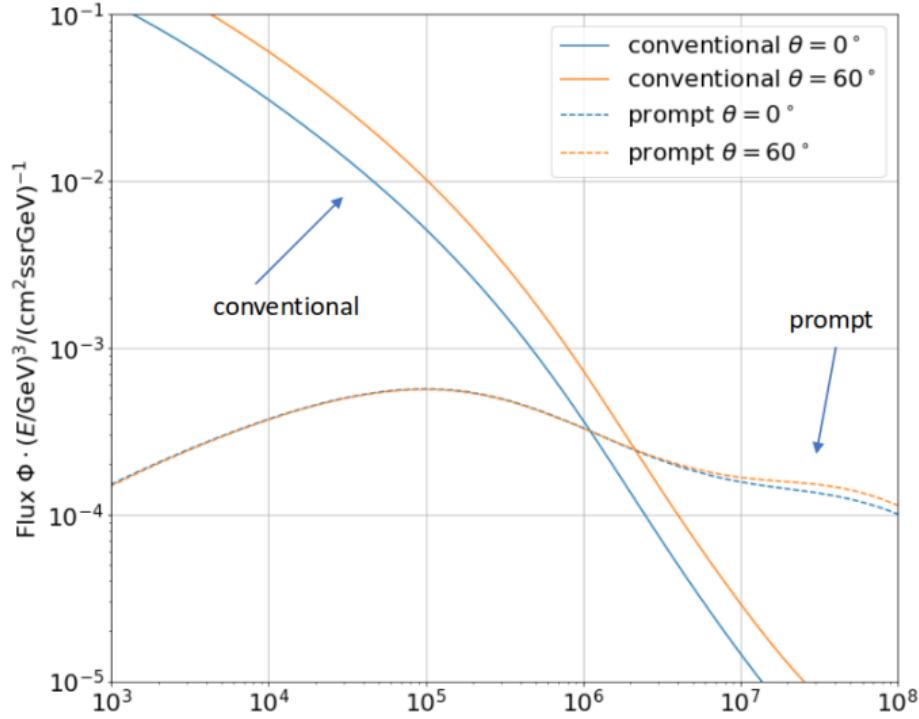
## The Prompt Component



- Conventional: produced by  $K^\pm/\pi^\pm$
- Prompt: produced by short-lived particles
- Prompt dominant at high energies

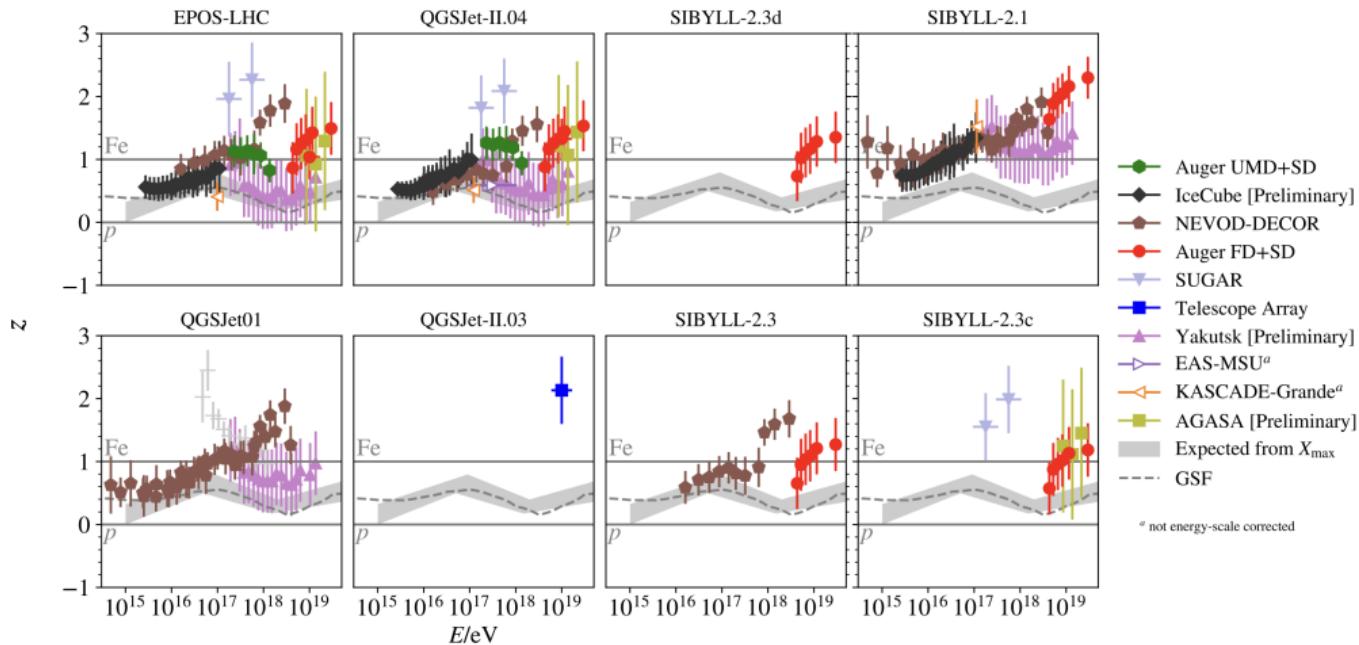
## Prompt sensitivity

0°: perpendicular to Earth's surface

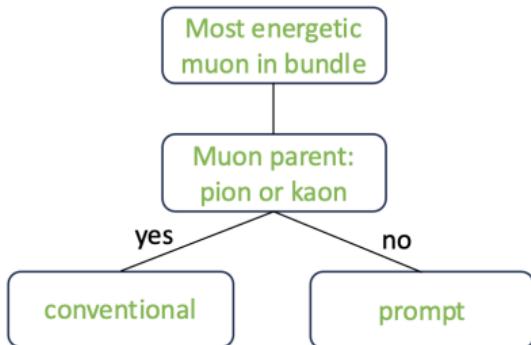


- Sensitivity increases at high energies
- Prompt less impacted by the zenith angle

## The Muon-Puzzle

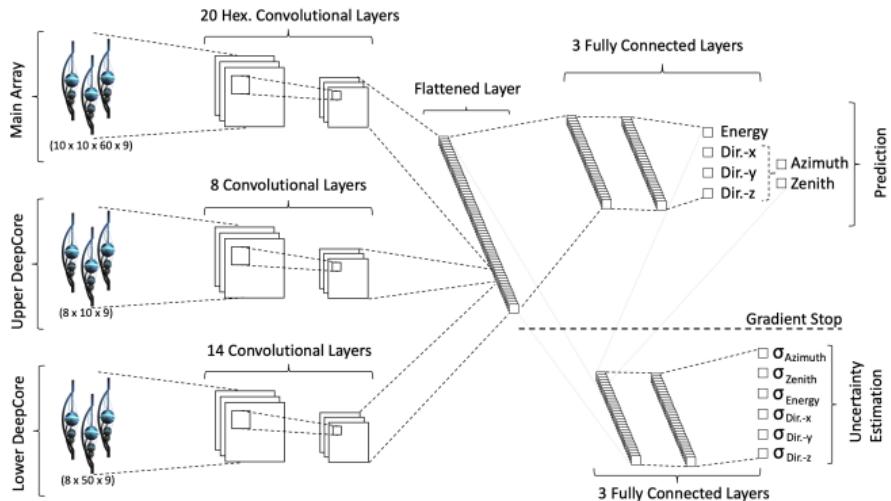


## Simulations and tagging



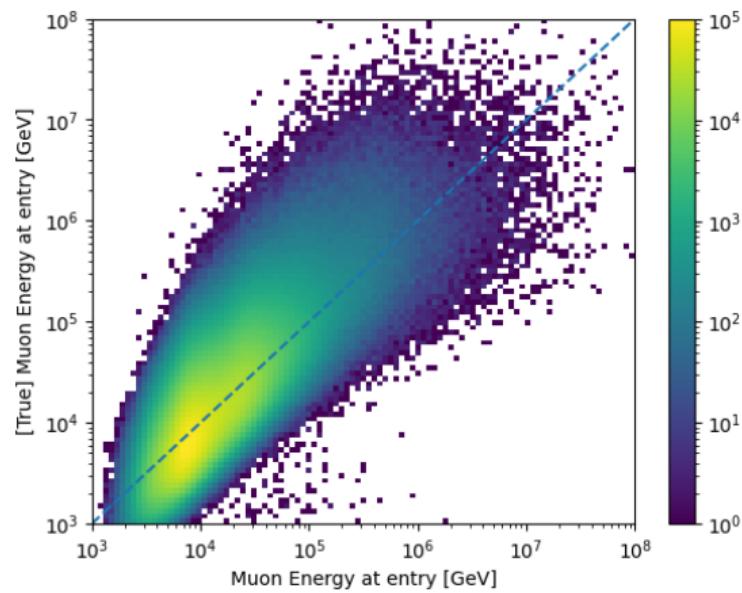
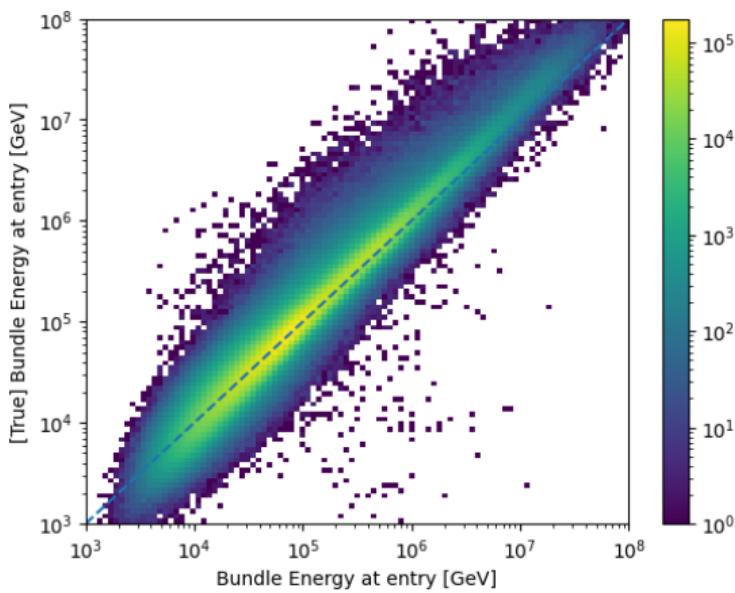
- Tagging of parent particles in CORSIKA simulations
- Prompt definition based on parent of leading muon
- Simulation up to extremely high energies

## Reconstructions

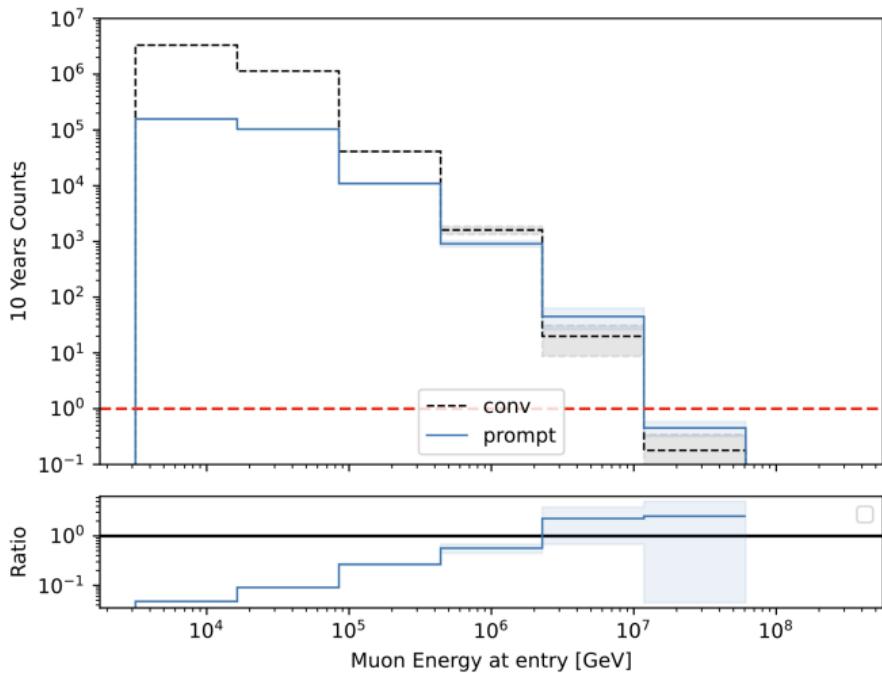


- Neural network based
- Zenith angle, bundle energy and leading muon energy

## Reconstructions

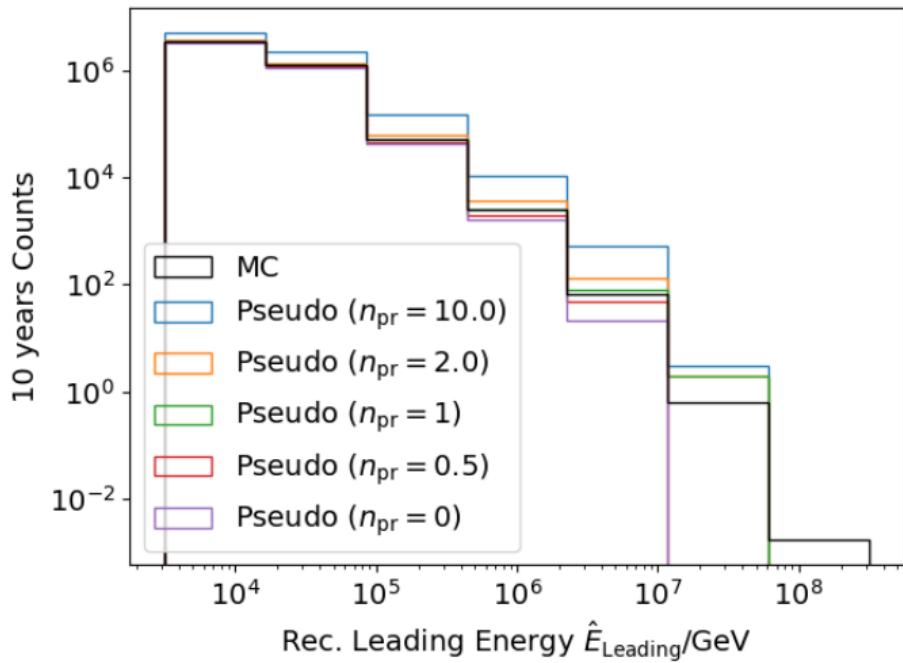


## Forward Folding



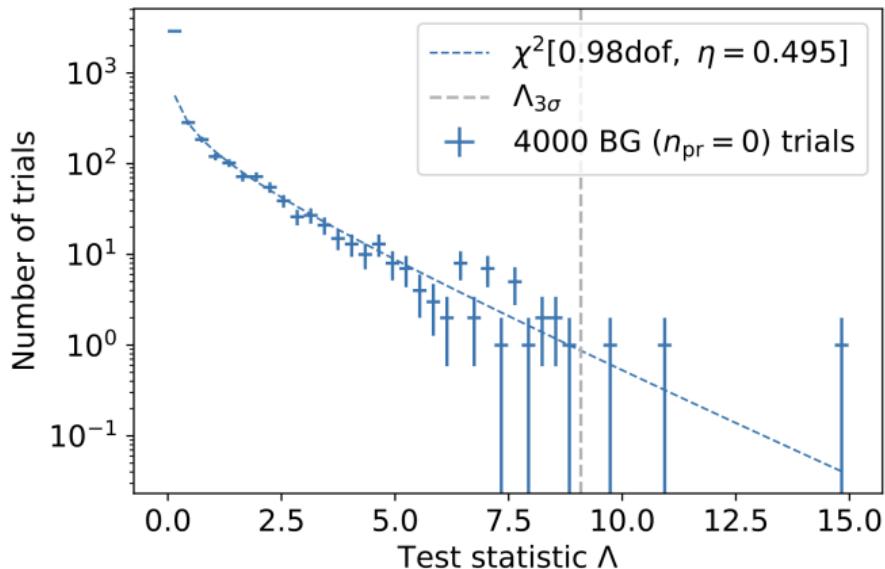
- Prompt normalization: fraction of prompt component relative to current MC-simulation  $n_{pr}$
- Poisson likelihood in each histogram bin
- Rescale with normalization factors
- Strong model dependency

## Pseudo experiments and asimov tests



- Testing method based on simulations
- Asimov: Toy data resembling the MC expectation given the injected input parameters
- Pseudoexperiments: Sampled based on weights

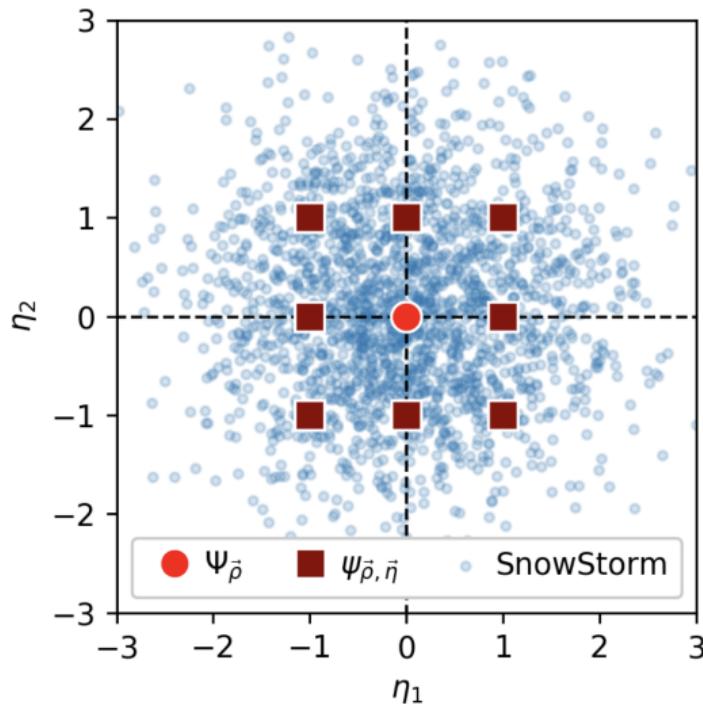
## Background Estimation



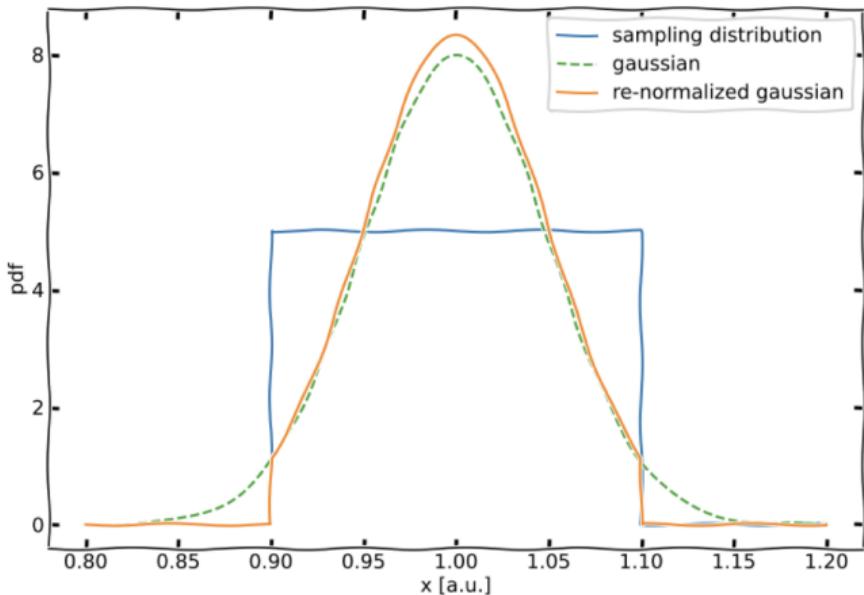
- Likelihood ratio test:  $\lambda = -2(lh(\Theta_0) - lh(\Theta))$
- Draw background samples with  $n_{pr} = 0$
- Wilks' theorem: fit  $\chi^2$ -distribution

## Systematic Parameters: SnowStorm

- Detector parameters regarding the ice and DOMs
- 5-Parameters: Absorption, Scattering, DOM-Efficiency, 2 hole-ice models
- SnowStorm Ensemble: Individual systematics sampled each event
- Drawn from uniform distribution

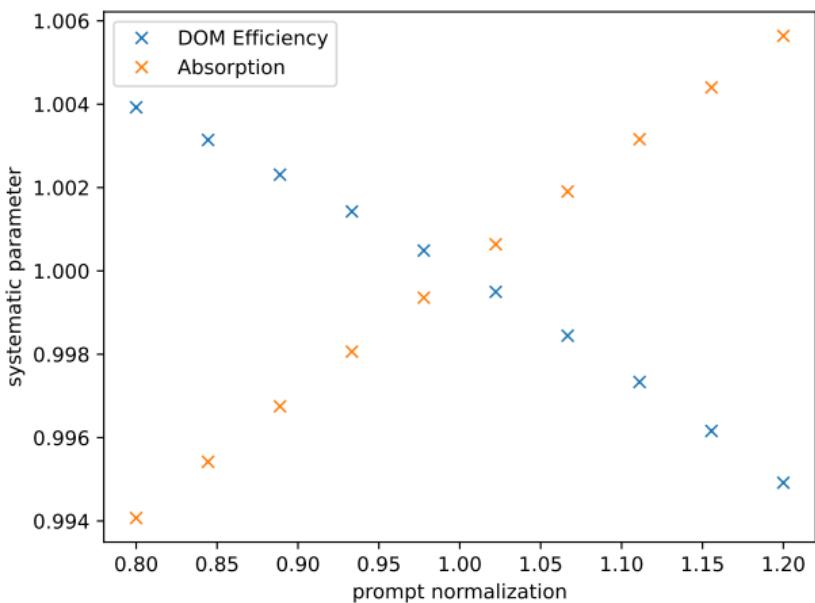


## Systematics: Reweighting



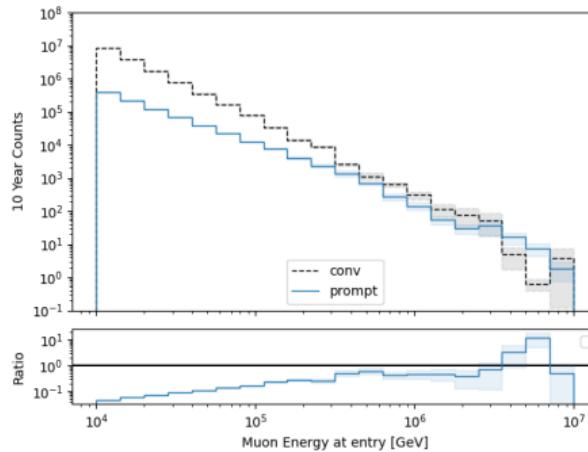
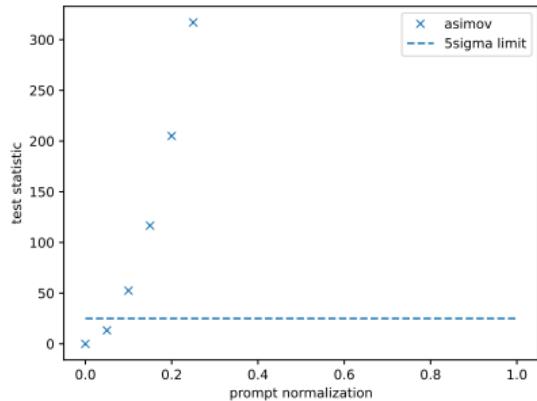
- How do the parameters impact the bincount?
- Reweighting
- "Inject" hypothesis for parameter by reweighting
- Fit mean of reweighting distribution as nuisance parameter

## Detector Parameters



- How do these parameters impact the likelihood?
- Test: How do the fitted systematics change when fixing the prompt normalization in the fit
- Systematics partially absorb the changed expectation

## Discovery Potential including systematics



- Fitting of high Number of parameters requires good resolution → more bins
- Tests show extremely high significance
- What about the uncertainties?

## The SAY-likelihood

- Poisson likelihood:

$$L(\vec{\Theta} | k) = \frac{\lambda(\vec{\Theta})^k e^{-\lambda(\vec{\Theta})}}{k!} \quad (1)$$

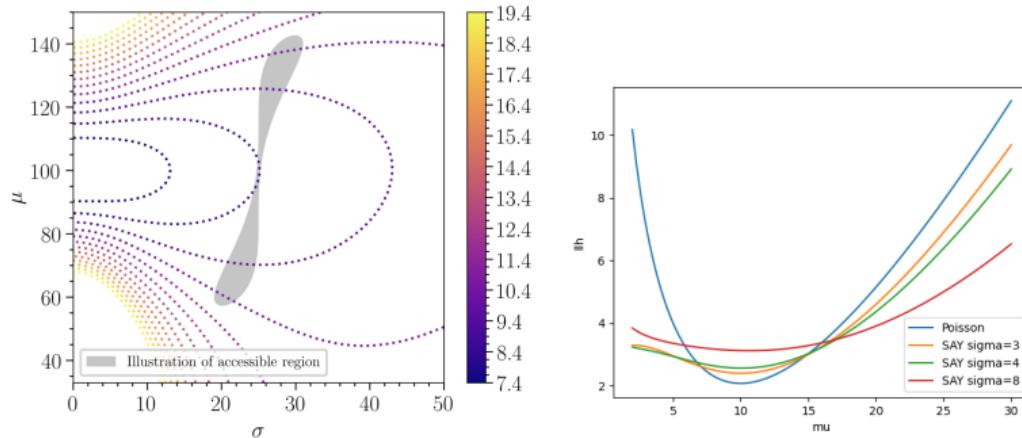
- Assumption: Expectation exactly known
- For a limited number of sampled MC events this assumption is unrealistic
- Better: Consider distribution of weights based on MC truth:

$$L(\vec{\Theta} | k) = \int_0^{\inf} \frac{\lambda^k e^{-\lambda}}{k!} P(\lambda | \vec{w}(\vec{\Theta})) d\lambda \quad (2)$$

- This leads to:

$$L_{Eff}(\vec{\Theta} | k) = \left( \frac{\mu}{\sigma^2} \right)^{\frac{\mu^2}{\sigma^2} + 1} \Gamma(k + \frac{\mu^2}{\sigma^2} + 1) (k!(1 + \frac{\mu}{\sigma^2})^{k + \frac{\mu^2}{\sigma^2} + 1} \Gamma(\frac{\mu^2}{\sigma^2} + 1))^{-1} \quad (3)$$

## SAY vs Poisson



**Abbildung:** Left: Contours of negative SAY log likelihood for  $k = 100$ . Right: Poisson likelihood and SAY likelihood for  $k = 10$  for three different uncertainties

- SAY likelihood is broader for higher uncertainties!
- Allows for konservative estimate when dealing with high MC-uncertainties

## SAY vs Poisson: Likelihood scan

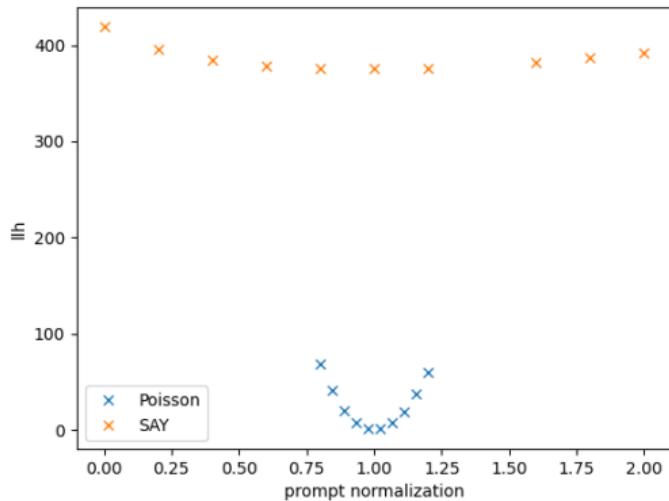
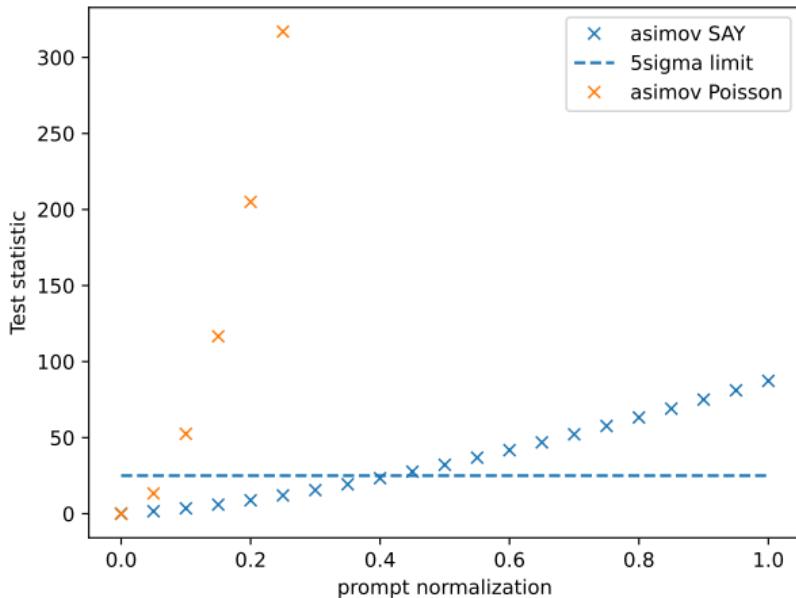


Abbildung: 1D likelihood scans of the prompt component for both likelihoods

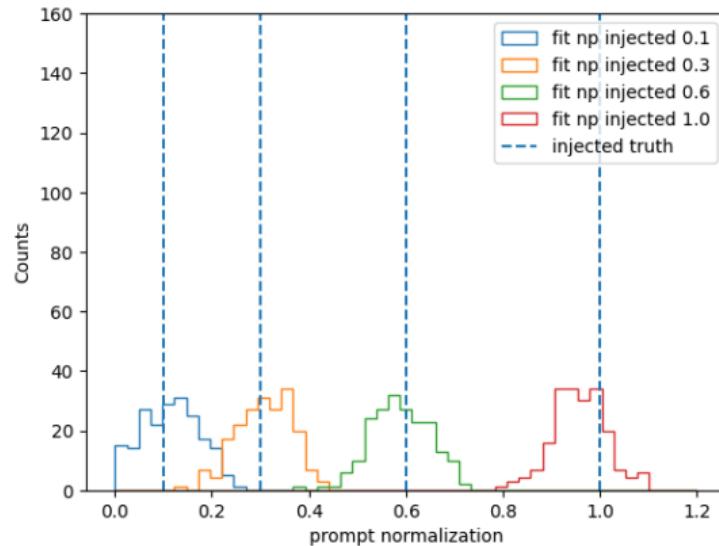
- Likelihood scans reflect this: SAY likelihood has a much broader profile resulting in less significance

## Impact of SAY on the fit



- SAY likelihood significantly reduces the discovery potential
- This reflects the high MC uncertainties in the high energy region
- SAY converges to Poisson for perfect MC statistic → no disadvantage in using it

## Bias test and fit precision

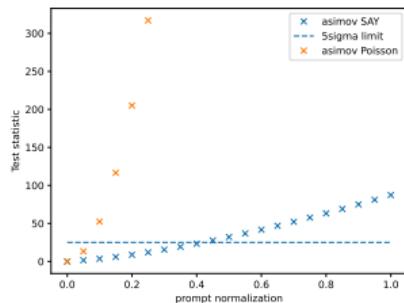
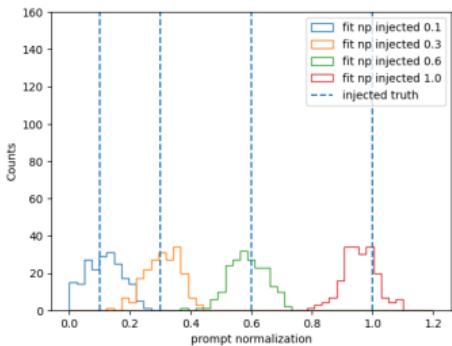


- Generated using Pseudoexperiments
- Unresolved bias!

## Outlook

- Include quality cuts (data level 5) → Increase data-mc agreement
- Make control fit of conv in low energy region where you dont expect prompt events → Cross check for conventional fit
- Try to test on Burnsample
- Problem: Low lifetime of a few months compared to ten years
- Include new Parameters:
  - $n_{charmed}, n_{unflavoured}$ : Contribution of charmed and unflavoured particles. Can these components be measured individually?
  - $\Delta\gamma$ : Potential shift in spectral indices of the components, softer or harder spectrum
  - $\gamma_{CR}$ : Cosmic ray gradient
  - Use interpolation between primary models

## Summary



- Generate prompt tag in simulation
- Simulate up to high energies
- Use NNMFit to include systematics
- Estimate significance from

## Backup: 2D histogram

