

# DSA SERIES

- Learn Coding



## Topic to be Covered today

# Binary Search Tree



# LETS START TODAY'S LECTURE



A **Binary Search Tree (BST)** is a binary tree with an additional property:



- •All nodes in its **left subtree** have values **smaller** than the node's value.
- •All nodes in its **right subtree** have values **greater** than the node's value.
- •Both left and right subtrees must also be BSTs.

#### **Structure of a Node**

Each node has:

- •A value (data)
- •A pointer to the left child
- •A pointer to the right child



```
struct Node {
  int data;
  Node* left;
  Node* right;
  Node(int val) {
    data = val;
    left = right = NULL;
  }
};
```



### Why Use BST?

BST helps in **fast searching**, **insertion**, **and deletion**.

Average case: O(log n) (like binary search)

•Worst case: **O(n)** (if tree becomes skewed)

### **Use cases:**

•Implementing sets & maps (C++ STL set and map use

balanced BST internally)

- Searching in large datasets
- Autocomplete features
- Database indexing



## **Operations in BST**

### (a) Insertion

Insert values while maintaining BST rules.

### Code:

```
Node* insert(Node* root, int val) {
    if (root == NULL) return new Node(val);
    if (val < root->data)
        root->left = insert(root->left,

val);
    else
        root->right = insert(root->right,

val);
    return root;
}
```



### **Searching**

```
Search like binary search:
•If value < root → search left
•If value > root → search right
•If value == root → found

bool search (Node* root, int key) {
    if (root == NULL) return false;
    if (root->data == key) return true;
    if (key < root->data) return search (root->left, key);
    return search (root->right, key);
}
```



### **Traversals**

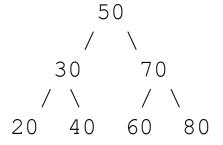
```
•Inorder (LNR) → gives sorted order of elements in BST
•Preorder (NLR) → useful for copying tree
•Postorder (LRN) → useful for deleting tree
Example (Inorder):
void inorder(Node* root) {
     if (root == NULL) return;
     inorder(root->left);
     cout << root->data << " ";</pre>
     inorder(root->right);
```

## CC

### **Deletion in BST**

When deleting a node from a BST, we must make sure the **BST property** is preserved.

- **3** Cases of Deletion
- 1. Case 1: Node is a Leaf Node (no children)
- •Simply delete the node.
- •Example: Deleting 20 from:

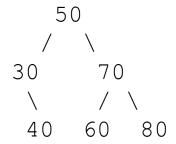


Remove 20, tree becomes:

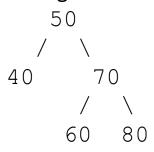


### 2. Case 2: Node has One Child

- •Replace the node with its child.
- •Example: Deleting 30 (which has only one child  $\rightarrow$  40):



After deleting 30:





### 3. Case 3: Node has Two Children

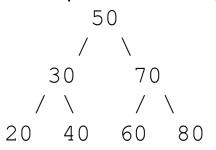
This is the trickiest case.

### Steps:

- 1. Find **inorder successor** (minimum node in the right subtree) OR **inorder predecessor** (maximum in the left subtree).
- 2.Replace the node's value with the successor/predecessor value.
- 3.Delete that successor/predecessor node.



Example: Delete 50 (root, has two children):



- •Inorder successor of 50 = 60 (smallest in right subtree).
- •Replace 50 with 60.
- •Then delete 60 from the right subtree.

### Result:

#### C++ Code for Deletion:

```
Node* deleteNode (Node* root, int key) {
    if (root == NULL) return root;
    if (key < root->data) {
        root->left = deleteNode(root->left, key);
    else if (key > root->data) {
        root->right = deleteNode(root->right, key);
    else {
        // Node found
        // Case 1 & 2: Node with 0 or 1 child
        if (root->left == NULL) {
            Node* temp = root->right;
            delete root;
            return temp;
        } else if (root->right == NULL) {
            Node* temp = root->left;
```

```
delete root;
           return temp;
       // Case 3: Node with 2 children
       // Get inorder successor (min in right subtree)
       Node* temp = root->right;
       while (temp->left != NULL) {
           temp = temp->left;
       // Copy inorder successor's value
       root->data = temp->data;
       // Delete inorder successor
       root->right = deleteNode(root->right, temp->data);
   return root;
```

### 108. Convert Sorted Array to Binary Search Tree

```
class Solution {
public:
    TreeNode* helper(vector<int>& nums, int start, int end) {
        if (start > end)
            return NULL;
        int mid = start + (end - start) / 2;
        TreeNode* root = new TreeNode(nums[mid]);
        root->left = helper(nums, start, mid - 1);
        root->right = helper(nums, mid + 1, end);
        return root;
    TreeNode* sortedArrayToBST(vector<int>& nums) {
        return helper(nums, 0, nums.size() - 1);
};
```

## **501. Find Mode in Binary Search Tree**

```
class Solution {
public:
    // Helper function for inorder traversal
and counting frequencies
    void helper(TreeNode* root, vector<int>&
ans, int& currentVal,
                int& currentCount, int&
maxCount) {
        if (root == nullptr)
            return; // If the node is null,
return.
        // Traverse the left subtree
        helper(root->left, ans, currentVal,
currentCount, maxCount);
```

```
// Process the current node
        if (root->val == currentVal) {
            // If the current value is the same as the previous, increase the
            // count
            currentCount++;
        } else {
            // If the value changes, reset the count for the new value
            currentVal = root->val;
            currentCount = 1;
        // Update the answer and maximum count
        if (currentCount > maxCount) {
            // If we find a new maximum count, clear the answer and add the new
            // mode
            maxCount = currentCount;
            ans.clear();
```

```
ans.push back(root->val);
    } else if (currentCount == maxCount) {
        // If the current count matches the maximum, add it to the answer
        ans.push back(root->val);
   // Traverse the right subtree
   helper(root->right, ans, currentVal, currentCount, maxCount);
vector<int> findMode(TreeNode* root) {
   vector<int> ans; // To store the modes
    int currentVal =
        INT_MIN; // To keep track of the current value during traversal
    int currentCount = 0; // Count of occurrences of the current value
    int maxCount = 0;  // Maximum count of any value
```

```
// Call the helper function for in-order traversal
helper(root, ans, currentVal, currentCount, maxCount);

return ans; // Return the modes
}
};
```



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# THANK YOU