

Introduction to DSA

We will learn about:

- 1) Basic Data Structures
- 2) Big O Notation
- 3) Searching Algorithms
- 4) Sorting Algorithms
- 5) Graphs
- 6) Trees

Data Structure: A named location that can be used to store and organize data.

example: Family(A hierarchy of family relationships.)

example: array(A collection of elements stored at contiguous memory locations)

Algorithm: A collection of steps to solve a problem.

example: (Baking a pizza)(it will be done step by step)

example: Linear Search.

Why DSA?

- 1) write code that is both time and memory efficient.
- 2) For job interviews.
- 3) To get familiar with trees and graphs to get going in the field.

Stack

```
import java.util.Stack;
```

```
public class App {
```

```
    //Stack: LIFO (Last in first out) or FILO (First in last out) data structure.
```

```
//Useful functions:
```

```
//    push() to add on the top.  
//    pop() to get and remove the top value.  
//    peek() to get the top value.  
//    isEmpty() or empty() returns a boolean value (true or false)  
//    search() returns the index starting from 1 from top to bottom.
```

```
//Features of stack:
```

```
//1) Undo/redo feature.  
//2) browser forward/backward moving.  
//3) backtracking algos.  
//4) calling functions (functions call stack)
```

```
public static void main(String[] args) {
```

```

Stack<String> stack = new Stack<String>();

System.out.println(stack.empty()); // true

stack.push("A");
stack.push("B");
stack.push("C");
stack.push("D");
stack.push("E");

System.out.println(stack.isEmpty()); // false

System.out.println(stack); // [A, B, C, D, E]

// String lastValue = stack.peek();

System.out.println("Top of the stack: "+stack.peek()); // E

while(!stack.isEmpty())
{
    System.out.println("Popped value: "+stack.pop());
}

stack.push("A");
stack.push("B");
stack.push("C");
stack.push("D");
stack.push("E"); // On top right now

System.out.println("Position of D: "+stack.search("D")); // 2
}

}

```

Queue

```

import java.util.LinkedList;
import java.util.Queue;

public class App {
    public static void main(String[] args) throws Exception {
        // FIFO - First in first out.
    }
}

```

//A collection of design for holding elements prior to processing.
//It's a linear data structure.

//**offer()** Tail just added to the queue(enqueue)(add)
//**poll()** Head about to leave(dequeue)(remove)
//**element()** same as poll() but throws an exception that is not the case in poll().
//**peek()** returns head(not remove)
//**isEmpty()** true/false
//**size()** no. of elements in a queue.
//**contains(obj)** true/false.

// Why Queue?
// keyboard buffer
// printer queue
// used in LinkedList, priority queue, BFS.

```
Queue<String> queue = new LinkedList<String>();  
// Queue<String> queue = new Queue<String>(); //does not work //it's an interface and  
we can not instantiate an object of interface.
```

```
queue.offer("a");  
queue.offer("b");  
queue.offer("c");  
queue.offer("d");  
queue.offer("e");
```

```
System.out.println("Queue: "+queue); //[a, b, c, d, e]
```

```
System.out.println("Peek: "+queue.peek()); //a
```

```
System.out.println("poll: "+queue.poll()); //a  
System.out.println("poll: "+queue.poll()); //b  
System.out.println("poll: "+queue.poll()); //c  
System.out.println("poll: "+queue.poll()); //d  
System.out.println("poll: "+queue.poll()); //e  
System.out.println("poll: "+queue.poll()); //null
```

```
//System.out.println("element: "+queue.element()); //throws exception (same as poll).
```

```
System.out.println("Empty: "+queue.isEmpty()); //true
```

```
queue.offer("a");  
queue.offer("b");  
queue.offer("c");  
queue.offer("d");
```

```

queue.offer("e");

System.out.println("Size: "+queue.size());      //5

System.out.println("Contains: "+queue.contains("a")); //true

}

}

```

Priority Queue

```

// import java.util.LinkedList;
import java.util.Collections;
import java.util.PriorityQueue;
import java.util.Queue;

public class App {
    public static void main(String[] args) throws Exception {

        //Priority Queue

        //It's FIFO data structure that serves
        //elements with the highest priorities first
        //before elements with lower priority

        //PriorityQueue (it will arrange in ascending order automatically.(by default))

        System.out.println("Double ascending order: ");
        Queue<Double> queue = new PriorityQueue<Double>();

        queue.offer(3.1);
        queue.offer(3.4);
        queue.offer(3.5);
        queue.offer(3.3);
        queue.offer(3.2);
        queue.offer(3.7);

System.out.println("Queue: "+queue); //#[3.1, 3.2, 3.5, 3.4, 3.3, 3.7]

        while(!queue.isEmpty())
        {
            System.out.println(queue.poll());
        }
    }
}

```

```
System.out.println("Double descending order:");
Queue<Double> queue2 = new PriorityQueue<Double>(Collections.reverseOrder());

queue2.offer(3.1);
queue2.offer(3.4);
queue2.offer(3.5);
queue2.offer(3.3);
queue2.offer(3.2);
queue2.offer(3.7);

while(!queue2.isEmpty())
{
    System.out.println(queue2.poll());
}

System.out.println("String ascending order:");
Queue<String> queue3 = new PriorityQueue<String>();

queue3.offer("Huzaifa");
queue3.offer("Haider");
queue3.offer("Hassan");
queue3.offer("Rahil");
queue3.offer("Ali");
queue3.offer("Abbas");
queue3.offer("Jawad");

while(!queue3.isEmpty())
{
    System.out.println(queue3.poll());
}

System.out.println("String descending order:");
Queue<String> queue4 = new PriorityQueue<String>(Collections.reverseOrder());

queue4.offer("Huzaifa");
queue4.offer("Haider");
queue4.offer("Hassan");
queue4.offer("Rahil");
queue4.offer("Ali");
queue4.offer("Abbas");
queue4.offer("Jawad");

while(!queue4.isEmpty())
{
```

```

        System.out.println(queue4.poll());
    }

}
}

```

Linked List

```

import java.util.LinkedList;

public class App {
    public static void main(String[] args) throws Exception {

        // ArrayLists:
        // contiguous memory location
        // Takes time in insert and delete into ArrayList(shifting happens here)

        //LinkedList:
        //at non contiguous memory locations.
        //No shifting of elements required in insert/delete

        //doubly linked list:
        //can traverse backward and forward but takes even more memory.

        // *****
        // LinkedList = Nodes are in 2 parts (data + address)
        //           Nodes are in non-consecutive memory locations
        //           Elements are linked using pointers

        // advantages?
        // 1. Dynamic Data Structure (allocates needed memory while running)
        // 2. Insertion and Deletion of Nodes is easy. O(1)
        // 3. No/Low memory waste

        // disadvantages?
        // 1. Greater memory usage (additional pointer)
        // 2. No random access of elements (no index [i])
        // 3. Accessing/searching elements is more time consuming. O(n)

        // uses?
        // 1. implement Stacks/Queues
        // 2. GPS navigation
        // 3. music playlist
    }
}

```

```
// ****  
  
LinkedList<String> linkedlist = new LinkedList<String>(); //it's a doubly linked list.  
//can behave like a stack or queue.  
  
//stack  
linkedlist.push("A");  
linkedlist.push("B");  
linkedlist.push("C");  
linkedlist.push("D");  
linkedlist.push("E");  
  
System.out.println(linkedlist); // [E,D,C,B,A]  
  
System.out.println(linkedlist.pop()); // E  
// System.out.println(linkedlist.poll()); // same as above  
  
System.out.println(linkedlist); // [D,C,B,A]  
  
linkedlist.pop();  
linkedlist.pop();  
linkedlist.pop();  
linkedlist.pop();  
  
//queue  
linkedlist.offer("A");  
linkedlist.offer("B");  
linkedlist.offer("C");  
linkedlist.offer("D");  
linkedlist.offer("E");  
  
System.out.println(linkedlist); // [A,B,C,D,E]  
  
System.out.println(linkedlist.poll()); // A  
  
System.out.println(linkedlist); // [B,C,D,E]  
  
linkedlist.add(3,"d");  
  
System.out.println(linkedlist); // [B,C,D,d,E]  
  
linkedlist.remove("D");  
  
System.out.println(linkedlist); // [B,C,d,E]
```

```

System.out.println("Index of d: "+linkedlist.indexOf("d")); //2

//System.out.println("First element: "+linkedlist.peek()); //same as below one.
System.out.println("First element: "+linkedlist.peekFirst()); //B
System.out.println("Last element: "+linkedlist.peekLast()); //E

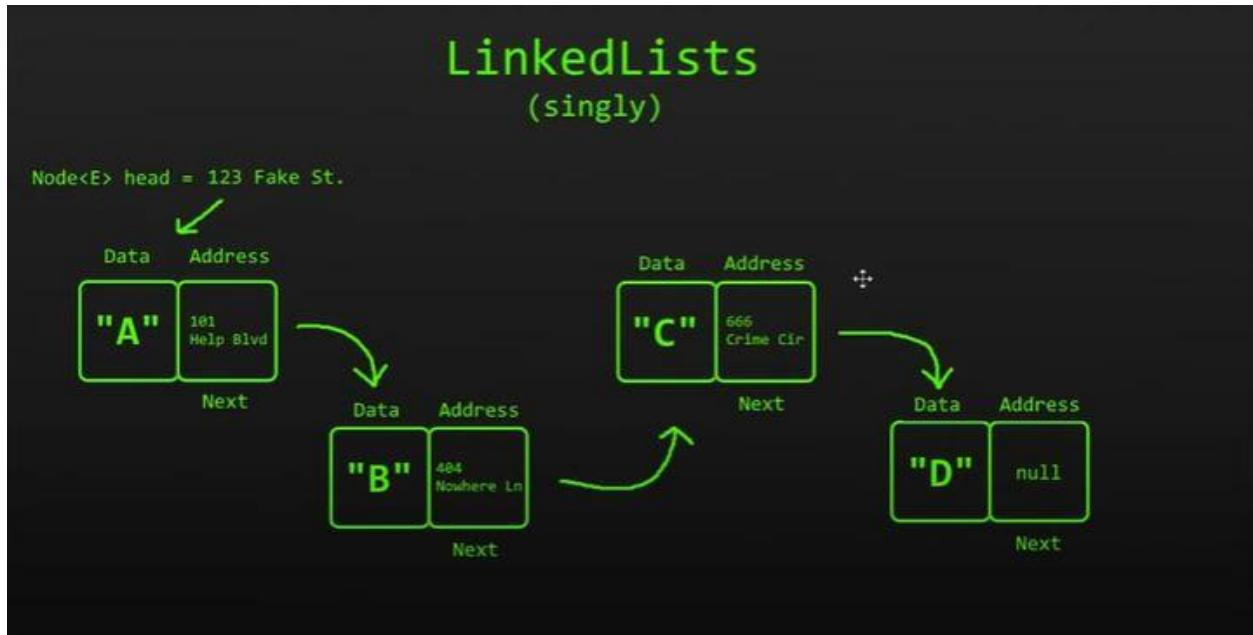
linkedlist.addFirst("0");
linkedlist.addLast("F");

System.out.println(linkedlist); // [0,B,C,d,E,F]

String first = linkedlist.removeFirst();
String last = linkedlist.removeLast();

System.out.println(linkedlist); // [B,C,d,E]
}
}

```



LinkedLists (doubly)

Node<E> head = 123 Fake St.

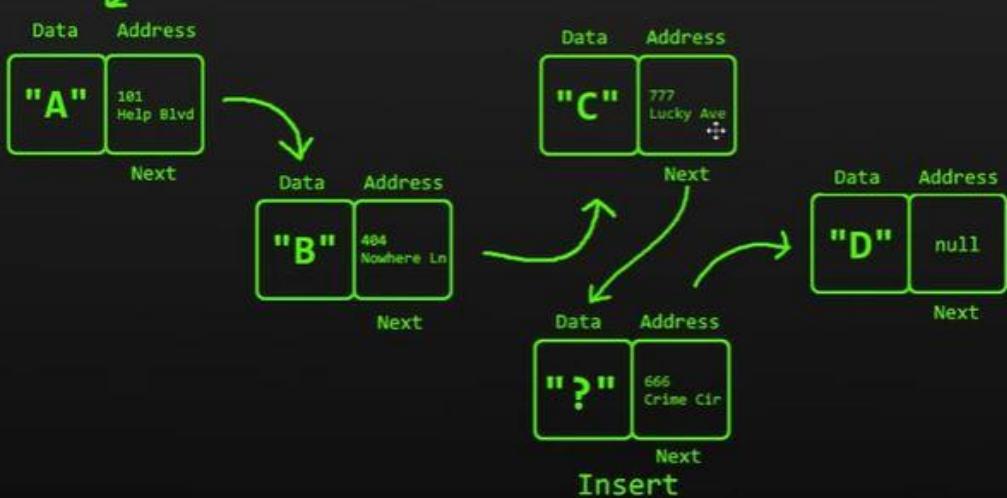
Node<E> tail = 404 Nowhere Ln



LinkedLists (singly)

Node<E> head = 123 Fake St.

Insert

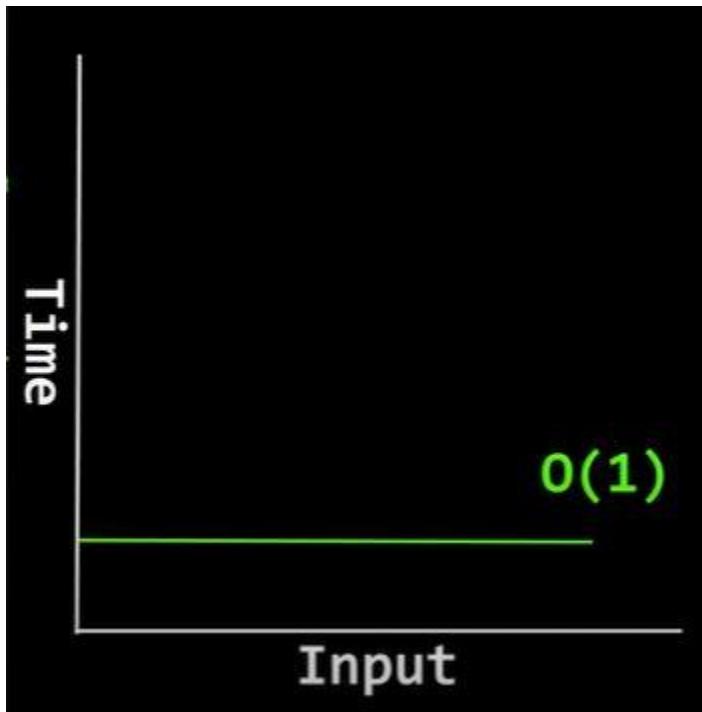


LinkedLists (singly)

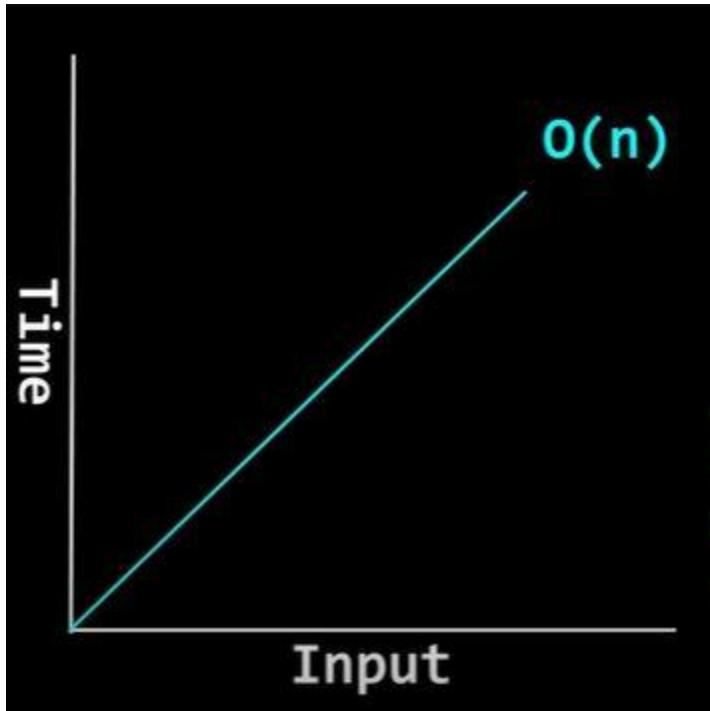
Node<E> head = 123 Fake St.



Insertion or Deletion $T(n) = O(1)$:



searching $T(n) = O(n)$:



Dynamic Array

```
import java.util.ArrayList;

public class App {
    public static void main(String[] args) throws Exception {

        // ArrayList<String> arrayList = new ArrayList<String>();      //it's also a dynamic array to
        work with.

        DynamicArray dynamicArray = new DynamicArray(); //default size is 10, Or we can
        give our size here.

        dynamicArray.add("1");
        dynamicArray.add('2');
        dynamicArray.add(3);

        dynamicArray.insert(0, "0");
        dynamicArray.insert(40, "5");
        dynamicArray.delete("1");

        System.out.println("2 is at: "+dynamicArray.search('2'));
        System.out.println(dynamicArray);
        System.out.println("Size: "+dynamicArray.getSize());
```

```
        System.out.println("Capacity: "+dynamicArray.getCapacity());
        System.out.println("Is Empty: "+dynamicArray.isEmpty());

    }

}

/***
 * DynamicArray
 */
public class DynamicArray {

    int size;      //default value size = 0
    int capacity = 10;
    Object[] array;

    public DynamicArray() {
        this.array = new Object[capacity];
    }

    public DynamicArray(int capacity) {
        this.capacity = capacity;
        this.array = new Object[capacity];
    }

    public int getSize() {
        return size;           //size of array.
    }

    public int getCapacity() {
        return capacity;       //capacity of array.
    }

    public Object get(int index) {
        return array[index];
    }

    public void add(Object data)
    {
        if(size >= capacity)
        {
            grow();
        }
        array[size] = data;
        size++;
    }
}
```

```

public void insert(int index, Object data)
{
    if(index<size)
    {
        if(size >= capacity)
        {
            grow();
        }
        for(int i = size; i > index; i--)
        {
            array[i] = array[i - 1];
        }
        array[index] = data;
        size++;
    }
    else
    {
        System.out.println(data+" can't be added at index "+index);
    }
}

public void delete(Object data)
{
    for(int i = 0; i < size; i++) {
        if(array[i] == data) {
            // for(int j = 0; j < (size - i - 1); j++){
            //   array[i + j] = array[i + j + 1];
            // }
            for(int j=i;j<size-1;j++) //same as above.
            {
                array[j] = array[j+1];
            }
            array[size - 1] = null;
            size--;
            if(size <=(int) (capacity/3)) {
                shrink();
            }
            break;
        }
    }
}

public int search(Object data) {

```

```
for(int i = 0; i < size; i++) {
    if(array[i] == data) {
        return i;
    }
}
return -1;
}

private void grow() {

    int newCapacity = (int)(capacity * 2);
    Object[] newArray = new Object[newCapacity];

    for(int i = 0; i < size; i++) {
        newArray[i] = array[i];
    }
    capacity = newCapacity;
    array = newArray;
}

private void shrink() {

    int newCapacity = (int)(capacity / 2);
    Object[] newArray = new Object[newCapacity];

    for(int i = 0; i < size; i++) {
        newArray[i] = array[i];
    }
    capacity = newCapacity;
    array = newArray;
}

public boolean isEmpty() {
    return size == 0;
}

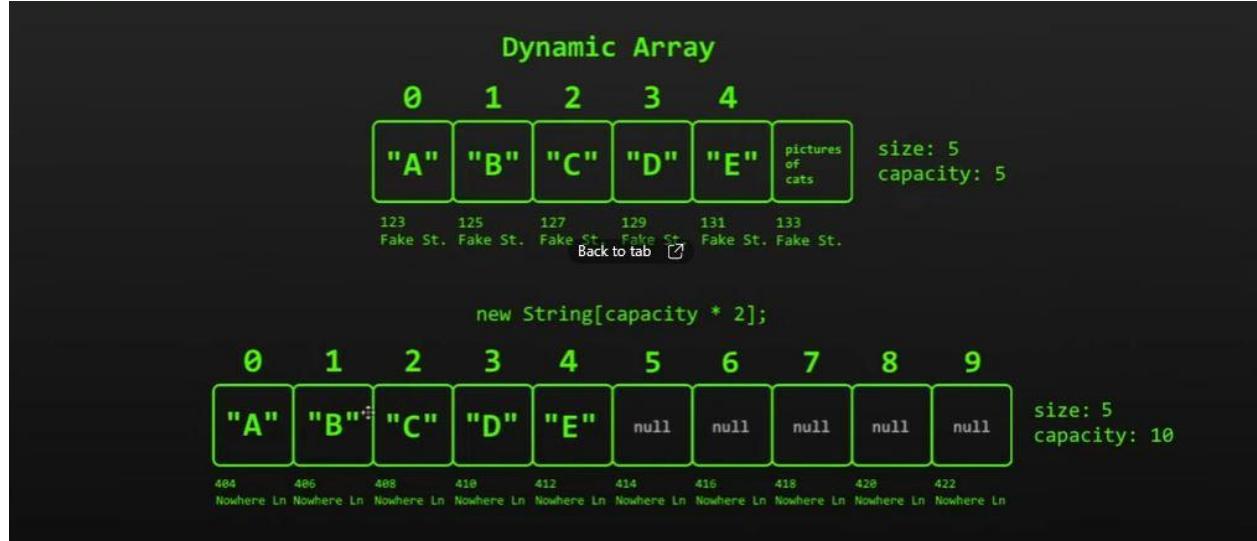
public String toString() {

    String string = "";
    for(int i = 0; i < capacity; i++) {
        string += array[i] + ", ";
    }
}
```

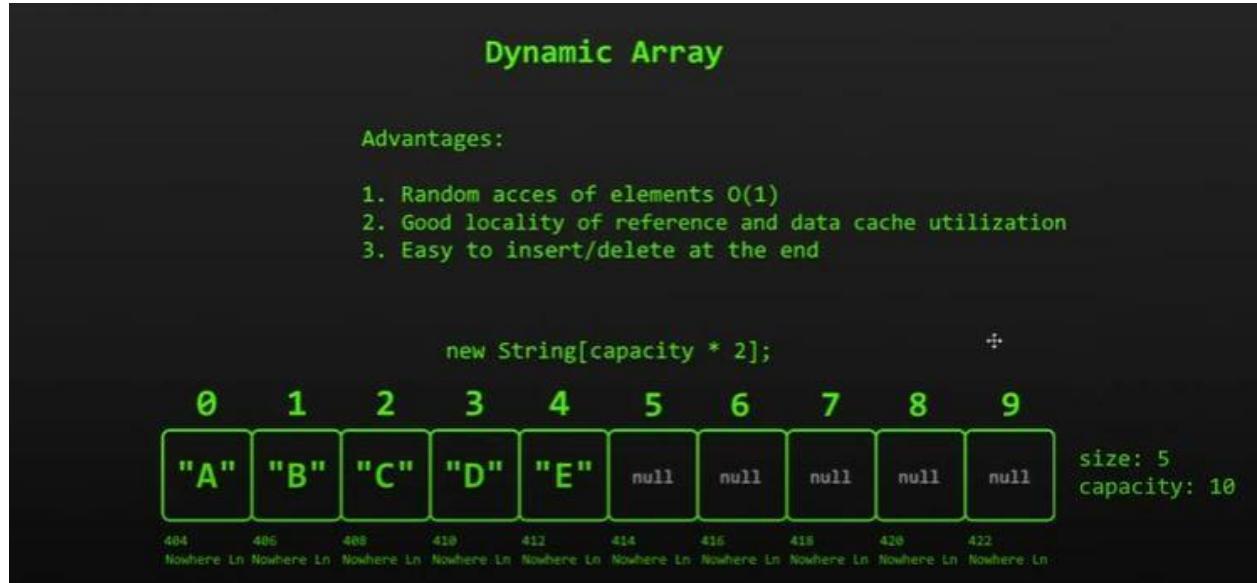
```

if(string != "") {
    string = "[" + string.substring(0, string.length() - 2) + "]";
}
else {
    string = "[]";
}
return string;
}
}

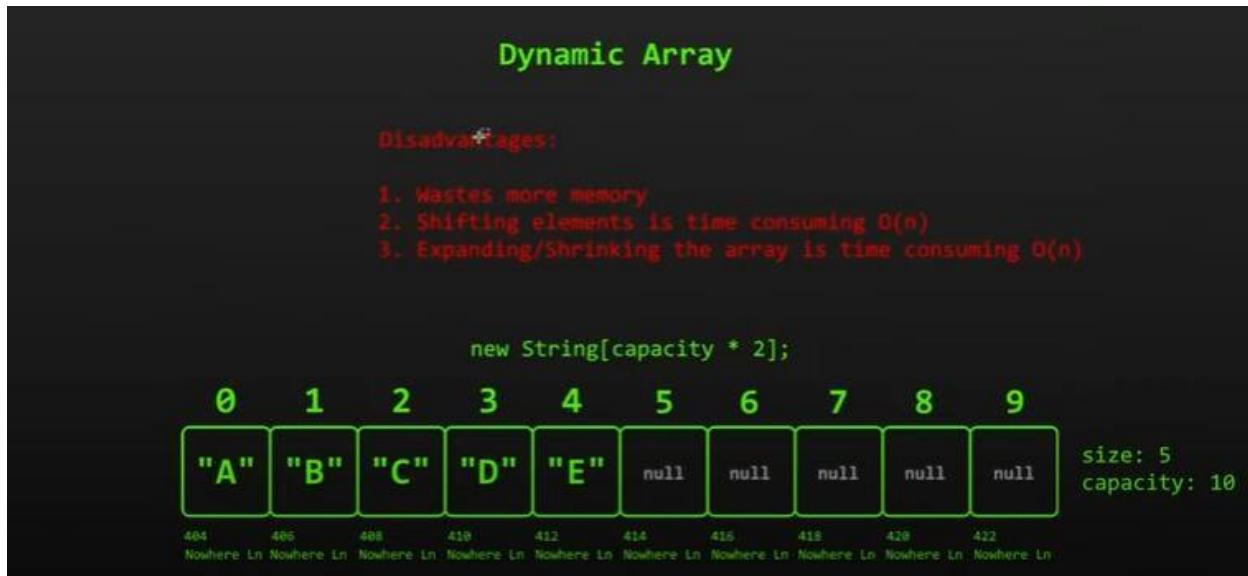
```



Advantages:



Disadvantages:



LinkedList vs ArrayList

```
import java.util.ArrayList;
import java.util.LinkedList;

public class App {
    public static void main(String[] args) throws Exception {

        LinkedList<Integer> linkedList = new LinkedList<Integer>();
        ArrayList<Integer> arrayList = new ArrayList<Integer>();

        long startTime;
        long endTime;
        long elapsedTime;

        for(int i=0; i<10000; i++){
            linkedList.add(i);
            arrayList.add(i);
        }

        //-----LinkedList-----
        startTime = System.nanoTime();
    }
}
```

```

//do something.

//-----much time
// linkedList.get(0);      //21600
// linkedList.get(5000);    //185000
// linkedList.get(9999);   //34400

// linkedList.remove(0);    //39000
// linkedList.remove(5000); //191600
linkedList.remove(9999); //34800

endTime = System.nanoTime();
elapsedTime = endTime - startTime;

System.out.println("Time taken by LinkedList: "+elapsedTime);

//-----ArrayList-----

startTime = System.nanoTime();
//do something.

//-----Less time
// arrayList.get(0);       //14100
// arrayList.get(5000);    //70400
// arrayList.get(9999);   //24400

// arrayList.remove(0);    //288200 //much time because of shifting
// arrayList.remove(5000); //73500 //less time
arrayList.remove(9999); //24000 //less time because of no shifting

endTime = System.nanoTime();
elapsedTime = endTime - startTime;

System.out.println("Time taken by ArrayList: "+elapsedTime);

}
}

```

Big O Notation

Big O notation

"How code slows as data grows."

1. Describes the performance of an algorithm as the amount of data increases
2. Machine independent (# of steps to completion)
3. Ignore smaller operations $O(n + 1) \rightarrow O(n)$

example: $n = \text{amount of data}$
 $O(1)$ (it's a variable like x)
 $O(n)$
 $O(\log n)$
 $O(n^2)$



Big O notation

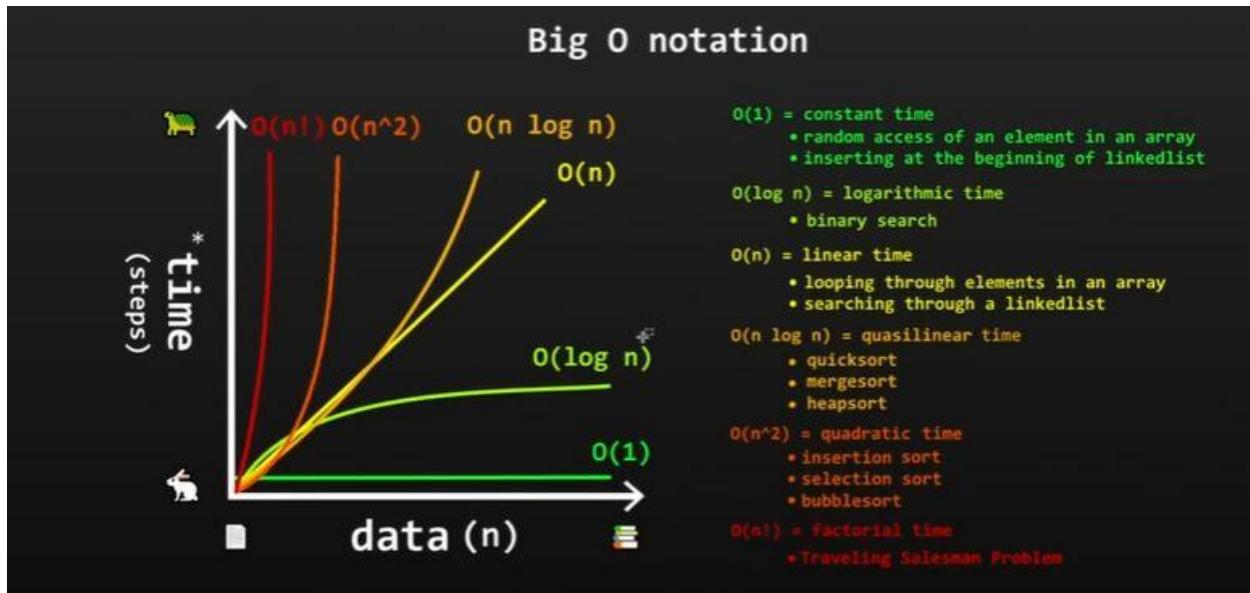
"How code slows as data grows."

$O(n)$ linear time

```
int addUp(int n){  
    int sum = 0;  
    for(int i = 0; i <= n; i++) {  
        sum += i;  
    }  
    return sum;  
}  
  
n = 1000000  
~1000000 steps
```

$O(1)$ constant time

```
int addUp(int n){  
    int sum = n * (n + 1) / 2;  
    return sum;  
}  
  
n = 1000000  
3 steps
```



Linear Search

```

import java.util.Scanner;

public class App {
    public static void main(String[] args) throws Exception {

        //Linear Search = //Iterate through a collection one element at a time.

        //runtime complexity : O(n)

        //Disadvantages:
        //slow for large data set.
        //elements are not necessary to be sorted.

        //Advantages:
        //Fast for searches of small to medium dataset.
        //Does not need to be sorted.
        //Useful for data structures that do not have random access.

        int[] array = new int[10];

        for(int i=0;i<array.length;i++){
            array[i]=i+1;
        }

        System.out.print("Enter a number to search in array: ");
    }
}

```

```
Scanner scanner = new Scanner(System.in);

int val = scanner.nextInt();

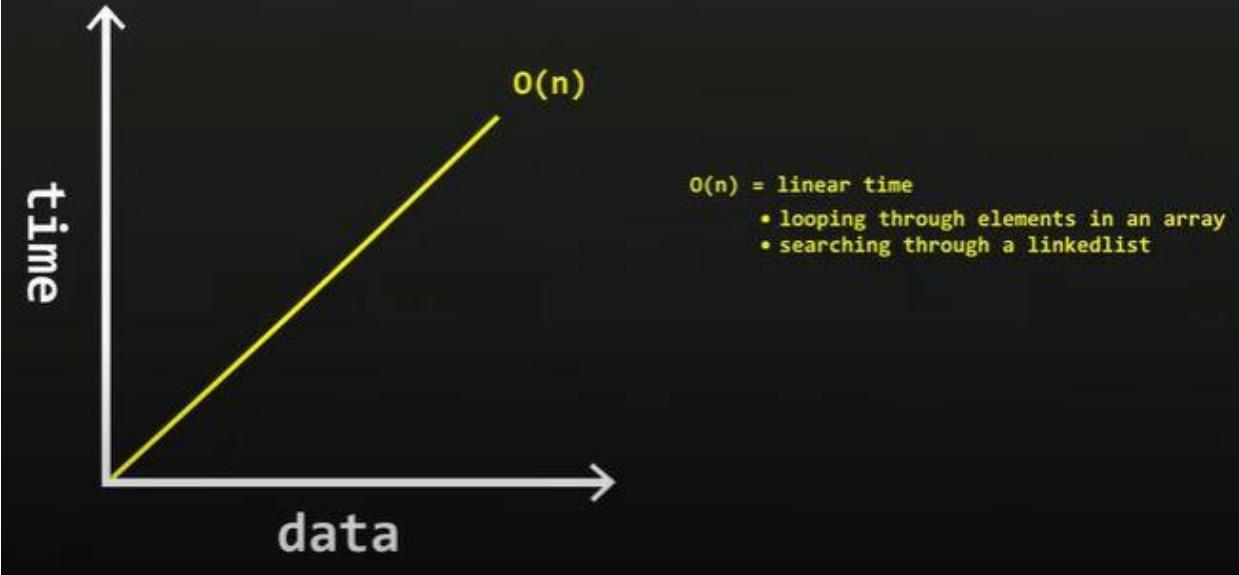
int index = LinearSearch(array,val);

if(index!=-1)
{
    System.out.println("Element found at : "+index);
}
else
{
    System.out.println("Element was nowhere in the picture.");
}

scanner.close();
}

public static int LinearSearch(int[] arr, int val)
{
    for(int i=0;i<arr.length;i++)
    {
        if(arr[i]==val)
        {
            return i;
        }
    }
    return -1;
}
```

Big O notation



Binary Search

```
import java.util.Arrays;

public class App {
    public static void main(String[] args) throws Exception {
        // binary search = Search algorithm that finds the position
        //                 of a target value within a sorted array.
        //                 Half of the array is eliminated during each "step"
        //                 larger the dataset binary search becomes more efficient.
        int array[] = new int[100];

        int target = 42;

        for(int i=0;i<array.length;i++)
        {
            array[i] = i;
        }

        // int index = Arrays.binarySearch(array, target); //built in (cheap way to do it.)
        //Let's create our own function now.
        int index = binarySearch(array, target);
    }
}
```

```
if(index == -1)
{
    System.out.println(target +" not found.");
}
else
{
    System.out.println(target +" found at index: "+index);
}
}

public static int binarySearch(int[] array, int target)
{
    int low = 0;
    int high = array.length-1;

    while(low<=high)
    {
        int middle = low+(high-low)/2;
        int value = array[middle];

        System.out.println("Middle value is: "+value);

        if(value<target) low =middle + 1;
        else if (value>target) high = middle - 1;
        else return middle;
    }

    return -1;
}
}
```

Binary Search

*Search algorithm that finds the position of a target value within a sorted array.
Half of the array is eliminated during each "step"*

```
value = "H";  
index = ?;
```

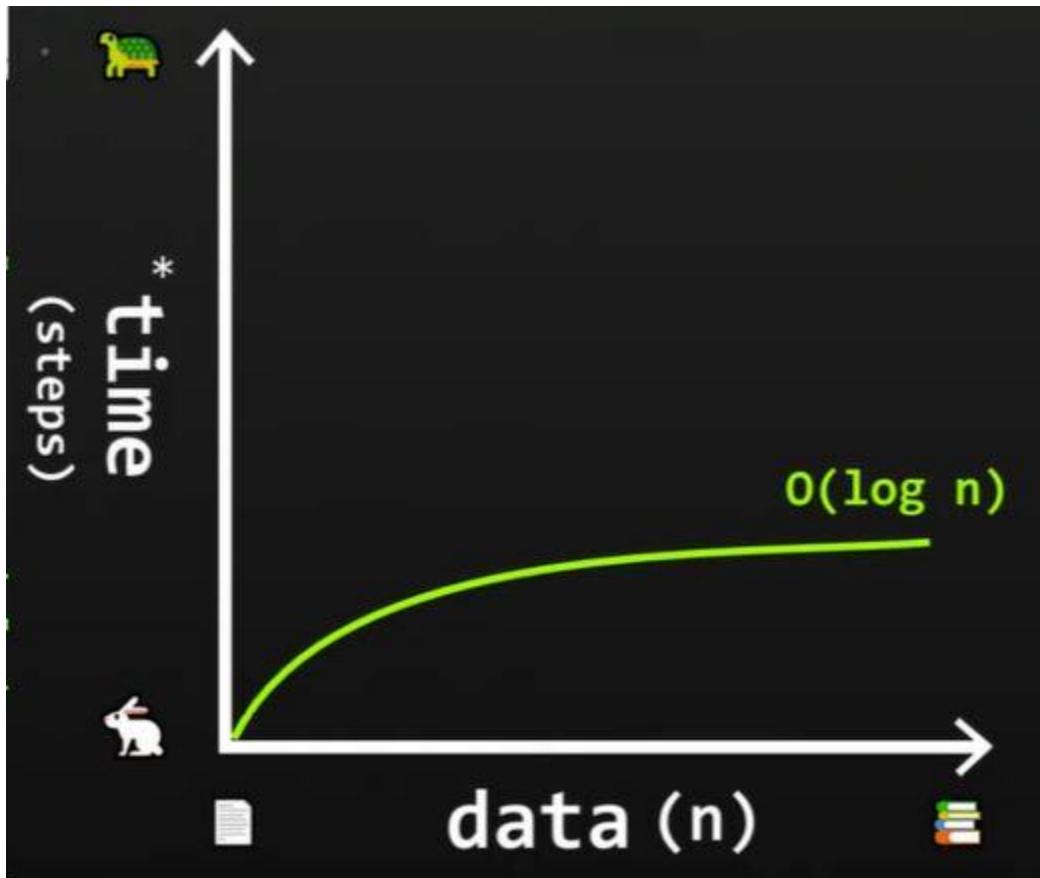
0	1	2	3	4	5	6	7	8	9	10
"A"	"B"	"C"	"D"	"E"	"F"	"G"	"H"	"I"	"J"	"K"

Binary Search

*Search algorithm that finds the position of a target value within a sorted array.
Half of the array is eliminated during each "step"*

```
value = "H";  
index = ?;
```





Interpolation Search

```
public class App {
    public static void main(String args[]){
        //interpolation search = improvement over binary search best used for "uniformly"
        distributed data
        //
        //           "guesses" where a value might be based on calculated probe results
        //           if probe is incorrect, search area is narrowed, and a new probe is
        calculated

        //
        //           average case: O(log(log(n)))
        //           worst case: O(n) [values increase exponentially]

        int[] array = {1, 2, 3, 4, 5, 6, 7, 8, 9};

        int index = interpolationSearch(array, 8);

        if(index != -1) {
            System.out.println("Element found at index: "+ index);
        }
    }
}
```

```

    }
    else {
        System.out.println("Element not found");
    }
}

private static int interpolationSearch(int[] array, int target) {

    int low = 0;
    int high = array.length - 1;

    while(target >= array[low] && target <= array[high] && low <= high)
    {
        int probe = low + (high - low) * (target - array[low]) / (array[high] - array[low]);

        int value = array[probe];

        System.out.println("value at probe: " + value + " with probe: "+probe);

        if(value < target) low = probe + 1;
        else if(value > target) high = probe - 1;
        else return probe;
    }

    return -1;
}
}

```

Bubble sort

```

// bubble sort = pairs of adjacent elements are compared, and the elements
//           swapped if they are not in order.

//   Quadratic time O(n^2)
//   small data set = okay-ish
//   large data set = BAD (plz don't)

int []arr = {3,8,4,7,9,5,1,6,2};

bubbleSort(arr);

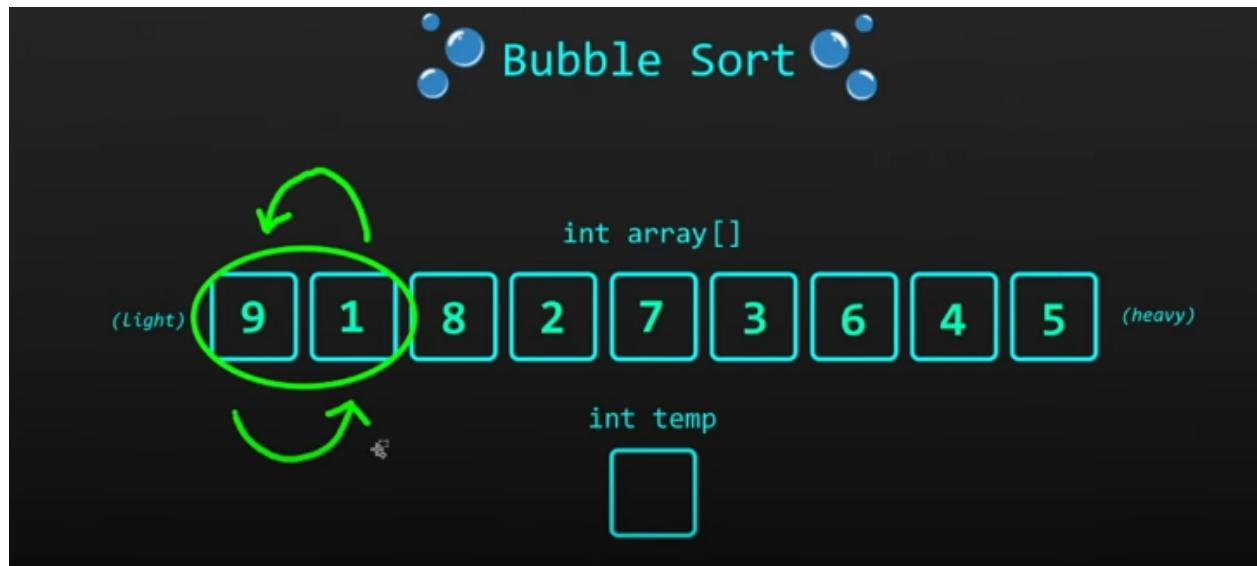
System.out.println("Ascending Order: "); //new line

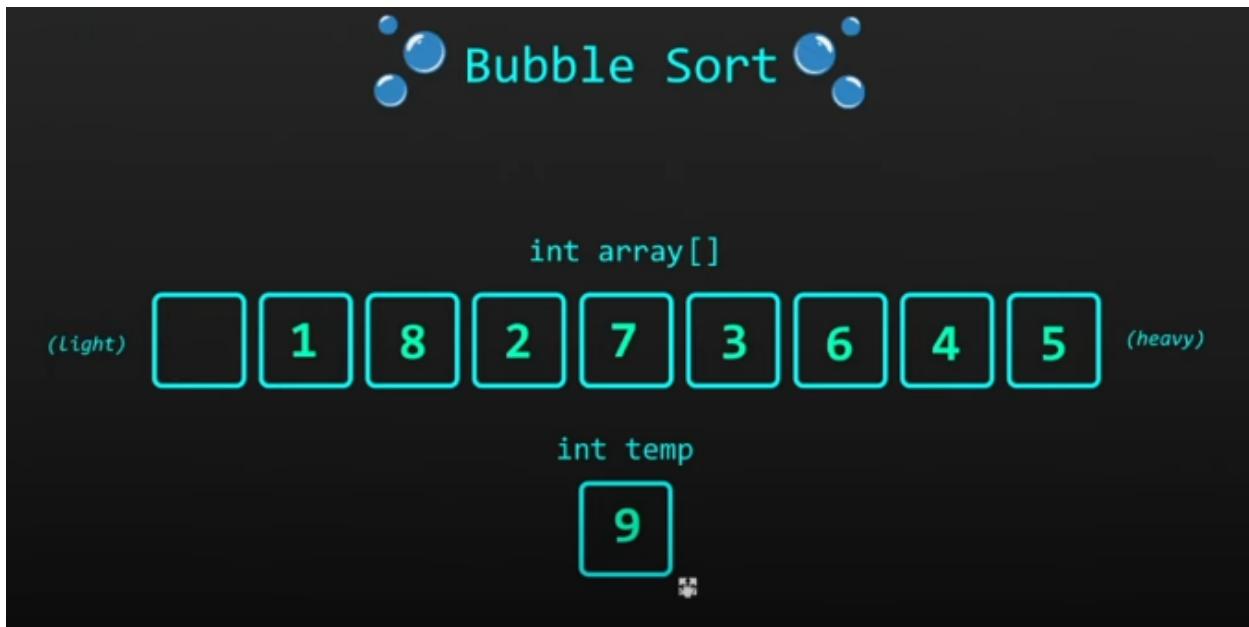
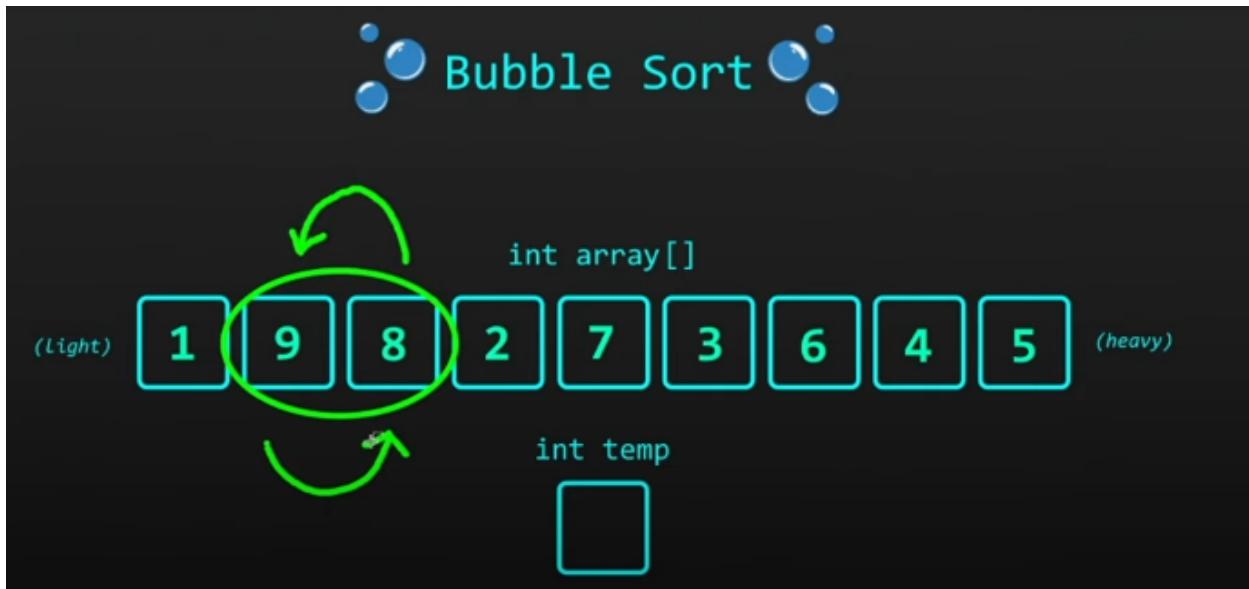
```

```

for(int i : arr)
{
    System.out.print(i);
}
public static void bubbleSort(int[] arr)
{
    for(int i=0;i<arr.length-1; i++)
    {
        for(int j=0;j<arr.length-i-1;j++)
        {
            if(arr[j]>arr[j+1])
            {
                int temp = arr[j];
                arr[j] = arr[j+1];
                arr[j+1] = temp;
            }
        }
    }
}

```





Bubble Sort

int array[]

(Light)

1

9

8

2

7

3

6

4

5

(heavy)

int temp



Bubble Sort

int array[]

(Light)

1

8

2

7

3

6

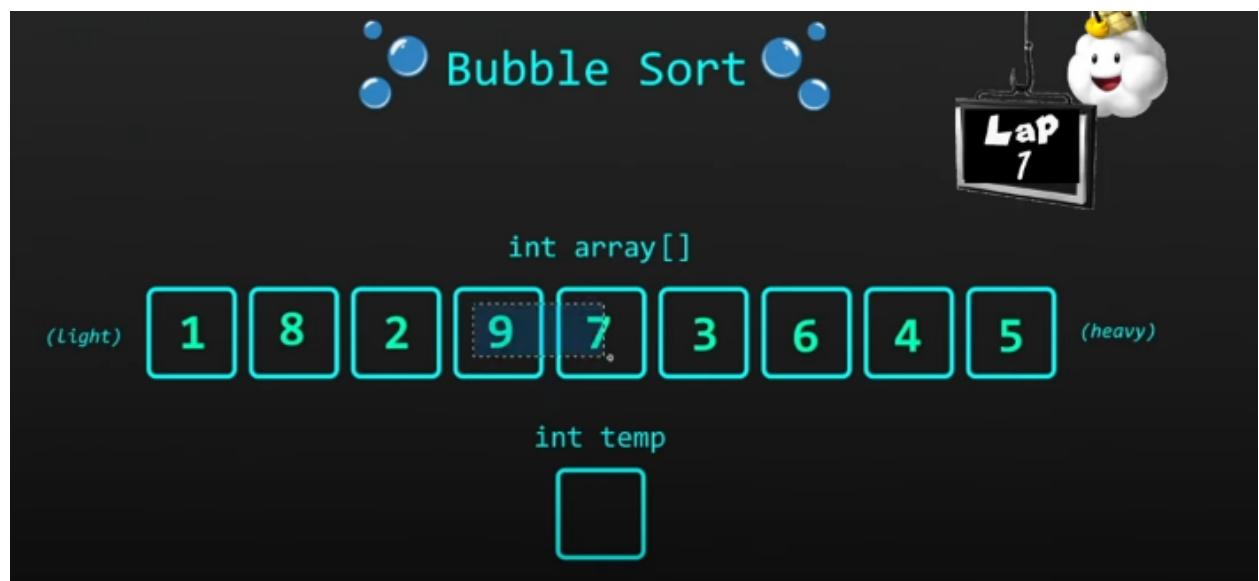
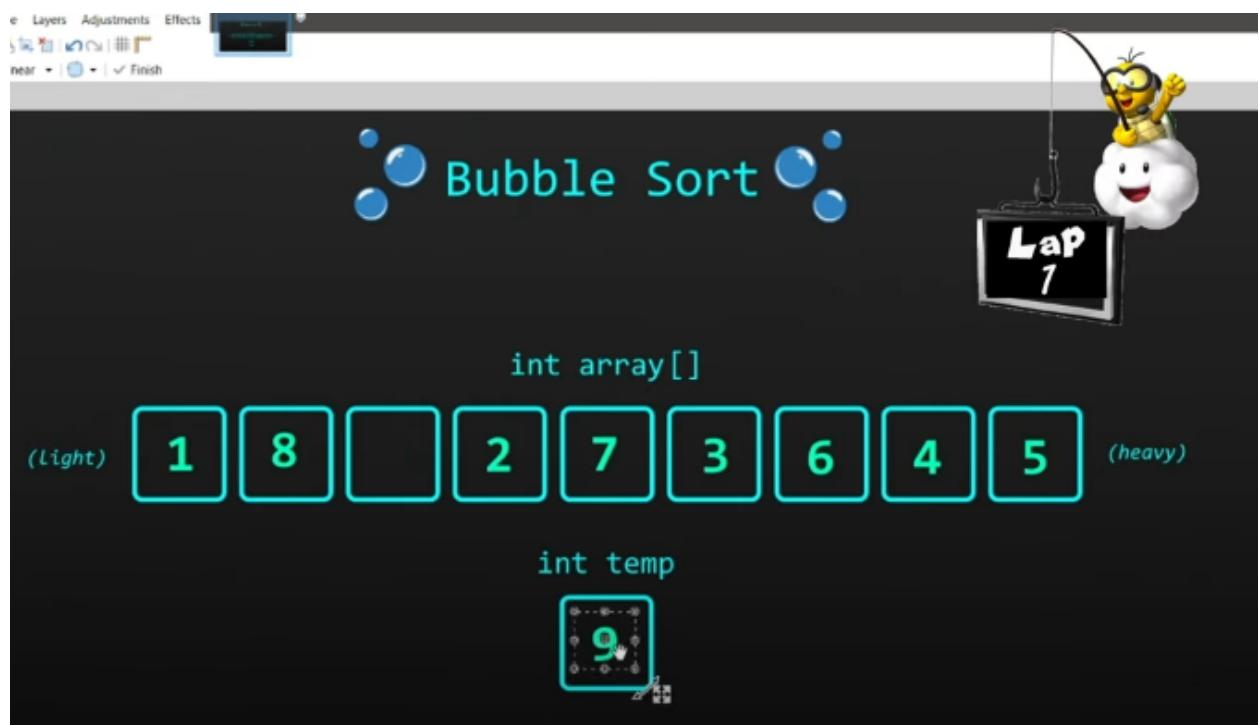
4

5

(heavy)

int temp

9



Bubble Sort

Lap
2

int array[]

(light)

1

8

2

7

3

6

4

5

9



(heavy)

int temp

Bubble Sort

Lap
2

int array[]

(light)

1

2

7

3

6

4

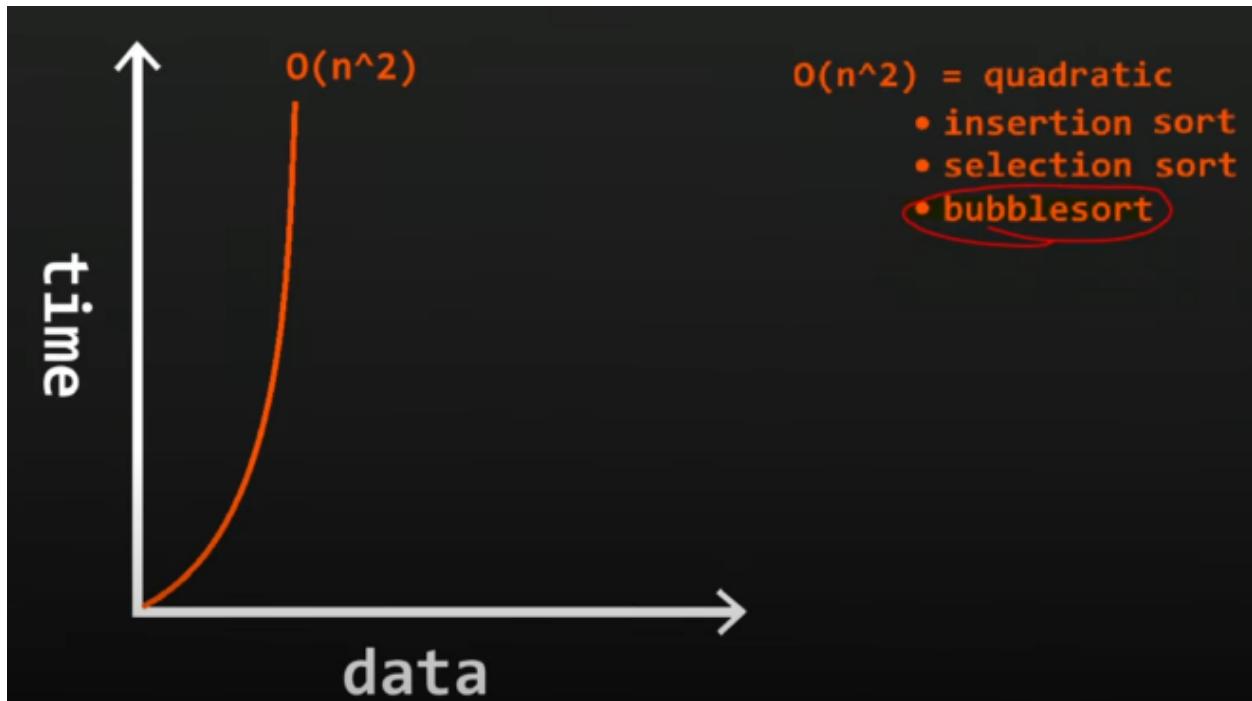
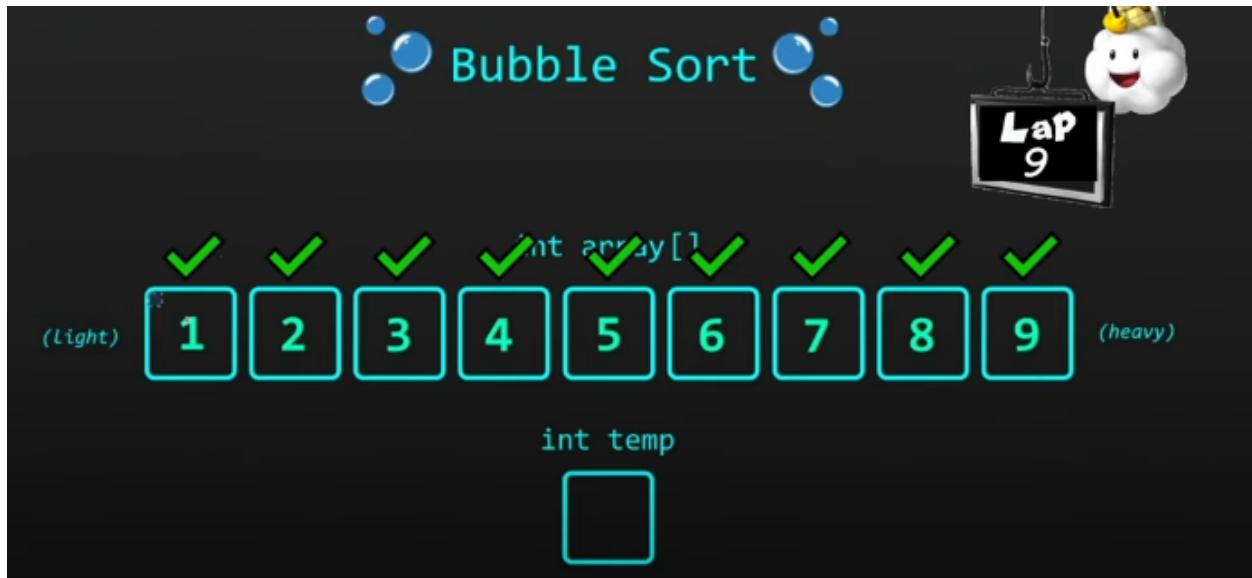
5

9



(heavy)

int temp



Selection Sort

```
// selection sort = search through an array and keep track of the minimum value during
// each iteration. At the end of each iteration, we swap values.
```

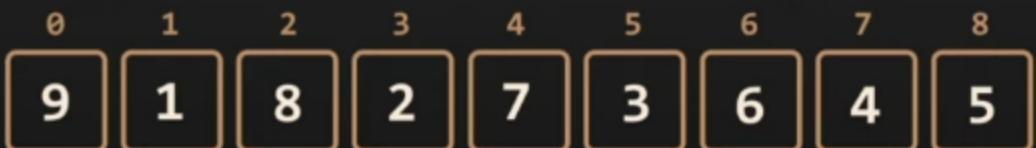
```
// Quadratic time  $O(n^2)$ 
// small data set = okay
// large data set = BAD
```

```
public static void main(String[] args) {  
  
    int array[] = {8, 7, 9, 2, 3, 1, 5, 4, 6};  
  
    System.out.println("Ascending order: ");  
  
    selectionSort(array);  
  
    for(int i : array) {  
        System.out.print(i);  
    }  
}  
  
private static void selectionSort(int[] array) {  
  
    for(int i = 0; i < array.length - 1; i++) {  
        int min = i;  
        for(int j = i + 1; j < array.length; j++) {  
            if(array[min] > array[j]) {  
                min = j;  
            }  
        }  
  
        int temp = array[i];  
        array[i] = array[min];  
        array[min] = temp;  
    }  
}
```

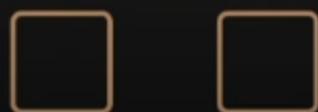
🔊 Selection Sort 🔊

•

int array[]



int min int temp



🔊 Selection Sort 🔊

int array[]

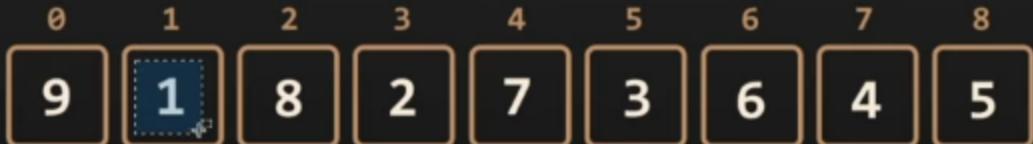


int min int temp



► Selection Sort ◀

int array[]

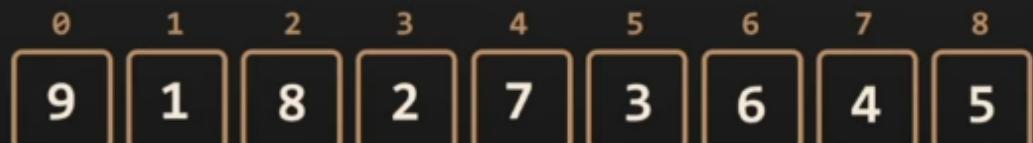


int min int temp



► Selection Sort ◀

int array[]



int min int temp



► ⚡ Selection Sort ⚡ ►

int array[]

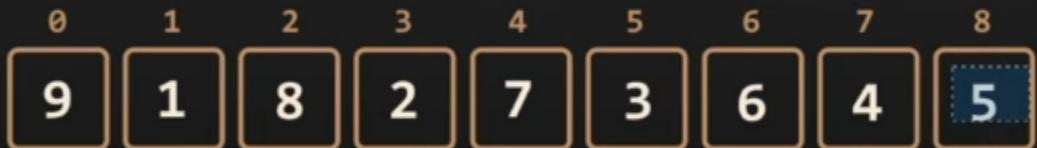


int min int temp



► ⚡ Selection Sort ⚡ ►

int array[]



int min int temp



►≤ Selection Sort ≤►

int array[]

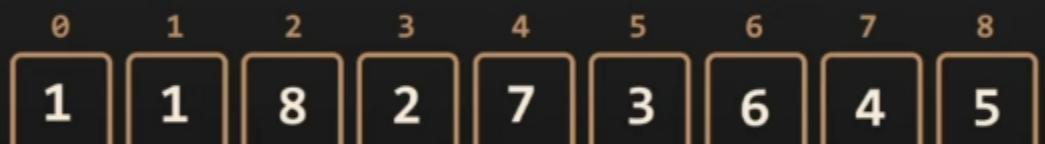


int min int temp



►≤ Selection Sort ≤►

int array[]



÷ int min int temp



🔊 Selection Sort 🔊

int array[]

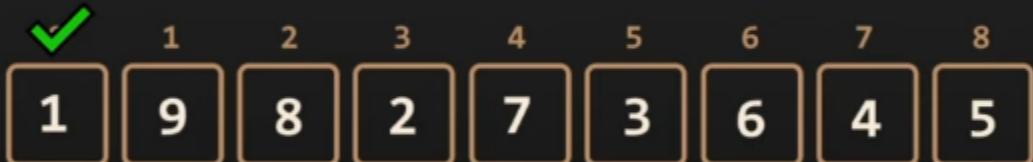


int min int temp

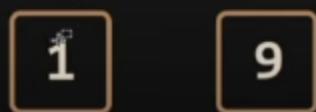


🔊 Selection Sort 🔊

int array[]



int min int temp



►≤ Selection Sort ≤►

int array[]

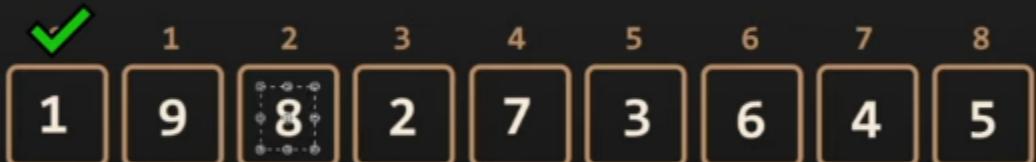


int min int temp



►≤ Selection Sort ≤►

int array[]



int min int temp



►≤ Selection Sort ≤►

int array[]

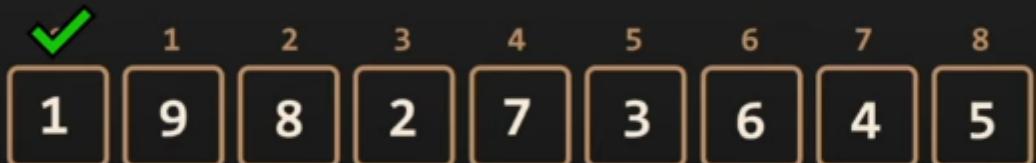


int min int temp



►≤ Selection Sort ≤►

int array[]



int min int temp



►≤ Selection Sort ≤►

int array[]

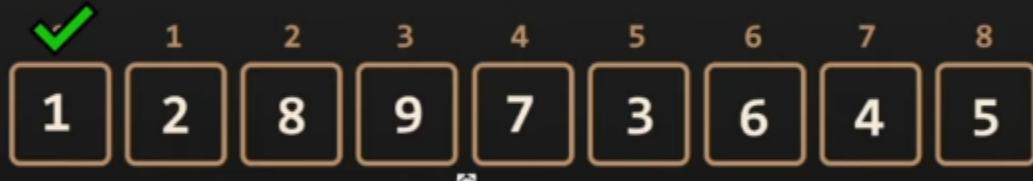


int min int temp



►≤ Selection Sort ≤►

int array[]



int min int temp



► Selection Sort ◄

int array[]



int min int temp

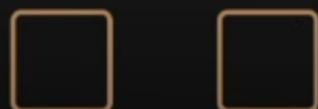


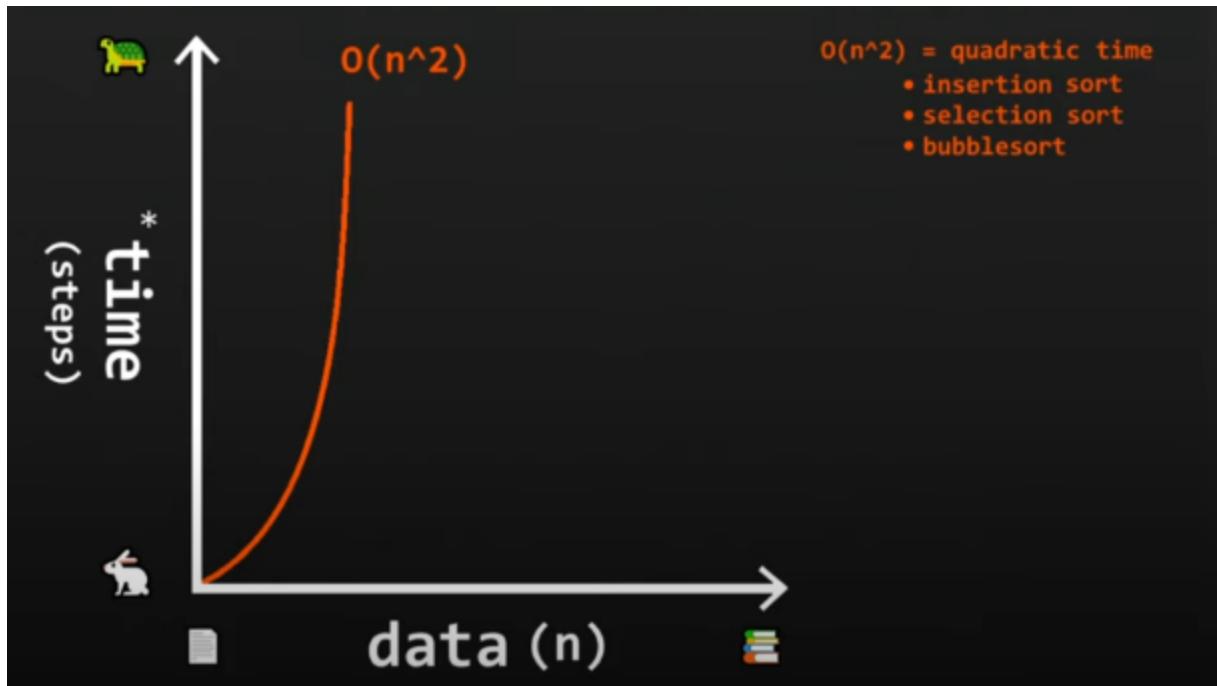
► Selection Sort ◄

int array[]



int min int temp





Insertion Sort

```
// Insertion sort = after comparing elements to the left,
//                 shift elements to the right to make room to insert a value

//      Quadratic time O(n^2)
//      small data set = decent
//      large data set = BAD

//      Less steps than Bubble sort
//      Best case is O(n) compared to Selection sort O(n^2)

public static void main(String[] args) {

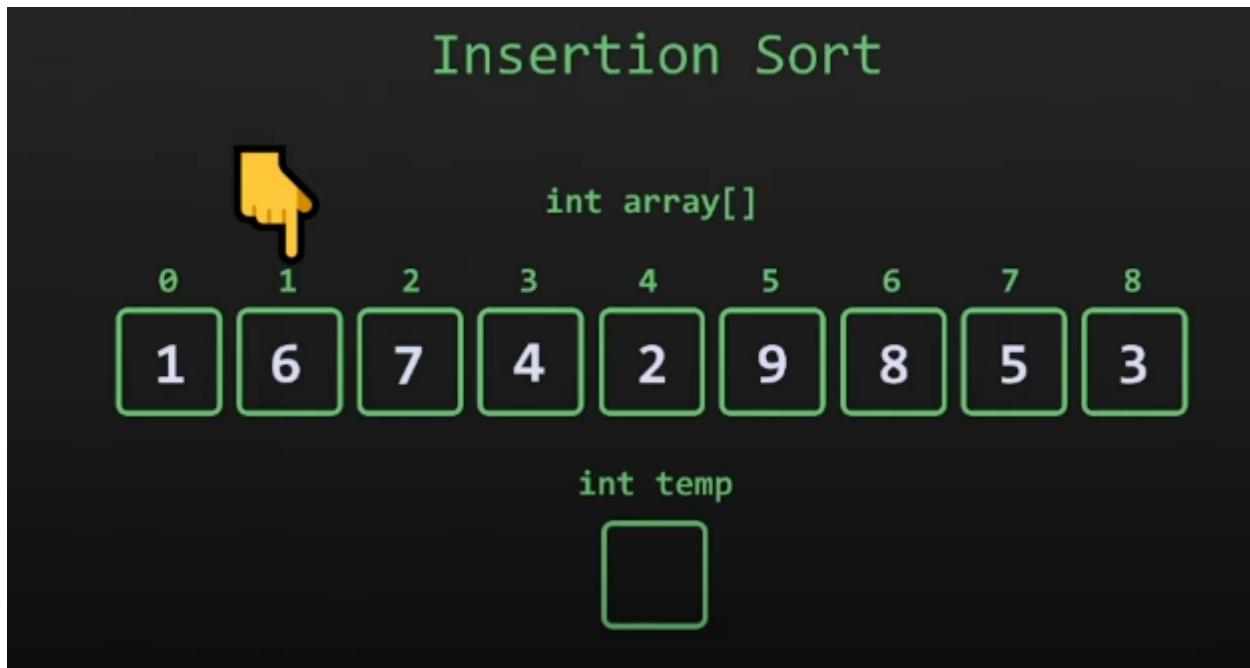
    int array[] = {9, 1, 8, 2, 7, 3, 6, 5, 4};

    System.out.println("Ascending order: ");

    insertionSort(array);

    for(int i : array) {
        System.out.print(i);
    }
}
```

```
private static void insertionSort(int[] array) {  
  
    for(int i = 1; i < array.length; i++) {  
        int temp = array[i];  
        int j = i - 1;  
  
        while(j >= 0 && array[j] > temp) {  
            array[j + 1] = array[j];  
            j--;  
        }  
        array[j + 1] = temp;  
    }  
}
```



Insertion Sort



int array[]

0	1	2	3	4	5	6	7	8
6		7	4	2	9	8	5	3

int temp

1

Insertion Sort



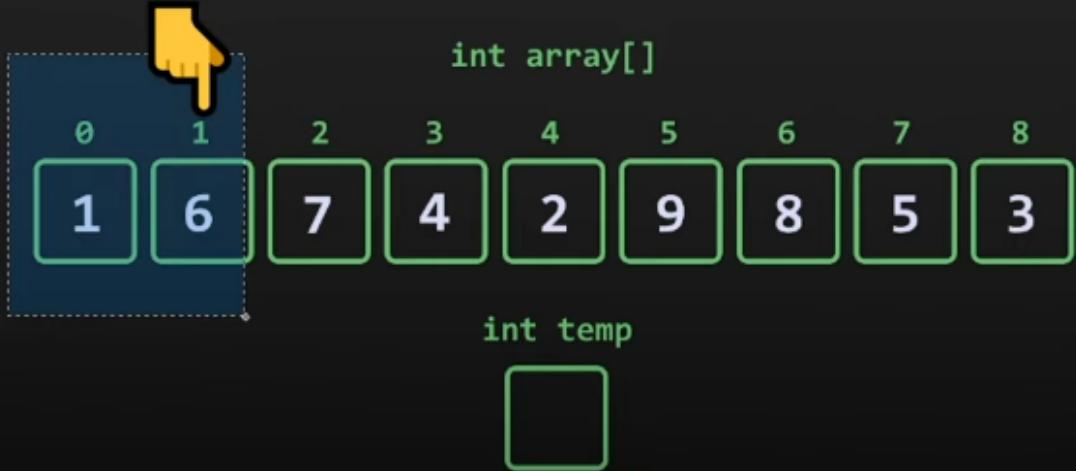
int array[]

0	1	2	3	4	5	6	7	8
	6	7	4	2	9	8	5	3

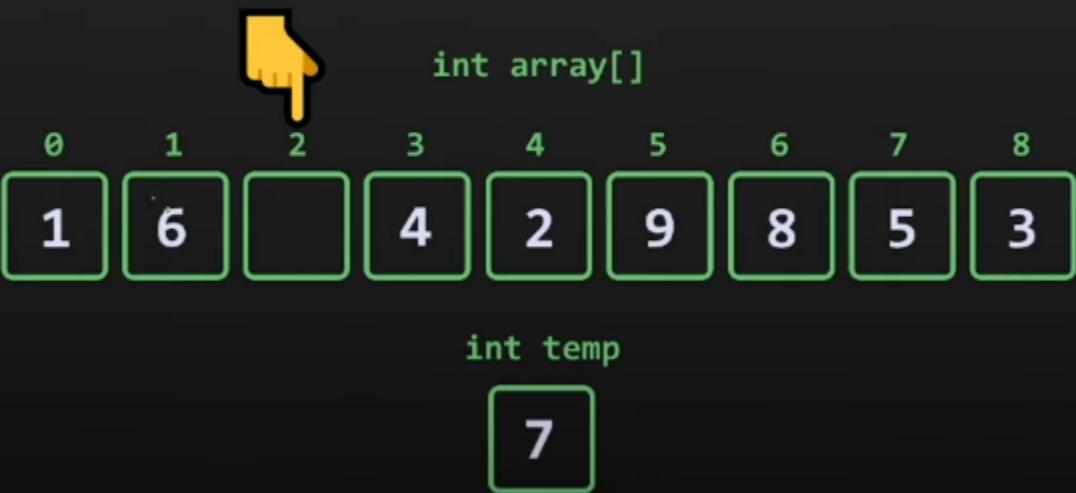
int temp

1

Insertion Sort



Insertion Sort



Insertion Sort



int array[]

0	1	2	3	4	5	6	7	8
1	6		4	2	9	8	5	3

int temp

7

Insertion Sort



int array[]

0	1	2	3	4	5	6	7	8
1	6	7	4	2	9	8	5	3

int temp

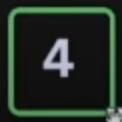
--

Insertion Sort

int array[]


0	1	2	3	4	5	6	7	8
1	6	7		2	9	8	5	3

int temp

 4

Insertion Sort

int array[]


0	1	2	3	4	5	6	7	8
1	6		7	2	9	8	5	3

int temp

 4

Insertion Sort

int array[]

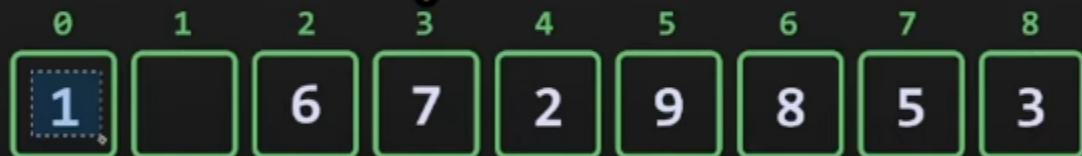


int temp

4

Insertion Sort

int array[]



int temp

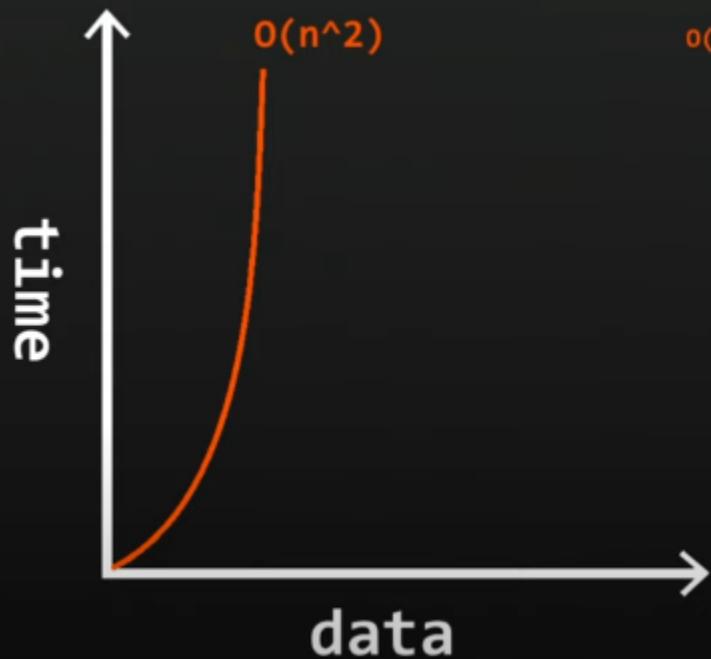
4

Insertion Sort

int array[]
↓

0	1	2	3	4	5	6	7	8
1	4	6	7	2	9	8	5	3

int temp



$O(n^2)$ = quadratic
• insertion sort
• selection sort
• bubblesort

Recursion

A screenshot of a Java IDE showing a recursive method named `walk`. The code is as follows:

```
19
20* public static void main(String[] args) {
21
22     walk(5);
23 }
24
25* private static void walk(int steps) {
26
27     if(steps < 1) return; //base case
28     System.out.println("You take a step!");
29     walk(steps - 1); //recursive case
30
31 }
32 }
33
```

The IDE's console output shows five lines of text: "You take a step!", repeated five times. To the right of the code editor, a call stack window is open, showing the following stack frames from top to bottom:

- Top →
- Call Stack
- walk(0)
- walk(1)
- walk(2)
- walk(3)
- walk(4)
- walk(5)
- main()

	iteration	recursion
implementation	uses loops	calls itself
state	control index (int steps = 0)	parameter values walk(int steps)
progression	moves toward value in condition	converge towards base case
termination	index satisfies condition	base case = true
size	more code less memory	less code more memory
speed	faster	slower

```

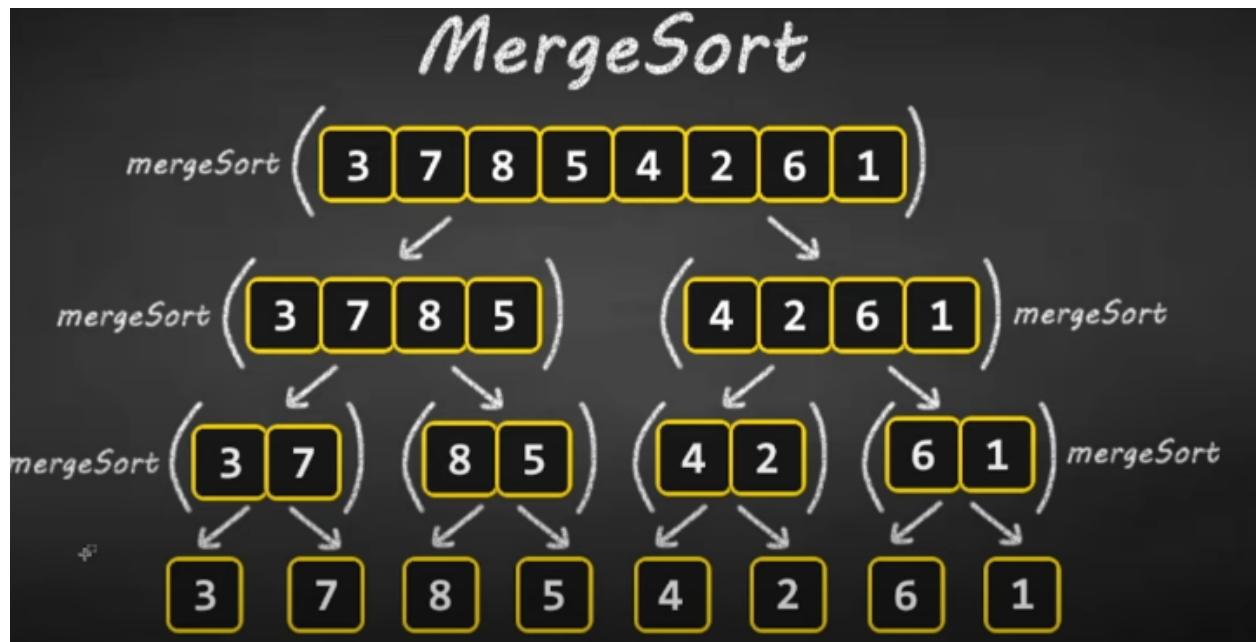
// recursion = When a thing is defined in terms of itself. - Wikipedia
//           Apply the result of a procedure, to a procedure.
//           A recursive method calls itself. Can be a substitute for iteration.
//           Divide a problem into sub-problems of the same type as the original.
//           Commonly used with advanced sorting algorithms and navigating trees

// Advantages
-----
// easier to read/write
// easier to debug

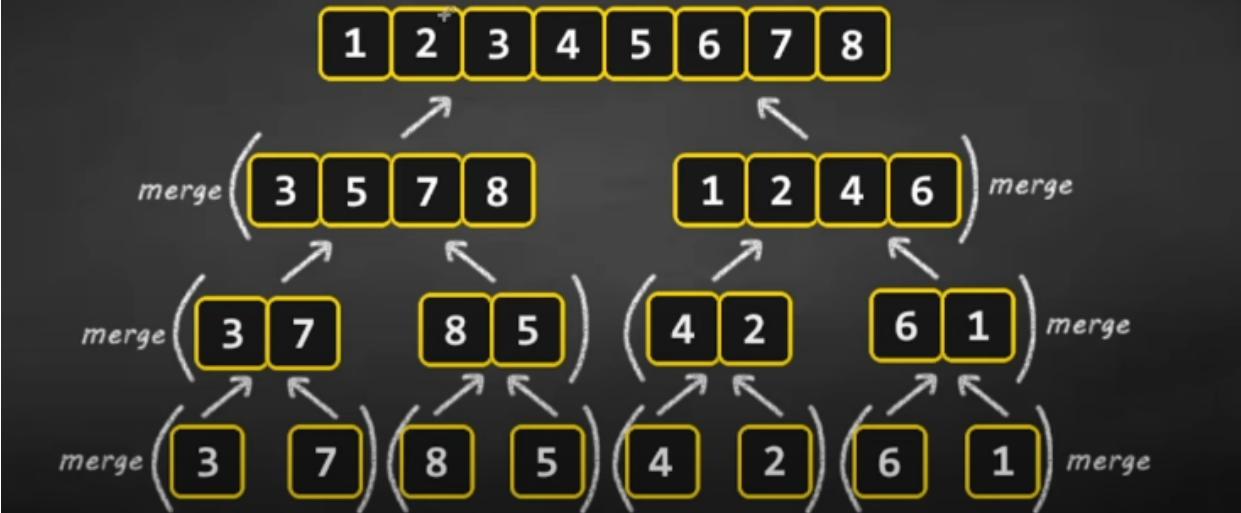
// Disadvantages
-----
// sometimes slower
// uses more memory

```

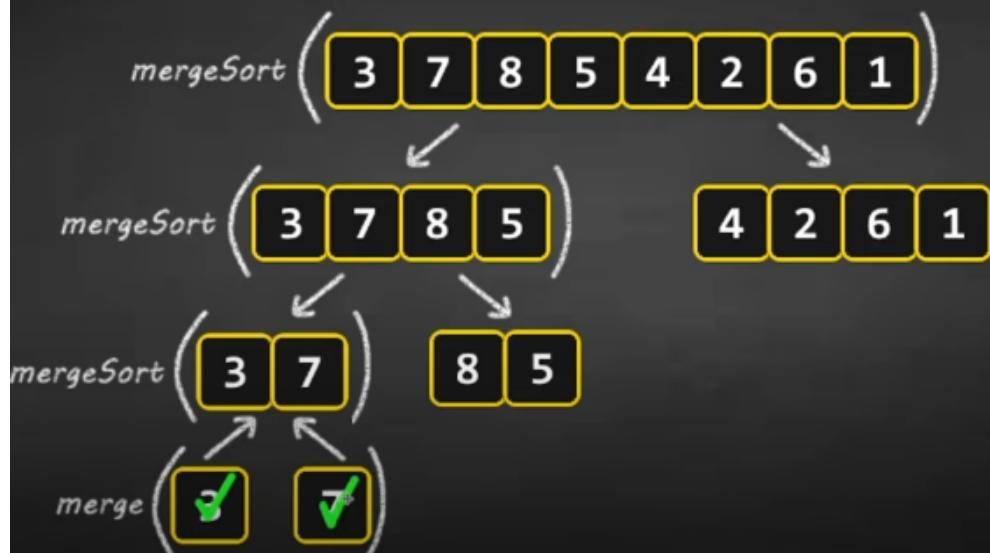
Merge Sort



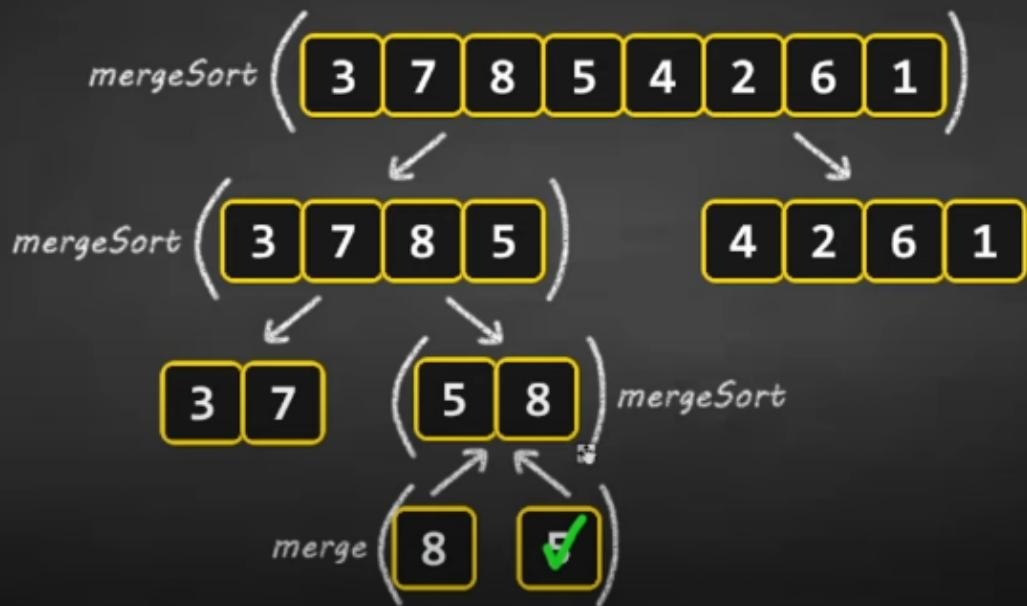
MergeSort



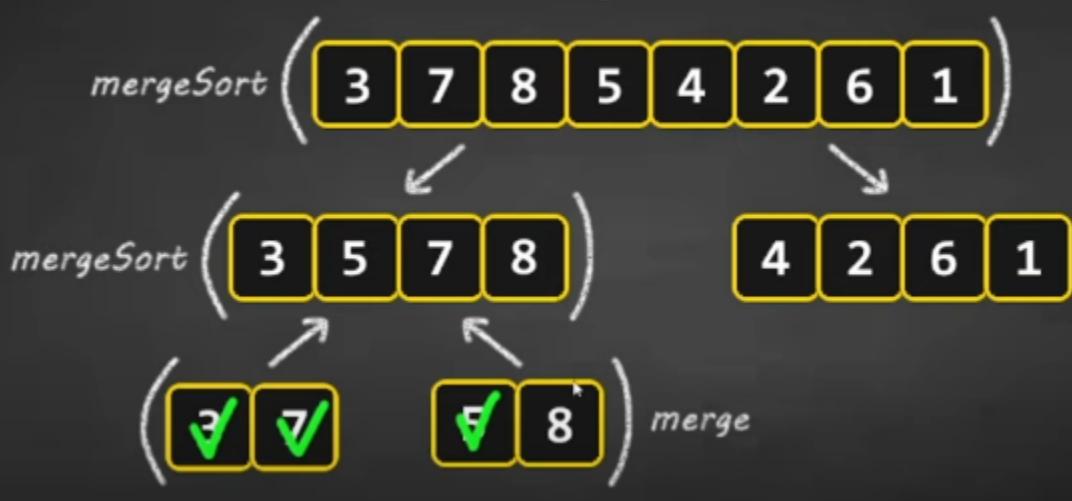
MergeSort



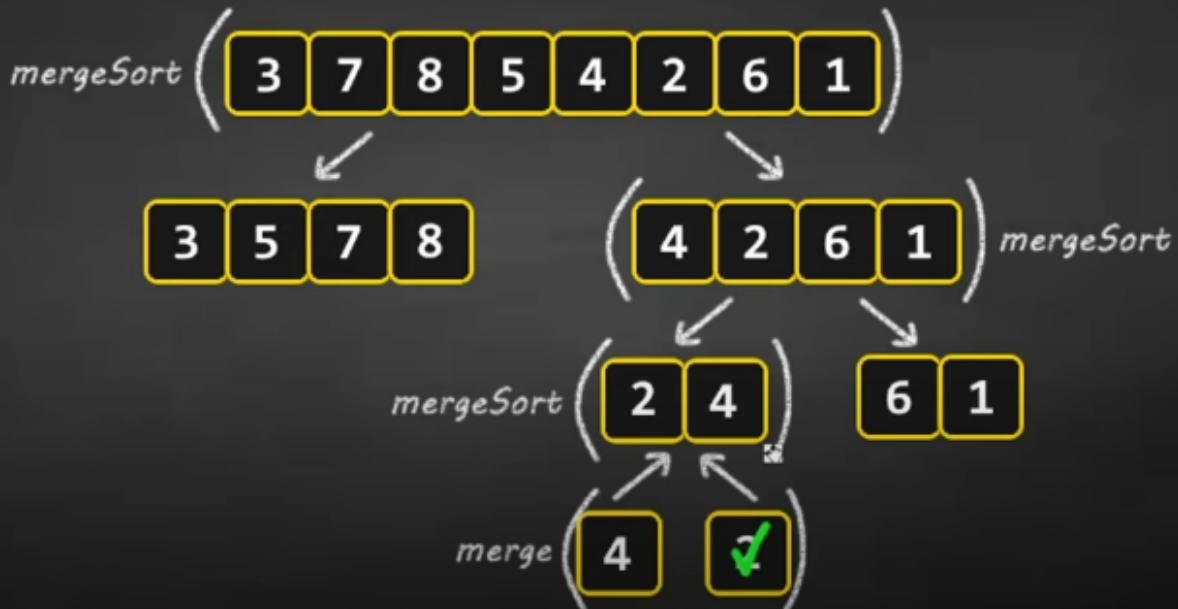
MergeSort



MergeSort



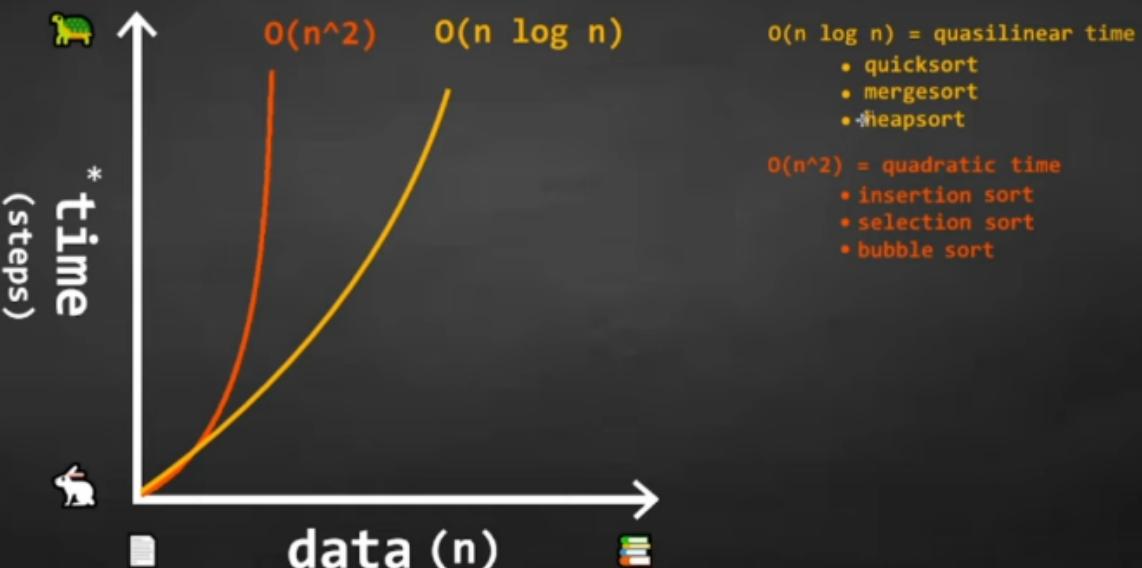
MergeSort



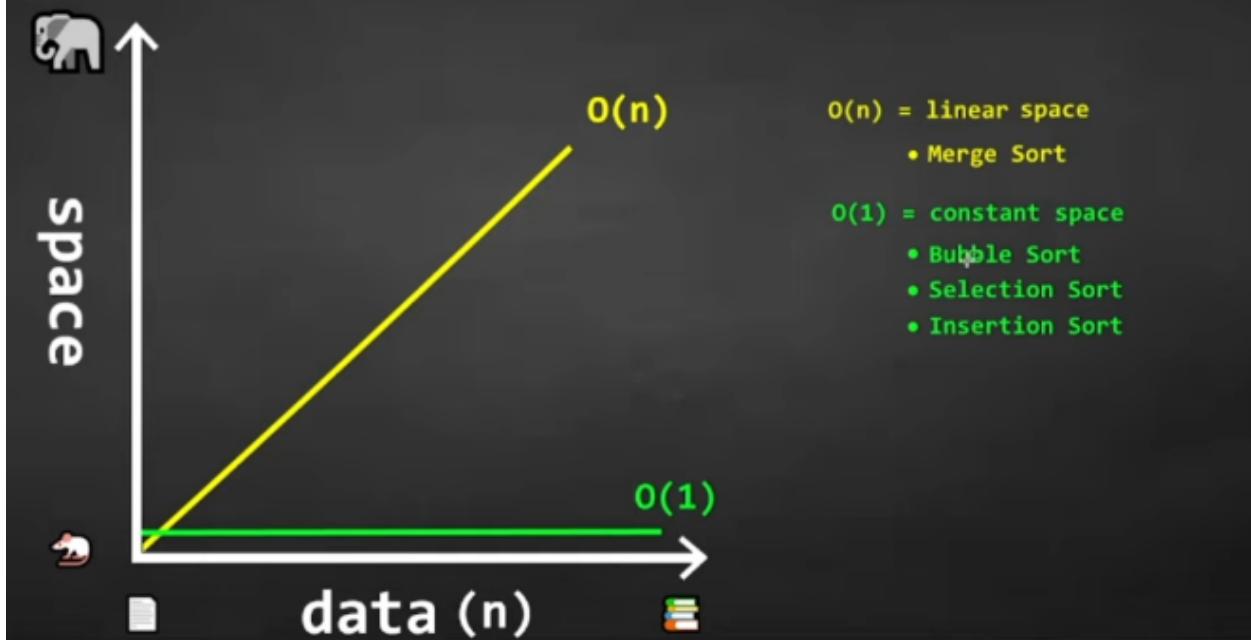
MergeSort



MergeSort



MergeSort



Merge Sort

Algorithm 1 Merge-Sort(A, p, r)

```
1: if  $p < r$  then
2:    $q \leftarrow \lfloor (p + r) / 2 \rfloor$ 
3:   Merge-Sort( $A, p, q$ )
4:   Merge-Sort( $A, q + 1, r$ )
5:   Merge( $A, p, q, r$ )
6: end if
```

Merge Sort

Algorithm 2 Merge(A, p, q, r)

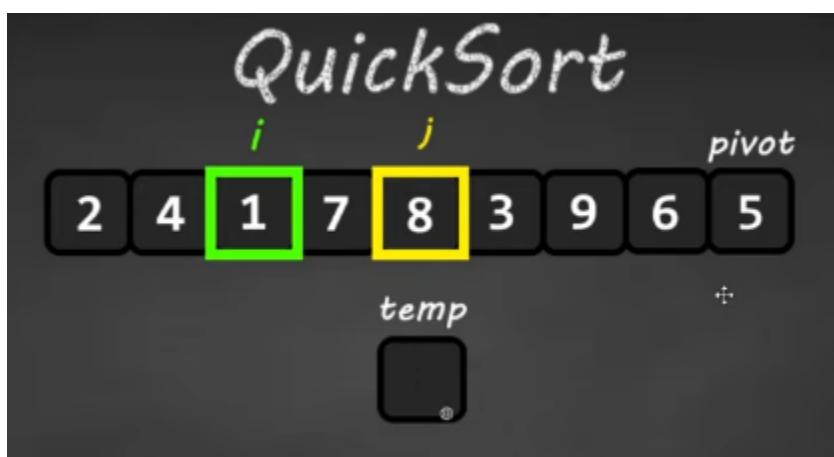
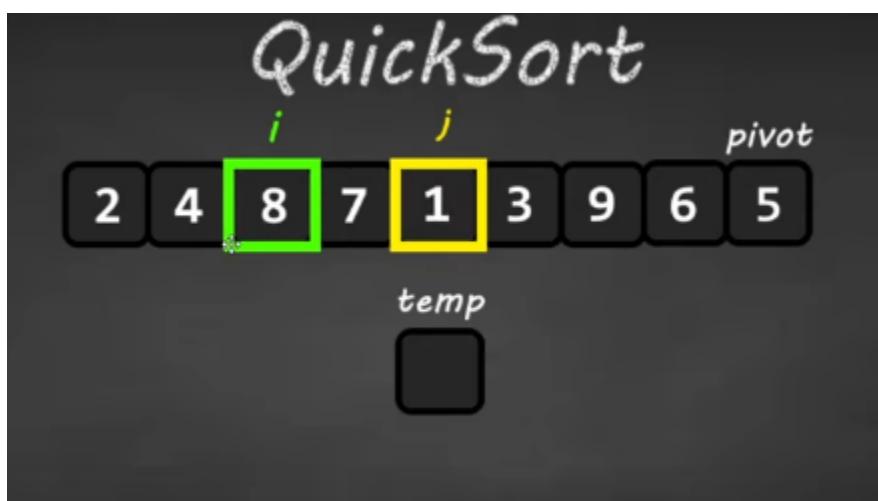
```
1:  $n_1 \leftarrow q - p + 1$ 
2:  $n_2 \leftarrow r - q$ 
3: let  $L[1 \dots n_1 + 1]$  and  $R[1 \dots n_2 + 1]$  be new arrays
4: for  $i \leftarrow 1, n_1$  do
5:    $L[i] \leftarrow A[p + i - 1]$ 
6: end for
7: for  $j \leftarrow 1, n_2$  do
8:    $R[j] \leftarrow A[q + j]$ 
9: end for
10:  $L[n_1 + 1] \leftarrow \infty$ 
11:  $R[n_2 + 1] \leftarrow \infty$ 
12:  $i \leftarrow 1$ 
13:  $j \leftarrow 1$ 
14: for  $k \leftarrow p, r$  do
15:   if  $L[i] \leq R[j]$  then
16:      $A[k] \leftarrow L[i]$ 
17:      $i \leftarrow i + 1$ 
18:   else
19:      $A[k] \leftarrow R[j]$ 
20:      $j \leftarrow j + 1$ 
21:   end if
22: end for
```

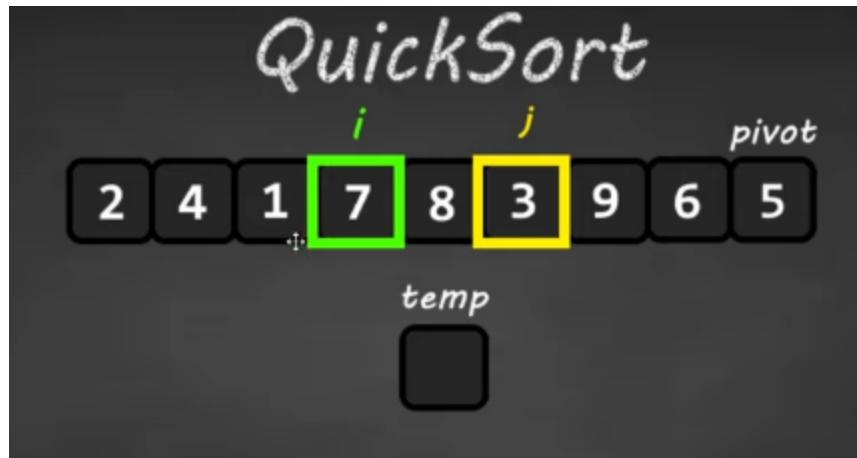


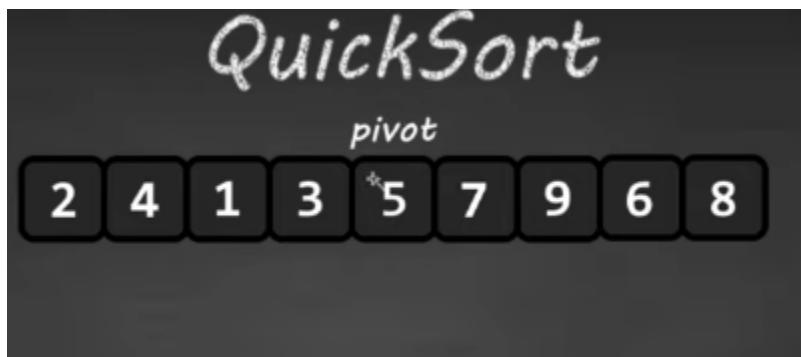
Quick Sort(divide and conquer)









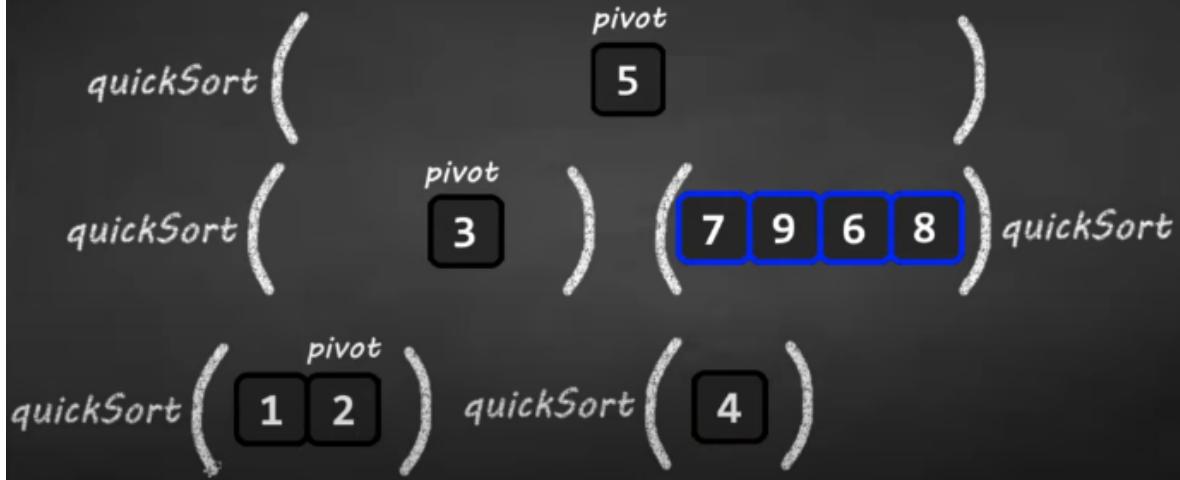


quickSort $(\underset{0}{2}, \underset{1}{4}, \underset{2}{1}, \underset{3}{3})$ $(\underset{5}{7}, \underset{6}{9}, \underset{7}{6}, \underset{8}{8})$ quickSort

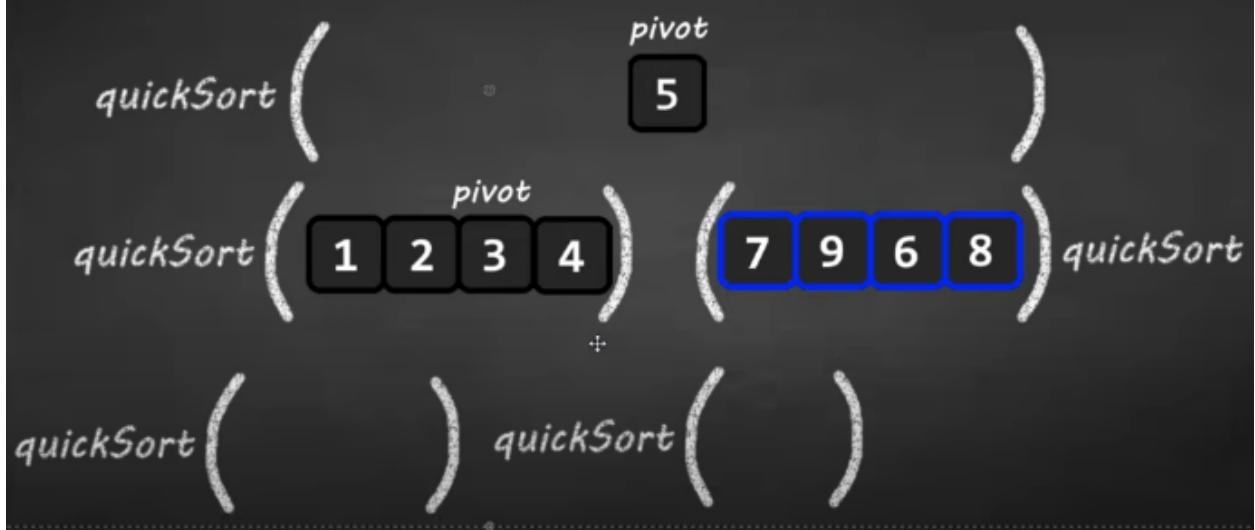
quickSort $($ pivot
3 $)$ $(\underset{5}{7}, \underset{6}{9}, \underset{7}{6}, \underset{8}{8})$ quickSort

quickSort $(\underset{0}{2}, \underset{1}{1})$ quickSort $(\underset{4}{4})$

QuickSort



QuickSort



QuickSort



QuickSort



QuickSort

quickSort $(\boxed{1} \boxed{2} \boxed{3} \boxed{4} \boxed{5})$

pivot

$(\quad \boxed{8} \quad)$ quickSort

pivot

quickSort $(\boxed{6} \boxed{7})$ $(\boxed{9})$ quickSort

QuickSort

quickSort $(\boxed{1} \boxed{2} \boxed{3} \boxed{4} \boxed{5})$

pivot

$(\boxed{6} \boxed{7} \boxed{8} \boxed{9})$ quickSort

pivot

quickSort (\quad) (\quad) quickSort



Algorithm 1 Quicksort(A, p, r)

```

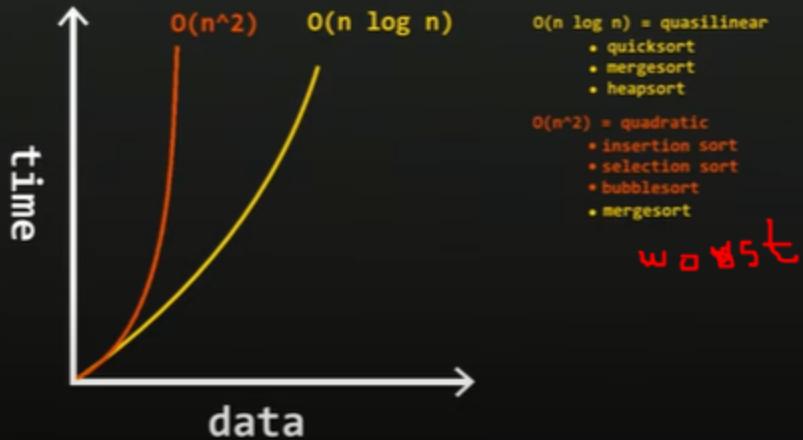
1: if  $p < r$  then
2:    $q \leftarrow \text{Partition}(A, p, r)$ 
3:   Quicksort( $A, p, q - 1$ )
4:   Quicksort( $A, q + 1, r$ )
  
```

Algorithm 2 Partition(A, p, r)

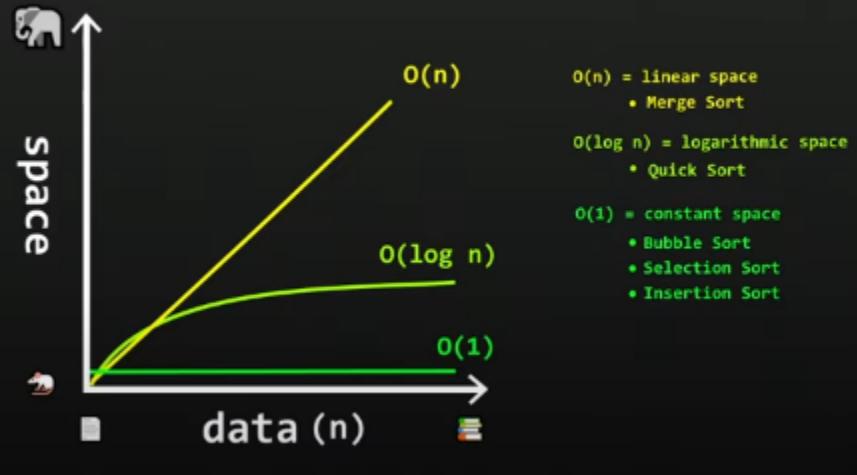
```

1:  $x \leftarrow A[r]$ 
2:  $i \leftarrow p - 1$ 
3: for  $j \leftarrow p$  to  $r - 1$  do
4:   if  $A[j] \leq x$  then
5:      $i \leftarrow i + 1$ 
6:     exchange  $A[i]$  with  $A[j]$ 
7: exchange  $A[i + 1]$  with  $A[r]$ 
8: return  $i + 1$ 
  
```

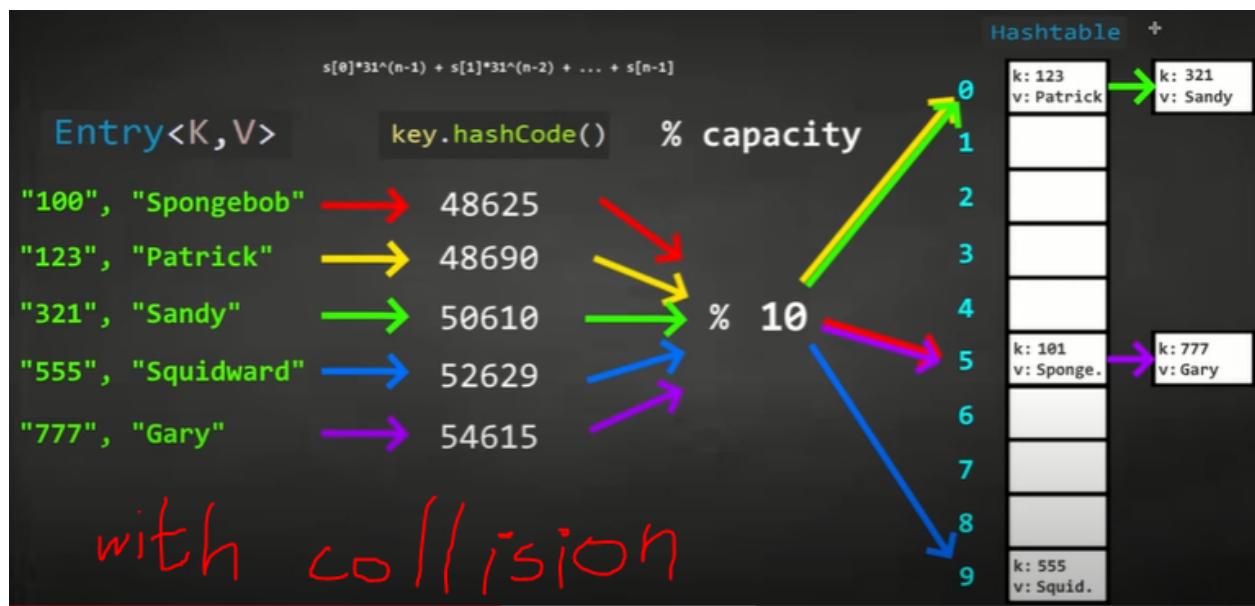
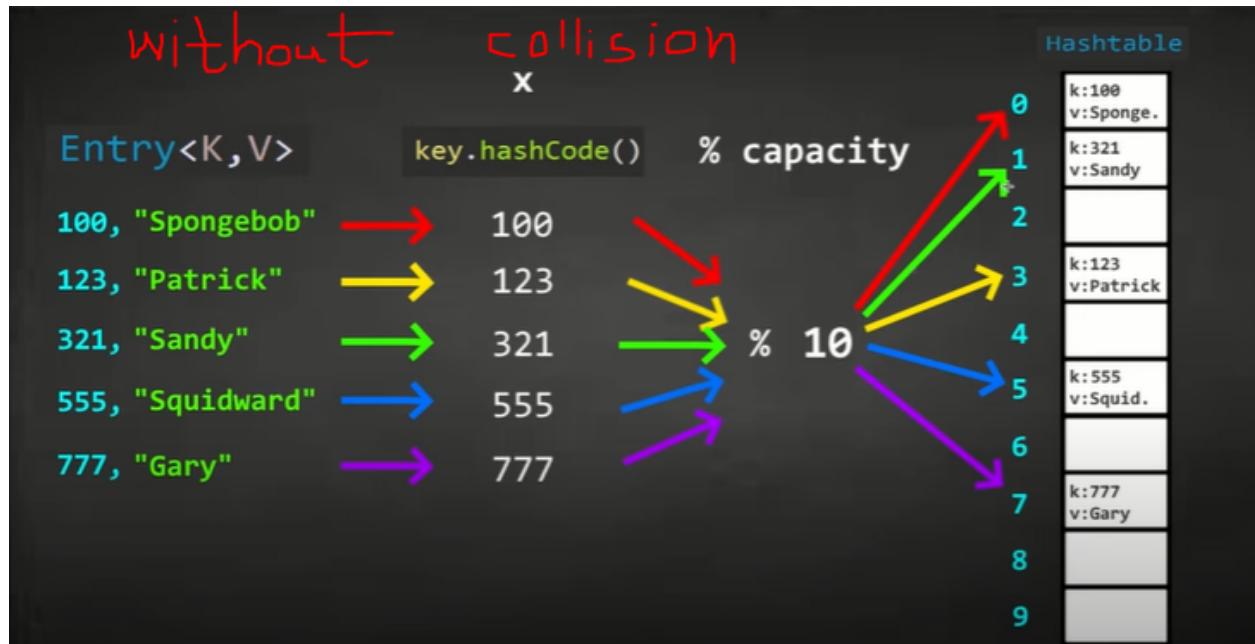
Big O notation



Big O notation

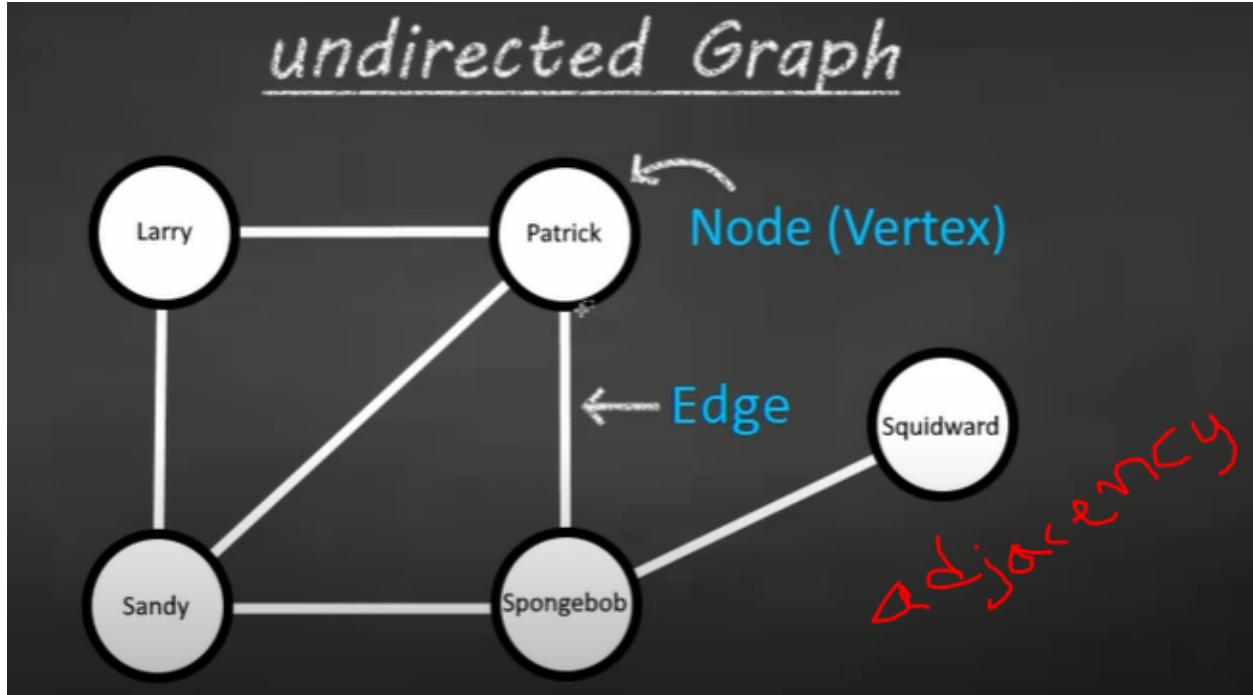


Hash Trees

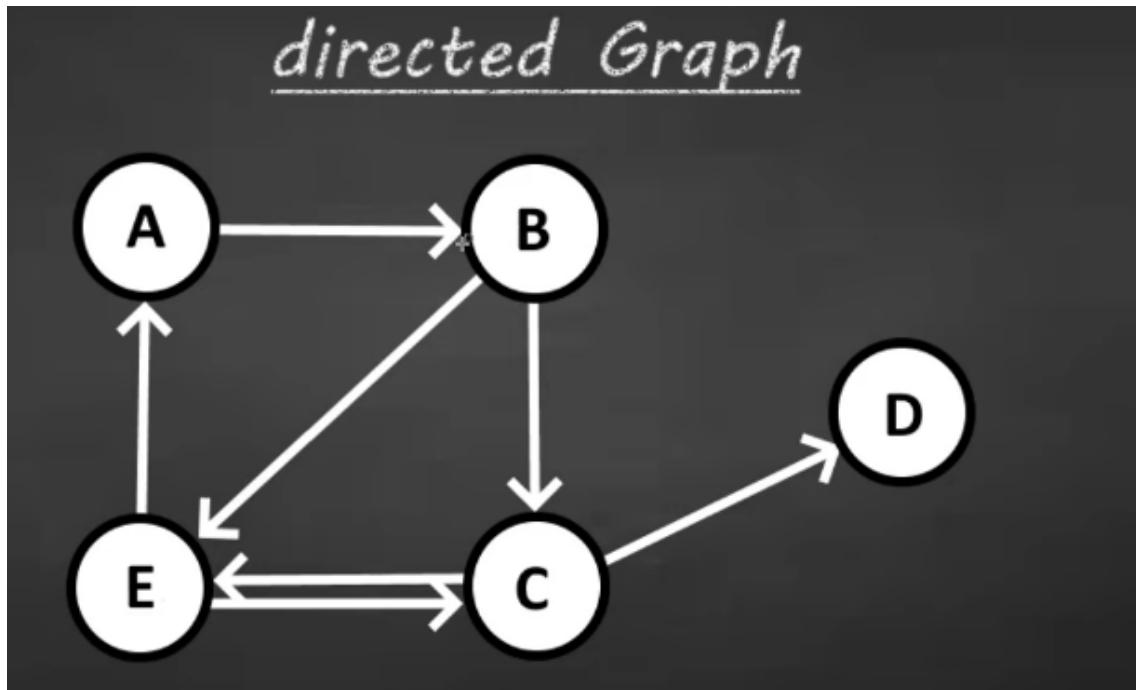


Graphs

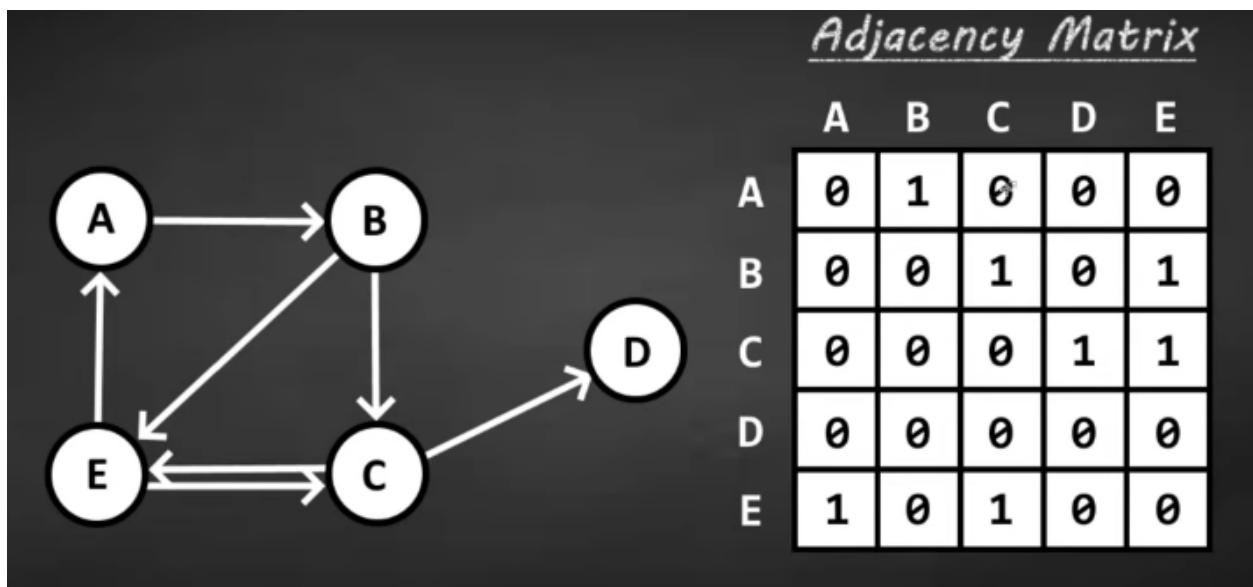
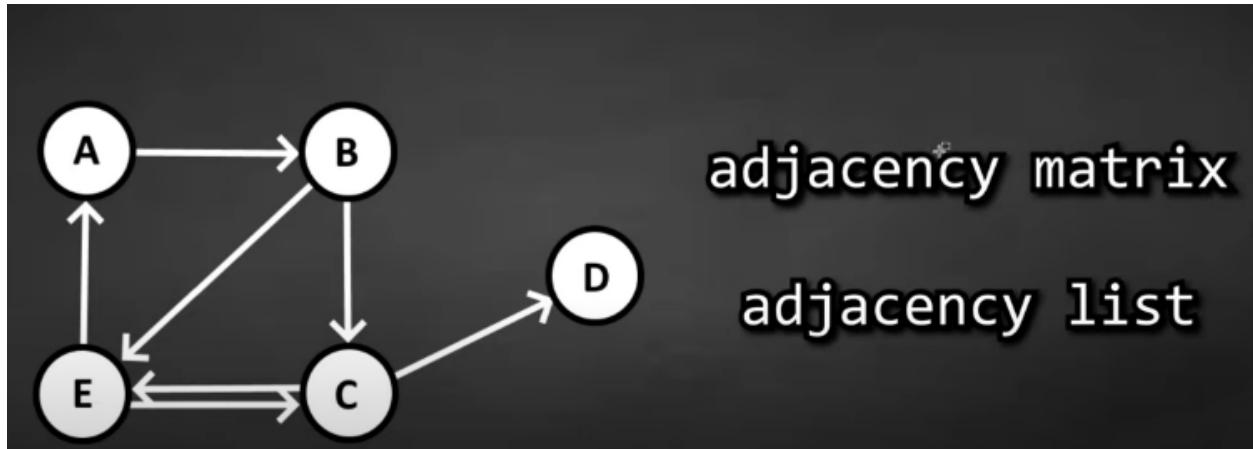
1) Undirected Graph

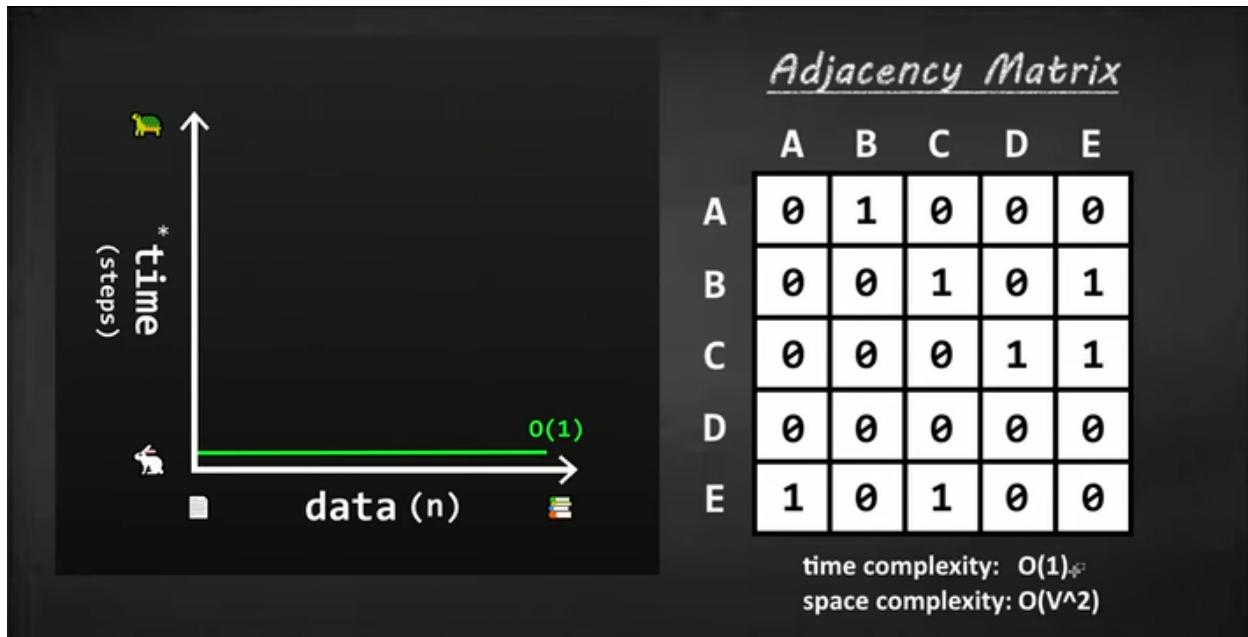


2) Directed Graph

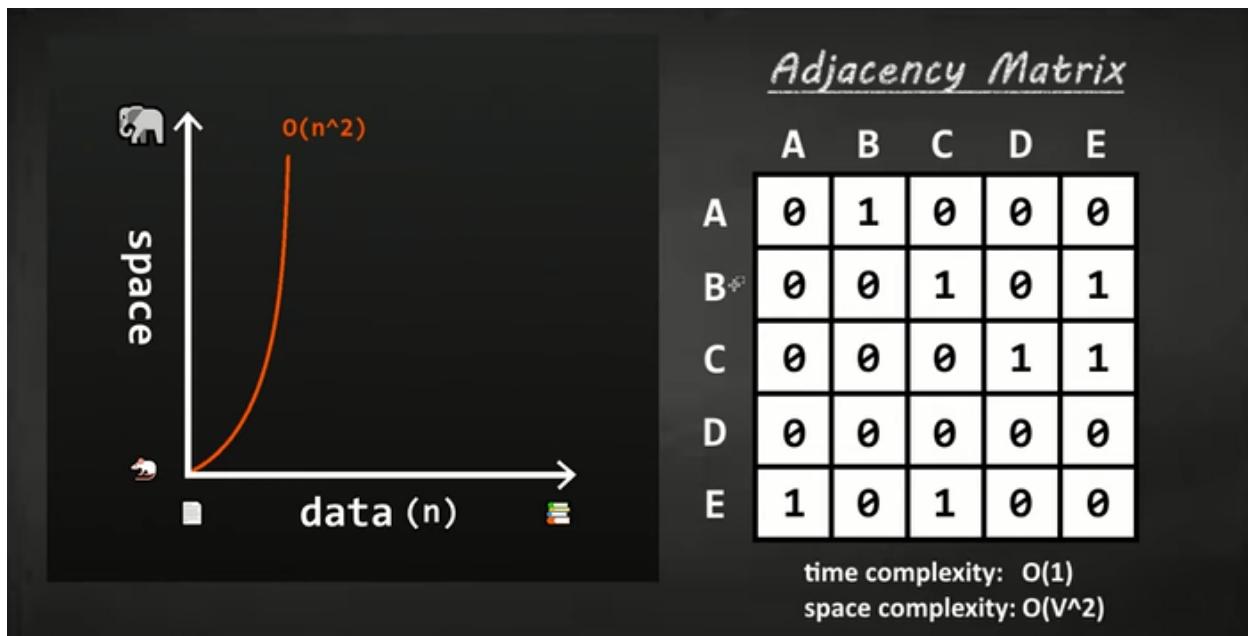


3) Methods to represent a graph



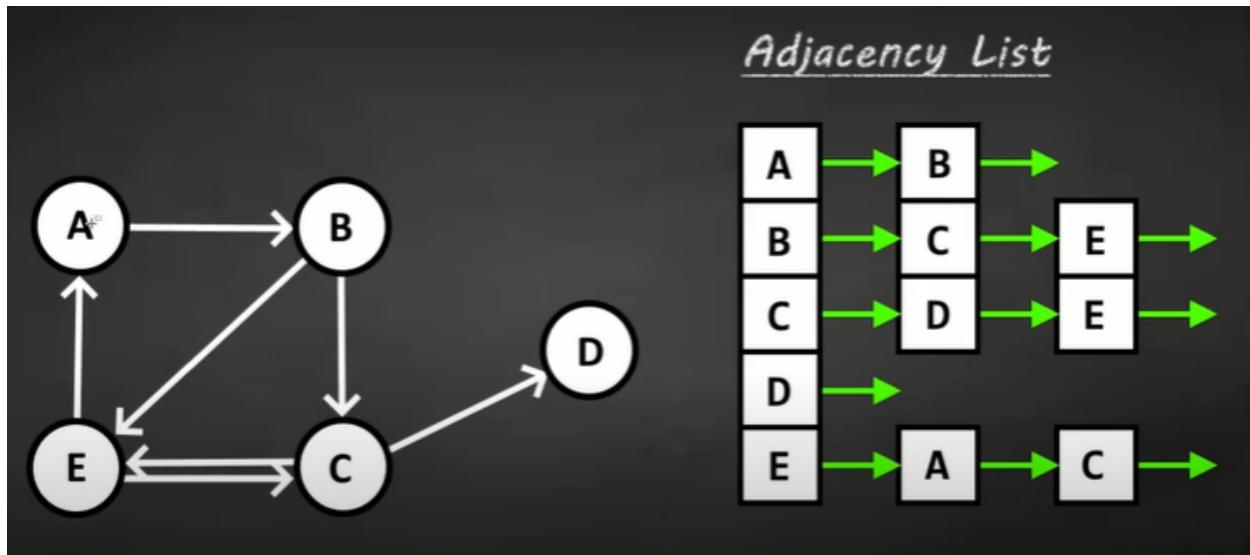


Time complexity = $O(1)$

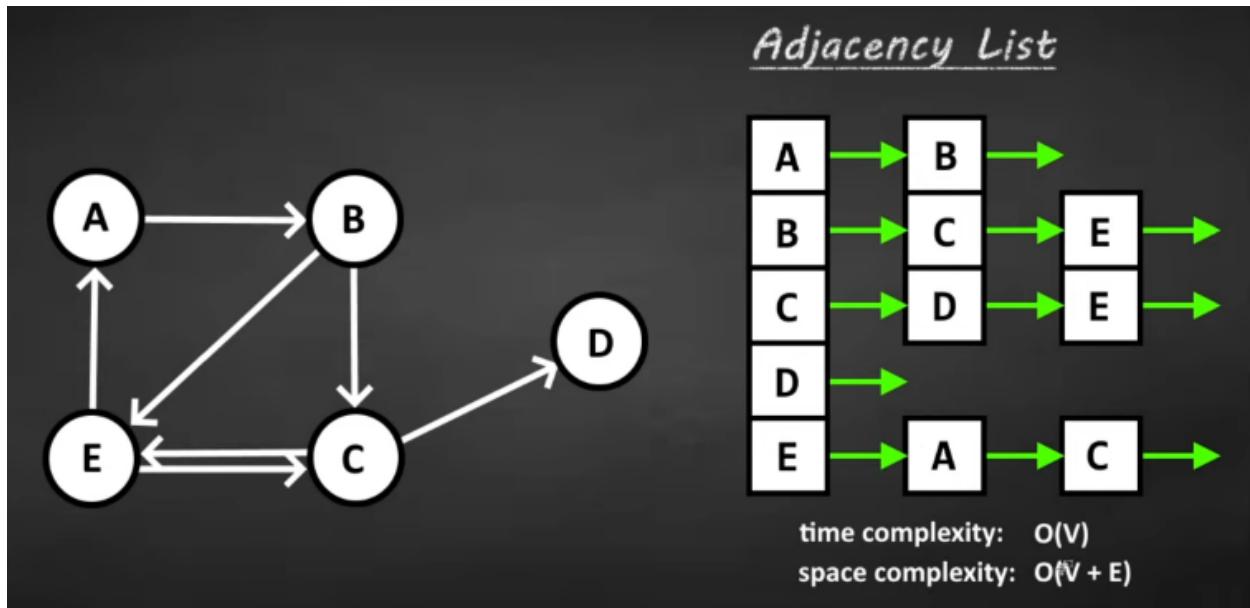


Space complexity = $O(N^2)$

$N=5$ Space complexity = 25



It's an ArrayList of LinkedLists.



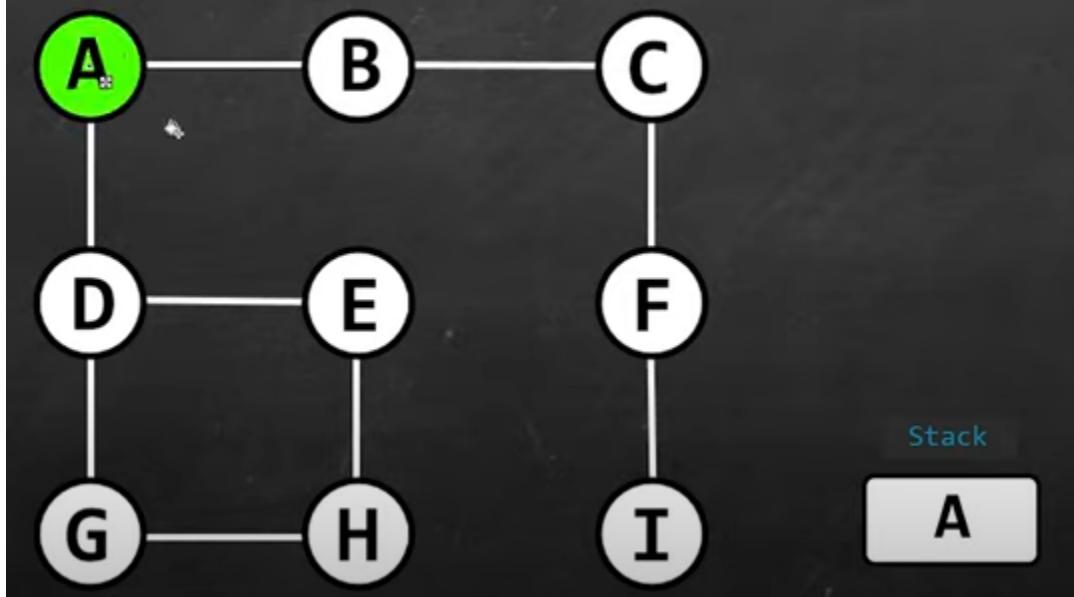
DFS

Depth First Search

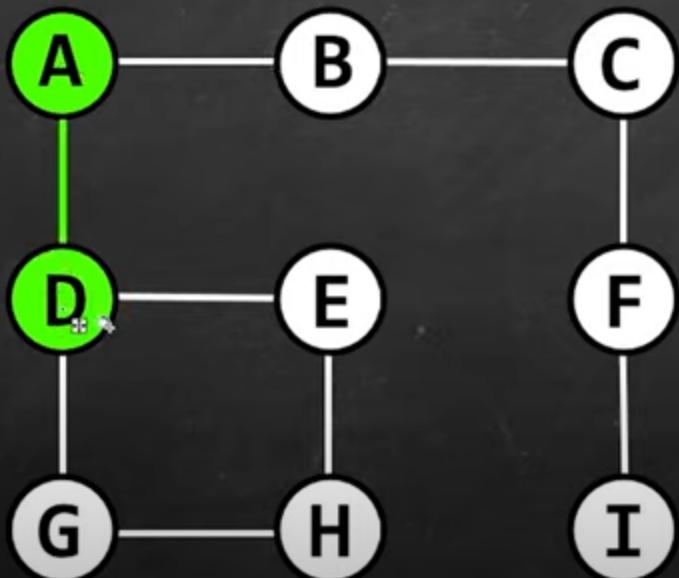
DFS = a search algorithm for traversing a tree or graph data structure

1. *Pick a route*
2. *Keep going until you reach a dead end, or a previously visited node*
3. *Backtrack to last node that has unvisited adjacent neighbors*

Depth First Search



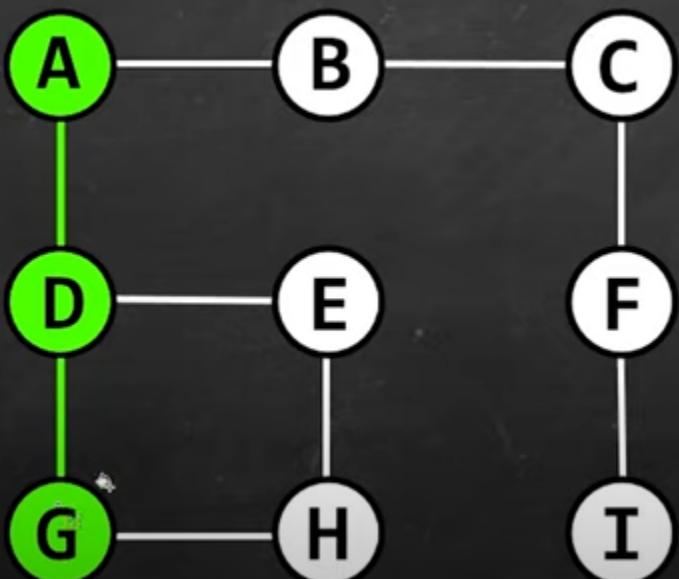
Depth First Search



Stack



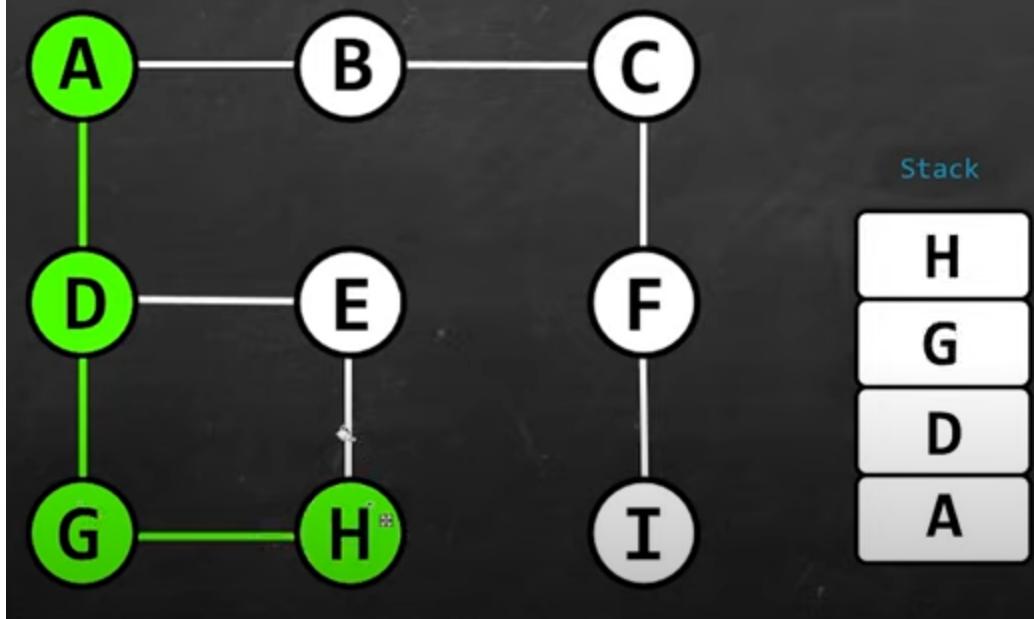
Depth First Search



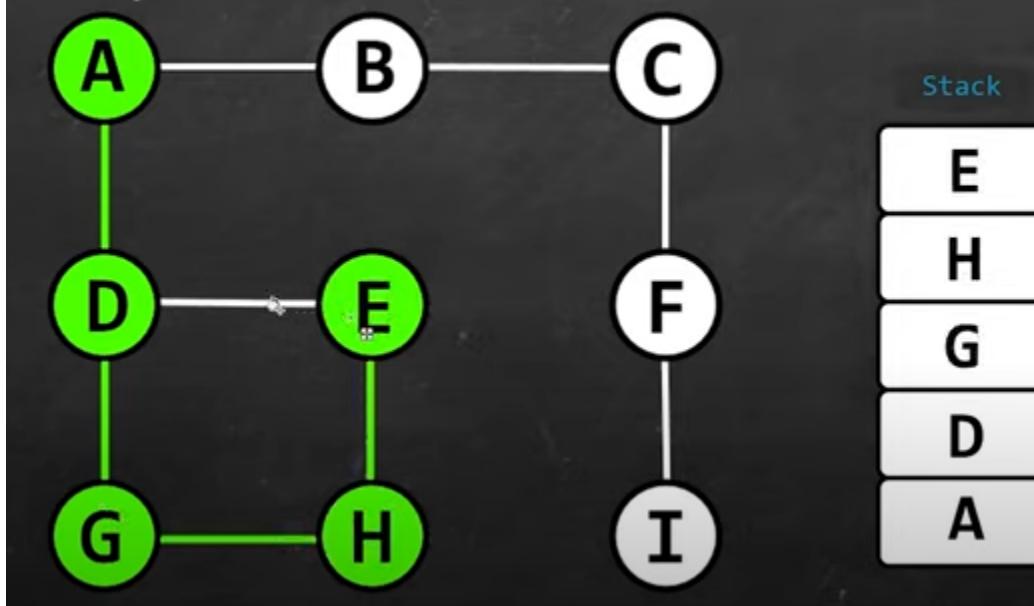
Stack



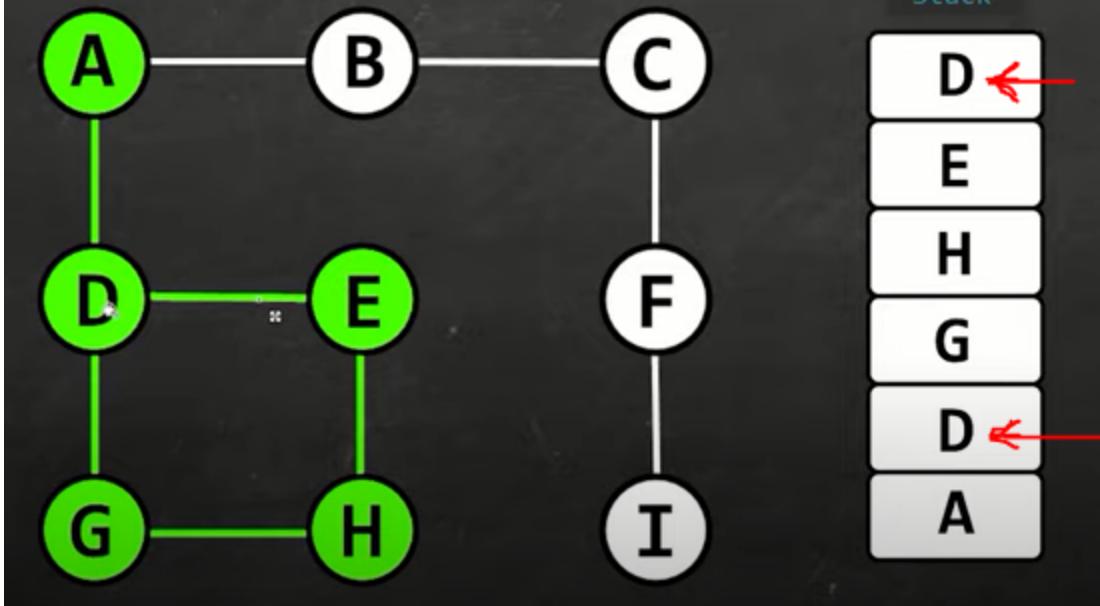
Depth First Search



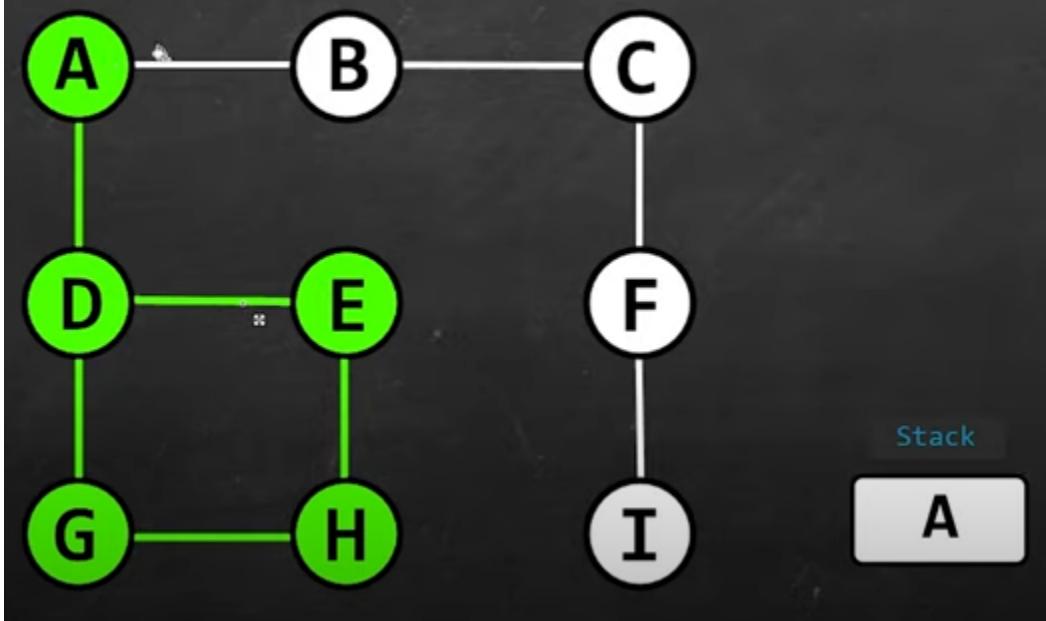
Depth First Search



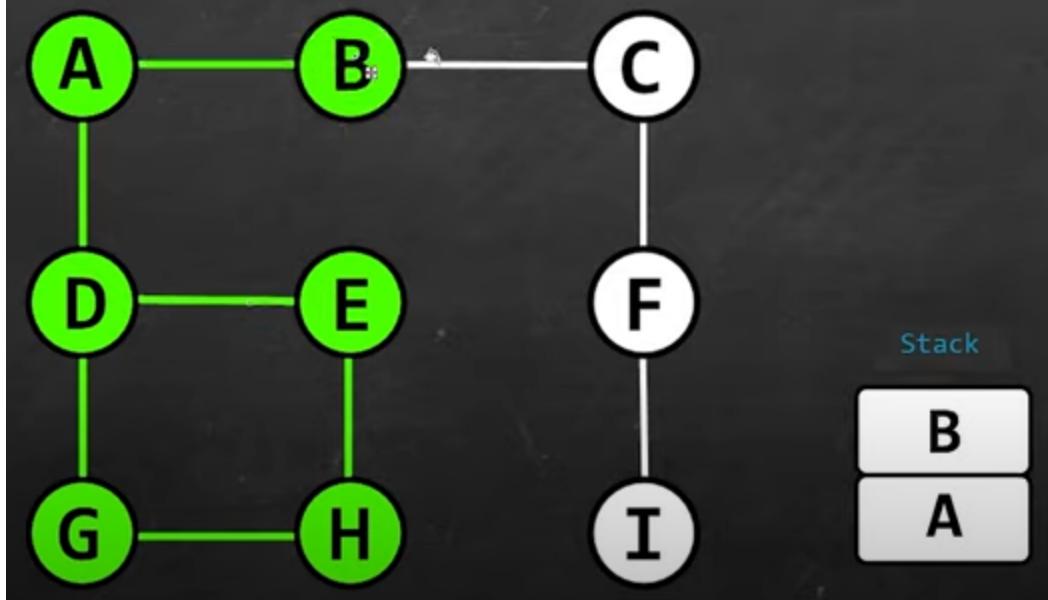
Depth First Search



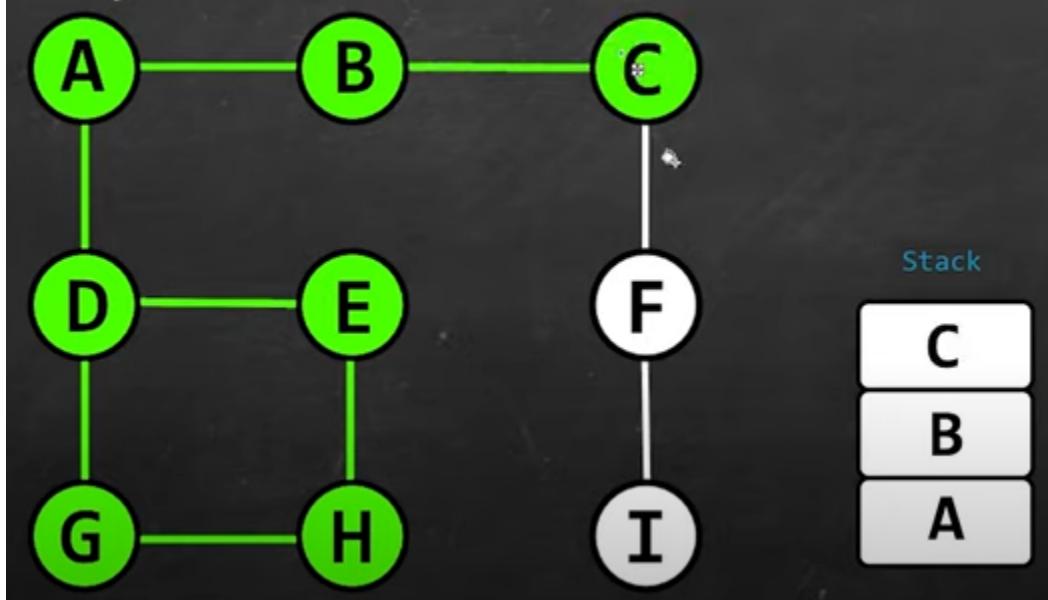
Depth First Search



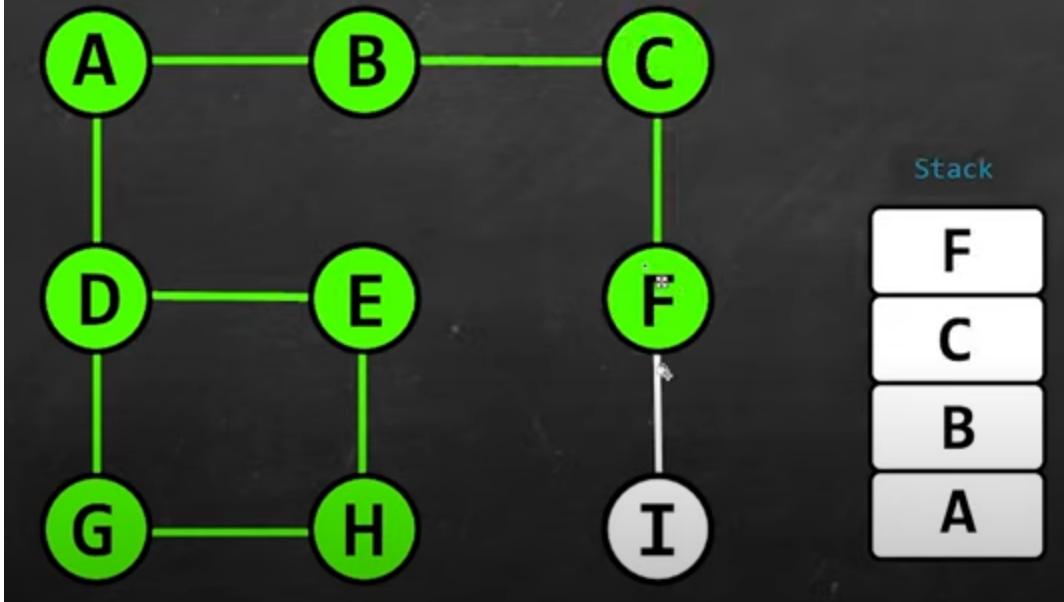
Depth First Search



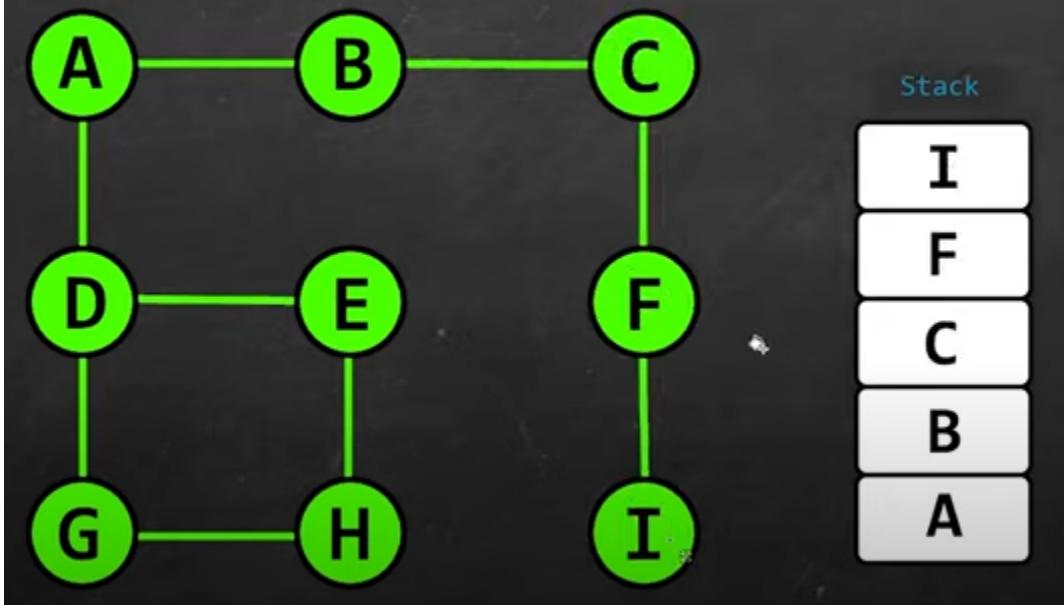
Depth First Search



Depth First Search

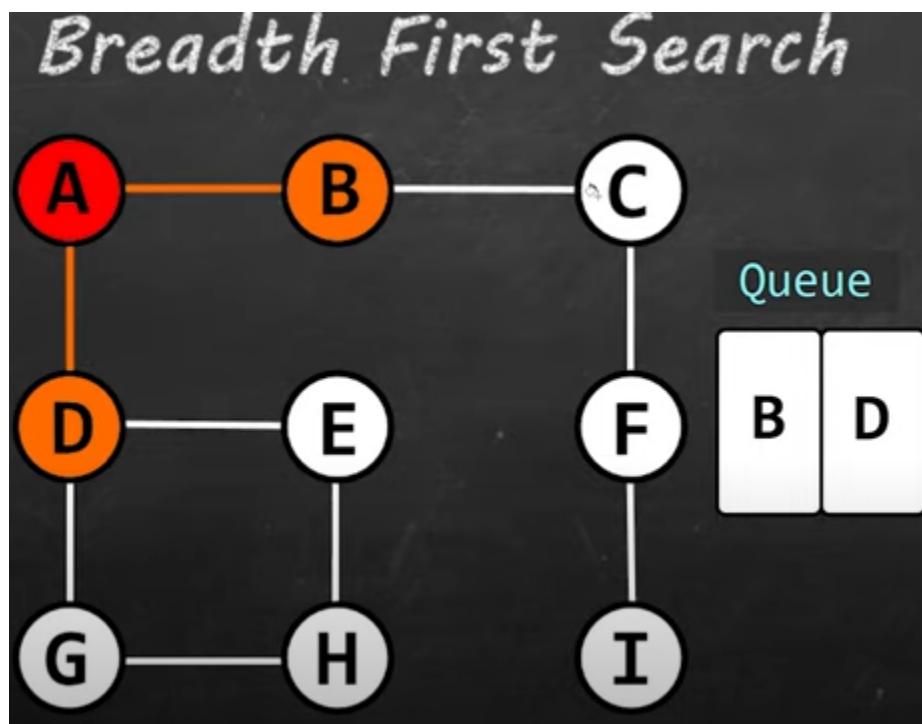
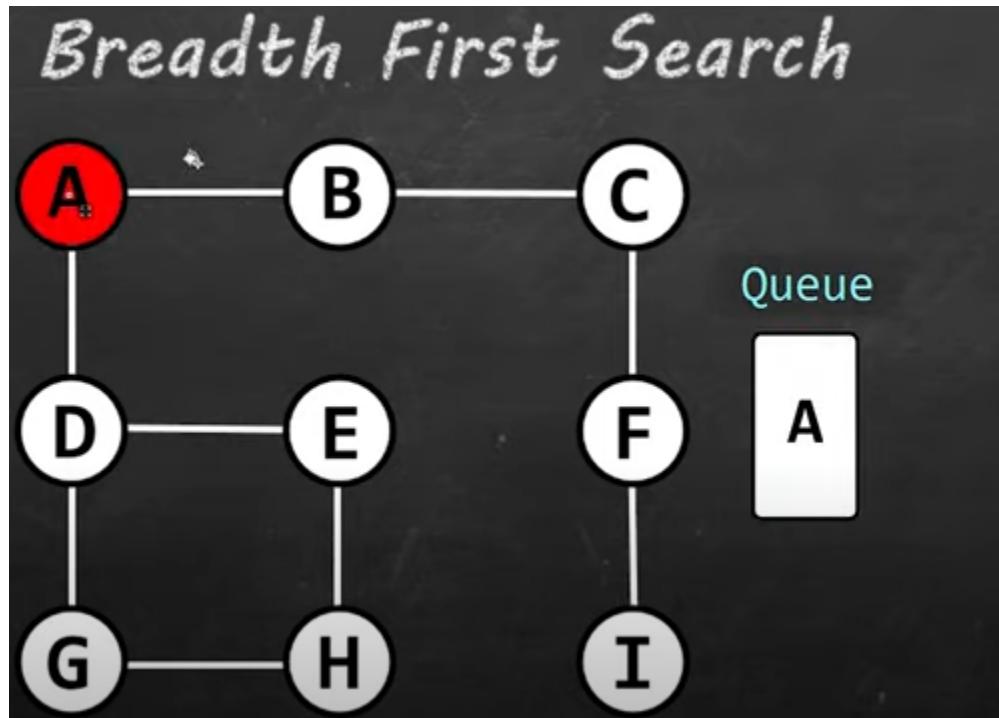


Depth First Search

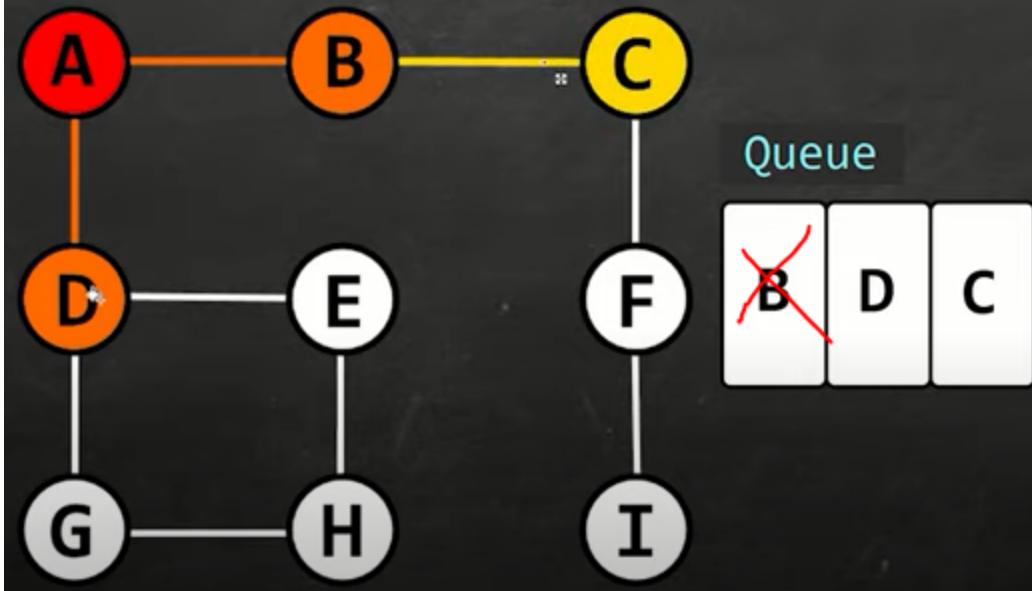


We got 'I' in the end the node we wanted.

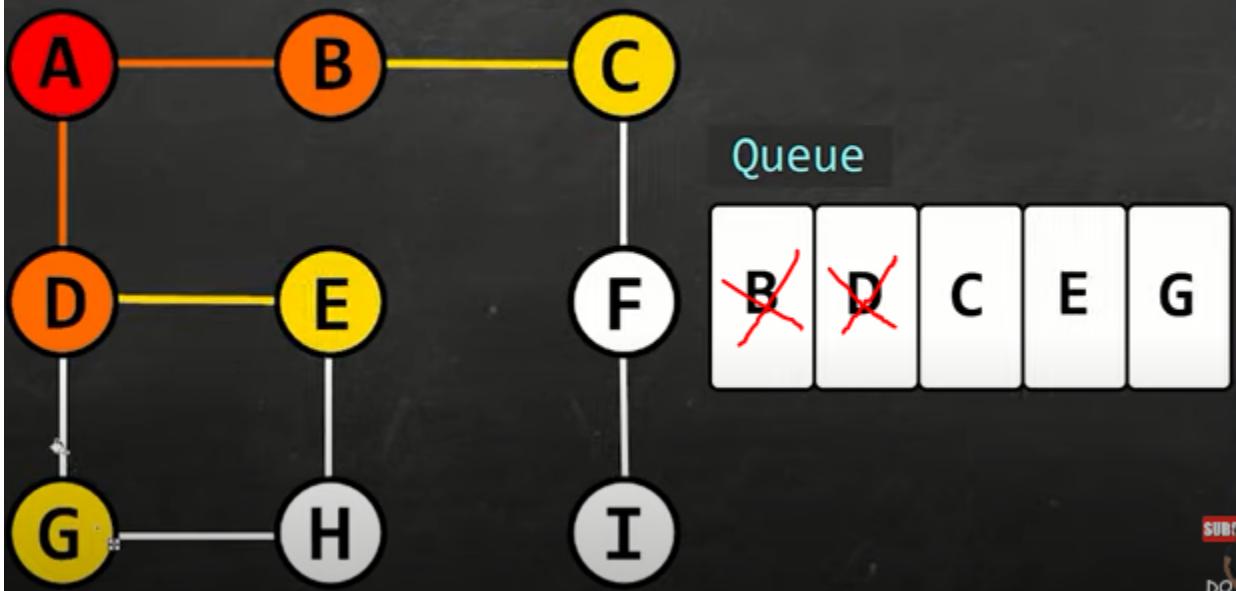
BFS



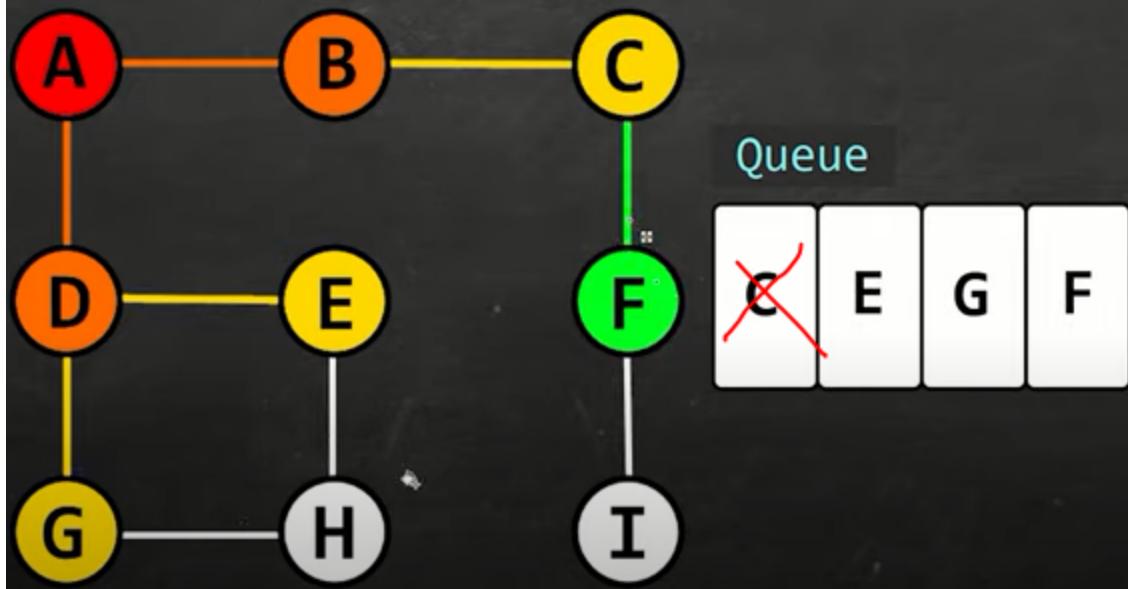
Breadth First Search



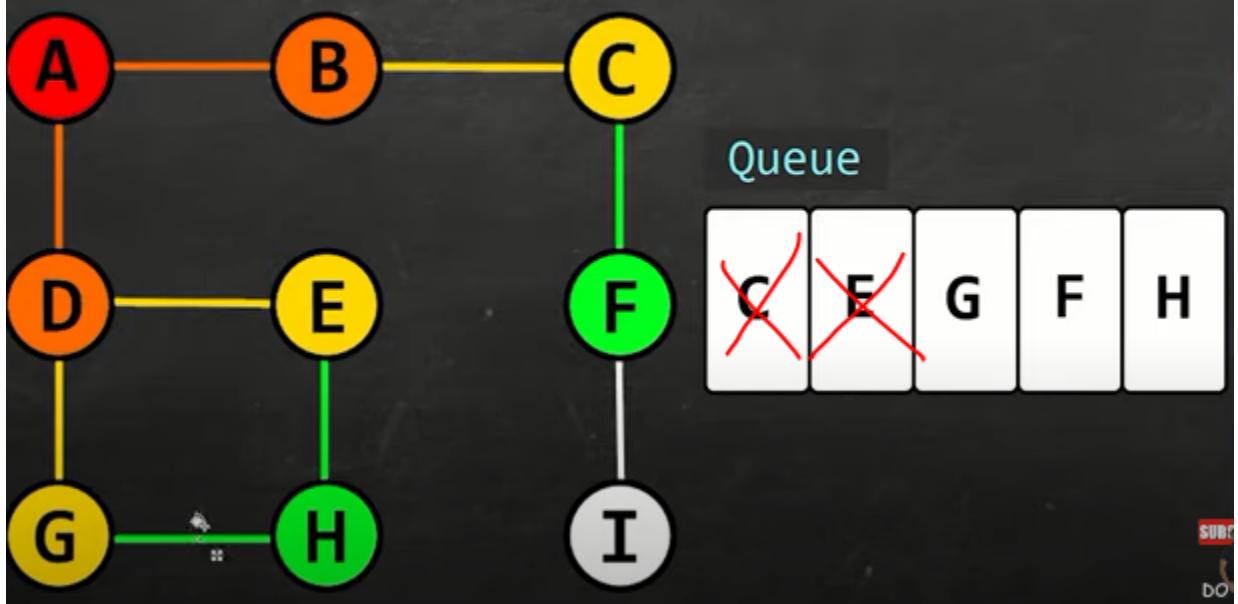
Breadth First Search



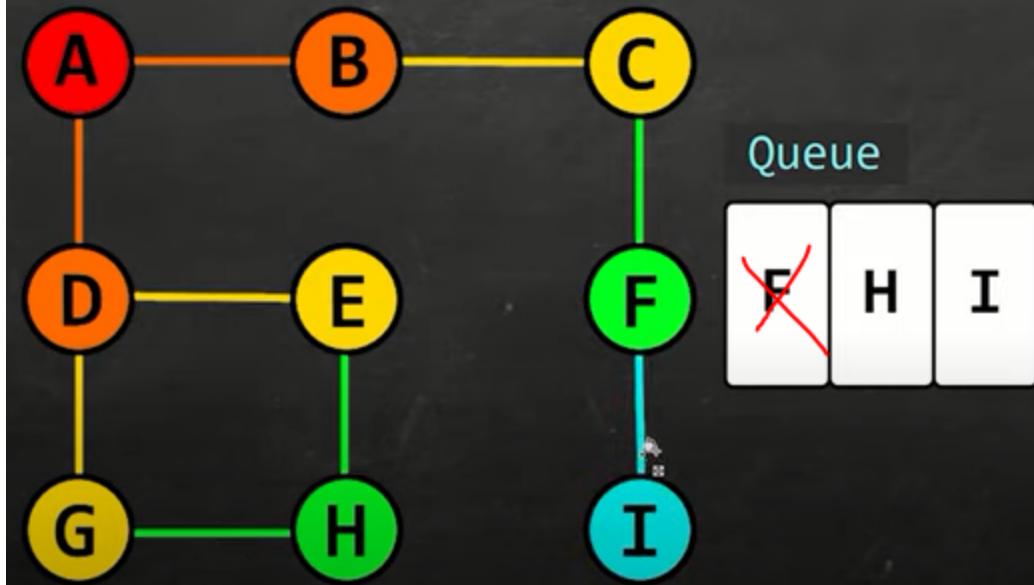
Breadth First Search



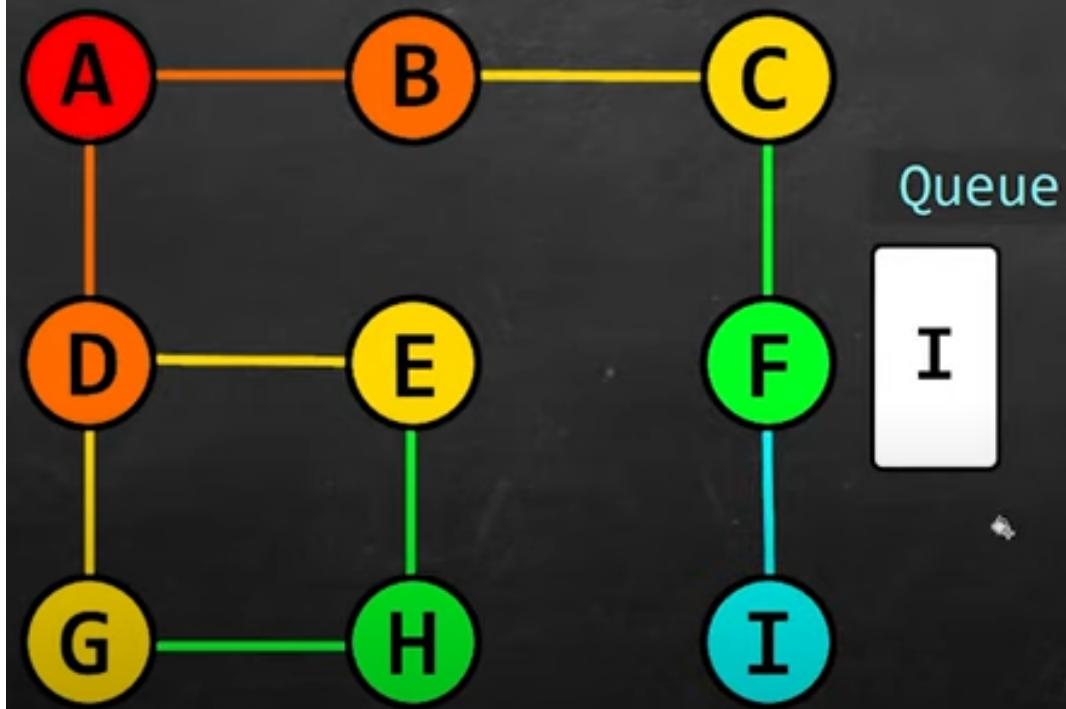
Breadth First Search



Breadth First Search



Breadth First Search



Tree Data Structure

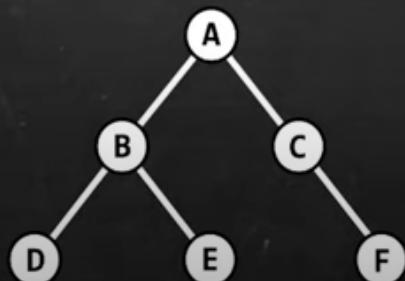
Tree

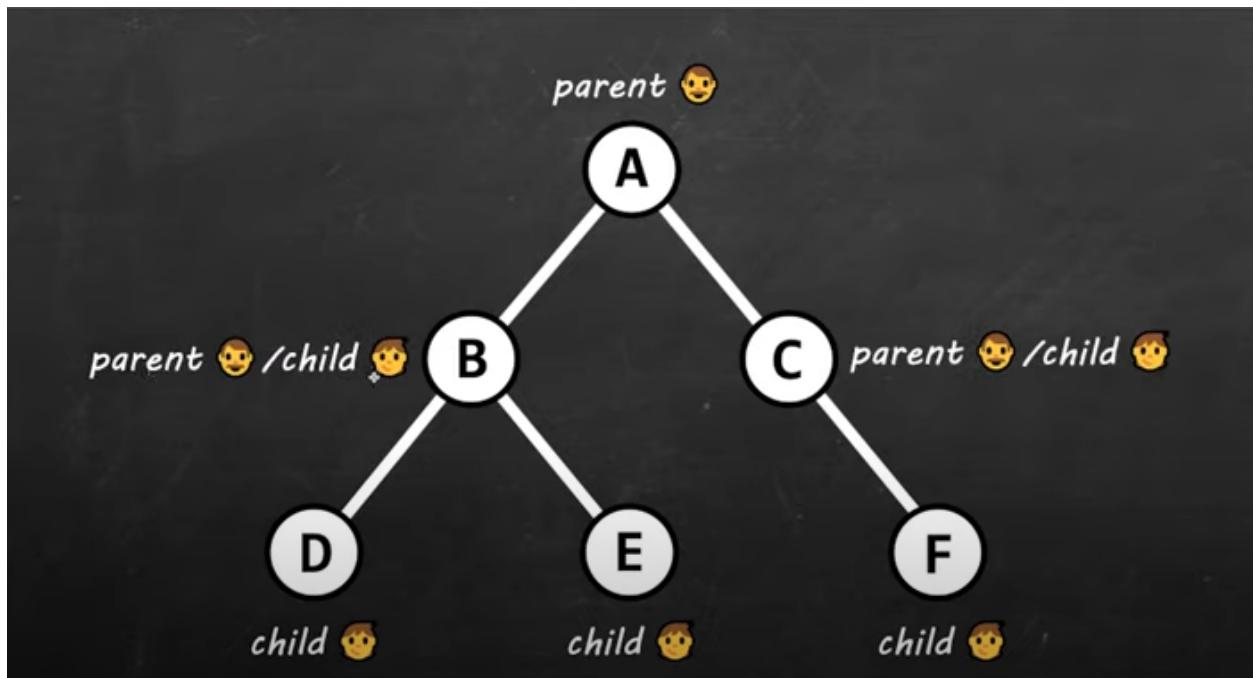
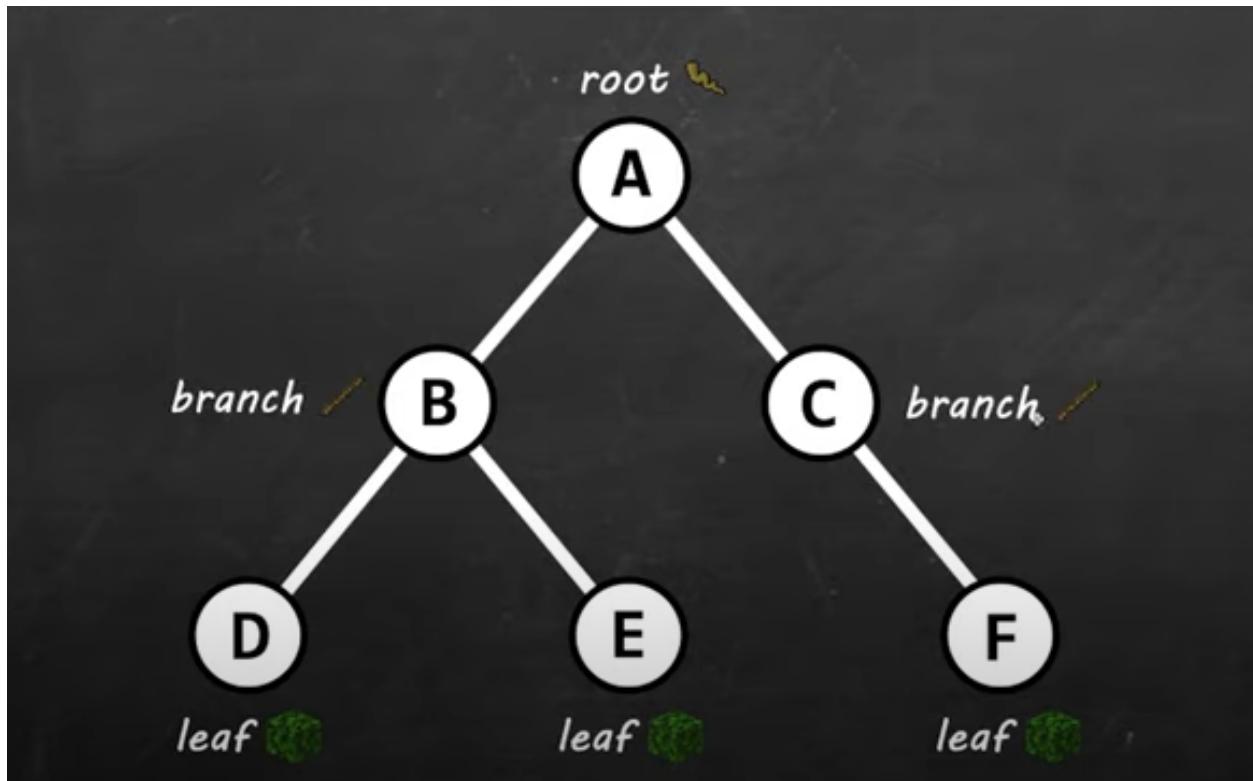
- root node
- leaf node
- branch node
- parent
- child
- siblings
- subtree
- size
- depth
- height

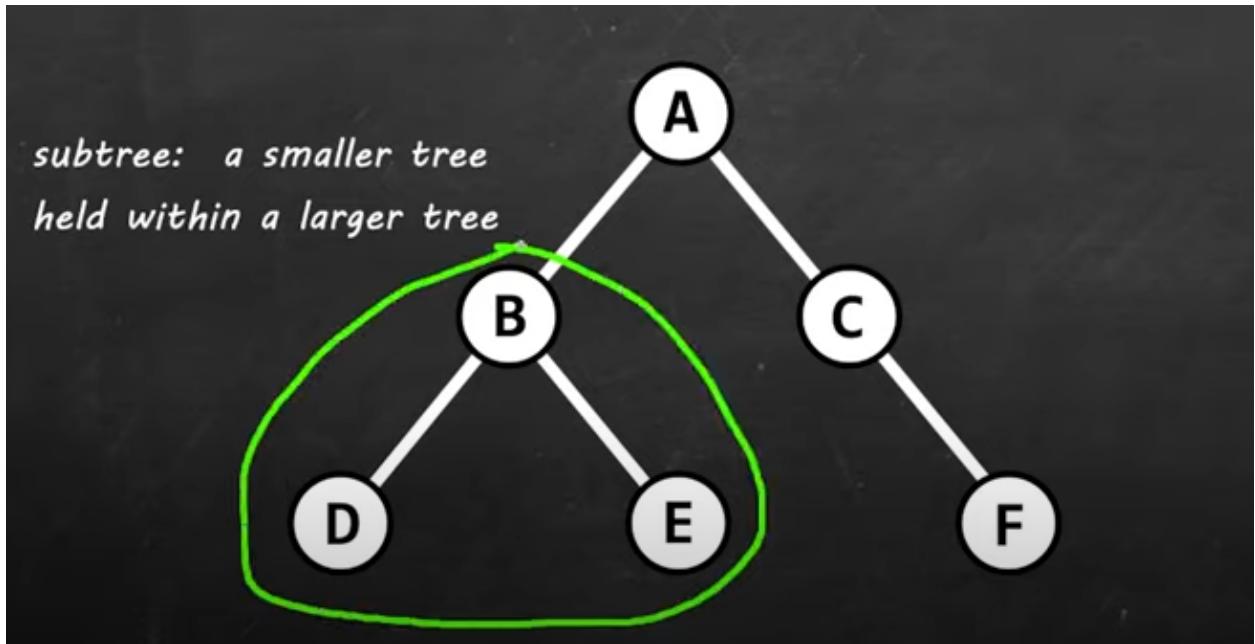
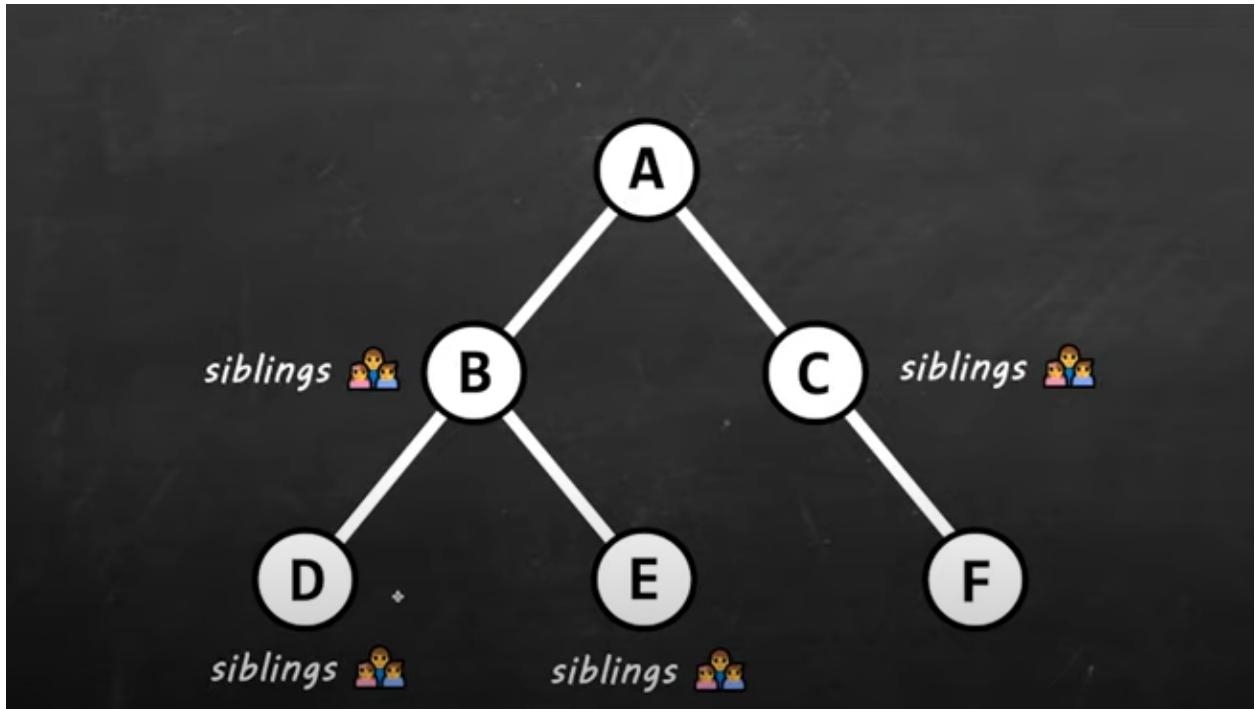
Tree

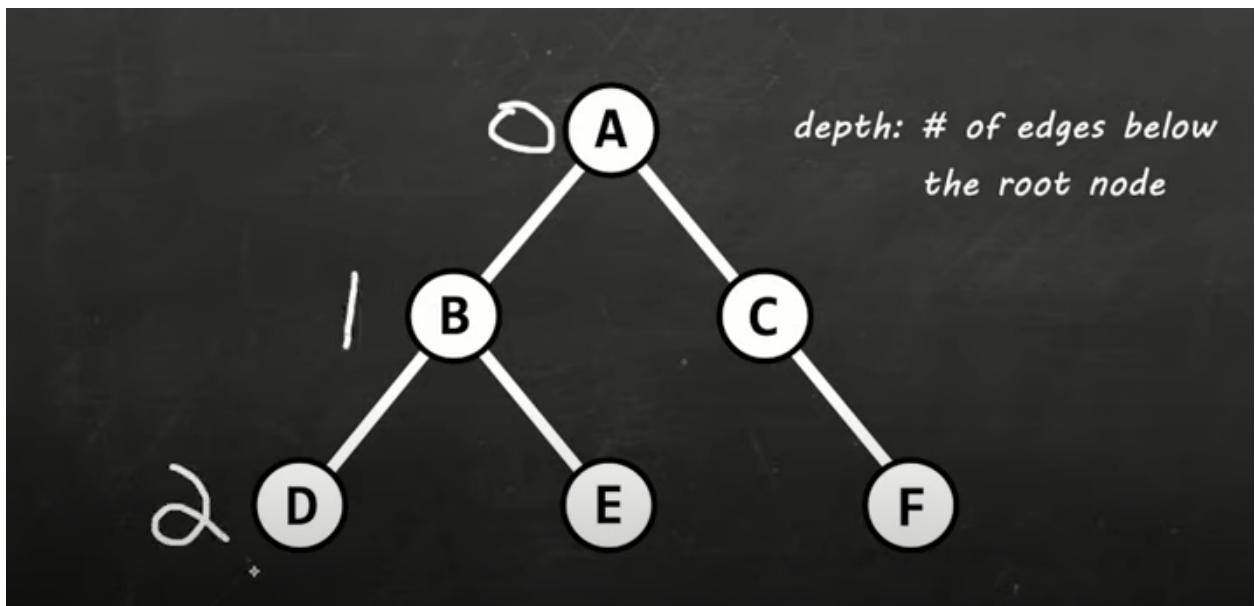
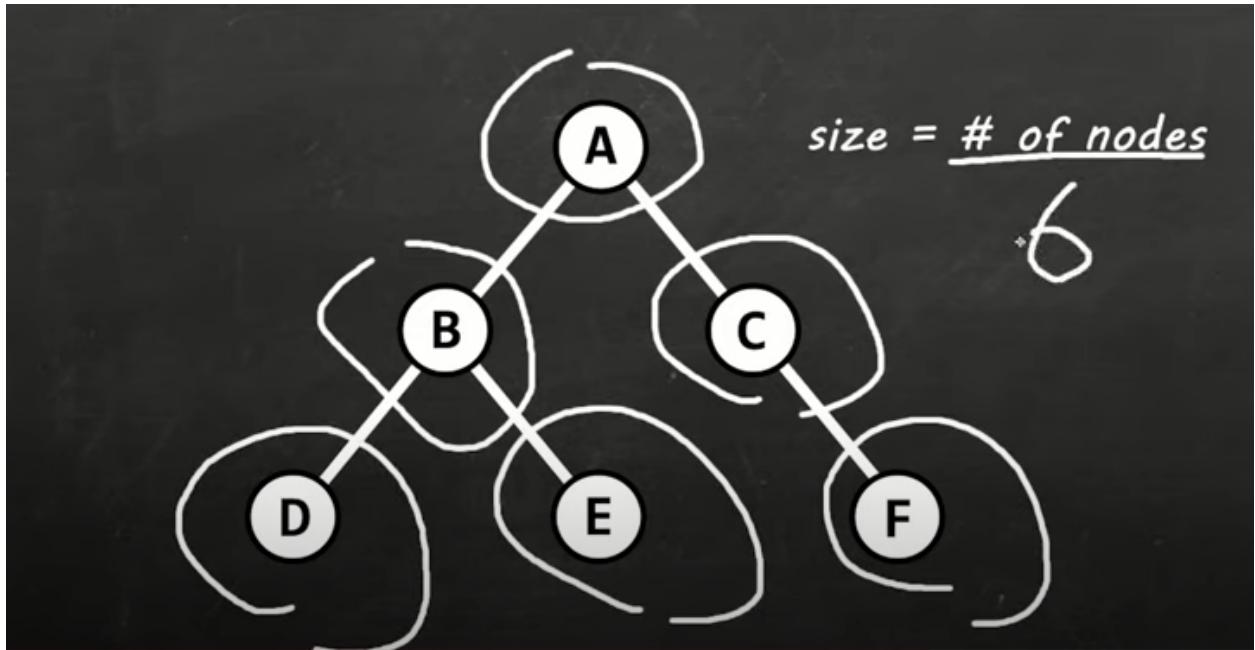
*tree = a non-linear data structure
where nodes are organized
in a hierarchy*

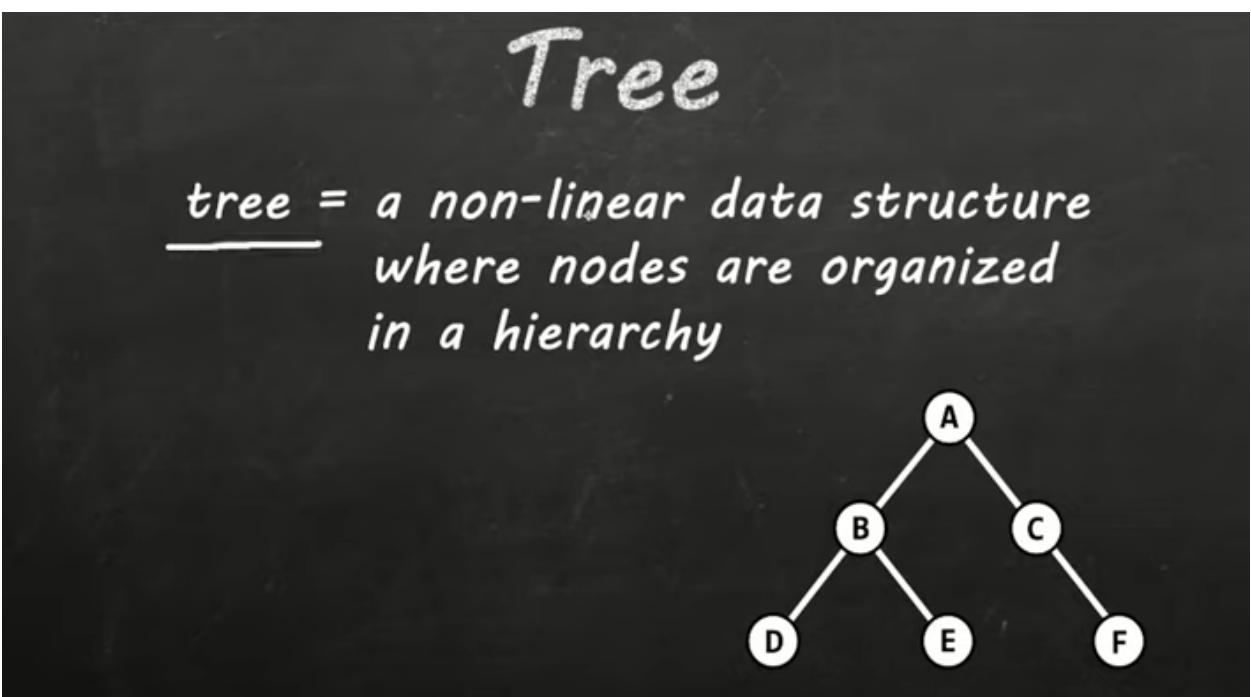
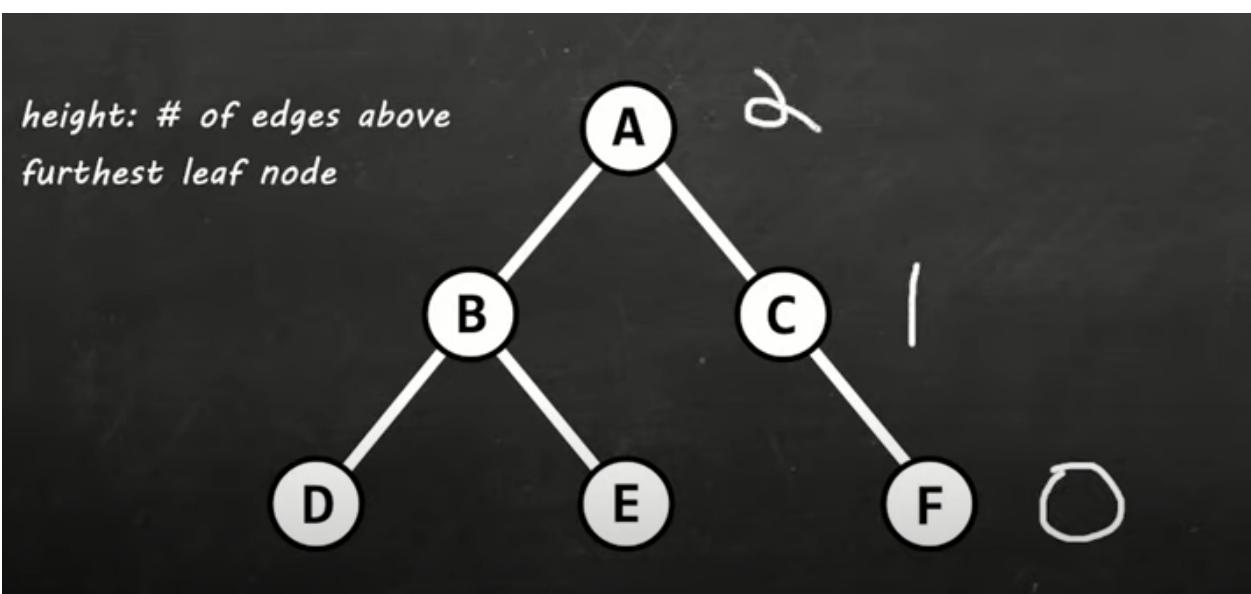
- File explorer
- Databases
- DNS
- HTML DOM







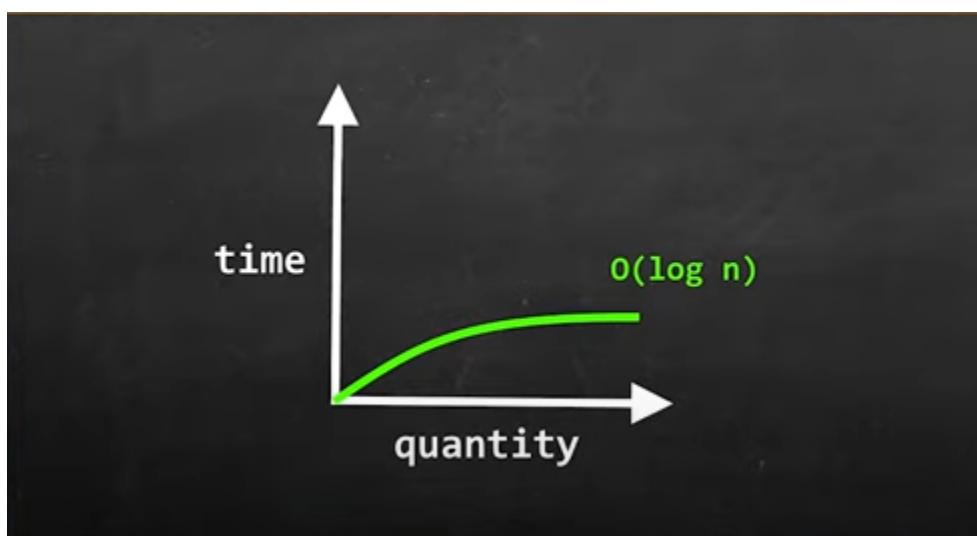
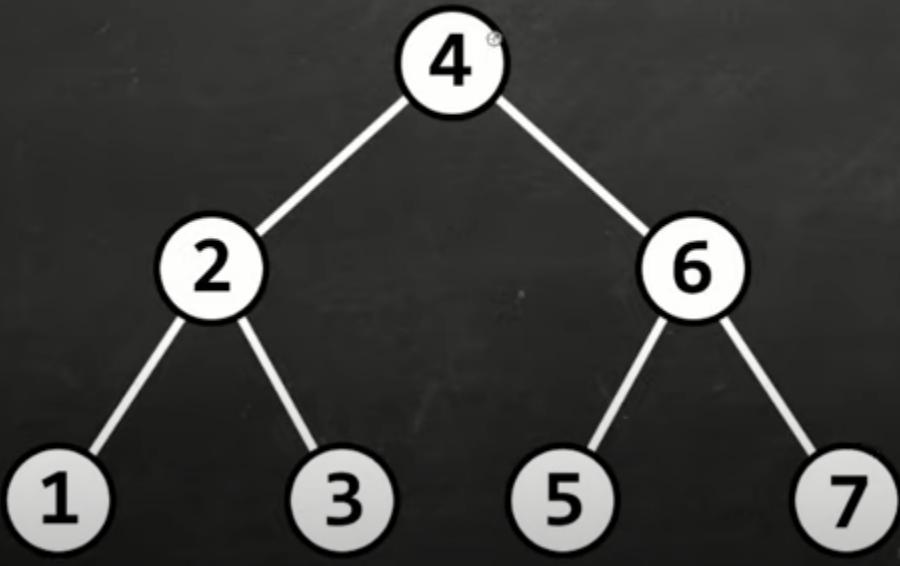




Binary Search Tree

- In a binary search tree a node can contain only two maximum nodes.
- Right childs always contain larger values as compared to the value of the parent node. Left childs always contain lesser values as compared to the value of the parent node.
- Left most child is the least value and the right most child is the greatest value.
- Run time complexity to find(search) a value is $O(\log n)$ (Best case) and $O(n)$ (worst case)
- Space complexity $O(n)$
- The left child of the node i is $2i$. The right child of the node i is $2i+1$.

binary search tree

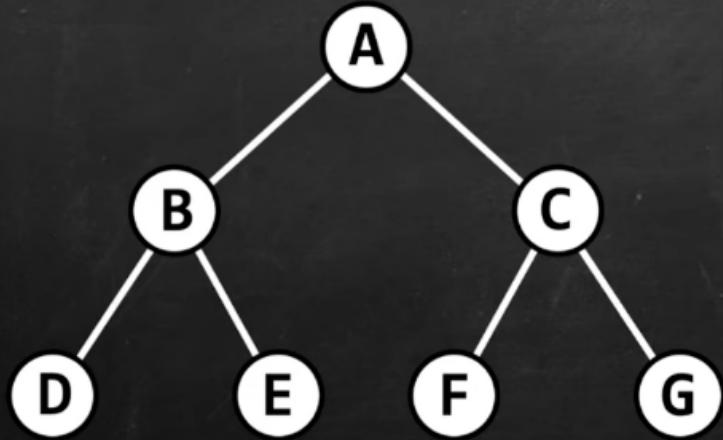


Tree Traversal

There are three types of tree traversals:

- 1) **Inorder traversal** (Left, **Root**, Right)
- 2) **Preorder traversal** (**Root**, Left, Right)
- 3) **Postorder traversal** (Left, Right, **Root**)

In-order

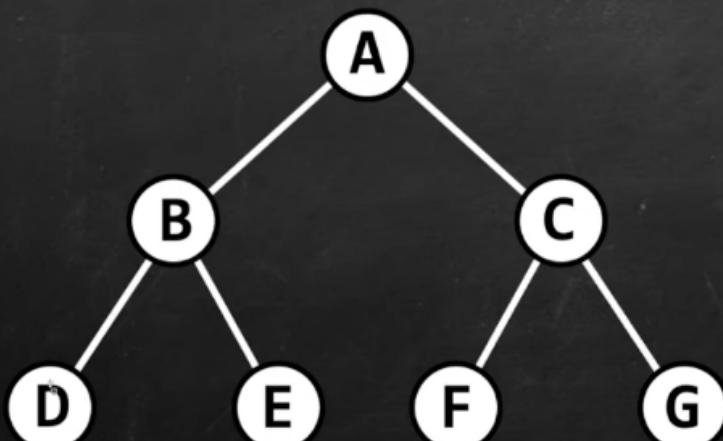


D B E A F C G

left -> root -> right

```
private void traverseTree(Node root) {  
    traverseTree(root.left);  
    System.out.println(root.data);  
    traverseTree(root.right);  
}  
  
public class Node {  
    int data;  
    Node left;  
    Node right;  
  
    public Node(int data) {  
        this.data = data;  
    }  
}
```

Post-order

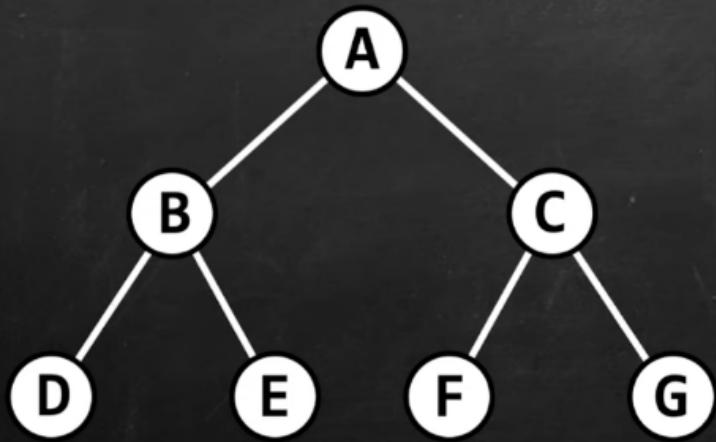


D E B F G C A

left -> right -> root

```
private void traverseTree(Node root) {  
    traverseTree(root.left);  
    traverseTree(root.right);  
    System.out.println(root.data);  
}  
  
public class Node {  
    int data;  
    Node left;  
    Node right;  
  
    public Node(int data) {  
        this.data = data;  
    }  
}
```

Pre-order



A B D E C F G
root -> left -> right

```

private void traverseTree(Node root) {
    System.out.println(root.data);
    traverseTree(root.left);
    traverseTree(root.right);
}

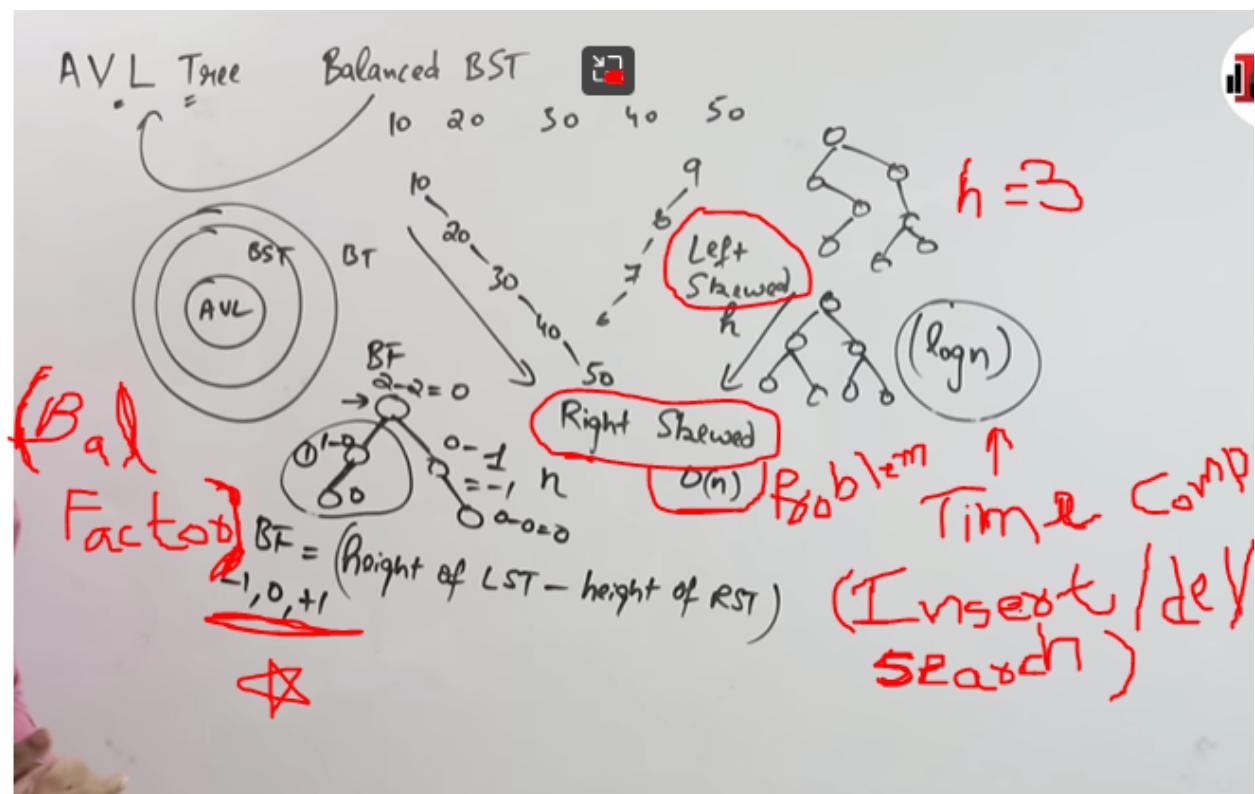
public class Node {
    int data;
    Node left;
    Node right;

    public Node(int data) {
        this.data = data;
    }
}
  
```

Sub

AVL Tree

Check out from: [AVL Tree](#)



Red black tree

Red Black Tree(All Cases With Example) In Hindi

Big(O), Big (Ω) and Big (Θ)

