

Time complexity of an algorithm

"How much time it takes to run a function as "
the size of the input grows."

const
array1 = [\(\omega \), \(\omega \),

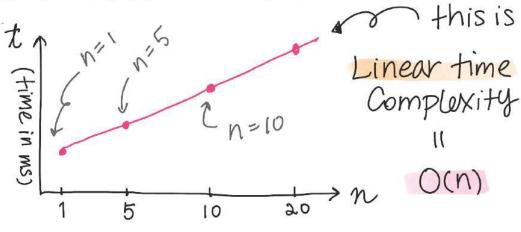
Let's see if there is a needle in the haystack!

Const numNeedles=(haystack, needle) > {
 let count=0
 for (let i=0; haystack.length; i++) {
 if (haystack[i] = needle) Count += 1;
 return count;



How long does it take to execute when the number of elements (n) is:

 execution time grows linearly as array size increases!



@ginie_mac



Let's see if we have some function that doesn't actually loop the array:

const always True No Matter What = (naystack) > { return true;

(n2) - Array size N=10 has no effect time on the runtime O(n) in ms = \$3 Constant time 0(1)O(1)10 Quadratic time = 0 (n2) n=5, however the runtime proportional Const array 2 = [\(\mathre{G}, \(\mathre{G}, \(\mathre{G}, \) \(\ma

Const has Duplicates = (avr) \Rightarrow \{ \text{ for (let i = 0; i < arr.length; i++) Loop thruse let item = avr [i]; if (arr. slice (i+1).index Of (item)!==-1) \{ \text{ veturn true; } \text{ } \text{ } \text{ } \text{ Another array look up } \\ \text{ } \text{

Data Structures

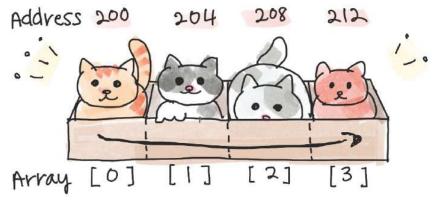
Array & Linked List

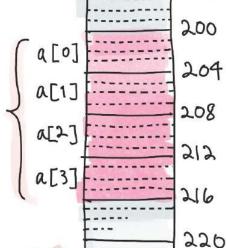
gray

a linear data structure, stored in contiguous memory locations.



196





- Assume each by is an integer
 = requires 4 bytes space
- The array of ≤ must be allocated contiguously!
 → address 200 216

Rous', ne',

meh!

224

228

Byay!

 \sim can randomly access w/ index \sim \sim \sim \sim \sim \sim \sim

wemory allocated = no memory overflow

of fixed size. Large space may not be avail for big array

= took the space! =

@ Insert + delete elements are costly.

→ may need to create a new copy of the array + allocate at a new advess. @girlie_mac

Data Structures

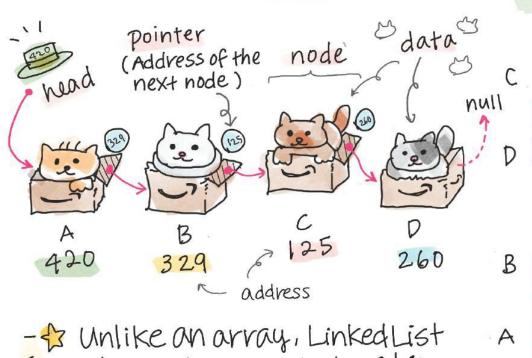
Array & Linked List

Linked use Appen (

= * each element is a separated object + elements are linked w/ pointers



125



Pointer

260

Pointer

329

Pointer

420

elements are not stored in Contiguous locations.

> Dynamic data

= Size can grow or shrink

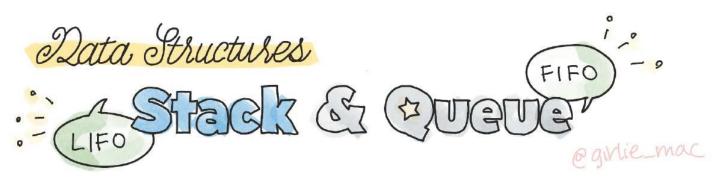
Insert + delete element ave flexible.

→ no need to shift nodes like array insertion

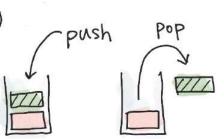
memory is allocated at runtime



- @ No vandom access memory.
 - → Need to traverse n times
 - → time complexity is O(n). array is O(1)
- @ Reverse traverse is hard



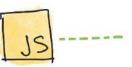
A stack is a LIFO (Last-in-First-out) data structure, where an element added last (= push) gets removed first (=pop)



inst like a Stack of ice cream scoope!



Stack as an array in Us



omg, the bottom one is always melting 11

arrays in JavaScript let Stack = [];

aredynamic: stack is:

1/ ['mint choc'] Stack. push ('mint choc');

1/ ['mint choc', vanilla] stack.push ('vanilla');

Stack push ('strawberry'); "[mint choc, vanilla.

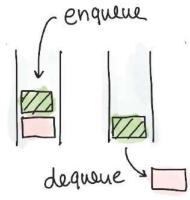
'Strawberry'] let eaten = Stack. pop(); 1/ eaten is

IN Time complexity is O(1) for both pop + push.

'Strawberry' ['mint choc', 'vanilla]



added first (= enqueue) gets removed first (= dequeue)





Stack as an array in 15



> queue unshift (, pag Kish,), instead of Push (). (wrong!

then the cost cont in to the front of line! let queue = []; queue is: 11 ['simba'] queue.push('Simba'); // ['Simba', 'nyan'] queue, push ('Nyan');

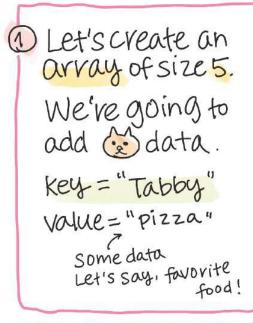
// ['Simba', 'nyan', 'maru'] queue. push ('maru');

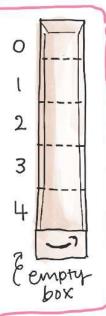
let eater = queue. Shift (); // eater is 'Simba'

queueis ['nyan', 'maru'] Time Complexity should be Och for both enqueue + dequeue but JS shift() is slower!

Nata Structures Hash Table

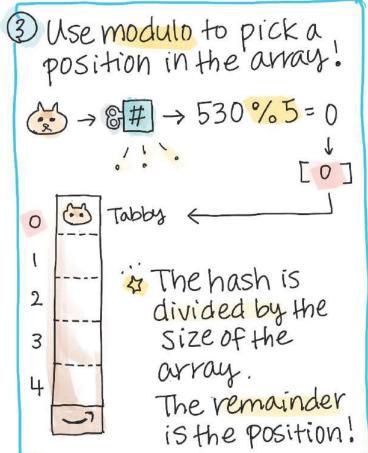
20 A hash table is used to index large amount of data 20 Quick key-value look up. O(1) on average La Faster than brute-force linear search

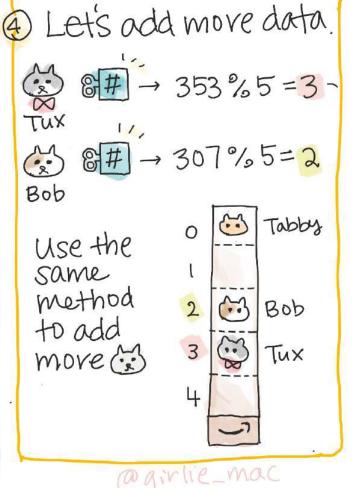




2) Calculate the hash value by using the Key. "Tabby".
e.g. ASCII code, MD5, SHA1

...,
Hash





3 Collision!

: # Hash Table

Now we want to add move data. Let's add "Bengal".



But [2] slot has been taken by "Bob" already! = collision! so let's chain Bengal next to Bob! = chaining



key: "Bengal" Value: "Dosa" "Sphinx"
"Fish +
Chips"

keep adding data



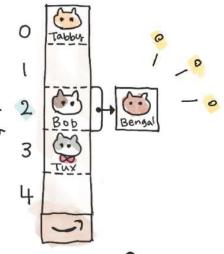
Searching for data

Let's look up the value for Bob"

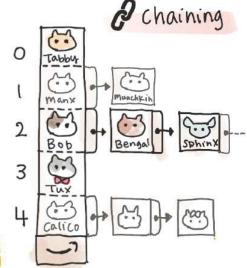
- ① Get the hash → 307
- 2) Get the index -> 307 % 5 = 2
- 3 Look up Array [2] found!

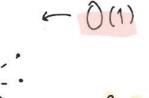
* Let's look up "munchkin"

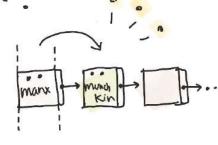
- O Hash 861
- ② Index → 861%5=1
- 3 Array[1] "manx"
- @ Operate a linear-Search to find munchkin' expressed O(n)



@girlie_mac







@girlie_mac Data Structures Binary Hea Root Binary search tree Binary tree > Binary heap =: tree data structure · Complete tree " Deach node has at min neap or max heap most 2 children w used for priority queue : A Max heap heapsort etc. -the voot in array has the largest [0] [1] [2] [3] [4] (Minheap is the opposite!) beach node has 0-2 children » always fill top > bottom, left → right 1. Add to the 2 Insertion next node Let's add 5 to the heap! 2. Compare W parent. 1. add to Oh, no! the next the pavent is smaller than node. its Child! Swapthem!!! 2. Compare w/ its parent 3. the pavent is greater. Coolit's done! Add to the next node + repeat Let's add more! the process! [0] [1] [2] [3] [4] [5]

@girlie_mac Data Structures Root 7 Binary heap Binarytree & Binary Search Tree atvee data structure · a.k.a. Ordered or sorted @ each node has at binary tree most a children · fast look up e.g. phone number lookup table by name & Rule of thumb * each value of all nodes in the left subtrees is lesser △ (10)'s left subtrees: 8, 3, 9, 7 18 $\angle (8): 3, 7 \leftarrow \text{smaller than pavent}$ * each value of all nodes in the right subtrees is larger in a sorted array: * no duplicate values 8 9 10 18 20 22 Insertion -> Always add to the lowest spot to be a leaf & No rearrange! Let's add (4) 1. Compare w/ the root first. 2.4<10 so go left. 3. then compare withe next, 8 4 (4) < (8) so go left Complexity: 5. Compare withe 3 Ave. O(logn) Worst. O(n) 6. 4>3 sogoright. 7. Compare W/ the 7 8. (1) < (1), so add to the left! Done.