



การจัดองค์การคอมพิวเตอร์

Boolean Logic

31110321 Computer Organization

สำหรับนักศึกษาชั้นปีที่ 3 สาขาวิชาวิศวกรรมคอมพิวเตอร์

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สาขาวิชาวิศวกรรมคอมพิวเตอร์
มหาวิทยาลัยนครพนม

Lecture plan

- **1.1 Boolean Logic**
- 1.2 Boolean Functions Synthesis
- 1.3 Logic Gates
- 1.4 Hardware Description Language
- 1.5 Hardware Simulation
- 1.6 Multi-Bit Buses
- 1.7 ภาพรวมโปรเจกต์สัปดาห์ 1

Boolean Logic



ดับ

No

0

False



ติด

Yes

1

True

Boolean Operations

$x \text{ And } y$

$x \wedge y$

$\text{And}(x,y)$

x	y	And
0	0	0
0	1	0
1	0	0
1	1	1

$x \text{ Or } y$

$x \vee y$

$\text{Or}(x,y)$

x	y	Or
0	0	0
0	1	1
1	0	1
1	1	1

$\text{Not } x$

$\neg x$

$\text{Not}(x)$

x	Not
0	1
1	0

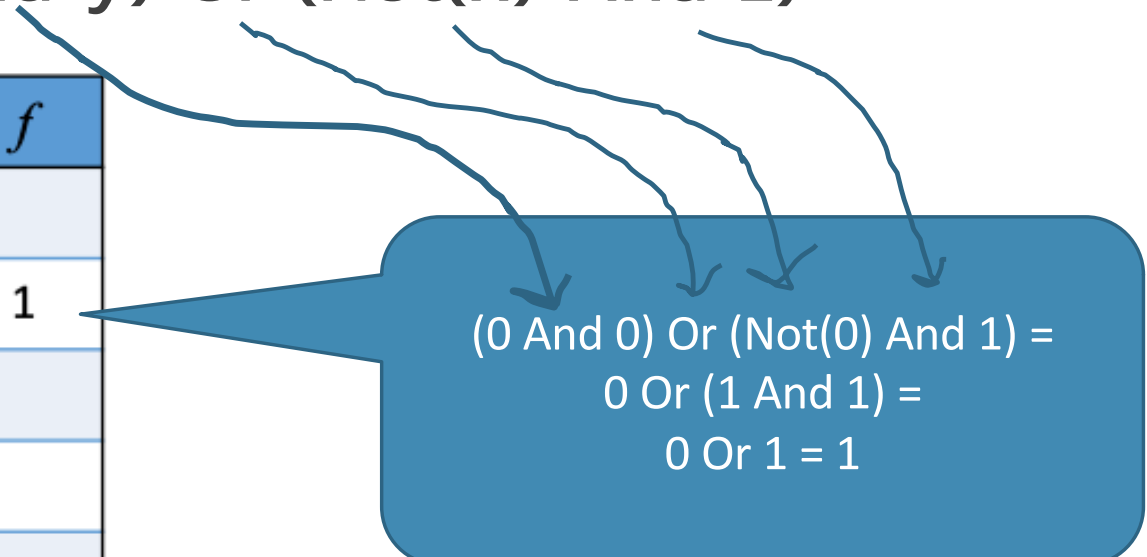
Boolean expression

- $\text{Not}(0 \text{ Or } (1 \text{ And } 1)) =$
- $\text{Not}(0 \text{ Or } 1) =$
- $\text{Not } (1) =$

Boolean Function

- $f(x,y,z) = (x \text{ And } y) \text{ Or } (\text{Not}(x) \text{ And } z)$

x	y	z	f
0	0	0	
0	0	1	1
0	1	0	
0	1	1	
1	0	0	
1	0	1	
1	1	0	
1	1	1	



$(0 \text{ And } 0) \text{ Or } (\text{Not}(0) \text{ And } 1) =$
 $0 \text{ Or } (1 \text{ And } 1) =$
 $0 \text{ Or } 1 = 1$

Boolean Function

- $f(x,y,z) = (x \text{ And } y) \text{ Or } (\text{Not}(x) \text{ And } z)$ } formula

x	y	z	f
0	0	0	
0	0	1	1
0	1	0	
0	1	1	
1	0	0	
1	0	1	
1	1	0	
1	1	1	

Truth table

Boolean Identities

- $(x \text{ And } y) = (y \text{ And } x)$
 - $(x \text{ Or } y) = (y \text{ Or } x)$
- } Commutative laws
- $(x \text{ And } (y \text{ And } z)) = ((x \text{ And } y) \text{ And } z)$
 - $(x \text{ Or } (y \text{ Or } z)) = ((x \text{ Or } y) \text{ Or } z)$
- } Associative laws
- $(x \text{ And } (y \text{ Or } z)) = (x \text{ And } y) \text{ Or } (x \text{ And } z)$
 - $(x \text{ Or } (y \text{ And } z)) = (x \text{ Or } y) \text{ And } (x \text{ Or } z)$
- } distributive laws
- $\text{Not}(x \text{ And } y) = \text{Not}(x) \text{ Or } \text{Not}(y)$
 - $\text{Not}(x \text{ Or } y) = \text{Not}(x) \text{ And } \text{Not}(y)$
- } De Morgan laws

Boolean Algebra

- $\text{Not}(\text{Not}(x) \text{ And } \text{Not}(x \text{ Or } y)) =$
- $\text{Not}(\text{Not}(x) \text{ And } (\text{Not}(x) \text{ And } \text{Not}(y))) =$
- $\text{Not}((\text{Not}(x) \text{ And } \text{Not}(x)) \text{ And } \text{Not}(y)) =$
- $\text{Not}(\text{Not}(x) \text{ And } \text{Not}(y)) =$
- $\text{Not}(\text{Not}(x)) \text{ Or } \text{Not}(\text{Not}(y)) = x \text{ Or } y$

De Morgan law

Associative law

idempotence

De Morgan law

Doble negative

Boolean Algebra

- $\text{Not}(\text{Not}(x) \text{ And } \text{Not}(x \text{ Or } y)) =$



x	y	Or
0	0	0
0	1	1
1	0	1
1	1	1



$x \text{ Or } y$