

# Quiz 1

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- Monday Sept 21. Open for 24 hours, from 12 midnight (am) to 11:59 pm (Toronto time).
  - You can only try it once.
  - All questions can be viewed at once.
  - Correct answers will be shown after everyone has had a chance to view the quiz.
  - Quiz questions will be randomized.
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- You will have 4 Hours to do the quiz. Should take about 40 mins!! So you will have time to think about the answers, go back to the lecture material, etc.
  - To do the quiz effectively make sure you look at all of the required videos, use piazza and my office hours to get your questions answered.

# Office Hours

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- Wednesdays 1-2pm. Via Zoom. I will post a Zoom link on the course web site.
- By special arrangement if needed (email me).
- If you wish to ask questions relevant to this weeks quiz I will take questions after the tutorial.

# Logistics World

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- Set of Cities
- For each City a set of locations in that city.
- Some locations are Airports. -
- Set of Trucks, each truck is in some city. -
- Set of Airplanes -
- Trucks can move between any location in the same city.
- Airplanes can move between any two airport.
- Set of packages each in some city at some location.
- Packages can be loaded into a truck or airplane if that vehicle is at the same location at the package.
- If a package is in a vehicle it is moved when the vehicle is moved.

# Logistics World

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- Aim is to pickup a bunch of packages and deliver them to some goal locations.

- Such search problems are commonly represent by
  - a **static** objects—the objects have types and are unchanged by the actions. There might also be some static facts.
  - A set of **predicates** that we use to assert facts about the objects
  - Using the objects and the predicates, the **states** are represented as a set of facts.
  - Actions have preconditions. They are only applicable to states whose set of facts satisfy the preconditions.
    - Actions transition between states by adding and deleting facts from the state to generate a new state
- This kind of representation was originally called a STRIPS representation, now with various extensions it is called PDDL—planning domain description language.

# Logistics World

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Lets specify the Logistics World search space using a STRIPS/PDDL.

1. Typed objects:

t1, t2 – truck

p1, p2 – package

a1 – airplane

l1, l2, l3, l4 – location

Static facts:

sameCity(l1,l2), sameCity(l3,l4)

airport(l2), airport(l4)

# Logistics World

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States:

a set of facts involving the predicates  
 $\text{at}(x? - \text{truck, airplane, package}, y? - \text{location})$   
 $\text{in}(x? - \text{package}, y? - \text{truck, airplane})$

$x?$  and  $y?$  are variables. These can be substituted by any object of that type.

Example:

Initial state  $I = \{\text{at}(t1, l1), \text{at}(t2, l3), \text{at}(a1, l2), \text{at}(p1, l1),$   
 $\text{in}(p2, t1)\}$

Goal state  $G = \{\text{at}(p1, l4), \text{at}(p2, l4)\}$

the goal is satisfied by any state containing these facts.

# Logistics World

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## Actions

1. `move_truck(t? – truck, l1? – loc, l2? – loc)`  
#move truck t? from location l1? to location l2?  
precondition: `at(t?, l1?), sameCity(l1?, l2?), l1? != l2?`  
add: `at(t?, l2?)`  
del: `at(t?, l1?)`
2. `move_plane(a? – airplane, l1? – loc, l2? – loc)`  
#move airplane a? from location l1? to location l2?  
precondition: `at(?a, l1?), airport(l2?)`  
add: `at(a?, l2?)`  
del: `at(a?, l1?)`



## Actions

3. `load_vehicle (p? – package, v? – truck, plane, l? – location)`  
#load a package into a vehicle at location  
precondition: `at(p?, l?), at(v?, l?)`  
add: `in(p?, v?)`  
del: `at(p?, l?)`
4. `unload_vehicle(p? – package, v? – truck, plane, l? – location)`  
#unload a package from a vehicle at location  
precondition: `at(v?, l?), in(p?, v?)`  
add: `at(p?, l?)`  
del: `in(p?, v?)`

# Example Transitions:

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$I = \{at(t1, l1), at(t2, l3), at(a1, l2), at(p1, l1), in(p2, t1)\}$

→ `load_vehicle(p1, t1, l1)`  
 $\{at(t1, l1), at(t2, l3), at(a1, l2), in(p1, t1), in(p2, t1)\}$

→ `move_truck(t1, l1, l2)`  
 $\{at(t1, l2), at(t2, l3), at(a1, l2), in(p1, t1), in(p2, t1)\}$

→ `unload_vehicle(p1, t1, l2)` → `unload_vehicle(p2, t1, l2)` →  
`load_vehicle(p1, a1, l2)` → `load_vehicle(p2, a1, l2)` →  
`move_plane(a1, l2, l4)` → `unload_vehicle(p1, a1, l4)` →  
`unload_vehicle(p2, a1, l4)` →  
 $\{at(t1, l2), at(t2, l3), at(a1, l4), at(p1, l4), at(p2, l4)\}$

This state satisfies the goal  $\{at(p1, l3), at(p2, l3)\}$

# PDDL

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- Open source high performance search engines (planners) that solve search problems expressed in PDDL exist.  
<http://www.fast-downward.org/>
- These planners also use powerful heuristic that only need to examine the PDDL description—they don't have to be constructed for each different search space.
- The search problems we will use in class are simpler and usually can be represented in custom ways (rather than using general PDDL). E.g., we can represent 8-puzzle with a list of numbers representing the tile at each location.