Script started on 2021-03-04 19:19:42-0600 l ladios@ares:~\$ cat StacksAndQueues.info NAME: Leia Ladios CLASS: CSC121-W01 Assignment: Stacks and Queues HW Level: 4.5 Description: R-6.1: Suppose an initially empty stack S has performed: 25 push operations, 12 top operations, and 10 pop operations(3 of which returned null to indifcate an empty stack). What is the current size of the stack? R-6.2: Given Code Fragment 6.2. what would be the final value of the instance variable t for the previous problem? R-6.5: Give a recursive method for removing all the elements from the stack. C-6.24: Describe how you can use a queue to scan S to see if it

- C-6.24: Describe how you can use a queue to scan S to see if it contains an element x, with an additional constraint that you return all the elements back into the stack in their original order. You may only use the stack, queue, and a constant number of other primitive variables.
- C-6.30: Give pseudocode description of an array-based implementation of the double ended queue ADT. What is the running time for each operation.
- C-6.31: Describe how to implement the deque ADT using two stacks as the only instance variables. What are the running times of the methods?

l_ladios@ares:~\$ cat StacksAndQueuesHW.txt
cat: StacksAndQueuesHW.txt: No such file or directory
l_ladios@ares:~\$ cat StacksAndQueuesHW
R-6.1

Pushing 25 operations means 25 elements get added to the stack. Top operations do not affect the size of the stack as it merely returns the element at the top of the stack without removing it. Having 10 pop operations mean that 10 elements are removed from the stack. However, 3 of those pop operations returned null. This means that they happened when the stack was empty. This means that only 7 pop

operations really affected the size of the stack. With that, the size of the stack is 25-7 = 18.

R-6.2

The instance variable is t=-1 when a stack is instantiated. A t=-1 indicates and empty stack. The size of the stack is determined by the equation t+1= size. When the stack is empty, the equation is t+1=0. When the size of the stack is 15, the equation is t+1=18. This allows us to derive the value of t in that scenario. We would get t=18-1=>t=17.

R-6.5

C - 6.24

We would have to pop from the stack. To make sure we don't loose any of our elements, we can enqueue it into a queue Q. To determine whether or not the stack S contains an element x, we can pop from the stack, compare its value with the given element x. If it is not a match, enqueue it into Q. Continue to pop off each element until a match for x is found or you run out of elements to pop which would indicate that the stack does not contain an element equivalent to x.

To satisfy the additional constraint that the algorithm must return the elements back to S in their original order, we would have to dequeque each element and push them back into the Stack. At the end of this process, we will have the elements in a flipped order. To maintain its original order, we will have to go through the whole process all over again. We will have to pop each element from the queue. When all the elements are back in the queue, we will then push each element back into the stack. Going through the process twice will allow us to maintain the original order of the Stack S.

C - 6.30

An array-based implementation of a double ended queue ADT would utilize a circular array. We must be able to add and remove from the start as well as the end of the array.

```
by assigning it to the front index.
To add to the end of the array:
//check if deque is full bc you can't add anymore
        if it is
//if the rear is the end of the array(size-1),
        make rear = 0 which would be the next index
        to add to since the deque is not full.
//else just increment rear to keep adding after
        the current rear which has not reached the end of the deque.
        enqueue the given element passed int the method by assigning
        it to the rear index.
To remove from the front:
//check if the degue is empty
//if there is only one element in the array(front == rear),
        dequeue the element by storing it in a helper variable,
        setting that index to null/0, then setting front and
        rear index to be = -1.
        -1 rear and front mean the deque is empty.
//else if there are not any more elements in the circular array
        front should be made the to be index 0 of the array
//else
        front++;
To remove from the rear:
//check id deque is empty
/if there is only one element in the array(front == rear).
        dequeue the element by storing it in a helper variable.
        setting that index to null/0, then setting front and
        rear index to be = -1.
        -1 rear and front mean the deque is empty.
//else if there are not any more elements in the circular array,
        rear will have rear equal to be the index the size of the
        arrav less 1.
        rear = size - 1:
//else
        rear--;
Each operation has a constant runtime.
C - 6.31
A degue allows us to add and remove from two places in a gueue.
We are able to access elements from the top and bottom.
To implement a deque using two stacks as the only instance
variables, we will assign one stack to handle elements added
and removed from the top of the deque. The second stack will
handle elements added and removed from the bottom of the deque.
Since poping an element into a stack adds it to the top of the
stack, we have access to the most recent addition to either the
end or the top of the deque. The following methods are needed in
the implementation:
Stack<T> A = new Stack<T>();
```