

DIRECT DETECTION OF EXOPLANETS USING TUNABLE KERNEL-NULLING

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In a nutshell

This thesis aim to enhance nulling interferometry for exoplanet detection using a four-telescope architecture named Kernel-Nuller. By integrating 14 active phase shifters, we aim to mitigate phase aberrations caused by manufacturing defects. An algorithm is developed to optimize device performance, validated through simulations and lab experiments. A second phase consist in analyzing intensity distributions produced by Kernel-Nuller and applying statistical tests and machine learning to extract science information. This poster present the preliminary results.

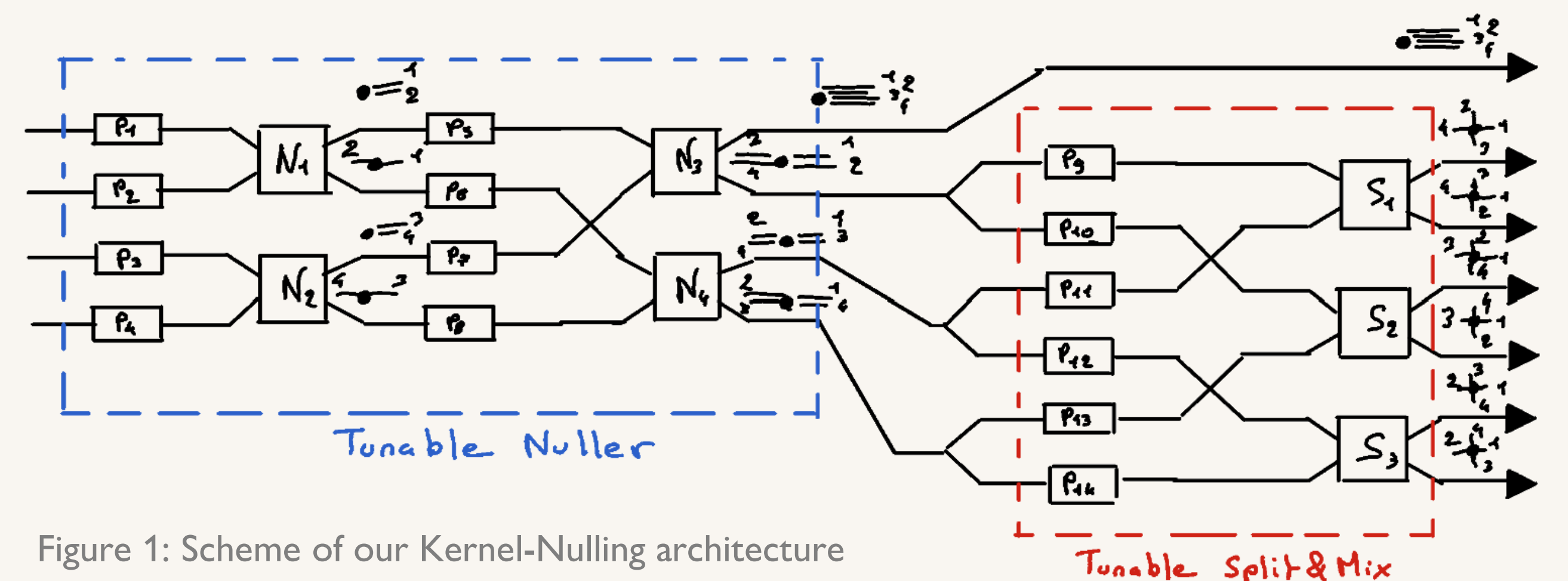


Figure 1: Scheme of our Kernel-Nulling architecture

Nulling interferometry

On the VLTI

This technique consist in taking advantage of the angular separation and the coherence properties of the light to destroy the star light and combine the planet light in the same process. Our approach Enhance this principle by Introducing « Kernels » which combine the light from 3 telescopes or more to be less sensitive to low order phase aberrations and Asymmetries the output to better constrain the planet position.

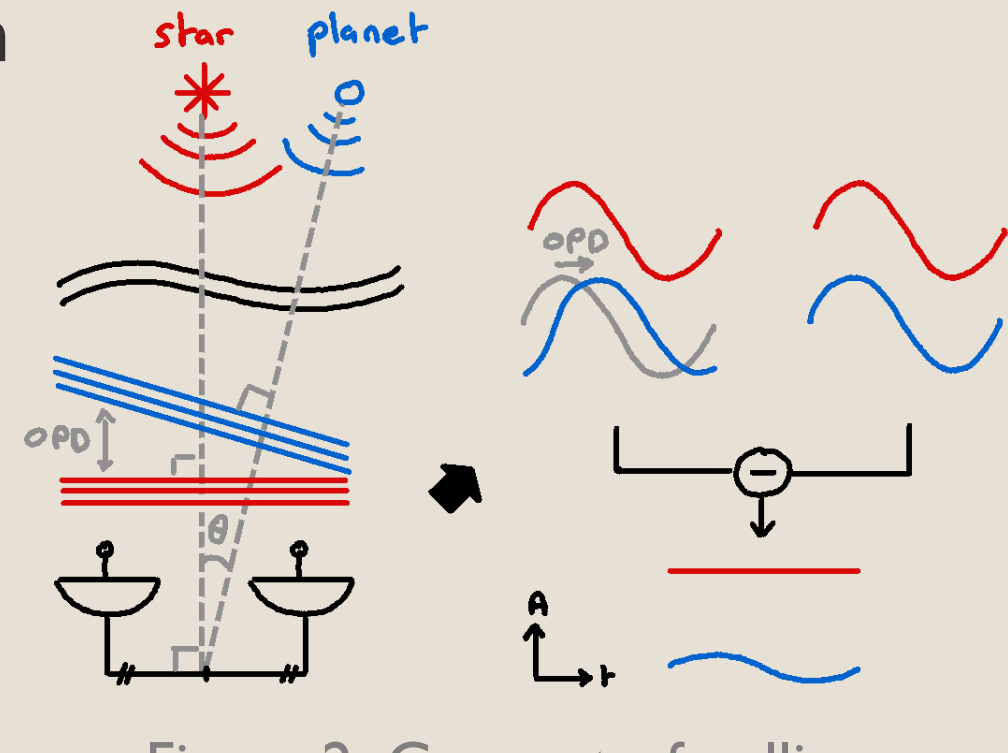


Figure 2: Concept of nulling interferometry

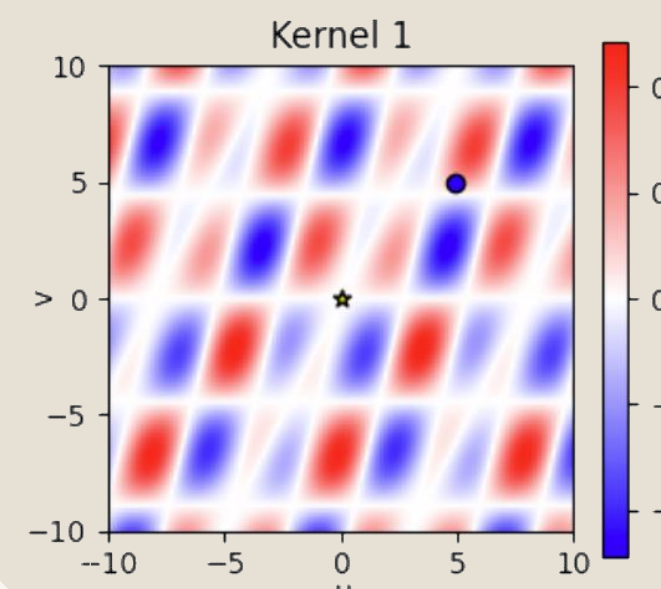


Figure 3: Transmission map of one of the Kernels obtained using the 4 telescopes of the VLTI. The transmission zones and blind bands are directly derived from the UT position. By rotating the baseline, we can get a modulated signal from which we can precisely constrain the planet position.

Calibration algorithm

To find the best phase shifts to introduce, I proposed an algorithm inspired from dichotomy and gradient descent that accept or reject steps in the parameter space according to the bright $M_1 = B$ and dark asymmetry $M_2 = |D_1 - D_2| + |D_3 - D_4| + |D_5 - D_6|$ metrics. B and D are respectively the bright and darks output intensities.

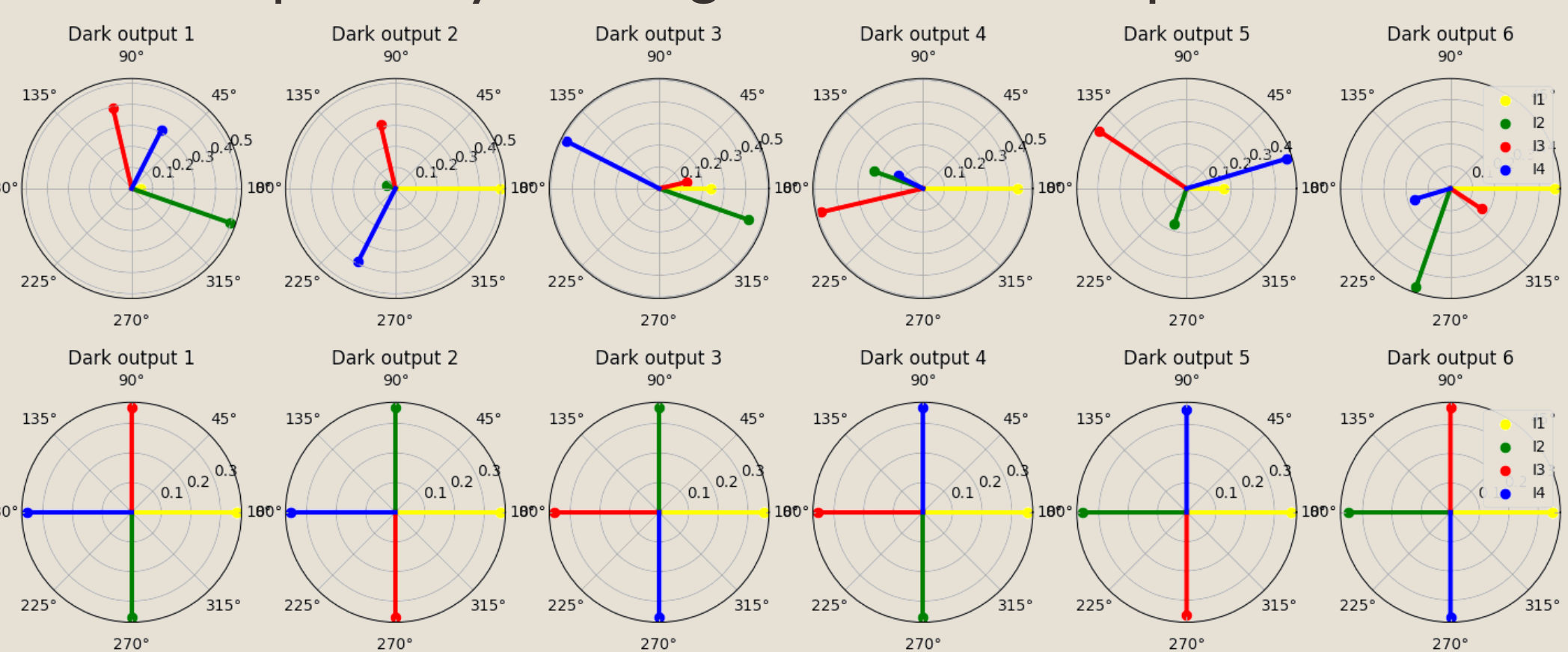


Figure 6: phase and amplitude of the 4 input signals oon the 6 dark outputs before and after the calibration process

Parallactic diversity

Taking advantage of the earth rotation, the kernel distribution will shift according to a known modulation. For each kernel output, one fit this modulation to the data points, giving the position and contrast of the potential object. By averaging all these parameter and computing a global fit, we can compare if this last one is well correlated to each kernel modulation.

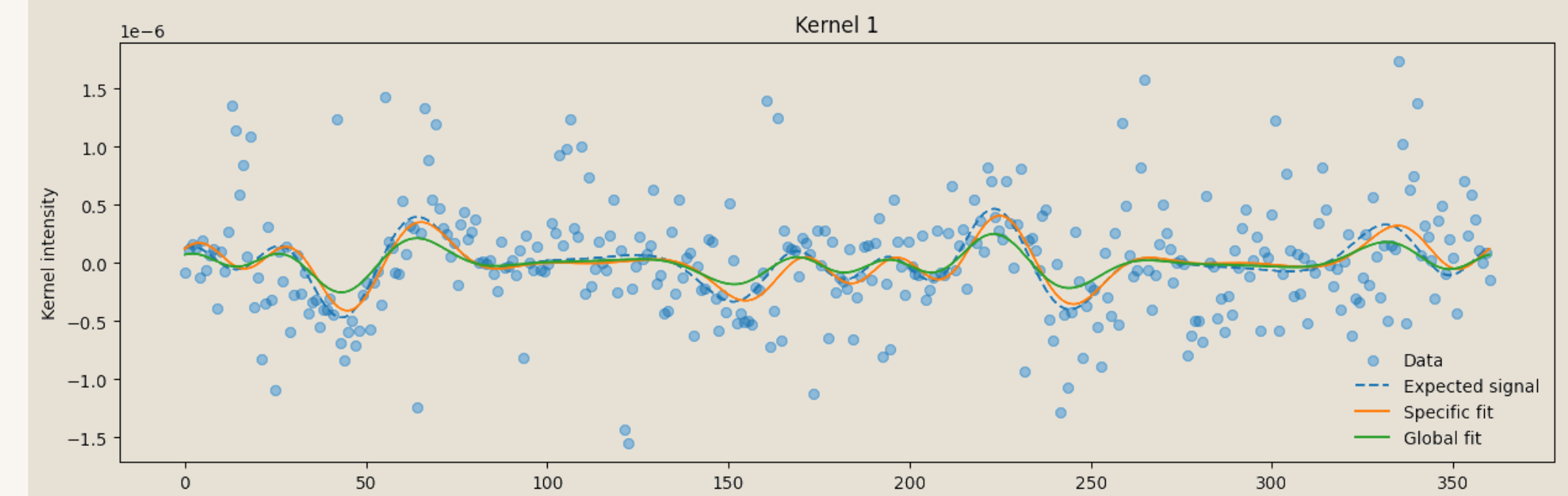


Figure 9: Kernel modulation & fitting

Distribution analysis

By introducing input phase aberrations, the system is not able to perfectly cancel the star light. By multiplying the observation, we obtain such distribution:

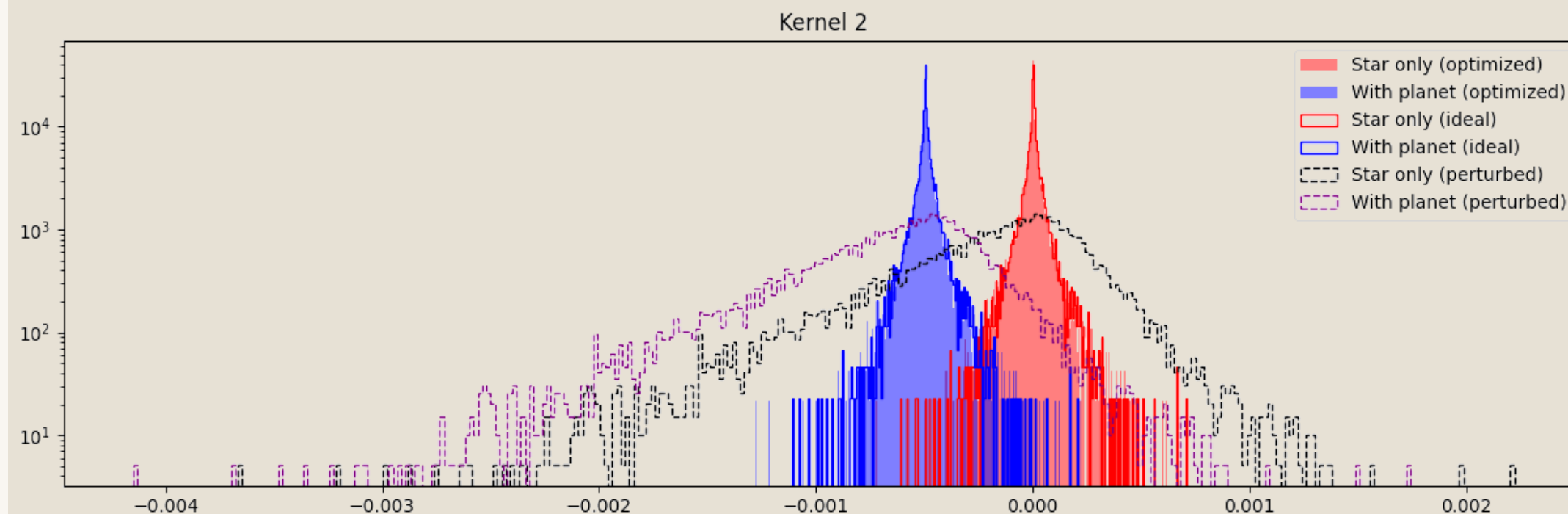


Figure 7: Intensity distribution obtained on a kernel output (with an extremely bright planet to clearly show the distribution shift)

The presence of an exoplanet in the field of view result in a shift of the distribution. The more the planet will be bright, the more the shift will be pronounced. In practice, both distribution are almost indistinguishable. We then test several estimators to retrieve the true value of the signal and then estimate the probability of detection.

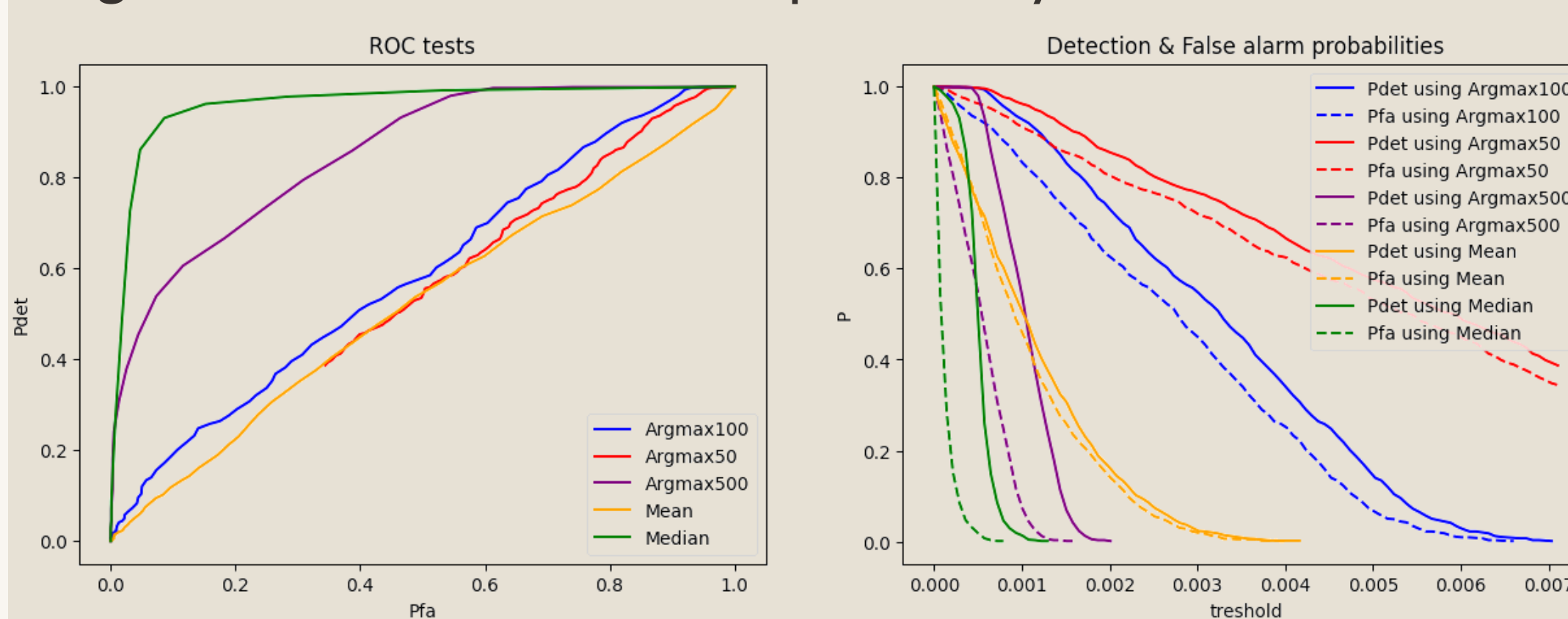


Figure 8: ROC test to estimate the confidence of detection regarding to the probability of false alarm.

Image reconstruction

By weighting the kernel map by the output intensity and integrating it over the parallactic angle, we can retrieve which part of the sky has potentially contributed to this output. By cumulating the 3 probable intensity distribution, it is then possible to constrain precisely which part of the sky contributed the most, and then reveal the object!

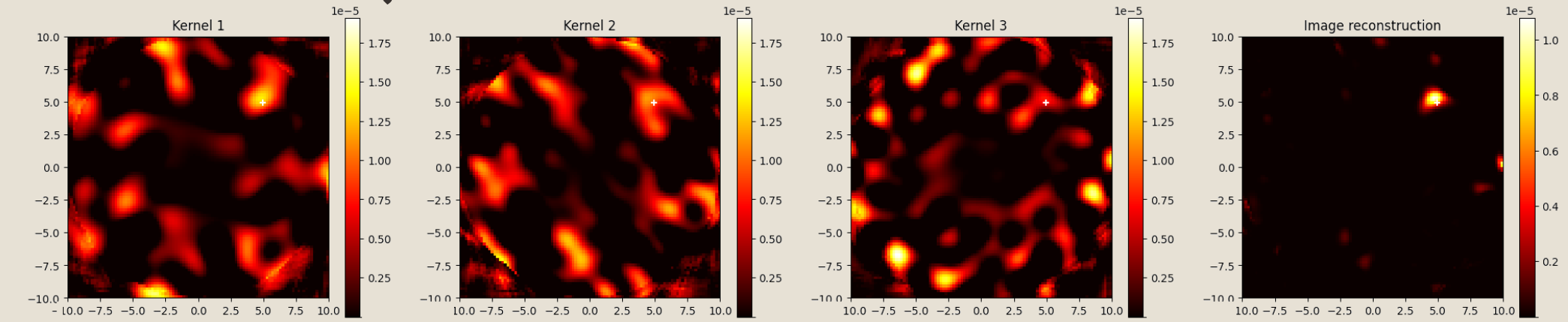


Figure 10: Repartition of probable contributions and cumulation of these maps to get a sort of reconstructed image.

Discussions & prospects

These promising results are mitigated by the persistent sensibility to high order phase aberration. A contrast of 10^{-6} require an AO correction that bring phase aberration below $\lambda/100$. Also, two of the main prospects will consist to make these simulations chromatic and confirm these results in a lab.

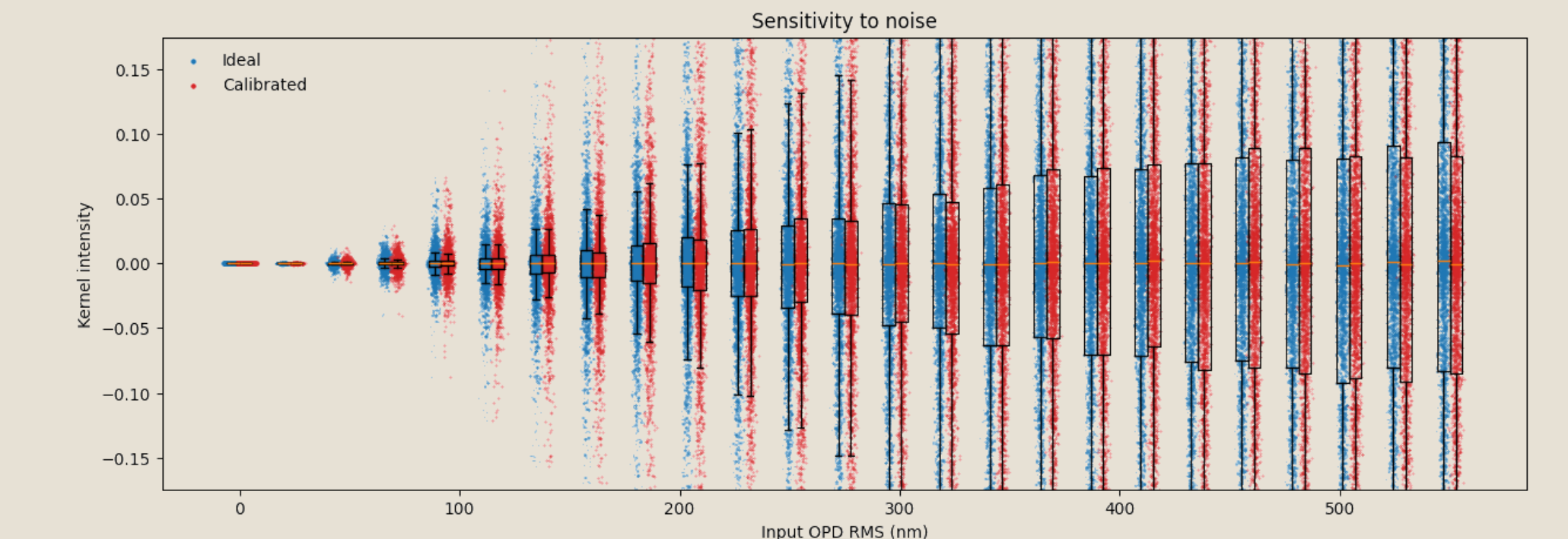


Figure 11: Evolution of kernel distribution spread according to the input phase aberrations.

References

Ref1
Ref2
Ref3
Ref4
Ref5

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