# LaboratorioBonus-MD

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Laboratorio Bonus- Ejemplos EconGeo

Instalamos la paquetria install.packages("devtools") install.packages("EconGeo")

Llamamos a las librerias

library(devtools)

## Loading required package: usethis

library(EconGeo)

##

## Please cite EconGeo in publications as:

## Balland, P.A. (2017) Economic Geography in R: Introduction to the EconGeo Package, Papers in Evolutionary Economic Geography, 17 (09): 1-75

Example 4: Plot a Hoover curve (pag. 7) Esta funcion traza una curva de Hoover (1936) a partir de matrices de regiones-industrias. Generamos vectores de conteo industrial y poblacional

ind <- c(0,10,10,30,50) pop <- c(10,15,20,25,30)

Verificamos el vector ind

ind

## [1] 0 10 10 30 50

Verificamos el vector pop

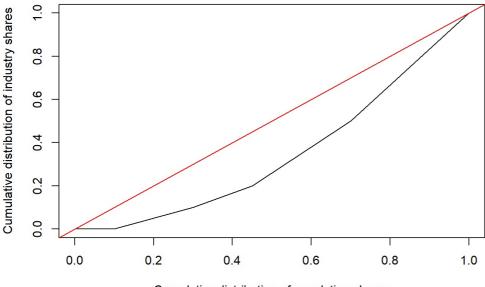
pop

## [1] 10 15 20 25 30

Ejecute la funcion (30% de la poblacion produce el 50% de la produccion industrial)

Hoover.curve (ind,pop)

#### Hoover curve



Cumulative distribution of population shares

Calcule el Gini de Hoover correspondiente

```
Hoover.Gini(ind,pop)
```

```
## [1] 0.31
```

Gini (pag.14) La funcion calcula el coeficiente de Gini. El indice de Gini mide la desigualdad espacial. Va desde 0 (perfecta igualdad de ingresos) a 1 (perfecta desigualdad de ingresos) y se deriva de la curva de Lorenz Ejemplo: Generamos los vectores

```
ind <- c(0,10,10,30,50)
```

Corremos la funcion

```
Gini(ind)
```

```
## [1] 0.48
```

Generamos una matriz industria-region

Corremos la funcion

```
Gini(mat)
```

Corremos la funcion y agregamos todas las industrias

```
Gini(rowSums(mat))
```

```
## [1] 0.25
```

Corremos la funcion para la industria 1 solamente (igualdad perfecta)

```
Gini(mat[,1])
```

```
## [1] NaN
```

Corremos la funcion para la industria 2 solamente (igualdad perfecta)

```
Gini(mat[,2])
```

```
## [1] 0
```

Corremos la funcion para la industria 3 solamente (desigualdad perfecta: max Gini = (5-1)/5)

```
Gini(mat[,3])
```

```
## [1] 0.8
```

Corremos la funcion para la industria 4 solamente (el 40% superior produce el 100% de la producción)

```
Gini(mat[,4])
```

```
## [1] 0.6
```

Hoover Gini (pag.26) Esta funcion calcula el Gini de Hoover (la cual lleva el nombre de Hedgar Hoover). El indice de Hoover es una medida de desigualdad espacial. Va desde 0 (perfecta igualdad de ingresos) a 1 (perfecta desigualdad de ingresos) y se calcula a partir de la curva de Hoover asociada a una determinada distribución de población, industrias o tecnologías y una categoría de referencia Ejemplo: Generamos los vectores de conteo industrial y poblacional

```
ind <- c(0,10,10,30,50)
pop <- c(10,15,20,25,30)
```

Corremos la funcion (30% de la poblacion produce el 50% de la produccion industrial)

```
Hoover.Gini(ind, pop)
```

```
## [1] 0.31
```

Generamos una matriz region-industria

```
mat = matrix(
  c(0,10,0,0,
    0,15,0,0,
    0,20,0,0,
    0,25,0,1,
    0,30,1,1), ncol = 4, byrow = T)
rownames(mat) <- c ("R1","R2","R3","R4","R5")
colnames(mat) <- c ("II","I2","I3","I4")</pre>
```

Corremos la funcion

```
Hoover.Gini(mat,pop)
```

Corremos la funcion agregando todas las industrias

```
Hoover.Gini(rowSums(mat), pop)
```

```
## [1] 0.015
```

Corremos la funcion con la industria 1 solamente

```
Hoover.Gini(mat[,1], pop)
```

```
## [1] NaN
```

Corremos la funcion con la industria 2 solamente (perfectamente proporcional con la pobalcion)

```
Hoover.Gini(mat[,2], pop)
```

```
## [1] 0
```

Corremos la funcion con la industria 3 solamente (30% de la poblacion produce 100% de la produccion)

```
Hoover.Gini(mat[,3], pop)
```

```
## [1] 0.7
```

Corremos la funcion con la industria 4 solamente (55% de la poblacion produce 100% de la produccion)

```
Hoover.Gini(mat[,4], pop)
```

```
## [1] 0.475
```

locational. Gini (pag. 34) Esta funcion calcula el coeficiente de Gini de ubicacion propuesto por Krugman a partir de matrices de regiones-industrias. Cuanto mayor sea el coeficiente (limite teorico = 0,5), mayor sera la concentracion industrial. El Gini de ubicacion de una industria que no esta localizada en absoluto (perfectamente distribuida) en proporcion al empleo total seria 0. Ejemplo: Generamos una matriz region-industria

```
mat = matrix(
    c(100,0,0,0,0,0,0,0,0,15,5,70,10,0,0,15,5,70,10,0,0,20,50,0,0,25,30,5,40,0,25,30,5,40,0,40,55,5,0), ncol = 5, byrow = T)
rownames(mat) <- c ("R1","R2","R3","R4","R5")
colnames(mat) <- c ("I1","I2","I3","I4","I5")</pre>
```

Corremos la funcion

```
locational.Gini(mat)
```

```
##
     Industry Loc.Gini
## 1
           Ι1
                   0.40
## 2
           12
                   0.18
## 3
           13
                   0.27
## 4
           14
                   0.31
## 5
           15
                   0.28
```

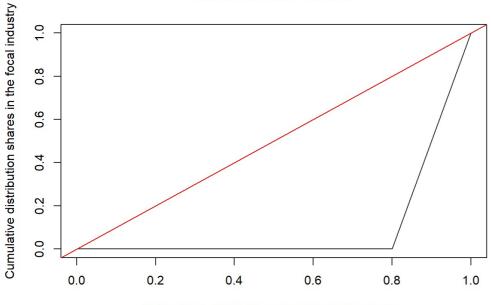
locational.Gini.curve (pag.35) Esta funcion traza una curva de Gini de ubicacion siguiendo a Krugman a partir de matrices de regiones-industrias Ejemplo: Generamos una matriz region-industria

```
mat = matrix(
  c(100,0,0,0,0,
    0,15,5,70,10,
    0,20,10,20,50,
    0,25,30,5,40,
    0,40,55,5,0), ncol = 5, byrow = T)
rownames(mat) <- c ("R1","R2","R3","R4","R5")
colnames(mat) <- c ("I1","I2","I3","I4","I5")</pre>
```

Corremos la funcion

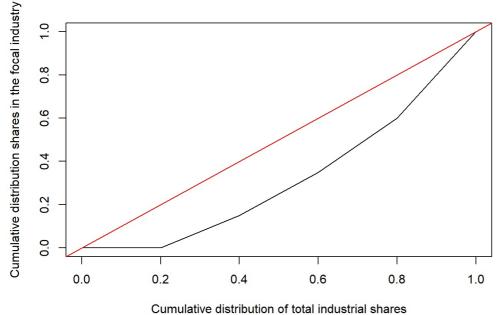
```
locational.Gini.curve(mat)
```

# Locational Gini curve I1

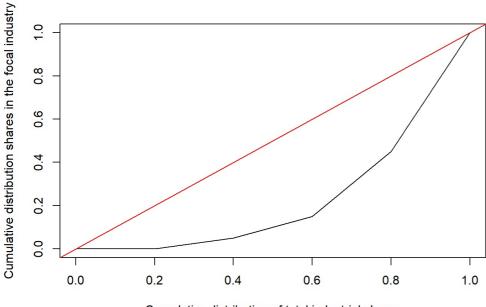


Cumulative distribution of total industrial shares

# Locational Gini curve I2

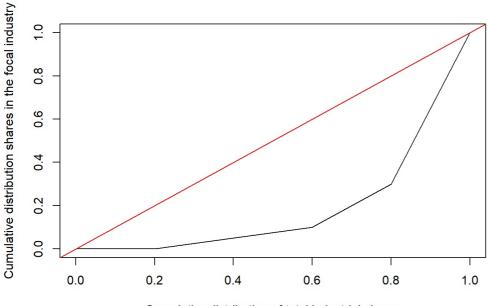


# Locational Gini curve I3



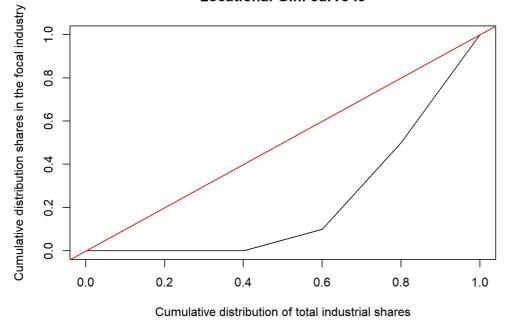
Cumulative distribution of total industrial shares

# Locational Gini curve 14



Cumulative distribution of total industrial shares

# Locational Gini curve I5



locational.Gini.curve(mat, pdf = TRUE)

## [1] "locational.Gini.curve.pdf has been saved to your current working directory"

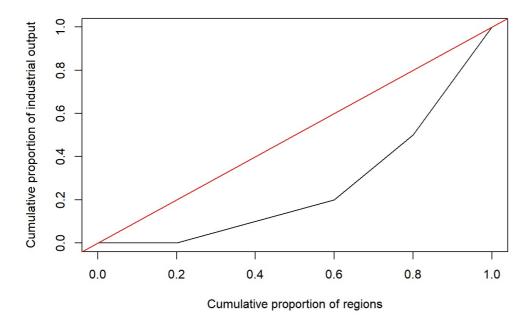
Lorenz.curve (pag.36) Esta funcion traza una curva de Lorenz a partir de recuentos industriales regionales. Esta curva indica la distribucion desigual de una industria entre regiones Ejemplo: Generamos vectores de recuentos industriales

ind <- c(0,10,10,30,50)

Corremos la funcion

Lorenz.curve(ind)

#### Lorenz curve



```
Lorenz.curve(ind, pdf = TRUE)
```

## [1] "Lorenz.curve.pdf has been saved to your current working directory"

```
Lorenz.curve(ind, plot = FALSE)
```

```
## $cum.reg

## [1] 0.0 0.2 0.4 0.6 0.8 1.0

##

## $cum.out

## [1] 0.0 0.0 0.1 0.2 0.5 1.0
```

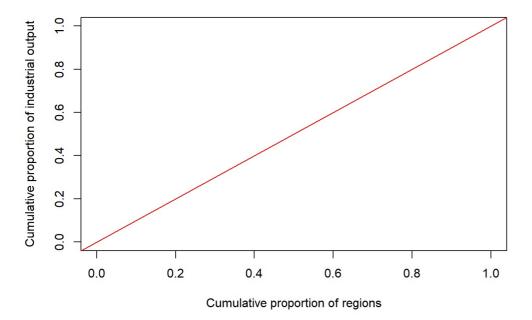
# Generamos una matriz region-industria

```
mat = matrix(
  c(0,1,0,0,
    0,1,0,0,
    0,1,0,0,
    0,1,0,1,
    0,1,1,1), ncol = 4, byrow = T)
rownames(mat) <- c ("R1","R2","R3","R4","R5")
colnames(mat) <- c ("I1","I2","I3","I4")</pre>
```

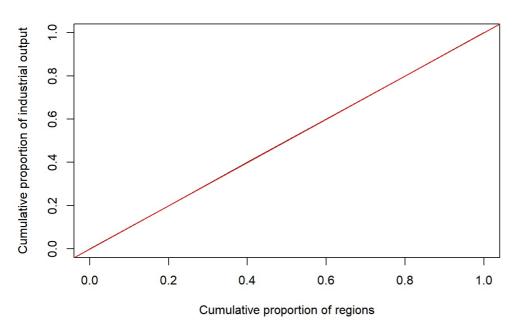
#### Corremos la funcion

```
Lorenz.curve(mat)
```

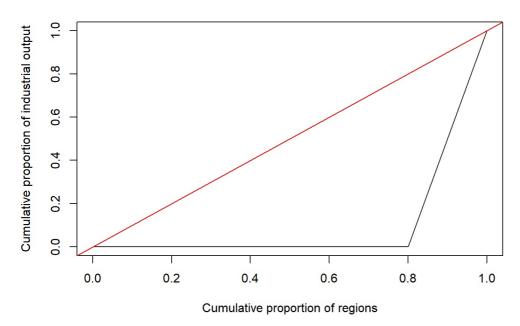
# Lorenz curve I1



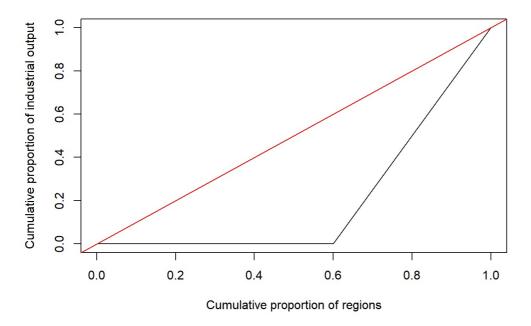
# Lorenz curve I2



# Lorenz curve I3



# Lorenz curve 14



```
Lorenz.curve(mat, pdf = TRUE)
```

 $\hbox{\it \#\# [1] "Lorenz.curve.pdf has been saved to your current working directory"}$ 

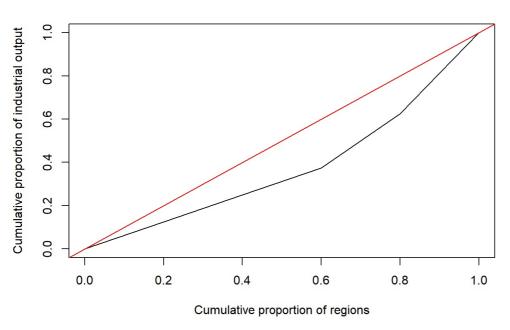
```
Lorenz.curve(mat, plot = FALSE)
```

```
## $cum.reg
## [1] 0.0 0.2 0.4 0.6 0.8 1.0
##
## $cum.out
## R1 R2 R3 R4 R5
## 0 NaN NaN NaN NaN NaN
```

Corremos la funcion agregando todas las industrias

```
Lorenz.curve(rowSums(mat))
```

#### Lorenz curve



Lorenz.curve(rowSums(mat), pdf = TRUE)

```
## [1] "Lorenz.curve.pdf has been saved to your current working directory"
```

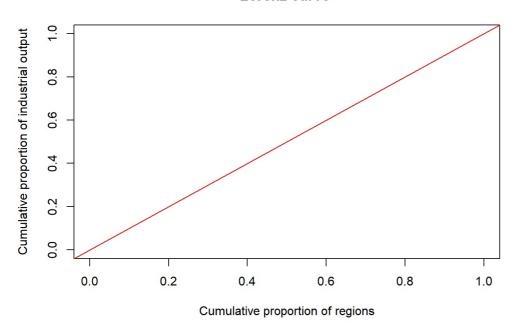
```
Lorenz.curve(rowSums(mat), plot = FALSE)
```

```
## $cum.reg
## [1] 0.0 0.2 0.4 0.6 0.8 1.0
##
## $cum.out
## R1 R2 R3 R4 R5
## 0.000 0.125 0.250 0.375 0.625 1.000
```

Corremos la funcion solamente con la industria 1 (igualdad perfecta)

```
Lorenz.curve(mat[,1])
```

# Lorenz curve



Lorenz.curve(mat[,1], pdf = TRUE)

## [1] "Lorenz.curve.pdf has been saved to your current working directory"

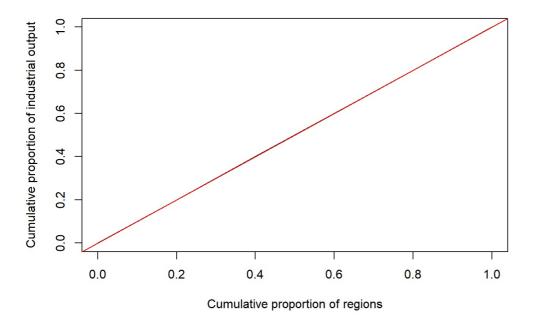
```
Lorenz.curve(mat[,1], plot = FALSE)
```

```
## $cum.reg
## [1] 0.0 0.2 0.4 0.6 0.8 1.0
##
## $cum.out
## R1 R2 R3 R4 R5
## 0 NaN NaN NaN NaN NaN
```

Corremos la funcion solamente con la industria 2 (igualdad perfecta)

```
Lorenz.curve(mat[,2])
```

#### Lorenz curve



```
Lorenz.curve(mat[,2], pdf = TRUE)
```

## [1] "Lorenz.curve.pdf has been saved to your current working directory"

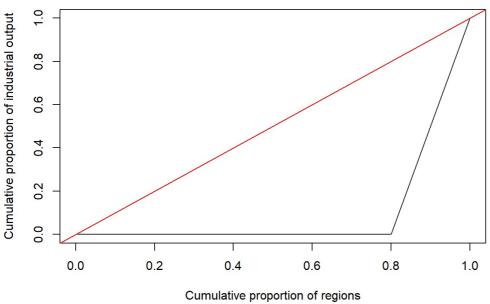
```
Lorenz.curve(mat[,2], plot = FALSE)
```

```
## $cum.reg
## [1] 0.0 0.2 0.4 0.6 0.8 1.0
##
## $cum.out
## R1 R2 R3 R4 R5
## 0.0 0.2 0.4 0.6 0.8 1.0
```

Corremos la funcion solamente con la industria 3 (desigualdad perfecta)

```
Lorenz.curve(mat[,3])
```

# Lorenz curve



```
## [1] "Lorenz.curve.pdf has been saved to your current working directory"
```

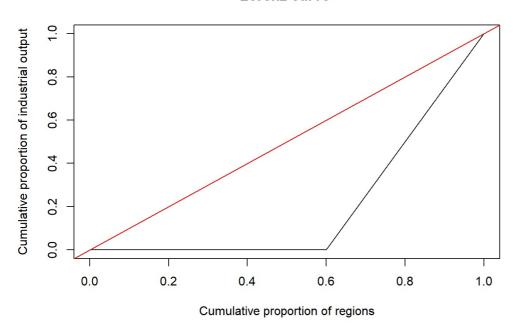
```
Lorenz.curve(mat[,3], plot = FALSE)
```

```
## $cum.reg
## [1] 0.0 0.2 0.4 0.6 0.8 1.0
##
## $cum.out
## R1 R2 R3 R4 R5
## 0 0 0 0 0 1
```

Corremos la funcion solamente con la industria 4 (el 40% superior produce el 100% de la produccion)

```
Lorenz.curve(mat[,4])
```

# Lorenz curve



```
Lorenz.curve(mat[,4], pdf = TRUE)
```

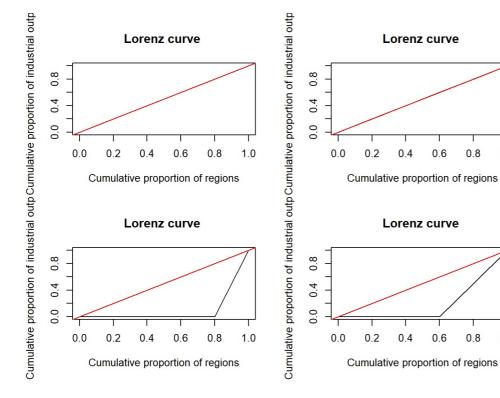
## [1] "Lorenz.curve.pdf has been saved to your current working directory"

```
Lorenz.curve(mat[,4], plot = FALSE)
```

```
## $cum.reg
## [1] 0.0 0.2 0.4 0.6 0.8 1.0
##
## $cum.out
## R1 R2 R3 R4 R5
## 0.0 0.0 0.0 0.5 1.0
```

Comparamos la distribucion de las industrias

```
par(mfrow=c(2,2))
Lorenz.curve(mat[,1])
Lorenz.curve(mat[,2])
Lorenz.curve(mat[,3])
Lorenz.curve(mat[,4])
```



1.0

1.0