```
1, random
2. sorting
3. vectorization
4. Stats related
```

3a basic tools

Code -

1. random

1.1. random sample

1. seed: set. seed (13579)

1. syntax

sample(x, size, replace = FALSE, prob = NULL)

sample.int(n, size = n, replace = FALSE, prob = NULL, usellash = (n > le+07 && !replace && is.null(prob) && size <= n/2))

basics
sample(c(1, 2, 3), size=2)
sample(52, size = 5, replace=F) # means sample from 1:52
----e (mermutation # without size param: means sample same num of (permutation)
sample(10) # permutation of 1:10 (since replace=F) $\begin{tabular}{ll} \# \ sample \ with \ probability \\ sample (c(-1, \ 0, \ 1), \ size=2, \ prob=c(0.25, \ 0.5, \ 0.25)) \end{tabular}$

1.2 Random distributions

supported distributions		
Distribution	R name	Additional arguments
Beta	beta	shapel, shape2, ncp
Binomial	binom	size, prob
Cauchy	cauchy	location, scale
Chi-square	chisq	df, ncp
Exponential	exp	rate
F	f	df1, df2, ncp
Gamma	gamma	shape, scale
Geometric	geom	prob
Hypergeometric	hyper	m, n, k
Log-normal	1norm	meanlog, sdlog
Logistic	logis	location, scale
Negative binomial	nbinom	size, prob
Normal	norm	mean, sd
Poisson	pois	1ambda
Student's t	t	df, ncp
Uniform	unif	min, max
Weibull	weibull	shape, scale
Wilcoxon	wilcox	m, n

Notes
 N

2. Probability density function (pdf) for discrete or Probability mass function (pmf) for continuous R_function_name: d (density) eg. dnorm(seq (=1, -1, -0, -1)); dbinom(0:20, size=20, probe1/4)

3. Cumulative probability distribution function (cdf) R_function_name: ρ (probability) eg. ρ norm(1.96): P(x<1.96)

1. Critical value approach for testing if is the same distribution, at 95% significant level

```
\begin{array}{l} s1 \leftarrow sd(x) \\ s2 \leftarrow sd(y) \\ n1 \leftarrow length(x) \\ n2 \leftarrow length(y) \\ looledSD \leftarrow sqrt(((n1-1)*s1^2+(n2-1)*s2^2)/(n1+n2-2)) \end{array}
   \label{eq:condition} \begin{array}{ll} (t \leftarrow ((\texttt{mean}(x) - \texttt{mean}(y))) / (\texttt{PooledSD*sqrt}(1/n1 + 1/n2))) \;\; \# \; t - \texttt{statistic} \\ qt.(975, n1 + n2 - 2) \;\; \# \; critical \;\; value \;\; (t = [valpha/2]) \\ (abs(t) > qt.(975, n1 + n2 - 2)) \;\; \# \; if \;\; TRUE, \;\; we should \;\; reject \;\; HO \end{array}
```

4. Quantiles R_function_name: qeg. qnoru(0.25) : x such that P(X<x) = 0.25 eg. qnoru(0.5) = 0.00

1.3 Examples

 eg of random walk and plotting as time series Lec2 P12-14 2. eg of Mont Carlo: Intro Lec2 P16-17, 31-

2. sorting

1.sort sort(x, decreasing = FALSE, ...)

```
> sort(c(3, 12, 2, 1))
[1] 1 2 3 12
```

1. give sort order

```
# 2 methods both 0K
> order(c(3, 12, 2, 1))
[1] 4 3 1 2
> sort.list(e(3, 12, 2, 1))
[1] 4 3 1 2
```

3. vectorization

<CCLD>: If is vectorization to vector, use ifelse or vapply(); If is matrix use outer to do mask first.

1. vector

2. use access expressions to modify

```
v[v>0] <= v[v>0] * 2
women$height[women$weight > 140]
```

3. ifelse() is a vectorization tool

4. generally vapply()

1. idea: can use the vapply() function to vectorize the operation of a function that does not support vectorization.

2. syntax

```
vapply(X, FUN, FUN. VALUE, ...)
```

1. X is vector, cannot be matrix

2. FUN.VALUE specifies the output format numeric(1) indicating floating point format. Other possible output format includes: logical(1), integer(1), character(1)

```
is.positive \leftarrow function(x) { if (x > 0) 1 else 0
vapply(x, is.positive, FUN.VALUE=numeric(1))
```

note:
 numeric(1) indicating floating point format. Other possible output format includes: logical(1), integer(1), character(1)
 s. matrix, dataframe and other 2D f

1. outer: Use it to generate masks. See matrix section

2. apply: see section 2b 2.4

4. Stats related

1. basic stats values calculation: see section 2a 3.1.

2. Egs