



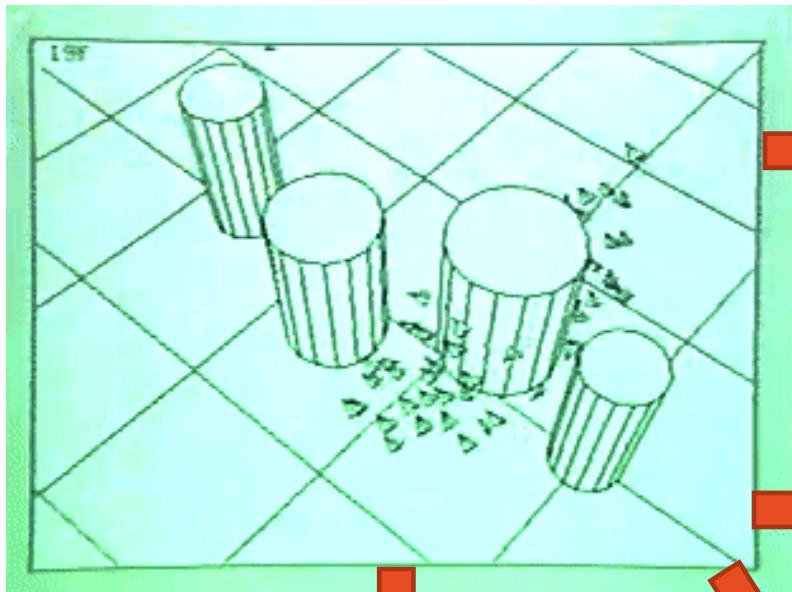
PROPAGATION D'ONDES DANS LES NUÉES DE BOIDS

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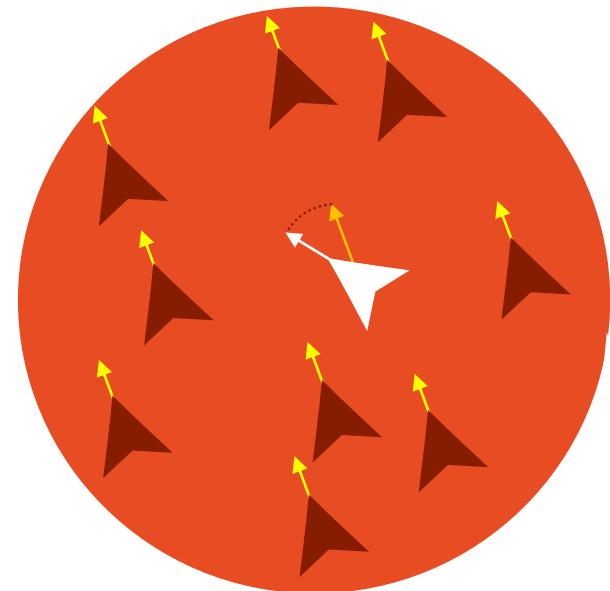
INTRODUCTION

HISTOIRE

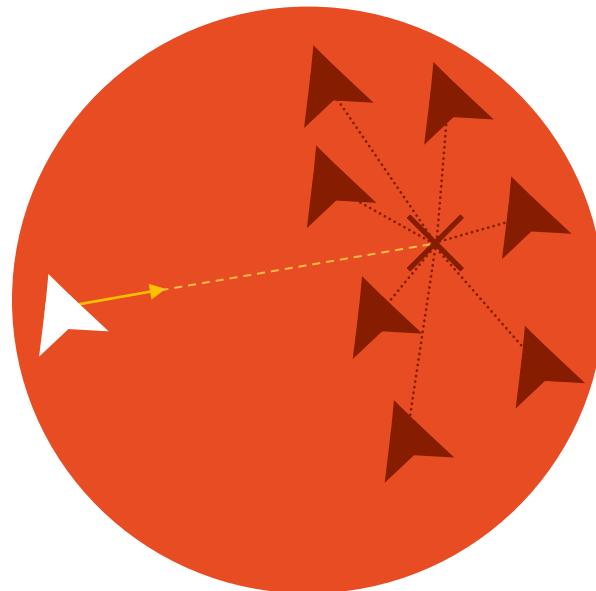


INTRODUCTION

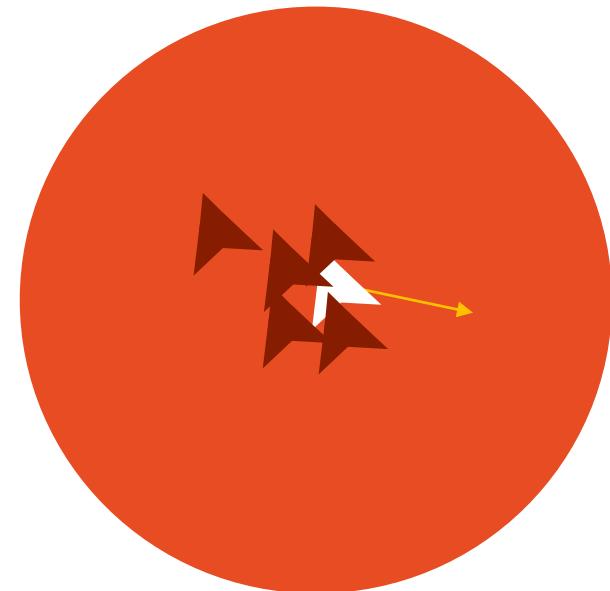
LOIS



ALIGNEMENT



COHÉSION



SÉPARATION

EQUATIONS

Modèle Vicsek

$$\vec{F}_a := -A \sum_{d_{ij} < d_v} (\vec{v}_i - \vec{v}_j)$$

Alignement

$$\vec{F}_{b \cup c} := B \sum_j (\vec{x}_i - \vec{x}_j) \left((l_0/d_{ij})^3 - (l_0/d_{ij})^2 \right)$$

Cohésion
&
Séparation

$$\vec{F}_{sc} := C \vec{v}_i \frac{v_0 - |\vec{v}_i|}{|\vec{v}_i|}$$

Préférence en vitesse

$$\vec{x}_i(t + dt) = \vec{x}_i(t) + dt \vec{v}_i(t)$$

$$\vec{v}_i(t + dt) = \vec{v}_i(t) + dt \vec{F}_i + \vec{n}_i(t)$$

Bruit

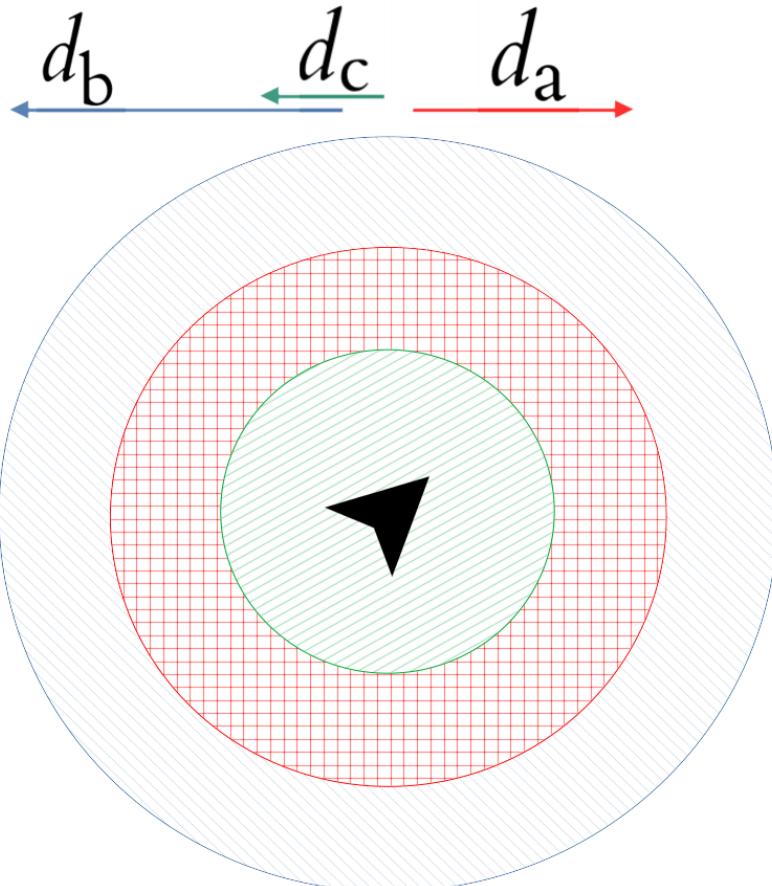
$$\vec{F}_i := \vec{F}_a + \vec{F}_{b \cup c} + \vec{F}_{sc}$$

$$d_{ij} := ||\vec{x}_i - \vec{x}_j||$$

Distance

EQUATIONS

Modèle « maison »



\vec{o}
 \vec{F}_b
 \vec{F}_a
 \vec{F}_c

$$\vec{x}_i(t + dt) = \vec{x}_i(t) + dt\vec{v}_i(t)$$

Bruit

$$\vec{v}_i(t + dt) = \vec{v}_i(t) + dt\vec{F}_i + \vec{n}_i(t)$$

$$\vec{F}_i \in \{\vec{F}_b, \vec{F}_a, \vec{F}_c, \vec{o}\}$$

$$d_{ij} := \|\vec{x}_i - \vec{x}_j\|$$

Distance

Séparation

$$\vec{F}_b := \frac{-B}{\#\{j \mid 0 < d_{ij} < d_b\}} \sum_{0 < d_{ij} < d_b} \frac{\vec{x}_j - \vec{x}_i}{\|\vec{x}_j - \vec{x}_i\|}$$

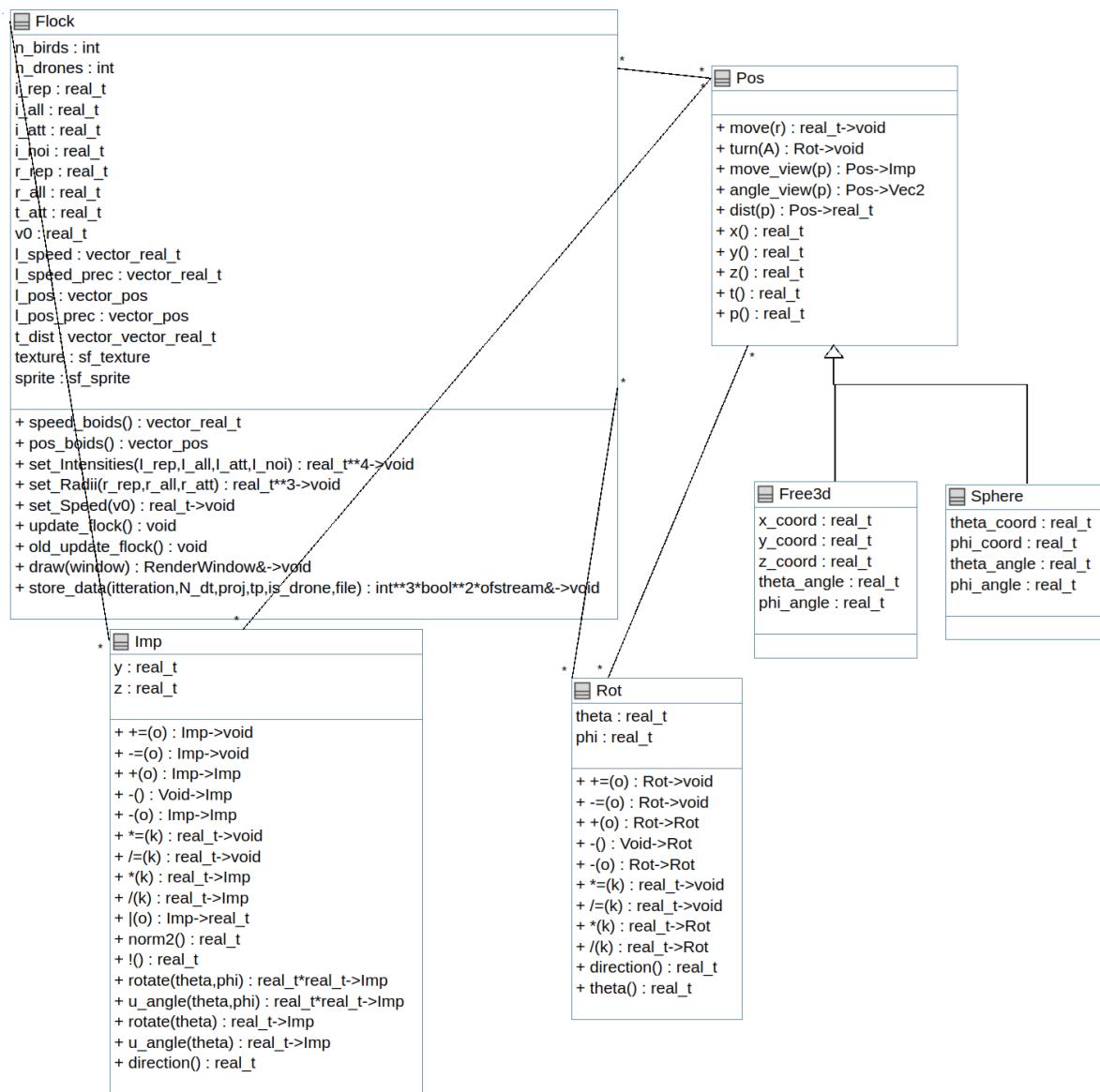
Alignement

$$\vec{F}_a := \frac{A}{\#\{j \mid d_b < d_{ij} < d_a\}} \sum_{d_b < d_{ij} < d_a} \frac{\vec{v}_j - \vec{v}_i}{\|\vec{v}_j - \vec{v}_i\|}$$

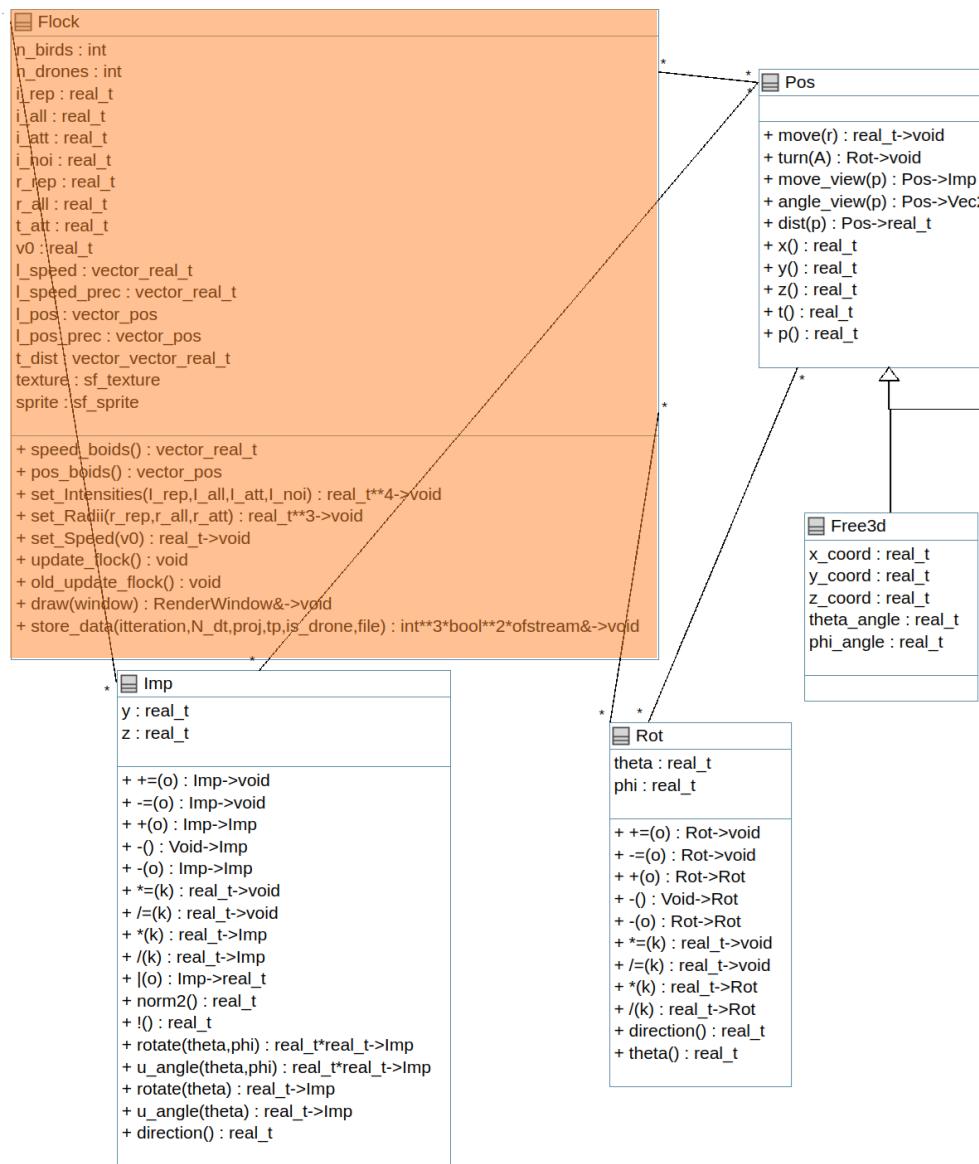
Cohésion

$$\vec{F}_c := C \frac{\vec{x}_j - \vec{x}_i}{\|\vec{x}_j - \vec{x}_i\|} \Bigg|_{j=\min\{j \mid d_a < d_{ij} < d_c\}}$$

STRUCTURE

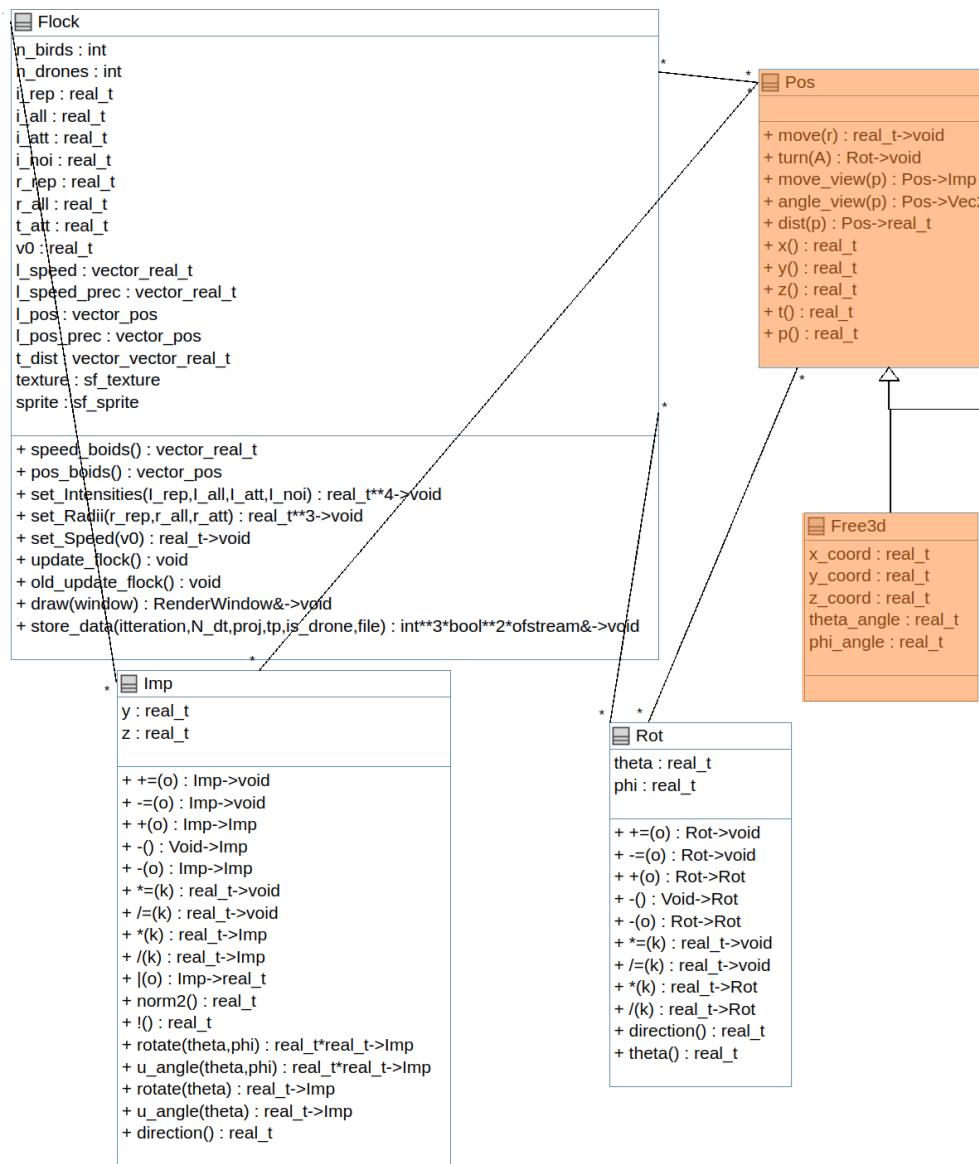


STRUCTURE



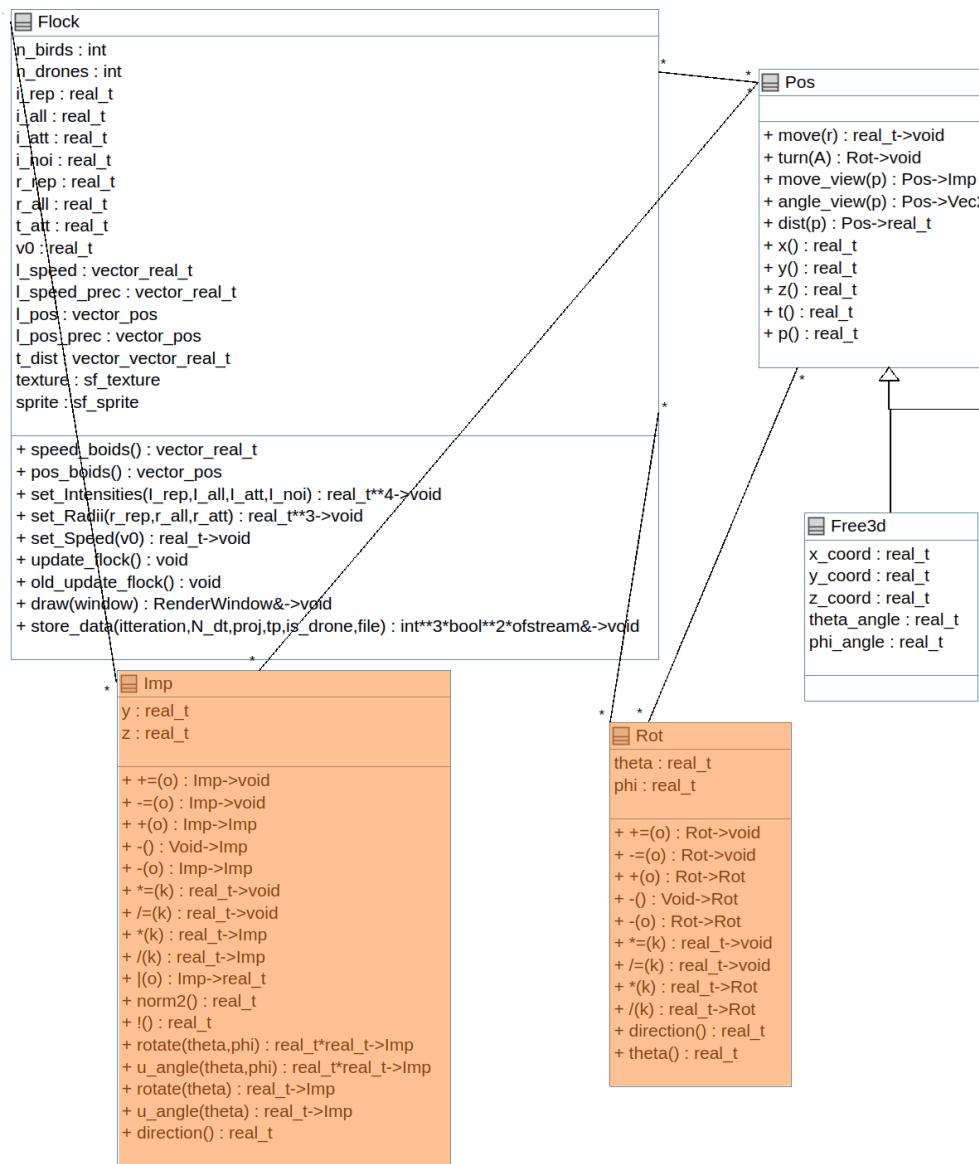
GESTION DES INTERACTIONS

STRUCTURE



GESTION DES POSITIONS

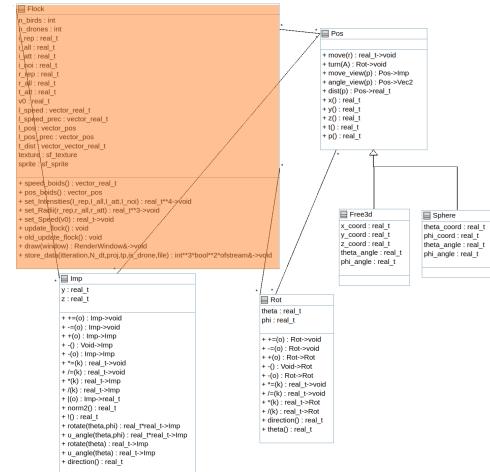
STRUCTURE



GESTION DES DIALOGUE FORCE-ESPACE

FLOCK

BOIDS



Individuelles:

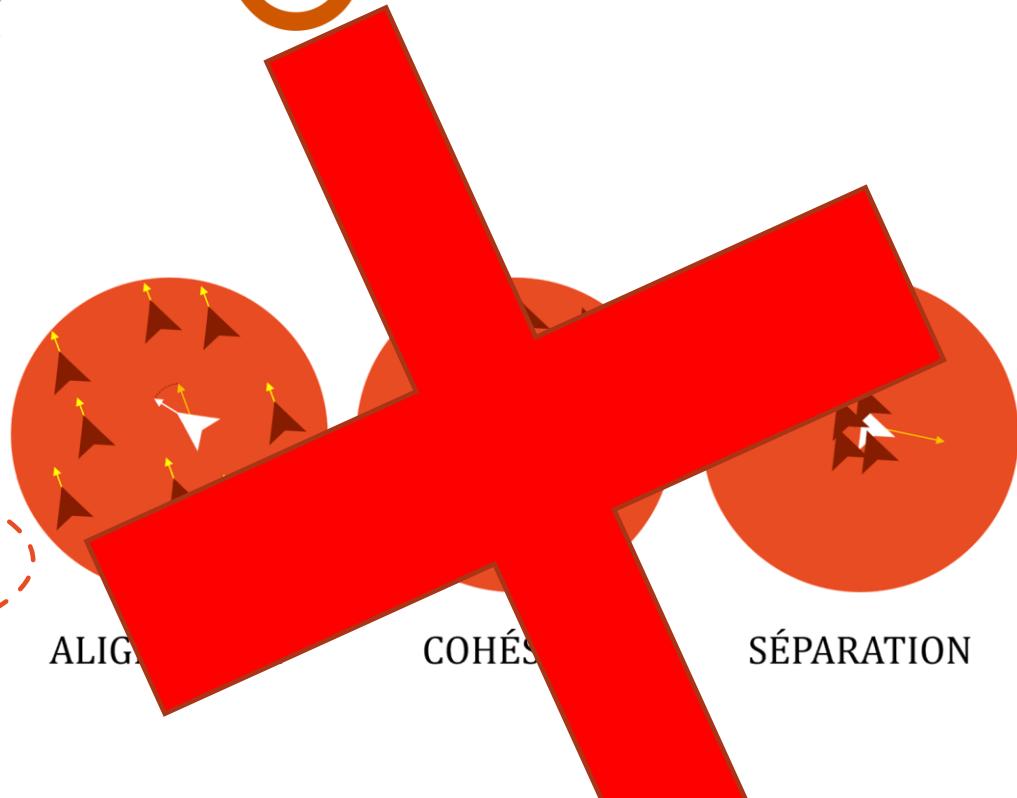
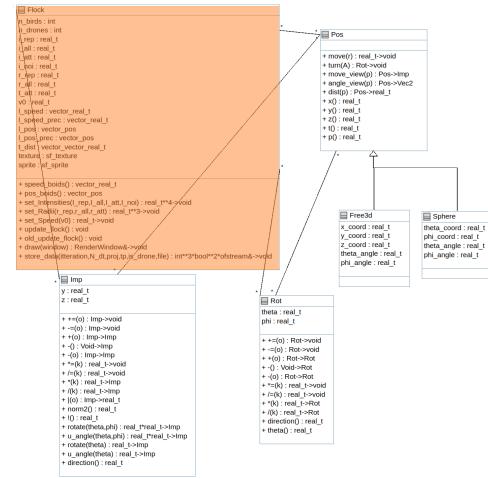
- Position (et orientation)
 - Vitesse

Globales:

- Propriétés graphiques
 - Intensité (et autre propriétés) des forces

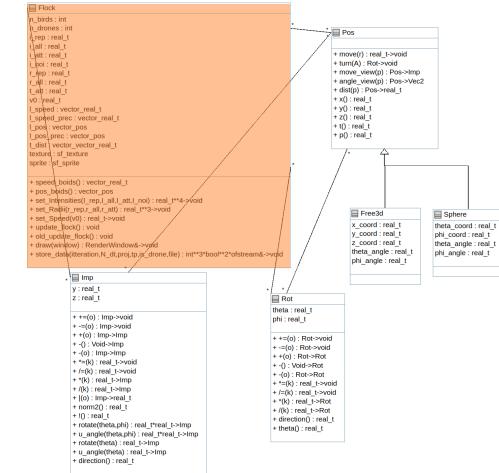
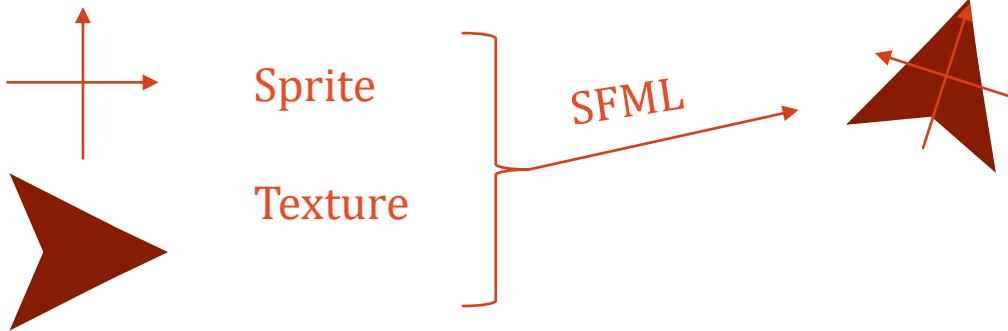
FLOCK DRONES

```
void Flock::update_flock() {  
    int i;  
    int n= N_birds+n_drones;  
    Imp F;  
    l_pos_prec = l_pos;  
    //l_speed_prec = l_speed;  
    for (i=0; i<N_birds; i++){  
        F = get_F (i);  
        l_pos[i] ^ F.direction();  
        l_pos[i] += v0;  
    }  
    for (i= N_birds; i<n; i++) {  
        l_pos[i]+= l_speed[i];  
    }  
    update_dist();
```



FLOCK

GRAPHIQUE



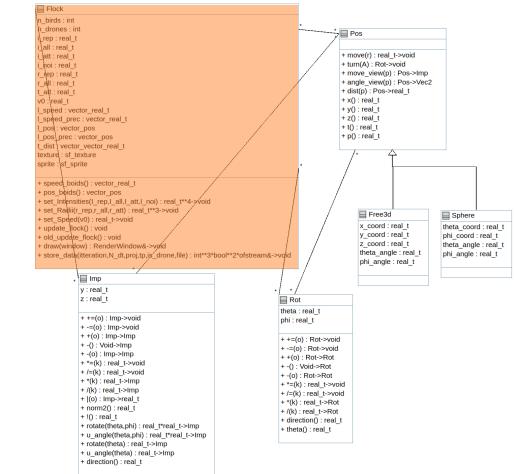
```
void Flock::update_graphics(){
    int i;
    int n= N_birds+n_drones;
    for (i=0; i<n; i++){
        l_sprites[i].setRotation(l_pos[i].p()*180/M_PI);
        l_sprites[i].setPosition(sf::Vector2f(l_pos[i].x()*0.9*WIDTH, l_pos[i].y()*0.9*HEIGHT));
    }
}
```

FLOCK GRAPHIQUE

```

Flock::Flock (int N_birds_,real_t vi_birds,const std::vector<real_t>& speed_drones,const std::vector<pos>& pos_drones){
    N_birds=N_birds_;
    n_drones= speed_drones.size();
    I_all=0;
    v0=0;
    r_rep=0;
    I_att=0;
    r_all=0;
    I_rep=0;
    int n = N_birds_ +n_drones;
    texture.loadFromFile("oiseau.png");
    l_speed = std::vector<real_t> (n,vi_birds);
    l_pos = std::vector<pos> (n,pos(Im{0,0,0}, Rot(0,0)));
    t_dist = std::vector<std::vector<real_t>> (n,std::vector<real_t> (n));
    l_sprites = std::vector<sf::Sprite> (n);
    int i;
    for (i=0;i<N_birds_-i++) {
        l_speed[i]= vi_birds;
        l_pos[i] = pos(Im{dice(),dice(),dice()}, Rot (dice()*M_PI/180,dice()*M_PI/180));//dice()*M_PI/180));
        l_sprites[i].setTexture(texture);
        l_sprites[i].setColor(sf::Color(0, 0, 0, 108));//color,opacity
        l_sprites[i].setOrigin(sf::Vector2f(texture.getSize().x/2,texture.getSize().y/2));//to translate and rotate frm the center of the sprite
        l_sprites[i].setScale(0.07f,0.07f); //scale of the boid;
        l_sprites[i].setPosition(sf::Vector2f(l_pos[i].x()*0.9*WIDTH, l_pos[i].y()*0.9*HEIGHT));//initial position of the boid
        l_sprites[i].setRotation(l_pos[i].p()*180/M_PI); //initial angle of the boid
    }
    for (i=N_birds; i<n;i++) {
        l_speed[i] =speed_drones[i-N_birds_];
        l_pos[i] = pos_drones[i-N_birds_];
        l_sprites[i].setTexture(texture);
        l_sprites[i].setColor(sf::Color(118, 56, 159, 128)); //color,opacity
        l_sprites[i].setOrigin(sf::Vector2f(texture.getSize().x/2,texture.getSize().y/2)); //to translate and rotate frm the center of the sprite
        l_sprites[i].setScale(0.09f,0.09f); //scale of the boid;
        l_sprites[i].setPosition(sf::Vector2f(l_pos[i].x()*0.9*WIDTH, l_pos[i].y()*0.9*HEIGHT)); //initial position of the boid
        l_sprites[i].setRotation(l_pos[i].p()*180/M_PI); //initial angle of the boid
    }
    l_speed_prec = l_speed;
    l_pos_prec = l_pos;
    update_dist();
}

```



IMP & ROT

```
class Rot {
```

```

public :

    void theta(real_t valeur) {p_theta=valeur;sync_interval();}

    void phi(real_t valeur) {p_phi=valeur; sync_interval();}

    real_t theta() const {return p_theta;}

    real_t phi () const {return p_phi; }

    Rot(const Rot & autre) = default;

    Rot(real_t theta_, real_t phi_) {p_theta= theta_; p_phi=phi_; sync_interval();}

    Rot() {p_theta=0;p_phi=0; }

    void operator+= (Rot o) { theta(p_theta + o.theta()); phi(p_phi + o.phi()); }

    void operator-= (Rot o) { theta(p_theta - o.theta()); phi(p_phi - o.phi()); }

    Rot operator+ (Rot o) const { return Rot(p_theta+o.p_theta, p_phi+o.p_phi); }

    Rot operator- () const { return Rot( -p_theta, -p_phi ); }

    Rot operator- (Rot o) const { return Rot( p_theta-o.p_theta, p_phi-o.p_phi ); }

    void operator*= (real_t k) { theta(p_theta * k); phi(p_phi * k); }

    void operator/= (real_t k) { theta(p_theta/k); phi(p_phi/k); }

    Rot operator* (real_t k) const { return Rot( k*p_theta, k*p_phi ); }

    Rot operator/ (real_t k) const { return Rot( p_theta/k, p_phi/k); }

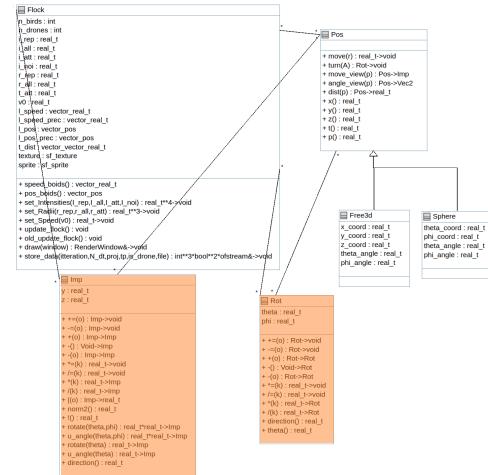
private :

    real_t p_theta, p_phi;

    void sync_interval();

};


```



IMP & ROT

```

struct Imp {
    real_t x, y, z;

    void operator+= (Imp o) { x += o.x; y += o.y; z+=o.z; }
    void operator-= (Imp o) { x -= o.x; y -= o.y; z-=o.z; }
    Imp operator+ (Imp o) const { return Imp{ x+o.x, y+o.y, z+o.z }; }
    Imp operator- () const { return Imp{ -x, -y, -z }; }
    Imp operator- (Imp o) const { return Imp{ x-o.x, y-o.y, z-o.z }; }

    void operator*= (real_t k) { x *= k; y *= k; z*=k; }
    void operator/= (real_t k) { x /= k; y /= k; z/=k; }

    Imp operator* (real_t k) const { return Imp{ k*x, k*y, k*z }; }
    Imp operator/ (real_t k) const { return Imp{ x/k, y/k, z/k }; }

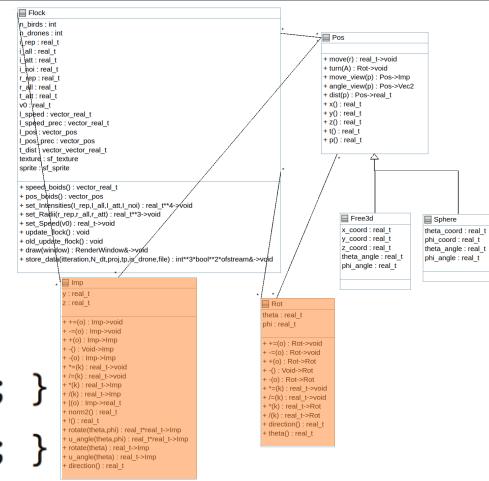
    real_t operator| (Imp o) const { return x*o.x + y*o.y+z*o.z ; }
    real_t norm2 () const { return x*x + y*y +z*z; }

    real_t operator! () const;

    Rot direction() const;
    Imp rotate (Rot angles2) const;
    static Imp u_angle (Rot angles);
};

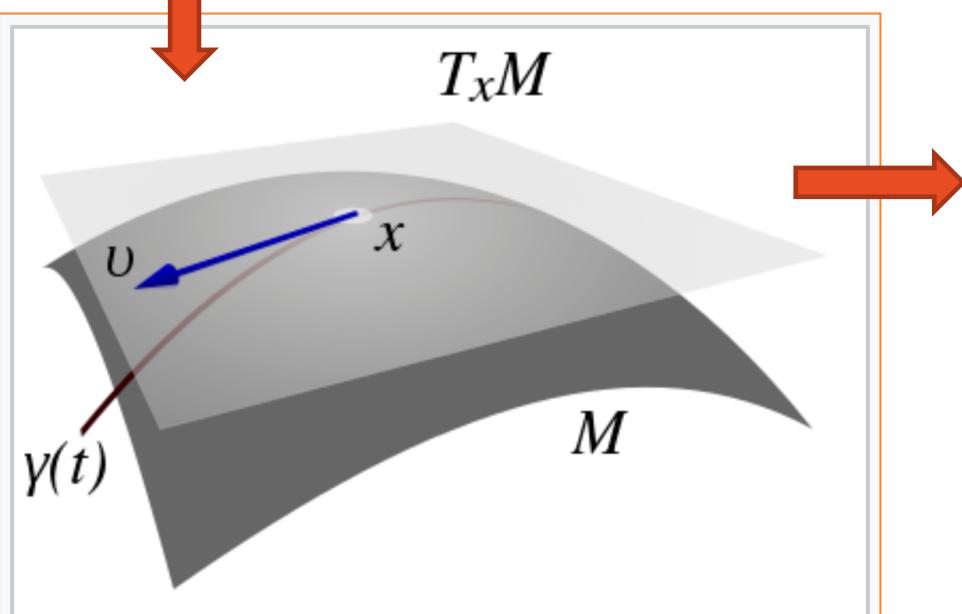
+ drawWindow : RenderWindow->void
+ storeState(IterationN_R,proj_to_pc,dronefile) : int

```



POSITION

EQUATIONS LOCALES



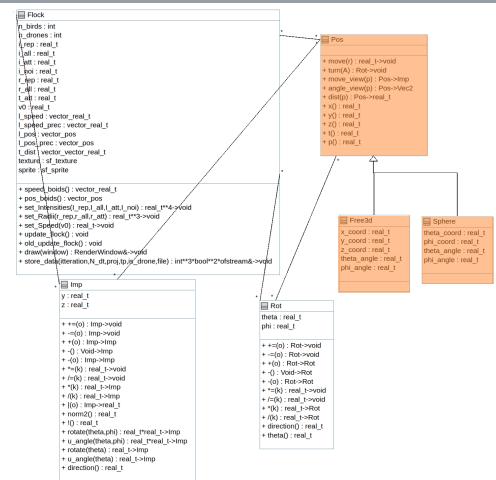
The tangent space $T_x M$ and a tangent vector $v \in T_x M$, along a curve traveling through $x \in M$.

© Wikipedia (April 2023)

```

1 class position {
2     public:
3         void move (real_t v );
4         void move (Imp v );
5         void turn (Rot a );
6         real_t dist (position Y );
7         Imp move_view (position Y );
8         Rot angle_view (position Y );
9         real_t x (int proj);
10        real_t y (int proj);
11        real_t z (int proj);
12        real_t t (int proj);
13        real_t p (int proj);

```

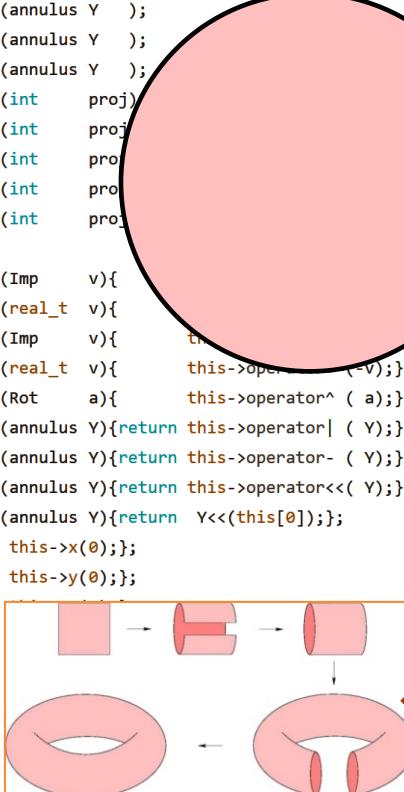


POSITION

```

1 #ifndef _annulus_H_
2 #define _annulus_H_
3 #include "../Vec/Vec.h"
4
5 class annulus {
6 public:
7     annulus (Imp X, Rot A);
8
9     void operator+= (real_t v );
10    void operator+= (Imp v );
11    void operator^ (Rot a );
12    real_t operator| (annulus Y );
13    Imp operator- (annulus Y );
14    Rot operator<< (annulus Y );
15    real_t x (int proj)
16    real_t y (int proj)
17    real_t z (int proj)
18    real_t t (int proj)
19    real_t p (int proj)
20
21    void move (Imp v){}
22    void move (real_t v){}
23    void operator-= (Imp v){this->operator+= (-v);}
24    void operator-= (real_t v){this->operator| (-Y);}
25    void turn (Rot a){this->operator^ ( a);}
26    real_t dist (annulus Y){return this->operator| ( Y);}
27    Imp move_view (annulus Y){return this->operator- ( Y);}
28    Rot angle_view (annulus Y){return this->operator<< ( Y);}
29    Rot operator>> (annulus Y){return Y<<(this[0]);}
30    real_t x (){return this->x(0);}
31    real_t y (){return this->y(0);}
32    real_t z (){return this->z(0);}
33    real_t t (){return this->t(0);}
34    real_t p (){return this->p(0);}
35
36 private:
37     real_t x_coord;
38     real_t y_coord;
39     real_t t_angle; // stands for  $\theta$ , angle with axis 0.
40 };

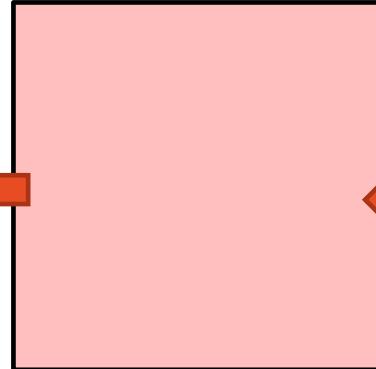
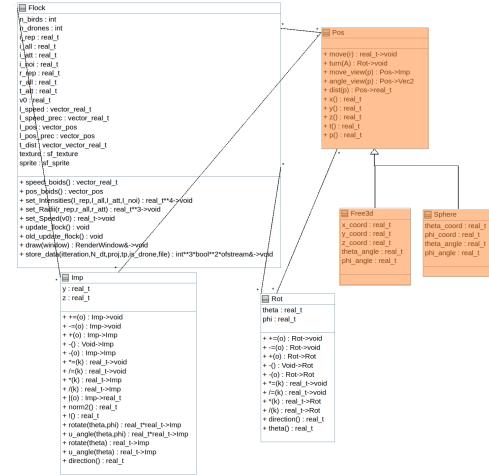
```



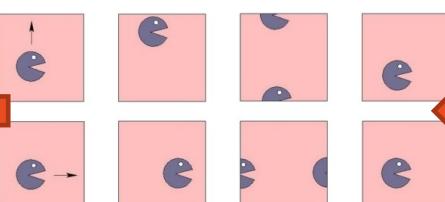
```

1 #ifndef _POSITION_H_
2 #define _POSITION_H_
3
4 /*
5 #include "free2d.h"
6 using pos = free2d;
7 */
8
9
10
11
12
13
14
15
16 /*
17 #include "annulus.h"
18 using pos = annulus;
19 */
20
21
22
23
24
25
26
27
28
29
30
31
32
33
34
35
36
37
38
39
40

```



$$[0,1]^2$$



$$\mathbb{R}^2$$

$$\mathbb{R}^3$$

$$(\mathbb{R}/\mathbb{Z})^2$$

PROPAGATION D'ONDES DANS LES NUÉES DE BOIDS

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