

```
In [6]: 1 from netCDF4 import Dataset
2 import numpy as np
3 import matplotlib.pyplot as plt
4 import xarray as xr
5 import cartopy.crs as ccrs
6 from cartopy.mpl.gridliner import LONGITUDE_FORMATTER, LATITUDE_FORMATTER
7 import matplotlib.ticker as mticker
8 import pandas as pd
9
10 #Import satellite altimetry data:
11
12 sealevel = xr.open_dataset("D:/Master Thesis/Data/Satellite_data/Altimetry/cmems.nc")
13
14 lon = adt.longitude
15 lat = adt.latitude
16 lon, lat = np.meshgrid(lon,lat)
17
18 g = 9.81
```

```
In [7]: 1 #Converte daily data to seasonal mean data:
2
3 sealevel_selection = sealevel.groupby('time.season').mean('time', skipna=True)
4 sealevel_season = sealevel_selection.sel(season="MAM")
5 adt = sealevel_season.adt
```

```
1 Calculate the geostrophic current:
2
3  $u = - \frac{g}{f} * \frac{\partial ADT}{\partial y}$ 
4
5  $v = \frac{g}{f} * \frac{\partial ADT}{\partial x}$ 
6
7 The equation includes: f [rad/s] as the Coriolis parameter, g [m/s^2] as the acceleration of gravity, dx, dy are the distance between two consecutive grid nodes in the zonal and meridional directions and ADT as the Absolute Dynamic Topography.
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In [9]: 1 #Calculation of the angular velocity:
2
3 omega = 2*math.pi/(24*60*60)
```

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In [10]: 1 #Calculation of the Coriolis frequency:
2
3 f = 2*omega*np.sin(np.radians(lat))
4 f = f[:-1,:-1]
```

```
In [13]: 1 #Calculation of the Length of dx and dy. The data has an spatial resolution of 1/4 of 1 degree=111 km:
2
3 dx=0.25*111000
4 dy=0.25*111000
```

```
In [17]: 1 ##Calculation of the height difference between neighbour ADTs:  $\partial ADT$ 
2
3 adt_delta_x = (adt[:, :-1] - adt[:, 1:]).values
4 adt_delta_x = adt_delta_x[:-1, :]
5
6 adt_delta_y = (adt[:, :-1] - adt[1:, :]).values
7 adt_delta_y = adt_delta_y[:, :-1]
```

```
In [17]: 1 ##Calculation of the height difference between neighbour ADTs:  $\partial ADT$ 
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7 adt_delta_y = adt_delta_y[:, :-1]
```

```
In [ ]: 1 # Calculation of the u- and v-component of the Geostrophic current:
2
3 u = (g/f) * (adt_delta_x/dx)
4 v = (g/f) * (adt_delta_y/dy)
```

```
In [ ]: 1 #Calculation of the speed and direction of the geostrophic current:
2
3 sp = (0.5*(u**2 + v**2)**0.5)*100
4 direction = np.arctan2(u,v)
```

```

In [18]: 1 #Visualisation of the geostrophic current:
2
3 fig = plt.figure(figsize=(18,10))
4 ax = plt.axes(projection=ccrs.PlateCarree())
5 ax.set_extent([-9.8,-6,33.2,38])
6 ax.coastlines(resolution="10m",linewidth=2)
7 gl = ax.gridlines(crs=ccrs.PlateCarree(), draw_labels=True, linewidth=0.5, color='black', linestyle='--')
8 gl.xlocator = mticker.FixedLocator([-7,-8,-9])
9 gl.ylocator = mticker.FixedLocator([34,35,36,37])
10
11 a=adt[:,-1,:-1]*100
12 r = np.arange(0.0015,0.03,0.0001)
13
14 plt.contourf(lo, la, sp, transform=ccrs.PlateCarree(), cmap=plt.cm.turbo)
15 plt.title('Geostrophic ', size=16)
16 cb = plt.colorbar(ax=ax, orientation="vertical", pad=0.05, aspect=25, shrink=0.8)
17 cb.set_label("(cm/s)",size=20,rotation=0,labelpad=50)
18 cb.ax.tick_params(labelsize=15)
19
20 plt.quiver(lo, la, v, -u, scale=1)

```

Out[18]: <matplotlib.quiver.Quiver at 0x251c5316828>

