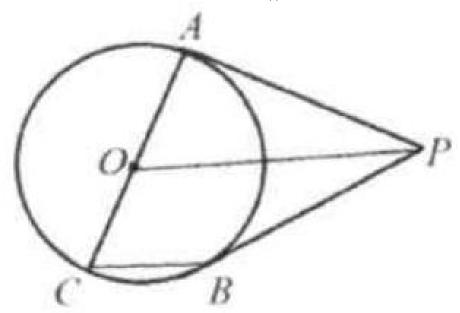
Problem

PA and PB are tangent to circle O at A and B, respectively. AC is the diameter of circle O. Prove: BC//PO.



Solution

Method 1:

Connect OB.

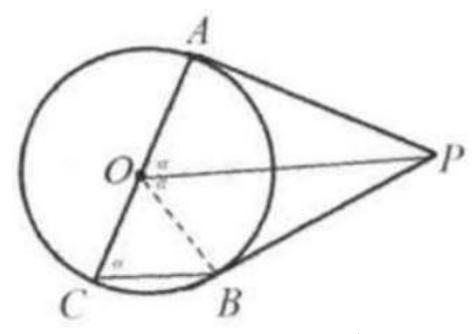
Since PA and PB are tangent to circle $O, \triangle PAO \cong \triangle PBO$

$$(OA = OB, PA = PB, PO = PO).$$

So
$$\angle POA = \angle BOB = \alpha$$
.

$$\angle PAO = 90^{\circ}, \angle PDA = 90^{\circ},$$

 $\angle AOB = 2\angle ACB$ (the measure of the central angle is twice



of the inscribed angle facing the same arc). $\angle C = \angle POA = \alpha.$ Thus BC//PO.