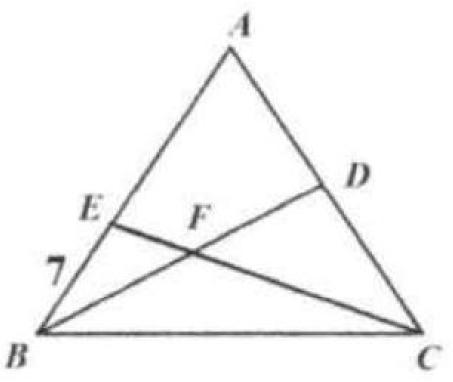
## Problem

As shown in the figure, BD is a median of triangle ABC. E is a point on AB such that CE bisects BD at F. Find AB if BE = 7.

- (A) 14
- (B) 22
- (C) 21
- (D) 24
- (E) 25

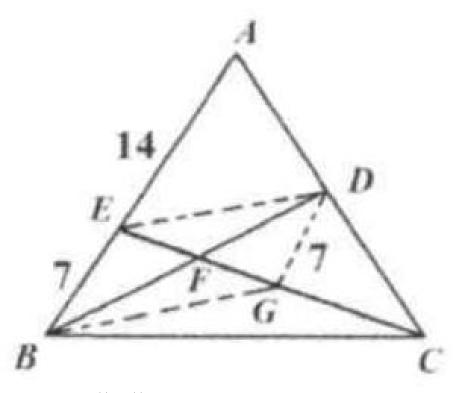


## Solution

(C).

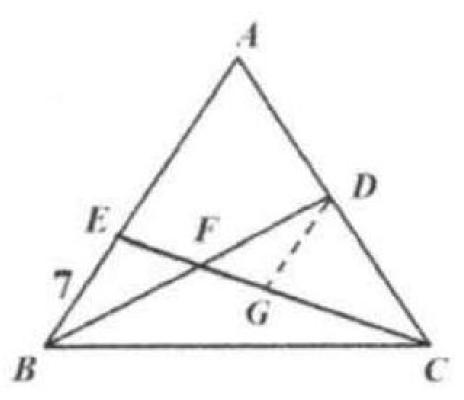
Method 1:

Pick up a point G on CF such that EF = FG. Connect ED, GD, and BG. Since the two diagonals of the quadrilateral BGDE bisect each other, BGDE is a parallelogram. It



follows that DG//BE//AB. Since D is the midpoint of AC,G is the midpoint of CE. So  $DG=7, AE=2\times 7=14.AB=7+14=21.$  Method 2:

Draw a parallel line to AB through D to meet EC at G .  $\triangle BEF$  is congruent to  $\triangle DGF(\angle EBF=\angle FDG,\angle EFB=\angle DFG,BF=FD$ ). So DG = BE = 7. Since DG//BE//AB and D is the



midpoint of AC,G is the midpoint of CE. So 2DG=AE.  $AE=2\times 7=14.AB=7+14=21.$