

# COMP90007 Internet Technologies

## Semester 2, 2019

### Assignment 1 Solution

#### Question 1 (1 point)

The total number of header bytes per message =  $(20+30+80+30+20+110)$ .

Hence the space wasted on headers = 290.

The total message size is then  $M + 290$ .

The fraction of bandwidth wasted on headers =  $290/(M + 290)$

#### Question 2 (1 point)

If 2KB is considered as  $2 \times 1000$  bytes

Size of the image:  $1920 \times 1080 \times 2 \times 1000 \times 8 = 33,177,600,000$  bits

1) For 56 kbps,

Transmission delay =  $33,177,600,000 / 56000 = 592,457.14$  s

Propagation delay =  $10000 / 200000 = 0.05$  s

Latency = 592,457.19 s

2) For 1Mbps,

Transmission delay =  $33,177,600,000 / 1000000 = 33,177.6$  s

Propagation delay =  $10000 / 200000 = 0.05$  s

Latency = 33,177.65 s

Alternative solution:

If 2KB is considered as  $2 \times 1024$  bytes

Size of the image:  $1920 \times 1080 \times 2 \times 1024 \times 8 = 33,973,862,400$  bits

1) For 56 kbps,

Transmission delay =  $33,973,862,400 / 56000 = 606,676.11$  s

Propagation delay =  $10000 / 200000 = 0.05$  s

Latency = 606,676.16 s

2) For 1Mbps,

Transmission delay =  $33,973,862,400 / 1000000 = 33,973.86$  s

Propagation delay =  $10000 / 200000 = 0.05$  s

Latency = 33,973.91 s

### Question 3 (1 point)

Based on Shannon's limit,

$$\text{Max data rate} = B \cdot \log_2(1 + S/N)$$

Given  $B = 4 \text{ kHz}$ , data rate we would like to achieve  $56 \text{ kbps}$

$$S/N = 2^{(56/4)} - 1 = 2^{14} - 1 = \mathbf{16383}$$

*Or, if students give SNR in dB, the answer is  $10 \cdot \log_{10}(16383) \approx \mathbf{42.14dB}$*

### Question 4 (1 point)

- 1) After bit stuffing (adding a 0 bit after 5 consecutive ones), this stream becomes  
**01111011111001111101011111000**
- 2) Using hamming code, the number of check bits and the length of data should be  
 $n = 2^k - k - 1$   
when  $n = 16$ , minimum  $k$  is 5  
Therefore, we need at least 5 check bits.

### Question 5 (1 point)

- 1) This has no impact on the operations at layers  $k - 1$  or  $k + 1$ .
- 2) There will be no impact on layer  $k-1$ , but layer  $k+1$  will be affected.