

Basics of Cryptology

Symmetric cryptography

Block vs. Stream ciphers

- Stream ciphers process a bit or byte at a time during encryption/decryption
- Block ciphers encrypt block at a time
 - Message is divided into blocks and encrypted

Stream ciphers

- Many ciphers before 1940
- Enigma
- A5 (GSM towards base station)
- WEP (802.11)
- RC-4 (Ron's Code)

Block ciphers

- DES
- 3-DES
- AES
- RC-2
- RC-5
- IDEA
- Blowfish
- Cast
- Gost

Outline

- Stream ciphers
 - RC4
- Block ciphers
 - Electronic codebooks(ECB) , Cipher-block chaining (CBC) , Cipher feedback (CFB), Output feedback (OFB), Counter (CTR)
 - Substitution-permutation networks
 - Feistel ciphers
 - DES (overview)
 - 3DES (overview)
 - AES (overview)

Stream ciphers

RC4

- It is made of two main steps
 1. Keystream creation

A pseudo-random stream of bits is created which depends on the key that typically is between 40 and 256 bits.
 2. Encoding/decoding

The pseudo-random stream is used to encode/decode by using bitwise XOR operation
- It is similar to the Vernam cipher but it uses pseudo-random bits, rather than an ad-hoc sequence. The pseudo-random bits depend on the key.
- To generate the keystream, the cipher makes use of two internal variables:
 - S that is a permutation of all 256 possible bytes (S contains 256 bytes).
 - Two 8-bit index-pointers (denoted "i" and "j").

RC4

- Initialization (Key-scheduling algorithm - KSA)
 for i **from** 0 **to** 255
 S[i] := i
 endfor
 j := 0
 for i **from** 0 **to** 255
 j := (j + S[i] + Key[i mod |Key|]) mod 256
 swap values of S[i] and S[j]
 endfor
- In this way we obtain a permutation S[0]S[1]...S[255]
 which is a function of the key

RC4

- Keystream generation (Pseudo-random generation algorithm - PRGA)

`i := 0`

`j := 0`

while length of the plaintext:

`i := (i + 1) mod 256`

`j := (j + S[i]) mod 256`

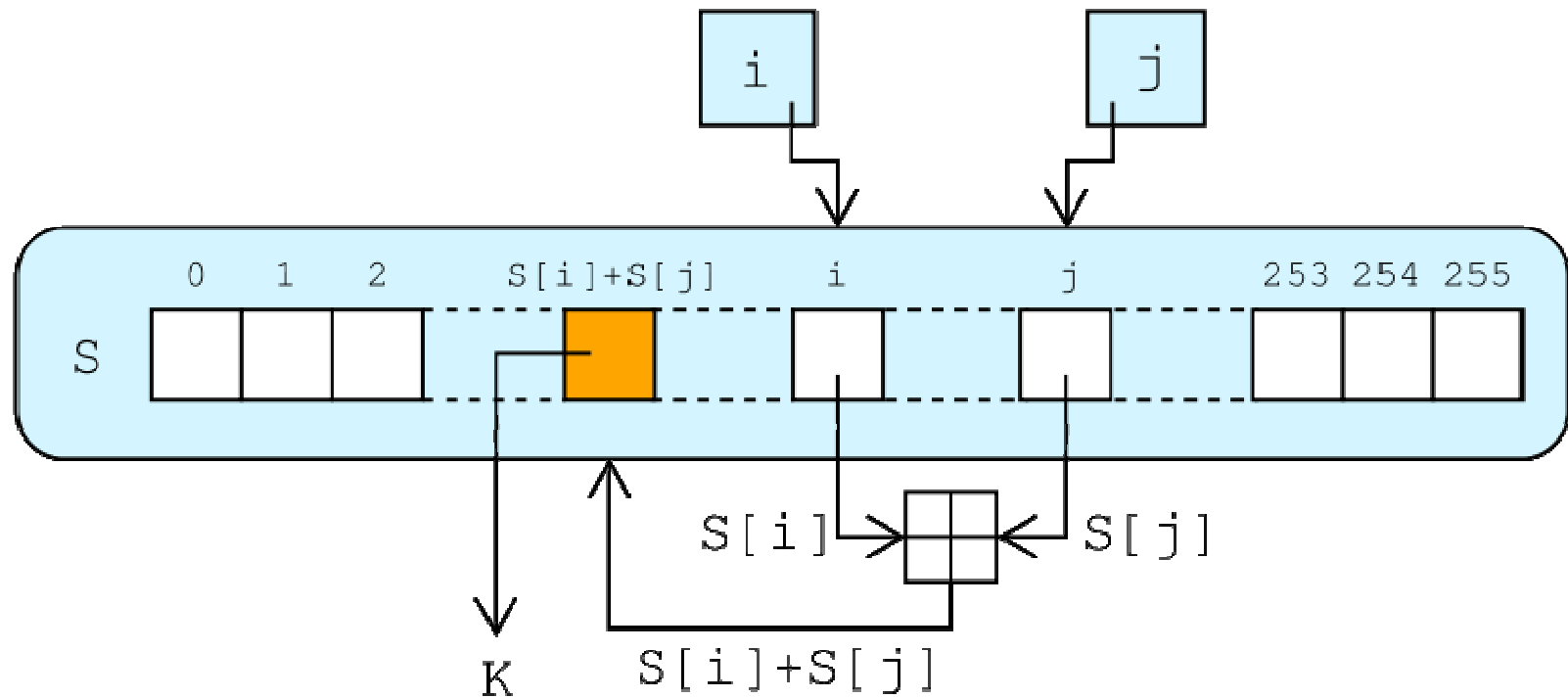
 swap values of `S[i]` and `S[j]`

`K := S[(S[i] + S[j]) mod 256]`

 output `K`

endwhile

RC4



- K is used in XOR with the next byte of the message to produce the next byte of either ciphertext or plaintext

RC4

- Decoding is identical to encoding since the inverse of XOR is XOR itself:
 1. Keystream creation
 2. Encoding/decoding

RC4 - Example

- We use 3 bits instead of 8 (8 instead of 256 symbols)
- Key = [2 3 1 6] m = [2 1 3 1]
- Initialization (Key-scheduling algorithm - KSA)
 for i **from** 0 **to** 7
 S[i] := i
 endfor
 j := 0
 for i **from** 0 **to** 7
 j := (j + S[i] + Key[i mod |Key|]) mod 8
 swap values of S[i] and S[j]
 Endfor

LET US SEE THE EXECUTION STEP BY STEP:

- **for** i **from** 0 **to** 7
 S[i] := i
endfor
- S = [0 1 2 3 4 5 6 7]

RC4 - Example

- We use 3 bits instead of 8 (8 instead of 256 symbols)
- Key = [2 3 1 6] m = [2 1 3 1]
- Initialization (KSA)
 - j := 0
 - for i from 0 to 7
 - j := (j + S[i] + Key[i mod |Key|]) mod 8
 - swap values of S[i] and S[j]
 - endfor
- S = [0 1 2 3 4 5 6 7]
- i=0
 - j = 0 + 0 + 2 mod 8 = 2
 - S = [2 1 0 3 4 5 6 7]
- i=1
 - j = 2 + 1 + 3 mod 8 = 6
 - S = [2 6 0 3 4 5 1 7]
- i=2
 - j = 6 + 0 + 1 mod 8 = 7
 - S = [2 6 7 3 4 5 1 0]
- i=3
 - j = 7 + 3 + 6 mod 8 = 0
 - S = [3 6 7 2 4 5 1 0]
- i=4
 - j = 0 + 4 + 2 mod 8 = 6
 - S = [3 6 7 2 1 5 4 0]
- i=5
 - j = 6 + 5 + 3 mod 8 = 6
 - S = [3 6 7 2 1 4 5 0]
- i=6
 - j = 6 + 5 + 1 mod 8 = 4
 - S = [3 6 7 2 5 4 1 0]
- i=7
 - j = 4 + 0 + 6 mod 8 = 2
 - S = [3 6 0 2 5 4 1 7]

RC4 - Example

- $S = [3\ 6\ 0\ 2\ 5\ 4\ 1\ 7]$ $m = [2\ 1\ 3\ 1]$
- Keystream generation (PRGA)
 - $i := 0\ j := 0$
 - while** length of the plaintext:
 - $i := (i + 1) \bmod 8$
 - $j := (j + S[i]) \bmod 8$
 - swap values of $S[i]$ and $S[j]$
 - $K := S[(S[i] + S[j]) \bmod 8]$
 - output K
 - endwhile**
- First iteration
 - $i = 0 + 1 \bmod 8 = 1; j = 0 + 6 \bmod 8 = 6$
 - $S = [3\ 1\ 0\ 2\ 5\ 4\ 6\ 7]$
 - $s[1] + S[6] \bmod 8 = 1 + 6 \bmod 8 = 7$
 - $K = S[7] = 7$
- Second iteration
 - $i = 1 + 1 \bmod 8 = 2; j = 6 + 0 \bmod 8 = 6$
 - $S = [3\ 1\ 6\ 2\ 5\ 4\ 0\ 7]$
 - $S[2] + S[6] \bmod 8 = 6 + 0 \bmod 8 = 6$
 - $K = S[6] = 0$
- Third iteration
 - $i = 2 + 1 \bmod 8 = 3; j = 6 + 2 \bmod 8 = 0$
 - $S = [2\ 1\ 6\ 3\ 5\ 4\ 0\ 7]$
 - $S[3] + S[0] \bmod 8 = 3 + 2 \bmod 8 = 5$
 - $K = S[5] = 4$
- Fourth iteration
 - $i = 3 + 1 \bmod 8 = 4; j = 0 + 5 \bmod 8 = 5$
 - $S = [2\ 1\ 6\ 3\ 4\ 5\ 0\ 7]$
 - $S[4] + S[5] \bmod 8 = 4 + 5 \bmod 8 = 1$
 - $K = S[1] = 1$

$K = 7\ 0\ 4\ 1$

RC4 - Example

- $K = 7\ 0\ 4\ 1$
- $m = [2\ 1\ 3\ 1]$
- K is used to encode/decode m by using bitwise XOR operation
- $C = 7\ \text{XOR}\ 2 = 111\ \text{XOR}\ 010 = 101 = 5$
- $C = 0\ \text{XOR}\ 1 = 000\ \text{XOR}\ 001 = 001 = 1$
- $C = 4\ \text{XOR}\ 3 = 100\ \text{XOR}\ 011 = 111 = 7$
- $C = 1\ \text{XOR}\ 1 = 001\ \text{XOR}\ 001 = 000 = 0$