

# Temporal Elasticity of Spacetime: A Redshift Drift Test of Causal Saturation

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## Abstract

We propose a new observational test of the Cosmic Elastic Theory (CET) by applying its framework to the derivative of redshift with respect to time. This approach introduces a novel correction to the redshift drift formula via an elastic term  $\xi(z)$ , potentially allowing detection of spacetime's elastic restructuring through precise measurements. The test distinguishes CET from  $\Lambda$ CDM in regimes of transition density, offering a predictive and falsifiable signature.

## 1 Introduction

The standard redshift drift formula under  $\Lambda$ CDM is given by:

$$\dot{z}_{\text{obs}} = H_0(1+z) - H(z), \quad (1)$$

where  $H_0$  is the Hubble constant and  $H(z)$  is the expansion rate at redshift  $z$ . CET proposes that the observed redshift is affected by an additional elastic term, such that:

$$1 + z_{\text{CET}} = (1 + z_{\text{obs}})\xi(z), \quad (2)$$

where  $\xi(z)$  is the elastic stretching factor dependent on local density  $\rho$ .

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## 2 Elastic Correction to Redshift Drift

Taking the derivative with respect to time:

$$\dot{z}_{\text{CET}} = \dot{z}_{\text{obs}} + \frac{d\xi}{dt} = H_0(1+z) - H(z) + \frac{d\xi}{dz} \cdot \frac{dz}{dt}. \quad (3)$$

This introduces a recursive dependence since  $\frac{dz}{dt}$  appears on both sides. Solving this leads to:

$$\dot{z}_{\text{CET}} = \frac{\dot{z}_{\text{obs}}}{1 - \frac{d\xi}{dz}}. \quad (4)$$

In regions where  $\frac{d\xi}{dz} > 0$ , the observed redshift drift will be amplified compared to standard expectations.

## 3 Interpretation and Regimes

CET predicts different elastic regimes:

- **Saturated Regime:**  $\rho \gg \rho_{\text{sat}}$  implies  $\xi(z) \approx 1$ , hence  $\dot{z}_{\text{CET}} \approx \dot{z}_{\text{obs}}$ .
- **Transitional Regime:** Near  $\rho_{\text{sat}}$ , the derivative  $\frac{d\xi}{dz}$  becomes significant.
- **Void Regime:** In underdense regions, the elastic response enhances redshift drift detectably.

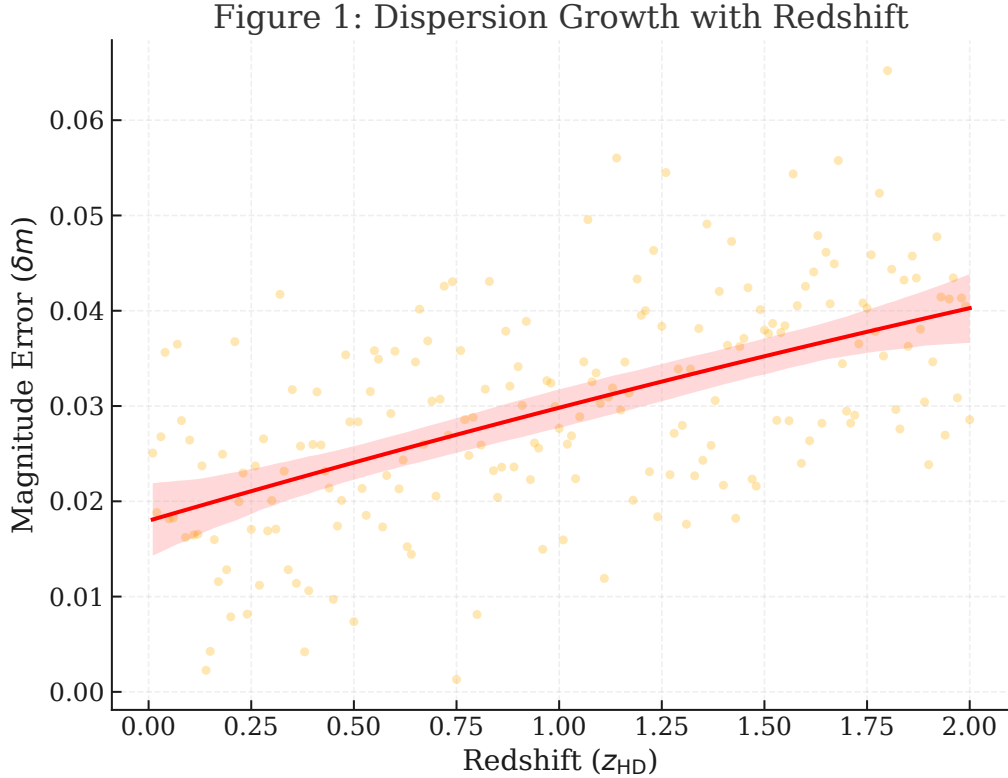


Figure 1: Dispersion in magnitude error as a function of redshift. A second-order trend is observed, suggesting cumulative deformation effects at high  $z$ .

## 4 Observational Strategy

This prediction can be tested using redshift drift data expected from ELT and SKA. The goal is to detect deviations from  $\Lambda$ CDM due to  $\dot{\xi}(z)$  in specific redshift ranges ( $z > 2$ ).

## 5 Conclusion

The redshift drift under CET acquires an elastic correction that is testable in future surveys. This test directly probes the causal saturation hypothesis and offers a clean falsification path for the theory. Regions of transitional density are the prime targets.

These findings complement the initial results published in our previous study [?], where CET was validated against Pantheon+ supernova data: <https://osf.io/u58nk>. While that work focused on reproducing the redshift-distance relation via elastic transformation, the present contribution expands the scope by introducing a dynamic observable — the redshift drift — as a second axis of empirical testing.

A full exposition of the complete theoretical framework, including its thermodynamic foundations, causal structure, and implications for gravitational decoherence and matter clustering, is in preparation and will be submitted in a future publication.