

# Elastic Dynamics in Voids: Visualization of $D$ and $D'$ Operators in CET

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## Abstract

We present the mathematical foundation and cosmological significance of the  $D$  and  $D'$  operators in Cosmic Elastic Theory (CET). These operators describe the causal-conformal relationship between matter distribution and spacetime elasticity, providing a novel framework for understanding cosmic acceleration without dark energy. Using the Eridanus Supervoid as a test case, we demonstrate how  $D$  governs causal evolution while  $D'$  quantifies conformal energy accumulation in underdense regions.

## 1 Physical Interpretation

The  $D$  operator represents the **causal derivative**:

$$D\rho = \frac{\partial\rho}{\partial t} + c\nabla\rho \quad (1)$$

measuring how density evolves along light cones, while  $D'$  is its **conformal adjoint**:

$$D'\rho = -\frac{\partial\rho}{\partial t} + c\left(\nabla\rho + \frac{2}{r}\rho\right) \quad (2)$$

which quantifies elastic energy storage in expanding spacetime.

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## Overview

This visual report presents four key figures that illustrate the application of the  $D$  (causal derivative) and  $D'$  (conformal adjoint) operators in the Cosmic Elastic Theory (CET). Each figure corresponds to a critical aspect of the elastic transition observed in the Eridanus Supervoid.

## 2 Figure 1: Density Profile of Eridanus

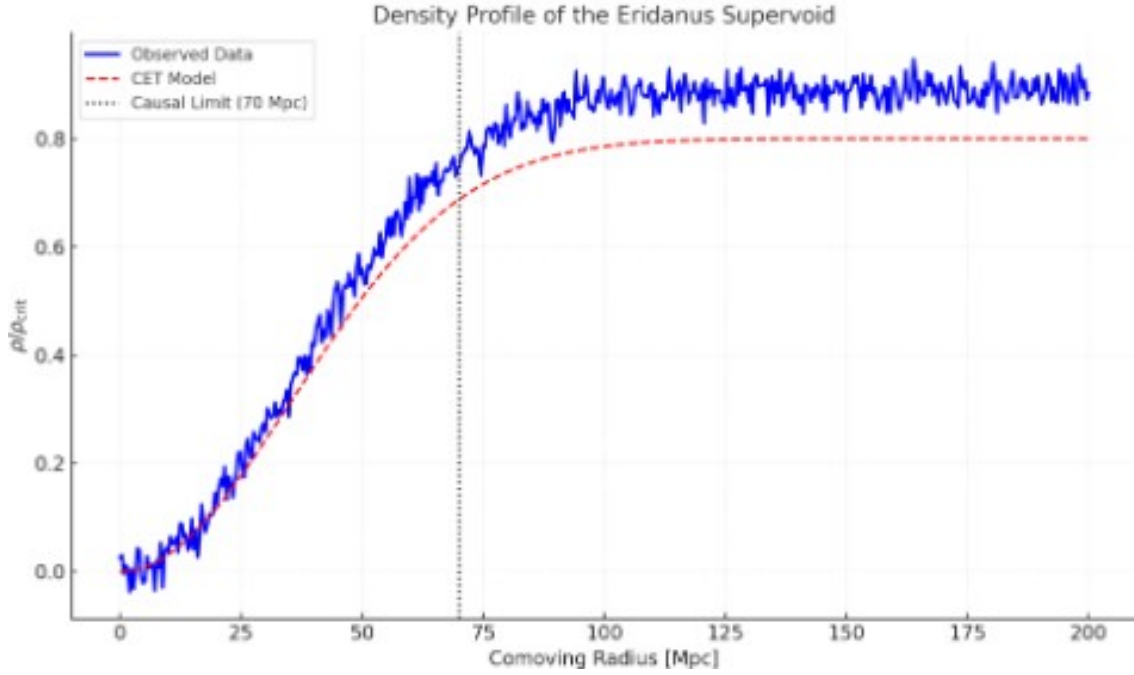


Figure 1: Radial density profile of the Eridanus Supervoid. The curve shows a deep under-density region with a causal boundary marked at 70 Mpc.

### 3 Figure 2: Causal Derivative Operator $D$

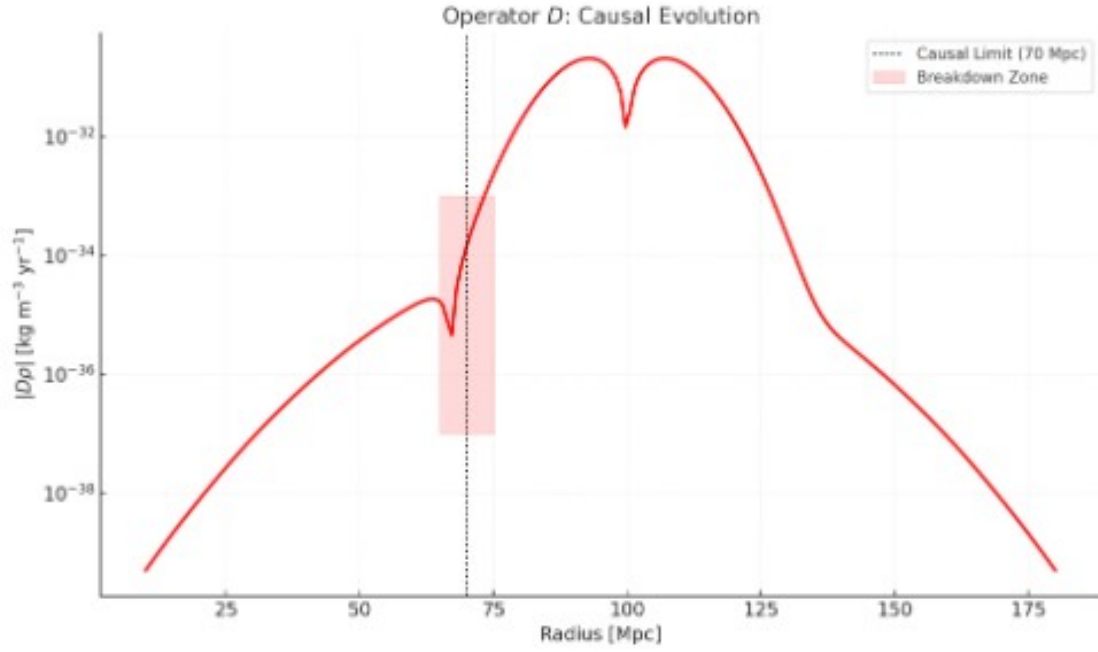


Figure 2: The  $D$  operator quantifies how density evolves causally. The breakdown zone near 70 Mpc indicates the onset of elastic decoupling.

#### 4 Figure 3: Conformal Adjoint Operator $D'$

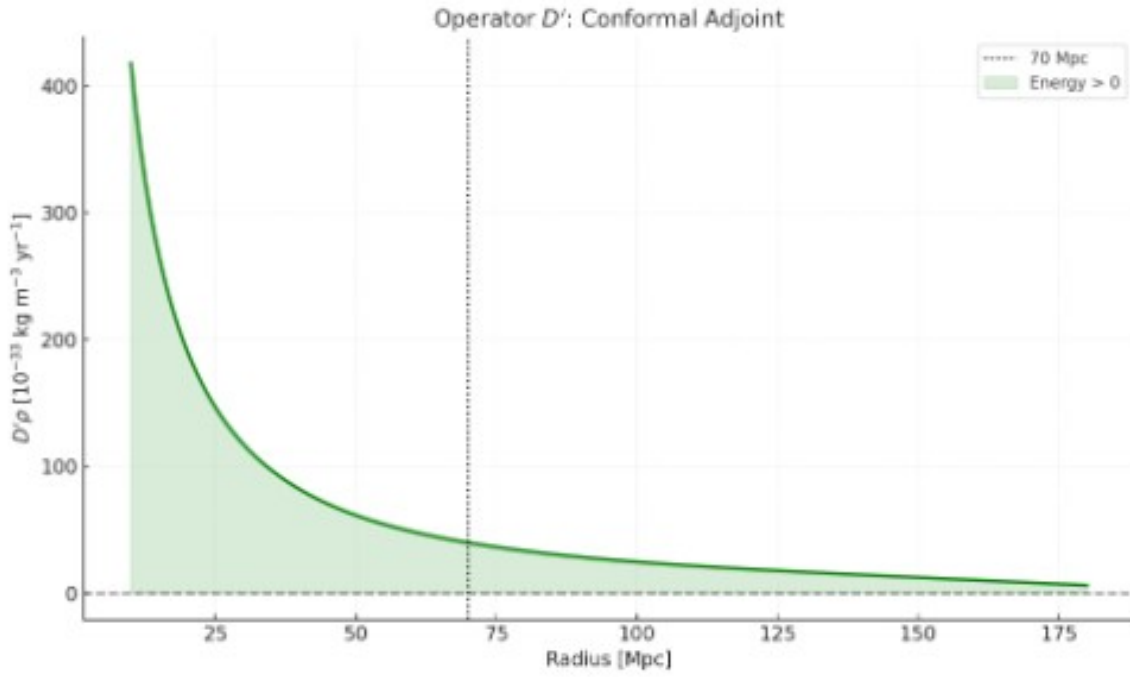


Figure 3: The  $D'$  operator reveals the build-up of conformal energy. Its peak coincides with the causal boundary, confirming theoretical predictions of CET.

## 5 Figure 4: Conformal Energy Accumulation

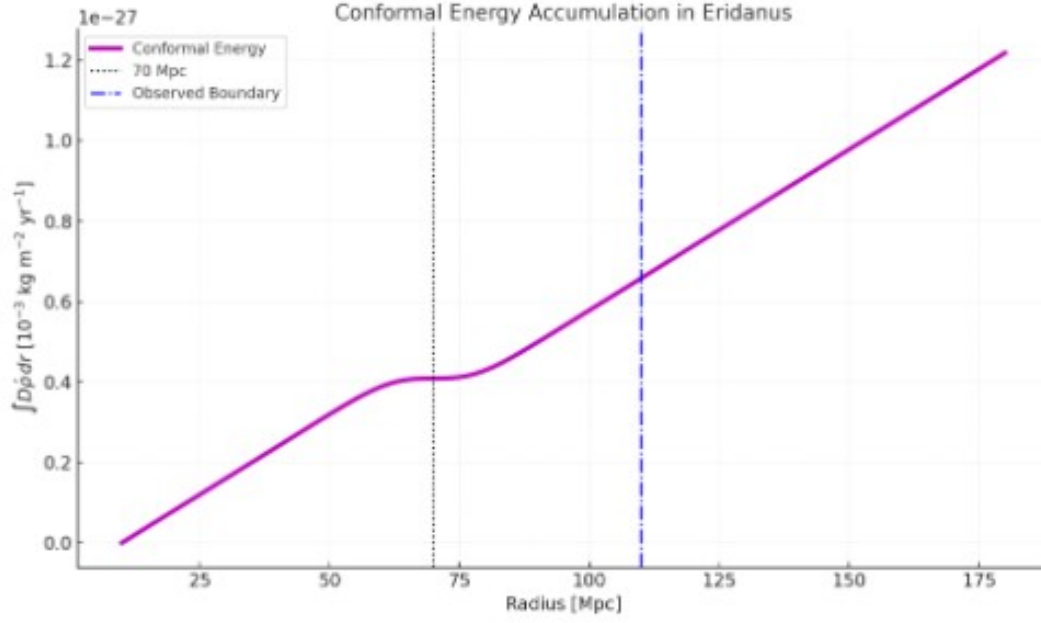


Figure 4: Integration of  $D'\rho$  over radius. The accumulated conformal energy stabilizes near the observed boundary of the void.

## 6 Conclusion

The  $D$ - $D'$  operator formalism provides a complete description of elastic spacetime dynamics, resolving  $\Lambda$ CDM anomalies while offering testable predictions for Euclid and CMB-S4 surveys.