

Primitivas Imediatas

Na lista de primitivas que se segue, $f: I \rightarrow \mathbb{R}$ é uma função derivável no intervalo I e \mathcal{C} denota uma constante real arbitrária.

$$1. \text{ P}(a) = ax + \mathcal{C}$$

$$2. \text{ P}(f' f^\alpha) = \frac{f^{\alpha+1}}{\alpha+1} + \mathcal{C} \quad (\alpha \neq -1)$$

$$3. \text{ P}\left(\frac{f'}{f}\right) = \log |f| + \mathcal{C}$$

$$4. \text{ P}(a^f f') = \frac{a^f}{\log a} + \mathcal{C} \quad (a \in \mathbb{R}^+ \setminus \{1\})$$

$$5. \text{ P}(f' \cos f) = \sin f + \mathcal{C}$$

$$6. \text{ P}(f' \sin f) = -\cos f + \mathcal{C}$$

$$7. \text{ P}\left(\frac{f'}{\cos^2 f}\right) = \tan f + \mathcal{C}$$

$$8. \text{ P}\left(\frac{f'}{\sin^2 f}\right) = -\cotg f + \mathcal{C}$$

$$9. \text{ P}(f' \tg f) = -\log |\cos f| + \mathcal{C}$$

$$10. \text{ P}(f' \cotg f) = \log |\sin f| + \mathcal{C}$$

$$11. \text{ P}\left(\frac{f'}{\cos f}\right) = \log \left| \frac{1}{\cos f} + \tg f \right| + \mathcal{C}$$

$$12. \text{ P}\left(\frac{f'}{\sin f}\right) = \log \left| \frac{1}{\sin f} - \cotg f \right| + \mathcal{C}$$

$$13. \text{ P}\left(\frac{f'}{\sqrt{1-f^2}}\right) = \arcsen f + \mathcal{C}$$

$$14. \text{ P}\left(\frac{-f'}{\sqrt{1-f^2}}\right) = \arccos f + \mathcal{C}$$

$$15. \text{ P}\left(\frac{f'}{1+f^2}\right) = \arctg f + \mathcal{C}$$

$$16. \text{ P}\left(\frac{-f'}{1+f^2}\right) = \text{arccotg } f + \mathcal{C}$$

$$17. \text{ P}(f' \text{ch } f) = \text{sh } f + \mathcal{C}$$

$$18. \text{ P}(f' \text{sh } f) = \text{ch } f + \mathcal{C}$$

$$19. \text{ P}\left(\frac{f'}{\text{ch}^2 f}\right) = \text{th } f + \mathcal{C}$$

$$20. \text{ P}\left(\frac{f'}{\text{sh}^2 f}\right) = -\text{coth } f + \mathcal{C}$$

$$21. \text{ P}\left(\frac{f'}{\sqrt{f^2+1}}\right) = \text{argsh } f + \mathcal{C}$$

$$22. \text{ P}\left(\frac{f'}{\sqrt{f^2-1}}\right) = \text{argch } f + \mathcal{C}$$

$$23. \text{ P}\left(\frac{f'}{1-f^2}\right) = \text{argth } f + \mathcal{C}$$

$$24. \text{ P}\left(\frac{f'}{1-f^2}\right) = \text{argcoth } f + \mathcal{C}$$