

```
/******主教材各章例题SAS程序*****/  
/******第七章******/
```

```
/******例7-1，计算可信区间******/
```

```
data a7_1;  
  n=36;  
  mean=6.76;  
  sd=1.36;  
  t=2.030;  
  cl=mean-t*sd/sqrt(n);  
  cu=mean+t*sd/sqrt(n);  
proc print;  
run;
```

```
/******例7-2，计算可信区间******/
```

```
data a7_2;  
  n=90;  
  mean=172.2;  
  sd=4.5;  
  z=1.96;  
  cl=mean-z*sd/sqrt(n);  
  cu=mean+z*sd/sqrt(n);  
proc print;  
run;
```

→ 已检验

```
/******例7-3，单样本t检验******/
```

```
data a7_3;  
  n=36;  
  mean=6.76;  
  sd=1.36;  
  t=2.030;  
  mean_p=4;  
  df=n-1;  
  t=(mean-mean_p)/(sd/sqrt(n));  
  p=(1-probt(abs(t),df))*2;  
proc print;  
  var t p;  
run;
```

$$t = \frac{\bar{x} - \mu}{\frac{s}{\sqrt{n}}} = \frac{\bar{x} - \mu}{s/\sqrt{n}} \sim t(v=n-1)$$

```
/******例7-4，配对样本t检验及差值的可信区间******/
```

```
data a7_4;  
  input d@@;  
  cards;  
3.48  
7.41  
7.48  
9.42  
8.25  
3.35  
6.95  
7.41  
6.35  
7.41
```

8.58

```
;
proc means t prt clm;
var d;
run;
```

/\*\*\*\*\*\*例7-5，配对样本t检验，见例7-4\*\*\*\*\*\*/

/\*\*\*\*\*\*例7-6，两总体均数差的可信区间\*\*\*\*\*/

```
data a7_6;;
n1=44;
mean1=27.2;
std1=0.9;
n2=48;
mean2=27.3;
std2=0.8;
mean_d=mean2-mean1;
td=1.987;
se_d=sqrt(((n1-1)*std1**2+(n2-1)*std2**2)/(n1+n2-2)*(1/n1+1/n2));
cld=mean_d-td*se_d;
cud=mean_d+td*se_d;
proc print;
run;
```

/\*\*\*\*\*\*例7-7，方差不齐时两总体均数差的可信区间\*\*\*\*\*/

```
data a7_7;;
n1=10;
mean1=2.9;
std1=0.3;
n2=29;
mean2=2.8;
std2=0.1;
mean_d=mean1-mean2;
td=2.228;
se_d=sqrt(std1**2/n1+std2**2/n2);
cld=mean_d-td*se_d;
cud=mean_d+td*se_d;
proc print;
run;
```

/\*\*\*\*\*例7-8，两独立样本t检验\*\*\*\*\*/

```
data a7_8;
input group wt@@;
cards;
```

```
1 134
1 146
1 104
1 119
1 124
1 161
1 107
1 83
1 113
```

```

1 129
1 97
1 123
2 70
2 118
2 101
2 85
2 107
2 132
2 94

```

```

;
proc ttest;
  class group;
  var wt;
run;

```

→ wide data

issue:

单样本 t.CI

/\*例7-9, 两独立样本t'检验\*/

```

data a7_9;
  n1=25;
  mean1=0.345;
  std1=0.053;
  n2=15;
  mean2=0.362;
  std2=0.083;
  df=21;
  mean_d=mean2-mean1;
  td=0.206;
  t=mean_d/sqrt(std1**2/n1+std2**2/n2);
  p=(1-probt(abs(t),df))*2;
proc print;
run;

```

(力矩不齐)

/\*例7-10, 两独立样本t'检验\*/

```

data a7_10;
  n1=10;
  mean1=2.9;
  std1=0.3;
  n2=29;
  mean2=2.8;
  std2=0.1;
  df1=n1-1;
  df2=n2-1;
  f=std1**2/std2**2;
  p=(1-probf(f,df1,df2))*2;
proc print;
run;

```

→ 22例 F检验

/\*例7-13, 总体率的可信区间, 正态近似法\*/

```

data a7_13;
  n=166;
  x=41;
  p=x/n;
  sp=sqrt(p*(1-p)/n);
  z=1.96;

```

```

cl=p-z*sp;
cu=p+z*sp;
proc print;
run;

```

/\*例7-14，总体率的可信区间，校正正态近似法\*/

```

data a7_14;
n=8;
x=5;
p=x/n;
p_a=(x+2)/(n+4);
sp=sqrt(p_a*(1-p_a)/n);
z=1.96;
cl=p_a-z*sp;
cu=p_a+z*sp;
proc print;
run;

```

plus four estimate

/\*例7-15，单样本率与总体率的假设检验，单侧检验\*/

```

data a7_15;
n=500;
x=16;
p=x/n;
p_p=0.0043;
p_1=probnml(p_p, 500, 15);
p_2=1-p_1;
proc print;
run;

```

确切概率计算

/\*例7-16，单样本率与总体率的假设检验，单侧检验，正态近似法\*/

```

data a7_16;
n=3909;
x=1121;
p=x/n;
p_p=0.0739;
z=(p-p_p)/(sqrt(p_p*(1-p_p)/n));
p_value=1-probnorm(abs(z));
proc print;
run;

```

/\*例7-17，两总体率差的可信区间，正态近似法\*/

```

data a7_17;
n1=3909;
n2=1430;
p1=0.2868;
p2=0.2189;
sp_d=sqrt(p1*(1-p1)/n1+p2*(1-p2)/n2);
p_d=p1-p2;
z=1.96;
cl=p_d-z*sp_d;
cu=p_d+z*sp_d;
proc print;
run;

```

/\*\*\*\*例7-18，两总体率差的可信区间，校正正态近似法\*\*\*\*/

```
data a7_18;  
  n1=4;  
  n2=3;  
  x1=3;  
  x2=2;  
  p1=(x1+1)/(n1+2);  
  p2=(x2+1)/(n2+2);  
  sp_d=sqrt(p1*(1-p1)/(n1+2)+p2*(1-p2)/(n2+2));  
  p_d=p1-p2;  
  z=1.96;  
  cl=p_d-z*sp_d;  
  cu=p_d+z*sp_d;  
proc print;  
run;
```

/\*\*\*\*例7-19，两样本率比较\*\*\*\*/

```
data a7_19;  
  n1=3909;  
  n2=1430;  
  p1=0.2868;  
  p2=0.2189;  
  sp_d=sqrt(p1*(1-p1)/n1+p2*(1-p2)/n2);  
  p_d=p1-p2;  
  z=p_d/sp_d;  
  p_value=1-probnorm(abs(z));  
proc print;  
run;
```