

Protocole : BATAKAR

Initial knowledge :

We assume that Alice and Bob will communicate using a server

I- Notation

We denote by :

$C(m, k) \longleftrightarrow$ The cipher message of m with the key k .

$K_{AS} \longleftrightarrow$ The secret key that Alice share with the server.

$K_{BS} \longleftrightarrow$ The secret/key that Bob share with the server..

$A \longleftrightarrow$ Alice

$B \longleftrightarrow$ Bob

$S \longleftrightarrow$ Server

$H \longleftrightarrow$ A hash map

II- Protocol description

Alice

A send to S the message : $\langle A, C(\langle B, K \rangle, K_{AS}) \rangle$

Server

S receive it, see that it's coming from A (Because of the first part of the message), he decipher the second part and found a secret K and a destination B. He then send to B :

$$C(< A, K >, K_{BS})$$

Bob

B receive the message and decipher it, know's that it's coming from Alice and get to find the secret K.

B then compute the hash of the secret K : $H(K)$ and send to S

$$< B, C(< A, H(K) >, K_{BS}) >$$

Server

S receive the message, first see's that it's coming from Bob (Because of the first part of the message) then decipher the second part and found a secret $H(K)$ and a destination A.

S send to A :

$$C(< B, H(K) >, K_{AS})$$

Alice

A decipher the message and discovers that it's coming from Bob, then she compute the Hash of the secret K she sent before and verify if it's equal to $H(k)$ that she received.

II-Complexity :

Alice-server : 50+9
 Server-Bob : 50+3
 Bob-Server : 50+9+5
 Server-Alice : 50+3