Stat 243: Lab, Monday Oct-17

OOP in R: Rolling a Die

The purpose of this lab is to practice Object-Oriented Programming (OOP) using either S3 or S4 classes in R.

The goal is to program two classes of objects: a regular "die" with six sides, and an object "roll" (i.e. the rolls of a "die" multiples times).

- Use an .R script file to write code for the class objects and methods
- If you are already familiar with S3 classes, try using S4 classes
- If you are new to both S3 and S4 classes, choose one of them

Object "die"

The object "die" should have two attributes:

- sides: vector with numbers 1, 2, 3, 4, 5, 6.
- prob: vector of probabilities for each side

For the "die" object write:

- a constructor function die() that creates a fair die by default
 - make sure that the argument prob has correct probability values
- a "print" method that displays the sides and the associated probabilities

You should be able to use die() like this:

```
# create a fair die by default
fair_die <- die()

# create a loaded die
loaded_die <- die(prob = c(0.075, 0.1, 0.125, 0.15, 0.20, 0.35))</pre>
```

Object "roll"

The object "roll" should have these attributes:

- rolls: vector with outputs of the rolls
- sides: vector with numbers 1, 2, 3, 4, 5, 6.
- prob: vector of probabilities for each side

For the "roll" object write:

- a constructor function that rolls a "die" a given number of times
 - give times a default value of 1
- a print() method that displays the sides and the associated probabilities
- a summary() method that displays the frequencies (i.e. counts) and the relative frequencies (i.e. percentage) of each side of the rolled die
- a plot() method using a barchart of frequencies (count of 1's, 2's, 3's, 4's, 5's, and 6's)
- \bullet an addition "+" method to add more rolls

```
# roll fair die
fair500 <- roll(fair_die, times = 500)

# summary method
summary(fair500)

# plot method
plot(fair, 500)

# adding 100 rolls
fair600 <- fair500 + 100</pre>
```

De Mere's problem

Use your objects "die" and "roll()" to simulate a series of 1000 games for the famous *Chevalier De Mere's* dice problems:

• One gambling problem that launched modern probability theory (by Dan Ma).

The first problem involves computing the probability of getting at least one "6" in four rolls of a die. This probability can be computed analytically as:

$$1-(5/6)^4$$

The other problem involves computing the probability of of getting at least two "6" in 24 rolls of a pair of dice. This probability can be computed analytically as:

$$1 - (35/36)^{24}$$

The goal is to use your roll() function to simulate a series of 1000 games for both of De Mere's problems:

- one series of 1000 games should involve rolling a die four times, and then count the number of games in which there is at least one 6.
- the other series of 1000 games should involve rolling a pair of dice 24 times, and then count the number of games in which there is at least one double 6.