

# Sequence

is a collection of **ordered** items.

Sequences entail 2 kinds of information:  
1. what are the individual items;  
2. how those items are arranged.

Time flies like an arrow



An arrow flies like time



An arrow time like flies

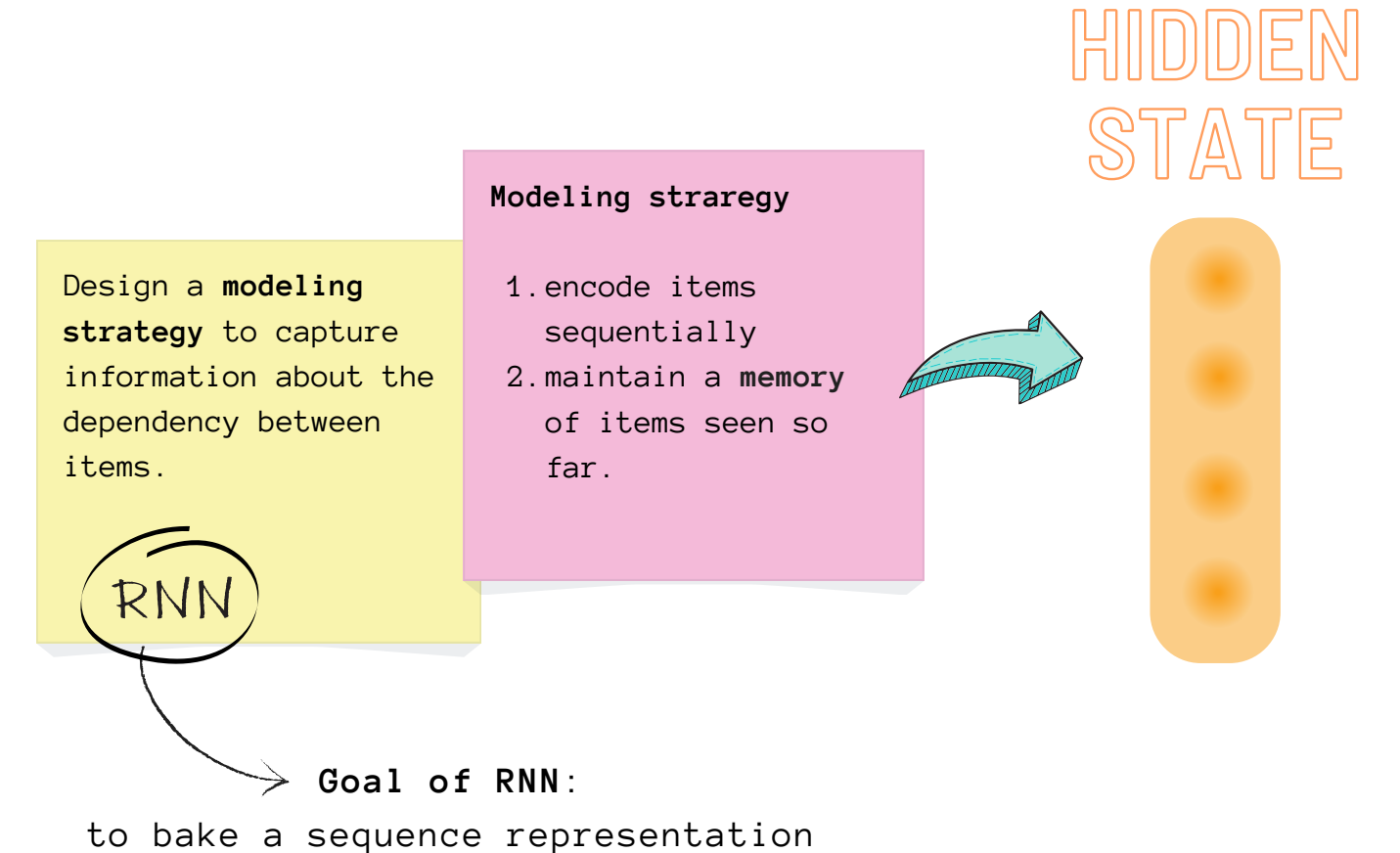


To capture the meaning of the sentence  
you need to find a way to model the dependencies between words.

The goal of sequence modeling is to learn a representation of the sequence,  
which incorporates the information about the order.

## How to model a sequence ?

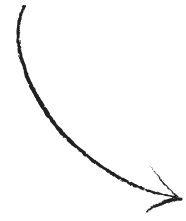
word embeddings  
! are INDEPENDENT  
Know nothing about words before or after



Assume that we want to use a RNN  
to build a **vector representation of the sentence**:

*Jimmy likes candies*

initial  
hidden state

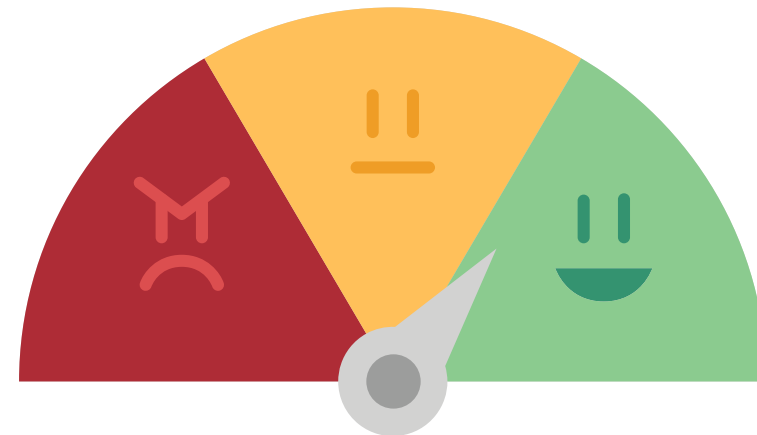


JIMMY

updated  
hidden state

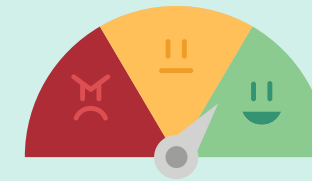


previous  
hidden state

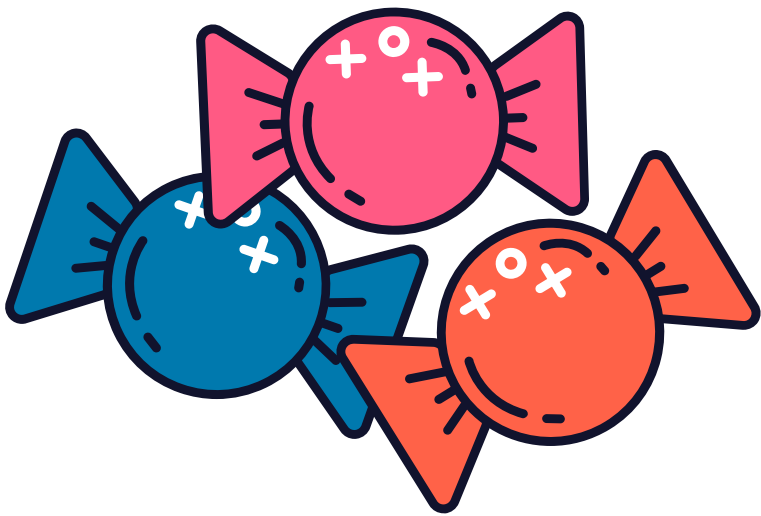


LIKES

updated  
hidden state

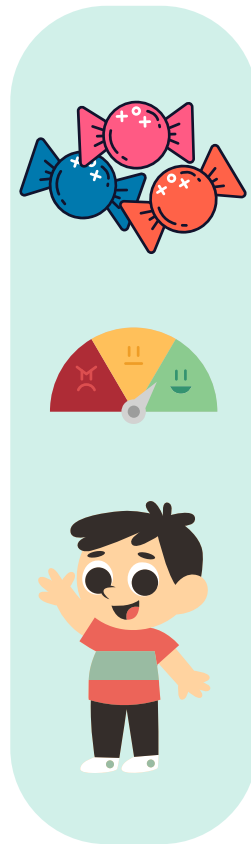


hidden state



CANDIES

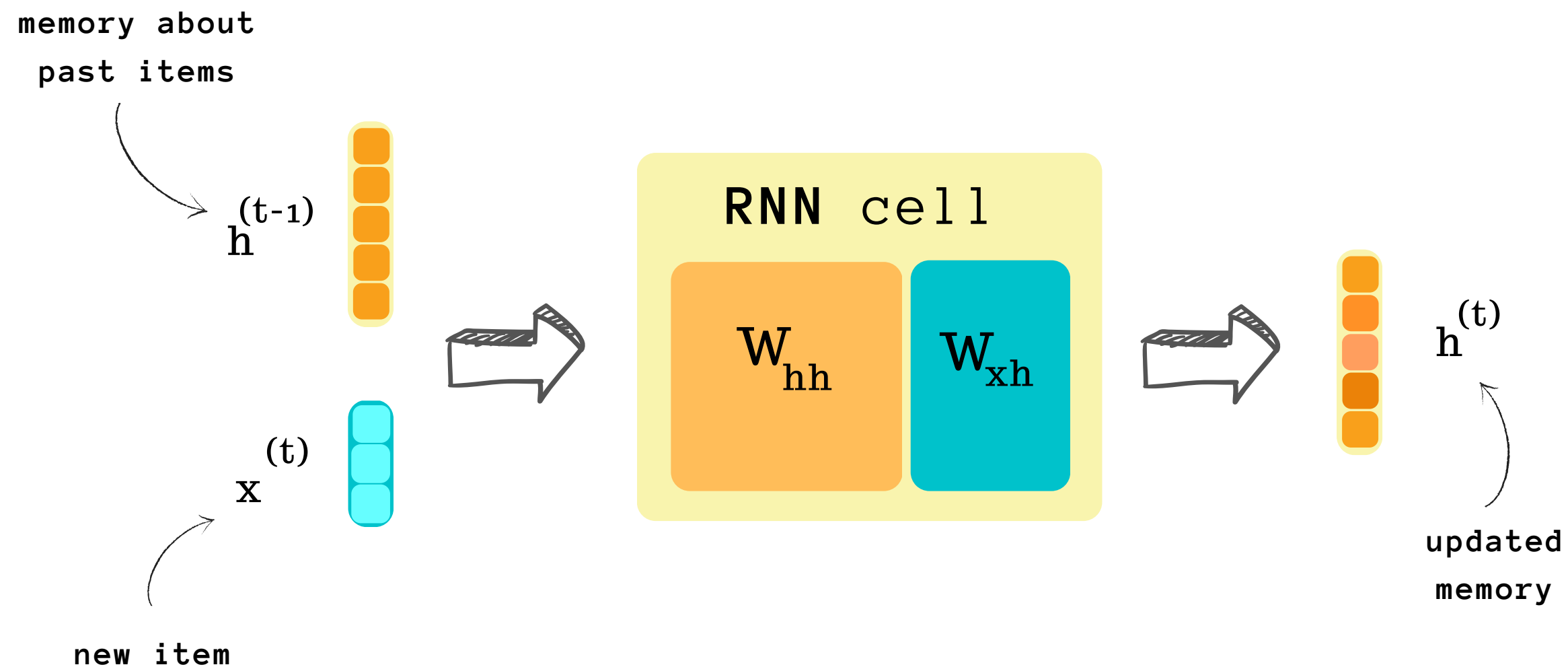
final  
hidden state



The final hidden state vector provides a  
summary of the whole sequence.

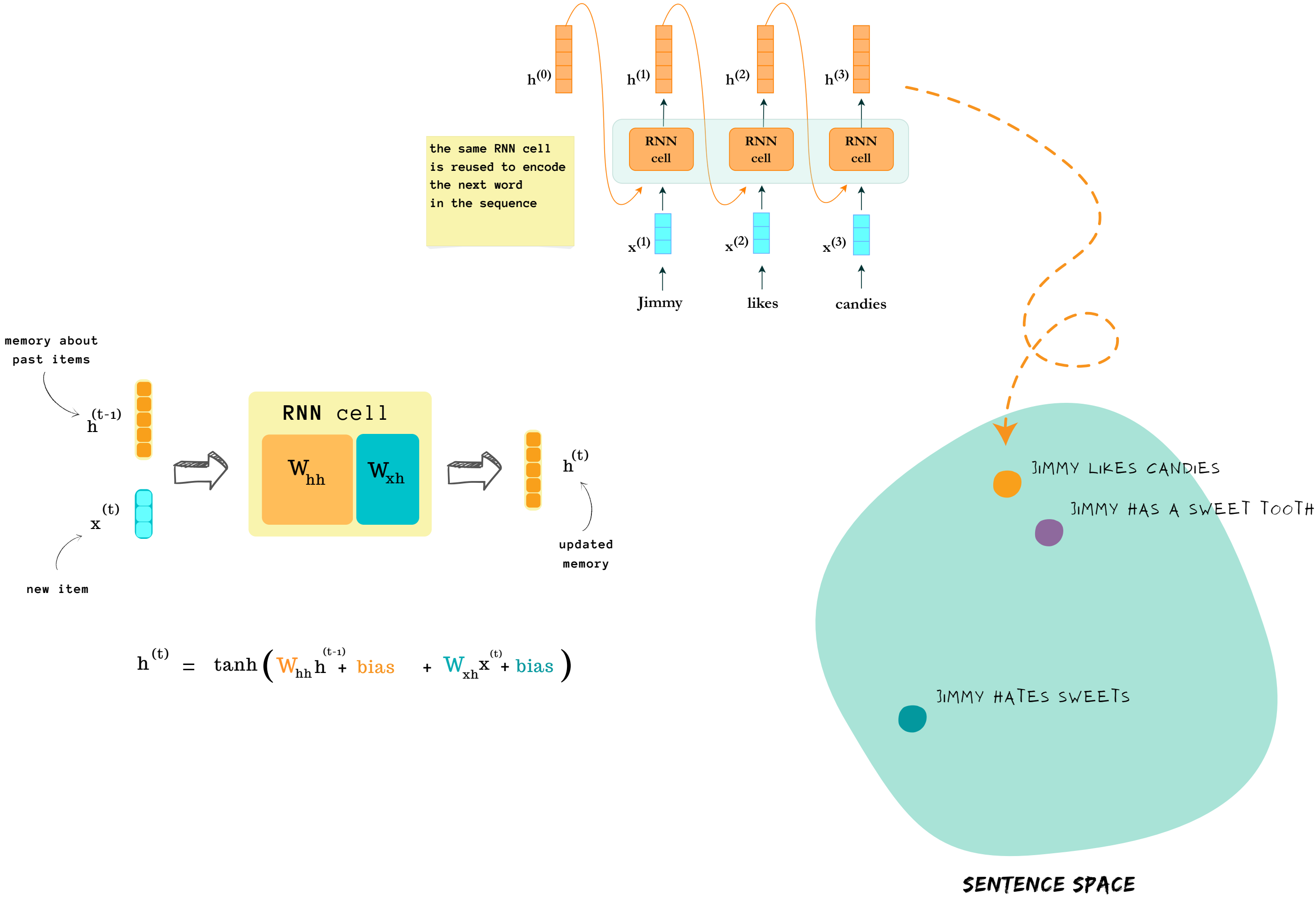


## HOW DO WE COMPUTE A NEW HIDDEN STATE?



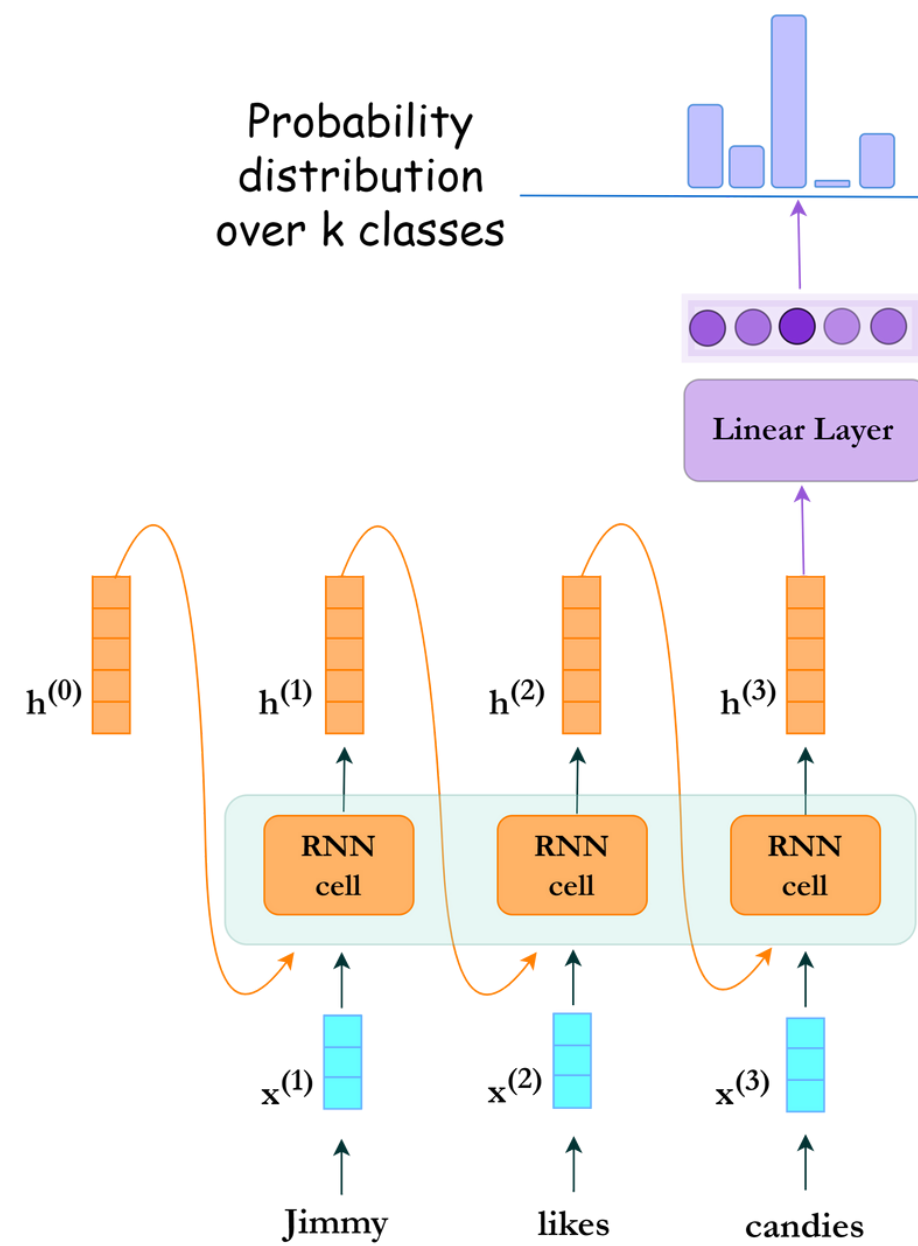
$$h^{(t)} = \tanh \left( \textcolor{brown}{W}_{hh} h^{(t-1)} + \textcolor{brown}{bias} + \textcolor{teal}{W}_{xh} x^{(t)} + \textcolor{teal}{bias} \right)$$

RECURRENT NEURAL NETWORK

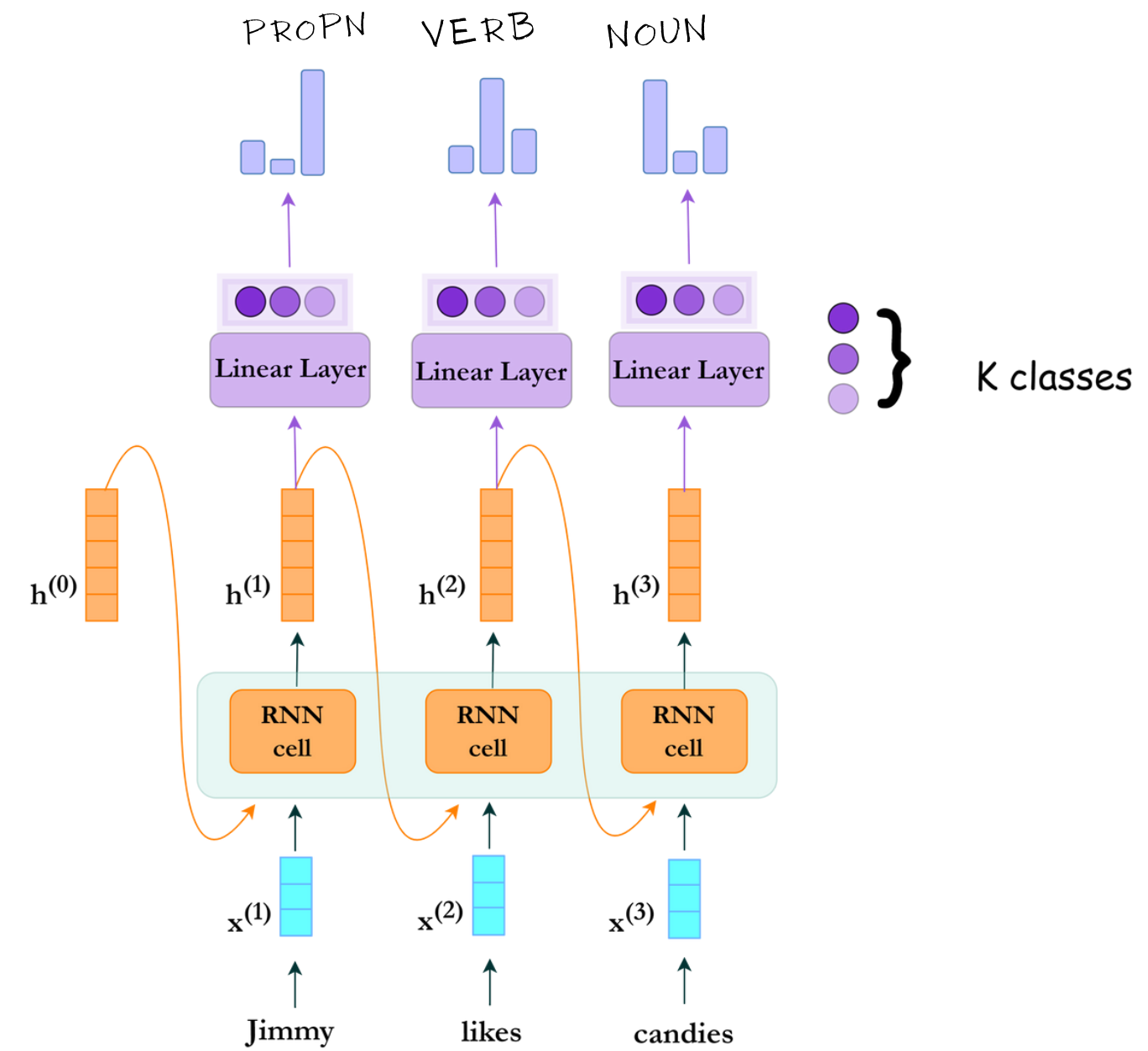


## WHEN DO WE NEED RNNs?

### SEQUENCE CLASSIFICATION



### SEQUENCE PREDICTION



## ADVANTAGES OF RNN

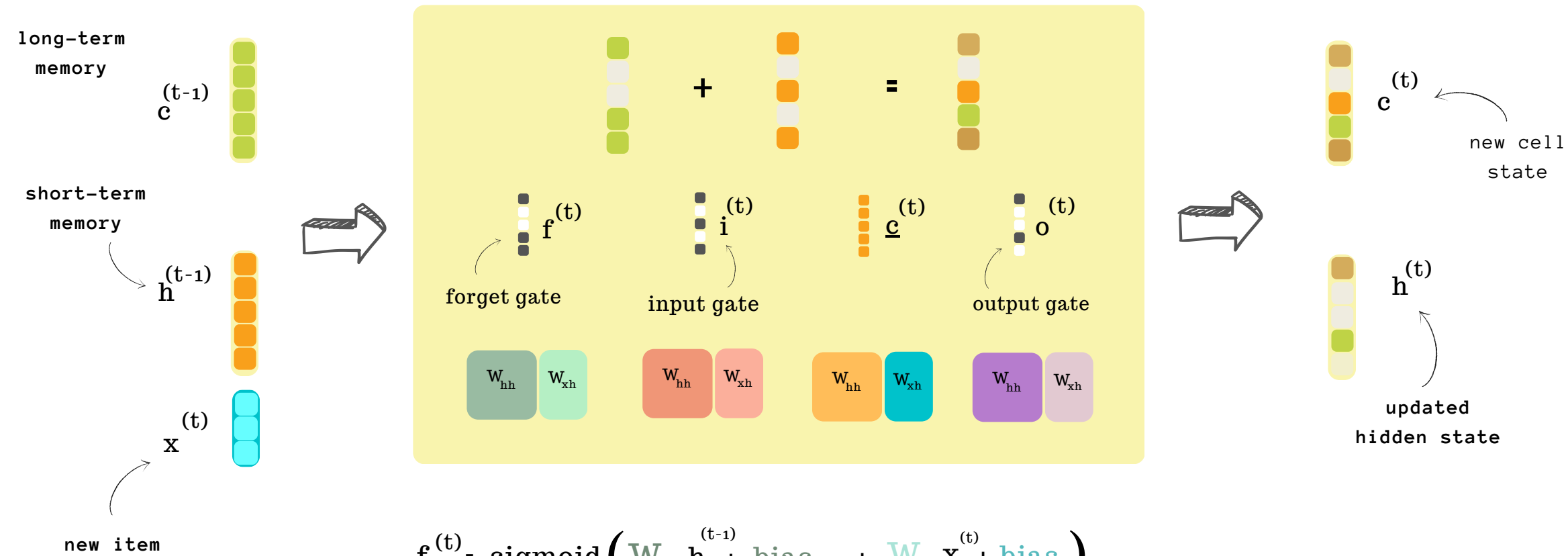
- can process sequences of any length
- can maintain the memory about the past

## DISADVANTAGES OF RNN

- Recurrent computation is slow
- Computational instability with gradients spiraling out of control
- Vanilla RNN struggle to maintain long-range information

# LONG-SHORT TERM MEMORY NETWORK

## LSTM cell



$$f^{(t)} = \text{sigmoid} \left( W_{hf} h^{(t-1)} + \text{bias} + W_{xf} x^{(t)} + \text{bias} \right)$$

$$i^{(t)} = \text{sigmoid} \left( W_{hi} h^{(t-1)} + \text{bias} + W_{xi} x^{(t)} + \text{bias} \right)$$

$$o^{(t)} = \text{sigmoid} \left( W_{ho} h^{(t-1)} + \text{bias} + W_{xo} x^{(t)} + \text{bias} \right)$$

$$\underline{c}^{(t)} = \tanh \left( W_{hc} h^{(t-1)} + \text{bias} + W_{xc} x^{(t)} + \text{bias} \right)$$

$$c^{(t)} = c^{(t-1)} * f^{(t)} + \underline{c}^{(t)} * i^{(t)}$$

$$h^{(t)} = o^{(t)} * \tanh \left( c^{(t)} \right)$$