



School of Computing, Engineering and Built Environment  
Department of Electrical and Electronic Engineering

EEE Honours Research Project

MHH630296

BEng Electrical and Electronic Engineering

Simulation of Multi-beam Antenna Array

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## Abstract

The sudden spike of Low Earth Orbit (LEO) satellites such as Starlink and OneWeb along with the recent increase of Very Low Earth Orbit (VLEO) missions means an increase in the need for supporting systems. Moving from traditional mechanical antennas to phased array antennas opened the ability to track accurately with electronic steering and beamforming but now systems are getting much more complex with the modern demands.

This project developed a simulation framework in MATLAB to model phased array beamforming with a focus on LEO satellite tracking. The final simulation used key parameters for a uniform rectangular array and has the ability to generate multiple beams to track targets simultaneously. Along with the addition of real satellite orbital data taken from TLE files and live SNR calculations. This allowed the study of different parameters to assist in the design process.

The results showed that the simulation framework is functional and adequate for performing basic testing. If a full simulation is developed the applications could be vast, removing cost and time of designing the complex modern systems needed today.

## Acknowledgements

The author would like to thank Dr. Sinan Sinanovic for his helpful advice. Thanks, are also given to the M330 lab room, which provided a good space for working and testing.

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## nomenclature

Abbreviation	Full Meaning
LEO	Low Earth Orbit
SNR	Signal-to-Noise Ratio
TLE	Two-Line Element (Satellite Data Format)
RF	Radio Frequency
HPBW	Half Power Beamwidth
2D	Two-Dimensional
3D	Three-Dimensional
dB	Decibel
dB <sub>i</sub>	Decibel relative to isotropic radiator
T <sub>x</sub>	Transmitter
R <sub>x</sub>	Receiver
AoA	Angle of Arrival
FFT	Fast Fourier Transform
AF	Array Factor
CPU	Central Processing Unit
MATLAB	Matrix Laboratory (Software Environment)

Symbol	Units	Description
$f$	Hz	Operating frequency of the antenna array
$\lambda$	m	Wavelength corresponding to the operating frequency
$k$	rad/m	Wavenumber, defined as $k=2\pi/\lambda$
$M$	—	Number of elements along the X-axis
$N$	—	Number of elements along the Z-axis
$d_x$	m	Spacing between adjacent elements along the X-axis
$D_z$	m	Spacing between adjacent elements along the Z-axis
$\theta$	degrees	Elevation angle from the positive Z-axis
$\phi$	degrees	Azimuth angle from the X-axis
$\theta_s$	degrees	Desired steering elevation angle
$\phi_s$	degrees	Desired steering azimuth angle
$\psi_x$	radians	Phase shift for elements along the X-axis
$\psi_z$	radians	Phase shift for elements along the Z-axis
$AF$	—	Total 2D array factor
$AF_x$	—	1D array factor along the X-axis
$AF_z$	—	1D array factor along the Z-axis
$B$	—	Number of beams tracked simultaneously
$AF_b$	—	Array factor of the b-th beam
$R$	—	Magnitude of the radiation pattern
$x,y,z$	m	Cartesian coordinates in the radiation plot
$P_r$	W	Received power
$P_t$	W	Transmitted power
$G_t$	dBi	Gain of the transmitting antenna
$G_r$	dBi	Gain of the receiving antenna
$d$	m	Distance between satellite and ground station
SNR	dB	Signal-to-noise ratio



# 1 Introduction

The rapid growth of Low Earth Orbit (LEO) satellite constellations, such as Starlink and OneWeb, along with the increase in Very Low Earth Orbit (VLEO) missions, has created a higher demand for supporting systems. Traditional ground antennas use mechanical movement, which is slow and wears out over time. These limitations cause major problems when tracking fast-moving LEO satellites. Phased array antennas offer a strong alternative. By electronically steering beams through controlled phase shifts across multiple antenna elements, they eliminate the need for mechanical motion. Phased arrays also allow for accurate tracking, simultaneous multi-satellite coverage, and dynamic beam reconfiguration. However, meeting modern demands has increased the complexity of these systems.

Although the technology adds the ability for rapid electronic steering it introduces more challenges. Some examples being controlling side lobes, minimising beam squint and keeping a strong signal to noise ratio (SNR) over angles far away from boresight.

This project developed a simulation framework in MATLAB to model phased array beamforming for LEO satellite tracking. The simulation used key parameters for a uniform rectangular array and added the ability to generate multiple beams aimed at different azimuth and elevation targets. Real satellite orbital data from Two-Line Element (TLE) files and live signal-to-noise ratio (SNR) calculations were also integrated into the framework. These additions allowed detailed study of how array design choices affect tracking performance and system capabilities.

The results show that the simulation framework is functional and capable of basic system testing. The project successfully created a flexible base that can support real-time satellite tracking and advanced performance analysis in future work. Expanding the simulation could significantly reduce the time and cost needed to design complex, modern satellite tracking systems.

## 1.1 Aim(s) of the Project

The original aim of this project was to show the benefits of phased arrays for satellite tracking. The project planned to compare phased arrays with traditional parabolic dish antennas. Phased arrays have clear advantages, including faster movement, higher

reliability, and multi-satellite tracking. As the project continued, the limits of simple comparisons became clear. Phased arrays already outperform dishes in tracking Low Earth Orbit (LEO) satellites. Because of this, the project focus shifted to a more forward-looking goal.

The new aim was to design, simulate, and test multi-beam phased array systems using MATLAB. This change allowed deeper study of beamforming, tracking accuracy, and phased array challenges. It also helped build a stronger base for future real-time tracking with satellite orbit data. The revised aim of the project is to test how well multi-beam phased arrays can track LEO satellites. A modular MATLAB simulation was developed to explore system design, performance, and future growth.

## 1.2 Objectives of the Project

1. Review relevant literature on phased array antenna systems, beamforming techniques, and LEO satellite tracking to establish a strong theoretical foundation.
2. Develop and implement a simulation of single-beam steering using a uniform rectangular array to validate directional control through phase manipulation.
3. Extend the simulation framework to support simultaneous multi-beam steering for tracking multiple satellites at distinct azimuth and elevation angles.
4. Evaluate the influence of array parameters—including frequency, element spacing, and array size—on beamwidth, gain, and directional accuracy.
5. Design the system to allow future real-time tracking using TLE orbit prediction, with beam selection based on updated link quality.

## 1.3 Scope of the Project

This project focuses on simulating and testing phased array antennas for Low Earth Orbit (LEO) tracking. The work builds a MATLAB simulation that models both single-beam and multi-beam steering. The simulation studies how array size, element spacing, and frequency affect beam direction and resolution.

The main goal is to test the basic principles of phased array beamforming in ideal conditions.

Two main programs were created: one to steer a single beam and one to form multiple beams. Each beam can aim at different azimuth and elevation angles to track several satellites at once. The system can also accept and organize Two-Line Element (TLE) data for future orbit tracking upgrades. This prepares the simulation for later use with

dynamic satellite positioning. Real-time TLE orbit updates are planned for future versions but were not added here. Certain features were not included in the project to keep the scope focused. Real-time orbit propagation with SGP4, hardware testing, and full link budgeting were excluded. Dynamic SNR adjustment and power efficiency analysis were also left out to simplify the work. The simulation models beam steering and spatial resolution under perfect conditions only. It does not model real-world effects like weather, interference, atmospheric loss, or Doppler shifts. These real-world factors will be important to add in future work for practical systems. Several assumptions were made to support the simple design. The project uses ideal, lossless antenna elements, half-wavelength spacing, and static targets. The work also assumes free-space propagation without environmental signal loss or degradation. Even with these limits, the project follows a systems-based approach with modular design. This makes it easier to expand later into real-time control, environmental modelling, and closed-loop tracking.

## 1.4 Structure of the Report

The report takes the reader from background research to the final conclusions. Each section builds step-by-step, showing how the project was planned, tested, and improved.

Chapter 1 – Introduction: Describes the project background and the main goals. Lists the problem being solved and the scope. Explains how the report is organised.

Chapter 2 – Literature Review: Reviews key topics like phased arrays, beamforming, and satellite tracking. Shows research gaps in past studies. Explains how this project adds new ideas.

Chapter 3 – Background and Theoretical Framework: Covers the basic theory of phased arrays and beam steering. Introduces the MATLAB simulation tools used. Explains important models used in the project.

Chapter 4 – Methodology and Implementation: Describes how the simulation system was designed and built. Shows how single-beam and multi-beam models were created. Explains how the system was tested.

Chapter 5 – Simulations and Analysis: Presents the simulation results. Includes beam patterns, performance checks, and tests with different settings.

Chapter 6 – Discussion and Critical Evaluation: Explains the meaning of the results. Discusses the system’s good points and problems. Suggests ways to fix or improve the system.

Chapter 7 – Conclusions and Future Work: Summarizes the key results of the project. Recommends ways to improve the simulation.

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## 2 Literature Review

The design and use of electronically steerable phased arrays for LEO satellite tracking relies on several research fields. These fields include antenna theory, satellite communication, and orbital dynamics. The rapid growth of satellite networks and global communication needs has made phased arrays more important than ever.

Antenna arrays, especially phased arrays, are now a main area of study in RF engineering. Engineers in systems, software, and aerospace roles are increasingly solving RF-related problems in new projects. Wireless communication has expanded so much that many engineering teams now require RF knowledge to succeed.

Understanding phased array behaviour and knowing how to simulate performance are strong skills today. Engineers with these skills are valuable in multidisciplinary teams that work across many fields. This project aims to meet industry needs by offering a flexible, modular phased array simulation tool for future research.

This section reviews important developments related to phased arrays and satellite tracking technology. The review focuses on basic phased array concepts while identifying gaps that still exist in research. These gaps define the technical focus and development goals of this project.

### 2.1 Satellite Tracking in Low Earth Orbit

Low Earth Orbit (LEO) is typically defined as the region up to about 2,000 km above Earth’s surface, with most LEO satellites orbiting at a few hundred kilometres altitude [1]. At these heights, satellites circle the Earth extremely fast – for example, the International Space Station at ~400 km altitude travels about 27,600 km/h and completes roughly 16 orbits per day [1]. This high orbital speed means any given LEO satellite is only in view of a fixed ground point for a short duration (often 5–15

minutes per pass). Unlike geostationary satellites (which remain fixed relative to an Earth location), LEO satellites sweep rapidly across the sky and can have inclined or polar orbits instead of being limited to the equatorial plane [1], [2]. This orbital agility makes LEO attractive for many applications – including Earth imaging, scientific missions, and low-latency communications – but it also poses a major tracking challenge for ground stations.

A single LEO satellite cannot provide continuous coverage to one ground location, so operators deploy large constellations of many satellites to achieve global or near-continuous coverage [2]. Recent years have seen an explosion in such LEO constellations. Notably, SpaceX’s Starlink constellation has grown to over 7,000 satellites in orbit as of early 2025 [2], and networks like OneWeb are also operational. This dramatic increase in LEO spacecraft has amplified the demand for real-time, scalable tracking solutions. Traditional ground tracking systems typically use large parabolic dish antennas mounted on mechanical gimbals. While mechanically steered dishes work well for slowly moving geostationary targets, they struggle to keep pace with fast-moving LEO satellites that traverse from horizon to horizon in minutes. Mechanical systems have inherent slewing speed limits and wear over time due to moving parts. They are also limited to tracking one satellite at a time. Handling dozens or hundreds of simultaneous LEO passes would require an impractical number of dish antennas or extremely rapid retargeting between satellites. Recent studies and industry roadmaps emphasize that new approaches are needed to track multiple LEO objects in real time [3]. NASA’s small satellite communications roadmap highlights electronically steered array antennas as a key emerging solution to enable simultaneous links to many LEO satellites [3]. In summary, the proliferation of LEO constellations has created an urgent need for ground station technologies that can rapidly steer, and even simultaneously split antenna beams to follow multiple satellites. This sets the stage for modern phased array antenna systems.

## 2.2 Phased Array Antenna Systems

Phased array antennas have been studied for decades as a compelling alternative to mechanically steered dishes for high-speed tracking and communications. A phased array consists of many small radiating elements arranged in an array and driven with carefully adjusted phase shifts. By controlling the relative phase and amplitude of the signal at each element, the array’s combined radiation pattern can be electronically

steered in desired directions without any mechanical movement [4], [5]. This principle was pioneered in radar systems in the mid-20th century to track airborne targets and missiles much faster than any dish antenna could slew [5]. Classic antenna theory texts such as Balanis and Mailloux provide the mathematical foundations for phased arrays, demonstrating how a uniformly excited array can produce a narrow main lobe and low sidelobes by appropriate phasing and weighting of elements [4], [5]. For example, a planar array of many elements can achieve a beamwidth of only a few degrees or less, concentrating energy toward a target satellite for improved link gain [4], [5]. Because beam steering is accomplished by electronics, it can be instantaneous, enabling the antenna to rapidly switch or hop between different directions far faster than any mechanical mount. Moreover, phased arrays eliminate moving parts, improving reliability, and reducing maintenance [6].

In communication networks, phased array technology offers capabilities beyond traditional single-beam dishes. One key advantage is the ability to form and steer multiple beams simultaneously from a single array. By using multiple independent sets of phase weights, a phased array can send/receive in several directions at once. He et al. notes that this multi-beam capability is a primary reason phased arrays are considered attractive for future ground stations supporting LEO constellations [6]. In contrast, a mechanical dish is generally limited to one link at a time. Recent technological advances, including compact transmit/receive modules and digital beamforming techniques, now enable dynamic adjustment of beams and nulls even adapting in real time to maximize signal quality. Digital phased arrays can thus track and communicate with many targets, offering unprecedented flexibility.

Despite these advantages, phased arrays come with challenges. A large number of antenna elements are required to achieve high gain and narrow beams – typically hundreds of elements are needed for a gain comparable to a large dish. This can make phased arrays expensive and power-hungry. There are also scan angle limitations: a flat planar array has optimal gain when pointed broadside; steering far off boresight can introduce gain loss and pattern distortion [6]. Various array configurations, such as faceted or conformal arrays, have been proposed to mitigate these issues [6].

Despite challenges, phased arrays are increasingly practical. For example, SpaceX's Starlink user terminals employ electronically steered arrays to track LEO satellites [2], demonstrating the technology's real-world viability.

## 2.3 Satellite Tracking Technologies: Phased Arrays vs. Traditional Antennas

Tracking a LEO satellite requires continuously repointing the antenna to follow rapid changes in azimuth and elevation. Historically, this has been achieved with mechanically steered parabolic reflectors, which can offer very high gain but suffer from slow slewing speeds and mechanical wear. Mechanically steered systems typically cannot track multiple satellites simultaneously without deploying multiple antennas, making them impractical for dense LEO constellations.

Phased arrays inherently address these limitations by enabling instantaneous beam steering and multi-satellite tracking [6]. They can create multiple independent beams simultaneously, effectively replacing several dishes with one aperture. In 2019, experimental systems demonstrated phased-array terminals that could track a LEO satellite while simultaneously handing over to a GEO satellite in under a second [3]. Such agility would be difficult or impossible with mechanical systems.

In terms of reliability, phased arrays have no moving parts and therefore promise higher operational uptime and reduced maintenance costs [6]. In contrast, dishes involve motors and gears that are prone to failure, especially under adverse weather conditions. While phased arrays introduce their own complexities, such as the need for calibration of many active electronic elements, the overall reliability tends to be higher.

Performance-wise, phased arrays enable dynamic beam shaping and null steering to optimize signal quality and reduce interference. Traditional dishes have rigid patterns and cannot dynamically adapt. Experimental results, such as those from Adomnitei et al. [7], validate that even small phased arrays can achieve meaningful gain ( $\sim 12$  dBi) for LEO tracking and improve link quality over fixed single-element antennas. As the number of satellites grows, phased arrays are poised to become the dominant technology for ground station tracking systems.

## 2.4 Research Gaps and Relevance to This Project

Despite the progress in phased array technologies and LEO satellite tracking, gaps remain in the integration and simulation of these systems. Many existing studies either focus on phased array beamforming in isolation or on orbital tracking algorithms without modelling how antenna behaviour affects performance [8], [6].

There is a scarcity of flexible, open simulation frameworks that combine phased array modelling with realistic LEO tracking scenarios.

Earlier works, such as Ng et al. [8], introduced basic MATLAB simulations for phased array tracking, but these efforts were limited by the technology and computational resources available at the time. More recent advances in phased array hardware and the growing complexity of LEO constellations call for updated simulation tools that can handle dynamic multi-beam tracking, performance trade-offs, and system-level optimization.

This project addresses these gaps by developing a modular MATLAB-based simulation framework that dynamically steers beams in response to LEO satellite positions. It combines phased array modelling (computing array factor, beamwidth, steering capabilities) with orbital data (e.g., TLE files) to create realistic dynamic scenarios. This integration enables exploration of key questions such as beam crossover timing, array sizing trade-offs, and tracking precision under multi-target conditions.

By providing a scalable, open simulation tool, this project contributes to understanding and optimizing phased array ground station designs for the next generation of LEO satellite networks. It offers a foundation for future work, including real-time orbit updates, Doppler compensation, and realistic RF link modelling, all of which are critical for operational deployment.

### 3 Background or System Under Consideration

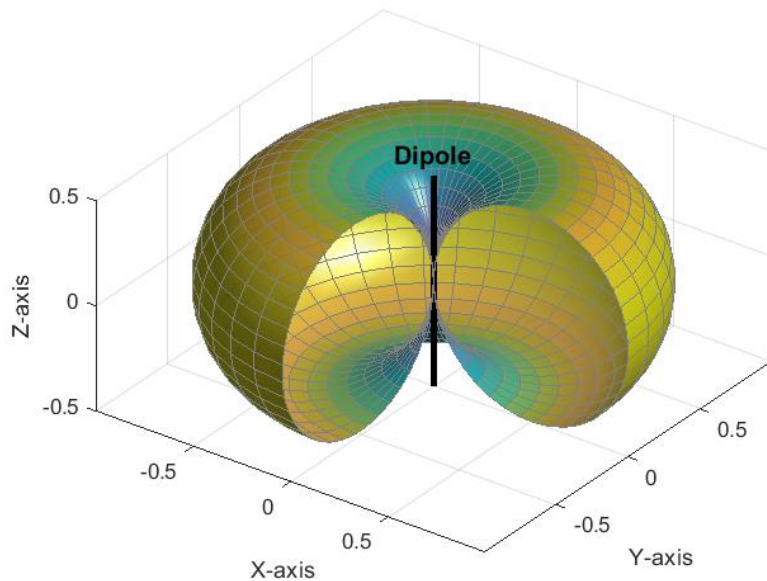
A flexible simulation framework is essential for phased array satellite system designers to minimize risks associated with the development of multi-beam phased array communication systems. The requirements for such a framework encompass all aspects of analysis, design, implementation, and system lifecycle management. Additionally, these requirements span multiple domains, including both the RF and digital processing aspects of phased array operation. While this increases the complexity of the framework, its value lies in ensuring design requirements are met, optimizing power efficiency, and detecting potential system errors before deployment, ultimately improving overall system performance and reliability.



### 3.1 Principles and Advantages of Phased Array Antennas

This section draws primarily from established antenna theory texts, including Balanis [4], Mailloux [5], Skolnik [9], and Richards [10], to outline the principles and performance characteristics of antenna arrays relevant to this study.

A single antenna element usually produces a radiation pattern that is wide and offers low directivity or gain. In many communication systems, especially those operating over long distances, antennas must provide higher directivity to ensure efficient signal transmission and reception. One way to increase directivity is by enlarging the size of a single antenna element. However, making individual elements larger is often impractical, particularly when constraints on physical size and weight exist.



*Figure 1 Three-dimensional radiation pattern of a half-wave dipole antenna showing omnidirectional broadside radiation and low directivity.*

A single half-wave dipole antenna produces a characteristic doughnut-shaped radiation pattern, with maximum radiation at broadside ( $\theta = 90^\circ$ ) and nulls along the dipole axis ( $\theta = 0^\circ$  and  $\theta = 180^\circ$ ). Figure 1 shows this typical pattern, with a cut-out section to better illustrate the inner structure. This pattern highlights the fundamental limitation of a single element in terms of directivity, motivating the use of antenna arrays to achieve more focused beam patterns.

A more effective approach is to combine multiple radiating elements into a structured configuration known as an array. An antenna array increases the electrical size of the antenna system without necessarily increasing the physical size of each element. Typically, arrays are formed using identical elements, although this is not a strict requirement. Elements in an array can take many forms, including wires or apertures, depending on the application.

The radiation pattern of the entire array is determined by the vector addition of the fields produced by the individual elements. This process assumes that each element radiates independently, although in practice, the interaction between closely spaced elements can alter their performance. The primary goal in array design is to ensure that the fields from individual elements add constructively in the desired direction and cancel out in other directions. The array factor (AF), which is a function of both the geometry of the array and the phase excitations of the elements, plays a crucial role in achieving this directive behaviour.

$$AF(\theta) = \sum_{n=0}^{N-1} e^{jn(\cos\theta + \beta)}$$

*Equation 1 Array Factor for Linear Array*

For a uniform linear array, the array factor is given by the equation 1. where N is the number of elements, d is the spacing between elements, k is the wavenumber, and  $\beta$  is the phase shift applied to the elements.

### 3.1.1 Antenna Plots: Cartesian and Polar

Antenna patterns are often shown using either Cartesian or polar plots. Both methods show the same data, but in a different format. Cartesian plots display the pattern on a graph with gain against angle. This makes it easy to measure beamwidth and compare sidelobe levels. Polar plots show the pattern in a circular format. This gives a better view of how the antenna radiates energy in all directions. It also makes it easier to understand how the antenna behaves in space. Both plot types are common in antenna design. It is useful to understand and use both, depending on what information you need to show.

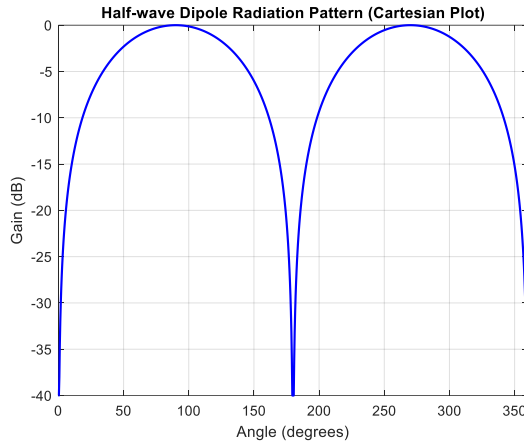


Figure 2 Radiation Pattern (Cartesian Plot) [9]

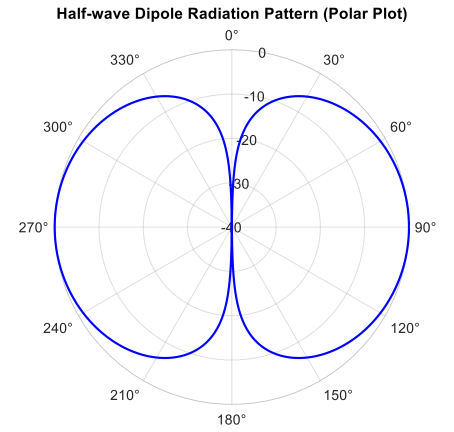


Figure 3 Radiation Pattern (Polar Plot [9])

Two-dimensional radiation pattern of a half-wave dipole antenna shown using both Cartesian and polar plots. The Cartesian plot (left, figure 2) clearly illustrates the broadside radiation and nulls along the axis of the antenna, making it easier to measure beamwidth and sidelobe levels. The polar plot (right, figure 3) presents the same data in a circular format, providing a better visualization of the antenna's omnidirectional radiation characteristics in space.

### 3.1.2 beamwidth

Beamwidth describes how a transmitting antenna concentrates energy in space. It is one of the most important performance measures in antenna design. A narrow beamwidth means the antenna can focus energy in a specific direction, increasing the signal strength toward a target while reducing power sent in unwanted directions. In most applications, beamwidth is measured using either the Half-Power Beamwidth (HPBW) or the First Null Beamwidth (FNBW). HPBW is the most common. It is defined as the angular width of the main lobe where the transmitted power drops by 3 dB from its maximum value. FNBW is the angular spacing between the first nulls on either side of the main lobe. [9]

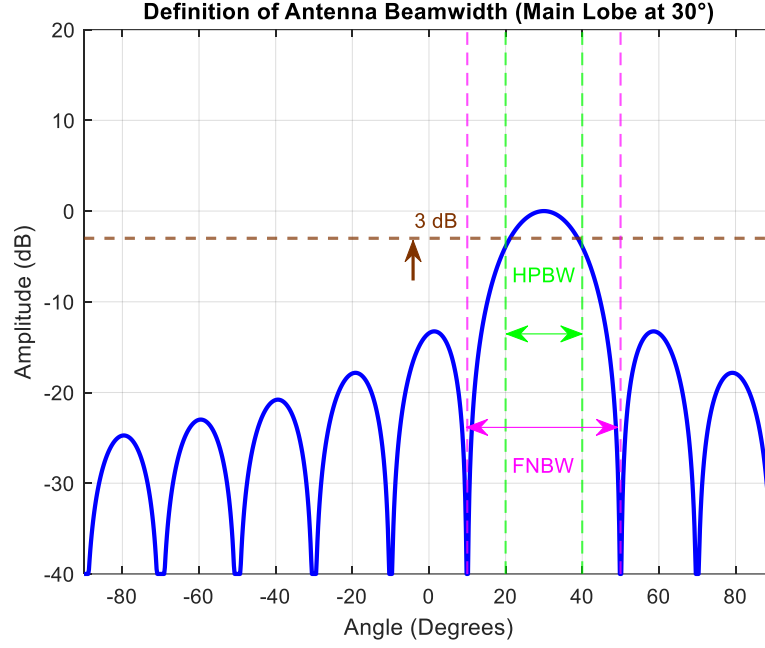


Figure 4 antenna beamwidth (linear array  $N = 8$ ,  $d = \lambda/2$ ,  $\theta = 30^\circ$ ) [9]

Figure 4 shows the definition of beamwidth for a uniform linear array with  $N = 8$  elements, an element spacing of  $d = \lambda/2$ , and a main beam steered to  $\theta_0 = 30^\circ$ . The HPBW is measured by finding the angular points where the transmitted power falls to half its peak value. This corresponds to a -3 dB drop. The angular distance between these points gives the HPBW.

### 3.1.3 Beam Steering Phase Shift Equations

Beam steering in an antenna array is achieved by applying incremental phase shifts to each element.

$$\Psi_x = -kd_x m \sin(\theta_s) \cos(\phi_s)$$

Equation 2 X-axis Phase Shift Equation

The X-axis phase shift for element mmm is given in equation 2.

Here,  $k = \frac{2\pi}{\lambda}$  is the wave number, and  $d_x$  is the element spacing along the X-axis. The variable mmm is the element index,  $\theta_s$  is the steering elevation angle, and  $\phi_s$  is the steering azimuth angle.

$$\Psi_z = -kd_z n \sin(\theta_s) \sin(\phi_s)$$

Equation 3 Z-axis Phase Shift Equation

The Z-axis phase shift for element  $n$  is shown in equation 3.

Here,  $d_z$  is the spacing in the Z direction, and  $n$  is the element index along Z.

Applying these phase shifts aligns the array's main lobe to the direction  $(\theta_s, \phi_s)$ .

### 3.2 Beamforming Techniques and Multi-Beam Systems

Beamforming uses many antenna elements. A controller sets each element's phase and amplitude. These signals combine to form a beam in a chosen direction [10]. A phased array has no moving parts and steers beams by electronic phase shifts. This electronic steering is very fast.

In single-beam operation, one set of weights is applied. The array then focuses energy in one direction. In multi-beam systems, additional weight sets are applied. A beamforming network like a Butler matrix can form multiple simultaneous beams, each with full array gain [10]. This allows one array to track many targets at once. Forming multiple beams raises system complexity and can cause beam overlap. Engineers use adaptive weighting and null steering to reduce interference. Digital beamforming provides full control of the beam shapes [11]. In digital systems, each element's signal is digitized and combined in software. Hybrid analog–digital designs combine both approaches to balance hardware cost and flexibility.

### 3.3 Simulation Platforms for Antenna System Design

Computer simulation is essential for phased array design. It enables virtual prototyping and reduces the need for physical testing [12]. Simulation reduces development time and cost [12]. Common platforms include MATLAB, CST Studio Suite, and ANSYS HFSS. These tools let engineers test designs in a virtual environment.

MATLAB supports matrix operations, signal processing, and visualization [13]. The Phased Array System Toolbox adds beamforming and array simulation functions [13]. MATLAB code solves many antenna array problems faster than equivalent C or Fortran programs [13]. Researchers often use MATLAB for algorithm development and rapid prototyping of phased arrays.

CST Studio Suite and HFSS are full-wave electromagnetic simulators [12] [14].

These programs solve Maxwell's equations for three-dimensional structures. They compute detailed radiation patterns and element coupling effects. Engineers use these

tools to verify antenna designs and optimize performance. Full-wave simulation can be computationally expensive, so engineers often use it alongside faster system-level models.

### 3.5 MATLAB Simulation Environment

The phased-array simulations were implemented in MATLAB. A uniform  $20 \times 20$  planar antenna array was modelled, operating at 76 GHz. Array elements are spaced at half the wavelength ( $\lambda/2$ ) to prevent grating lobes and simplify the computations. The software computes the array factor for a given beam direction and visualizes the 3D radiation pattern on a Cartesian grid. Phase shifts are applied to each element to steer the beam electronically. Both single-beam and multi-beam configurations are supported by summing the contributions of different phase profiles. This modular MATLAB framework allows easy adjustment of array size, frequency, and steering angles for further study, consistent with prior MATLAB-based array models [6], [7].

### 3.6 Phased Array Resolution and performance

In phased array systems, the term resolution denotes the capability of the antenna array to distinguish between two spatially close signals or sources. This property is intrinsically linked to the beamwidth of the array's main lobe. A narrower beamwidth corresponds to a finer angular resolution, which is crucial when tracking multiple satellites or targets within a limited field of view.

$$\theta_{HPBW} \approx \frac{0.886\lambda}{D}$$

*Equation 4 HPBW approximation*

The angular resolution of a Uniform Rectangular Array (URA) is typically estimated using the half-power beamwidth (HPBW), which can be approximated as shown in equation 4.

where  $\lambda$  is the operating wavelength and  $D$  is the physical aperture size in the direction of interest. For a planar array, this aperture is determined by the number of elements and their spacing:

$$D_x = M \cdot d_x, D_z = N \cdot d_z$$

*Equation 5 Array Dimensions*

As demonstrated in the developed simulations, resolution was observed to improve with an increase in the number of array elements or a reduction in wavelength, both of

which result in a larger effective aperture. Specifically, higher operating frequencies (e.g., 76 GHz vs. 30 GHz) were found to produce narrower main lobes, enhancing angular discrimination.

However, element spacing was maintained at or below  $\lambda/2$  to avoid the emergence of grating lobes, which could otherwise compromise the effective resolution and introduce ambiguity in direction finding. The use of uniform spacing and controlled phase shifts facilitated precise beam steering while preserving pattern integrity.

In multi-beam scenarios, the importance of resolution becomes even more evident. Closely spaced beam directions require sufficient angular separation to avoid mutual interference. The simulations confirmed that higher resolution allowed each beam to be resolved distinctly, supporting the system's ability to track multiple LEO satellites simultaneously without significant beam overlap.

These observations are consistent with theoretical models and principles outlined in radar signal processing literature.

### 3.7 Ethical, Environmental, and Societal Impact

Phased arrays offer many benefits but also raise ethical, environmental, and societal concerns [9]. Dual-use technology is a major ethical issue [10]. Systems designed for civilian use, like satellite tracking, could also support military or surveillance applications [11]. Transparency and adherence to international regulations are essential to address this concern [10]. Ground stations must avoid intercepting unauthorized communications and must respect frequency licensing rules [12].

Environmentally, phased arrays consume significant power, especially when tracking multiple satellites continuously [11]. Designers should prioritize energy-efficient hardware and use adaptive system duty cycling to reduce emissions [9].

Manufacturing arrays also uses rare materials and produces waste [10]. Sustainable sourcing and strong end-of-life recycling strategies should be implemented to reduce environmental harm [12].

Phased arrays can improve global connectivity by enabling internet access for remote regions [4]. However, cost and access barriers must be addressed to avoid deepening the digital divide [9]. Affordable and open technology standards can help ensure that all communities benefit equally [10].

Public engagement is also important for community trust. Communities hosting large antennas must be informed about safety and environmental impacts [11]. Clear

communication about benefits, risks, and protections can prevent opposition to new installations.

Professional ethics codes, such as those by IEEE and IET, must guide engineering decisions [9]. This project aligns with these standards by promoting open, modular simulation tools and responsible technology development [9].

## 4 Methodology and Research Methods

### 4.1 Program 1 – Single Beam Steering

Program 1 builds a single directional beam using a 20x20 grid of antenna elements. Each element is spaced half a wavelength apart to avoid grating lobes. The frequency is set at 30 GHz, a common band for LEO satellites. The user specifies a beam direction by entering elevation and azimuth angles.

Input	Description
<b>Frequency (f)</b>	Operating frequency, set to 30 GHz.
<b>Number of Elements (M, N)</b>	20 elements along X and Z axes.
<b>Element Spacing (dx, dz)</b>	Half the wavelength ( $\lambda/2$ ) spacing.
<b>Elevation Angle (thetaMax)</b>	Desired elevation beam steering angle.
<b>Azimuth Angle (phiMax)</b>	Desired azimuth beam steering angle.

*Table 1 Single Beam Input Table*

Inputs needed for the program are shown in table 1.

The program calculates a phase shift for each antenna element based on that target direction. Next, the program computes the array factor by summing signals from all elements. The program uses the signal wavelength and element spacing to compute each element's phase shift. The code applies these phases with MATLAB's complex exponentials ( $\exp(1j * \text{phase})$ ). Then the program sums these values over the 2D grid of elements. The result is the combined field pattern for the given beam direction. Finally, the program plots the radiation pattern in 3D. The plot shows a strong main lobe at the target direction and smaller sidelobes around it. This confirms that phase changes alone can steer the beam without moving parts.

#### 4.1.1 1D Array Factor Summations (X and Z directions)

Using the steering phases from Chapter 3, the array factor in each direction is computed by summation.

For the X-axis, the array factor is the sum of contributions from all elements:



$$AF_X = (\theta, \phi) = \sum_{m=0}^{M-1} e^{j[kd_x m \sin(\theta) \cos(\phi) + \Psi_x(m)]}$$

Equation 6 X-axis 1D Array Factor Equation

Here,  $AF_X$  is the X-axis array factor, and M is the total number of elements in the X direction. The term  $\Psi_x(m)$  is the steering phase from Equation 6.

$$AF_Z = (\theta, \phi) = \sum_{n=0}^{N-1} e^{j[kd_z n \sin(\theta) \sin(\phi) + \Psi_z(n)]}$$

Equation 7 Z-axis 1D Array Factor Equation

Here,  $AF_Z$  is the Z-axis array factor, and N is the total number of elements in the Z direction. The term  $\Psi_z(n)$  is the steering phase from Equation 7.

These summations compute the radiated field components from each axis independently before combining them into the full array pattern.

#### 4.1.2 2D Array Factor Product for Full Planar Array

For the full planar array, the total array factor is obtained by multiplying the X and Z factors. This leverages the fact that the axes are independent.

$$AF(\theta, \phi) = AF_X(\theta, \phi) \times AF_Z(\theta, \phi)$$

Equation 8 Full 2D Array Factor Equation

The total array factor is given the equation shown in equation 8.

Here,  $AF$  is the overall array factor, and  $AF_X$  and  $AF_Z$  are the factors from Equations (4.1) and (4.2). The product  $AF_X * AF_Z$  yields the combined radiation pattern of the 2D array.

## 4.2 Program 2 – Multi-Beam Steering

Program 2 extends the single-beam design to form multiple beams at once. It uses the same 20x20 grid of antenna elements and element spacing as before. The user enters a list of elevation and azimuth angles, one pair for each desired beam.

Input	Description
Frequency (f)	Operating frequency, set to 30 GHz.
Number of Elements (M, N)	20 elements along X and Z axes.
Element Spacing (dx, dz)	Half the wavelength ( $\lambda/2$ ) spacing.
Number of Beams (numBeams)	User-specified number of beams.
Elevation Angles (thetaMaxArray)	Elevation angles for each beam.

<b>Azimuth Angles (phiMaxArray)</b>	Azimuth angles for each beam
-------------------------------------	------------------------------

Table 2 Multi Beam Input Table

The inputs

The program uses these angles as inputs for the beam calculations. For each beam, it computes an array factor using the same method as in Program 1.

Next, the program calculates the total array factor by summing the contributions of each beam. It computes each beam's signal pattern separately using the phase shifts for that beam's direction. Then the program adds those patterns elementwise in MATLAB. This uses the principle of superposition of waves. The final result is a combined 3D pattern with multiple main lobes. The program plots this combined pattern to show all beams.

#### 4.2.1 Multi-Beam Superposition Method

In the multi-beam scenario, each beam's array factor is computed separately and then summed. The fields add linearly to produce multiple lobes.

$$AF_{total}(\theta, \phi) = \sum_{b=1}^B AF_b(\theta, \phi)$$

Equation 9 Multi-Beam Superposition Equation

The combined array factor for B beams is shown in equation 9.

Here, B is the number of beams and  $AF_b$  is the array factor of beam b with its own steering angles. Summing these factors creates a multi-lobe pattern, with each lobe corresponding to one of the steering directions.

### 4.3 Role of beam Simulations in Final Project

The single-beam and multi-beam programs form the foundation of the simulation framework. They show that a phased array can steer signals electronically by adjusting the phases at each element. Users can verify the array factor calculations by checking the output beam directions and shapes. The output radiation patterns provide visual confirmation that the steering logic works. These core modules handle the basic tasks of creating and combining beams from the antenna array.

These programs focus on beam steering logic and do not include satellite orbit tracking or signal-to-noise ratio (SNR) calculations. They use ideal conditions and fixed parameters for testing. The output pattern shows how the main beam and

sidelobes move with different input angles. These results help validate the array design and beamforming method. Overall, the simulation code provides a working proof of concept for phased array steering.

## 4.4 Orbit Prediction and the Role of TLE Data

Orbit prediction is a key part of tracking satellites. This project uses Two-Line Element (TLE) files to predict satellite paths across the sky. A TLE file contains simple orbital data that ground stations can use without heavy computing. The TLE data used in this project was obtained from CelesTrak [21], a trusted online source for real-time satellite tracking information (all data used in appendix F).

Each TLE entry has three lines.

```
COSMOS 2361
1 25590U 98076A 25085.24608917 .00000132 00000+0 12624-3 0 9991
2 25590 82.9383 177.4391 0030059 272.7097 145.0986 13.73184118315525
```

Figure 5 TLE COSMOS example.

The first line shows the satellite name, making it easy to identify. The next two lines hold the real orbital data, broken into smaller fields. These fields describe the shape, tilt, and speed of the orbit in space.

Field	Meaning
<b>Line Number (1)</b>	Identifies this as the first data line
<b>Satellite Number (25590)</b>	Unique satellite ID assigned by NORAD
<b>Classification (U)</b>	U = Unclassified, C = Classified
<b>Launch Year and Launch Number (98076A)</b>	98 = 1998 launch year, 076 = 76th launch, A = first piece
<b>Epoch (25085.24608917)</b>	85th day of 2025, fractional day
<b>First Derivative of Mean Motion (0.00000132)</b>	Rate of change of mean motion (rev/day <sup>2</sup> )
<b>Second Derivative of Mean Motion (00000+0)</b>	Often zero; rarely used unless under special conditions
<b>BSTAR Drag Term (12624-3)</b>	Atmospheric drag parameter
<b>Ephemeris Type (0)</b>	0 = Standard SGP4 model
<b>Element Set Number (999)</b>	Version number for updates
<b>Checksum (1)</b>	Error-checking number

Table 3 TLE line 1 field breakdown

Table 3 shows an example of a TLE file. Each field is labelled to help the reader understand what the numbers mean. Knowing how to read a TLE is important for any satellite tracking system.

Field	Meaning
<b>Line Number (2)</b>	Identifies this as the second data line
<b>Satellite Number (25590)</b>	Repeats satellite ID for verification
<b>Inclination (82.9383°)</b>	Angle between orbit plane and Earth's equator
<b>Right Ascension of Ascending Node (177.4391°)</b>	Longitude where the orbit crosses the equator going north
<b>Eccentricity (0.0030059)</b>	Shape of orbit (0 = circular, near 0 = low eccentricity)
<b>Argument of Perigee (272.7097°)</b>	Angle to the orbit's closest approach to Earth
<b>Mean Anomaly (145.0986°)</b>	Position of satellite in orbit at the epoch
<b>Mean Motion (13.73184118 rev/day)</b>	Number of orbits the satellite makes per day
<b>Revolution Number at Epoch (31552)</b>	Total orbits completed at epoch time

Table 4 TLE line 2 field breakdown

Not every value inside a TLE file is needed for this project. Only certain fields are used to predict the satellite's path and motion. Table 4 lists the fields chosen and the parts of the orbit they control.

For example, inclination tells how much the orbit tilts from the Earth's equator. Mean anomaly tells where the satellite is along its path at a given time. Mean motion shows how fast the satellite travels around the Earth.

Table 3 explains why each field was important for this project. Each field links to a real need during orbit building, such as setting the orbit's shape or speed. Choosing the right fields keeps the system efficient and easy to simulate.

Using TLE files allows quick orbit prediction with simple tools. This choice supports early-stage antenna design and planning. It also makes the system flexible for education and low-cost ground station projects.

## 4.5 SNR Calculation and Application

This project includes SNR calculation as a critical part of beam evaluation. SNR measures how strong the received signal is compared to the background noise. A higher SNR value means a better-quality communication link.

$$P_r = P_t G_t G_r \left( \frac{\lambda}{4\pi d} \right)^2$$

*Equation 10 Friis transmission*

The simulation calculates received signal power using the Friis transmission equation shown in equation 10. The terms in the Friis equation are defined as follows.  $P_r$  is the received power at the ground station.  $P_t$  is the transmitted power from the satellite.  $G_t$  and  $G_r$  are the gains of the transmitter and receiver antennas.  $\lambda$  is the wavelength of the transmitted signal.  $d$  is the distance between the satellite and the ground station.

The simulation assumes free-space loss only. Atmospheric loss, fading, or Doppler effects are not included. Noise power  $P_N$  is modelled as a constant system noise floor.

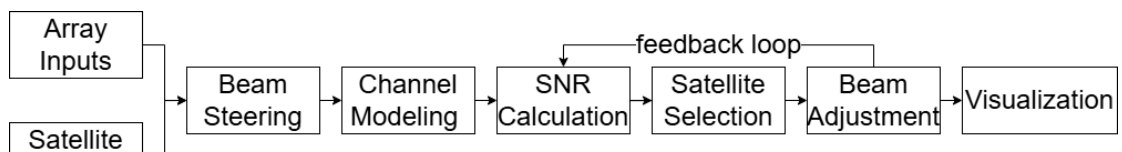
$$SNR = \frac{P_r}{P_N}$$

*Equation 11 signal-to-noise ratio Equation*

The signal-to-noise ratio is calculated by equation 11. SNR values are computed for each beam in every simulation step. These values determine which satellites to track and help optimize beam directions.

## 4.6 Simulation Workflow Summary

The simulation runs a complete tracking and beamforming process in MATLAB. Satellite orbit data and array settings feed into steering and signal calculations. Each time step uses new satellite positions and signal metrics to adjust the beams. The system updates beams based on signal-to-noise ratio (SNR) and the array's resolution limits.



*Figure 6 Simulation Flow Diagram*

#### 4.6.1 Simulation Inputs

The user sets the antenna array parameters and selects a set of satellites to track.

Inputs include the number of elements (e.g.  $20 \times 20$ ), element spacing, and operating frequency. The program also reads satellite Two-Line Element (TLE) data for each target. TLE files list orbital parameters of the satellites. This data format encodes each satellite's orbit and motion.

A function (`readTLEfile`) extracts satellite names and TLE lines from the file. The function groups lines into 3-line blocks for each satellite and returns arrays of line data. Another step processes these lines into 3D position vectors using a simple orbital model. The simulation assumes fixed time steps (e.g. 360) to track satellite movement over time.

#### 4.6.2 Orbit Prediction and Beam Angles

The simulation computes each satellite's location in 3D space. Using the TLE data, the code finds satellite coordinates in an Earth-Centered Inertial (ECI) frame. The program then converts these coordinates to azimuth and elevation angles as seen from the ground station. Any satellite below the local horizon is ignored. These angles show where in the sky each satellite is at the current time step.

#### 4.6.3 Beamforming and Channel Model

Based on the satellite angles, the simulation calculates phase shifts for each antenna element. Phase shifts steer each beam toward the desired azimuth and elevation. For each beam, the simulation computes an array factor by summing the contributions of all elements with their phase delays.

Next, the simulation applies a channel model to compute signal strength. It uses a free-space loss model. In free space, signal power falls off with distance squared. The model uses the satellite distance (from orbit data) and frequency to calculate received power. The antenna gains are included, assuming ideal elements. The received signal power is compared to a noise level to find SNR (signal power divided by noise power).

#### 4.6.4 SNR Feedback Loop

The calculated SNR for each beam link feeds back into the steering logic. The program uses the SNR results to adjust the beams. This improves link quality. For example, if one beam has low SNR, the code might shift that beam or swap to another satellite. This creates a feedback loop. After each calculation, the beam directions

update based on the new SNR. This loop runs every time step, letting the array adapt to changing satellite positions and signal levels.

#### 4.6.5 Satellite Selection and Beam Adjustment

The simulation picks the satellites with the highest SNR values. Typically, up to three satellites are tracked with separate beams. Each chosen satellite gets a dedicated beam steered toward its angle. The code enforces a steering resolution: beam angles are snapped to the nearest allowable step. If snapping causes misalignment, the simulation applies a gain correction using a sinc-based formula. This adjusts the SNR to account for any signal loss. These corrections yield final beams that best track the chosen satellites.

#### 4.6.6 Visualization

The simulation provides real-time plots to show results. One plot is a 3D view of the antenna's active beam patterns. This plot updates each time step with the current beam directions and strengths. Another plot shows satellite orbits and the ground station. The plot marks the current position of each tracked satellite on its orbit path in real time. These visuals make it easy to see which satellites are tracked and how the beams point in space.

#### 4.6.7 Conclusion

This workflow ties together array inputs and satellite data in a loop of beam steering and signal evaluation. The system starts with configuration and TLE orbit data. The simulation calculates where each satellite is and where to point each beam. The code then computes the signal path and finds the SNR, using that feedback to adjust the beams. This process repeats at every time step. Finally, the simulation selects the best satellites and adjusts the beams for them. The results are shown visually.

## 5 Simulations, Testing and Evaluation

### 5.1 Spherical to Cartesian Coordinate Transformation for Plotting

Visualization of the radiation pattern requires converting spherical coordinates to Cartesian coordinates. Each point on the pattern has spherical coordinates  $(R, \theta, \phi)$ , where  $R$  is the magnitude (radius) at angle  $(\theta, \phi)$ . The conversion equations are:

$$x = R \sin(\theta) \cos(\phi)$$

Equation 12 x-Coordinate Transformation Equation

$$y = R \sin(\theta) \sin(\phi)$$

Equation 13 y-Coordinate Transformation Equation

$$z = R \cos(\theta)$$

Equation 14 z-Coordinate Transformation Equation

Here, x, y, and z are the Cartesian coordinates of the point shown in equation 12,13,14 in order. The variable R is the value of the radiation intensity or field magnitude at that point. The angle  $\theta$  is the elevation from the positive Z-axis, and  $\phi$  is the azimuth around the Z-axis. Using these equations maps the spherical beam pattern into a 3D Cartesian space for plotting.

## 5.1 Single Beam Steering Test

The single beam steering test focused on verifying that the phased array could correctly direct energy toward different azimuth and elevation angles. Simulations were run with varying steering commands and array configurations to observe changes in the radiation pattern. Performance was evaluated based on beam direction accuracy, beamwidth, and sidelobe behaviour (code used in appendix C).

### 5.1.1 steering angle testing

In this test, the array configuration was fixed at  $20 \times 20$  elements with  $\lambda/2$  element spacing, operating at 30 GHz. The goal was to observe how changing the desired azimuth ( $\phi$ ) and elevation ( $\theta$ ) angles affects the radiation pattern.

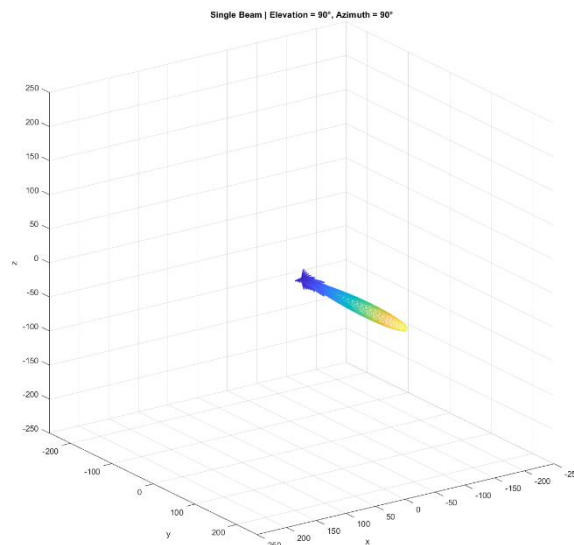


Figure 7 Single Beam | Elevation = 90°, Azimuth = 90°



Test 1 ( $90^\circ/90^\circ$ ): Beam pointed directly upward from the array surface as shown in figure 7. Main lobe very symmetrical, minimal distortion. Beamwidth was narrowest because steering is cantered along the array normal (boresight).

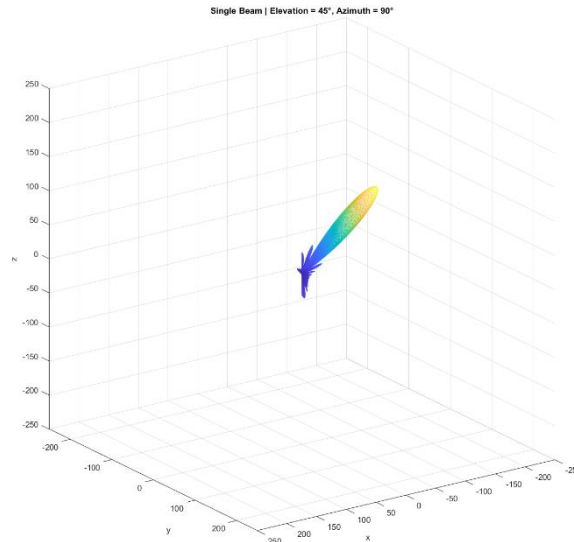


Figure 9 Single Beam | Elevation =  $90^\circ$ , Azimuth =  $45^\circ$

Test 2 ( $90^\circ/45^\circ$ ): Beam tilted toward the horizon at a medium elevation as shown in figure 9. Main lobe slightly wider compared to boresight.

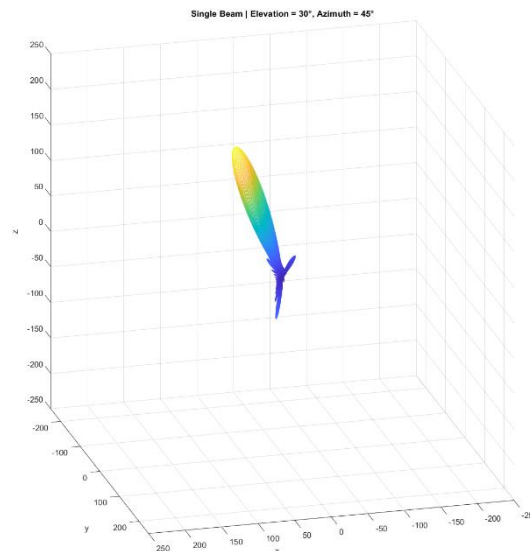


Figure 8 Single Beam | Elevation =  $45^\circ$ , Azimuth =  $30^\circ$

Test 3 ( $45^\circ/30^\circ$ ): Beam steered diagonally off the X- and Z-axes as shown in figure 8. Minor beam distortion observed as expected due to off-axis steering. ('view(145, 20)' changed to 'view(165, 20)' for a clearer view angle)

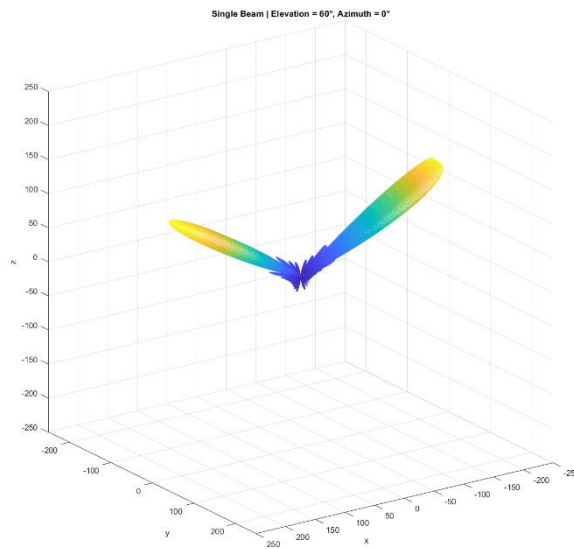


Figure 10 Single Beam | Elevation =  $0^\circ$ , Azimuth =  $60^\circ$

#### Test 4 ( $0^\circ/60^\circ$ ):

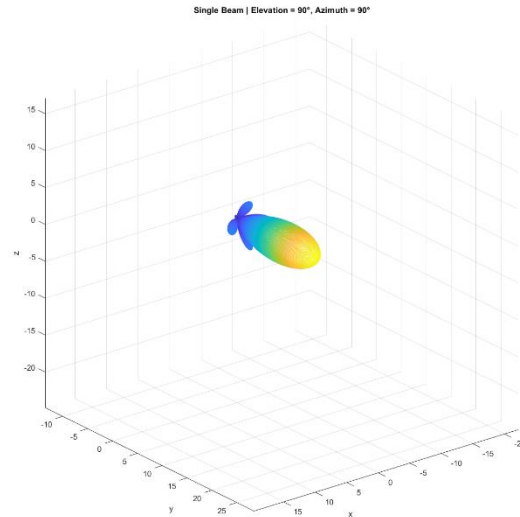
Beam tilted toward  $0^\circ$  azimuth at medium elevation as shown in figure 10.

Two symmetric beams were observed in opposite directions ( $0^\circ$  and  $180^\circ$  azimuth).

This occurred because the phase steering uses a cosine function, which is symmetric about  $0^\circ$ , causing equal beam formation forward and backward.

#### 5.1.2 Array Size testing

This test studied how changing the number of array elements affects the beamwidth, directivity, and peak array factor magnitude. The element spacing and operating frequency were kept constant, while the array size was varied. The purpose was to confirm that larger arrays produce narrower beams and higher peak intensity.



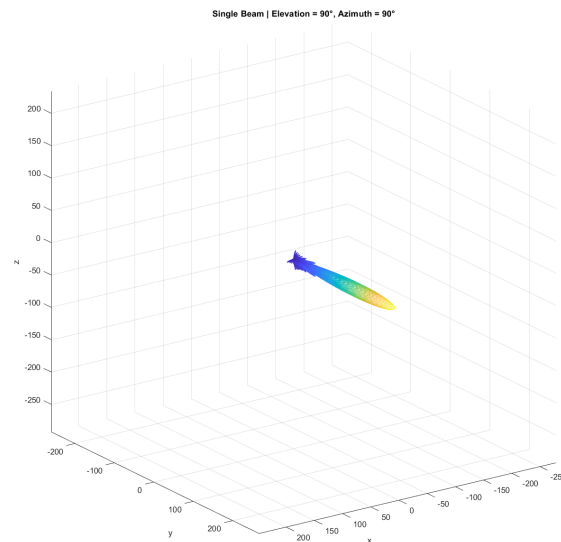
*Figure 11 Single Beam | 4 x 4 elements*

Test 1 ( $4 \times 4$  elements):

The beam was extremely wide and poorly focused as shown in figure 11.

The main lobe covered a broad angular region, and peak gain was very low.

Radiation resembled an almost omnidirectional pattern, with very little beam shaping.



*Figure 12 Single Beam | 16 x 16 elements*

Test 2 ( $16 \times 16$  elements):

The beam became more focused compared to  $4 \times 4$  as shown in figure 12, but still relatively broad. Peak gain improved, and sidelobe structure started to become visible.

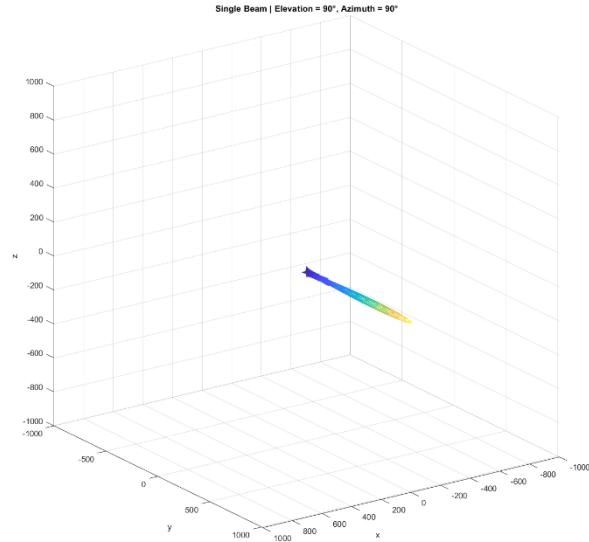


Figure 14 Single Beam | 32 x 32 elements

Test 3 ( $32 \times 32$  elements):

A narrower and better-formed beam was observed as shown in figure 14.

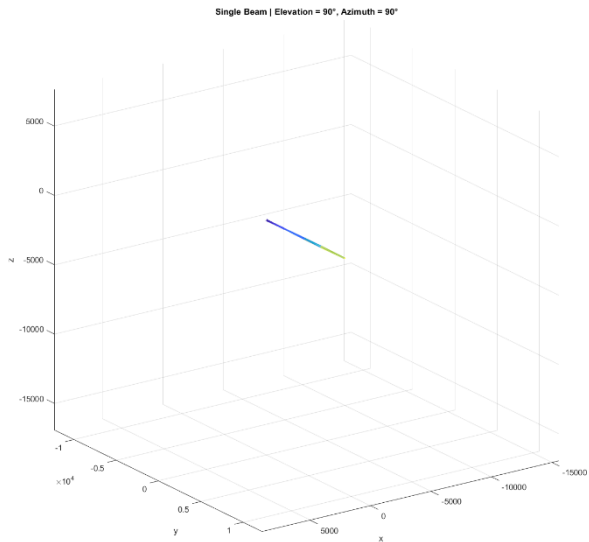


Figure 13 Single Beam | 100 x 100 elements

Peak gain increased, and sidelobes became sharper and more organized as shown in figure 13.

Test 4 ( $100 \times 100$  elements):

The narrowest and most highly focused beam was produced.

Peak gain was highest, and sidelobes became extremely thin, although slightly higher in relative level.

The results confirm that beamwidth is inversely proportional to the array aperture size, following the relation  $\theta_{BW} \approx \frac{70\lambda}{D}$  where D is the effective array dimension. Larger arrays concentrate energy into smaller angular regions, improving tracking precision.

### 5.1.3 Gain Drop-off with Steering Angle Test

As the steering angle moves further from boresight, the effective aperture becomes smaller. A smaller aperture causes a drop in the array's gain. Phased array antennas achieve maximum gain when the beam points straight out from the array plane. At large steering angles, phase errors start to build across the elements. These errors distort the shape of the main lobe. Grating lobes can also appear and pull energy away from the main beam.

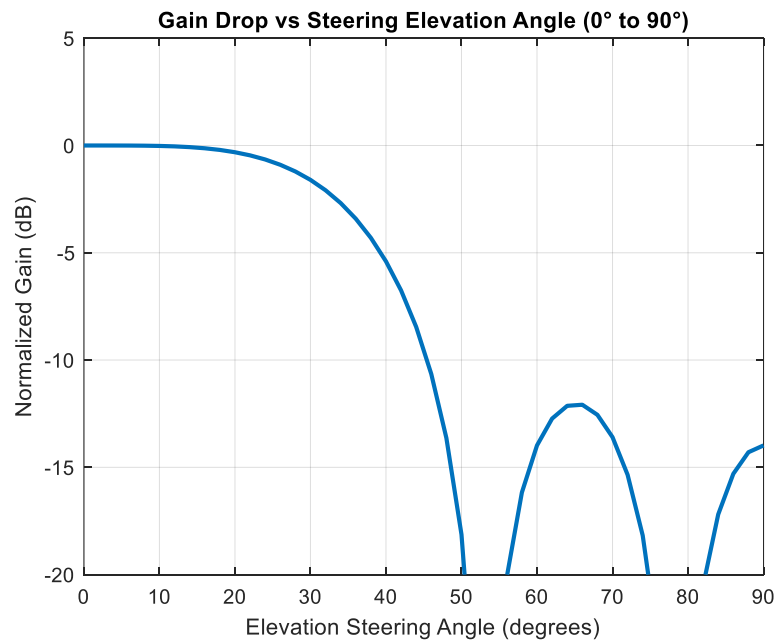


Figure 15 Normalized gain vs steering elevation angle showing reduction in array performance as the beam is steered away from boresight

Both effects cause additional loss of gain and beam quality as shown in figure 15. The array performs best when steering within a small angle from boresight. This behaviour matches the basic theory behind phased array antennas.

### 5.1.4 grating Lobe testing

Arrays must have element spacing smaller than or equal to half a wavelength ( $\lambda/2$ ) to avoid grating lobes. Grating lobes occur when the array spacing allows multiple angles to satisfy the beamforming condition. These secondary beams pull energy

away from the main lobe, lowering effective gain. As steering angle increases, grating lobes become stronger and dominate at wide angles.

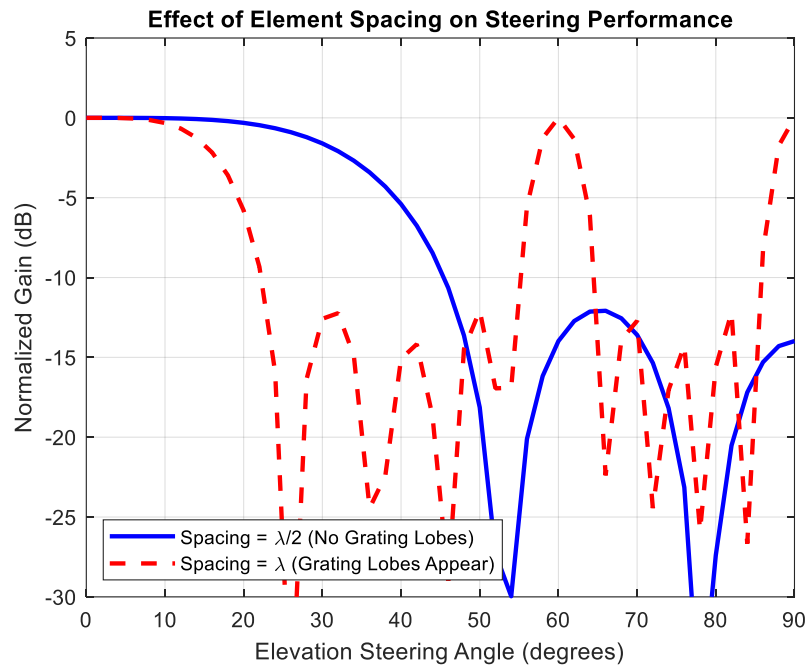


Figure 16 Grating lobes began to appear when element spacing exceeded half-wavelength, especially at large scan angles.

The simulation results in figure 16 showed that arrays with  $\lambda/2$  spacing scanned smoothly, while arrays with  $\lambda$  spacing exhibited visible grating lobes above 30° steering. This behaviour matches basic array antenna theory.

### 5.1.5 Array Resolution and Beamwidth Testing

Phased array antennas achieve narrower beams by using more elements across the array aperture. A larger number of elements results in a smaller beamwidth, improving tracking accuracy. However, beamwidth increases when the beam steers away from broadside due to aperture foreshortening.

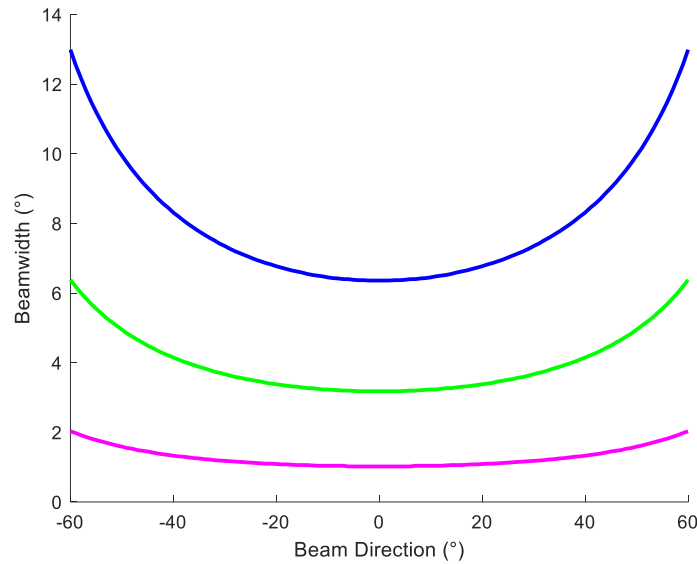


Figure 17 Beamwidth vs Steering Angle for Arrays with 16, 32, and 100 Elements [9]

(The blue curve represents the array with 16 elements, the green curve represents the array with 32 elements, and the pink curve represents the array with 100 elements.)

The simulation results in figure 17 showed that arrays with 100 elements had a beamwidth of around  $1^\circ$  near boresight. Arrays with 32 and 16 elements showed wider beams of about  $3^\circ$  and  $6^\circ$ , respectively. Beamwidth approximately doubled at steering angles beyond  $60^\circ$ , following the expected  $\cos(\theta)$  behaviour.

This result matches basic phased array theory. Narrower beams require more elements. Wide-angle steering reduces array resolution and tracking precision.

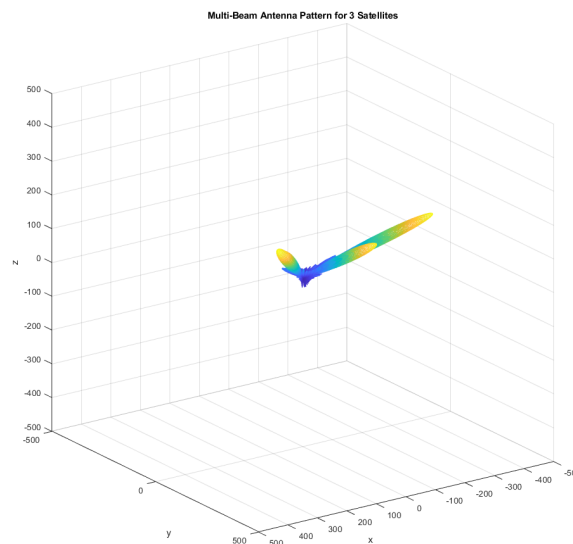
## 5.2 Multi-Beam Steering Test

The second simulation introduced multiple beam directions. The user was prompted to enter several azimuth and elevation angles to simulate multiple satellite targets. The

program computed the superimposed array factors and produced a composite 3D pattern. Tests included up to four beam directions simultaneously, and the simulation successfully resolved each beam in its respective direction, demonstrating the system's capacity for multi-satellite tracking.

### 5.2.1 steering angle testing

This test series investigates the performance of the array when forming multiple beams. Beam directions were entered manually in MATLAB using the beam pattern simulation script. All beams were kept between  $30^\circ$  and  $150^\circ$  (in both azimuth and elevation) unless otherwise noted, to avoid confusion caused by back lobes (code used in appendix D).



*Figure 18 MultiBeam Steering Angle Test 1*

#### Test 1: Wide Beam Separation

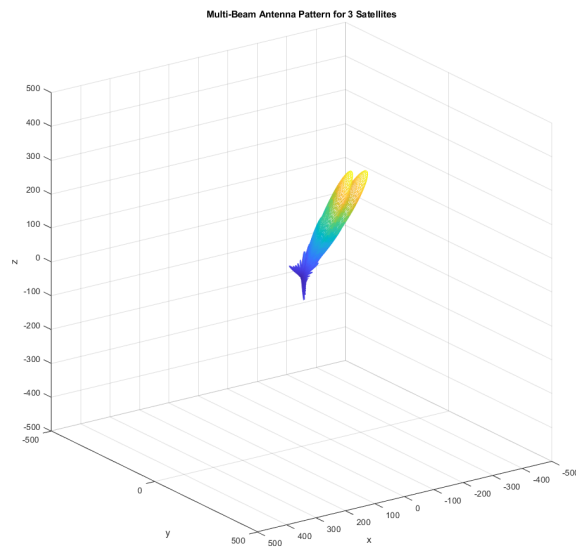
Input: 3 beams at  $\phi = 0^\circ, 60^\circ, \text{ and } 120^\circ / \theta = 45^\circ$  for all as shown in figure 18

Purpose: To observe clear separation between beams

Observation: Beams form in distinct directions with minimal overlap

Conclusion: Array resolves wide angles effectively; superposition is clean





*Figure 19 MultiBeam Steering Angle Test 2*

Test 2: Closely Spaced Beams

Input:  $\phi = 70^\circ, 75^\circ, 80^\circ$  with  $\theta = 45^\circ$  as shown in figure 19.

Purpose: Test array resolution for beams close in angle

Observation: Peaks were slightly merged; visible side lobes increased

Conclusion: Resolution is limited; spacing must be sufficient to avoid pattern distortion

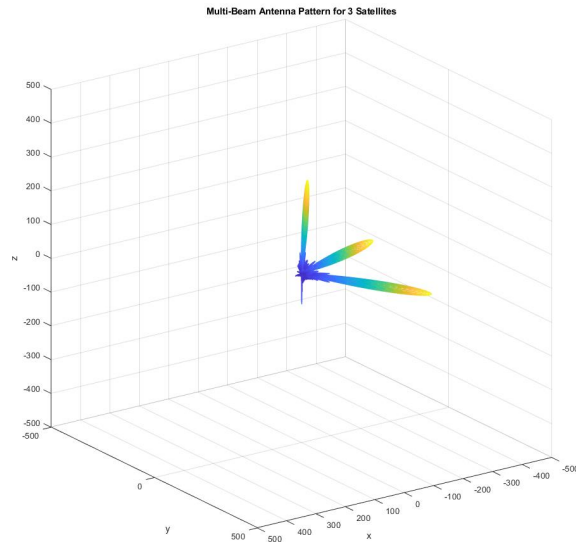


Figure 20 MultiBeam Steering Angle Test 3

### Test 3: Unequal Elevation

Input:  $\varphi = 60^\circ, 90^\circ, 120^\circ$  with  $\theta = 30^\circ, 60^\circ, 90^\circ$  as shown in figure 20.

Purpose: Evaluate beam control over elevation

Observation: Beams were clearly formed at different heights

Conclusion: Array correctly handled elevation steering alongside azimuth

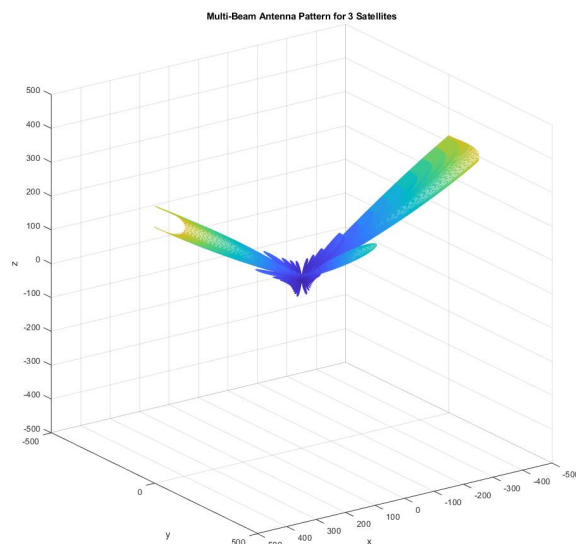


Figure 21 MultiBeam Steering Angle Test 4

### Test 4: Edge Case with Back Lobe Effect

Input:  $\varphi = 10^\circ, 90^\circ, 170^\circ$  with  $\theta = 60^\circ$  as shown in figure 21.

Purpose: Intentionally steer one beam near the edge of the array's angular range

Observation: The  $\phi = 10^\circ$  beam produced a strong back lobe near  $\phi = 170^\circ$ , which overlapped with the front lobe of the  $170^\circ$  beam. This caused both beams to combine and form a single, much stronger lobe.

Conclusion: When beams are placed at opposite edges, overlapping lobes can interfere constructively, producing misleading results. Steering near  $0^\circ$  or  $180^\circ$  should be avoided unless specifically required.

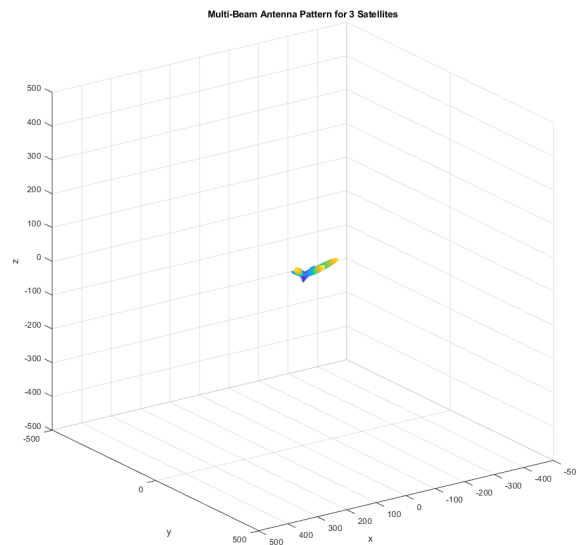


Figure 22 MultiBeam Steering Angle Test 5

Test 5: Smaller Array Size ( $10 \times 10$ ) vs. Standard ( $20 \times 20$ )

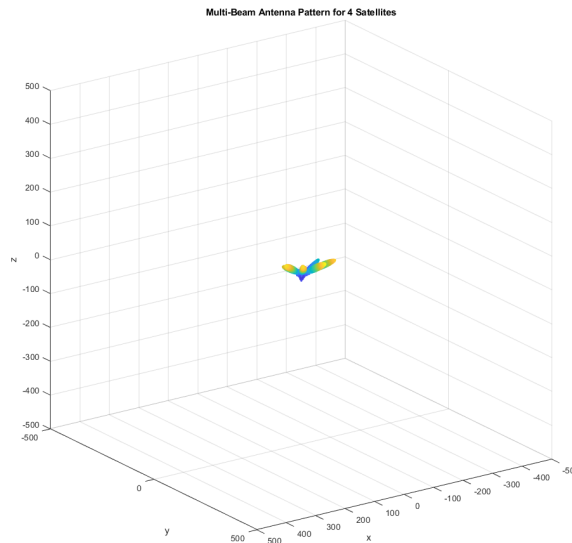
Input:  $\phi = 45^\circ, 90^\circ, 135^\circ$  with  $\theta = 60^\circ$ , using a  $10 \times 10$  array as shown in figure 22

Observation: Beams appeared slightly wider compared to the standard array, and visually shorter due to reduced gain. Despite this, the beam directions and spacing remained consistent with the  $20 \times 20$  case.

Conclusion: For widely spaced beams, a smaller array still forms distinct lobes.

However, total gain is lower, and a larger array offers better control in close-beam scenarios or when higher resolution and stronger signal focus are needed.

### 5.2.2 Number of beams testing



*Figure 23 Multibeam 4 Beam Test 1*

#### Test 1: Four Beams – High Utilization Scenario

Input:  $\varphi = 30^\circ, 60^\circ, 90^\circ, 120^\circ$  with  $\theta = 60^\circ$ , using a  $20 \times 20$  array as shown in figure 23

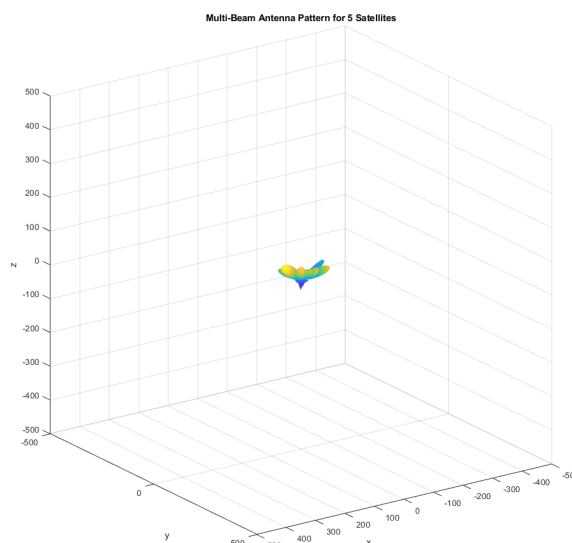
Purpose: Evaluate array performance when tracking four simultaneous beams across a wide angular spread

Observation: All four beams were distinguishable, though some minor side lobe overlap was visible. Main lobes remained defined, with reduced gain per beam due to energy division.

Conclusion: The array handles four beams effectively when spacing is sufficient.

Beam width increases slightly, but tracking remains stable and clear.

#### Test 2: Five Beams – Approaching Array Limit



*Figure 24 Multibeam 5 Beam Test 2*

Input:  $\varphi = 30^\circ, 45^\circ, 60^\circ, 75^\circ, 90^\circ$  with  $\theta = 60^\circ$ , using the same  $20 \times 20$  array as shown in figure 24

Purpose: Stress test the system by increasing beam density

Observation: Beams began to interfere with one another. Side lobes overlapped, and some main lobes merged visually. Beam clarity and directionality declined beyond four beams.

Conclusion: Five closely spaced beams push the resolution limits of the  $20 \times 20$  array.

For reliable separation, either increased angular spacing or a larger array would be required.

### 5.3 SNR Tracking Test of Starlink Satellites

The simulation tested the system by tracking five Starlink satellites using three beams.

Each beam selected the satellite offering the highest SNR at each time step. The simulation calculated SNR values based on satellite distance, array gain, and free-space loss.

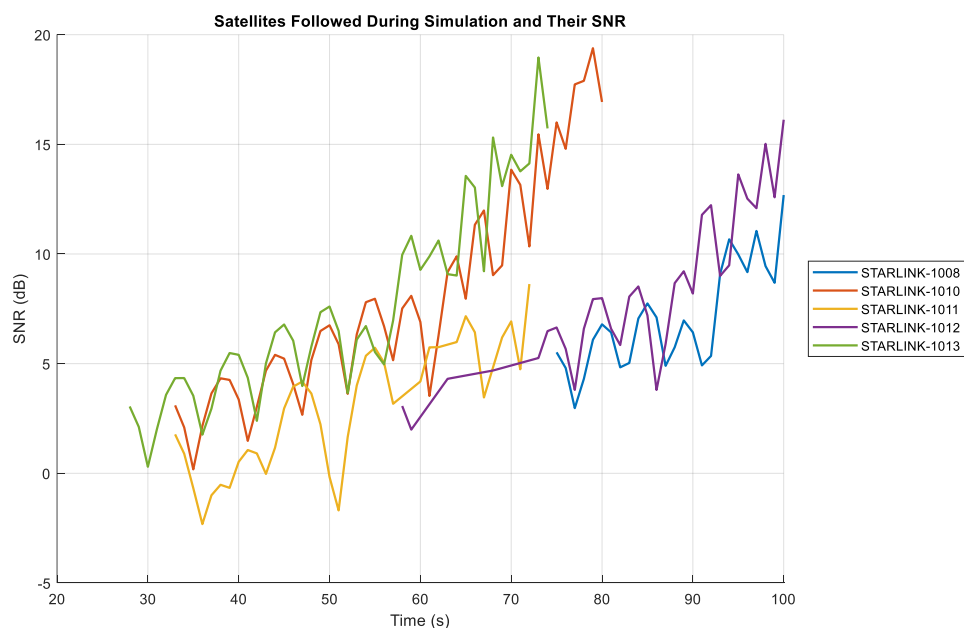


Figure 25 signal-to-noise ratio graphed from example simulation

Figure 25 shows the SNR for all tracked satellites over the simulation time. Satellites STARLINK-1010 and STARLINK-1013 achieved the highest SNR values. These satellites showed steady improvement in SNR, reaching peaks above 15 dB. In contrast, STARLINK-1011 dropped to lower SNR values and became a less favorable target.

The overall SNR trends increase as satellites move closer to the ground station and approach boresight. Small rapid changes in SNR are caused by the beam steering resolution. Since the beam can only snap to discrete angles, slight offsets from the exact satellite position create small SNR fluctuations.

The results demonstrate dynamic beam switching based on signal strength. Beams preferred satellites with rising SNR and dropped satellites with falling link quality. This confirms the adaptive steering logic and shows successful tracking of the best available satellites. More simulations can be found in the GitHub project by scanning the QR code in appendix A.

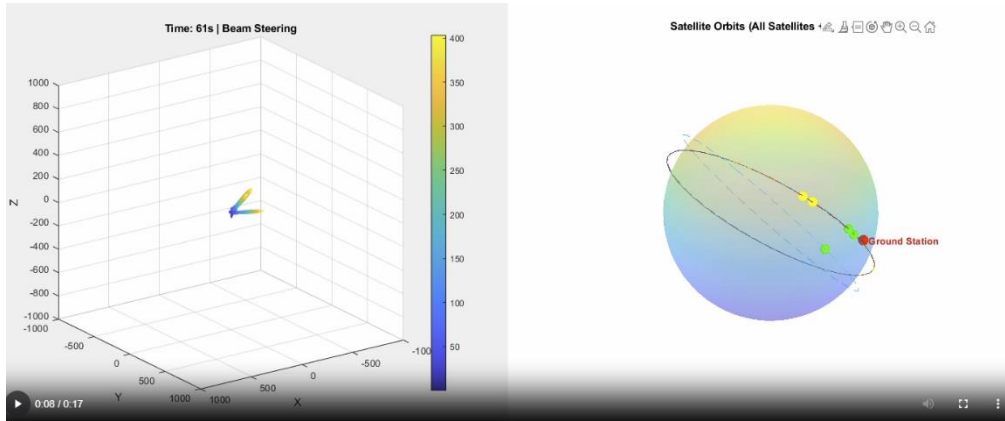


Figure 26 screen shot of the simulation video (same simulation that made figure 17)

Figure 26 shows a screen capture from the simulation video linked to Figure 25. The video shows real-time tracking of LEO satellites. Beam directions adjust automatically based on the strongest SNR. The screen capture confirms the model's ability to track multiple satellites as they move.

### 5.3 Parameter Variation and Performance Evaluation

Further testing involved modifying key parameters such as:

Array size (M x N): Increasing the number of elements resulted in narrower beams and higher gain.

Element spacing: Adjusting the spacing showed the expected impact on grating lobes, especially beyond  $\lambda/2$ .

Frequency: Simulations at 30 GHz and 76 GHz demonstrated the effect of wavelength on directivity and beam shape.

Each test was accompanied by a 3D mesh plot to visualize beam directions and intensity, providing a valuable tool for debugging and system validation.

## 6 Results, Analysis and Discussion

### 6.1 Results

The simulation generated clear far-field beam patterns for single-beam and multi-beam cases. Single-beam steering was accurate and stable over the full scan range. The main lobe pointed correctly at each target angle. Multi-beam operation produced distinct lobes for each satellite, showing that energy could be directed to multiple targets simultaneously. With more antenna elements or higher frequency, each main beam became narrower, matching theoretical [22]. For example, larger arrays achieved finer spatial resolution. In multi-beam tests, separate beams showed minimal overlap when satellites were well-separated. Slight interference appeared when two beams overlapped in angle. Overall, beam shapes behaved as the uniform array model predicts.

The simulation also tracked LEO satellites using live orbital data and SNR calculations. At each time step, the code computed the SNR for all visible satellites. It then allocated beams to the three satellites with the highest SNR values. Each chosen beam was steered toward its satellite's azimuth and elevation. Over time, beams adjusted as satellites moved across the sky. If a satellite's SNR dropped below another's, the code switched the beam to the stronger signal. This dynamic selection kept the tracked links at high SNR and demonstrated the model's ability to maintain signal quality. Across trials, the selected satellites had noticeably higher SNR than the non-tracked ones, indicating effective link prioritization.

The simulation recorded quantitative outputs of SNR and qualitative beam patterns. In one scenario, tracked satellites maintained SNR levels around the chosen threshold despite orbital motion. Beam switching events were visible when satellites moved in and out of the array's field of view. The model did not output detailed metrics like half-power beamwidth or sidelobe levels, but the plots suggest these followed theory. For instance, patterns showed well-defined -3 dB points. Grating lobes only appeared if element spacing exceeded half a wavelength. No unexpected distortions or instabilities were observed in the time-domain results. In summary, the results

objectively show that the phased array steered correctly and the SNR-based tracking selected and maintained the strongest satellite signals.

## 6.2 Analysis and Discussion

The results confirm that an electronically steered phased array can reliably track satellites with multiple beams [22]. Steering accuracy remained high and repeatable. As theory predicts, adding elements to the array narrowed each beam's half-power width [22]. This was evident in the simulation when comparing small and large arrays. The theoretical half-power beamwidth (HPBW) was effectively the angle between points 3 dB below the peak [22]. In practice, the simulation showed that a larger array achieved finer pointing accuracy. However, steering off boresight incurred trade-offs: the main beam's gain fell and sidelobe levels rose, again as known from phased-array theory [22]. In our tests, scans to  $\pm 60^\circ$  roughly doubled the beamwidth, consistent with the expected  $\cos\theta$  effect [22]. These behaviours indicate the model correctly captures key phased-array physics.

Using SNR feedback to select beams proved effective. The algorithm prioritized satellites with the strongest signals, maintaining high link quality for those beams. This method is common in communication systems: higher SNR means a better link. By dynamically swapping beams when another satellite's SNR became superior, the system continually optimized performance. This demonstrates the utility of SNR-based beam assignment. In real-world terms, it means the ground terminal would focus on the clearest targets, enhancing throughput. Our results suggest that multi-beam tracking with SNR selection can robustly maintain optimal links under ideal conditions.

Some practical observations emerged from the simulation. When multiple beams were active, the total available power divided among them, slightly reducing the gain per beam. The patterns indicated small interference where beams overlapped, suggesting that more advanced beam-shaping or null-steering techniques could help. The simulation used uniform weighting, so sidelobe levels were moderate. Future work could experiment with tapering to lower sidelobes and improve isolation between beams. The array was modelled with half-wavelength spacing, which prevented grating lobes. If spacing were larger, grating lobes would appear at high scan angles. Including such effects in future simulations would be instructive.



Quantitative metrics were not fully evaluated and should be addressed in future work. For example, explicitly measuring each beam's HPBW and sidelobe levels would clarify performance. The current results are largely qualitative, based on pattern plots. A more thorough analysis could compute dB values of sidelobes or beam efficiencies. Additionally, performance under realistic conditions needs exploration. The model assumed ideal propagation with no noise aside from the nominal SNR calculation and no Doppler shift. Atmospheric losses and Doppler effect would affect link SNR. Incorporating these factors would show how robust the tracking is in practice. Also, the simulation used discrete time updates; testing finer time resolution could improve stability. In summary, the simulation behaved as expected and confirmed the phased-array tracking concept but extending it with detailed metrics and real-world impairments would strengthen the analysis.

## 7 Conclusions, Recommendations and Future Work

### 7.1 Conclusions and Recommendations

This project developed and tested a simulation framework for multi-beam phased array antennas, with a focus on LEO satellite tracking. The simulation framework demonstrated effective single-beam and multi-beam steering under controlled, ideal conditions. Performance trends matched theoretical predictions. For example, increasing the operating frequency and array size resulted in narrower beamwidths and improved spatial resolution, consistent with array theory.

Key behaviours were observed during the tests:

Beam steering up to  $\pm 60^\circ$  from boresight was achieved with acceptable gain loss.

Side lobe levels remained below -13 dB during single beam steering simulations at 30 GHz.

Grating lobes began to appear when element spacing exceeded half-wavelength, especially at large scan angles.

Multi-beam operation introduced minor gain reductions and higher side lobe floors, suggesting a need for future adaptive weighting techniques.

The simulations assumed ideal free-space conditions without atmospheric losses, Doppler effects, or environmental noise. This assumption allowed early validation of

phased array concepts but limits the direct application of the current results to real-world satellite operations. Nevertheless, critical behaviours such as grating lobe formation, side lobe growth, and beam distortion at high steering angles were accurately captured, reinforcing the validity of the core model.

The project successfully created a strong foundation for future real-world ground station designs. Although the current system cannot yet handle dynamic, real-time satellite tracking, it provides a modular base ready for extension. Future improvements—including environmental modelling, hardware constraints, and optimization techniques—could transform the simulation into a complete, deployable satellite tracking system. With further development, the framework could help reduce the time, cost, and complexity of next-generation LEO and VLEO ground terminals.

## 7.2 Future Work

The simulation framework built for phased array satellite tracking shows strong potential. However, the tests so far were carried out under ideal conditions without real-world challenges. The model has not yet been validated using live satellite tracking or dynamic link conditions.

Several areas for future work have been identified to extend and improve the project. Expanding the simulation in these ways would not only increase confidence in system performance but also highlight key limitations and areas for optimisation.

- One important step would be to add real-world environmental effects into the model. The current simulation assumes free-space propagation without considering weather, atmospheric losses, or Doppler shifts. These effects become critical at high frequencies, especially above 30 GHz, and can impact beam stability and link quality. Including them would make the simulation a much closer match to real operating environments.
- Another area for improvement is investigating specific case studies involving real satellite missions. Very Low Earth Orbit (VLEO) satellites move faster than traditional LEO satellites and experience stronger atmospheric drag. Their faster handover times create challenges for tracking and beam management. Testing the simulation against VLEO mission profiles would show how well the system handles rapid changes and could guide future ground station designs.

- Improving the accuracy of the simulation itself would also be valuable. Adding more advanced modelling techniques, such as full electromagnetic propagation models or RF channel simulations, would better capture real-world effects across different environments. These improvements would provide higher confidence in the results.

In addition to the simulation model, hardware aspects could be considered.

Incorporating limitations from phased array electronics, such as amplifier non-linearities, element failures, or real-time beamforming hardware constraints, would help bridge the gap between simulation and real-world deployment.

Finally, linking the simulation framework to a full mission design study could add significant value. Factors like ground station layout, tracking handover strategies, power budgets, and data link margins could be modelled to create a complete ground terminal concept. Exploring dynamic scheduling, beam management for large satellite constellations, and system-level optimisation would push the project toward operational readiness.

Expanding the simulation framework with these upgrades could move the project from basic system testing to a fully functional real-time tracking platform. With further development, the system could eventually support operational LEO and VLEO satellite networks, helping reduce the time, cost, and complexity of future satellite ground terminals.

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## Appendices

### Appendix A – Project brief and project files

#### GitHub project QR code



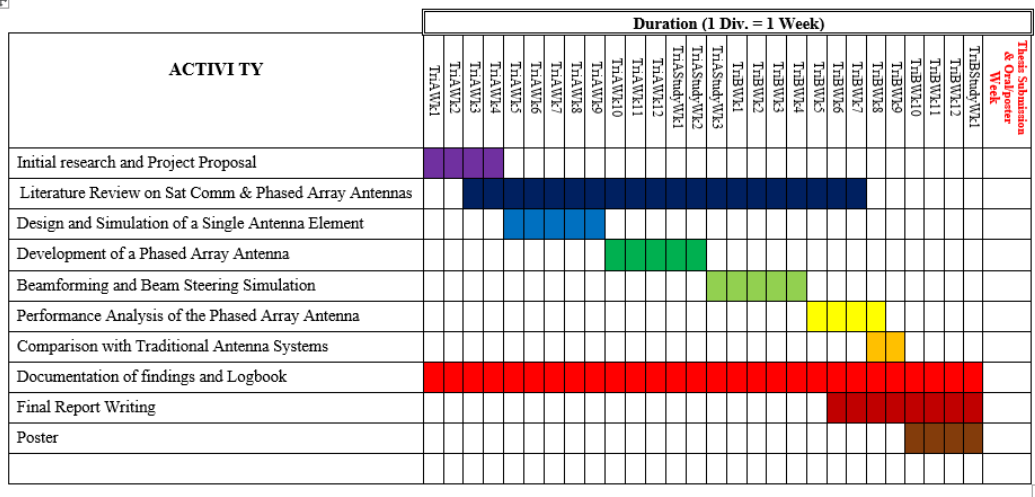
# Gantt Chart



## SCHOOL OF COMPUTING, ENGINEERING & BUILT ENVIRONMENT BACHELOR OF ENGINEERING

### EEE Honours Research Project Proposal Form

#### PROJECT ACTIVITIES GANTT CHART



## Project Brief

### BRIEF INTRODUCTION, PROPOSED PROBLEM STATEMENT AND PLAN

The main part of this project will be a simulation of each aim to create results for phased array antennas and beam forming. This research and simulation will allow improvement on current designs.

Traditional satellite communication systems have limitations of mechanically steered antennas, which limits real-time tracking and bandwidth optimization. An example of this limitation is ground station to LEO satellites where the speed, high throughput, and multi-satellite tracking become impossible.

Examples of systems that cannot function without phased array antennas and beamforming are StarLink and OneWeb.

Simulations will be done in MatLab and/or CST Studio Suite; this will have to be decided based on availability of licenses. (This will also change based on whether the focus will be signal processing or 3D electromagnetic analysis.)

The plan will follow the aims in order and attempt to keep time with the Gantt chart, and each step will be logged with research and findings.

Once the main aims are complete, work on different configurations like frequencies, element spacing, and steering angles can be done to attempt to further current research.

Finally explaining the improvements and how they improve current methods.

## Appendix B - MATLAB Code for Graphs and Figures

### Polar\_Cart\_plot MATLAB code

```
% Angle (0 to 360 degrees)
theta = linspace(0, 2*pi, 1000); % radians

% Radiation Pattern of Half-wave Dipole: E(theta) = sin(theta)
E = abs(sin(theta));

% Convert to dB Scale
```

```

E_dB = 20*log10(E / max(E));
E_dB(E_dB < -40) = -40; % Limit floor for display clarity

%% Cartesian Plot
figure;
plot(rad2deg(theta), E_dB, 'b', 'LineWidth', 1.5);
grid on;
xlabel('Angle (degrees)');
ylabel('Gain (dB)');
title('Half-wave Dipole Radiation Pattern (Cartesian Plot)');
xlim([0 360]);
ylim([-40 0]);

%% Polar Plot
figure;
polarplot(theta, E_dB, 'b', 'LineWidth', 1.5);
ax = gca;
ax.ThetaZeroLocation = 'top';
ax.ThetaDir = 'clockwise';
rlim([-40 0]);
title('Half-wave Dipole Radiation Pattern (Polar Plot)');

```

### Three-dimensional radiation pattern of a half-wave dipole antenna MATLAB code

```

% Resolution of theta and phi
theta = linspace(0, pi, 40);
phi = linspace(0, 2*pi, 40);
[theta, phi] = meshgrid(theta, phi);

% Dipole radiation pattern (normalized)
r = abs(sin(theta));

% Cut-out section from 270 to 360 degrees
cut_phi_min = 3*pi/2; % 270 degrees
cut_phi_max = 2*pi; % 360 degrees
cut_index = (phi >= cut_phi_min) & (phi <= cut_phi_max);
r(cut_index) = NaN;

% Convert spherical to Cartesian coordinates
x = r .* sin(theta) .* cos(phi);
y = r .* sin(theta) .* sin(phi);
z = r .* cos(theta);

% Plot 3D Radiation Pattern
figure('Color', 'w')
surf(x, y, z, r, 'EdgeColor', [0.5 0.5 0.5], 'LineWidth', 0.5);
colormap('parula')
alpha(0.9)

% Lighting for better 3D appearance
light
lighting gouraud
material shiny

hold on

```



```

%Dipole in the middle (along z-axis)
L = 1; % Length of dipole
plot3([0 0], [0 0], [-L/2 L/2], 'k', 'LineWidth', 3); % Black line dipole

% Add Label to Dipole
text(0, 0, L/2 + 0.1, 'Dipole', 'HorizontalAlignment', 'center', ...
    'FontSize', 12, 'FontWeight', 'bold', 'Color', 'k')

hold off

axis equal
xlabel('X-axis')
ylabel('Y-axis')
zlabel('Z-axis')

grid on
view(45, 30)

```

## Beam Width Plot

```

% Angle range (-90 to 90 degrees)
theta = linspace(-90, 90, 1000);

% Create main lobe with side lobes using sinc function centered at 30°
main_lobe = abs(sinc((theta - 30) / 20));

% Convert to dB scale
main_lobe_dB = 20 * log10(main_lobe / max(main_lobe));
main_lobe_dB(main_lobe_dB < -40) = -40; % Limit floor for clarity

% Define HPBW and FNBW markers
HPBW_left = 20; % Left -3 dB point
HPBW_right = 40; % Right -3 dB point
FNBW_left = 10; % First null left
FNBW_right = 50; % First null right

% Plot the radiation pattern
figure;
plot(theta, main_lobe_dB, 'b', 'LineWidth', 2);
hold on;

% Add -3 dB line
yline(-3, '--', 'Color', [0.5 0.2 0], 'LineWidth', 1.5);
text(2, -1, '3 dB', 'Color', [0.5 0.2 0], 'FontSize', 10,
    'HorizontalAlignment', 'center');
annotation('arrow', [0.5 0.5], [0.55 0.61], 'Color', [0.5 0.2 0],
    'LineWidth', 1.5);

% Add HPBW markers
xline(HPBW_left, '--g', 'LineWidth', 1);
xline(HPBW_right, '--g', 'LineWidth', 1);
annotation('doublearrow', [0.605 0.69], [0.47 0.47], 'Color', 'g');
text(30, -7, 'HPBW', 'Color', 'g', 'FontSize', 10, 'HorizontalAlignment',
    'center');

% Add FNBW markers

```

```

xline(FNBW_left, '--m', 'LineWidth', 1);
xline(FNBW_right, '--m', 'LineWidth', 1);
annotation('doublearrow', [0.56 0.73], [0.33 0.33], 'Color', 'm');
text(30, -28, 'FNBW', 'Color', 'm', 'FontSize', 10, 'HorizontalAlignment',
'center');

grid on;
xlabel('Angle (Degrees)');
ylabel('Amplitude (dB)');
title('Definition of Antenna Beamwidth (Main Lobe at 30°)');
xlim([-90 90]);
ylim([-40 20]);

```

## Appendix C – MATLAB Code for Single Beam Simulation

```

close all % Close all figures
clc      % Clear the Command Window

%% ----- Constants -----
f = 30e9; % Frequency of operation (30 GHz for Ka-band LEO
satellite comms)
lambda = 3e8 / f; % Wavelength (meters)
k = 2 * pi / lambda; % Wavenumber (radians per meter)

%% ----- Array Configuration -----
M = 20; % Number of elements along the X-axis
N = 20; % Number of elements along the Z-axis
dx = lambda / 2; % Element spacing in X-direction ( $\lambda/2$ )
dz = lambda / 2; % Element spacing in Z-direction ( $\lambda/2$ )

%% ----- Beam Steering Angles -----
phiMax = 0; % Desired azimuth steering angle (degrees)
thetaMax = 90; % Desired elevation steering angle (degrees)

% Compute phase shifts needed for beam steering
alphaX = -k * dx * cosd(phiMax); % Phase gradient in X
alphaZ = -k * dz * cosd(thetaMax); % Phase gradient in Z

%% ----- Array Factor Calculation -----
% Define angular ranges
phi = linspace(0, pi, 500); % Azimuth angle vector

```

```

theta = linspace(0, pi, 500); % Elevation angle vector

% Compute array factor along X-axis
phiX = k * dx * cos(phi) + alphaX;
AFx = 1;
for i = 1:M-1
    AFx = AFx + exp(1i * i * phiX);
end
if M == 1
    AFx = ones(1, length(phi));
end

% Compute array factor along Z-axis
phiZ = k * dz * cos(theta) + alphaZ;
AFz = 1;
for i = 1:N-1
    AFz = AFz + exp(1i * i * phiZ);
end
if N == 1
    AFz = ones(1, length(theta));
end

% Compute total array factor (outer product of AFx and AFz)
AF = zeros(length(phi), length(theta));
for g = 1:length(theta)
    for f = 1:length(phi)
        AF(f, g) = AFx(f) * AFz(g);
    end
end

%% ----- Radiation Pattern Plot -----
[thetaGrid, phiGrid] = meshgrid(theta, phi); % Create 2D angle grid

% Convert spherical to Cartesian coordinates for plotting
x = abs(AF) .* sin(thetaGrid) .* cos(phiGrid);
y = abs(AF) .* sin(thetaGrid) .* sin(phiGrid);
z = abs(AF) .* cos(thetaGrid);

% Plot 3D radiation pattern
figure('units','normalized','outerposition',[0 0 1 1])

```

```

mesh(x, y, z, abs(AF))
axis equal
xlabel('x')
ylabel('y')
zlabel('z')
xlim([-500 500])
ylim([-500 500])
zlim([-500 500])
title(['LEO Satellite Beamforming | Elevation = ' num2str(thetaMax) '°,
Azimuth = ' num2str(phiMax) '°']);
view(145, 20)

```

## Appendix D – MATLAB Code for Multi-Beam Simulation

```

close all % Close all open figure windows
clc      % Clear the Command Window

%% ----- Constants -----
f = 30e9; % Frequency of operation (30 GHz for Ka-band LEO
satellite comms)
lambda = 3e8 / f; % Wavelength (meters)
k = 2 * pi / lambda; % Wavenumber (radians per meter)

%% ----- Array Configuration -----
M = 20; % Number of elements along the X-axis
N = 20; % Number of elements along the Z-axis
dx = lambda / 2; % Element spacing in X-direction ( $\lambda/2$ )
dz = lambda / 2; % Element spacing in Z-direction ( $\lambda/2$ )

%% ----- User Input for Multiple Satellite Directions -----
numBeams = input('Enter number of satellites (beams): ');
phiMaxArray = zeros(1, numBeams); % Azimuth angles (°)
thetaMaxArray = zeros(1, numBeams); % Elevation angles (°)
weights = ones(1, numBeams); % Uniform weights for all beams

for b = 1:numBeams
    phiMaxArray(b) = input(['Enter azimuth angle (°) for beam ' num2str(b)
': ']);

```

```

        thetaMaxArray(b) = input(['Enter elevation angle (°) for beam '
num2str(b) ' : ']);
end

%% ----- Define Scanning Grid -----
phi = linspace(0, pi, 500);          % Azimuth scan (radians)
theta = linspace(0, pi, 500);        % Elevation scan (radians)

%% ----- Total Array Factor Initialization -----
---
AF_total = zeros(length(phi), length(theta));

%% ----- Loop Over Beams -----
for b = 1:numBeams
    % Compute beam steering phase shifts
    alphaX = -k * dx * cosd(phiMaxArray(b));
    alphaZ = -k * dz * cosd(thetaMaxArray(b));

    % Calculate array factor for X-axis
    phiX = k * dx * cos(phi) + alphaX;
    AFx = 1;
    for m = 1:M-1
        AFx = AFx + exp(1i * m * phiX);
    end
    if M == 1
        AFx = ones(1, length(phi));
    end

    % Calculate array factor for Z-axis
    phiZ = k * dz * cos(theta) + alphaZ;
    AFz = 1;
    for n = 1:N-1
        AFz = AFz + exp(1i * n * phiZ);
    end
    if N == 1
        AFz = ones(1, length(theta));
    end

    % Combine to form 2D array factor for this beam
    AF_beam = (AFx.' * AFz) * weights(b);

```

```

        % Add to total array factor (superposition)
        AF_total = AF_total + abs(AF_beam);
    end

%% ----- Convert to Cartesian and Plot -----
[theta_grid, phi_grid] = meshgrid(theta, phi);
x = abs(AF_total) .* sin(theta_grid) .* cos(phi_grid);
y = abs(AF_total) .* sin(theta_grid) .* sin(phi_grid);
z = abs(AF_total) .* cos(theta_grid);

figure('units', 'normalized', 'outerposition', [0 0 1 1]);
mesh(x, y, z, abs(AF_total)); % 3D plot
axis equal;
xlabel('x');
ylabel('y');
zlabel('z');
title(['Multi-Beam Antenna Pattern for ', num2str(numBeams), ' ',
'Satellites']);
xlim([-500 500]);
ylim([-500 500]);
zlim([-500 500]);
colorbar;
view(145, 20);

```

## Appendix E – MATLAB Code for Reading TLE Files

```

function [sat_labels, line1_data, line2_data] = readTLEfile(tleFile,
numBeams)
    % readTLEfile: Extracts satellite identifiers and TLE lines from a text
    file.
    %
    % INPUTS:
    %   tleFile - Path to the TLE text file (e.g.,
    'celestrak_TLE_DATA.txt')
    %   numBeams - Number of satellites (i.e., number of 3-line TLE blocks
    to read)
    %
    % OUTPUTS:

```

```

% sat_labels - Cell array containing satellite names
% line1_data - Cell array of TLE Line 1 strings
% line2_data - Cell array of TLE Line 2 strings

fid = fopen(tleFile, 'r'); % Open file
tle_lines = textscan(fid, '%s', 'Delimiter', '\n');
fclose(fid); % Close file after
reading
    tle_lines = tle_lines{1}; % Extract cell array of
lines

% Preallocate output arrays
sat_labels = cell(1, numBeams);
line1_data = cell(1, numBeams);
line2_data = cell(1, numBeams);

for i = 1:numBeams
    baseIdx = (i - 1) * 3;
    sat_labels{i} = strtrim(tle_lines{baseIdx + 1}); % Satellite name
    line1_data{i} = tle_lines{baseIdx + 2}; % Line 1
    line2_data{i} = tle_lines{baseIdx + 3}; % Line 2
end
end

```

## Appendix F – TLE files used [21]

### Russian LEO Navigation

```

COSMOS 2361
1 25590U 98076A 25085.24608917 .00000132 00000+0 12624-3 0 9991
2 25590 82.9383 177.4391 0030059 272.7097 145.0986 13.73184118315525
COSMOS 2378
1 26818U 01023A 25085.18660022 .00000135 00000+0 12706-3 0 9993
2 26818 82.9311 193.6081 0032366 213.2304 192.8336 13.741111463193381
COSMOS 2389
1 27436U 02026A 25085.19348900 .00000131 00000+0 11932-3 0 9999
2 27436 82.9508 140.5863 0047737 70.6430 343.7993 13.75125758145609
COSMOS 2398
1 27818U 03023A 25084.84546126 .00000131 00000+0 12613-3 0 9999
2 27818 82.9440 105.7127 0032650 119.0422 53.2115 13.72355874 92242

```

#### COSMOS 2407

1	28380U	04028A	25084.95750272	.000000162	00000+0	14895-3	0	9999
2	28380	82.9607	46.7582	0040592	66.7820	39.8503	13.76280172	38226

#### COSMOS 2414

1	28521U	05002A	25085.19269868	.000000189	00000+0	14453-3	0	9991
2	28521	82.9533	22.4670	0040386	164.8838	195.3543	13.87862516	22001

#### COSMOS 2429

1	32052U	07038A	25085.21640086	.000000128	00000+0	11662-3	0	9996
2	32052	82.9847	176.0528	0039320	48.1695	312.2807	13.75117343880173	

#### COSMOS 2454

1	35635U	09039A	25085.23435794	.000000186	00000+0	13790-3	0	9997
2	35635	82.9610	6.9045	0020649	99.9426	53.8459	13.89887942795367	

#### COSMOS 2463

1	36519U	10017A	25084.63367494	.000000131	00000+0	12883-3	0	9993
2	36519	82.9616	219.2629	0034899	295.5188	74.7762	13.71619060746532	

## CubeSats(Limited to 100)

#### CUTE-1 (CO-55)

1	27844U	03031E	25076.57033365	.00001015	00000+0	46214-3	0	9990
2	27844	98.6795	85.9207	0010833	73.8545	286.3825	14.23876256126680	

#### CUBESAT XI-IV (CO-57)

1	27848U	03031J	25076.47987407	.00000857	00000+0	39808-3	0	9992
2	27848	98.6822	85.8997	0010779	89.0034	271.2380	14.23228145126408	

#### CUBESAT XI-V

1	28895U	05043F	25076.36420948	.00005592	00000+0	92984-3	0	9995
2	28895	98.2353	219.7530	0014534	210.2938	149.7428	14.70436052	34568

#### CUTE-1.7+APD II (CO-65)

1	32785U	08021C	25076.43466474	.00013246	00000+0	98858-3	0	9990
2	32785	97.7790	47.0969	0012526	126.3107	233.9276	15.02910019916430	

#### AAUSAT-II

1	32788U	08021F	25076.49348330	.00195179	00000+0	27074-2	0	9996
2	32788	97.6063	69.9715	0004057	112.2578	247.9107	15.56364496920178	

#### CANX-2

1	32790U	08021H	25076.45342322	.00011236	00000+0	89515-3	0	9990
2	32790	97.8054	45.6599	0014443	117.2023	243.0674	15.00443640916195	

#### SEEDS II (CO-66)

1	32791U	08021J	25076.42582506	.00028183	00000+0	14921-2	0	9995
2	32791	97.7226	54.7980	0007091	95.6089	264.5952	15.15365960917735	

#### SWISSCUBE



1 35932U 09051B 25076.60855474 .00003355 00000+0 69421-3 0 9996  
 2 35932 98.4394 331.2497 0006618 181.6783 178.4396 14.60961216822450  
 BEESAT-1  
 1 35933U 09051C 25076.61900199 .00002834 00000+0 59486-3 0 9994  
 2 35933 98.4325 331.7610 0004809 192.4745 167.6336 14.60431519822514  
 ITUPSAT1  
 1 35935U 09051E 25076.63588802 .00002581 00000+0 55677-3 0 9998  
 2 35935 98.4421 331.3865 0006849 205.5058 154.5804 14.59254906822123  
 TISAT 1  
 1 36799U 10035E 25076.53246301 .00026316 00000+0 14716-2 0 9995  
 2 36799 98.0637 345.5161 0005246 50.4738 309.6955 15.13444410798242  
 AEROCUBE 4.5A  
 1 38767U 12048K 25076.59077419 .00045042 00000+0 14066-2 0 9991  
 2 38767 64.6490 144.3447 0106435 297.7727 61.2642 15.27494920301962  
 STRAND-1  
 1 39090U 13009E 25076.47984751 .00001104 00000+0 38906-3 0 9993  
 2 39090 98.3818 263.3834 0009334 150.2859 209.8860 14.36697270631477  
 BRITE-AUSTRIA  
 1 39091U 13009F 25076.45651688 .00000728 00000+0 26393-3 0 9990  
 2 39091 98.3872 262.6253 0010686 158.2928 201.8713 14.36228503631481  
 NEE-01 PEGASO  
 1 39151U 13018B 25076.33142333 .00008449 00000+0 88260-3 0 9995  
 2 39151 98.0587 203.4083 0013314 223.5870 136.4296 14.89887863642585  
 ESTCUBE 1  
 1 39161U 13021C 25076.61765706 .00004840 00000+0 65867-3 0 9995  
 2 39161 97.7897 140.7576 0009701 68.5609 291.6637 14.79165073637474  
 POPACS 1  
 1 39268U 13055D 25076.60366400 .00069284 44406-6 77488-3 0 9997  
 2 39268 80.9781 189.4919 0285019 270.5887 86.2699 15.26263283601764  
 POPACS 2  
 1 39269U 13055E 25076.62085650 .00027803 00000+0 56764-3 0 9995  
 2 39269 80.9952 299.2863 0492709 199.8984 158.2407 14.71610850595607  
 POPACS 3  
 1 39270U 13055F 25076.53699362 .00027555 00000+0 70859-3 0 9993  
 2 39270 81.0098 0.4754 0594314 10.7871 350.5424 14.45454344572330  
 ZACUBE-1 (TSHEPISOSAT)  
 1 39417U 13066B 25076.45005814 .00013814 00000+0 12338-2 0 9992  
 2 39417 97.7721 34.0262 0044649 335.8507 24.0620 14.95268288612336  
 WNISAT-1  
 1 39423U 13066H 25076.53353146 .00003636 00000+0 68400-3 0 9995

2 39423 97.6720 254.9774 0165433 229.6878 128.9768 14.56725263600217  
TRITON-1

1 39427U 13066M 25076.49670397 .00008260 00000+0 10631-2 0 9994  
2 39427 97.8395 352.4341 0094095 279.5752 79.4837 14.78253497606532  
DELFI-N3XT

1 39428U 13066N 25076.34769032 .00017769 00000+0 18805-2 0 9999  
2 39428 97.8366 355.0404 0085748 278.1629 80.9867 14.86510524606551  
GOMX-1

1 39430U 13066Q 25076.61536645 .00004858 00000+0 76187-3 0 9997  
2 39430 97.6952 300.4023 0135090 100.9797 260.6639 14.67080527602912  
CUBEBUG-2 (LO-74)

1 39440U 13066AA 25076.56917218 .00010874 00000+0 11250-2 0 9995  
2 39440 97.8426 21.8135 0065528 96.8102 264.0577 14.88650223608936  
NEE-02 KRYSAOR

1 39441U 13066AB 25076.57586516 .00006546 00000+0 76544-3 0 9999  
2 39441 97.8495 16.2537 0071386 123.9435 236.8592 14.83581837608424  
FUNCUBE-1 (AO-73)

1 39444U 13066AE 25076.44644838 .00019898 00000+0 15638-2 0 9990  
2 39444 97.7614 38.2385 0039874 313.0010 46.7873 15.00274411610960  
UWE-3

1 39446U 13066AG 25076.59504911 .00013380 00000+0 12979-2 0 9990  
2 39446 97.8157 28.0922 0056022 39.3159 321.2107 14.91592537609381  
BRITE-CA1 (TORONTO)

1 40020U 14033L 25076.31988010 .00003084 00000+0 48425-3 0 9997  
2 40020 97.9104 210.8071 0079521 299.5650 59.7647 14.71222726575006  
DUCHIFAT-1

1 40021U 14033M 25076.48081856 .00042464 00000+0 17835-2 0 9993  
2 40021 98.1011 83.7910 0007175 237.4091 122.6452 15.23295162585492  
NANOSATC-BR1

1 40024U 14033Q 25076.50616081 .00027850 00000+0 14889-2 0 9991  
2 40024 98.0906 68.7818 0004009 358.8621 1.2599 15.15041749584468  
QB50P1

1 40025U 14033R 25076.49598156 .00020626 00000+0 13296-2 0 9997  
2 40025 98.0773 54.5616 0010455 352.8629 7.2447 15.08304093583951  
QB50P2

1 40032U 14033Y 25076.48186770 .00017145 00000+0 11663-2 0 9997  
2 40032 98.0365 44.1525 0006482 292.2927 67.7611 15.06381519583706  
PERSEUS-M2

1 40037U 14033AD 25076.62252332 .00005457 00000+0 52764-3 0 9997  
2 40037 97.9491 15.2165 0012960 19.6027 340.5687 14.93152165582597

PERSEUS-M1

1 40039U 14033AF 25076.60699046 .00005783 00000+0 55964-3 0 9991  
2 40039 97.9242 10.4315 0012733 18.6773 341.4910 14.93096272582441

POLYTAN-1

1 40042U 14033AJ 25076.47340978 .00030529 00000+0 16319-2 0 9993  
2 40042 98.1012 60.9864 0007668 296.4751 63.5692 15.15007418584030

TIGRISAT

1 40043U 14033AK 25076.44702732 .00008199 00000+0 10078-2 0 9995  
2 40043 97.7234 234.5173 0053076 131.0528 229.5290 14.82261007577897

AEROCUBE 6A

1 40045U 14033AM 25076.41153447 .00016236 00000+0 16273-2 0 9991  
2 40045 97.6853 246.7681 0045054 100.4055 260.2245 14.90661928578399

AEROCUBE 6B

1 40046U 14033AN 25076.40350548 .00016667 00000+0 16272-2 0 9999  
2 40046 97.6825 245.7661 0043518 94.4593 266.1600 14.91752390578472

CANX-4

1 40055U 14034C 25076.58539853 .00003023 00000+0 40774-3 0 9994  
2 40055 98.3731 288.8107 0013863 40.7613 319.4632 14.79872590576966

CANX-5

1 40056U 14034D 25076.58855620 .00003045 00000+0 41051-3 0 9991  
2 40056 98.3734 288.8316 0013855 40.9147 319.3101 14.79885404567774

UKUBE-1

1 40074U 14037F 25076.43439241 .00021049 00000+0 15636-2 0 9998  
2 40074 98.3842 31.5678 0000532 87.8248 272.3035 15.03050023579695

BRITE-PL2 (HEWELIUSZ)

1 40119U 14049B 25076.53812810 .00005810 00000+0 57899-3 0 9995  
2 40119 97.8825 181.6667 0015054 178.8689 181.2566 14.91893512573291

AEROCUBE 5C

1 40965U 15058B 25076.60743567 .00012366 00000+0 10329-2 0 9995  
2 40965 64.7679 239.2398 0176465 226.4487 132.1856 14.87465014297647

AEROCUBE 7

1 40966U 15058C 25076.58301119 .00015404 00000+0 12098-2 0 9997  
2 40966 64.7647 229.8390 0168939 226.2992 132.4023 14.90454414297775

FOX-1A (AO-85)

1 40967U 15058D 25076.56940669 .00011033 00000+0 94642-3 0 9995  
2 40967 64.7750 254.2108 0173351 221.8402 136.9352 14.86933139 45575

SINOD-D 1

1 40968U 15058E 25076.59077822 .00016394 00000+0 13093-2 0 9996  
2 40968 64.7756 243.4379 0164148 220.8690 138.0021 14.90368474 48471

SNAP-3 ALICE

1 40970U 15058G 25076.62482434 .00048619 00000+0 22265-2 0 9998  
 2 40970 64.7656 177.3002 0108936 220.8055 138.4876 15.14993403 46922  
 LMRST-SAT  
 1 40971U 15058H 25076.62980923 .00011108 00000+0 95135-3 0 9995  
 2 40971 64.7752 249.6658 0175361 223.2344 135.4892 14.86750515 45583  
 SNAP-3 EDDIE  
 1 40972U 15058J 25076.62885293 .00052347 00000+0 23662-2 0 9995  
 2 40972 64.7629 170.0769 0108232 221.9861 137.2931 15.15465880 49038  
 PROPCUBE 3  
 1 40973U 15058K 25076.58635178 .00015097 00000+0 12131-2 0 9996  
 2 40973 64.7692 234.5371 0170428 224.9143 133.8076 14.89467297 46679  
 BISON SAT  
 1 40974U 15058L 25076.60046973 .00034871 00000+0 21032-2 0 9990  
 2 40974 64.7651 195.4563 0137015 223.3403 135.6877 15.02985573 46688  
 SNAP-3 JIMI  
 1 40975U 15058M 25076.50843865 .00022218 00000+0 15944-2 0 9992  
 2 40975 64.7674 217.2766 0156592 224.1892 134.6629 14.94926782 45774  
 PROPCUBE 1 (FLORA)  
 1 40976U 15058N 25076.58240020 .00008815 00000+0 78758-3 0 9995  
 2 40976 64.7740 266.8502 0174722 224.7511 133.9394 14.85441346 48341  
 SINOD-D 3  
 1 40977U 15058P 25076.62466760 .00013687 00000+0 11382-2 0 9994  
 2 40977 64.7724 256.5378 0165649 224.0717 134.7095 14.88823325 46653  
 HORYU-4  
 1 41340U 16012D 25076.05542069 .00037366 00000+0 11821-2 0 9992  
 2 41340 30.9986 338.4047 0008347 272.1444 87.8245 15.31535203499794  
 RAVAN  
 1 41849U 16067B 25076.54070954 .00027365 00000+0 10374-2 0 9999  
 2 41849 98.0530 278.7621 0010243 166.2669 193.8848 15.26808522457503  
 CELTEE 1  
 1 41850U 16067C 25076.49737323 .00012963 00000+0 73602-3 0 9997  
 2 41850 98.1091 267.6650 0001099 40.9294 319.2018 15.13077851456666  
 OPTICUBE 04  
 1 41851U 16067D 25076.49056000 .00007053 00000+0 48149-3 0 9996  
 2 41851 98.0924 260.0114 0016139 215.1597 144.8565 15.06431231456337  
 AEROCUBE 8D  
 1 41852U 16067E 25076.48269250 .00016947 00000+0 89301-3 0 9996  
 2 41852 98.1134 268.3881 0003680 261.4344 98.6470 15.15670804456685  
 AEROCUBE 8C  
 1 41853U 16067F 25076.49469580 .00016904 00000+0 88830-3 0 9995

2 41853 98.0971 266.3541 0006583 187.4241 172.6893 15.15755425456677  
PROMETHEUS 2-1

1 41854U 16067G 25076.49668653 .00062036 00000+0 15954-2 0 9991  
2 41854 98.0885 280.5194 0008054 190.5051 169.6025 15.39015237457437  
PROMETHEUS 2-3

1 41855U 16067H 25076.50466085 .00061158 00000+0 15766-2 0 9994  
2 41855 98.0827 279.7592 0007002 200.0854 160.0115 15.38953425457430  
CORVUS BC2

1 42846U 17042X 25076.46606797 .00008684 00000+0 66699-3 0 9997  
2 42846 97.3695 253.1759 0012726 219.5830 140.4467 15.01912704418406  
CORVUS BC1

1 42847U 17042Y 25076.46414517 .00008945 00000+0 68285-3 0 9998  
2 42847 97.3715 253.6385 0012247 197.7386 162.3413 15.02141936418429  
MIRATA

1 43015U 17073C 25076.57954507 .00092555 00000+0 21899-2 0 9999  
2 43015 97.5527 328.3987 0107325 30.1811 330.5556 15.35597913397859  
MAKERSAT 0

1 43016U 17073D 25076.61044290 .00030692 00000+0 13222-2 0 9999  
2 43016 97.5333 315.7349 0158231 70.6784 291.1481 15.11832553397032  
SIRION PATHFINDER-2

1 43759U 18099B 25076.58477393 .00011472 00000+0 73759-3 0 9999  
2 43759 97.4880 131.5470 0011249 78.2827 281.9663 15.08513700343643  
CORVUS BC4

1 43767U 18099K 25076.60212833 .00010603 00000+0 70767-3 0 9998  
2 43767 97.4709 127.7631 0010807 127.2363 232.9852 15.07158735343500  
MOVE-II

1 43780U 18099Y 25076.62132097 .00120930 00000+0 22968-2 0 9992  
2 43780 97.4754 147.7494 0003341 121.5545 238.6032 15.47830130344704  
SPACEBEE-7

1 43816U 18099BL 25076.41718690 .00051102 00000+0 17784-2 0 9992  
2 43816 97.5052 145.4151 0006897 64.5602 295.6351 15.29499413343903  
SHIELDS 1

1 43850U 18104B 25076.55714927 .00042977 00000+0 65379-3 0 9995  
2 43850 85.0120 95.4448 0010911 107.7228 252.5223 15.54284930348378  
SONATE

1 44400U 19038Q 25076.54158776 .00117359 00000+0 12014-2 0 9991  
2 44400 97.7062 94.1030 0009222 178.2536 181.8756 15.64566388316322  
DUCHIFAT-3

1 44854U 19089C 25076.60465013 .00067501 00000+0 17857-2 0 9995  
2 44854 36.9466 165.8299 0005769 208.1123 151.9320 15.37299378290045

# M2 PATHFINDER

1 45727U 20037E 25076.45627367 .00009564 00000+0 74869-3 0 9997

2 45727 97.8054 258.5336 0011900 264.8707 95.1159 15.01188288256888

## NETSAT-4

1 46504U 20068U 25076.44475864 .00028471 00000+0 10792-2 0 9999

2 46504 97.8403 49.7535 0010227 124.7580 235.4622 15.26802060245694

## NETSAT-3

1 46505U 20068V 25076.42838181 .00026246 00000+0 10302-2 0 9998

2 46505 97.8396 48.8634 0009334 133.4728 226.7287 15.25665761245665

## NETSAT-1

1 46506U 20068W 25076.49945818 .00019810 00000+0 87583-3 0 9997

2 46506 97.8418 47.3321 0008130 143.8108 216.3678 15.21714046245563

## NETSAT-2

1 46507U 20068X 25076.48138310 .00028455 00000+0 10881-2 0 9999

2 46507 97.8392 49.3291 0007345 143.1537 217.0206 15.26534716245642

## WILDTRACKCUBE-SIMBA

1 47941U 21022K 25076.63388640 .00047943 00000+0 12424-2 0 9991

2 47941 97.4315 339.6044 0008384 251.3165 108.7171 15.38846273220254

## GRBALPHA

1 47959U 21022AD 25076.57905108 .00147447 00000+0 18200-2 0 9995

2 47959 97.4271 345.4346 0004871 201.1278 158.9778 15.59653553219459

## LEDSAT

1 49069U 21073D 25076.57751341 .00073594 00000+0 13831-2 0 9999

2 49069 97.3969 155.3362 0010884 28.3534 331.8306 15.48265524198389

## ROBUSTA-1F (MTCUBE 2)

1 53109U 22080E 25076.39163509 -.00000003 00000+0 00000+0 0 9998

2 53109 70.1186 97.1092 0008453 25.9388 334.1695 6.42584398 62712

## SITRO-AIS 5 (KATYS)

1 57176U 23091L 25076.61826221 .00018840 00000+0 94408-3 0 9997

2 57176 97.5698 133.5138 0013579 258.7609 101.2099 15.17330654 94839

## SITRO-AIS 6 (CHIRKIN)

1 57192U 23091AC 25076.60118858 .00018699 00000+0 93882-3 0 9991

2 57192 97.5694 133.5197 0013460 258.6490 101.3231 15.17266075 94838

## SITRO-AIS 8 (ANOKHIN)

1 57193U 23091AD 25076.58003619 .00021220 00000+0 10309-2 0 9993

2 57193 97.5690 133.8399 0013200 258.4179 101.5574 15.18392396 94857

## SITRO-AIS 7 (FARTUSHNIY)

1 57194U 23091AE 25076.61802065 .00019381 00000+0 97476-3 0 9996

2 57194 97.5695 133.4870 0013361 259.4503 100.5225 15.17198766 94837

## SITRO-AIS 10 (BURDAEV)

1 57199U 23091AK 25076.60361417 .00024233 00000+0 10829-2 0 9999  
 2 57199 97.5701 135.7666 0009169 239.9816 120.0510 15.21292443 94970  
 SITRO-AIS 9 (SHCHUKIN)  
 1 57201U 23091AM 25076.61244454 .00023723 00000+0 10641-2 0 9990  
 2 57201 97.5698 135.7149 0009105 240.1908 119.8423 15.21168930 94973  
 SITRO-AIS 12 (SMIRENNIY)  
 1 57204U 23091AQ 25076.60569378 .00024304 00000+0 10837-2 0 9990  
 2 57204 97.5706 135.9533 0009192 233.7786 126.2600 15.21366050 94986  
 SITRO-AIS 11 (SHEFFER)  
 1 57208U 23091AU 25076.56857806 .00025934 00000+0 11505-2 0 9998  
 2 57208 97.5705 135.9835 0009030 234.2219 125.8178 15.21528918 94980  
 VERONIKA  
 1 58261U 23174F 25076.48473671 .00106111 00000+0 18961-2 0 9995  
 2 58261 97.4216 158.9450 0005628 338.5307 21.5707 15.49630102 75572  
 ROBUSTA-1E (ENSO)  
 1 58470U 23185J 25076.56875545 .00069284 00000+0 14497-2 0 9993  
 2 58470 97.3826 149.5916 0007315 29.1090 331.0565 15.45191651 72014  
 SITRO-AIS 29  
 1 59052U 24039B 25076.58055342 .00217893 00000+0 19240-2 0 9998  
 2 59052 97.4148 48.8913 0002456 0.7038 359.4226 15.68001023 58745  
 SITRO-AIS 30  
 1 59053U 24039C 25076.60059566 .00205787 00000+0 19490-2 0 9990  
 2 59053 97.4147 48.6971 0003176 347.0802 13.0376 15.66293161 58724  
 SITRO-AIS 31  
 1 59054U 24039D 25076.58837521 .00214816 00000+0 19411-2 0 9999  
 2 59054 97.4161 48.8831 0002931 357.9798 2.1450 15.67438212 58754  
 SITRO-AIS 33  
 1 59055U 24039E 25076.49233792 .00202171 00000+0 18123-2 0 9990  
 2 59055 97.4145 48.8610 0002498 0.4341 359.6921 15.67676011 58736  
 SITRO-AIS 35  
 1 59056U 24039F 25076.60464888 .00222445 00000+0 19597-2 0 9998  
 2 59056 97.4161 49.0209 0002741 8.0765 352.0540 15.68043257 58754  
 SITRO-AIS 32  
 1 59057U 24039G 25076.61269238 .00200597 00000+0 18654-2 0 9999  
 2 59057 97.4162 48.8658 0002930 357.8795 2.2452 15.66767521 58749  
 SITRO-AIS 34  
 1 59058U 24039H 25076.49416544 .00215407 00000+0 19366-2 0 9997  
 2 59058 97.4149 48.8633 0002566 3.9608 356.1672 15.67562935 58732

## Starlink(Limited to 100)

### STARLINK-1008

1	44714U	19074B	25073.10951218	.00021645	00000+0	14688-2 0	9991
2	44714	53.0556	5.3233 0001425	110.3415	249.7727	15.06367812294573	

### STARLINK-1010

1	44716U	19074D	25073.18323696	.00030327	00000+0	20475-2 0	9992
2	44716	53.0552	4.9934 0001824	80.0165	280.1030	15.06374388294563	

### STARLINK-1011

1	44717U	19074E	25073.18138816	.00018961	00000+0	12894-2 0	9997
2	44717	53.0549	25.0025 0001244	72.5435	287.5690	15.06370052294306	

### STARLINK-1012

1	44718U	19074F	25073.22009615	.00005332	00000+0	37668-3 0	9992
2	44718	53.0555	4.8230 0001656	104.9947	255.1225	15.06390126294581	

### STARLINK-1013

1	44719U	19074G	25073.09478412	.00017335	00000+0	11803-2 0	9991
2	44719	53.0560	5.3894 0001471	74.9806	285.1346	15.06384437294568	

### STARLINK-1014

1	44720U	19074H	25073.25002315	.00342484	00000+0	66020-2 0	9993
2	44720	53.0495	337.2331 0012776	144.3676	326.8950	15.46003222294981	

### STARLINK-1015

1	44721U	19074J	25073.20170887	.00027915	00000+0	18871-2 0	9999
2	44721	53.0554	5.2598 0001578	71.1761	288.9399	15.06368686294579	

### STARLINK-1017

1	44723U	19074L	25073.18691759	.00027762	00000+0	18768-2 0	9999
2	44723	53.0541	4.9763 0001297	77.6183	282.4951	15.06370398294581	

### STARLINK-1019

1	44724U	19074M	25073.08371360	.00019228	00000+0	13069-2 0	9999
2	44724	53.0546	5.4402 0001238	71.6055	288.5068	15.06380632294566	

### STARLINK-1020

1	44725U	19074N	25072.89019633	-.00000323	00000+0	-27785-5 0	9991
2	44725	53.0558	26.3108 0001443	89.3707	270.7447	15.06393004294081	

### STARLINK-1021

1	44726U	19074P	25072.94734972	-.00001539	00000+0	-84501-4 0	9996
2	44726	53.0550	6.0519 0001542	80.5228	279.5935	15.06377398294375	

### STARLINK-1027

1	44732U	19074V	25073.25002315	.00327453	00000+0	18046-2 0	9990
2	44732	53.0532	356.0697 0008619	97.5572	205.8998	15.78186112294719	



STARLINK-1029

1 44734U 19074X 25072.82568176 -.00005916 00000+0 -37870-3 0 9992  
2 44734 53.0531 286.6003 0001442 86.1690 273.9464 15.06390225295450

STARLINK-1030

1 44735U 19074Y 25073.15190424 .00016607 00000+0 11320-2 0 9995  
2 44735 53.0553 25.1329 0001311 81.5965 278.5173 15.06372898294296

STARLINK-1031

1 44736U 19074Z 25073.16665264 .00011655 00000+0 80093-3 0 9998  
2 44736 53.0566 25.0704 0001824 86.2608 273.8590 15.06358500294309

STARLINK-1032

1 44737U 19074AA 25072.91668981 .00347204 56524-4 10565-2 0 9995  
2 44737 53.0428 333.7455 0006391 148.6727 4.7046 15.91501769 6093

STARLINK-1035

1 44740U 19074AD 25073.25002315 .00374750 00000+0 14831-2 0 9999  
2 44740 53.0482 352.3547 0006854 108.9921 70.2182 15.85220334294766

STARLINK-1036

1 44741U 19074AE 25072.85333472 -.00006605 00000+0 -42504-3 0 9998  
2 44741 53.0547 26.4704 0001543 99.9988 260.1175 15.06389907294087

STARLINK-1039

1 44744U 19074AH 25073.17955456 .00000663 00000+0 63429-4 0 9995  
2 44744 53.0555 45.0071 0001373 92.4782 267.6364 15.06384572294023

STARLINK-1042

1 44747U 19074AL 25073.09831233 .00026533 00000+0 79604-3 0 9990  
2 44747 53.0519 3.0718 0006034 96.9074 263.2614 15.34288874294625

STARLINK-1043

1 44748U 19074AM 25073.22377316 -.00004035 00000+0 -25224-3 0 9997  
2 44748 53.0547 44.8108 0001529 84.0381 276.0783 15.06384277294033

STARLINK-1046

1 44751U 19074AQ 25073.17217266 -.00003161 00000+0 -19346-3 0 9999  
2 44751 53.0540 45.0382 0001479 87.8433 272.2726 15.06387103294025

STARLINK-1047

1 44752U 19074AR 25073.11290710 .00088789 00000+0 39159-2 0 9999  
2 44752 53.0545 17.4996 0004166 93.1472 267.0000 15.21035298294405

STARLINK-1048

1 44753U 19074AS 25073.19798887 -.00002178 00000+0 -12742-3 0 9996  
2 44753 53.0564 4.9267 0001444 100.6884 259.4268 15.06389871294588

STARLINK-1052

1 44757U 19074AW 25072.97438382 .02309016 74266-2 16880-2 0 9991  
2 44757 53.0126 279.7539 0005184 260.5408 210.0644 16.16847824295753

STARLINK-1053

1 44758U 19074AX 25072.91668981 .00362730 00000+0 93585-2 0 9995  
 2 44758 53.0474 34.7692 0001305 85.2150 233.2607 15.37207854 5891  
 STARLINK-1054  
 1 44759U 19074AY 25073.13530799 .00001127 00000+0 94535-4 0 9994  
 2 44759 53.0546 45.2079 0001506 108.9632 251.1520 15.06396224294023  
 STARLINK-1056  
 1 44761U 19074BA 25073.19797543 -.00000786 00000+0 -33859-4 0 9999  
 2 44761 53.0542 44.9253 0001527 91.3207 268.7957 15.06389097294037  
 STARLINK-1057  
 1 44762U 19074BB 25072.86808673 .00001036 00000+0 88465-4 0 9990  
 2 44762 53.0560 26.4054 0001622 89.8552 270.2623 15.06394380294087  
 STARLINK-1058  
 1 44763U 19074BC 25072.91668981 .00377291 00000+0 12341-2 0 9990  
 2 44763 53.0444 356.4780 0005169 163.3238 246.8833 15.89109721 6076  
 STARLINK-1060  
 1 44765U 19074BE 25073.08186865 -.00002281 00000+0 -13432-3 0 9996  
 2 44765 53.0549 25.4437 0001569 104.6140 255.5024 15.06386543294285  
 STARLINK-1062  
 1 44767U 19074BG 25072.91668981 .00504449 11208-3 13854-2 0 9997  
 2 44767 53.0401 355.1429 0003385 139.7651 239.5365 15.93445239 6074  
 STARLINK-1063  
 1 44768U 19074BH 25073.22746654 -.00001080 00000+0 -53625-4 0 9998  
 2 44768 53.0555 44.7941 0001516 92.2201 267.8962 15.06387280294030  
 STARLINK-1067  
 1 44771U 19074BL 25073.21640975 -.00002089 00000+0 -12144-3 0 9990  
 2 44771 53.0549 44.8415 0001485 77.0531 283.0623 15.06382937294034  
 STARLINK-1068  
 1 44772U 19074BM 25073.14084388 -.00005806 00000+0 -37137-3 0 9992  
 2 44772 53.0571 25.1840 0001650 105.1145 255.0027 15.06379671294298  
 STARLINK-1073  
 1 44914U 20001A 25073.25002315 .00194318 00000+0 95651-3 0 9994  
 2 44914 53.0455 121.4369 0008372 26.4040 46.1457 15.81043503286124  
 STARLINK-1098  
 1 44917U 20001D 25072.65981607 .00026594 00000+0 17946-2 0 9990  
 2 44917 53.0537 167.3457 0001391 91.1400 268.9748 15.06460964285439  
 STARLINK-1102  
 1 44920U 20001G 25073.20292579 .01669586 25404-2 11030-2 0 9990  
 2 44920 53.0274 9.3887 0003908 183.7204 327.2506 16.17060710287700  
 STARLINK-1103  
 1 44921U 20001H 25072.91668981 .01366321 00000+0 95313-2 0 9991

2 44921 53.0481 130.5171 0000645 65.9899 110.1014 15.71307541 6044  
STARLINK-1104

1 44922U 20001J 25072.54186733 .00012490 00000+0 85523-3 0 9998  
2 44922 53.0541 167.8742 0001410 97.4051 262.7099 15.06429656285417  
STARLINK-1106

1 44923U 20001K 25073.25002315 .00212394 00000+0 12691-2 0 9991  
2 44923 53.0023 39.8839 0007282 56.7617 269.8149 15.76704765287259  
STARLINK-1112

1 44925U 20001M 25073.23482865 -.00001586 00000+0 -87630-4 0 9991  
2 44925 53.0534 164.7643 0001635 103.4193 256.6978 15.06394502285512  
STARLINK-1114

1 44927U 20001P 25073.24589837 .00022034 00000+0 14933-2 0 9994  
2 44927 53.0527 164.7123 0001009 115.9236 244.1857 15.06404659285524  
STARLINK-1123

1 44930U 20001S 25072.53080842 .00011434 00000+0 78463-3 0 9992  
2 44930 53.0518 167.9250 0000884 93.0166 267.0924 15.06429194285410  
STARLINK-1130 (DARKSAT)

1 44932U 20001U 25072.42635579 .00109973 00000+0 10222-2 0 9999  
2 44932 53.0488 130.5327 0005743 18.8430 341.2796 15.66587950287164  
STARLINK-1144

1 44933U 20001V 25072.52686508 .00064281 00000+0 26791-2 0 9999  
2 44933 53.0535 157.2795 0004261 357.2853 2.8119 15.23121001286854  
STARLINK-1071

1 44934U 20001W 25073.22192356 .00003898 00000+0 28033-3 0 9990  
2 44934 53.0544 144.8230 0002340 56.2371 303.8841 15.06415529285798  
STARLINK-1079

1 44937U 20001Z 25072.91668981 .00166715 00000+0 27246-2 0 9992  
2 44937 53.0414 95.3105 0002528 301.2845 69.0104 15.51474604 5977  
STARLINK-1091

1 44940U 20001AC 25072.52159991 .00022037 00000+0 14918-2 0 9999  
2 44940 53.0547 147.9660 0001523 92.2588 267.8576 15.06447819285680  
STARLINK-1094

1 44941U 20001AD 25072.61006147 .00028672 00000+0 19324-2 0 9991  
2 44941 53.0540 147.5664 0001510 92.4639 267.6523 15.06468164285708  
STARLINK-1096

1 44942U 20001AE 25073.10540444 .00059191 00000+0 90999-3 0 9998  
2 44942 53.0044 6.3190 0004551 68.2625 291.8868 15.53687705287729  
STARLINK-1109

1 44945U 20001AH 25072.91668981 .00180278 00000+0 12900-2 0 9992  
2 44945 53.0453 101.4036 0006493 36.0056 334.8924 15.72651039 5989

STARLINK-1122

1 44949U 20001AM 25073.22930538 -.00002904 00000+0 -17618-3 0 9994  
2 44949 53.0541 144.7895 0000413 26.3732 333.7278 15.06393624285792

STARLINK-1117

1 44952U 20001AQ 25073.25002315 .00138585 00000+0 12413-2 0 9994  
2 44952 53.0471 132.8077 0003452 32.8172 87.9917 15.67404158285963

STARLINK-1066

1 44954U 20001AS 25073.17584726 .00000134 00000+0 27905-4 0 9990  
2 44954 53.0537 125.0293 0001751 76.6276 283.4908 15.06403819286019

STARLINK-1076

1 44959U 20001AX 25072.86092118 .00702096 24368-3 11592-2 0 9995  
2 44959 53.0401 79.4460 0007516 41.2922 29.8750 16.02498936286662

STARLINK-1080

1 44961U 20001AZ 25073.16110987 -.00004608 00000+0 -29063-3 0 9999  
2 44961 53.0544 125.0954 0001407 76.3583 283.7563 15.06401247286074

STARLINK-1088

1 44966U 20001BE 25072.91668981 .00269642 00000+0 12785-2 0 9999  
2 44966 53.0560 359.4059 0001882 83.4520 307.5306 15.81684541 5996

STARLINK-1090

1 44968U 20001BG 25073.16479413 -.00000515 00000+0 -15653-4 0 9992  
2 44968 53.0540 125.0779 0001635 99.0227 261.0947 15.06404745286073

STARLINK-1092

1 44969U 20001BH 25072.91668981 .01306600 00000+0 22326-1 0 9990  
2 44969 53.0491 112.8890 0001118 88.0358 359.9640 15.47791408 5948

STARLINK-1093

1 44970U 20001BJ 25072.35711312 .00101953 00000+0 10963-2 0 9995  
2 44970 53.0465 94.8246 0003242 8.1388 351.9678 15.62960586286419

STARLINK-1107

1 44972U 20001BL 25073.24567054 .00066336 00000+0 22240-2 0 9994  
2 44972 53.0240 106.3638 0004249 30.7809 329.3438 15.30306643286341

STARLINK-1115

1 44973U 20001BM 25072.44388164 .00042646 00000+0 93304-3 0 9997  
2 44973 53.0417 94.8091 0007766 346.6650 13.4149 15.43716827286435

STARLINK-1132

1 45044U 20006A 25073.19059366 -.00001060 00000+0 -52251-4 0 9998  
2 45044 53.0538 84.9582 0001318 114.3057 245.8070 15.06397972282741

STARLINK-1131

1 45047U 20006D 25073.23304960 .00000870 00000+0 77314-4 0 9992  
2 45047 53.0526 105.3085 0001268 112.1755 247.9368 15.06401263282463

STARLINK-1134

1 45048U 20006E 25073.11521161 .00011169 00000+0 68796-3 0 9990  
 2 45048 53.0525 103.8347 0000763 1.3166 358.7827 15.10444163282474  
 STARLINK-1148  
 1 45052U 20006J 25072.91668981 .00095736 00000+0 15064-2 0 9995  
 2 45052 53.0497 65.4626 0007545 14.8640 228.5309 15.52815947 5976  
 STARLINK-1156  
 1 45054U 20006L 25072.47369785 .00001312 00000+0 10691-3 0 9997  
 2 45054 53.0533 108.1776 0001331 90.4154 269.6987 15.06407699282017  
 STARLINK-1159  
 1 45057U 20006P 25072.35573016 .00008496 00000+0 58831-3 0 9999  
 2 45057 53.0518 108.7068 0001696 98.9253 261.1928 15.06417223282342  
 STARLINK-1162  
 1 45058U 20006Q 25073.25002315 .00219048 00000+0 12639-2 0 9991  
 2 45058 53.0448 75.3882 0008412 34.9729 234.9476 15.77463357282881  
 STARLINK-1166  
 1 45060U 20006S 25073.22931041 .00001846 00000+0 14280-3 0 9998  
 2 45060 53.0529 104.7873 0001286 92.2584 267.8552 15.06400026282470  
 STARLINK-1169  
 1 45061U 20006T 25073.23667269 -.00002833 00000+0 -17137-3 0 9991  
 2 45061 53.0537 104.7559 0001539 62.7474 297.3672 15.06394576282475  
 STARLINK-1171  
 1 45062U 20006U 25073.22194860 .00003569 00000+0 25838-3 0 9995  
 2 45062 53.0526 104.8195 0001499 88.1345 271.9816 15.06398795282470  
 STARLINK-1133  
 1 45064U 20006W 25073.23483773 -.00000092 00000+0 12713-4 0 9990  
 2 45064 53.0546 84.7598 0001390 97.3444 262.7703 15.06389829282762  
 STARLINK-1150  
 1 45067U 20006Z 25073.22747578 .00003098 00000+0 22686-3 0 9995  
 2 45067 53.0521 84.7948 0001454 90.6514 269.4641 15.06391483282755  
 STARLINK-1161  
 1 45068U 20006AA 25073.25002315 .00161586 00000+0 31642-2 0 9990  
 2 45068 53.0291 56.1288 0006030 70.5947 235.7013 15.46319870283150  
 STARLINK-1167  
 1 45071U 20006AD 25073.19428642 -.00001152 00000+0 -58453-4 0 9997  
 2 45071 53.0547 84.9458 0001528 108.0187 252.0968 15.06393904282747  
 STARLINK-1168  
 1 45072U 20006AE 25073.19798096 -.00001108 00000+0 -55488-4 0 9997  
 2 45072 53.0536 84.9280 0001454 90.9970 269.1186 15.06386090282756  
 STARLINK-1170  
 1 45073U 20006AF 25073.21213749 .00127523 00000+0 10920-2 0 9996

2 45073 53.0535 76.2421 0001497 92.8413 267.2774 15.68553330282862  
STARLINK-1172

1 45074U 20006AG 25073.20904035 -.00001867 00000+0 -10648-3 0 9993  
2 45074 53.0536 84.8785 0001763 92.0391 268.0799 15.06383940282759  
STARLINK-1174

1 45075U 20006AH 25072.91668981 .00200964 00000+0 13483-2 0 9994  
2 45075 53.0533 76.8274 0002261 98.1274 7.6309 15.74111037 5817  
STARLINK-1153

1 45080U 20006AN 25073.18691417 -.00000460 00000+0 -12002-4 0 9999  
2 45080 53.0541 84.9774 0001327 93.9368 266.1773 15.06391575282407  
STARLINK-1151

1 45081U 20006AP 25073.23853978 .00001753 00000+0 13659-3 0 9990  
2 45081 53.0529 84.8211 0001485 96.8974 263.2184 15.06392648282764  
STARLINK-1190

1 45083U 20006AR 25073.11874572 .00001791 00000+0 13913-3 0 9997  
2 45083 53.0537 105.2822 0001538 91.9484 268.1681 15.06392460282456  
STARLINK-1173

1 45084U 20006AS 25073.23300196 .00000485 00000+0 51452-4 0 9997  
2 45084 53.0550 64.7692 0001566 89.5987 270.5182 15.06390926283143  
STARLINK-1179

1 45085U 20006AT 25073.22931799 .00002330 00000+0 17535-3 0 9990  
2 45085 53.0531 64.7852 0001279 86.7743 273.3393 15.06373606283030  
STARLINK-1185

1 45087U 20006AV 25072.68379982 .00001975 00000+0 15149-3 0 9994  
2 45087 53.0537 67.2360 0001444 92.3164 267.7991 15.06393255282610  
STARLINK-1183

1 45088U 20006AW 25073.23669905 -.00005314 00000+0 -33847-3 0 9992  
2 45088 53.0528 64.7535 0001610 104.1367 255.9801 15.06357368282691  
STARLINK-1176

1 45090U 20006AY 25073.22099463 -.00000351 00000+0 -46768-5 0 9994  
2 45090 53.0549 64.8152 0001356 86.1897 273.9247 15.06385719282692  
STARLINK-1137

1 45092U 20006BA 25072.98252664 .00244475 00000+0 11224-2 0 9993  
2 45092 53.0518 53.4998 0000808 97.1668 6.3010 15.82446460283176  
STARLINK-1142

1 45093U 20006BB 25072.97084109 .00049323 00000+0 20983-2 0 9997  
2 45093 53.0479 53.7555 0004095 71.9677 288.1764 15.22548123282827  
STARLINK-1146

1 45094U 20006BC 25073.20625122 -.00001082 00000+0 -53783-4 0 9999  
2 45094 53.0582 64.8821 0001809 102.8736 257.2455 15.06382100283044

STARLINK-1147

1 45095U 20006BD 25073.19988609 -.00001541 00000+0 -84588-4 0 9997  
2 45095 53.0537 65.4948 0001419 95.1633 264.9518 15.06389990283037

STARLINK-1152

1 45096U 20006BE 25073.25656729 .00012838 00000+0 81463-3 0 9997  
2 45096 53.0539 63.8289 0002276 33.4795 326.6338 15.09224375283052

STARLINK-1184

1 45098U 20006BG 25073.18508233 .00000837 00000+0 75103-4 0 9998  
2 45098 53.0559 64.9835 0001618 88.2406 271.8769 15.06388364281234

STARLINK-1193

1 45100U 20006BJ 25073.24774607 .00002018 00000+0 15437-3 0 9995  
2 45100 53.0537 64.7024 0001443 96.6636 263.4518 15.06391752283041

STARLINK-1143

1 45179U 20012B 25072.71351297 .00083993 00000+0 43386-2 0 9999  
2 45179 53.0509 224.5296 0008281 162.5784 197.5495 15.15553406280467

STARLINK-1200

1 45181U 20012D 25072.74275256 -.00004249 00000+0 -26662-3 0 9993  
2 45181 53.0535 226.9694 0001554 107.7624 252.3534 15.06389938280435

STARLINK-1201

1 45182U 20012E 25072.63032981 .00005966 00000+0 41906-3 0 9991  
2 45182 53.0526 207.4744 0001503 78.5417 281.5740 15.06398754280546

STARLINK-1202

1 45183U 20012F 25072.71328392 .00005205 00000+0 36806-3 0 9994  
2 45183 53.0546 227.1052 0001146 68.0952 292.0159 15.06396479280432