

**0/7 Questions Answered**

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## Week 1 Friday Review Quiz

Student Name

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## Q1 Combining languages

5 Points

For this question, consider an arbitrary alphabet  $\Sigma$  and, whenever  $L_1, L_2$  are sets of strings over  $\Sigma$ , we can use the following rules to define associated sets of strings:

$$\text{SUBSTRING}(L_1) := \{w \in \Sigma^* \mid \text{there exist } a, b \in \Sigma^* \text{ such that } awb \in L_1\}$$

and

$$L_1 \circ L_2 := \{w \in \Sigma^* \mid w = uv \text{ for some strings } u \in L_1 \text{ and } v \in L_2\}$$

For the statements below, let  $\Sigma = \{0, 1\}$  be the alphabet.

Select all and only the true statements.

☐  $\text{SUBSTRING}(\{0\}) = \text{SUBSTRING}(\{1\}) = \{\varepsilon\}$

☐  $\text{SUBSTRING}(\emptyset) = \emptyset$

☐  $\text{SUBSTRING}(\Sigma^*) = \Sigma^*$

☐  $\{0\} \circ \{1\} = \{0, 1\}$

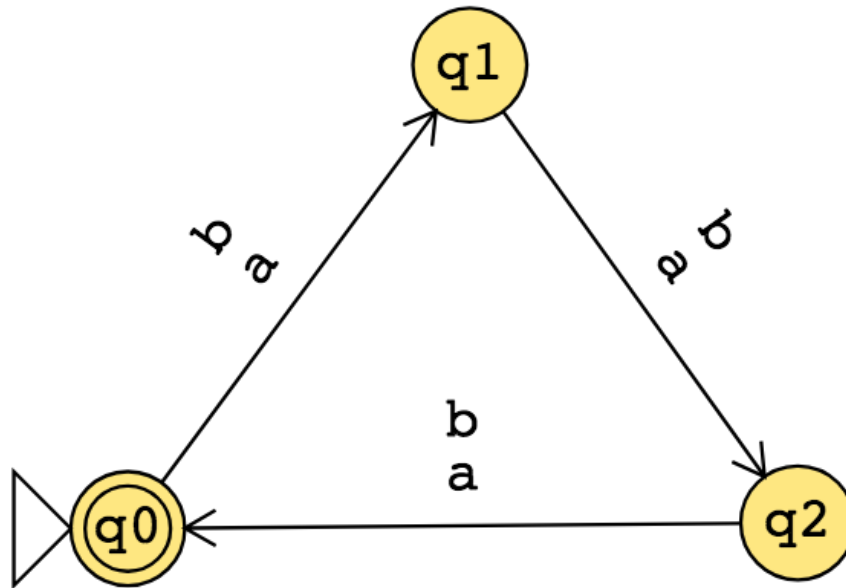
☐  $\{0, 1, 01\} \circ \{\varepsilon\} = \{01\}$

Save Answer

## Q2 Strings in a language recognized by a DFA

1 Point

Select all (and only) the strings below that are accepted by the DFA.



☐ The empty string

☐ a

☐ b

☐ abab

☐ ab

☐ bbb

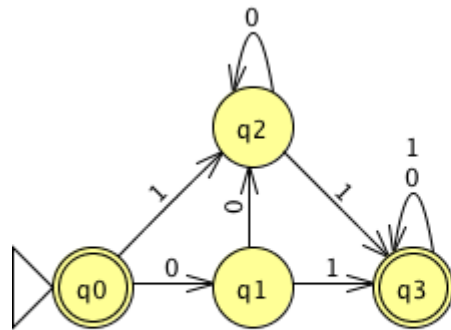
☐ bba

Save Answer

### Q3 Describing DFA

4 Points

Consider the DFA,  $M$ , given by the state diagram:



Q3.1 (a)

1 Point

The author of this DFA claims that its formal definition is:

$M = (\{q_0, q_1, q_2, q_3\}, \{0, 1, 2, 3\}, \delta, q_0, q_3)$  with  $\delta$  given by the table below:

	0	1
$q_0$	$q_1$	$q_2$
$q_1$	$q_2$	$q_3$
$q_2$	$q_2$	$q_3$
$q_3$	$q_3$	$q_3$

Select all and only the components of the formal definition that are correct.

☐ Set of states

☐ Input alphabet

☐ Transition function

☐ Start state

☐ Set of accept states

Save Answer

**Q3.2 (b)**

1 Point

True or False: The empty string is accepted by this DFA.

True

False

Save Answer

**Q3.3 (c)**

1 Point

True or False:  $L(M)$  is infinite.

True

False

Save Answer

**Q3.4 (d)**

1 Point

True or False: If  $x \in L(M)$ , the string obtained by flipping each bit in  $x$  (changing 0 to 1 and 1 to 0) is also in  $L(M)$ .

True

False

Save Answer



## Q4 Feedback

0 Points

Any feedback about this week's material or comments you'd like to share? (Optional; not for credit)

Save Answer

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Save All Answers

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