

5.8

5.7 解: (1)  $k = 2(i-1) + j - 1 = 2i + j - 3$

(2)  $i = (k+1)/3 + 1, (0 \leq k \leq 3n-1)$   
 $j = k + 3 - 2i = k + 1 - 2[(k+1)/3]$

5.8

解:  $i-j=0$  时.

若  $i$  为奇数,  $j$  为奇数, 则  $k = 2(i-1) + 1 - 1 = 2i - 1 - 1$

若  $i$  为偶数,  $j$  为偶数, 则  $k = 2(i-1) + 2 - 1 = 2i - 0 - 1$

$i-j=1$  时.

若  $i$  为偶数,  $j$  为奇数, 则  $k = 2(i-1) + 1 - 1 = 2i - 1 - 1$

$i-j=-1$  时

若  $i$  为奇数,  $j$  为偶数, 则  $k = 2(i-1) + 2 - 1 = 2i - 0 - 1$

综上,  $k = 2i - j \% 2 - 1$

5.10

解: (1) ~~结果~~ 结果 =  $p$

(2) 结果 =  $(k, p, h)$

(3) 结果 =  $(a, b)$

(4) 结果 =  $(c, d)$

(5) 结果 =  $\text{GetHead}[(c, d)] = (c, d)$

(6) 结果 =  $\text{GetTail}[(a, b)] = (b)$

(7)  $\text{GetHead}[\text{GetTail}[(a, b)]] = \text{GetHead}[(b)] = b$

结果 =

(8) 结果 =  $\text{GetTail}[\text{GetHead}[(c, d)]] = \text{GetTail}[(c, d)] = (d)$



5.17

解: ~~求最大值~~

~~int Algo\_1(SqList L, int len)~~

~~{~~  
~~int max, tmp;~~

~~max = L.elem~~

//求最大值

int Max(SqList &L, int k)

{  
if (k < L.Length - 1)  
if (L.elem[k] < Max(L, k+1))  
return Max(L, k+1);

else  
return L.elem[k];

else  
return L.elem[k];

}

//求最小值

int Min(SqList &L, int k)

{  
if (k < L.Length - 1)  
if (L.elem[k] > Min(L, k+1))  
return Min(L, k+1);

else  
return L.elem[k];

else  
return L.elem[k];

}



// 求和

```
int Sum(SqList &L, int k)
{
    if (k == 0)
        return L.elem[0];
    else
        return L.elem[k] + Sum(a, k-1);
}
```

// 求积

```
int Product(SqList &L, int k)
{
    if (k == 0)
        return L.elem[0];
    else
        return L.elem[k] * Sum(a, k-1);
}
```

// 求平均值

```
double Avg(SqList &L, int k)
```

```
{
    if (k == 0)
        return L.elem[0];
```

```
    else
        return (Avg(a, k-1) * k + L.elem[k]) / (k+1);
```

```
}
```

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3/7



5.18

解:

```
void Rotate (Array1D &a, int n, int k)
{
    ElemType *p = a, temp;
    int i, j;
    if (0 != k % n) {
        for (i = 1; i <= k; ++i) {
            temp = a[n-1];
            for (j = n-2; j >= 0; --j) {
                a[j+1] = a[j];
            }
            a[0] = temp;
        }
    }
}
```

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4/7

5.21

解:

/\* 函数原型 \*/

Status Algo (TSMatrix A, TSMatrix B, TSMatrix \*C);

int main (int argc, char \*argv[])

{ TSMatrix A, B, C;

FILE \*fp;

~~printf~~

fp = fopen ("Data/Algo.txt", "r");

CreatSMatrix - T(fp, 2, &A, &B);

fclose (fp);

printf ("A = \n");

PrintSMatrix - T(A);

printf ("B = \n");

PrintSMatrix - T(B);

printf (" \n");



```

    Algo(A, B, &C);
    printf("C = A+B = \n");
    PrintTSMatrix-T(C);
    printf("\n");
    return 0;
}

```

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5/7

//三元矩阵加法

```

Status Algo(TSMatrix A, TSMatrix B, TSMatrix *C)
{

```

```

    if (AddSMatri-T(A, B, C))
        return OK;

```

```

    else
        return ERROR;
}

```

5.26.

```

void OutCSM(CrossList M, void(*Out3)(int, int, int))

```

//用函数Out3,依次以三元组格式输出十字链表表示的矩阵

```

{
    int i=1, row, col, e;
    O Link p, q;
    for (i=1; i<=M.mu; ++i){
        p=M.rhead[i];
        while(p){
            Out3(p->i, p->j, p->e);
            p = p->right;
        }
    }
}

```



S.34

解:

\*数据类型\*

void Algo(GList \*L);

int main(int argc, char\*argv[])

{

GList L;

char \*s = "(a,((b,c),(1)),((d),e),f1)";

SString S;

StrAssign\_Sq(S, s);

CreateGList\_GL\_H\_T\_1(&amp;L, S);

printf("L = ");

Output\_GL\_H\_T(L, Head);

printf("\n\n");

~~Algo~~

Algo(&amp;L);

printf("L = ");

Output\_GL\_H\_T(L, Head);

printf("\n\n");

return 0;

}

void Algo(GList \*L)

{

GList head, tail;

if (\*L)

{

head = \*L;

tail = (\*L) -&gt; Union.ptr.tp;

if (head -&gt; Union.ptr.hp &amp;&amp; head -&gt; Union.ptr.hp -&gt; tag == List)

Algo(&amp;(head -&gt; Union.ptr.hp));

if (tail)

{

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6/7



~~Algo~~

Algo(&(( $*L$ )  $\rightarrow$  Union.ptr.tp));

$*L = (*L) \rightarrow$  Union.ptr.tp;

tail  $\rightarrow$  Union.ptr.tp;

tail  $\rightarrow$  Union.ptr.tp = head;

head  $\rightarrow$  Union.ptr.tp = NULL;

}

}

}

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7/7