

Machine Learning Applications

Winter semester 2019/2020

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Lecture IX Prognosis Framework

Structure and content of the lecture

VW	Date	Content	Lead
1	18 th Oct 2019	Introduction, Motivation and Organizational Information	FSR
2	25 th Oct 2019	Introduction to Machine Learning I	CS
3	1 st Nov 2019	Introduction to Machine Learning II	CS
4	8 th Nov 2019	Introduction to Machine Learning III	CS
5	15 th Nov 2019	Introduction to and Application of Machine Learning	CS
6	22 nd Nov 2019	Presentation of Industrial Partner and Introduction of Practical Exam (Hackathon)	FSR/EXT
7	29 th Nov 2019	Data Understanding: Data Acquisition, Preprocessing and Feature Engineering	FSR
8	6 th Dec 2019	Diagnostics: Feature Engineering, Regression, Health Assessment	FSR
9	13 th Dec 2019	Prognostics: Prediction, Remaining Useful Life, Uncertainty	FSR
10	20 th Dec 2019	System of Systems: System Level, Systemwide Predictions, Decision Support, IoT	FSR
11	17 th Jan 2020	Predictive Maintenance: Band Saw Application, Neural Networks for Condition Monitoring and Prediction	PTW
12	24 th Jan 2020	Predictive Quality: Prediction of Product Quality during Machining Process	PTW
13	31 st Jan 2020	Energy Forecasting: Electric Load Forecasting by the Example of a Machine Tool	PTW
14	7 th Feb 2020	Operational Control: Optimized Control of Cross-Linked Energy Systems by Means of Reinforcement Learning	PTW
15	14 th Feb 2020	Recap on Lecture for Written Exam	FSR

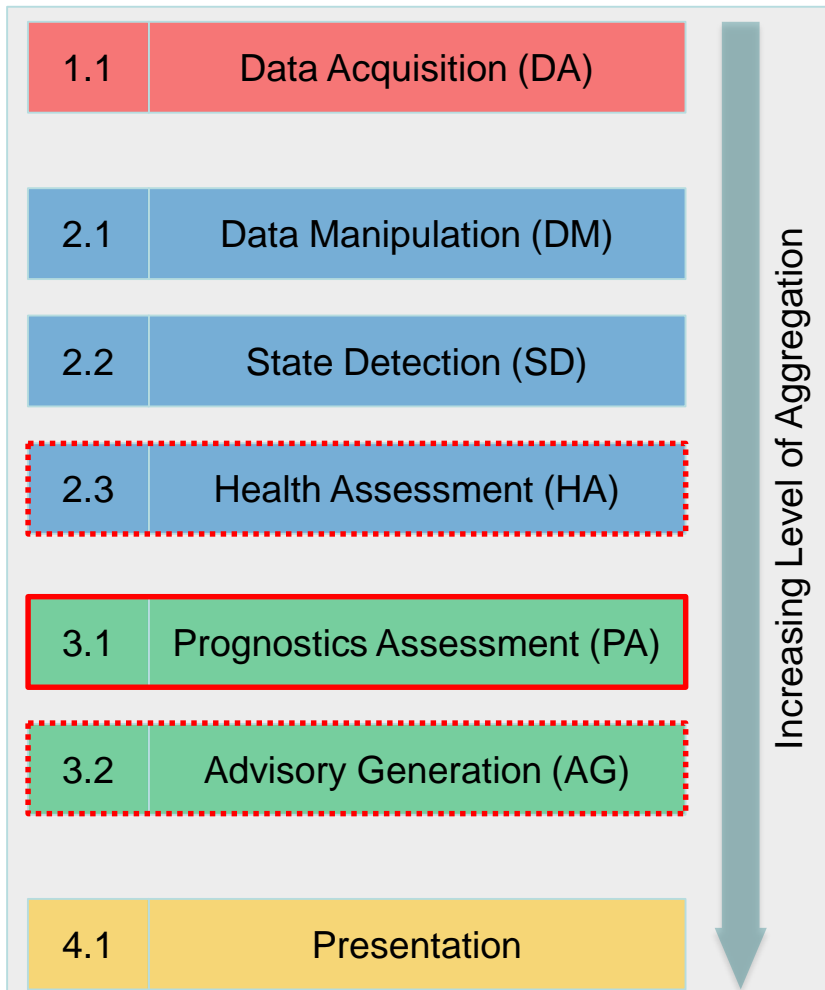
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What should you be able to take out of the lecture today?

- What is prognosis and when does it make sense?
- Determine health of a component and transfer curve into prognosis
- What is remaining useful life (RUL)?
- How to do a prognosis with Gaussian Process Regression?
- Can I trust in my prognosis?
- How to evaluate the prognosis performance?
- What are the challenges in real world application?

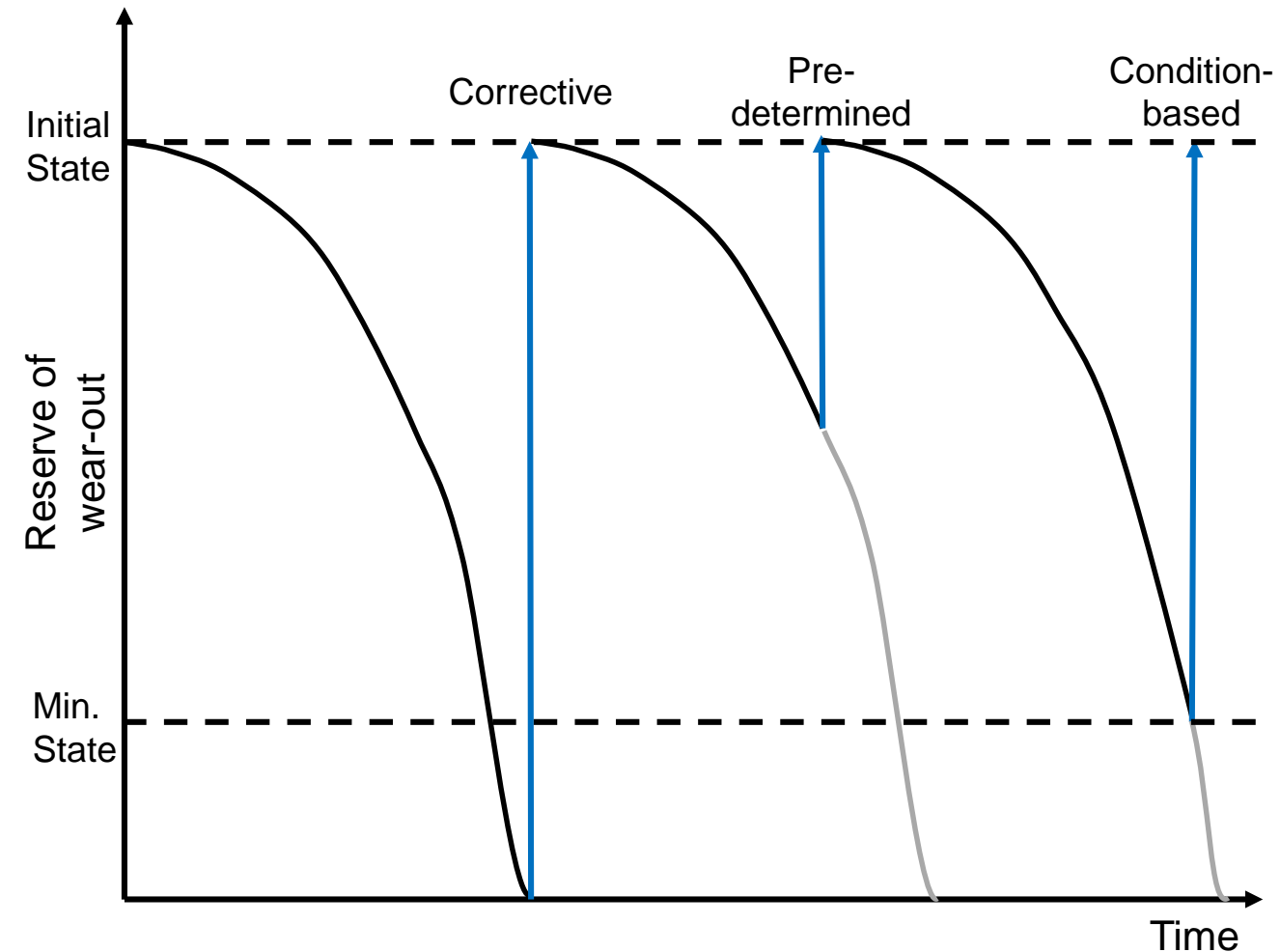
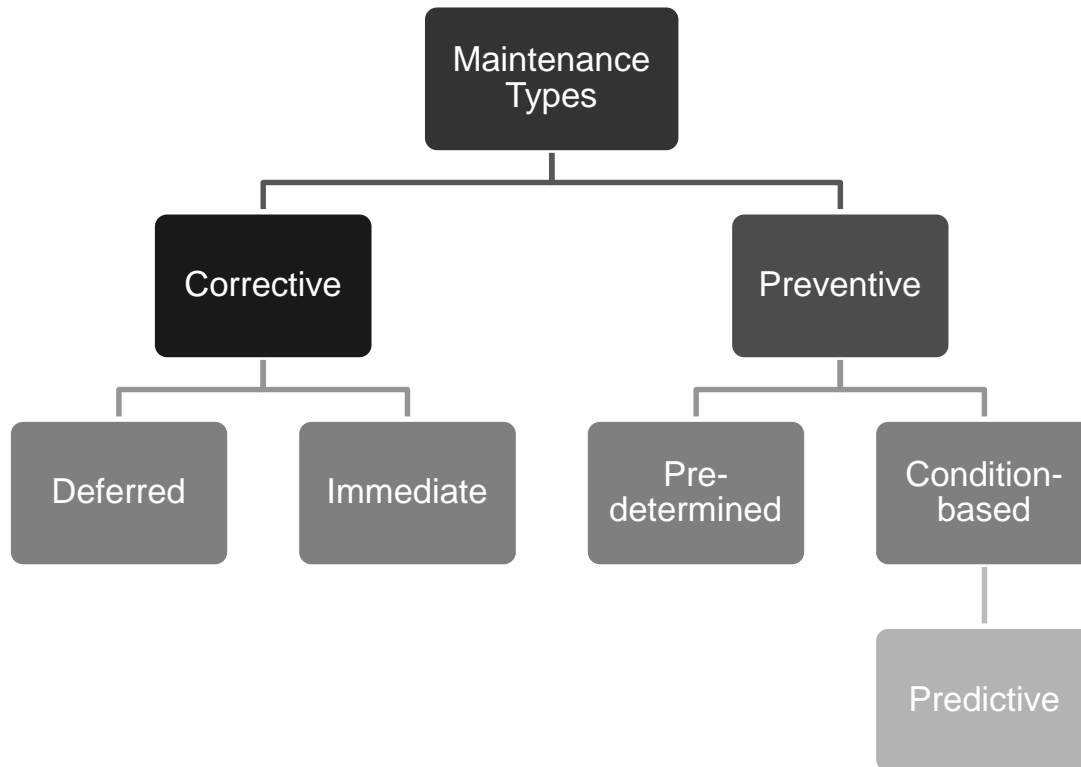
The prognosis is one of the last steps in OSA-CBM



- PA (typically) completely relies on previous steps 1.1 till 2.3
- PA aims to predict future behavior of investigated component
How will the health of my component develop in the future?
- HA describes the health of a component (e.g. Health Index)
What is the health status of my component?
- AG combines result of PA with system/expert knowledge
Which actions and when should I take for the component?

THE GOAL OF PROGNOSIS

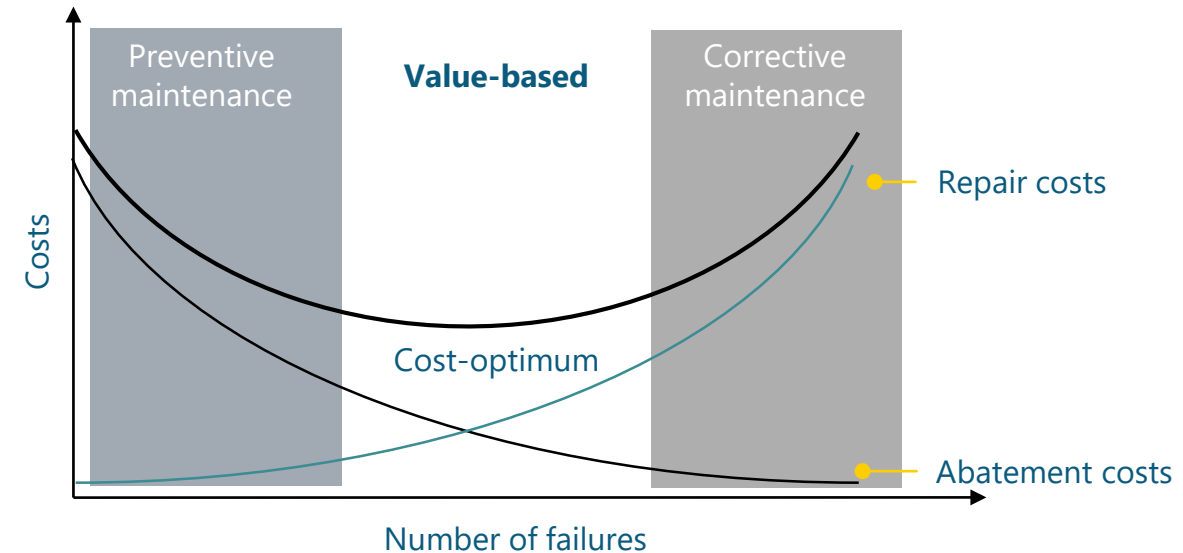
Maintenance can benefit from component's health prognosis



Condition-based maintenance can optimize the maintenance costs

- Model solely considers maintenance costs
- Development costs of value-based maintenance not covered
- Resulting costs from breakdown not covered → Revenue loss

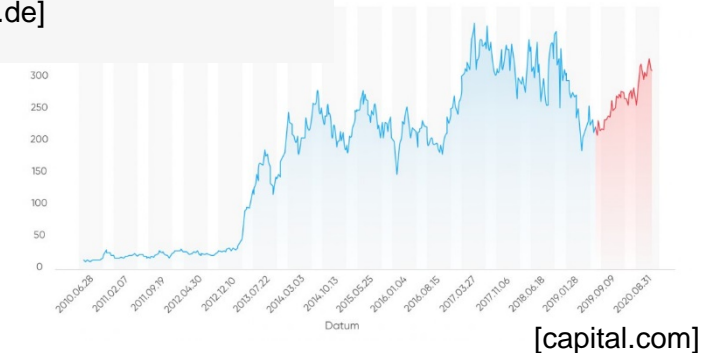
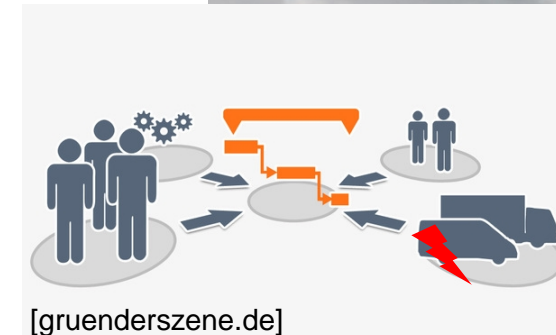
→ Each component needs to be analyzed individually



- Repair costs increases with higher number of failures
 - Abatement costs increase for lower number of failures
- Optimum in the addition of both costs

Maintenance is not the only reason for prognosis approaches

- Safety related components
 - Demand for high reliability
 - Alternative to conventional redundancy concepts
- Optimized resource planning
 - Know in advance when assets are not available
 - Know future demand for resources
- Prediction of process output
- Load prognosis
- Stock market
- ...



Prognosis of component's health is not always technical feasible

■ Early Failure

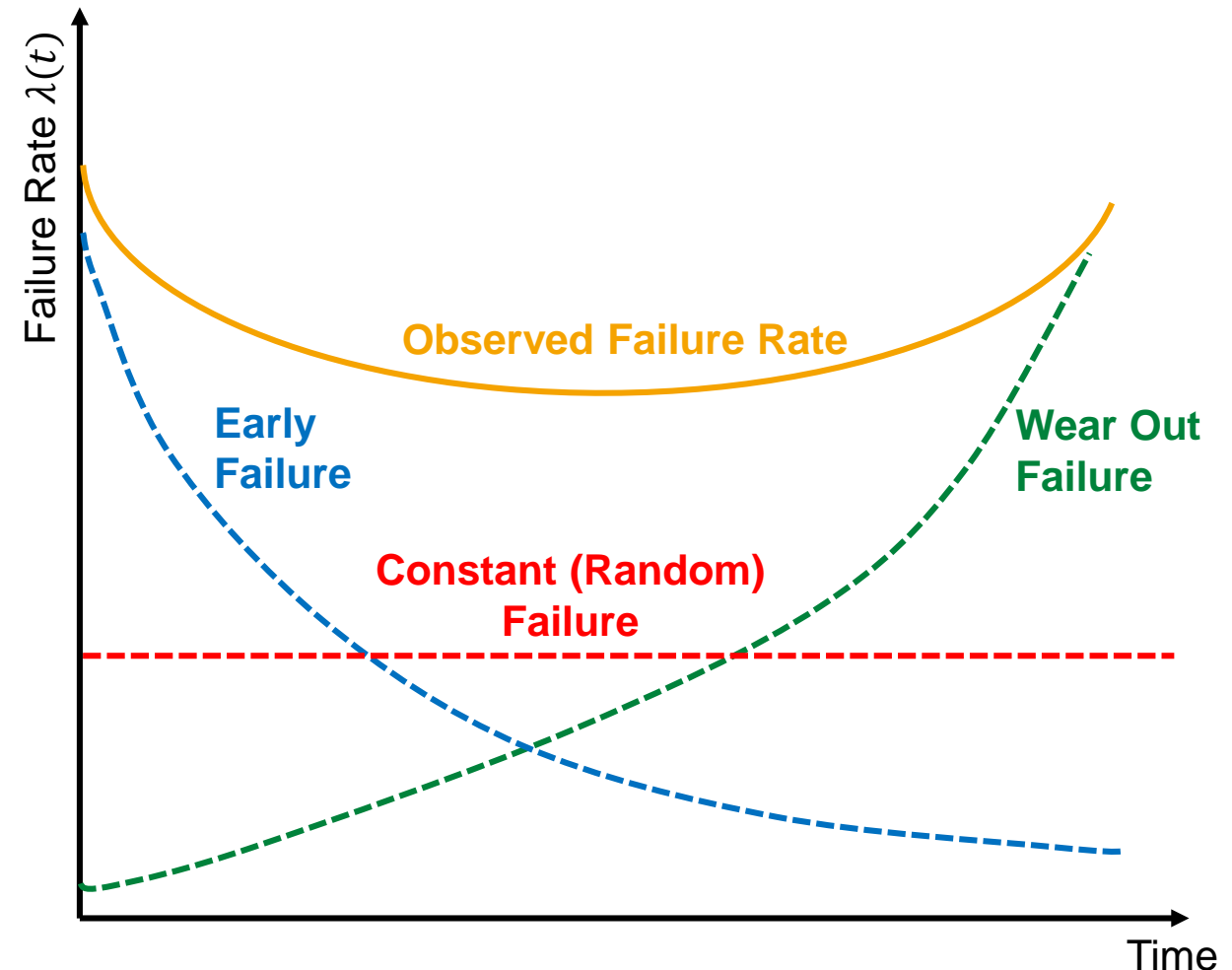
- Production quality
 - Wrong design
- Any component

■ Wear Out Failure

- Aging of a component
 - Degradation of component
- Typically mechanical components

■ Constant (Random) Failure

- Unpredictable cause
- Typically electronic components

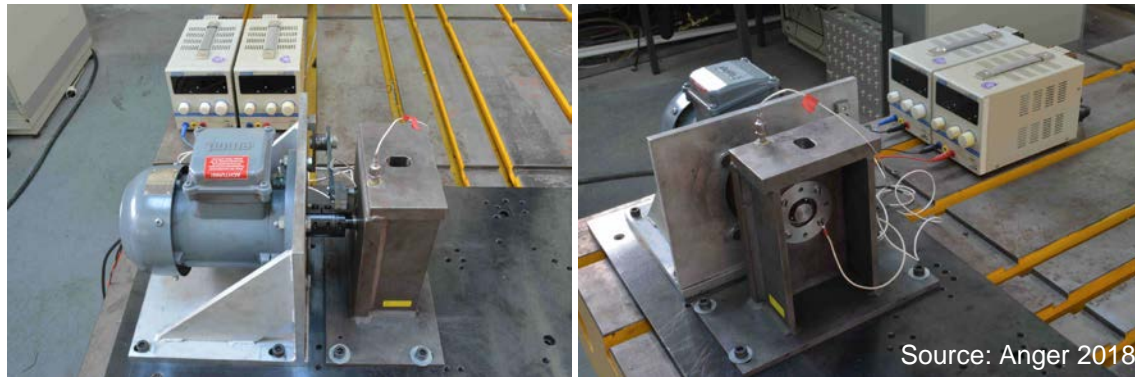


HOW TO ASSES A COMPONENT'S HEALTH

A test rig can be used to generate run-to-failure curves

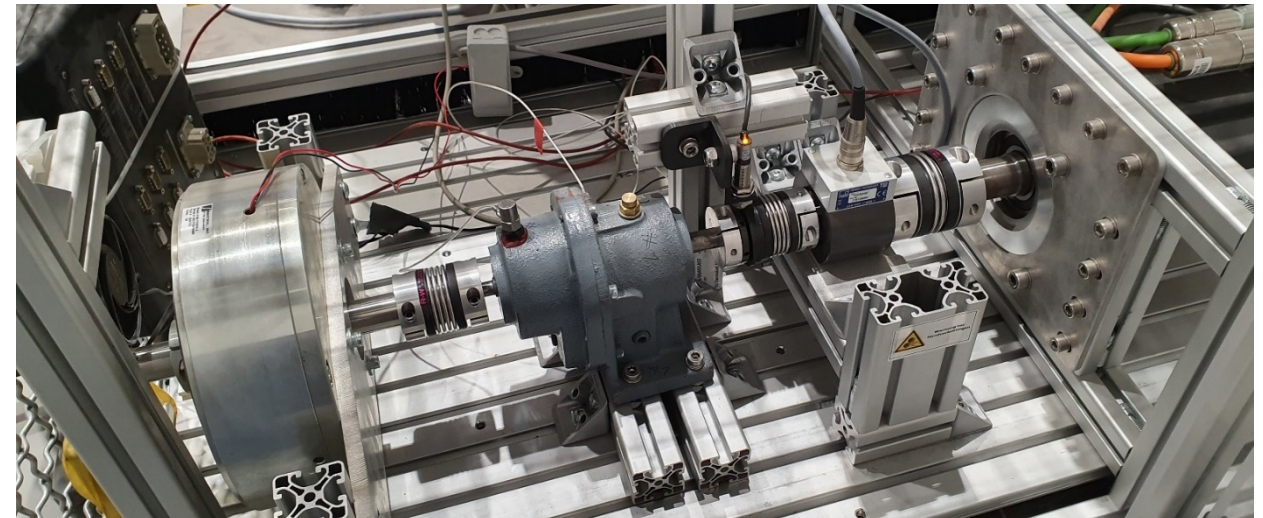
Bearing degradation

- Rotation from induction machine
- Current through bearing to accelerate degradation



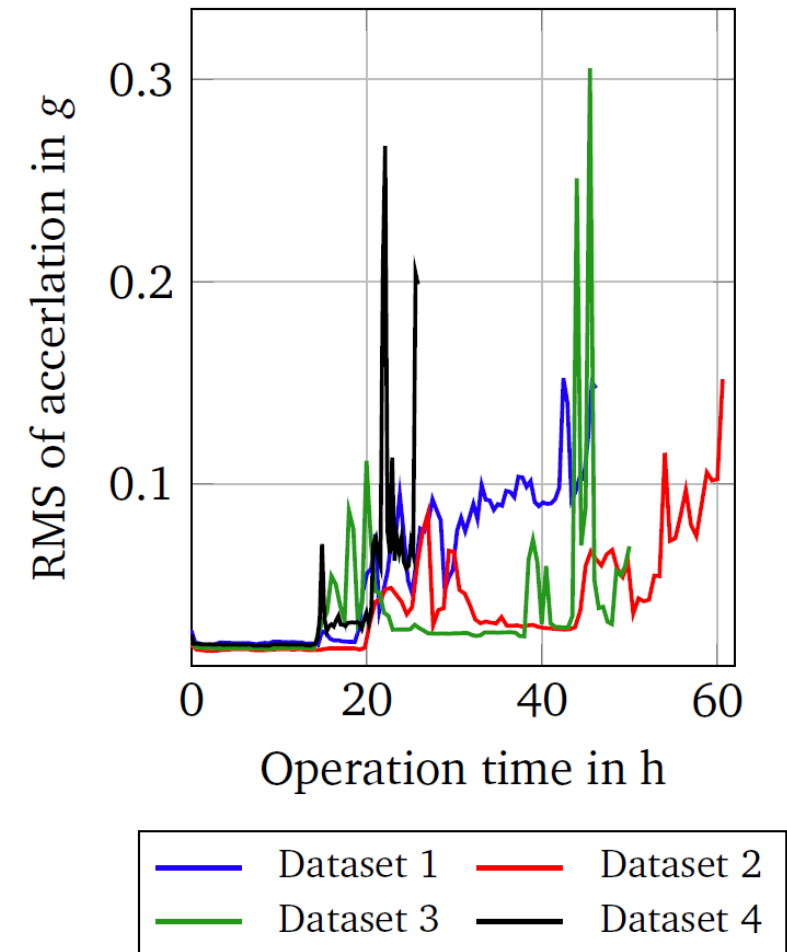
Gearbox degradation

- Motor for rotation
- Hysteresis brake to apply different loads



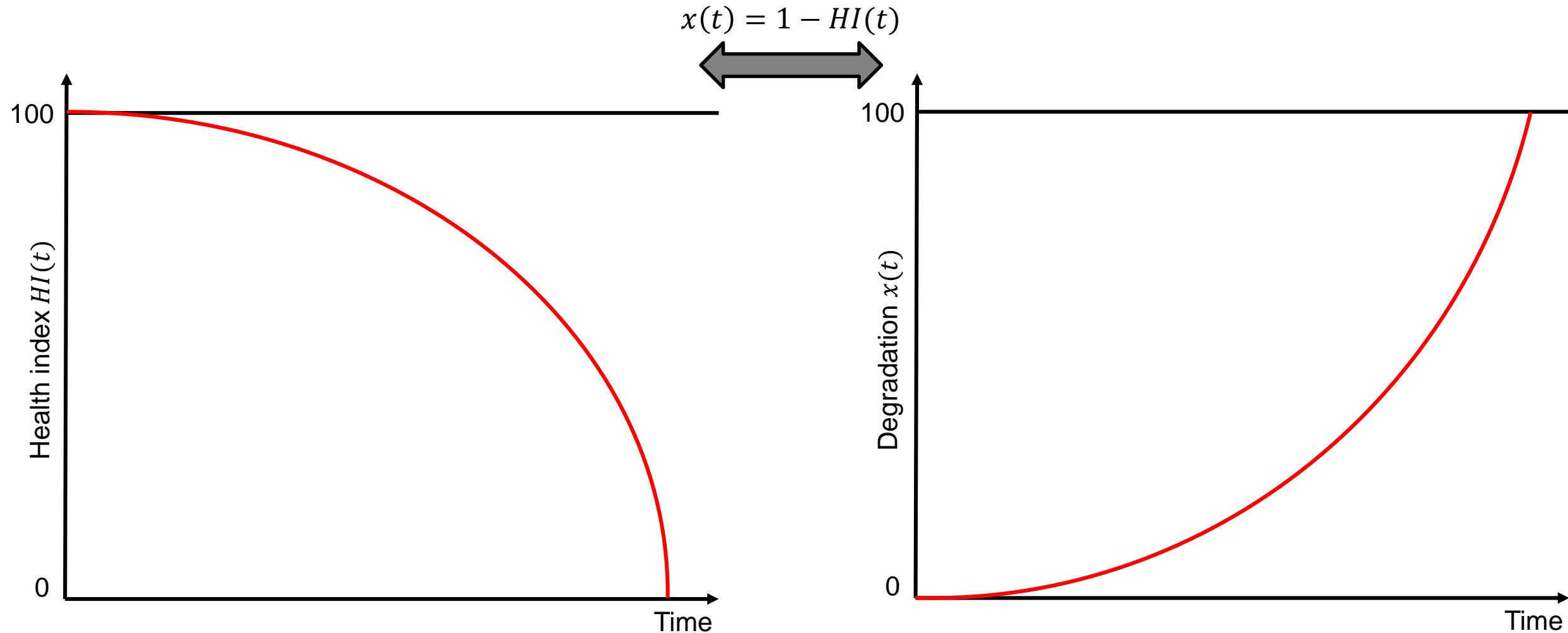
Different values of a feature may indicate a component's break down

- Operation time until breakdown differs between components
 - RMS value of acceleration might differ when component actually fails
 - RMS values might decrease again
→ pseudo repair
- Determine a component specific feature value baseline
- Normalize values to predefined range (e.g. $[0,1]$)



Source: Anger 2018

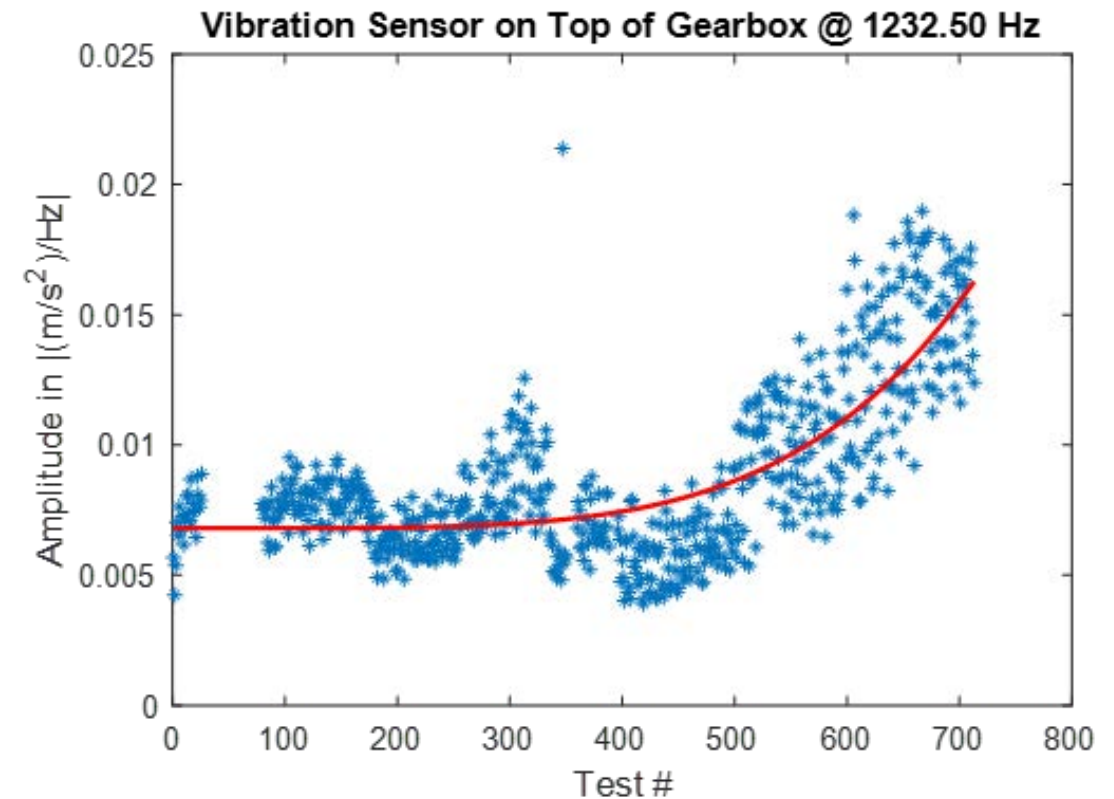
Health index or degradation value can be used to describe wear-out



HOW TO PREDICT A COMPONENT'S REMAINING USEFUL LIFE

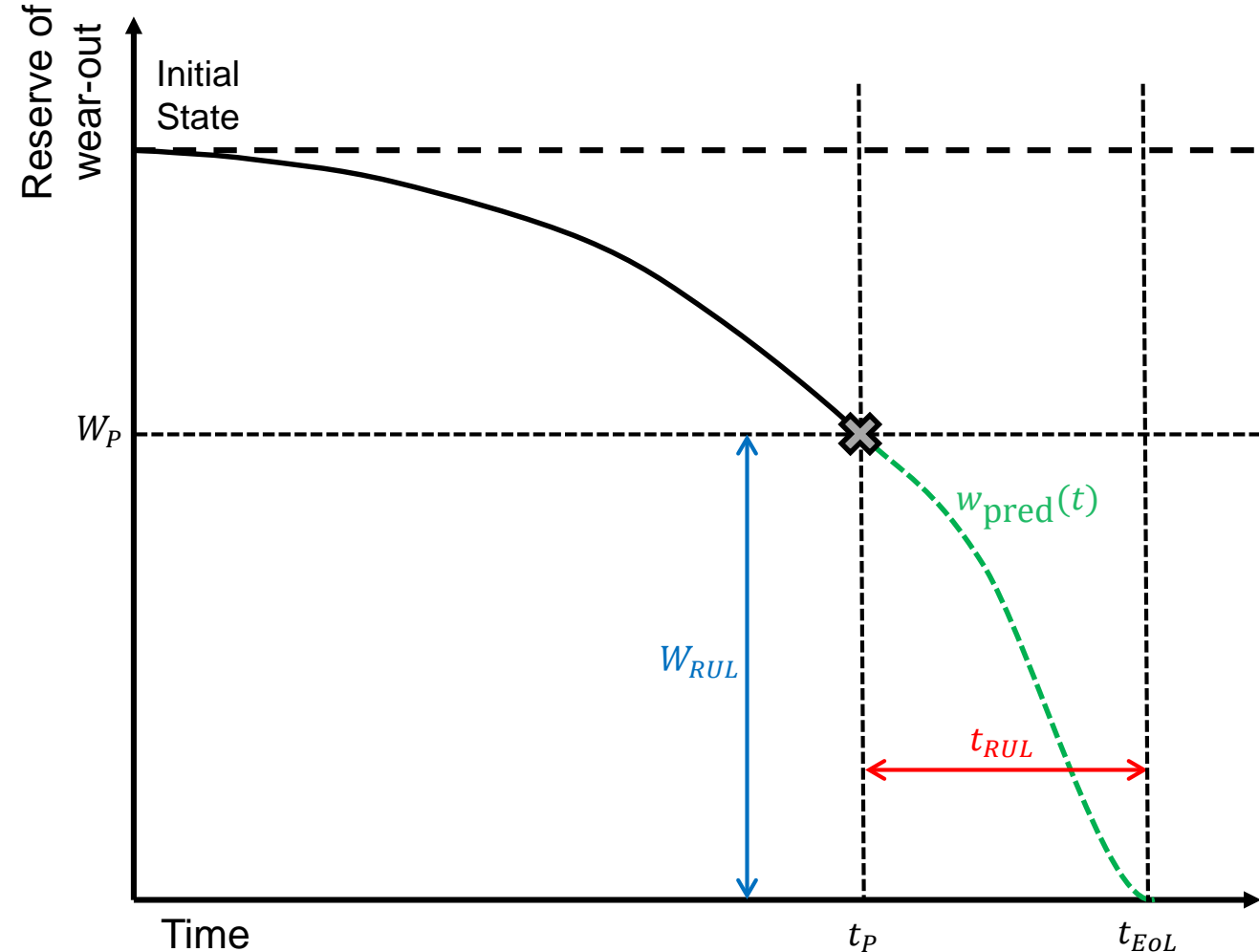
There are four assumptions that are ideally considered for prognosis

1. The monitored system **degrades** as a function of **use, time** and **environmental conditions**
2. The **aging** and **damage accumulation** is a **monotonic process**
3. Signs of **aging** are **visible before** the **failure** of the system occurs
4. Signs of **aging** can be **fitted** to a **model** to estimate the remaining useful life



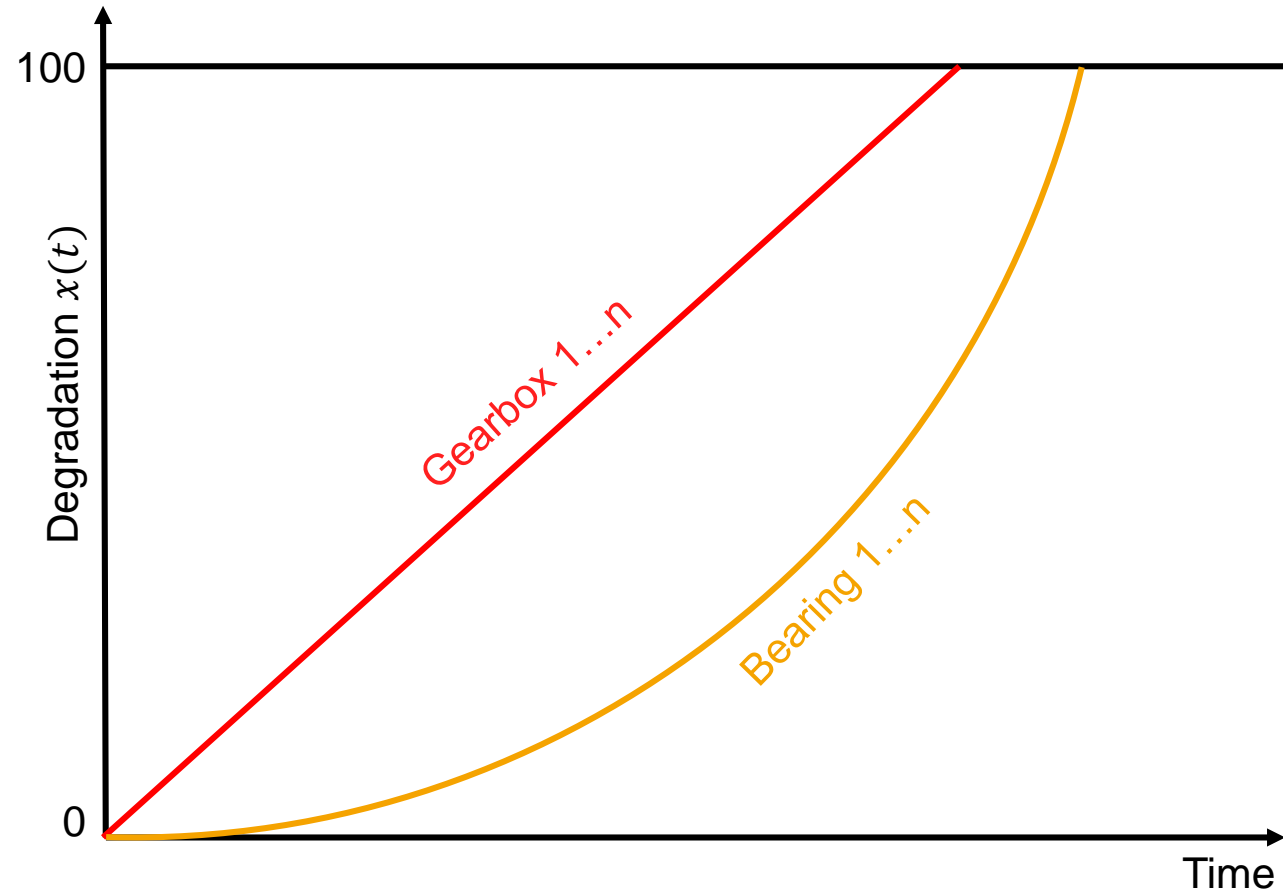
Remaining Useful Life describes the remaining wear out/time/... reserve

- Remaining Useful Life (RUL) can be interpreted in different ways
 - t_{RUL} remaining useful life-time
 - W_{RUL} remaining useful life-wear-out
- Use case dependent what to predict
 - t_{RUL} if you want to know the time until a component fails → most cases
 - $w_{pred}(t)$ if you want to know how the wear-out will develop over the time



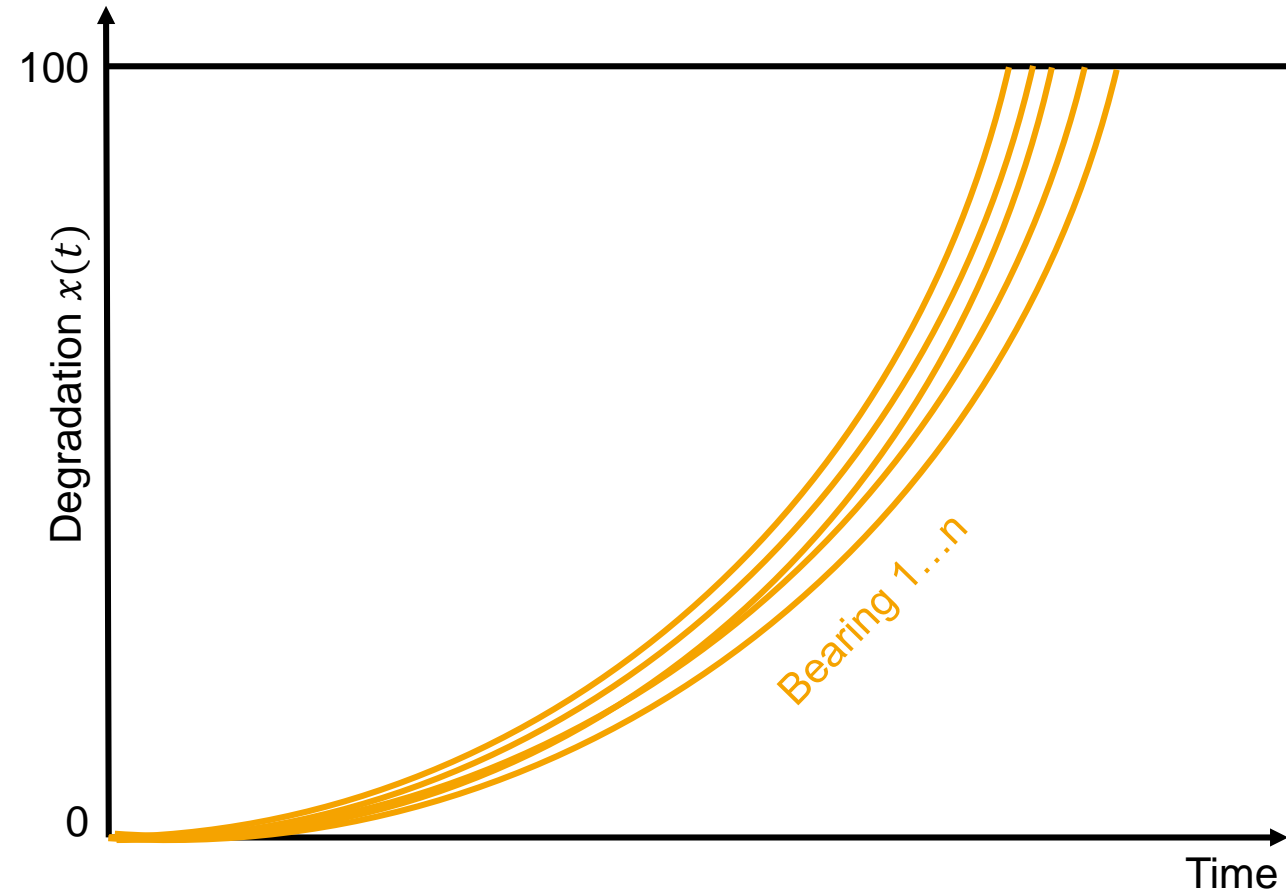
Regression that maps degradation solely over time is no prediction

- Simple regression when each component behaves in the same way
 - $x_1(t) = x_2(t) = \dots = x_n(t)$
 - It does not matter which type of function $x(t)$ represents (linear, exponential,...)
- ➔ Since all functions are the same, there is no real prediction model



Prognosis algorithm copes with different behavior of components

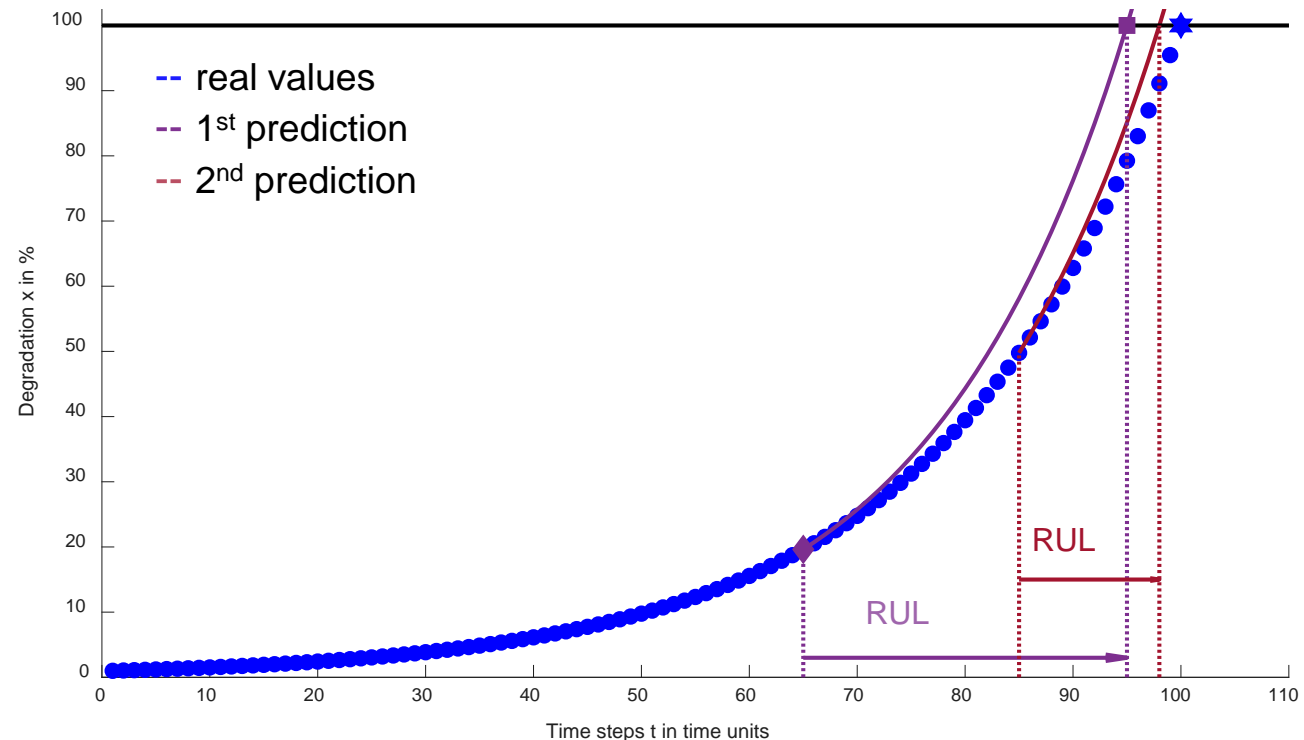
- Each gearbox degrades differently
 - $x_1(t) \neq x_2(t) \neq \dots \neq x_n(t)$
 - Prognosis algorithm has to incorporate further information
 - Component's degradation history
 - Further sensor values
- ➔ Since all functions differ, a *complex* model is necessary for prediction



Prognosis learns behavior of components and predicts at different time steps

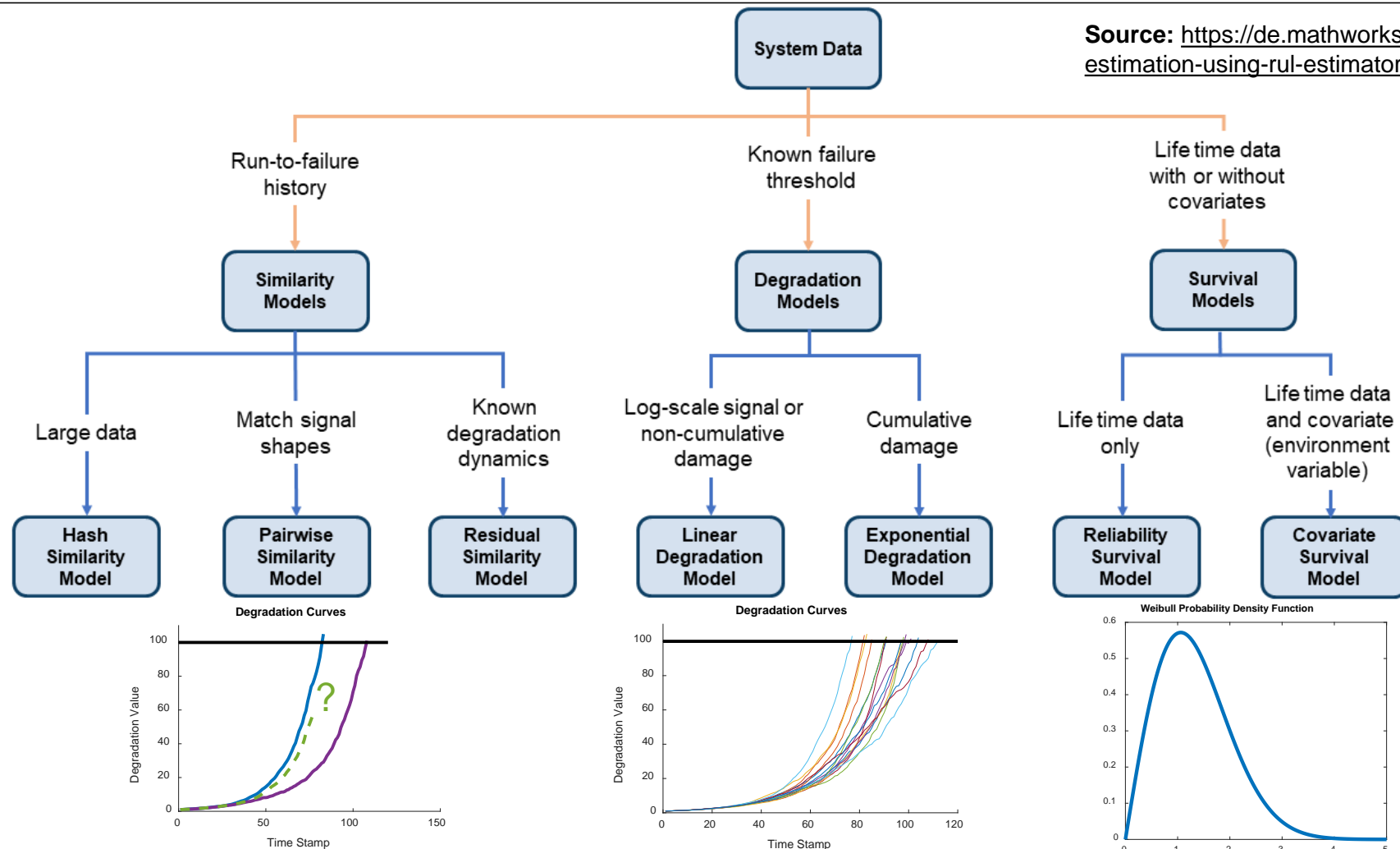
- Typically predictions are not accurate
- Typically later predictions tend to be closer to real end of life

★ t_{EoL} → End of life time (reality)
◆ t_p → Start time of prediction
■ t_{EoP} → End time of prediction



Different approaches according to available (historic) system data

Source: <https://de.mathworks.com/help/predmaint/ug/rul-estimation-using-rul-estimator-models.html>



Let's have a look on Gaussian Process Regression (GPR) mathematics

- Gaussian Distribution $N(\mu, \Sigma) \leftrightarrow$ Gaussian Process $GP(m(x), k(x, x'))$
- k is covariance function that is represented by a so called kernel function

$$k_{SE}(x, x') = e^{-1/2|x-x'|^2}$$

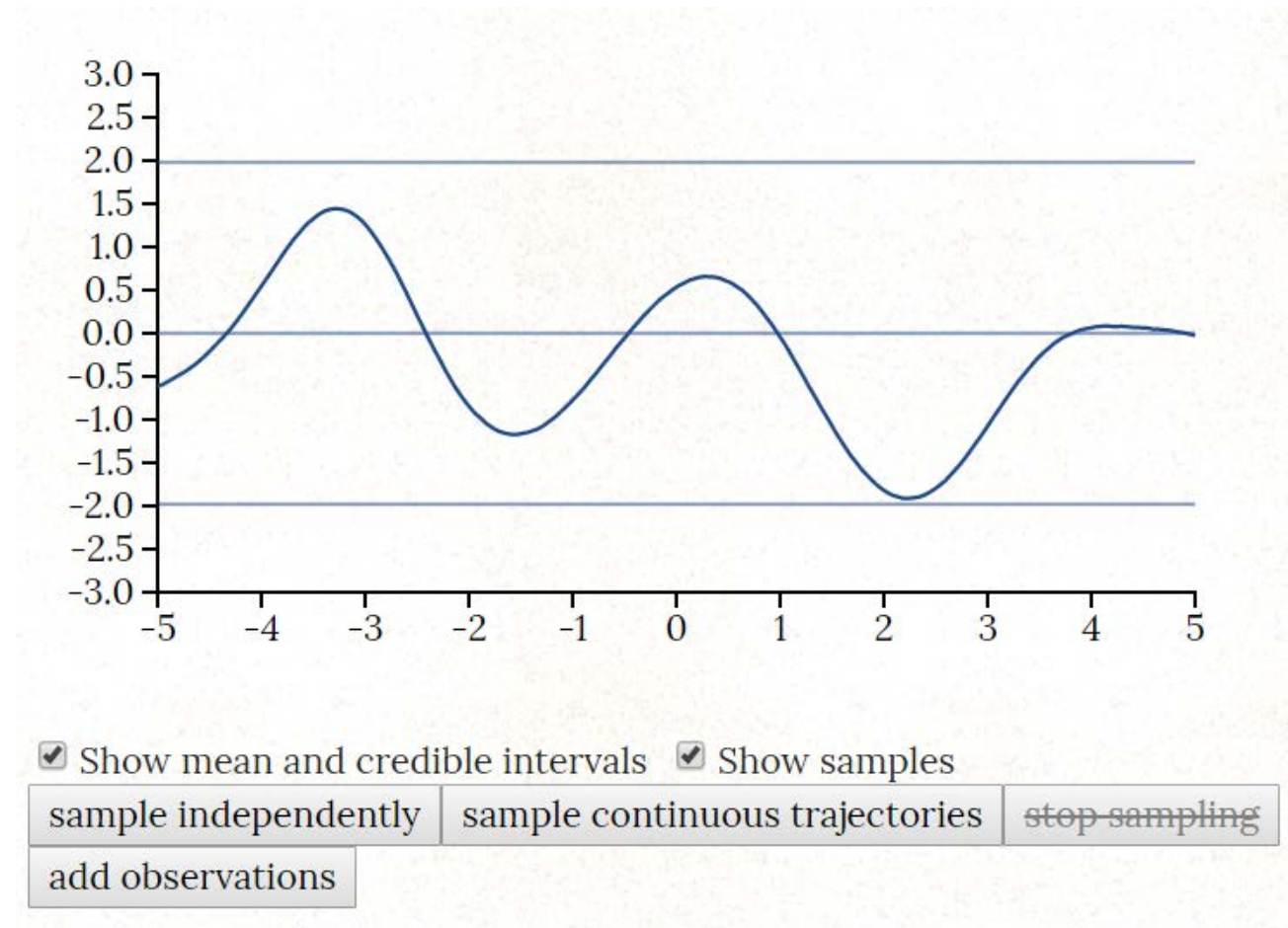
→ Gaussian Process is a random distribution of functions

→ Gaussian Process is non-parametric: inputs are compared to training data

$$f(x) := \text{observation} \qquad f_*(x_*) := \text{unknown}$$

$$\begin{pmatrix} f \\ f_* \end{pmatrix} \sim N \left(0, \begin{pmatrix} k(x, x) & k(x, x_*) \\ k(x_*, x) & k(x_*, x_*) \end{pmatrix} \right)$$

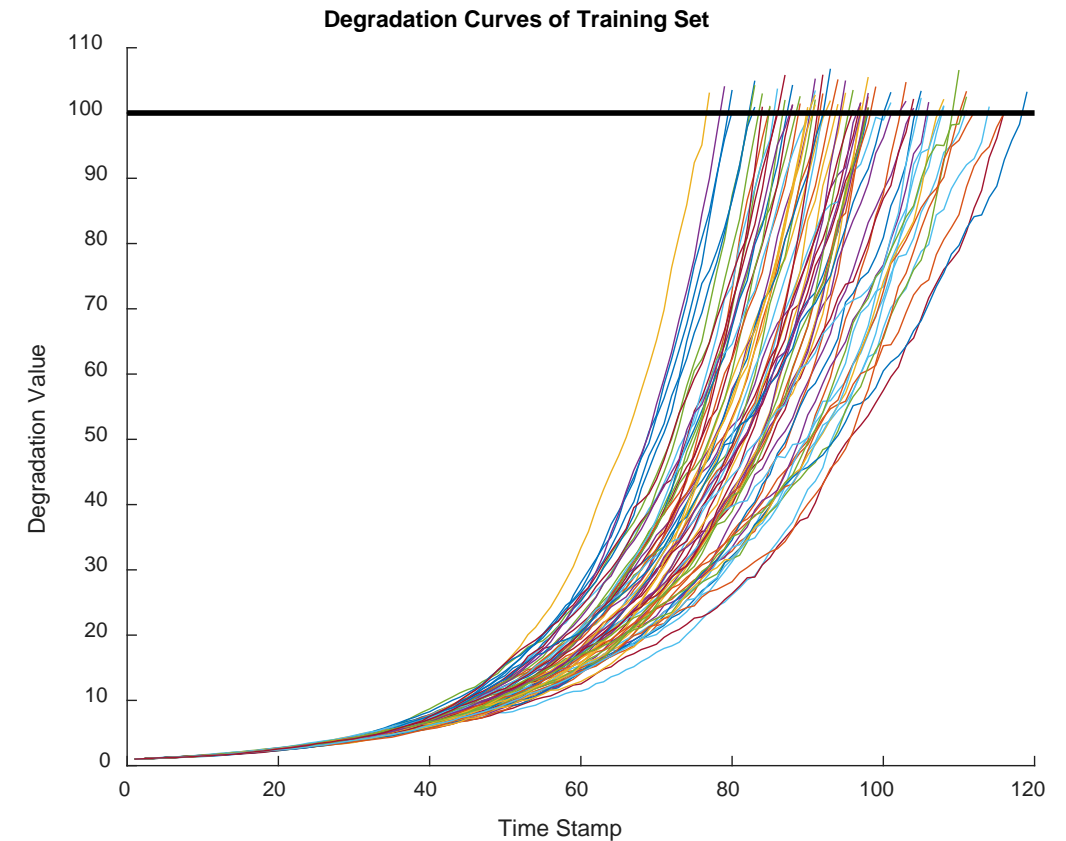
Let's see a demonstration of GPR fitting process



<http://www.tmpl.fi/gp/>

The GPR is applied to a simple degradation prognosis

- Random exponential degradation curves with noise
- Fit a gaussian process regression that has as input:
 - Current degradation: $x(t_k)$
 - Last degradation: $x(t_{k-1})$
 - Second last degradation: $x(t_{k-2})$and outputs:
 - Next degradation: $x(t_{k+1})$

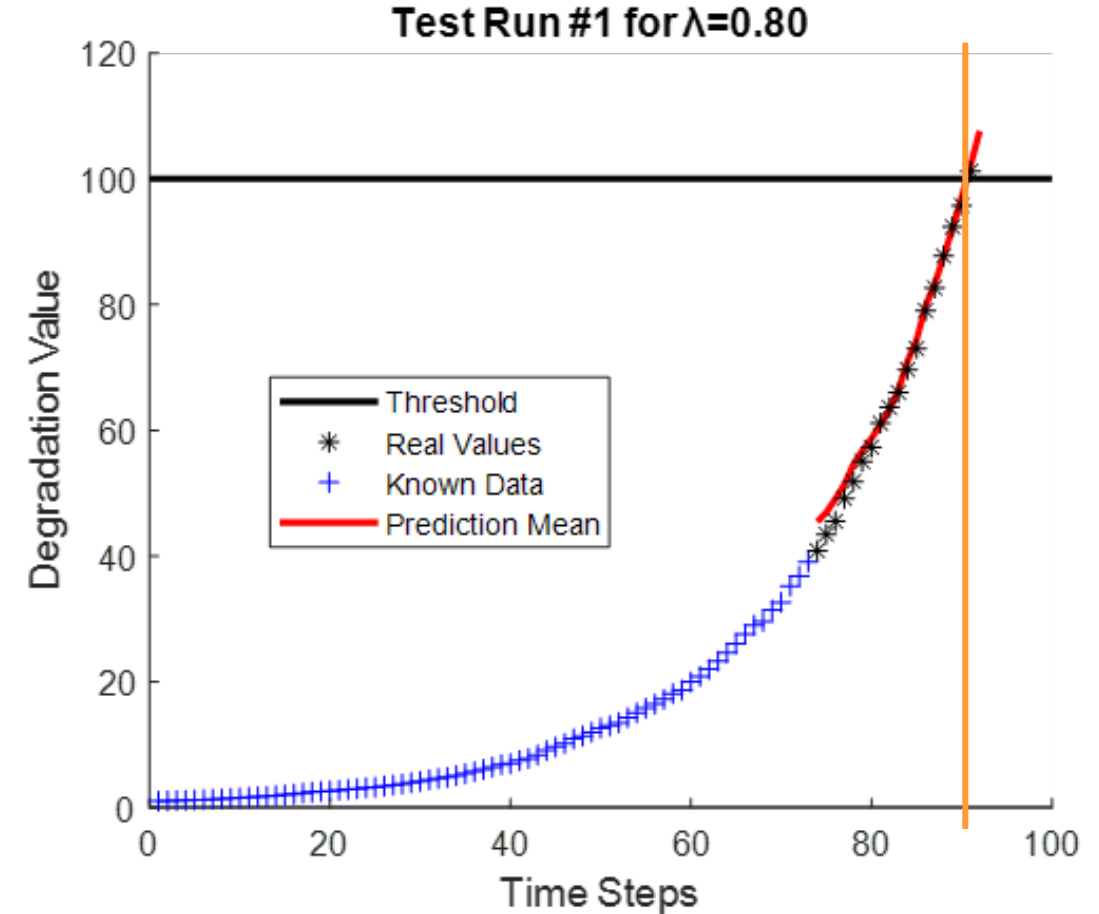
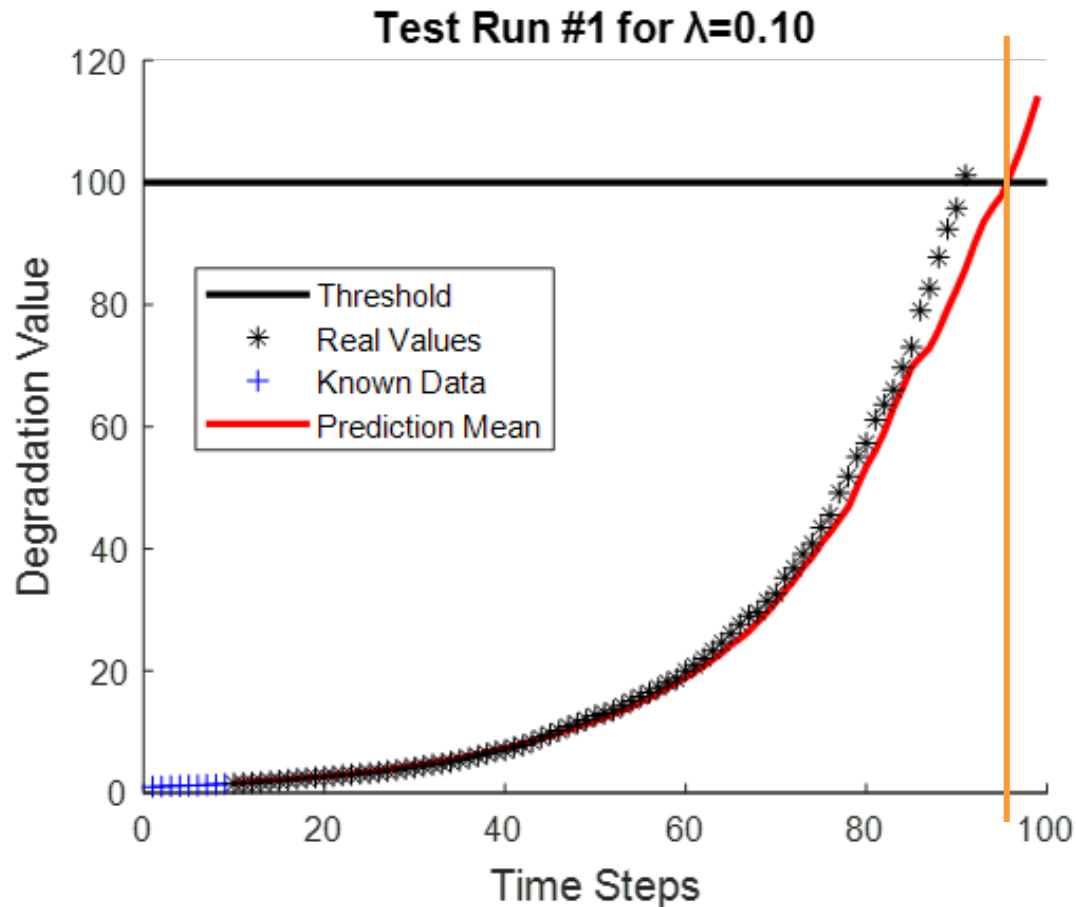


In MATLAB you need only one command to train a GPR

➔ Let's have a look into MATLAB

```
fitrgp(table2array(SimData.train.gprInputTable),SimData.train.gprOutputTable.nextDeg,...  
        'FitMethod','sd',...  
        'PredictMethod','exact',...  
        'KernelFunction',conf.gpr.KernelFunction,...  
        'BasisFunction',conf.gpr.BasisFunction,...  
        'Verbose',conf.gpr.verbose);
```

Exemplary results of an iterative GPR prediction until threshold is reached



UNCERTAINTY IN PREDICTION

A look into the future never gives a certain answer

- Phenomena of any prognosis like weather forecasts, stock forecasts, etc.
- Input uncertainty
 - Material properties → the reason to test more than one component
 - Initial or boundary conditions → the environment has an influence
 - Sensor uncertainty → the reason for sensor calibration
- Discretization uncertainty
 - Time steps (sample rate) → real world is continuous – information between samples is lost
 - Floating-point number precision → conversion of analog values to discretized values
- Model uncertainty
 - Representation of the real world problem → algorithm output vs. real world output

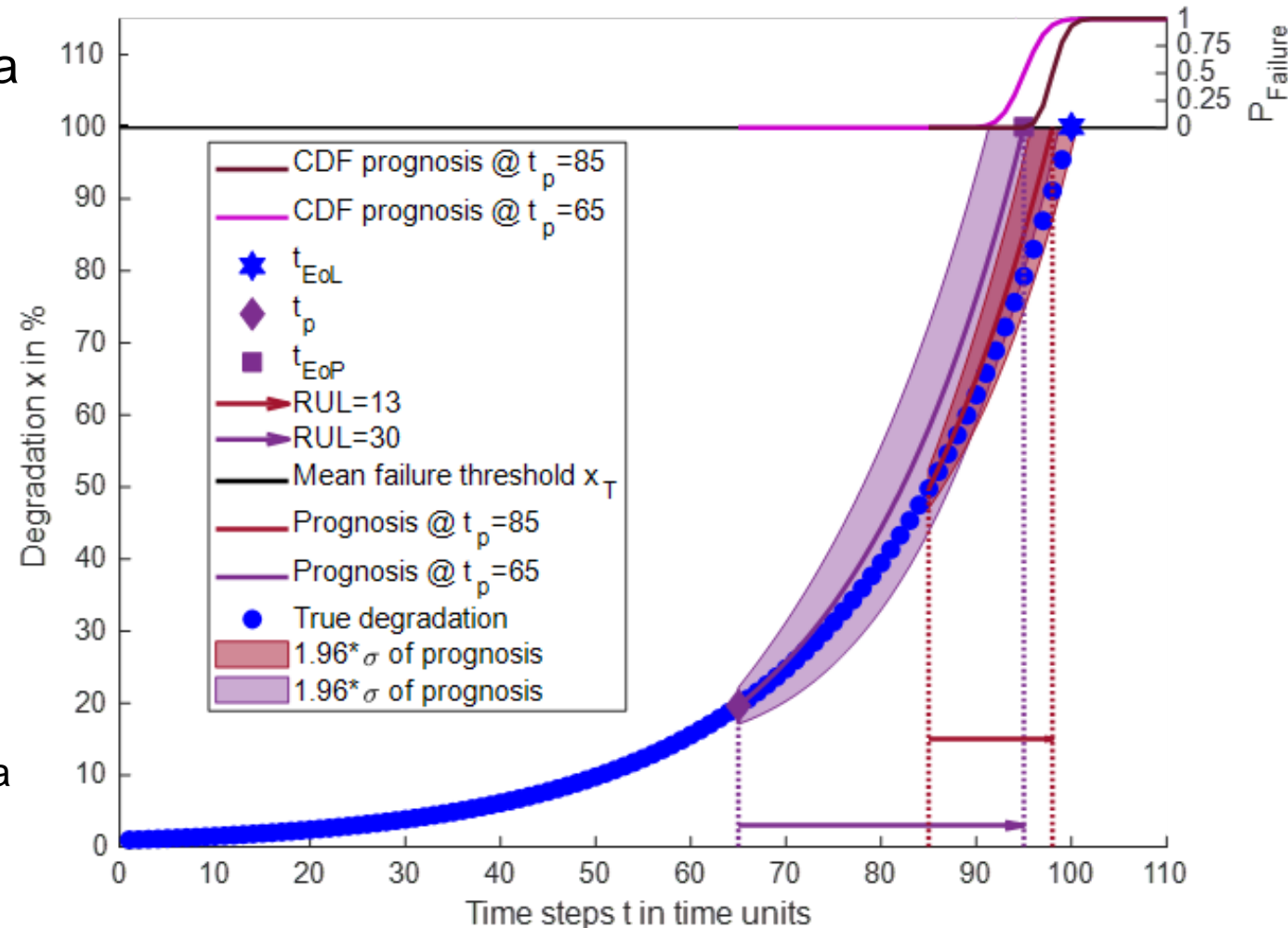
Each prognosis needs to be expressed as a probability

- Each prognosed degradation at time t_k is a probability distribution for $x(t_k)$
- The probability of failure is expressed as a cumulative distribution function (CDF)

→ Reaching the threshold at time t_k is given with a probability

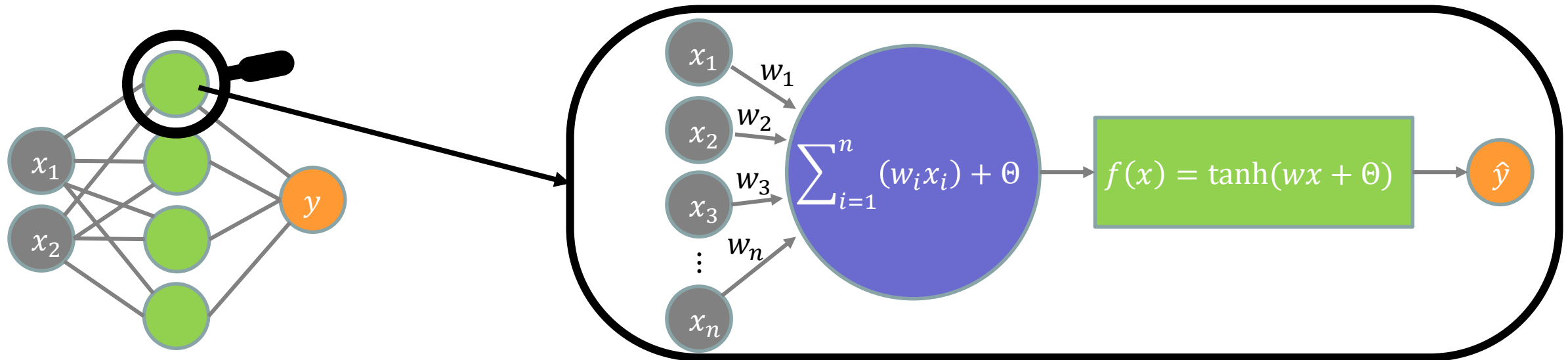
→ How to calculate the RUL?

- Mean of CDF reflects the expectation value of discrete distribution
- Median of CDF reflects a probability of 50 % that a component will have failed until that time
- Specify a distinct probability value for the CDF

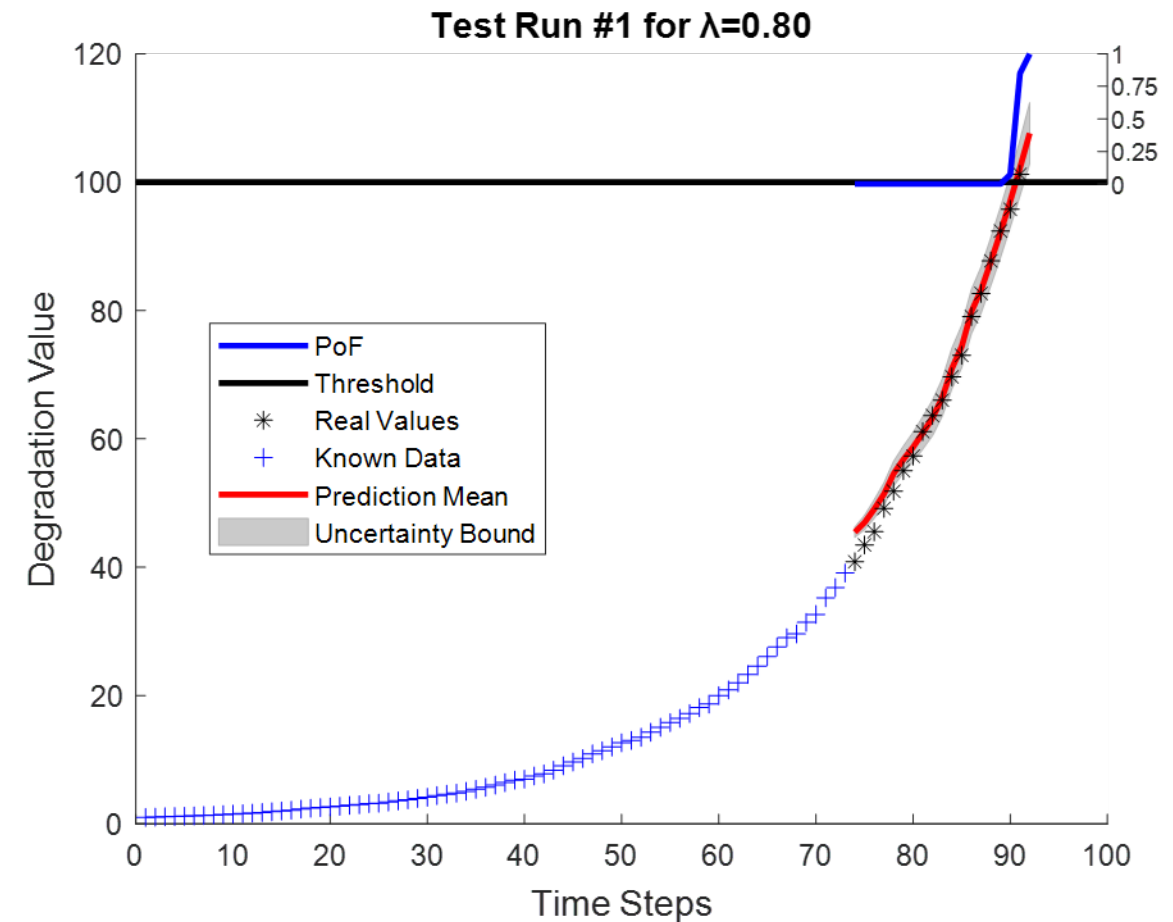
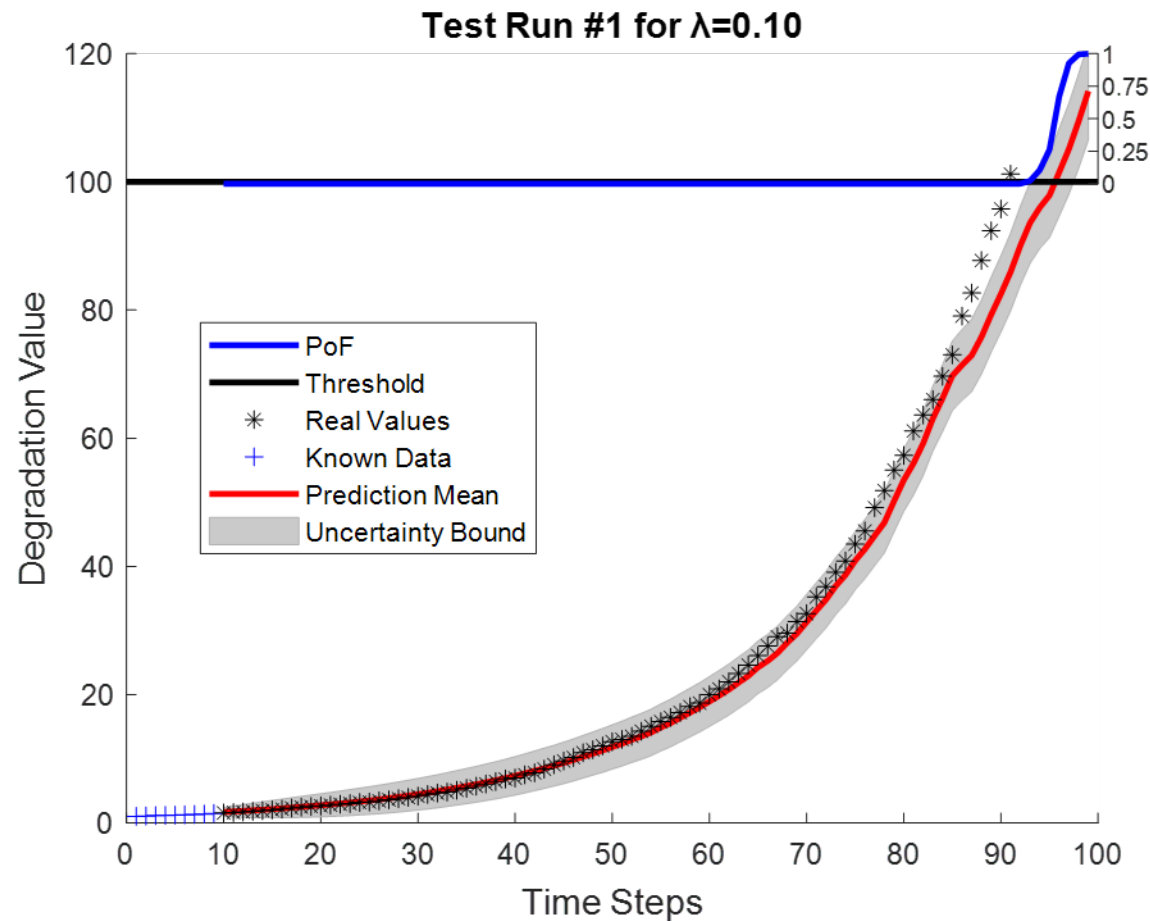


GPR inherently outputs an uncertainty boundary, but not all methods do

- Covariance function delivers uncertainty $\begin{pmatrix} f \\ f_* \end{pmatrix} \sim N \left(0, \begin{pmatrix} k(x, x) & k(x, x_*) \\ k(x_*, x) & k(x_*, x_*) \end{pmatrix} \right)$
 - Not all methods output uncertainty
- Use additional methods: Bootstrapping, Particle Filter, Monte Carlo,...



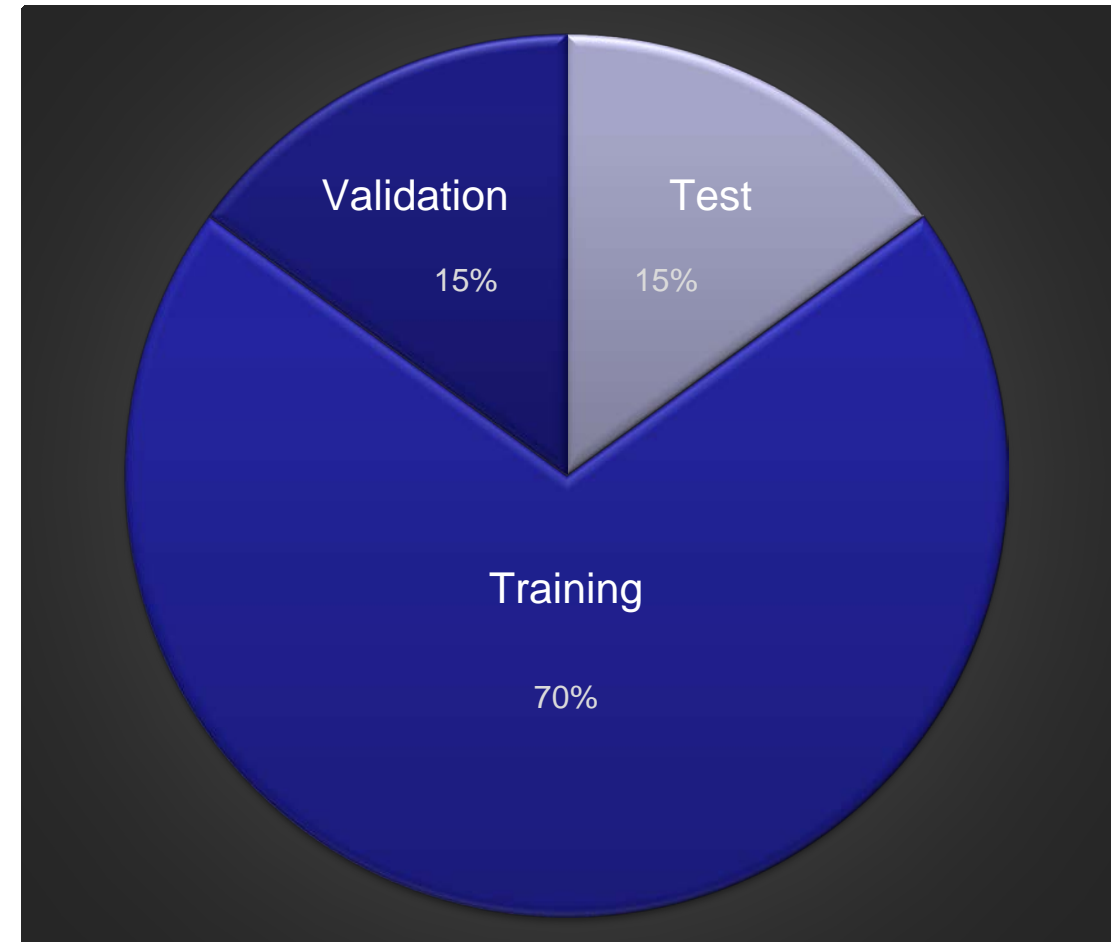
The same degradation curves as previously but with uncertainty



HOW TO EVALUATE THE PROGNOSTIC PERFORMANCE

The dataset is split into training, validation and testing

- **Training:** the data that is used to train an algorithm (e.g. Neural Network)
- **Validation:** the data that is used to optimize the parameters
- **Test:** the data that is used to test the trained model – never seen by the algorithm before



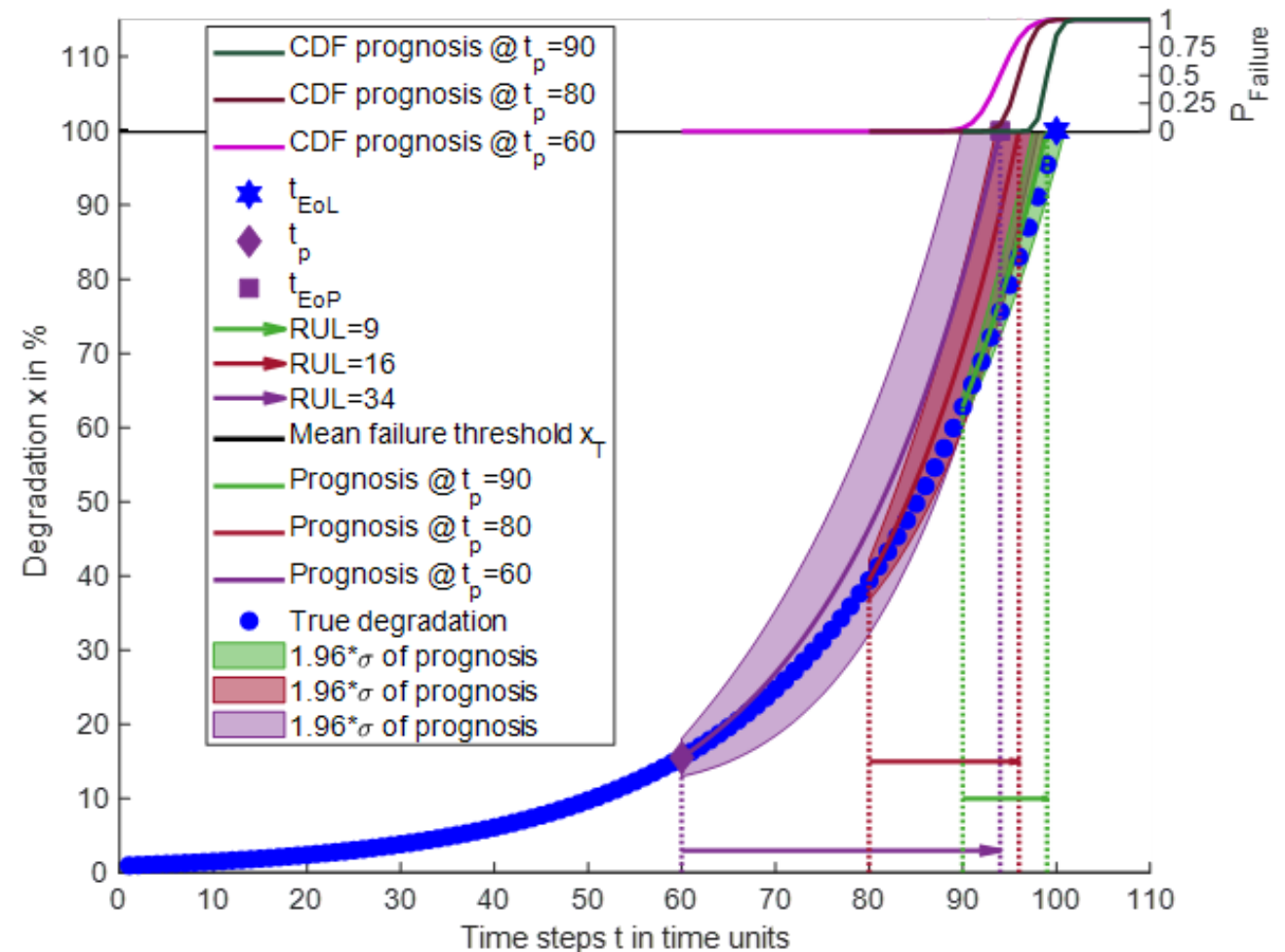
Test data is used to predict from different time steps

- For simplification and comparison reason normalized time steps are used

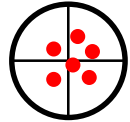
$$\lambda = t_P / t_{EoL}$$

- Normalization equalizes the different lifetimes
- Typical values are

$$\lambda = 0.1, 0.2, \dots, 0.9$$



Different performance metrics exist to compare prognostic's accuracy and precision



Accuracy based metrics

- **Error** $\Delta(i) = r_*(i) - r(i)$

$r(i)$: RUL estimate at time t_i

$r_*(i)$: True RUL at time t_i

→ represents the deviation

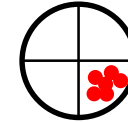
- **Mean absolute percentage error**

$$MAPE = \frac{1}{N} \sum_{i=1}^N \left| \frac{100\Delta(i)}{r_*(i)} \right|$$

→ unit free metric

→ weighs small errors differently to big errors

→ heavier penalty on forecasts that exceed the actual than on those that are less



Precision based metrics

- **Sample standard deviation**

$$SSD = \sqrt{\frac{\sum_{i=1}^N (\Delta(i) - \mu_{\Delta})^2}{N-1}} \quad \text{with } \mu_{\Delta}: \text{mean of errors}$$

→ measures dispersion/spread of the error

→ normal distribution is assumed

- **Mean absolute deviation**

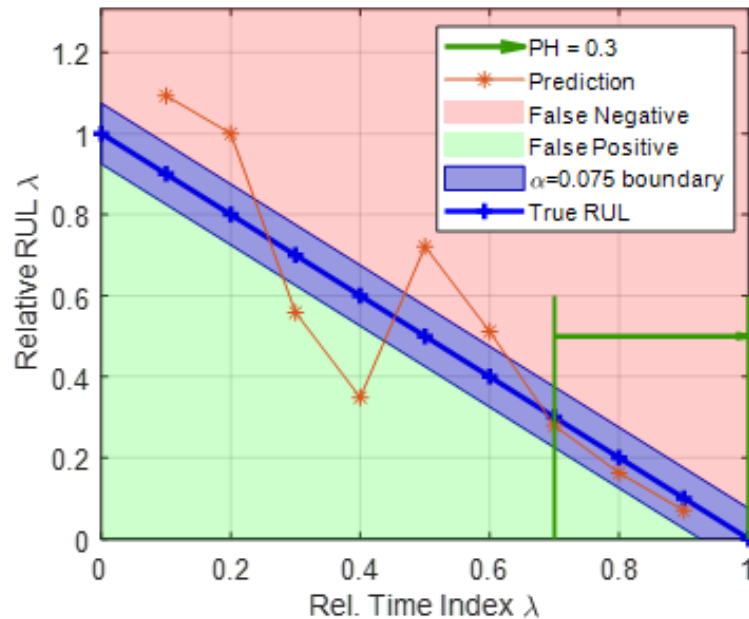
$$MAD = \frac{1}{N} \sum_{i=1}^N |\Delta(i) - \text{median}(\Delta(i))|$$

→ estimator of dispersion/spread of the error

→ can be used for small number of data

Different performance metrics exist to compare prognosis results

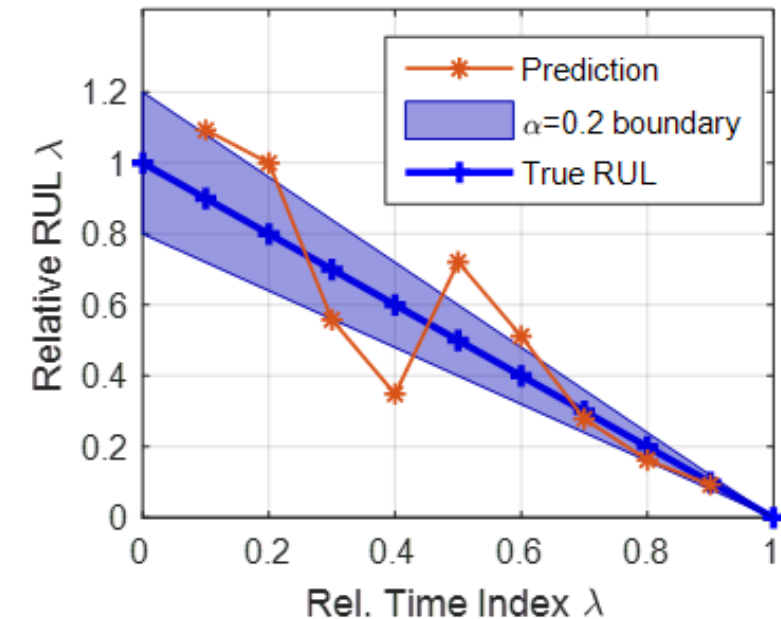
Prognostic Horizon



→ $1 - \lambda$ when the predictions stay inside boundary

- **False Positive:** unacceptable early predictions
- **False Negative:** unacceptable late predictions

$\alpha - \lambda$ Accuracy

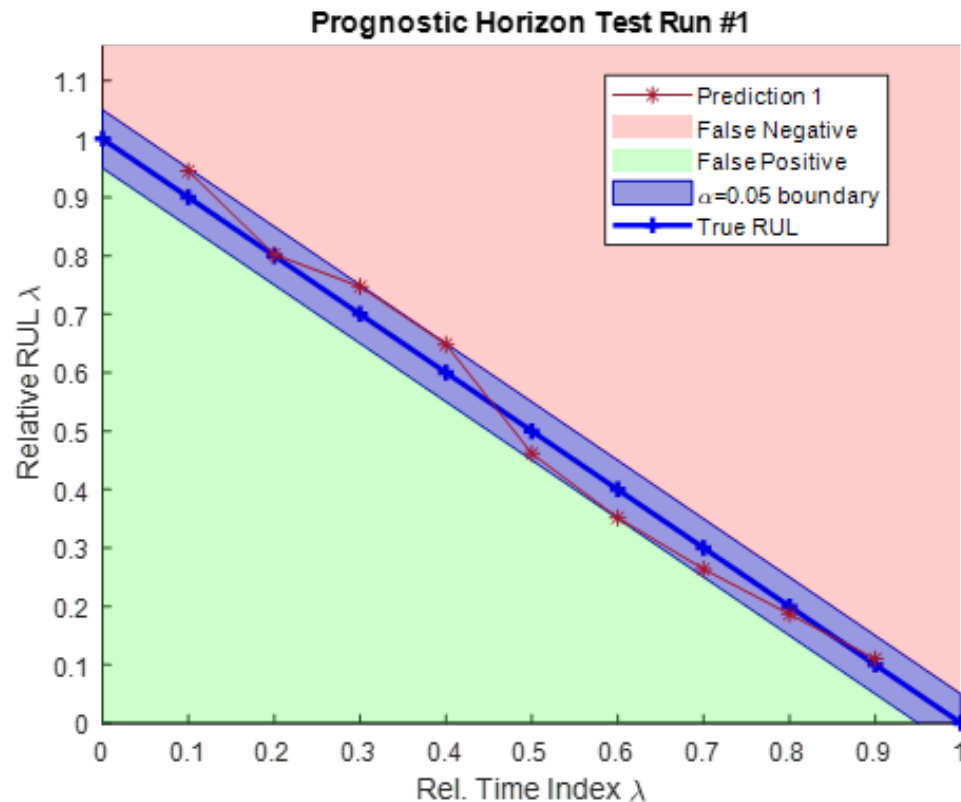


→ Similar to Prognostic Horizon metric

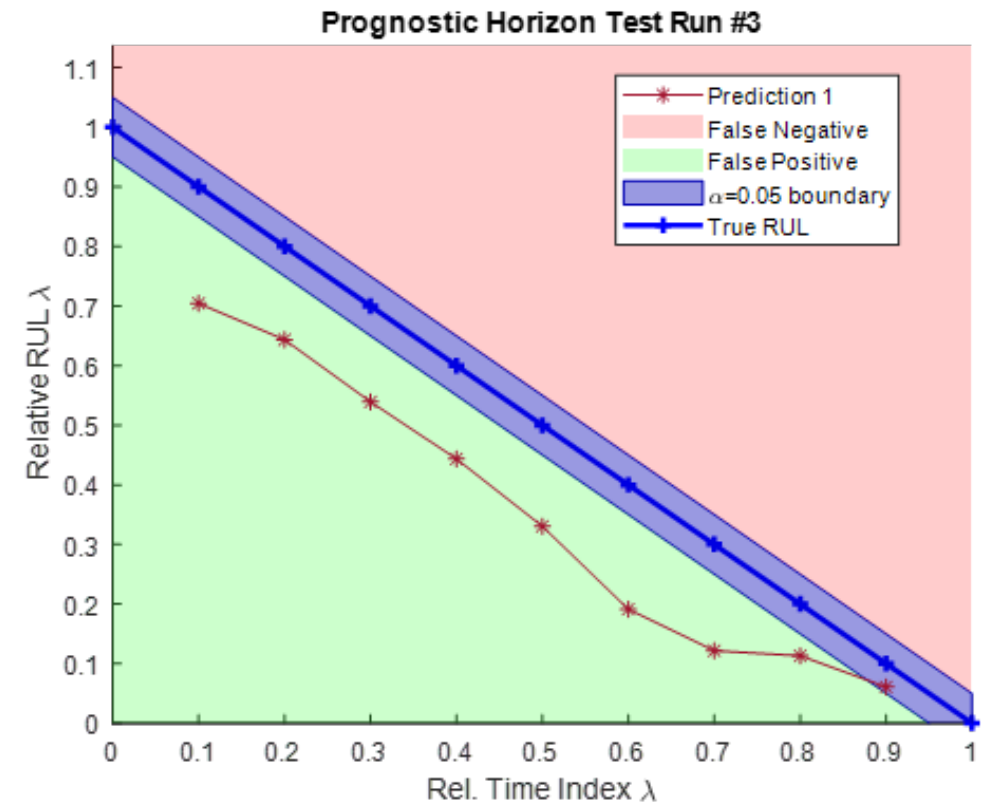
→ Cone shape penalizes big errors for later predictions

→ Cone shape considers convergence

The performance of predictions can vary between test runs



- Accurate prediction (PH = 0.5)
- Good result



- Prediction is inaccurate (PH = 0.1)
- Bad result
- **Safe result** (False Positive)

The function *predict* in MATLAB performs a prediction step

➔ Let's have a look into MATLAB

```
%% do the prediction
[y_predict(end+1,:), y_predictStdCurr] = predict(gprMdl.gprMdl,x_predict(end,:));
%% add up the variance of the prognosis
if isempty(y_predictStd)
    y_predictStd(1,:) = sqrt(y_predictStdCurr.^2 + conf.prog.baseStd.^2);
else
    y_predictStd(end+1,:) = sqrt(y_predictStd(end,:).^2 + y_predictStdCurr.^2);
end
```

CHALLENGES IN REAL WORLD APPLICATION

Prediction in laboratory environment is easier than in real world application

Laboratory environment

- Run-to-failure → accelerated degradation
- Controlled environment
- Different algorithms developed and approved



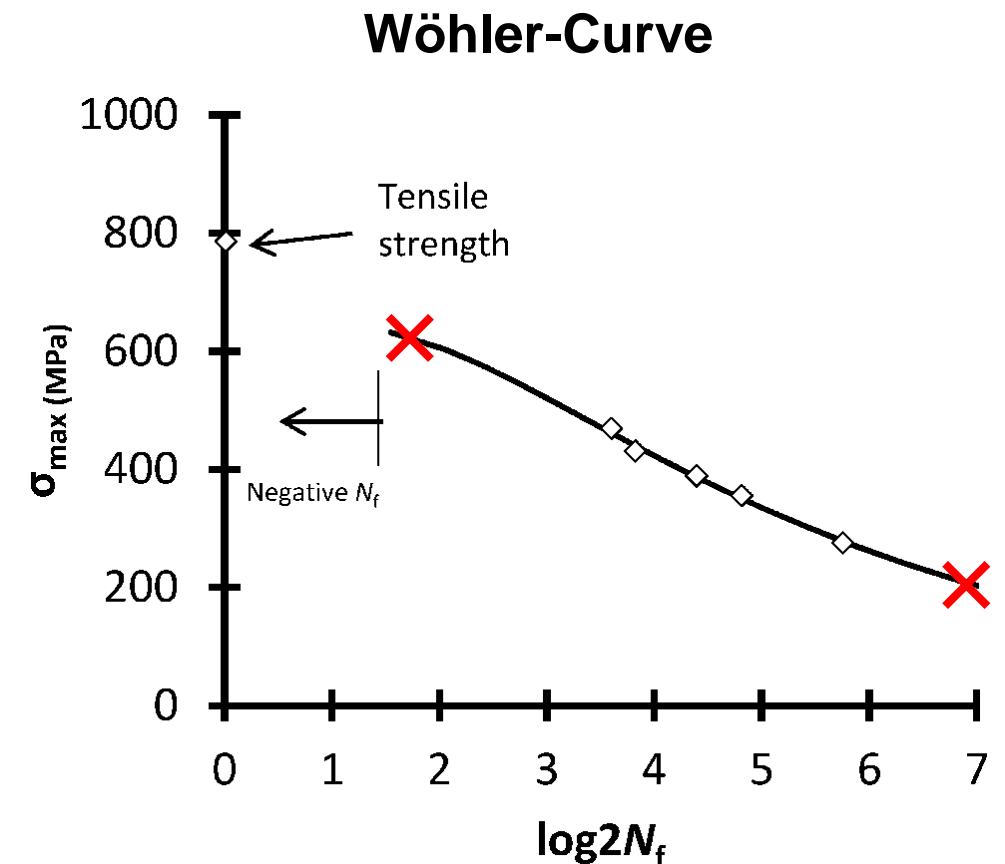
Real environment

- No run-to-failure → limited data
- Environmental influences (vibration, weather,...)
- Algorithm transfer from labor is challenging



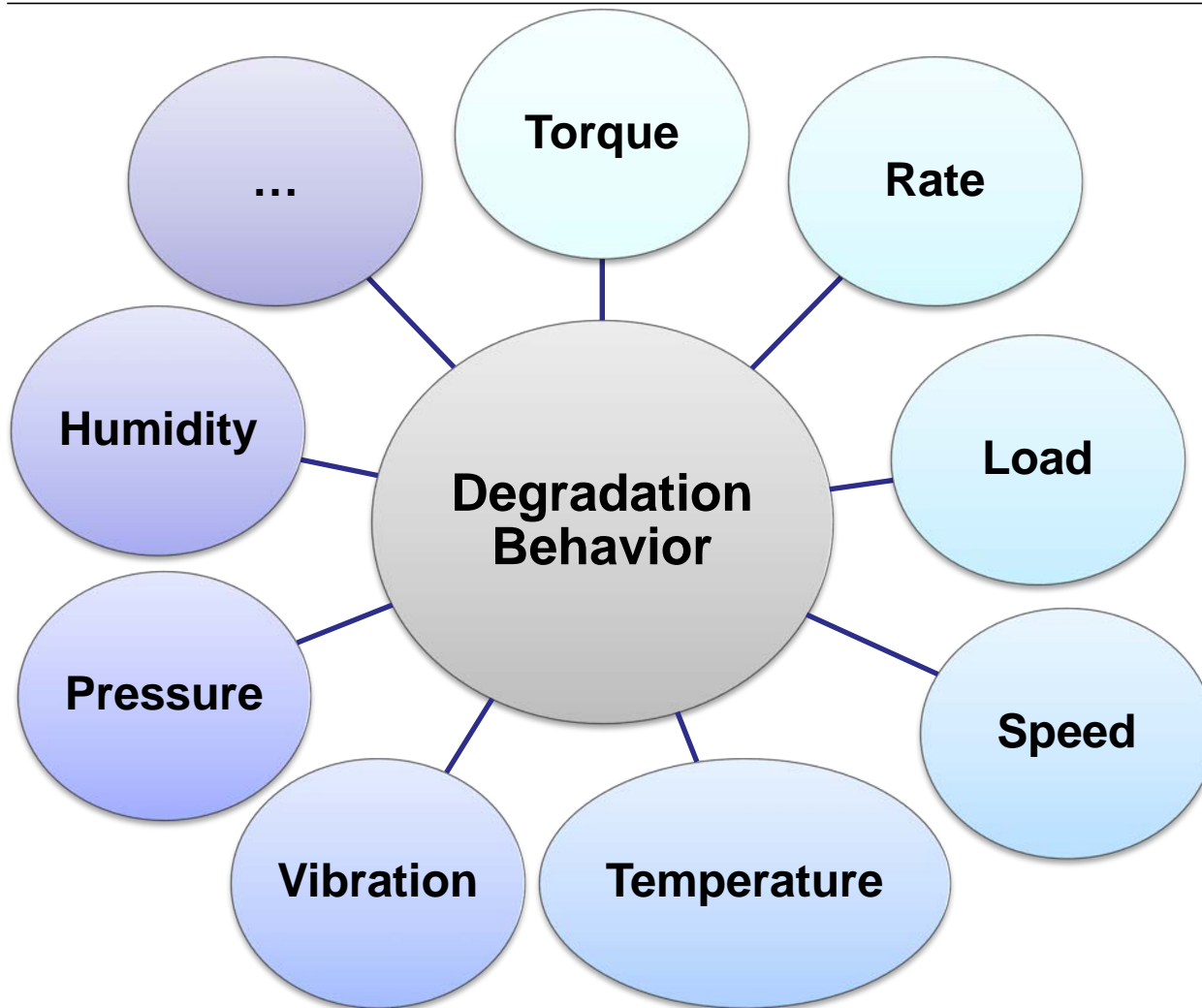
The higher the load, the higher the wear and vice versa

- Applied load determines the maximum number of cycles
- Well known from typical robustness models
 - Wöhler curve
 - Miner's rule
 - ...



Source: Burhan 2018

There is a wide range of parameters that can effect degradation



- Parameter's relevance depends on usage scenario
- In case influence of parameter variation should be considered, additional measurement is required
- Planned conditions need to be known for a degradation prediction

What to take with you?

LEARNING OUTCOMES

- Prognosis only makes sense for components that show degradation behavior
- Creating a Health Indicator can be challenging
- RUL is typically interpreted as a time
- Different approaches are available to predict the RUL / degradation
- Consideration of the uncertainty is essential
- There are common metrics that can be used to evaluate the prognosis performance
- Application of prognosis algorithms in real world environment is challenging

- ISO-13374-1 Condition monitoring and diagnostics of machines — Data processing, communication and presentation — Part 1: General guidelines
- <http://www.mimosa.org/mimosa-osa-cbm/>
- DIN EN 13306 – Instandhaltung – Begriffe der Instandhaltung
- DIN 31051 – Grundlagen der Instandhaltung
- Carl Edward Rasmussen and Christopher K. I. Williams, The MIT Press, 2006 (<http://www.gaussianprocess.org/gpml/>)
- Dewey, H. Heath and DeVries, Derek R. and Hyde, Scott R.: Uncertainty Quantification in Prognostic Health Management Systems; 2019 IEEE Aerospace Conference
- A. Saxena and J. Celaya and E. Balaban and K. Goebel and B. Saha and S. Saha and M. Schwabacher: Metrics for evaluating performance of prognostic techniques; 2008 International Conference on Prognostics and Health Management
- A. Saxena and J. Celaya and B. Saha and S. Saha and K. Goebel: Evaluating algorithm performance metrics tailored for prognostics; 2009 IEEE Aerospace conference
- Christoph Anger: Hidden semi-Markov Models for Predictive Maintenance of Rotating Elements; PhdThesis 2018; TU Darmstadt
- I. Burhan and H. S. Kim, “S-N Curve Models for Composite Materials Characterisation: An Evaluative Review,” Journal of Composites Science, vol. 2, no. 3, 2018.
- S. Uckun, K. Goebel, and P. J. Lucas, “Standardizing research methods for prognostics,” International Conference on Prognostics and Health Management, 2008.

