

# Office Hours

CS-151

Define Activity Structure

- Description, Day-of-Week-  
Location

(define-type Calendar (Listof Activity))

Activity is a list

List of integers

(define my-list (list 2 3 4 5))

(: act1: Activity)  
(define act1 (Activity "class1" 'Monday

(: act2: Activity) "online" ))

(define act2 (Activity "class2"

'Wednesday

"online" ))

Create Point with

↑↑ these values

(define my-point (Point 1.0 2.0))

↓  
constructor

(define cs-151 (list act1 act2  
act3 act4))

(define cs-1s) (list (Activity "class"))

Problem 2:

T is a tree

max-free-descendant height

$(T) = \max(\text{height of } T,$

$\text{max-one-descendant height}(C))$

C is the pine cone of the  
tree T.

•  $P$  is my pine-cone

$\text{max-cone-descendant-height}$   
 $(P) = \text{max-tree-descendant-}$   
 $\text{height}(TV)$

$T$  is the tree contained

Base cone in  $P$ .

Pine-Cone has Pine-Tree, its height is 0.

(: max-tree-descendant-height :

Pine-Tree  $\rightarrow$  Real)

(define (max-tree-descendant-height  
7)

```
(cond  
[  
  (symbol? (Pine-Tree-seed t))  
    (Pine-Tree-height t)]
```

```
  [else (max (Pine-Tree-height t)  
              (max-cone-descendant-height  
                Pine-Tree-seed t))])
```

```
(define (max-tree-descendant-height  
  t) ✓
```

(match (Pine-Tree-seed ~~t~~)  
 ['nothing (Pine-Tree-height ~~t~~)]  
 [(Pine-Cone - -) (max (Pine-Tree-height ~~t~~)  
 (max-cone-descendant-height  
 (Pine-Tree-seed ~~t~~)))]))

3.

$n$  is odd if and only

$n-2$  is odd.

Base - 0 even. False

Base 1 - odd. True.

$$\begin{aligned}\text{my-odd?}(4) &= \text{my-odd?}(2) \\ &= \text{my-odd?}(0) \Rightarrow \text{False}\end{aligned}$$

$$\begin{aligned}\text{my-odd?}(5) &= \text{my-odd?}(3) \\ &= \text{my-odd?}(1) \Rightarrow \text{True}.\end{aligned}$$

Recursive formulas

$$\text{my-odd?}(n) = \text{my-odd?}(n-2)$$

$$\text{my-odd?}(0) = \text{false}$$

$$\text{my-odd?}(1) = \text{True}.$$

(pred (pred num))

(: my-odd? : Nat → Boolean)

(define (my-odd? n)

(match n → 0  
[ 'zero #f] ✓

[(Succ 'zero) #t] ✓

[(Succ (Succ m)) ]

(define-type Nat (U 'zero Succ))

(define-struct Succ

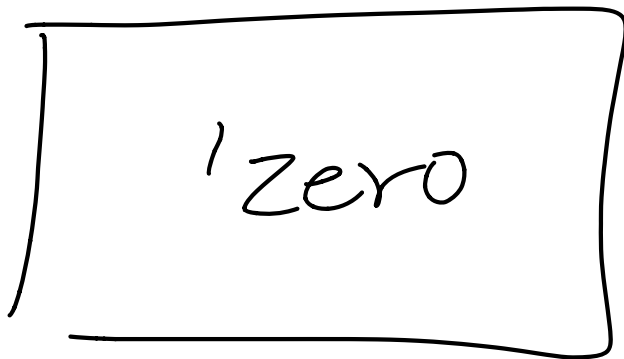
([nat : Nat]))



$(\text{my-odd? } 'zero) \Rightarrow \#f$

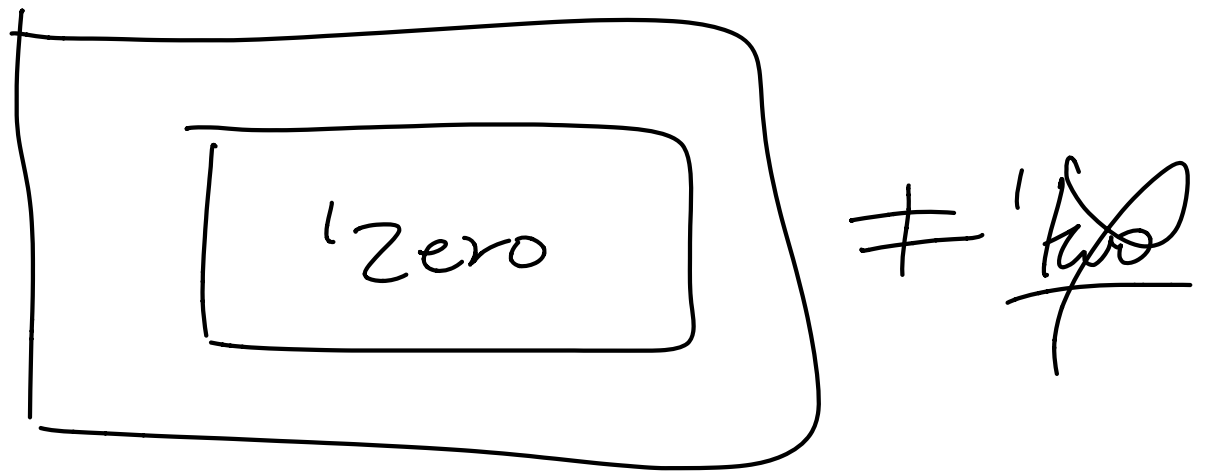
$(\text{my-odd? } 'zero) \Rightarrow \text{error}$   
-message

$(\text{Succ } 'zero)$



One is a structure  
of type `Succ` which contains  
the symbol `'zero`. One

Two is structure of type  
Succ which contains  
One.



$$(a > b) \Leftrightarrow (a-1 > b-1)$$

$$(4 > 3) \Leftrightarrow (3 > 2)$$

$$\Leftrightarrow (2 > 1) \Leftrightarrow (1 > 0)$$

// true

(: my-gte :

my-gte (a, b)

= my-gte (a-1, b-1)

if b == 0 (b 'zero)

then it is true.

my-gte (3, 4)

= my-gte (2, 3)

= my-gte (1, 2)

= my-gte (0, 1)  $\Rightarrow$  base case!

false

if  $n1$  is 'zero

but  $n2$  is not 'zero

then false

if  $n2$  is 'zero

then true

$$\text{my-gk}(4,4) = \text{my-gk}(3,3)$$

$$= \text{my-gk}(2,2)$$

$$= \text{my-gk}(1,1) = \text{my-gk}(0,0)$$

$$\Rightarrow \underline{\underline{\text{true}}}$$

$$a == b$$

if and only if

$$(a-1) == (b-1)$$

if  $a == 0$  and  $b == 0$

true

if  $a == 0$  and  $b \neq 0$

false

if  $a \neq 0$  and  $b == 0$

false

$$\text{equal?}(3,3)$$

$$= \text{equal?}(2,2)$$

$$= \text{equal?}(1,1) = \text{equal?}(0,0)$$

$\Rightarrow \text{true}$ .

$$\text{equal?}(2,3)$$

$$= \text{equal?}(1,2)$$

$$= \text{equal?}(0,1) \Rightarrow \underline{\text{false}}$$

[ ]

(check-expect (predsubint  
(succ 'zero)) 1)