

# Readings and deadlines

- Lab 1 assignment due at the start of class
- Readings for this lab:
  - Chapter 2- Context and Inference

# Exponential growth

Continuous

$$N_t = N_0 e^{rt}$$

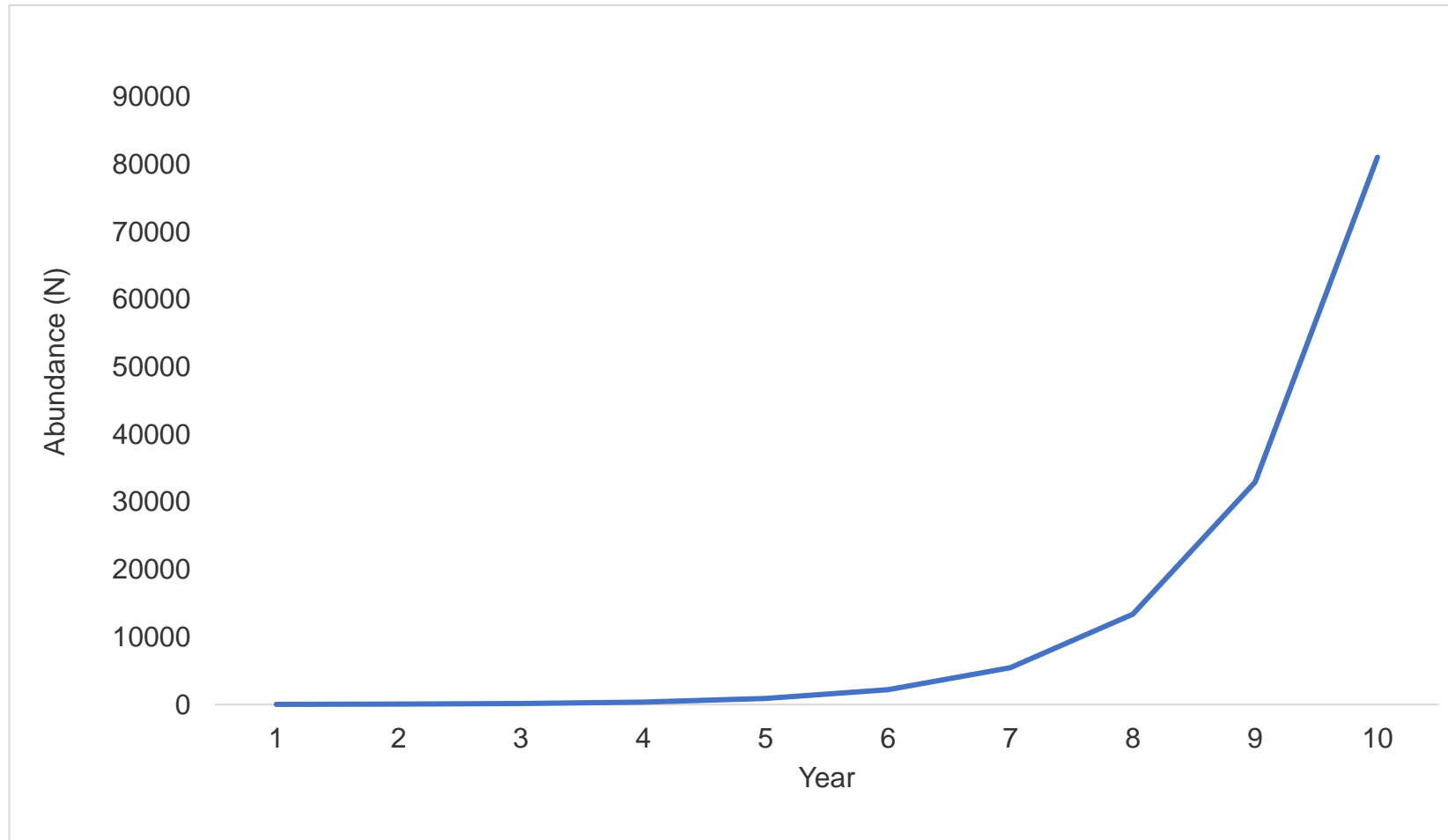
*or*

Discrete

$$N_{t+1} = N_t \lambda$$

- In what circumstances do we expect exponential growth to occur?
  - Abundant resources
  - Examples:
    - Bacteria in a petri dish
    - Invasive species (ex. rabbits in Australia)

# What does exponential growth look like?



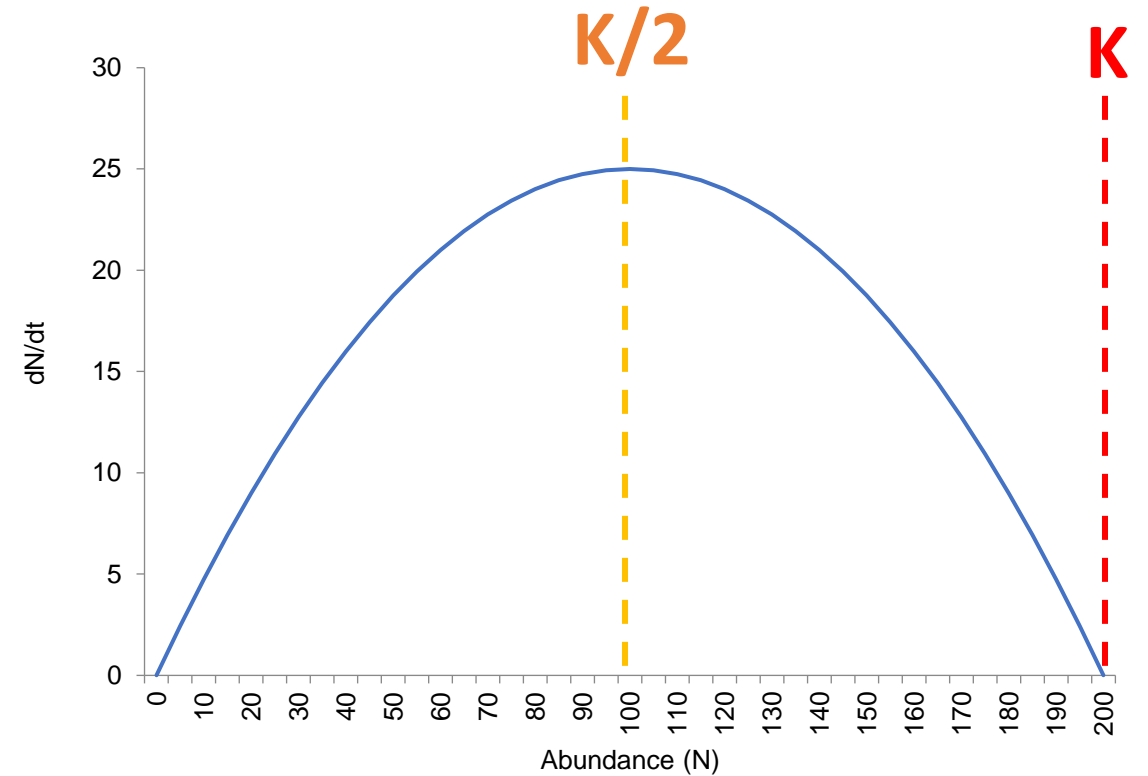
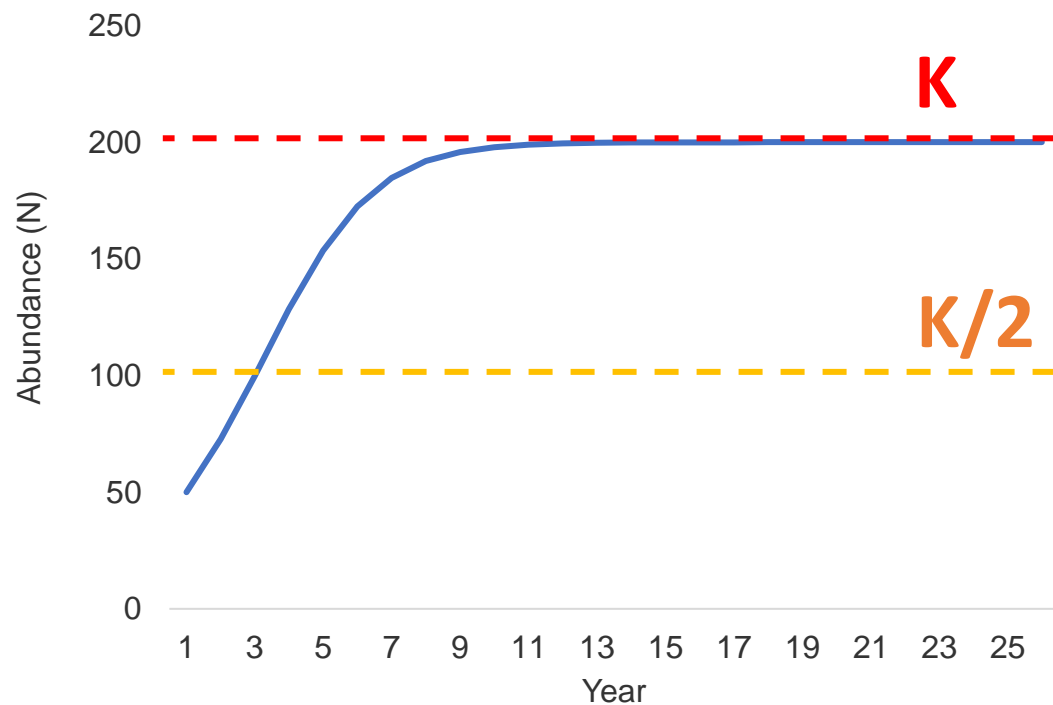
# Logistic growth

$$\frac{dN}{dt} = rN\left(1 - \frac{N}{K}\right)$$

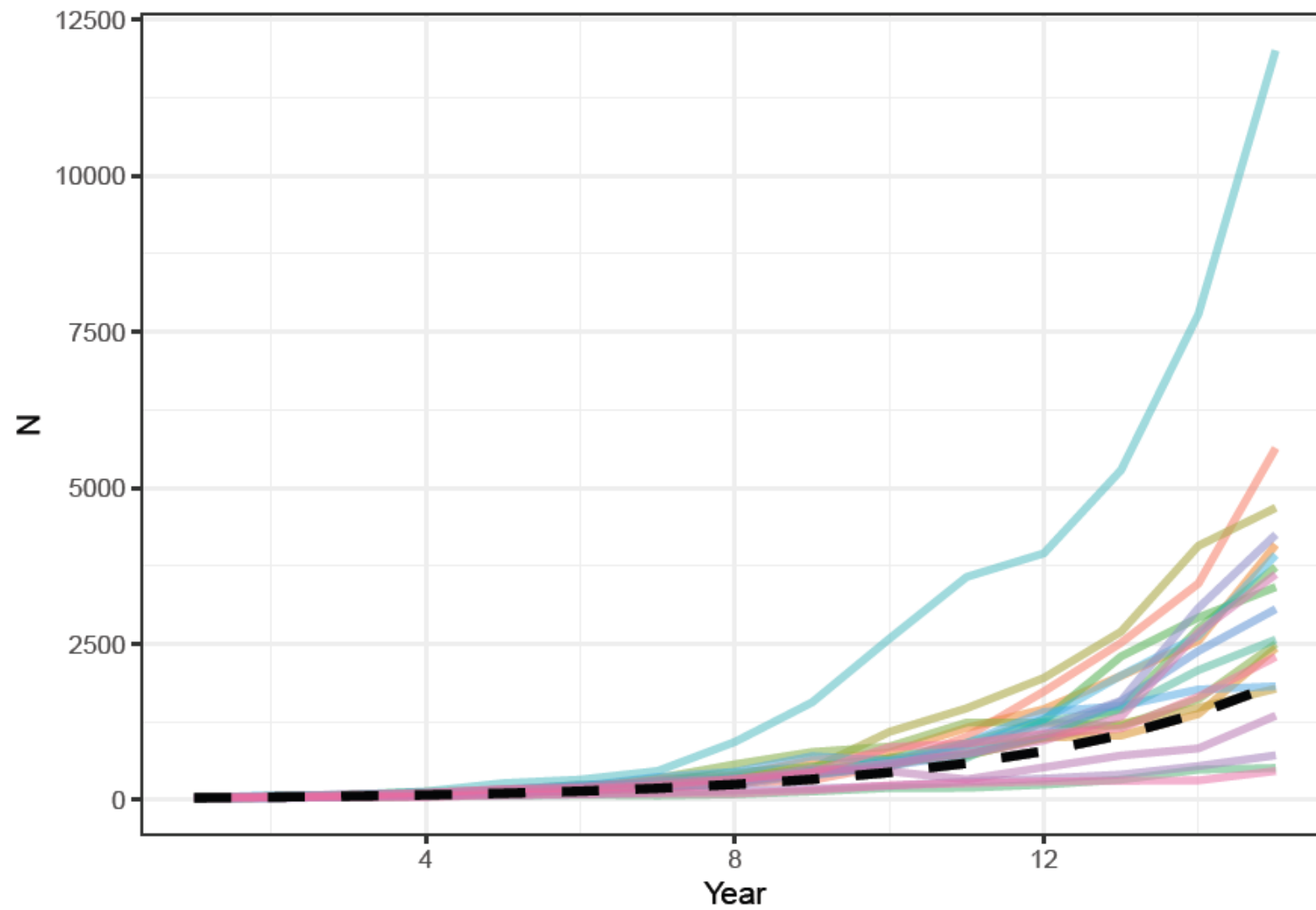
$$N_t = \frac{K}{1 + \frac{K - N_0}{N_0}e^{-rt}}$$

- In what circumstances do we expect logistic growth to occur?
  - Limited resources
  - Examples:
    - Large herbivores
    - Marine predators (e.g. harbor seals)

# What does logistic growth look like?



# Stochasticity



# Strategy for this lab

- We have 2 weeks to do the lab
- Pace yourself- try and get sections 1 and 2 done today, and 3 done next week



# Lab 2 - Projecting Population Growth Using Exponential and Logistic Growth Models

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