## Integration/ Definite Integral

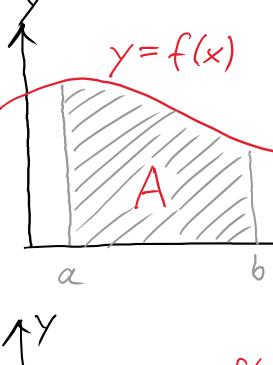
 $A = \int_{\alpha}^{b} f(x) dx \rightarrow Area under$ curve between

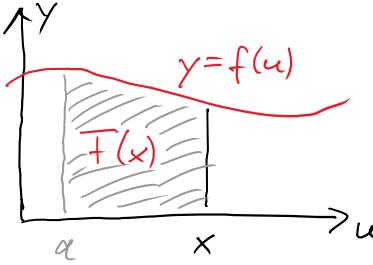
Indefinite lutegral

 $T(x) = \int_{\alpha}^{x} f(u) du - 7 Function$ 

Fundamental Theorem of Calculus

$$\frac{dF(x)}{dx} = f(x) \iff \int f(x)dx = \overline{F(x)} + C$$





## Integration Techniques

- Find auti-derivative of function  $f(x)=x \Rightarrow \overline{f(x)}=\frac{1}{2}x^2+e$
- Definite integral  $\int_{1}^{\infty} f(x) dx = \left[ F(x) \right]_{1}^{2} = F(2) F(1) = \frac{3}{2}$
- Basic functions  $\int_{x^{n}dx} = \frac{x^{n+1}}{n+1} + c, \quad \int_{x}^{1} dx = \ln|x| + c, \quad \int_{e}^{e^{x}} dx = e^{x} + c$

Ssinxdx=-cosxtc, Scosxdx=sinx+c, Stanxdx=-lulcosx1

- Symmetry considerations, e.g.  $\int_{-\alpha}^{\alpha} f_{odd}(x) dx = 0$
- · Integration by substitution