

Are these languages regular

nonRegular = equal number of 0's and 1's

Regular = has at least 100 1's

nonRegular = $0^n 1^n$ for $n \geq 0$

Regular languages can be infinite but must be described using finitely many states

Thus there are restrictions on the structure of regular languages

Pumping lemma

Let L be a regular language there is a positive integer p such that any s member of L with $|s| > p$ can be pumped

P is the pumping length of L

This meant that every string s member of L contains a substring that can be repeated any number of times (via a loop)

The statement "s can be pumped" means that we can write $s = xyz$, where

$xy^i z$ member of L for all $i \geq 0$

$|y| > 0$

$|xy| \leq p$