

mob, chetana, c
dept of CE

Doc	text	class
1	I loved the movie	+
2	I hated the movie	-
3	a great movie, good movie	+
4	poor acting	-
5	great acting a good movie	+

16 unique words.

Doc	I	loved	the	movie	hated	a	great	poor	acting	good	class
1	1	1	1	1							+
2	1	1	1	1	1					1	-
3				2		1					+
4								1	1		-
5				1		1	1		1	1	+

positions \leftarrow all word positions in doc that contain tokens found in vocabulary?

D probabilities of $\frac{1}{2}$

$$P(+)=\frac{3}{5}=0.6$$

$$p(-) = \frac{2}{5} = 0.4$$

(2) Let n be the no of words in category $(+/-)$.
 $p(-) = \frac{2}{5} = 0.4$ no of words
 $p(+) = 1 - 0.4 = 0.6$ no of words

2) Let n the no of words receive in the case (+)

3) Let n_k the no of words k times

is let $p(w_k | \tau) =$ $\frac{\text{word count}}{n_{k+1}}$

$\frac{n+1}{n} | \text{vocabulary} |$ to make probability less than 1

total no. of words in each category

msg. discharge, msg. of cse

$$1) P(I|+) = \frac{1H}{1H+10} = 0.0833$$

$$(6) P(\text{love} | H) = \frac{1H}{1H+10} = 0.0833$$

$$P(I|-) = \frac{1H}{6H+10} = 0.125$$

$$P(\text{love} | -) = \frac{0H}{6H+10} = 0.0625$$

$$2) P(\text{The} | +) = \frac{1H}{1H+10} = 0.0833$$

$$(7) P(\text{more} | +) = \frac{4H+1}{1H+10} = 0.2083$$

$$P(\text{The} | -) = \frac{1H}{6H+10} = 0.125$$

$$P(\text{more} | -) = \frac{1H}{6H+10} = 0.125$$

$$3) P(a | +) = \frac{2+1}{1H+10} = 0.125$$

$$(8) P(\text{great} | +) = \frac{2H+1}{1H+10} = 0.125$$

$$P(a | -) = \frac{0H}{6H+10} = 0.0625$$

$$P(\text{great} | -) = \frac{0H+1}{6H+10} = 0.0625$$

$$4) P(\text{acting} | +) = \frac{1H}{1H+10} = 0.0833$$

$$(9) P(\text{good} | +) = \frac{2H}{1H+10} = 0.125$$

$$P(\text{acting} | -) = \frac{1H}{6H+10} = 0.125$$

$$P(\text{good} | -) = \frac{0H}{6H+10} = 0.0625$$

$$5) P(\text{hated} | +) = \frac{0H}{1H+10} = 0.0417$$

$$(10) P(\text{poor} | +) = \frac{0H}{1H+10} = 0.0417$$

$$P(\text{hated} | -) = \frac{1H}{6H+10} = 0.125$$

$$P(\text{poor} | -) = \frac{1H}{6H+10} = 0.125$$

$$N_B = \argmax_{v_j \in V} \prod_{v_j \in V} P(a_i | v_j)$$

Example

"I hated the poor acting"

$$P(y_3 | x) = P(+)*P(I|+)*P(\text{hated} | +)*P(\text{the} | +)*P(\text{poor} | +)*P(\text{acting} | +)$$

$$= 0.6 * 0.0833 * 0.0417 * 0.0833 * 0.0417 * 0.0833$$

$$= 6.03 \times 10^{-7}$$

$$P(- | x) = P(-)*P(I|-)*P(\text{hated} | -)*P(\text{the} | -)*P(\text{poor} | -)*P(\text{acting} | -)$$

$$= 0.4 * 0.125 * 0.125 * 0.125 * 0.125 * 0.125 * 0.125$$

$$= 1.22 \times 10^{-5}$$

"The document belongs to the

$$P(+ | x) \times P(- | x)$$

$$6.03 \times 10^{-7} < 1.22 \times 10^{-5}$$

class —