

# BiqCrunch

*A semidefinite branch-and-bound method for solving binary quadratic problems*




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## BiqCrunch

**BiqCrunch** is a semidefinite-based solver for binary quadratic problems. It uses a branch-and-bound method featuring an improved semidefinite bounding procedure [4], mixed with a polyhedral approach (see [2,3] for details). BiqCrunch uses a particular *BC* input file format that is similar to the *SDPA* format to describe the combinatorial problems. We provide also a *LP to BC conversion tool*. Documentation is available [here](#).

The second release (May 2016) of BiqCrunch is now available as a free and open-source software. Specific versions are provided for solving *Max-Cut*, *k-cluster* and *Max-independent set* problems, as well as [conversion tools](#) for these problems. You can also use BiqCrunch [online](#) to solve any 0-1 quadratic problem to optimality, or simply to get an SDP-quality bound [4].

## Papers

- [1] N. Krislock, J. Malick, F. Roupin. BiqCrunch : a semidefinite branch-and-bound method for solving binary quadratic problems. To appear in ACM Transactions on Mathematical Software, 2016.
- [2] N. Krislock, J. Malick, F. Roupin. Computational results of a semidefinite branch-and-bound algorithm for *k-cluster*. Computers and Operations Research 66: 153–159, 2016. 
- [3] N. Krislock, J. Malick, F. Roupin: Improved semidefinite bounding procedure for solving Max-Cut problems to optimality. Mathematical Programming A 143(1/2): 61–86, 2014. 
- [4] J. Malick, F. Roupin: On the bridge between combinatorial optimization and nonlinear optimization: a family of semidefinite bounds for 0-1 quadratic problems leading to quasi-Newton methods. Mathematical Programming B (140)1 pp 99–124, 2013. 

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