

## Problem Statement

Traders want a system to show the real-time value of her portfolio which consist of three types of products:

1. Common stocks.
2. European Call options on common stocks.
3. European Put options on common stocks.

## Requirements

Your task is to design and implement a system in Java that:

1. Get the positions from a mock CSV position file (consisting of tickers and number of shares/contracts of tickers in the portfolio)
2. Get the security definitions from an embedded database.
  - Design a schema with small embedded database (H2 or SQLite) to store the security definitions (three supported types: Stock, Call, Put)
  - Each security in this database will have a ticker (identifier) and will have some static (e.g. strike, maturity)
3. Implement a **mock** market data provider that publishes stock prices.
  - The stock prices move according to either
    - Random pricing
    - or Preferable a discrete time geometric Brownian motion (see appendix) randomly between 0.5 – 2 seconds.
4. Calculate the real time option price with the underlying price
5. Publishes following details in real-time:
  - Each position's market value.
  - Total portfolio's NAV.
6. Implement a portfolio result subscriber.
  - Listener the above result
  - print it into console (pretty print)

## Important Notes

- Not expected to support real stocks and options
- Not expected to consume real market data
- Not expected to design real-time communication channels via external messaging system / broker.
  - o You can assume that the market data publisher described above run as a separate thread in the same program.
- Limit your third party libraries or components to Spring, Guava, Protobuf, Junit, Cucumber, H2 / SQLite.
  - o Please do not distribute the binaries of these dependencies –just mention the name and version and we will source them ourselves.
  - o If you need additional 3<sup>rd</sup> party libraries then feel free to check with us.
- Provide a README
- Project should be built with Gradle and JDK 1.8
- Zip the source code, protected with password

# Sample

This is just for reference. If you have a better and **clear** input / output solution, you don't need to follow these samples.

## Sample CSV position file

```
symbol,positionSize
AAPL,1000
AAPL-OCT-2020-110-C,-20000
AAPL-OCT-2020-110-P,20000
TELSA,-500
TELSA-NOV-2020-400-C,10000
TELSA-DEC-2020-400-P,-10000
```

## Sample Real-time Output

```
## 1 Market Data Update
APPL change to 110.00
TELSA change to 450.00

## Portfolio
symbol           price      qty      value
AAPL             110.00     1,000.00  110,000.00
AAPL-OCT-2020-110-C  5.55    -20,000.00 -111,000.00
AAPL-OCT-2020-110-P  0.55     20,000.00  11,000.00
TELSA            450.00     -500.00 -225,000.00
TELSA-NOV-2020-400-C 27.25     10,000.00 272,500.00
TELSA-DEC-2020-400-P  6.35    -10,000.00 -63,500.00

#Total portfolio                                -6,000.00
|

## 2 Market Data Update
APPL change to 109.00

## Portfolio
symbol           price      qty      value
AAPL             109.00     1,000.00  109,000.00
AAPL-OCT-2020-110-C  5.50    -20,000.00 -110,000.00
AAPL-OCT-2020-110-P  0.56     20,000.00  11,200.00
TELSA            450.00     -500.00 -225,000.00
TELSA-NOV-2020-400-C 27.25     10,000.00 272,500.00
TELSA-DEC-2020-400-P  6.35    -10,000.00 -63,500.00

#Total portfolio                                -5,800.00

## 3 Market Data Update
TELSA change to 451.00

## Portfolio
symbol           price      qty      value
AAPL             109.00     1,000.00  109,000.00
AAPL-OCT-2020-110-C  5.50    -20,000.00 -110,000.00
AAPL-OCT-2020-110-P  0.56     20,000.00  11,200.00
TELSA            451.00     -500.00 -225,500.00
TELSA-NOV-2020-400-C 27.30     10,000.00 273,000.00
TELSA-DEC-2020-400-P  6.30    -10,000.00 -63,000.00

#Total portfolio                                -5,300.00
```

## Appendix

You are expected to understand all the terms used in the material that follows.

### Discrete Time Geometric Brownian motion for stock prices

In this model, we assume that if we know the price of a stock is  $S$  then after  $\Delta t$  number of seconds it will be  $S + \Delta S$  where,

$$\frac{\Delta S}{S} = \mu \left( \frac{\Delta t}{7257600} \right) + \sigma \epsilon \sqrt{\frac{\Delta t}{7257600}}$$

Here,  $\mu$  is the expected return on the stock (assume it to be one of the static fields for a stock and assign every stock a unique value between 0 and 1),  $\sigma$  is the annualized standard deviation of the stock (assume it to be one of the static fields for a stock and assign every stock a unique value between 0 and 1).  $\epsilon$  is a random variable that is drawn from a standardized normal distribution every time this formula is invoked.

The price of a stock can never be less than 0. You can start your trading day with a start of the day price of your choice for every stock you support in your system.

### Market Value

The market value of a long position in a common stock is defined as the number of shares held times the stock's price. If the position is short, then this value is multiplied by -1. The market value of a long position in an option (all types --put or call, American or European) is defined as the number of contracts held times the option's theoretical price. If the position is short, then this value is multiplied by -1.

The portfolio's NAV is the arithmetic sum of all positions' market values.

### European Option Pricing Formula

Each option has a fixed time to maturity (let's say  $t$  years) and a fixed strike price ( $K$ ). You can assume that the risk free interest rate in the market is constant at  $r$ . For this exercise, assume that it is 2% per annum. Given a stock with current price  $S$  and stock price's annualized standard deviation (volatility)  $\sigma$ , a European call option's price will be  $c$  and a European put option's price will be  $p$ :

$$c = SN(d_1) - Ke^{-rt}N(d_2)$$
$$p = Ke^{-rt}N(-d_2) - SN(-d_1)$$

Where

$$d_1 = \frac{\ln\left(\frac{S}{K}\right) + \left(r + \frac{\sigma^2}{2}\right)t}{\sigma\sqrt{t}}$$

$$d_2 = d_1 - \sigma\sqrt{t}$$

The function  $N(x)$  refers to the cumulative probability that a variable that is distributed according to a standardized normal distribution has a value less than  $x$ .  $\ln(x)$  refers to the natural logarithm function and  $e$  is the Euler's number (base of the natural logarithm function).