# 多分类支撑向量机练习

完成此练习并且上交本ipynb (包含输出及代码).

在这个练习中, 你将会:

- 为SVM构建一个完全向量化的**损失函数**
- 实现解析梯度的向量化表达式
- 使用数值梯度检查你的代码是否正确
- 使用验证集调整学习率和正则化项
- 用SGD (随机梯度下降) 优化损失函数
- 可视化 最后学习到的权重

```
In [1]:
# 导入包
import random
import numpy as np
from daseCV.data_utils import load_CIFAR10
import matplotlib.pyplot as plt

# 下面一行是notebook的magic命令,作用是让matplotlib在notebook内绘图(而不是新建一个窗口
%matplotlib inline
plt.rcParams['figure.figsize'] = (10.0, 8.0) # 设置绘图的默认大小
plt.rcParams['image.interpolation'] = 'nearest'
plt.rcParams['image.cmap'] = 'gray'

# 该magic命令可以重载外部的python模块
# 相关资料可以去看 http://stackoverflow.com/questions/1907993/autoreload-of-modules-in
%load_ext autoreload
%autoreload 2
```

# 准备和预处理CIFAR-10的数据

```
# 导入原始CIFAR-10数据
cifar10_dir = 'daseCV/datasets/cifar-10-batches-py'
# 清空变量, 防止多次定义变量(可能造成内存问题)
   del X_train, y_train
   del X test, y test
   print('Clear previously loaded data.')
except:
   pass
X train, y train, X test, y test = load CIFAR10(cifar10 dir)
# 完整性检查, 打印出训练和测试数据的大小
print('Training data shape: ', X_train.shape)
print('Training labels shape: ', y_train.shape)
print('Test data shape: ', X_test.shape)
print('Test labels shape: ', y_test.shape)
Training data shape: (50000, 32, 32, 3)
Training labels shape: (50000,)
Test data shape: (10000, 32, 32, 3)
```

Test labels shape: (10000,)

```
# 可视化部分数据
# 这里我们每个类别展示了7张图片
classes = ['plane', 'car', 'bird', 'cat', 'deer', 'dog', 'frog', 'horse', 'ship', 'tru
num_classes = len(classes)
samples_per_class = 7
for y, cls in enumerate(classes):
    idxs = np. flatnonzero(y_train == y)
    idxs = np. random. choice(idxs, samples_per_class, replace=False)
    for i, idx in enumerate(idxs):
        plt_idx = i * num_classes + y + 1
        plt. subplot (samples per class, num classes, plt idx)
       plt. imshow(X train[idx].astype('uint8'))
       plt. axis ('off')
        if i == 0:
           plt. title(cls)
plt. show()
```

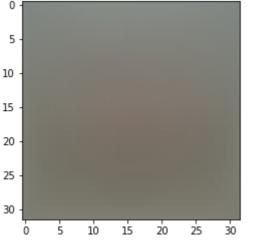
```
In [4]:
# 划分训练集,验证集和测试集,除此之外,
# 我们从训练集中抽取了一小部分作为代码开发的数据,
# 使用小批量的开发数据集能够快速开发代码
num_training = 49000
num_validation = 1000
num_test = 1000
num_dev = 500

# 从原始训练集中抽取出num_validation个样本作为验证集
mask = range(num_training, num_training + num_validation)
X_val = X_train[mask]
y_val = y_train[mask]
# 从原始训练集中抽取出num_training个样本作为训练集
mask = range(num_training)
X train = X train[mask]
```

```
y_train = y_train[mask]
# 从训练集中抽取num dev个样本作为开发数据集
mask = np. random. choice(num_training, num_dev, replace=False)
X dev = X train[mask]
y dev = y train[mask]
# 从原始测试集中抽取num test个样本作为测试集
mask = range(num test)
X_{\text{test}} = X_{\text{test}}[\text{mask}]
y_test = y_test[mask]
print('Train data shape: ', X_train.shape)
print('Train labels shape: ', y_train.shape)
print('Validation data shape: ', X_val.shape)
print('Validation labels shape: ', y_val. shape)
print('Test data shape: ', X_test.shape)
print('Test labels shape: ', y_test.shape)
Train data shape: (49000, 32, 32, 3)
Train labels shape: (49000,)
Validation data shape: (1000, 32, 32, 3)
Validation labels shape: (1000,)
Test data shape: (1000, 32, 32, 3)
Test labels shape: (1000,)
# 预处理: 把图片数据rehspae成行向量
X_{train} = np. reshape(X_{train}, (X_{train}, shape[0], -1))
X_{val} = np. reshape(X_{val}, (X_{val}. shape[0], -1))
X_{\text{test}} = \text{np. reshape}(X_{\text{test}}, (X_{\text{test. shape}}[0], -1))
X \text{ dev} = \text{np. reshape}(X \text{ dev}, (X \text{ dev}, \text{ shape}[0], -1))
# 完整性检查,打印出数据的shape
print('Training data shape: ', X_train.shape)
print('Validation data shape: ', X_val.shape)
print('Test data shape: ', X_test.shape)
print('dev data shape: ', X_dev. shape)
Training data shape: (49000, 3072)
Validation data shape: (1000, 3072)
Test data shape: (1000, 3072)
dev data shape: (500, 3072)
# 预处理: 减去image的平均值(均值规整化)
# 第一步: 计算训练集中的图像均值
mean image = np. mean(X train, axis=0)
print(mean_image[:10]) # print a few of the elements
plt. figure (figsize= (4, 4))
plt.imshow(mean image.reshape((32, 32, 3)).astype('uint8')) # visualize the mean image
plt. show()
# 第二步: 所有数据集减去均值
X train -= mean image
X_val -= mean_image
X test -= mean image
X dev -= mean image
# 第三步: 拼接一个bias维, 其中所有值都是1 (bias trick),
# SVM可以联合优化数据和bias,即只需要优化一个权值矩阵W
X_train = np. hstack([X_train, np. ones((X_train. shape[0], 1))])
X_{val} = np. hstack([X_{val}, np. ones((X_{val}. shape[0], 1))])
X \text{ test} = \text{np.} \text{hstack}([X \text{ test, np.} \text{ones}((X \text{ test. shape}[0], 1))])
X \text{ dev} = \text{np. hstack}([X \text{ dev}, \text{np. ones}((X \text{ dev. shape}[0], 1))])
```

print(X\_train. shape, X\_val. shape, X\_test. shape, X\_dev. shape)

[130. 64189796 135. 98173469 132. 47391837 130. 05569388 135. 34804082 131. 75402041 130. 96055102 136. 14328571 132. 47636735 131. 48467347]



(49000, 3073) (1000, 3073) (1000, 3073) (500, 3073)

### SVM分类器

你需要在daseCV/classifiers/linear\_svm.py里面完成编码

我们已经预先定义了一个函数 compute\_loss\_naive , 该函数使用循环来计算多分类SVM损失函数

```
In [7]:
# 调用朴素版的损失计算函数
from daseCV.classifiers.linear_svm import svm_loss_naive
import time

# 生成一个随机的SVM权值矩阵(矩阵值很小)
W = np.random.randn(3073, 10) * 0.0001

loss, grad = svm_loss_naive(W, X_dev, y_dev, 0.000005)
print('loss: %f' % (loss, ))
```

loss: 8.505560

从上面的函数返回的 grad 现在是零。请推导支持向量机损失函数的梯度,并在svm\_loss\_naive中编码实现。

为了检查是否正确地实现了梯度,你可以用数值方法估计损失函数的梯度,并将数值估计与你计算出来的梯度进行比较。我们已经为你提供了检查的代码:

```
In [8]: # 一旦你实现了梯度计算的功能, 重新执行下面的代码检查梯度

# 计算损失和W的梯度
loss, grad = svm_loss_naive(W, X_dev, y_dev, 0.0)

# 数值估计梯度的方法沿着随机几个维度进行计算, 并且和解析梯度进行比较,
# 这两个方法算出来的梯度应该在任何维度上完全一致(相对误差足够小)
from daseCV.gradient_check import grad_check_sparse
f = lambda w: svm_loss_naive(w, X_dev, y_dev, 0.0)[0]
grad_numerical = grad_check_sparse(f, W, grad)

# 把正则化项打开后继续再检查一遍梯度
# 你没有忘记正则化项吧?(忘了的罚抄100遍(๑٠٠ з•๑))
```

```
loss, grad = svm_loss_naive(W, X_dev, y_dev, 5e1)
f = lambda w: svm_loss_naive(w, X_dev, y_dev, 5e1)[0]
grad_numerical = grad_check_sparse(f, W, grad)
```

```
numerical: 12.265425 analytic: 12.265425, relative error: 1.073525e-11
numerical: -25.077439 analytic: -25.077439, relative error: 1.023996e-11
numerical:\ 16.413698\ analytic:\ 16.413698,\ relative\ error:\ 2.540213e-11
numerical: 10.764114 analytic: 10.764114, relative error: 1.058814e-11
numerical: 3.519302 analytic: 3.519302, relative error: 4.867798e-11
numerical: 24.318342 analytic: 24.318342, relative error: 3.619136e-12
numerical: -14.978000 analytic: -14.978000, relative error: 2.701585e-11
numerical: 0.890257 analytic: 0.890257, relative error: 2.406150e-10
numerical: 29.454000 analytic: 29.454000, relative error: 5.387872e-12
numerical: \ -5.055075 \ analytic: \ -5.055075, \ relative \ error: \ 6.321558e-11
numerical: 15.632491 analytic: 15.632491, relative error: 1.749029e-12
numerical: 8.376447 analytic: 8.376447, relative error: 2.492588e-11
numerical: 5.521101 analytic: 5.521101, relative error: 2.724934e-11
numerical: 17.958195 analytic: 17.958195, relative error: 9.465887e-12
numerical: -17.268320 analytic: -17.268320, relative error: 4.388244e-12
numerical: 3.601826 analytic: 3.601826, relative error: 1.765734e-11
numerical: -1.537920 analytic: -1.537920, relative error: 1.254608e-10
numerical: -18.474514 analytic: -18.474514, relative error: 2.490792e-11
numerical: 27.415215 analytic: 27.415215, relative error: 5.967255e-12
numerical: 3.325238 analytic: 3.325238, relative error: 2.295082e-11
```

#### 问题 1

有可能会出现某一个维度上的gradcheck没有完全匹配。这个问题是怎么引起的?有必要担心这个问题么?请举一个简单例子,能够导致梯度检查失败。如何改进这个问题?*提示:SVM的损失函数不是严格可微的* 

#### 你的回答:

SVM损失函数并不一定是可微的,因此计算得出的解析梯度与数值梯度可能会有区别。如果 max(0, a) 中 a < 0,就会得到 0 ,这种情况下就不能完全匹配了。可以通过减小规模来尽量减少这样问题的发生。

SVM损失的maximum函数在零点处不可导导致了某一个维度上的gradcheck没有完全匹配。这种情况不必要担心。

#### 能够导致梯度检查失的例子:

数值梯度dnumerical = [f(x + h) - f(x - h)] / (2 h), 当x=0时由于maximum函数使得f(-h)=0, 此时 dnumerical = f(h) / (2 h)

解析梯度danalytic = 0不等于数值梯度。

减小h可以改善这种情况。

```
In [9]: # 接下来实现svm_loss_vectorized函数,目前只计算损失
# 稍后再计算梯度
tic = time.time()
loss_naive, grad_naive = svm_loss_naive(W, X_dev, y_dev, 0.000005)
toc = time.time()
print('Naive loss: %e computed in %fs' % (loss_naive, toc - tic))

from daseCV.classifiers.linear_svm import svm_loss_vectorized
tic = time.time()
loss_vectorized, _ = svm_loss_vectorized(W, X_dev, y_dev, 0.000005)
toc = time.time()
print('Vectorized loss: %e computed in %fs' % (loss_vectorized, toc - tic))
```

In [10]:

```
# 两种方法算出来的损失应该是相同的,但是向量化实现的方法应该更快
print('difference: %f' % (loss naive - loss vectorized))
Naive loss: 8.505560e+00 computed in 0.501905s
Vectorized loss: 8.505560e+00 computed in 0.004689s
difference: -0.000000
# 完成svm loss vectorized函数,并用向量化方法计算梯度
# 朴素方法和向量化实现的梯度应该相同,但是向量化方法也应该更快
tic = time. time()
 _, grad_naive = svm_loss_naive(W, X_dev, y_dev, 0.000005)
toc = time. time()
print('Naive loss and gradient: computed in %fs' % (toc - tic))
tic = time. time()
_, grad_vectorized = svm_loss_vectorized(W, X_dev, y dev, 0.000005)
toc = time. time()
print ('Vectorized loss and gradient: computed in %fs' % (toc - tic))
# 损失是一个标量, 因此很容易比较两种方法算出的值,
# 而梯度是一个矩阵, 所以我们用Frobenius范数来比较梯度的值
difference = np. linalg. norm(grad naive - grad vectorized, ord='fro')
```

Naive loss and gradient: computed in 1.396679s Vectorized loss and gradient: computed in 0.004589s difference: 0.000000

print('difference: %f' % difference)

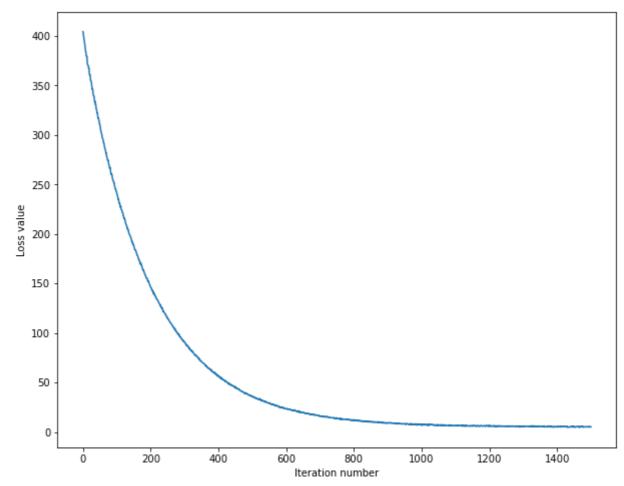
### 随机梯度下降(Stochastic Gradient Descent)

我们现在有了向量化的损失函数表达式和梯度表达式,同时我们计算的梯度和数值梯度是匹配的。接下来我们要做SGD。

```
iteration 0 / 1500: loss 404.282552
iteration 100 / 1500: loss 241.258133
iteration 200 / 1500: loss 146.253508
iteration 300 / 1500: loss 90.914405
iteration 400 / 1500: loss 56.904966
iteration 500 / 1500: loss 35.974580
iteration 600 / 1500: loss 23.344221
iteration 700 / 1500: loss 15.653573
iteration 800 / 1500: loss 11.731714
iteration 900 / 1500: loss 8.933918
iteration 1000 / 1500: loss 7.143474
iteration 1100 / 1500: loss 6.577221
iteration 1200 / 1500: loss 5.717763
iteration 1300 / 1500: loss 5.223116
iteration 1400 / 1500: loss 4.947980
That took 47.599225s
```

```
In [12]:
```

```
# 一个有用的debugging技巧是把损失函数画出来
plt. plot(loss_hist)
plt. xlabel('Iteration number')
plt. ylabel('Loss value')
plt. show()
```



```
In [13]:
# 完成LinearSVM. predict函数,并且在训练集和验证集上评估其准确性
y_train_pred = svm. predict(X_train)
print('training accuracy: %f' % (np. mean(y_train == y_train_pred), ))
y_val_pred = svm. predict(X_val)
print('validation accuracy: %f' % (np. mean(y_val == y_val_pred), ))
```

training accuracy: 0.378898 validation accuracy: 0.398000

```
In [14]:
```

- # 使用验证集来调整超参数(正则化强度和学习率)。
- # 你可以尝试不同的学习速率和正则化项的值;
- # 如果你细心的话,您应该可以在验证集上获得大约0.39的准确率。
- #注意:在搜索超参数时,您可能会看到runtime/overflow的警告。
- # 这是由极端超参值造成的,不是代码的bug。

```
learning_rates = [1e-7, 5e-5]
regularization_strengths = [2.5e4, 5e4]
```

# results是一个字典,把元组(learning\_rate, regularization\_strength)映射到元组(training\_

# accuracy是样本中正确分类的比例

```
results = {}
```

best\_val = -1 # 我们迄今为止见过最好的验证集准确率 best\_svm = None # 拥有最高验证集准确率的LinearSVM对象

```
# TODO:
# 编写代码,通过比较验证集的准确度来选择最佳超参数。
#对于每个超参数组合,在训练集上训练一个线性SVM,在训练集和验证集上计算它的精度,
# 并将精度结果存储在results字典中。此外,在best val中存储最高验证集准确度,
# 在best svm中存储拥有此精度的SVM对象。
# 提示:
# 在开发代码时,应该使用一个比较小的num iter值,这样SVM就不会花费太多时间训练;
# 一旦您确信您的代码开发完成,您就应该使用一个较大的num_iter值重新训练并验证。
# ****START OF YOUR CODE (DO NOT DELETE/MODIFY THIS LINE) ****
for 1r in learning rates:
    for rs in regularization_strengths:
       svm = LinearSVM()
       loss_hist = svm.train(X_train, y_train, learning_rate=1r, reg=rs, num_iters=2
       y train pred = svm. predict(X train)
       train_acc = np. mean(y_train == y_train_pred)
       y_val_pred = svm. predict(X_val)
       val acc = np. mean(y val == y val pred)
       results[(lr, rs)] = (train acc, val acc)
       if val_acc > best_val:
          best val = val acc
           best svm = svm
# ****END OF YOUR CODE (DO NOT DELETE/MODIFY THIS LINE) ****
# 打印results
for 1r, reg in sorted(results):
    train accuracy, val accuracy = results[(lr, reg)]
    print ('lr %e reg %e train accuracy: %f val accuracy: %f' % (
              1r, reg, train accuracy, val accuracy))
print('best validation accuracy achieved during cross-validation: %f' % best_val)
iteration 0 / 2000: loss 414.511306
iteration 100 / 2000: loss 243.034494
iteration 200 / 2000: loss 147.262926
iteration 300 / 2000: loss 89.669825
iteration 400 / 2000: loss 56.281823
iteration 500 / 2000: loss 36.718504
iteration 600 / 2000: loss 24.000226
iteration 700 / 2000: loss 16.655087
iteration 800 / 2000: loss 12.007787
iteration 900 / 2000: loss 9.469810
iteration 1000 / 2000: loss 7.394045
iteration 1100 / 2000: loss 6.413827
iteration 1200 / 2000: loss 5.973528
iteration 1300 / 2000: loss 5.516387
iteration 1400 / 2000: loss 5.055509
iteration 1500 / 2000: loss 5.771968
iteration 1600 / 2000: loss 5.582649
iteration 1700 / 2000: loss 5.130109
iteration 1800 / 2000: loss 4.789993
iteration 1900 / 2000: loss 4.547126
iteration 0 / 2000: loss 805.574586
iteration 100 / 2000: loss 292.742839
iteration 200 / 2000: loss 109.272698
iteration 300 / 2000: loss 43.231203
iteration 400 / 2000: loss 19.200756
```

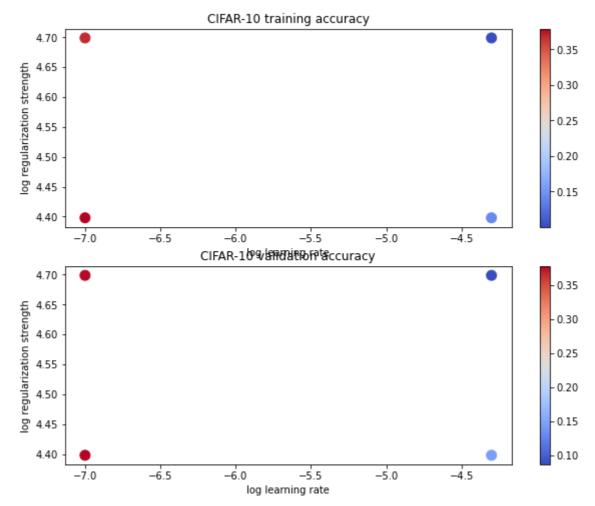
iteration 500 / 2000: loss 10.468064 iteration 600 / 2000: loss 7.250755 iteration 700 / 2000: loss 6.014274

```
iteration 800 / 2000: loss 6.048282
iteration 900 / 2000: loss 5.268002
iteration 1000 / 2000: loss 5.459758
iteration 1100 / 2000: loss 5.071448
iteration 1200 / 2000: loss 5.405700
iteration 1300 / 2000: loss 5.553137
iteration 1400 / 2000: loss 5.442683
iteration 1500 / 2000: loss 5.399471
iteration 1600 / 2000: loss 5.852035
iteration 1700 / 2000: loss 5.954318
iteration 1800 / 2000: loss 5.687477
iteration 1900 / 2000: loss 5.129230
iteration 0 / 2000: loss 415.162528
iteration 100 / 2000: loss 1014.344783
iteration 200 / 2000: loss 1048.364032
iteration 300 / 2000: loss 1071.770320
iteration 400 / 2000: loss 1157.161657
iteration 500 / 2000: loss 1050.005995
iteration 600 / 2000: loss 926.186339
iteration 700 / 2000: loss 913.983089
iteration 800 / 2000: loss 1048.000609
iteration 900 / 2000: loss 931.537353
iteration 1000 / 2000: loss 936.359841
iteration 1100 / 2000: loss 1138.386381
iteration 1200 / 2000: loss 747.332796
iteration 1300 / 2000: loss 953.135496
iteration 1400 / 2000: loss 717.424910
iteration 1500 / 2000: loss 1142.510101
iteration 1600 / 2000: loss 756.092058
iteration 1700 / 2000: loss 1097.428725
iteration 1800 / 2000: loss 1143.095743
iteration 1900 / 2000: loss 973.013949
iteration 0 / 2000: loss 790.031738
iteration 100 / 2000: loss 425582636486444071271653419876345708544.000000
iteration 200 / 2000: loss 70345401353419470982568504272574445067935653744349661001542
669128729362432.000000
iteration 300 / 2000: loss 11627531452945664105318030303730388947026966414104751139570
iteration 400 / 2000: loss 19219378251890341058671351302055836416189573901180644396577
8996548837473982634097357885129690714985847874012019770924655119412084071726144343244
8.000000
iteration 500 / 2000: loss 31768092985519918968412474056560047475689160801576578610150
85269965457647968882095741307191296.\ 000000
iteration 600 / 2000: loss 52510113423537917619514445702443711895349130688090676920785
iteration 700 / 2000: loss 86795011995514360669708231764406377806662138471371072245441
4568009839410151424.000000
iteration 800 / 2000: loss 14346520348448935172689608891849268107840401743962399258791
/home/public/10215501435-1442-161/daseCV/classifiers/linear svm.py:87: RuntimeWarning:
overflow encountered in double scalars
 loss = np. sum(margins) / num train + 0.5 * reg * np. sum(\mathbb{W} * \mathbb{W})
opt/conda/lib/python3.9/site-packages/numpy/core/fromnumeric.py:87: RuntimeWarning: o/
verflow encountered in reduce
 return ufunc.reduce(obj, axis, dtype, out, **passkwargs)
/home/public/10215501435-1442-161/daseCV/classifiers/linear svm.py:87: RuntimeWarning:
overflow encountered in multiply
 loss = np. sum(margins) / num_train + 0.5 * reg * np. sum(W * W)
iteration 900 / 2000: loss inf
iteration 1000 / 2000: loss inf
iteration 1100 / 2000: loss inf
iteration 1200 / 2000: loss inf
iteration 1300 / 2000: loss inf
```

```
iteration 1400 / 2000: loss inf
iteration 1500 / 2000: loss inf
iteration 1600 / 2000: loss inf
iteration 1700 / 2000: loss inf
/home/public/10215501435-1442-161/daseCV/classifiers/linear svm.py:85: RuntimeWarning:
overflow encountered in subtract
  margins = np. maximum(0, scores - correct class scores +1)
/home/public/10215501435-1442-161/daseCV/classifiers/linear svm.py:85: RuntimeWarning:
invalid value encountered in subtract
  margins = np. maximum(0, scores - correct class scores +1)
/home/public/10215501435-1442-161/daseCV/classifiers/linear svm.py:105: RuntimeWarnin
g: overflow encountered in multiply
  dW = dW/num train + reg*W
/home/public/10215501435-1442-161/daseCV/classifiers/linear classifier.py:72: RuntimeW
arning: invalid value encountered in add
  self. W += - learning rate * grad
iteration 1800 / 2000: loss nan
iteration 1900 / 2000: loss nan
1r 1.000000e-07 reg 2.500000e+04 train accuracy: 0.378653 val accuracy: 0.378000
1r\ 1.\,000000e-07\ reg\ 5.\,000000e+04\ train\ accuracy:\ 0.\,368469\ val\ accuracy:\ 0.\,376000
1r\ 5.\,000000e-05\ reg\ 2.\,500000e+04\ train\ accuracy:\ 0.\,141082\ val\ accuracy:\ 0.\,145000
1r 5.000000e-05 reg 5.000000e+04 train accuracy: 0.100265 val accuracy: 0.087000
best validation accuracy achieved during cross-validation: 0.378000
# 可是化交叉验证结果
```

```
In [15]:
```

```
import math
x scatter = [math. log10(x[0]) for x in results]
y scatter = [math. log10(x[1]) for x in results]
# 画出训练集准确率
marker\_size = 100
colors = [results[x][0] for x in results]
plt. subplot (2, 1, 1)
plt.scatter(x_scatter, y_scatter, marker_size, c=colors, cmap=plt.cm.coolwarm)
plt. colorbar()
plt. xlabel ('log learning rate')
plt. ylabel ('log regularization strength')
plt.title('CIFAR-10 training accuracy')
# 画出验证集准确率
colors = [results[x][1] for x in results] # default size of markers is 20
plt. subplot (2, 1, 2)
plt. scatter(x scatter, y scatter, marker size, c=colors, cmap=plt.cm.coolwarm)
plt. colorbar()
plt. xlabel ('log learning rate')
plt. ylabel('log regularization strength')
plt. title ('CIFAR-10 validation accuracy')
plt. show()
```

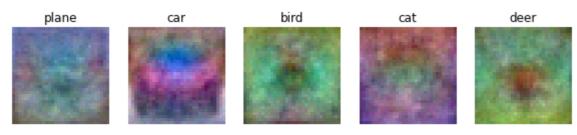


```
# 在测试集上测试最好的SVM分类器
y_test_pred = best_svm. predict(X_test)
test_accuracy = np. mean(y_test == y_test_pred)
print('linear SVM on raw pixels final test set accuracy: %f' % test_accuracy)
```

linear SVM on raw pixels final test set accuracy: 0.386000

```
In [17]:
# 画出每一类的权重
# 基于您选择的学习速度和正则化强度,画出来的可能不好看
w = best_svm.W[:-1,:] # 去掉bias
w = w.reshape(32, 32, 3, 10)
w_min, w_max = np.min(w), np.max(w)
classes = ['plane', 'car', 'bird', 'cat', 'deer', 'dog', 'frog', 'horse', 'ship', 'tru
for i in range(10):
    plt. subplot(2, 5, i + 1)

# 将权重调整为0到255之间
wimg = 255.0 * (w[:, :, :, i].squeeze() - w_min) / (w_max - w_min)
plt. imshow(wimg. astype('uint8'))
plt. axis('off')
plt. title(classes[i])
```





#### 问题2

描述你的可视化权值是什么样子的,并提供一个简短的解释为什么它们看起来是这样的。

#### 你的回答:

看起来像数据集中一个类别的图片平均下来的样子,单看权值可能不像tag所描述的样子,这可能是因为数据集中的一个物体的特征出现在了图片的不同方位,因此出现了各种图片的特征看起来重合起来的情况。svm的权重是对应类别的训练集的平均,因为权重跟训练集的图像越相似,做内积的时候得分越高,通过训练svm会使得权重跟该类别的平均值接近。

## Data for leaderboard

这里额外提供了一组未给标签的测试集X,用于leaderborad上的竞赛。

提示:该题的目的是鼓励同学们探索能够提升模型性能的方法。

提醒:运行完下面代码之后,点击下面的submit,然后去leaderboard上查看你的成绩。本模型对应的成绩在phase2的leaderboard中。

```
In [20]: import os #输出格式 def output_file(preds, phase_id=2):
```

```
path=os.getcwd()
    if not os.path.exists(path + '/output/phase_{{}}'.format(phase_id)):
        os. mkdir(path + '/output/phase_{}'. format(phase_id))
    path=path + '/output/phase_{{}}/prediction.npy'.format(phase_id)
    np. save (path, preds)
def zip_fun(phase_id=2):
    path=os. getcwd()
    output_path = path + '/output'
    files = os. listdir(output_path)
    for _file in files:
        if _file.find('zip') != -1:
           os. remove(output_path + '/' + _file)
    newpath=path+'/output/phase_{{}}'. format(phase_id)
    os. chdir (newpath)
    cmd = 'zip ../prediction_phase_{{}}.zip prediction.npy'.format(phase_id)
    os. system(cmd)
    os. chdir (path)
output_file(preds)
zip_fun()
```

In [ ]: