

P136

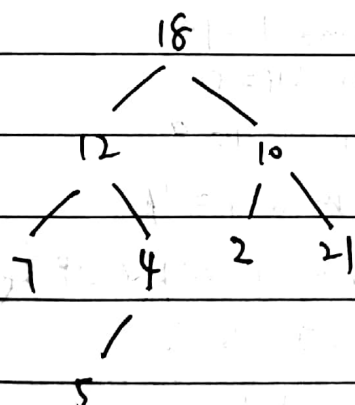
10.3-1

	1	2	3	4	5	6	7	8
next	2	3	4	5	6			
key	13	4	8	19	5	11		
prev		1	2	3	4	5		

1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19  
 13 4 0 4 7 1 8 10 4 19 13 7 5 16 10 11 /

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10.4-1



P139 10-1

$O(n)$	$O(n)$	$O(n)$	$O(n)$
$O(1)$	$O(n)$	$O(1)$	$O(n)$
$O(n)$	$O(n)$	$O(1)$	$O(1)$
$O(n)$	$O(1)$	$O(n)$	$O(1)$
$O(n)$	$O(n)$	$O(n)$	$O(1)$
$O(n)$	$O(1)$	$O(n)$	$O(1)$
$O(n)$	$O(n)$	$O(n)$	$O(1)$

JI



扫描全能王 创建

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11.2-2

0	
1	→ 28 → 19 → 10
2	→ 20
3	→ 12
4	
5	→ 5
6	→ 15 → 33
7	
8	→ 17

$$h(5) = 5$$

$$h(28) = 1$$

$$h(19) = 1$$

$$h(15) = 6$$

$$h(20) = 2$$

$$h(33) = 6$$

$$h(12) = 3$$

$$h(17) = 8$$

$$h(10) = 1$$

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线性探查

0	22
1	88
2	
3	
4	4
5	15
6	28
7	17
8	59
9	31
10	10

$$10 \bmod 11 = 10$$

$$22 \bmod 11 = 0$$

$$31 \bmod 11 = 9$$

$$4 \bmod 11 = 4$$

$$15 \bmod 11 = 4 \quad \text{冲突}$$

∴ 找 5 空

$$28 \bmod 11 = 6$$

$$17 \bmod 11 = 6 \quad \text{冲突}$$

找下一个 7 空

$$88 \bmod 11 = 0 \quad \text{冲突}$$

找下一个空 1

$$59 \bmod 11 = 5$$

冲突 找 8



二次探查

$$h'(k) + i + 3i^2$$

0	22
1	
2	88
3	17
4	4
5	
6	28
7	59
8	15
9	31
10	10

$$10 \bmod 11 = 10$$

$$22 \bmod 11 = 0$$

$$31 \bmod 11 = 9$$

$$4 \bmod 11 = 4$$

$$15 \bmod 11 = 4 \text{ 冲突找}$$

$$4 + 1 + 3 = 8 \checkmark \text{ 空}$$

$$28 \bmod 11 = 6$$

$$17 \bmod 11 = 6 \text{ 冲突}$$

$$\text{找 } 6 + 1 + 3 = 10 \text{ 冲突}$$

$$\text{找 } 6 + 2 + 3 \times 4$$

$$= 8 + 12 = 20 \bmod 11 = 9$$

$$\text{找 } 6 + 3 + 3 \times 9 = 36$$

$$36 \bmod 11 = 3 \text{ 空}$$

$$88 \bmod 11 = 0 \text{ 冲突}$$

$$0 + 1 + 3 = 4 \text{ 冲突}$$

$$0 + 2 + 3 \times 4 = 14 \bmod 11 = 3 \times$$

$$0 + 3 + 27 = 30 \bmod 11 = 8 \times$$

$$0 + 4 + 3 \times 16 = 52 \times$$

$$0 + 5 + 3 \times 25 = 80 \quad 3 \times$$

$$0 + 6 + 3 \times 36 = 114 \times$$

$$0 + 7 + 3 \times 49 = 154 \times$$

$$0 + 8 + 3 \times 64 = 200 \bmod 11 = 2 \checkmark$$

$$59 \bmod 11 = 4 \times$$

$$4 + 1 + 3 = 8 \times$$

$$4 + 2 + 3 \times 4 = 18 \bmod 11 = 7$$



## 双重散列

$$h_1(k) = k$$

$$h_2(k) = 1 + (k \bmod (m-1)) = 1 + (k \bmod 10)$$

$$10 \bmod 11 = 10$$

$$22 \bmod 11 = 0$$

$$3 \bmod 11 = 3$$

$$4 \bmod 11 = 4$$

$$15 \bmod 11 = 4 \times$$

$$15 + 1 \times (1 + 15 \bmod 10) = 21 \times$$

$$15 + 2 \times (1 + 5) = 27 \bmod 11 = 5$$

$$28 \bmod 11 = 6$$

$$17 \bmod 11 = 6 \times$$

$$17 + 1 \times (1 + 17 \bmod 10) = 25 \bmod 11 = 3$$

$$88 \bmod 11 = 0 \times$$

$$88 + 1 \times (1 + 88 \bmod 10) = 88 + 9 = 97 \quad 9 \times$$

$$88 + 2 \times 9 = 106 \bmod 11 = 7$$

$$59 \bmod 11 = 4 \times$$

$$59 + 1 \times (1 + 59 \bmod 10) = 59 + 10 = 69 \times$$

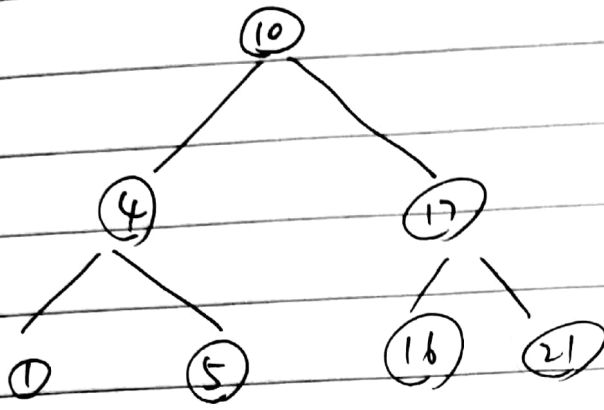
$$59 + 2 \times (1 + 9) = 79 \bmod 11 = 2$$

0	22
1	
2	59
3	17
4	4
5	15
6	28
7	88
8	
9	31
10	10

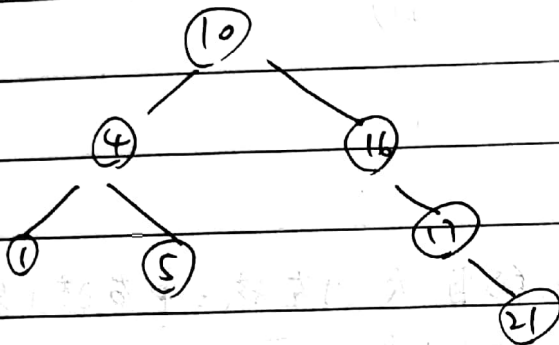
P162 12.1-1



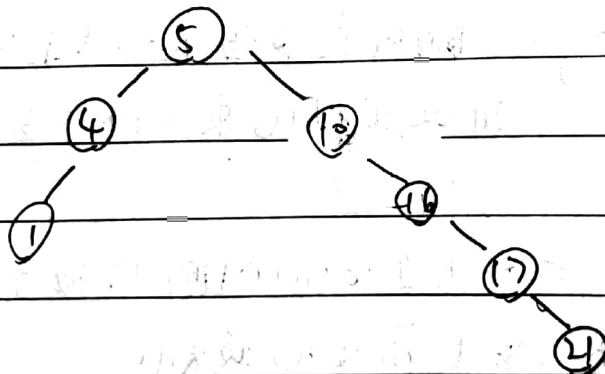
高度 2



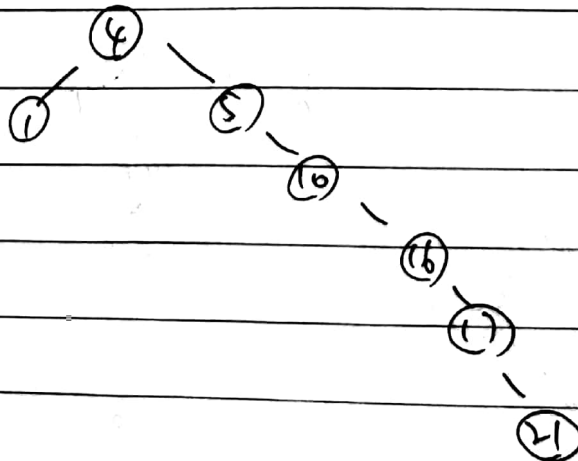
高度为 3



高度为 4

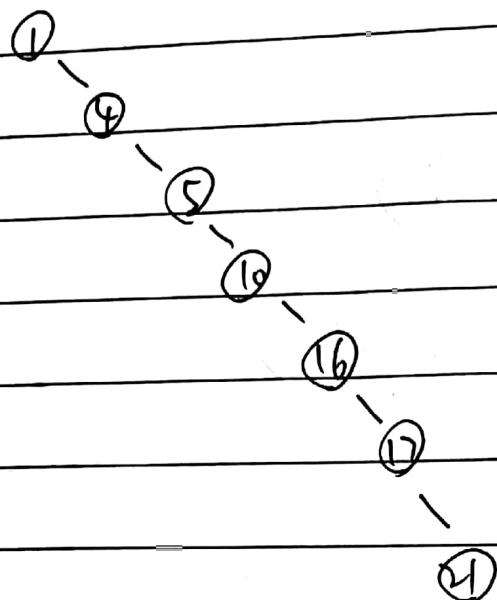


高度为 5





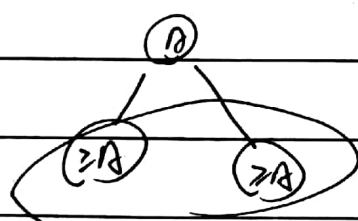
高度为6



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12-1-2

最小堆要求非叶子结点的值不大于左孩子和右孩子的值

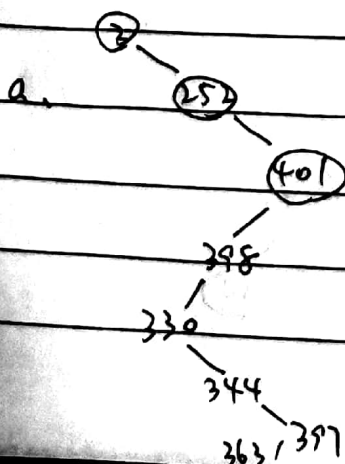


而二叉搜索树要求一个结点的值不小于左子树结点的值且不大于右子树结点的值  
所以限制比最小堆更多

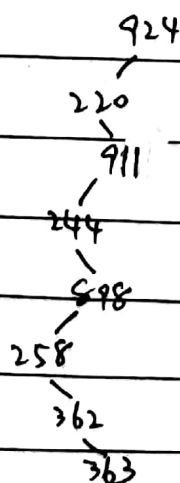
所以最小堆没办法在  $O(n)$  时间内按序输出  $n$  个关键字  
因为这两个结点需要比较大小

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12-2-1



b.

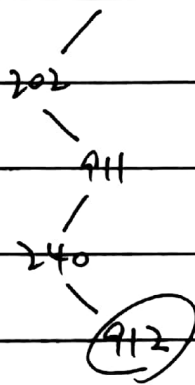


JI



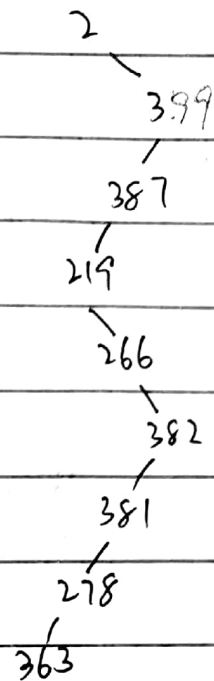
扫描全能王 创建

c. 925

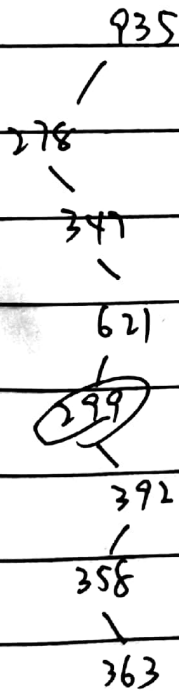


912 > 911 ∴ 不可能

d.



e.



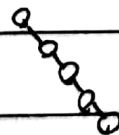
299 < 347, 不能在 347 的右子树

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12.3-3

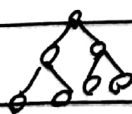
中: 左根右

最坏: 树为一长串



$O(n^2)$

最好

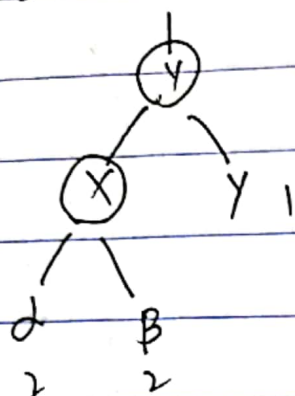


$O(n \lg n)$

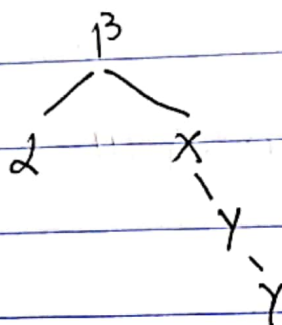


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T 13.2-3



左旋, 右子树上移



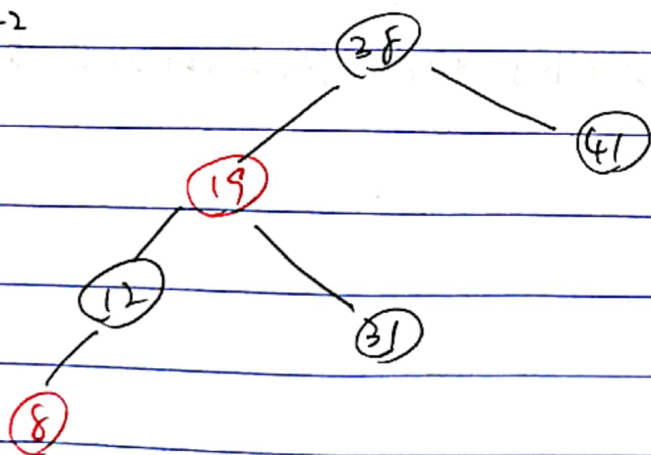
$\alpha - 1$

$\beta - 2$

$\gamma + 2$

P182

T 13.3-2



P 240 15.1-3

$$q = \max(q, p[i] - \text{cost} + r[i - 1])$$





P215 15.2-1

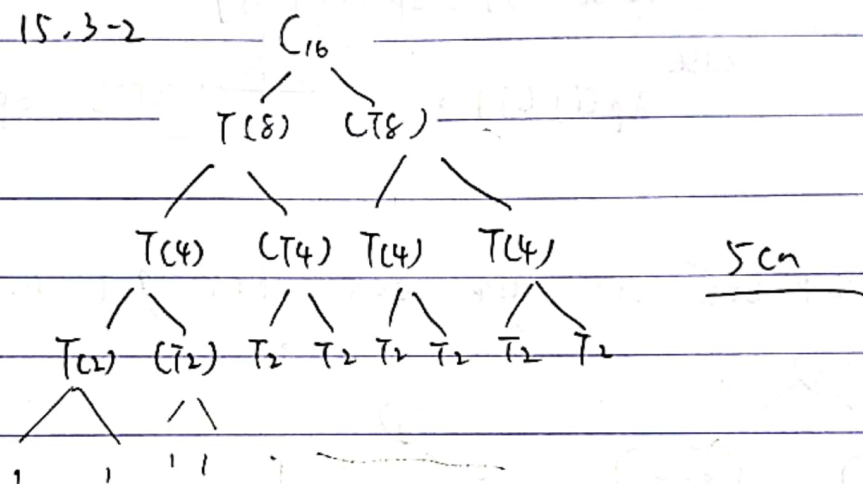
$$((5 \times 10) (10 \times 3)) ((3 \times 12) (12 \times 5)) ((5 \times 50) (50 \times 6))$$

5x3

3x5

5x6

P222 15.3-2



merge-sort 对任意一个小问题都只进行一次递归调用,即这些子问题都不重叠,不存在反复求解降低效率这一问题,所以备忘技术无效

P226 15.4-1

$$\begin{array}{r} (1 \ 0 \ 0 \ 1 \ 0 \ 1 \ 1) \\ \diagdown \ \diagup \ \diagdown \ \diagup \ \diagdown \ \diagup \\ (0 \ 1 \ 0 \ 1 \ 1 \ 0 \ 1 \ 1 \ 0) \\ 1 \ 0 \ 0 \ 1 \ 1 \ 0 \end{array}$$

P241 16.1-1

Greedy - activity - selector  $O(n)$



P244 16-2-2

同oj上的背包下的大子生

for  $i = 1$  to  $n$

for  $j = 1$  to  $w$

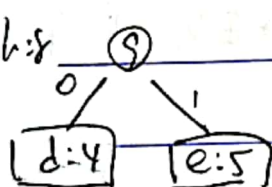
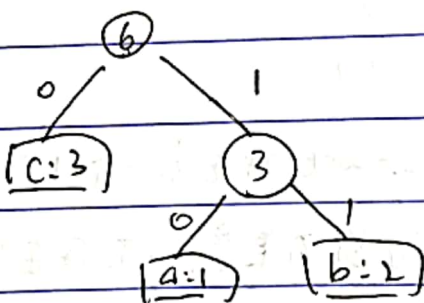
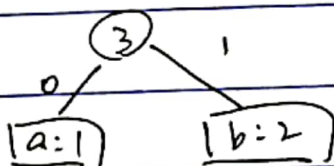
if  $j < i \cdot \text{weight}$

$dp[i][j] = dp[i-1][j]$

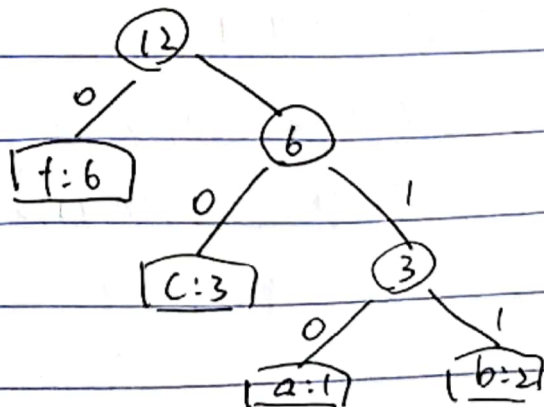
else  
 $dp[i][j] = \max(dp[i-1][j], dp[i-1][j-i \cdot \text{weight}] + i \cdot \text{value})$

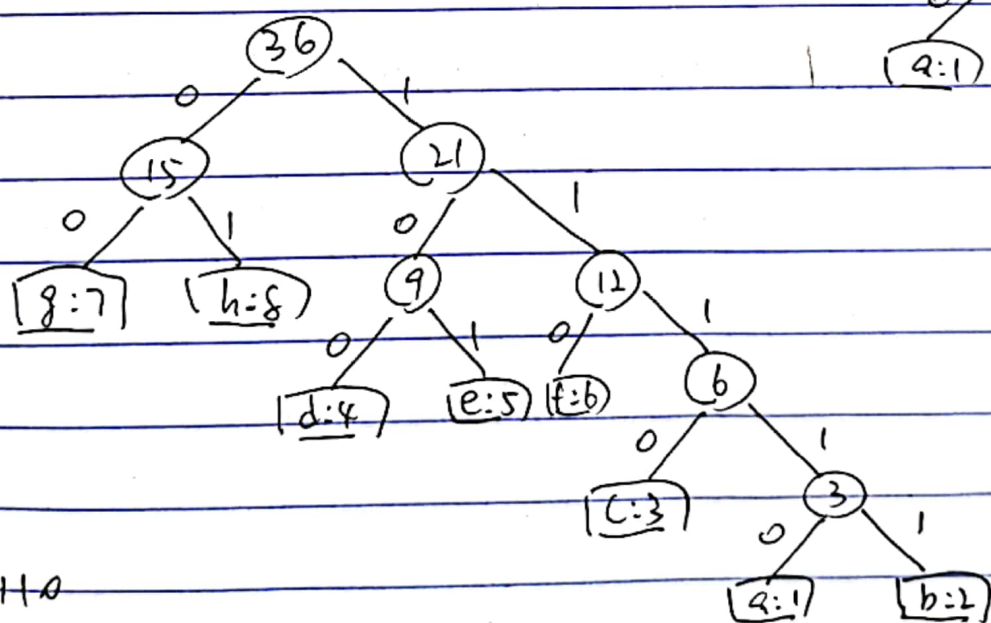
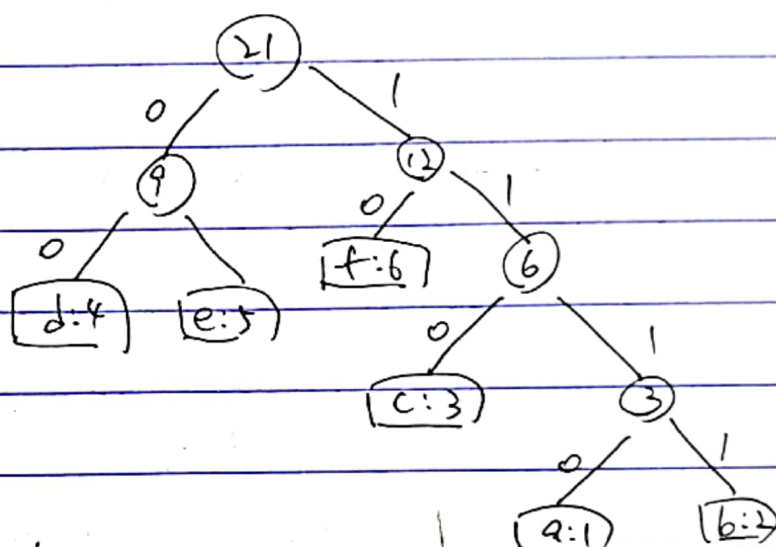
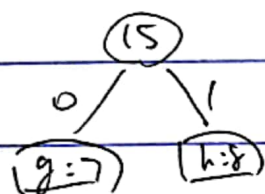
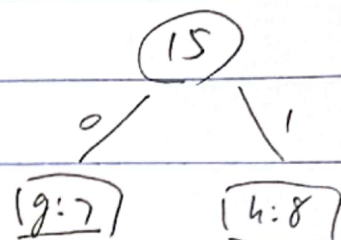
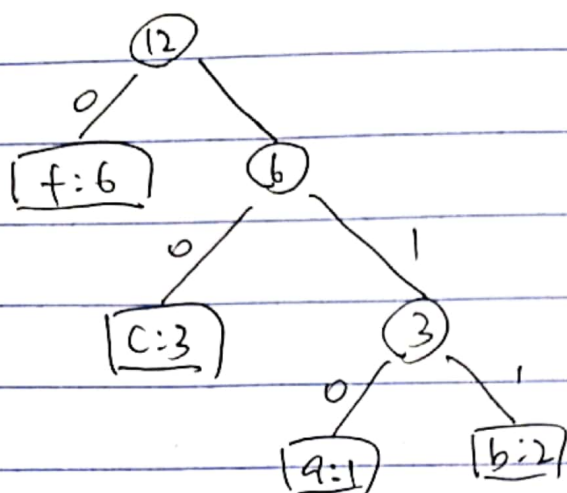
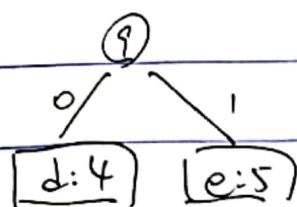
输入

~~a:1~~ ~~b:2~~ ~~c:3~~ ~~d:4~~ e:5 f:6 g:7 h:8



g:7 h:8





a: 11110

b: 11111

c: 1110

d: 100

e: 101

f: 110

g: 00

h: 01

101011101010111000010  
f h f e h c g h

