

Cellular Biophysics

Lecture 1: Mechanotransduction

Teemu Ihalainen, Ph.D.

PI, Cellular Biophysics-group / Tampere University
Scientific Advisor / BioMediTech Microscopy Core

teemu.ihalainen@tuni.fi



: @IhisTeemu

Cellular Mechanotransduction

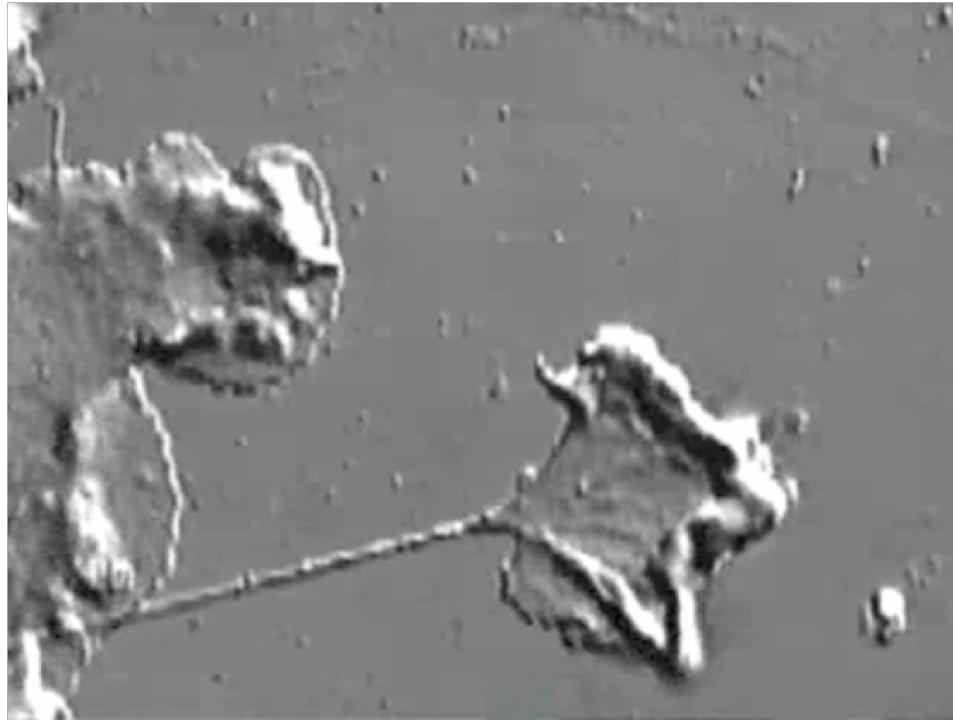
Contents

1. Introduction to mechanotransduction
2. Protein folding and structure
3. Chemical equilibria
4. Influence of force on chemical equilibrium
5. Influence of force on protein structure

Cellular Mechanotransduction

Force generation by tissues

Cells are able to convert chemical energy into mechanical force



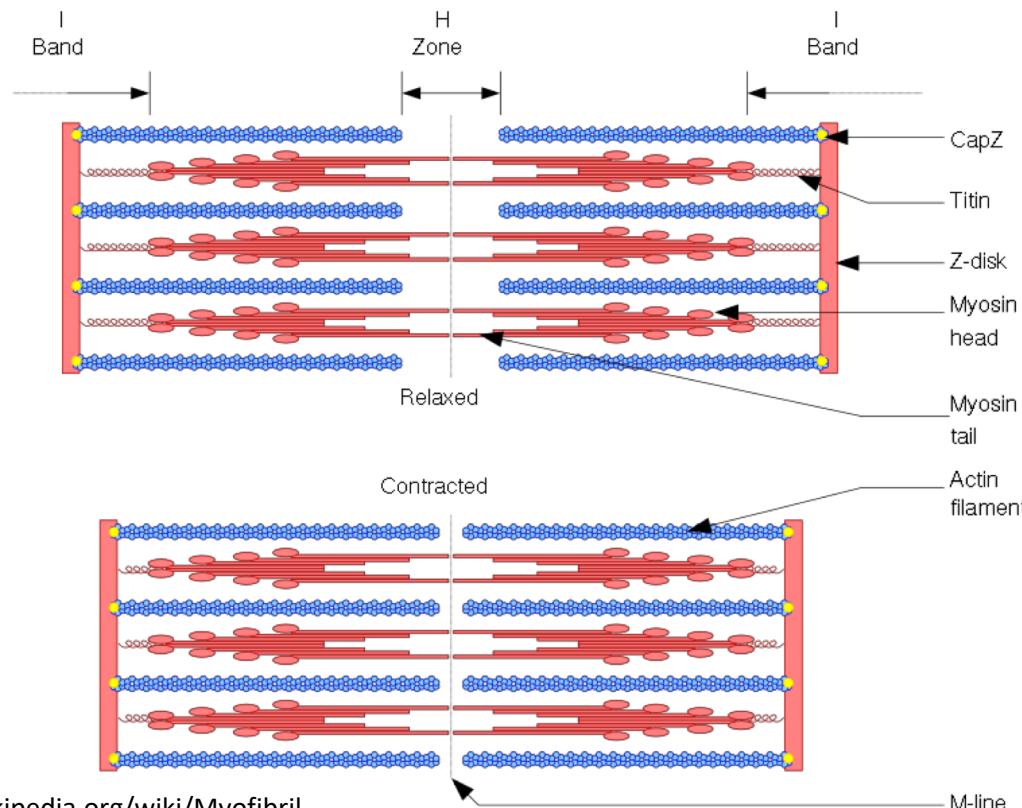
Cellular Mechanotransduction

Force generation by tissues

Cells are able to convert chemical energy into mechanical force

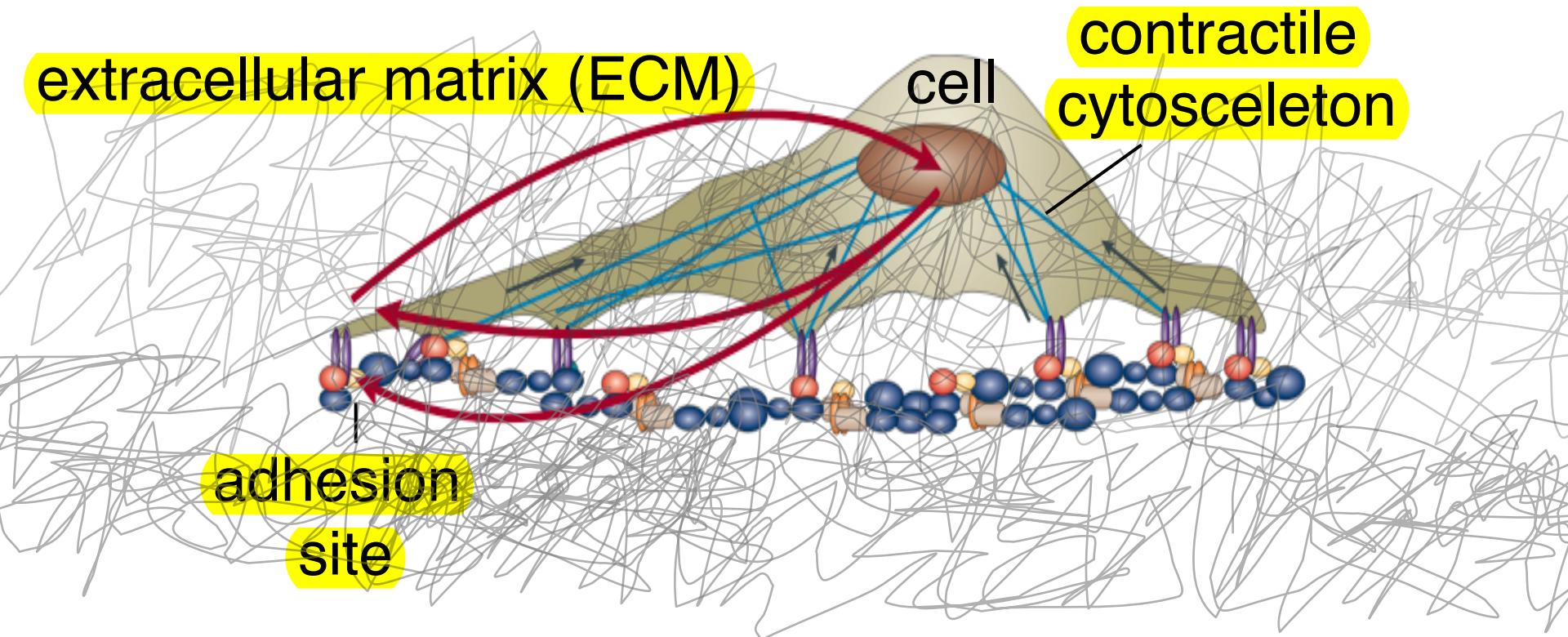
Example 2: muscle contraction, actin and myosin fibers

Sliding filament model of muscle contraction



Cellular Mechanotransduction

Mechanotransduction



Cells actively interact with the surrounding extracellular matrix

Cellular Mechanotransduction

Mechanotransduction

Nowadays it is well known that different cell types can sense mechanical force and properties of the surrounding tissue.

Conversion of mechanical stimuli into biochemical activity ==
Mechanotrasduction

More general definition:

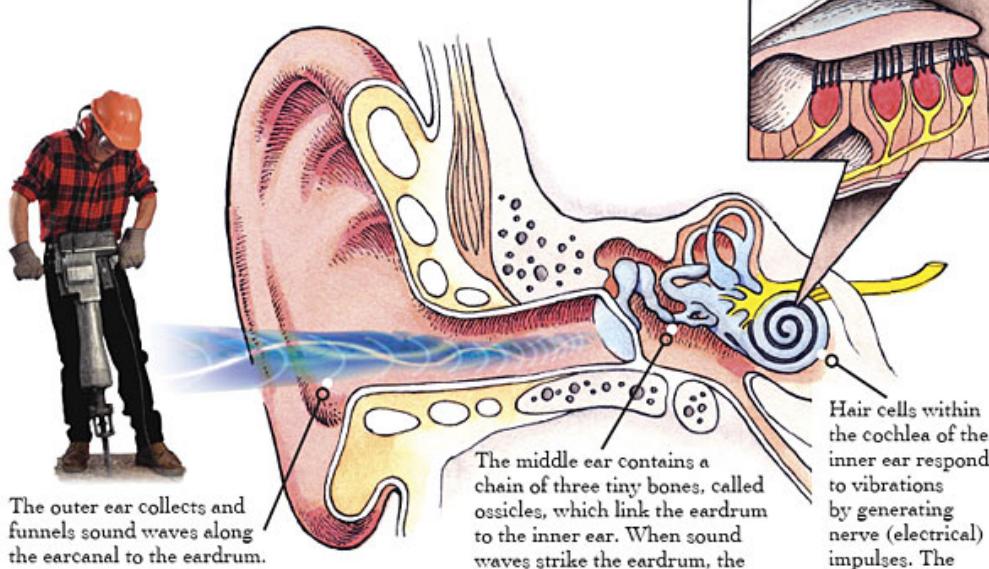
Mechanotrasnduction == process which allow cells to sense and alter the physical properties of the environment (rigidity, dimensionality, elasticity, etc.)

Cellular Mechanotransduction

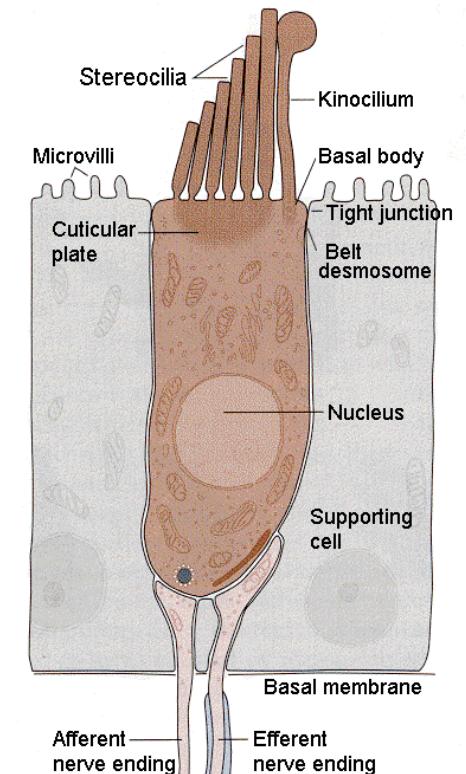
Mechanotransduction

Classical example of mechanotransduction: hearing

- Mechanical stimulus is transformed into electrical signal (voltage change) in the nerve cells



<http://www.coopersafety.com/YourHearing.aspx>



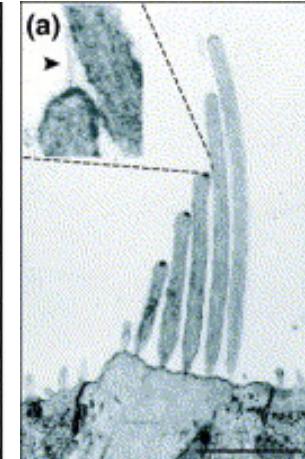
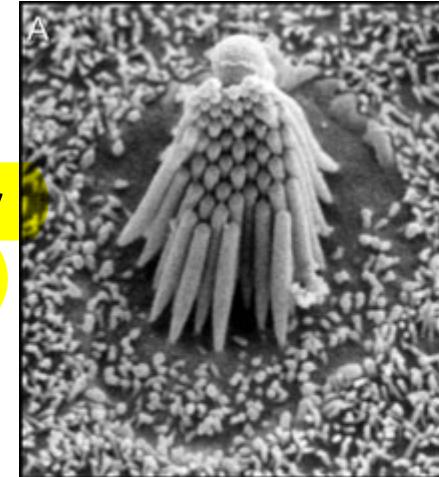
http://michaeldmann.net/pix_4b/hair_cell.gif

Cellular Mechanotransduction

Mechanotransduction

Mechanical stimuli bend the hair cells stereocilia

- The bending opens mechanically gated transduction channels in the tips of stereocilia
- Ion influx.



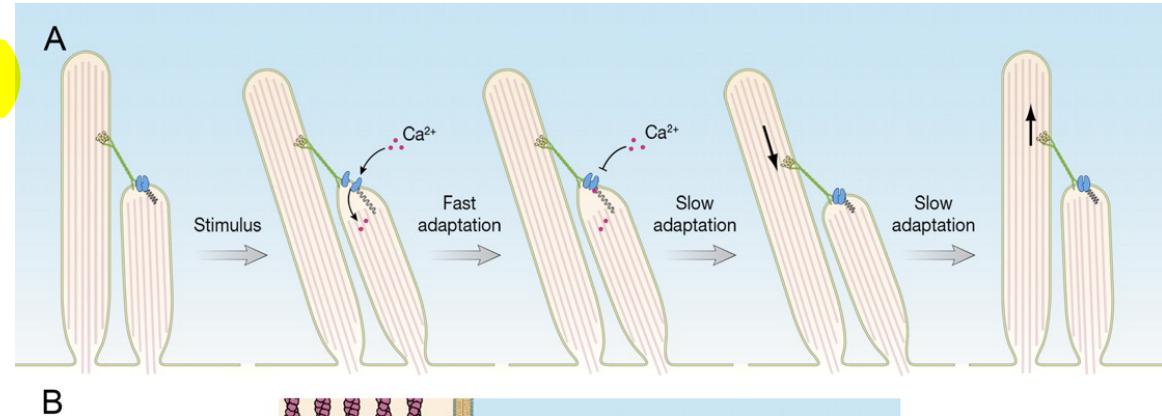
<http://www.ks.uiuc.edu/Research/hearing/>

Trends in Neuroscience,
Vol 28, Issue 3, March
2005, Pages 140–144

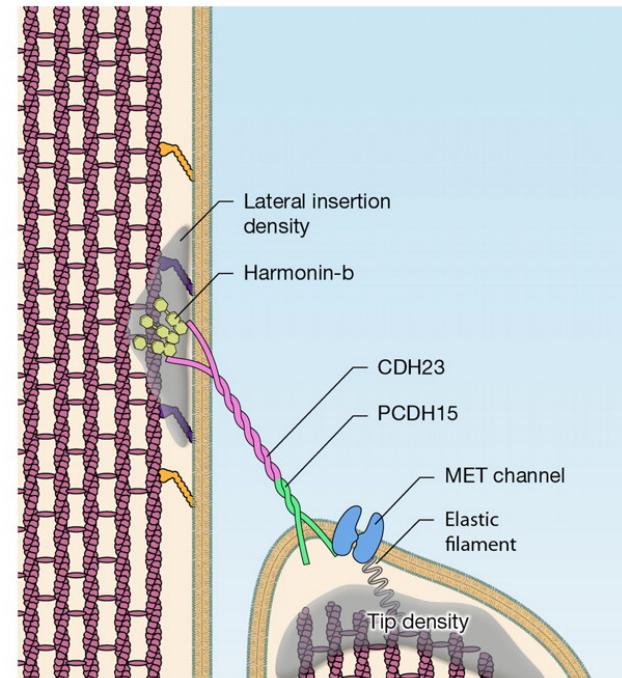
Cellular Mechanotransduction

Mechanotransduction

Ion channel activation and adaptation



Molecular components of hearing



Cellular Mechanotransduction

Mechanotransduction

The mechanical properties and signals rising from the surrounding tissue can influence many processes:

- cell differentiation
- organogenesis
- tissue regeneration and homeostasis
- cancer and cancer metastasis

In many cases only **the phenomena** is well documented, but **the details** (molecular components and interactions) are not known

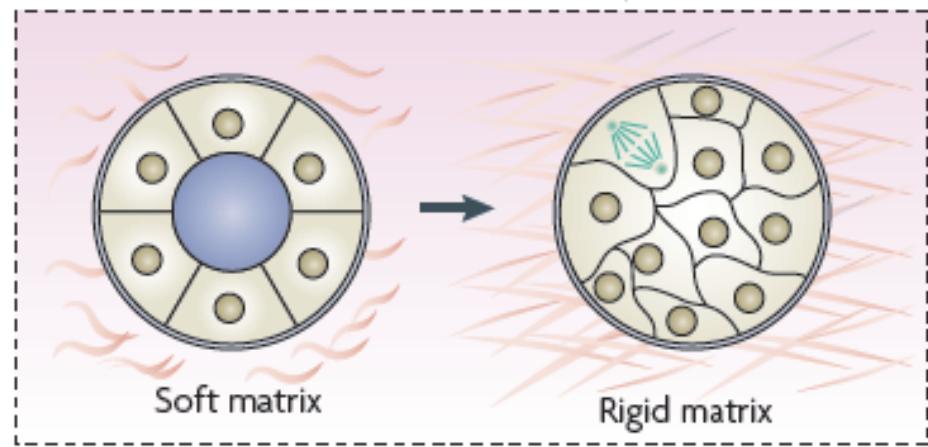
Cellular Mechanotransduction

Mechanotransduction

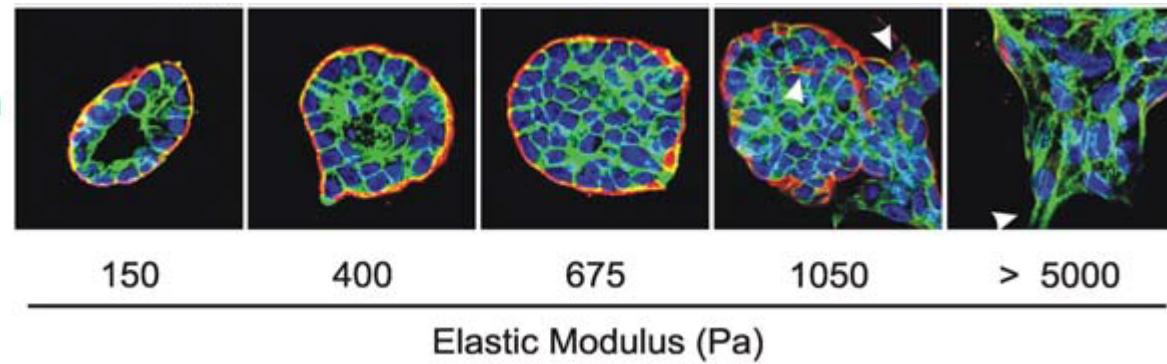
Example: Cancer

Tumors are usually stiffer than the surrounding tissue

Stiffer ECM can disrupt the epithelial cell polarity and lead into small tumor like growth (mammary epithelia)

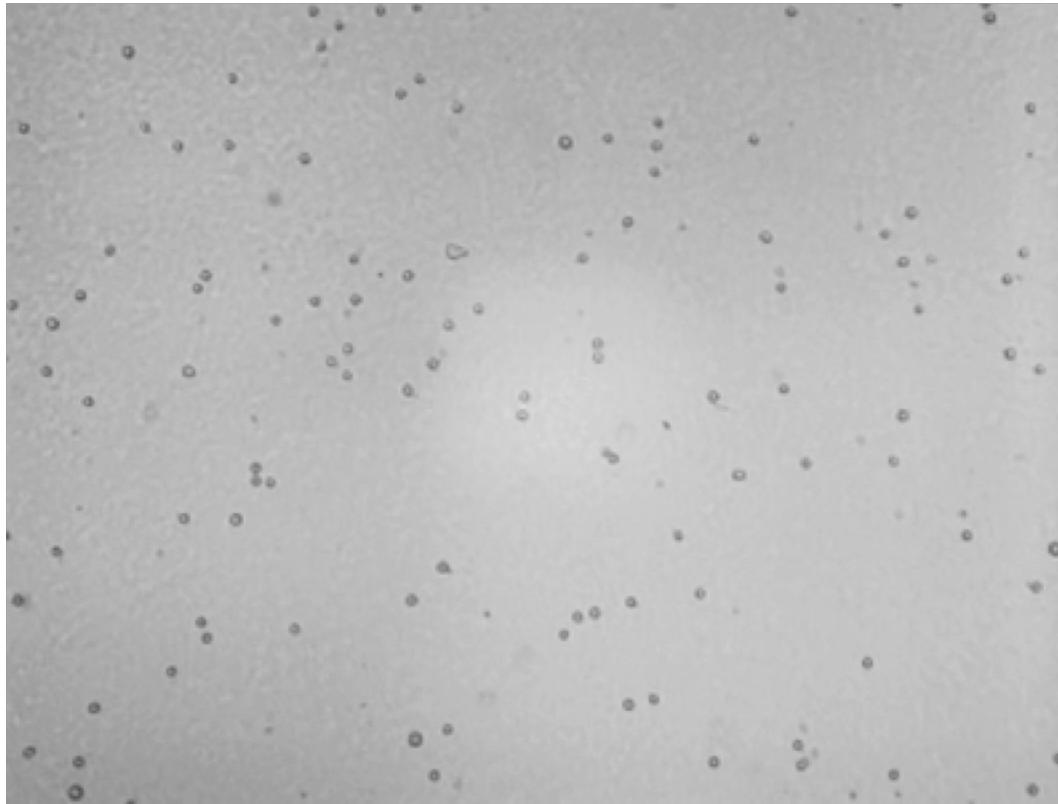


Phalloidin
BM
DAPI



Cellular Mechanotransduction

Mechanotransduction



Cellular Mechanotransduction

Mechanotransduction

1. Cells can generate forces and sense them
2. "Physical properties" of the extracellular environment influence cell behavior

Cellular Mechanotransduction

Proteins

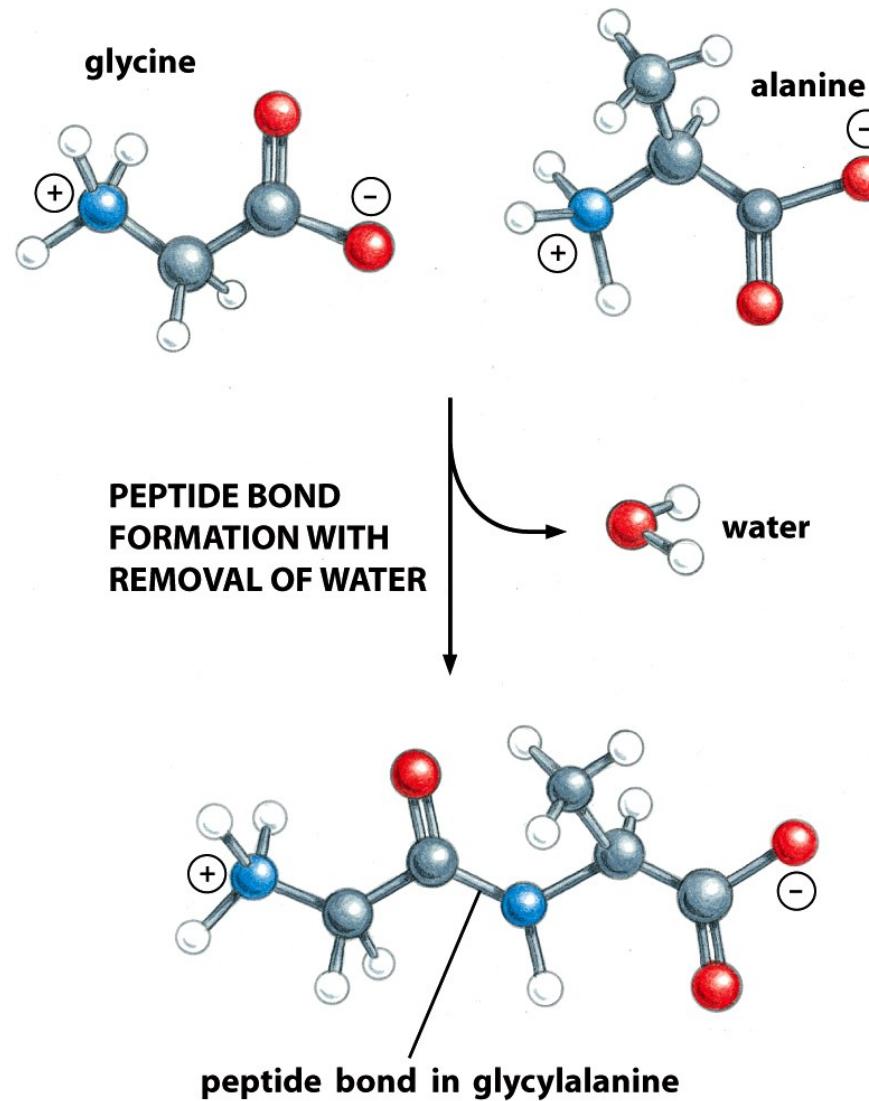


Figure 4-1 Essential Cell Biology 3/e (© Garland Science 2010)

Cellular Mechanotransduction

Proteins

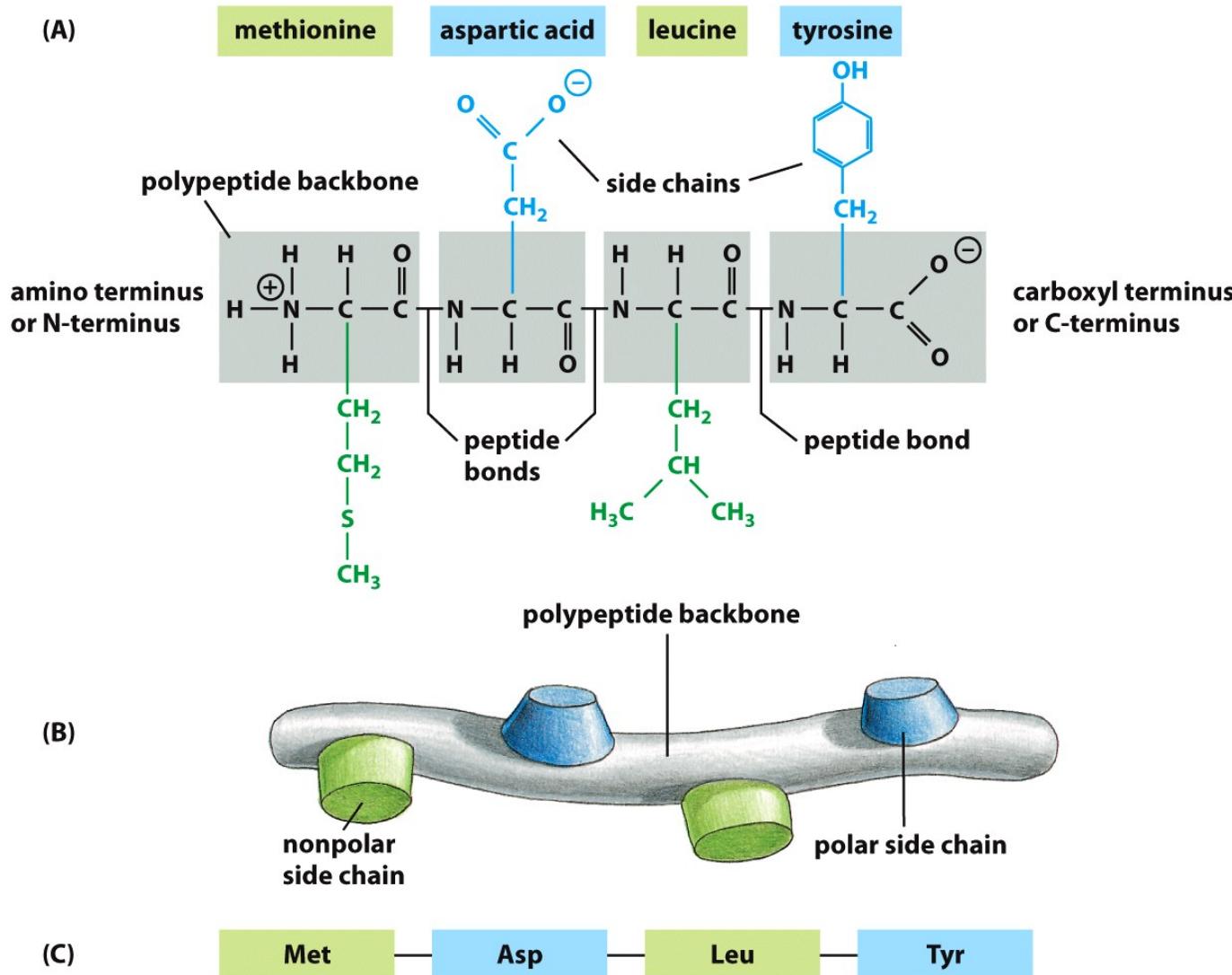
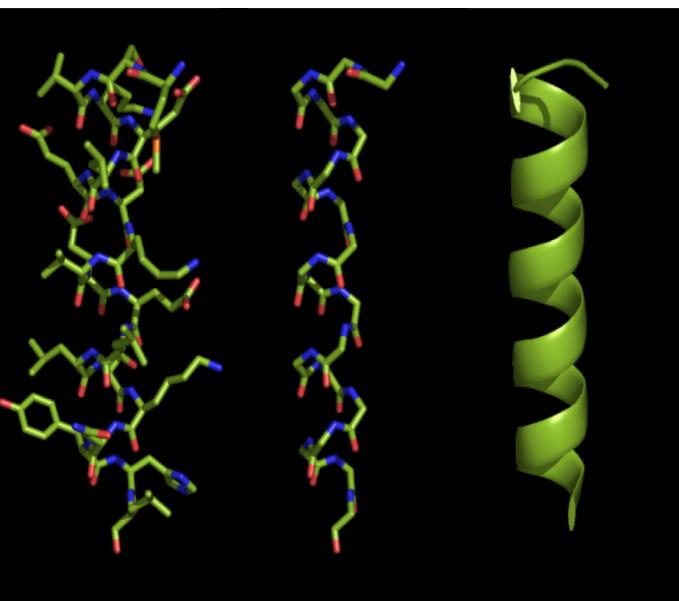


Figure 4-2 Essential Cell Biology 3/e (© Garland Science 2010)

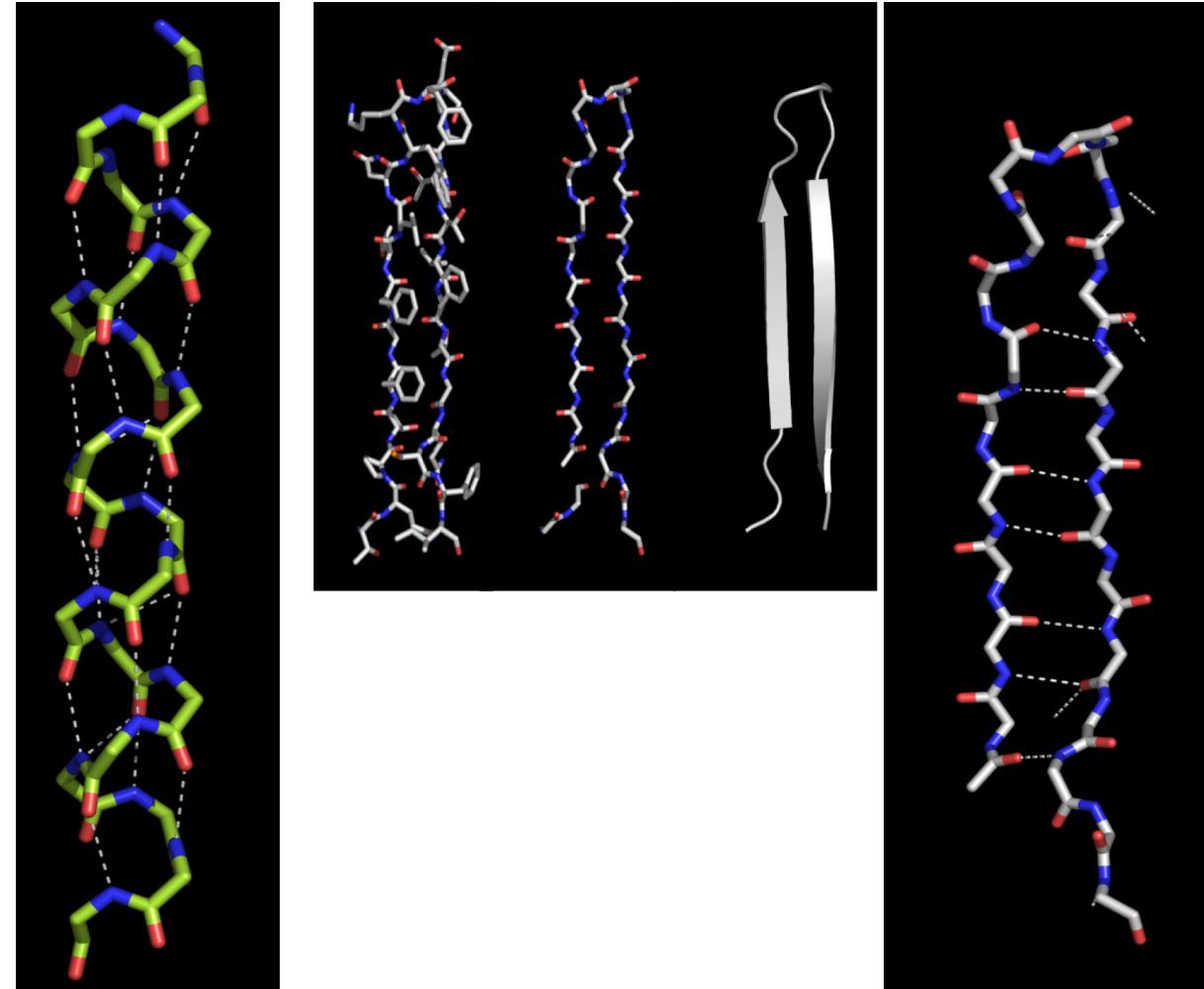
Cellular Mechanotransduction

Protein secondary structures

α -helix

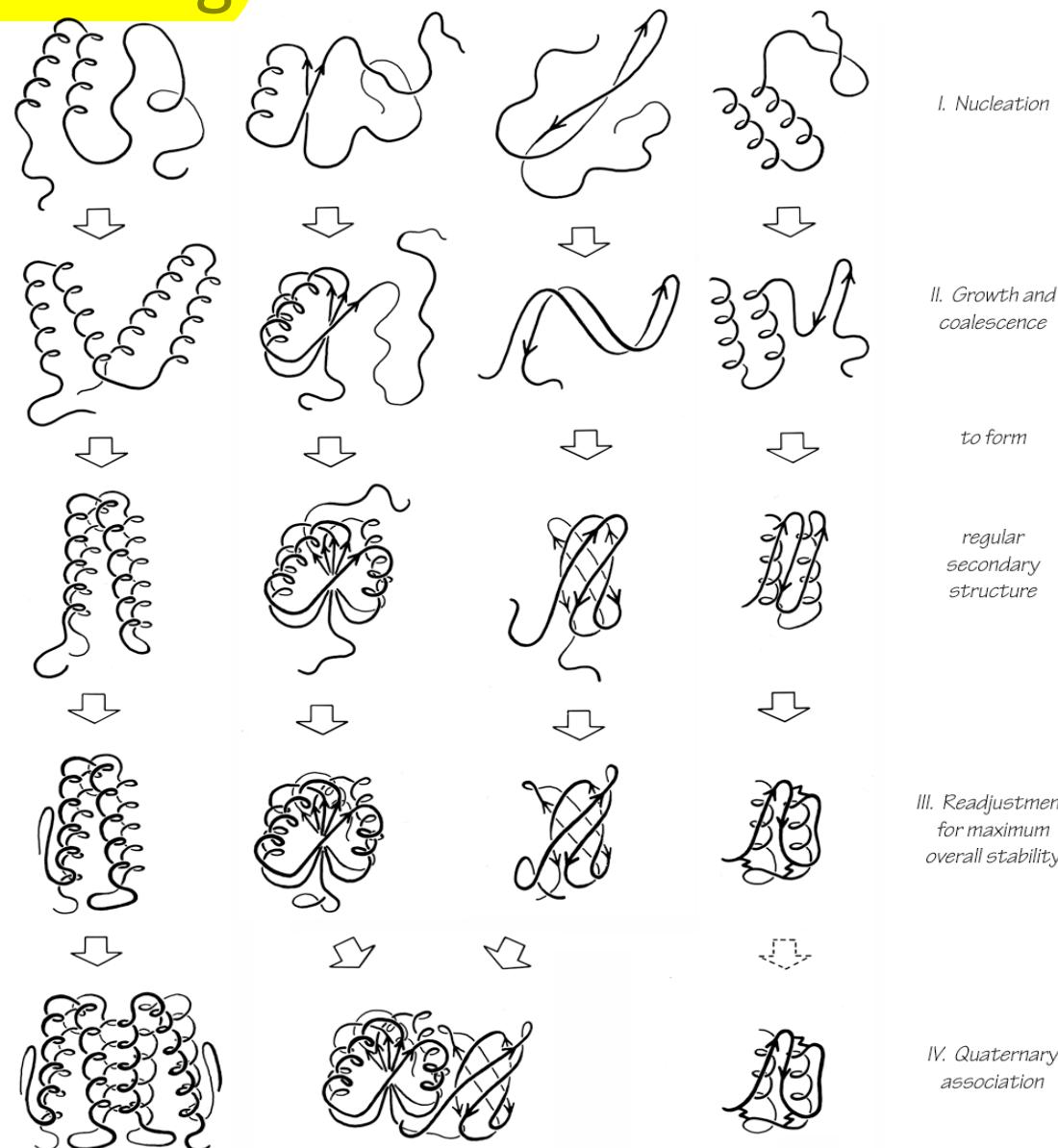


β -sheet



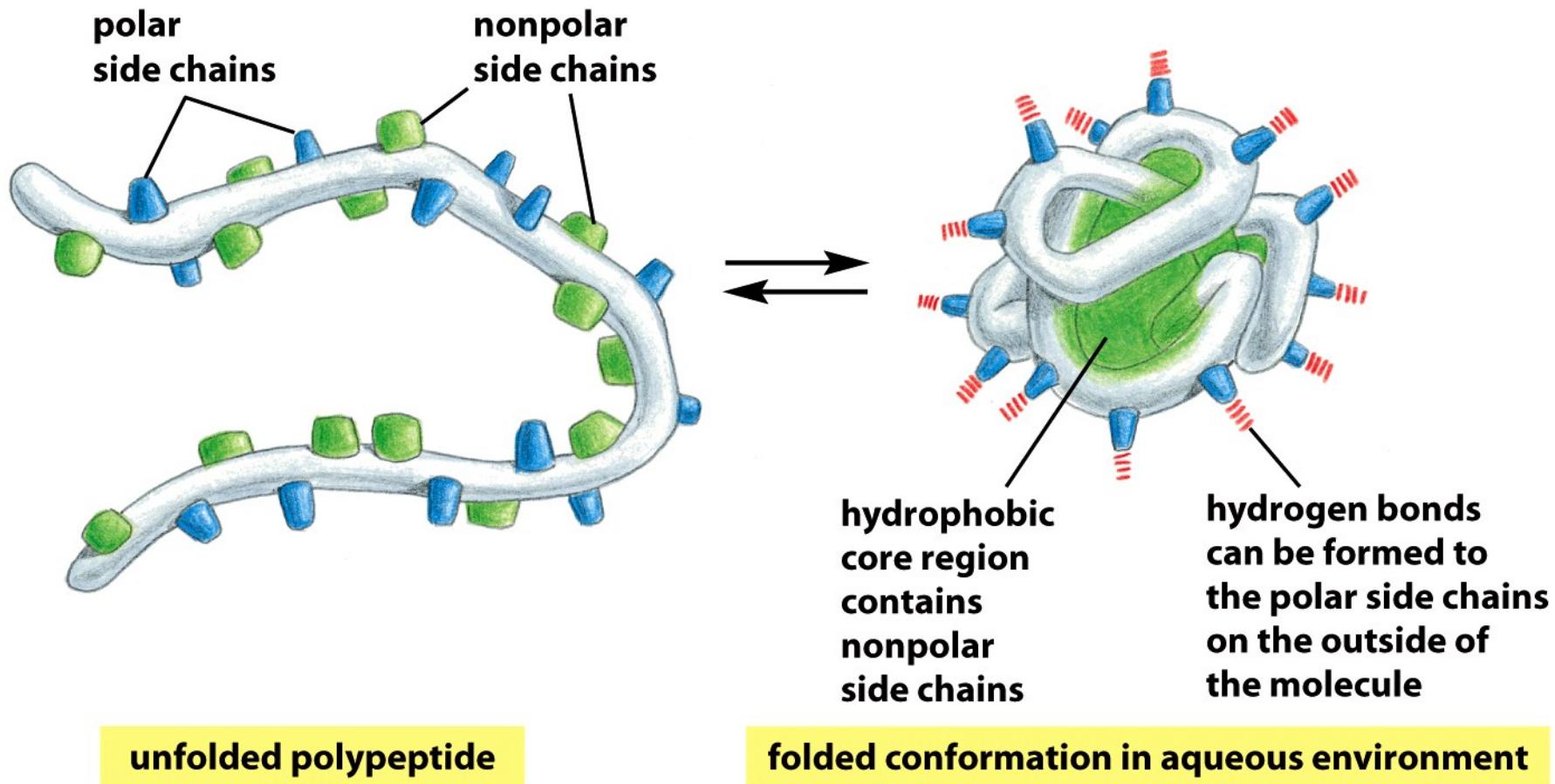
Cellular Mechanotransduction

Protein folding



Cellular Mechanotransduction

Proteins

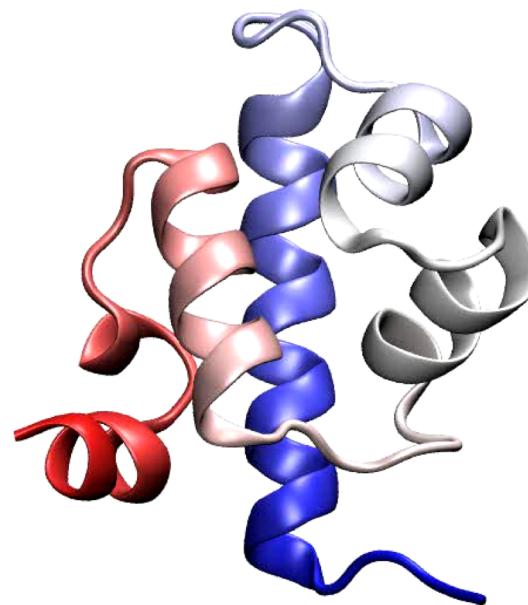


Cellular Mechanotransduction

Protein folding and chemical equilibrium

In order to understand how external force might influence the protein structure and function, we need to take a closer look on the protein folding

Folding of λ -
repressor protein,
 $100\mu\text{s}$



Cellular Mechanotransduction

Chemical equilibrium

The process can be described using Gibb's (or Helmholtz) free energy:

$$\Delta G = \Delta U - T\Delta S$$

ΔU = change in internal energy of the system

T = temperature

ΔS = change in entropy of the system

If $\Delta G < 0$ reaction is spontaneous

if $\Delta G > 0$ reaction is nonspontaneous

Cellular Mechanotransduction

Chemical equilibrium

The internal energy ΔU can be divided to different components:

- I. U_c = energy from covalent bonds
- II. U_e = energy from electrostatic bonds and hydrogen bonds
- III. U_d = energy from dispersive bonds (van der Waals)
- IV. E_t = translational kinetic energy
- V. E_r = rotational kinetic energy

$$\Delta U = -(U_c + U_e + U_d) + E_t + E_r$$

$U_c \sim 1000 - 5000$ eV per 1000 bonds

$U_e \sim 50 - 200$ eV per 1000 bonds

$U_d \sim 0.5 - 1$ eV per 1000 bonds

Cellular Mechanotransduction

Chemical equilibrium

$$\Delta U = -(U_c + U_e + U_d) + E_t + E_r$$

For protein structure stability, the term U_e is important (hydrogen bonds)

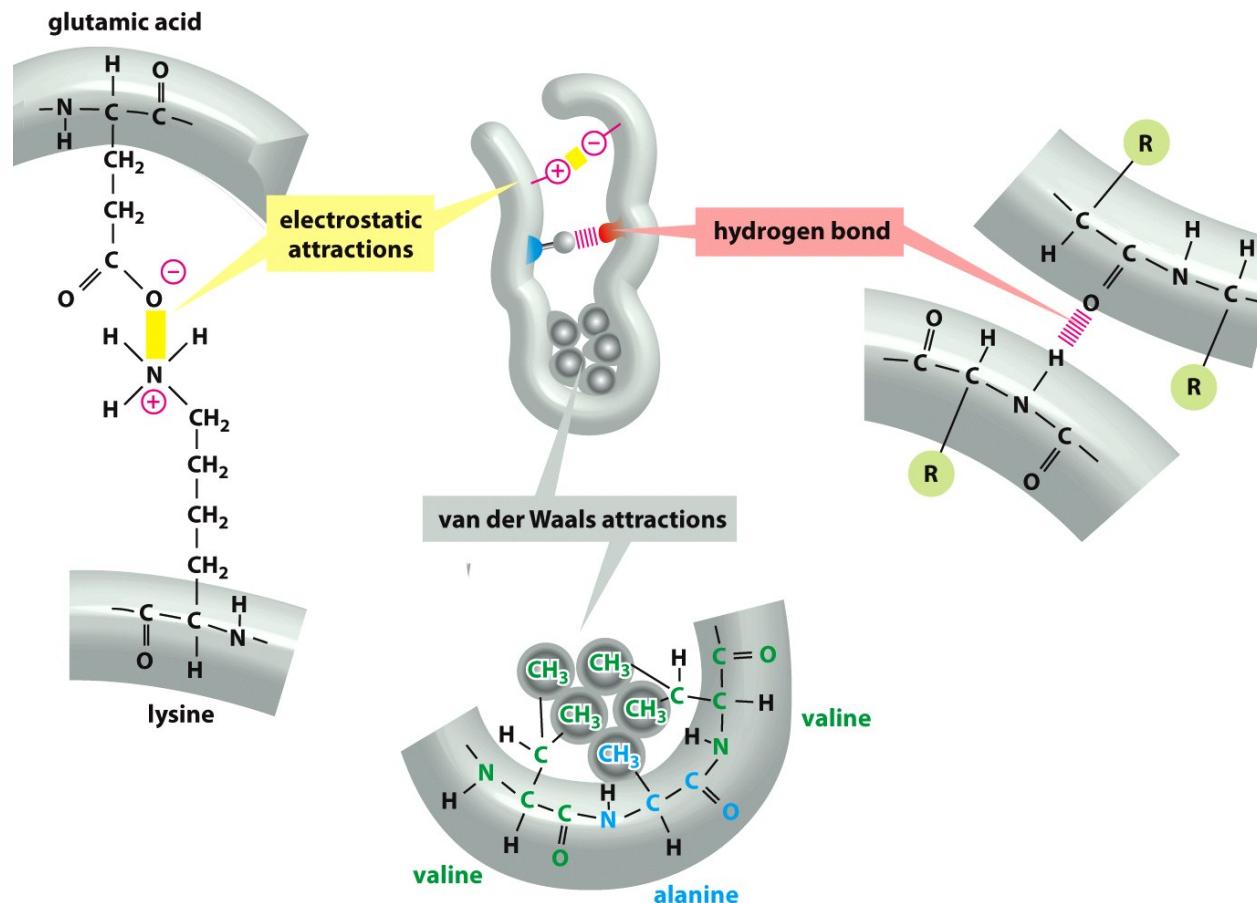


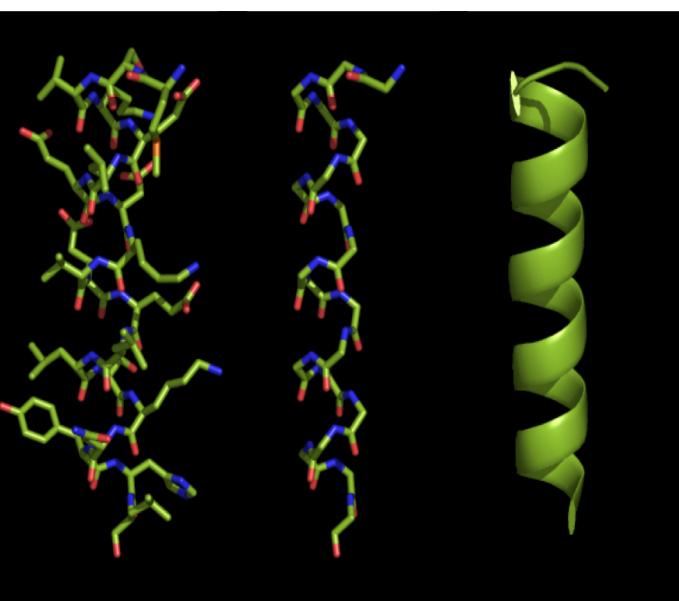
Figure 4-4 Essential Cell Biology 3/e (© Garland Science 2010)

Cellular Mechanotransduction

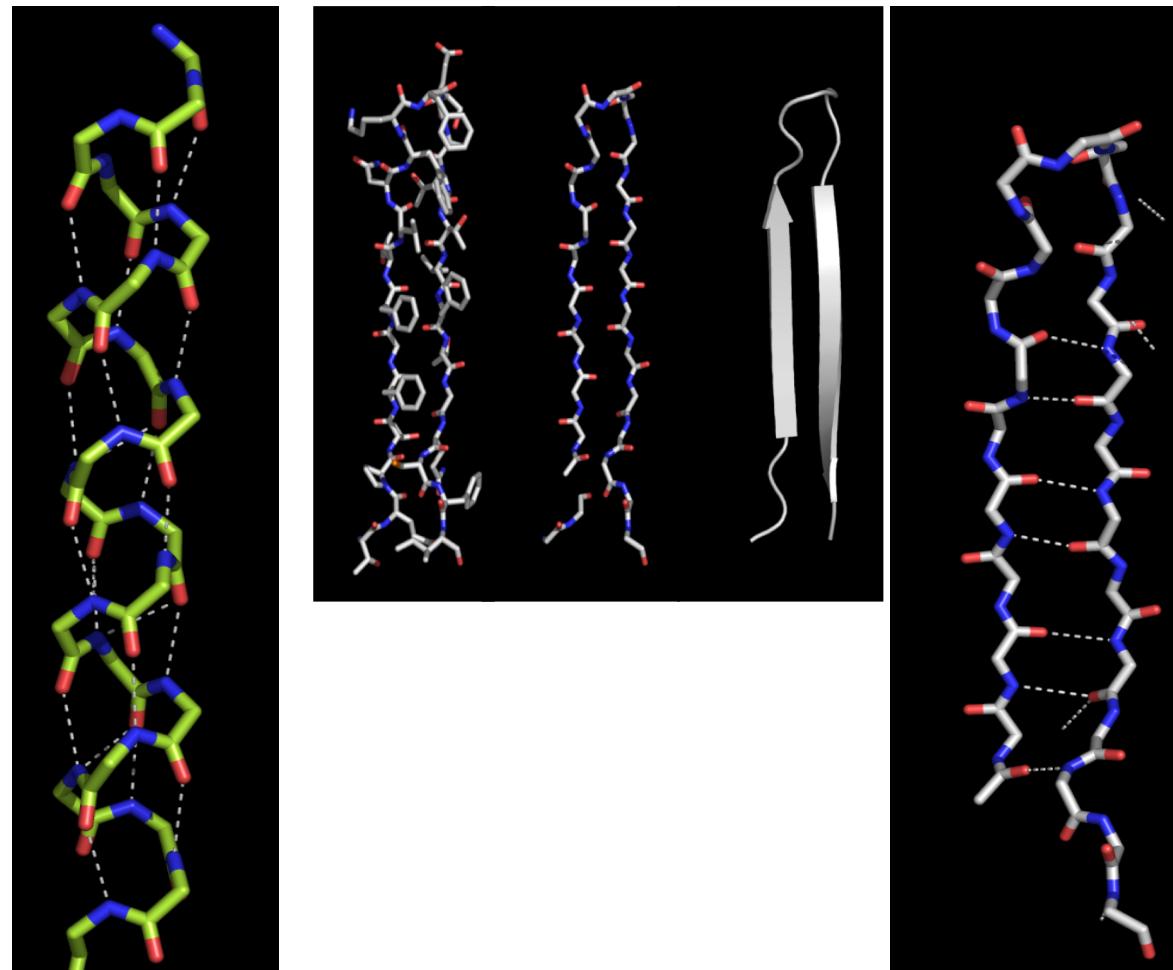
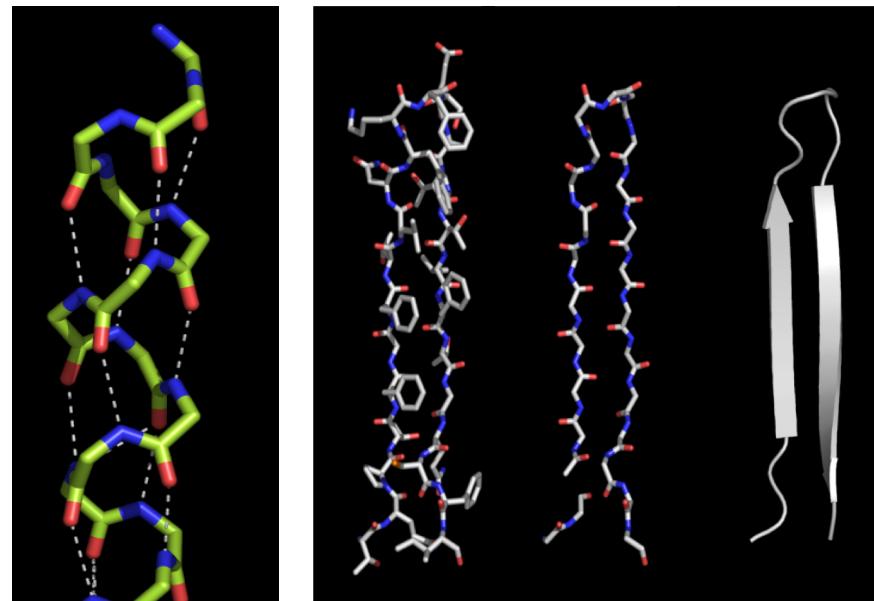
Chemical equilibrium

Hydrogen bonds of the secondary structure

α -helix



β -sheet



Cellular Mechanotransduction

Chemical equilibrium

Entropy of the system can be described with Boltzmann's entropy

k = Boltzmann's constant

$$S = k \ln \Omega$$

Ω = number of allowed “microstates”
giving certain “macrostate”

Cellular Mechanotransduction

Chemical equilibrium

k = Boltzmann's constant

$$S = k \ln \Omega$$

Ω = number of allowed “microstates” giving certain “macrostate”

Example, macrostate = lenght of a polymer

Lets assume that bond angle between polymer subunits can be 0, +45deg or -45deg.

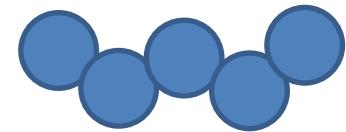


Probability for the molecule to be fully extended:

$$p = 1/3 * 1/3 * 1/3 * 1/3 = 1 / 81$$

Cellular Mechanotransduction

Chemical equilibrium

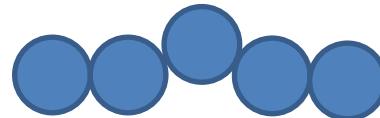


Example, macrostate = lenght of a polymer

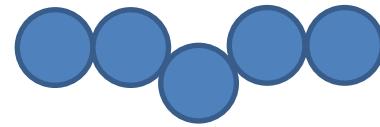
Lets assume that bond angle between polymer subunits can be 0, +45deg or -45deg.



Fully extended: $p = 1 / 81$



1 kink: $p = 10 / 81$

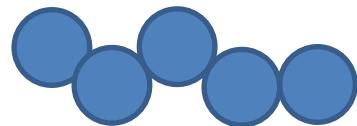


Cellular Mechanotransduction

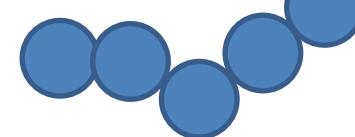
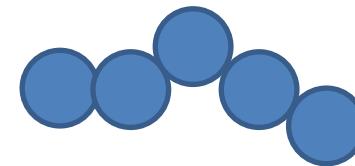
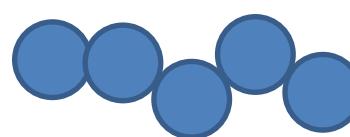
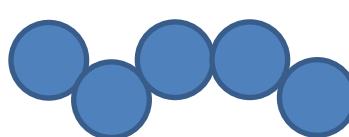
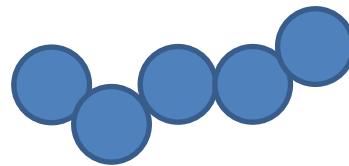
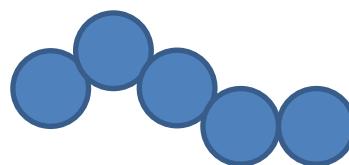
Chemical equilibrium

Example, macrostate = lenght of a polymer

Lets assume that bond angle between polymer subunits can be 0, +45deg or -45deg.



2 kinks: $p = 20 / 81$



Cellular Mechanotransduction

Chemical equilibrium

Example, macrostate = lenght of a polymer

no kinks: $p= 1 / 81$

$$S = k \ln \Omega$$

1 kink: $p= 10 / 81$

Ω = number of allowed conformations
leading into certain molecular length

2 kinks: $p= 20 / 81$

.

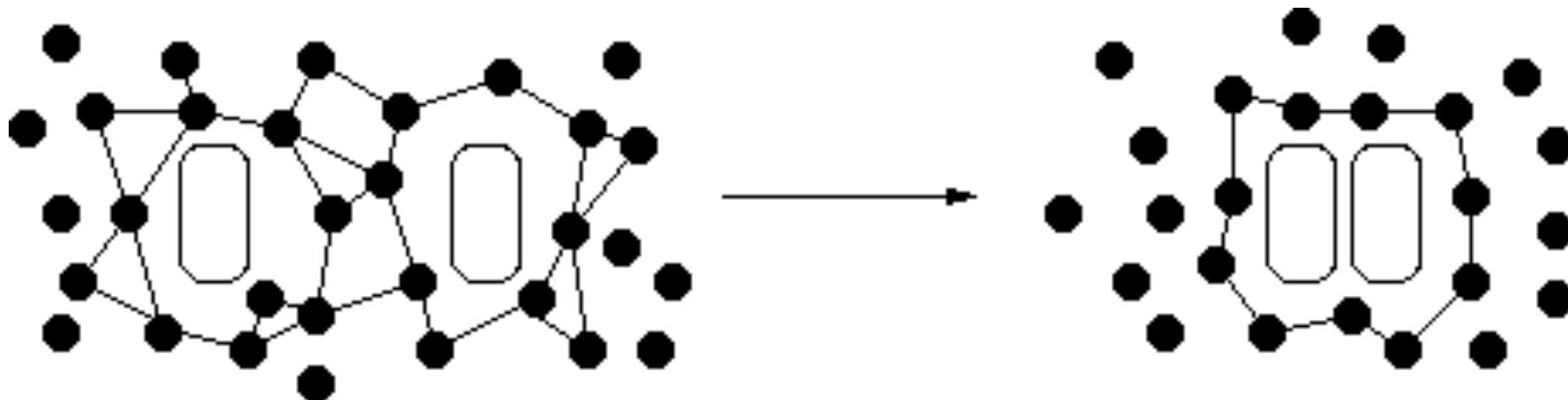
Thus, entropy favors more "disordered" polymer structure

Cellular Mechanotransduction

Chemical equilibrium

$$S = S_{protein} + S_{solvent}$$

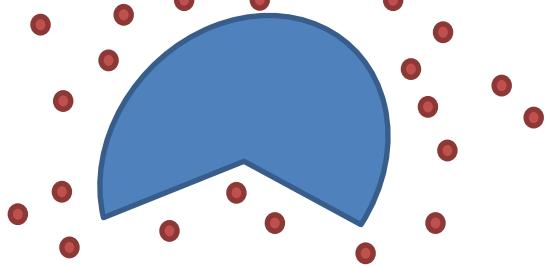
Hydrophobicity and water entropy



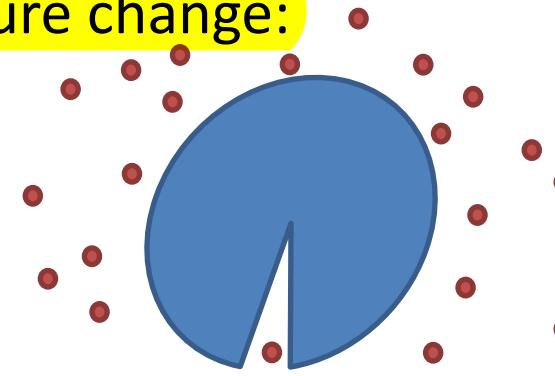
Cellular Mechanotransduction

Chemical equilibrium

Simplification of the protein structure change:



$$G_1 = U_1 - TS_1$$



$$G_2 = U_2 - TS_2$$

$$\Delta G = \Delta U - T \Delta S = \Delta U - T(S_2 - S_1)$$

$$\Delta G - \Delta U = -kT(\ln \Omega_2 - \ln \Omega_1) = -kT \ln \frac{\Omega_2}{\Omega_1}$$

$\Delta E = -kT \ln \frac{\Omega_2}{\Omega_1}$

Cellular Mechanotransduction

Chemical equilibrium

Simplification of the protein structure change:

$$\Delta E = -kT \ln \frac{\Omega_2}{\Omega_1} \rightarrow \ln \frac{\Omega_2}{\Omega_1} = -\frac{\Delta E}{kT}$$

$$\ln \frac{\Omega_2}{\Omega_1} = -\frac{\Delta E}{kT} \rightarrow \frac{\Omega_2}{\Omega_1} = e^{-\frac{\Delta E}{kT}}$$

If we assume that all the microstates are equally probable, then probability to be in a macrostate P_x :

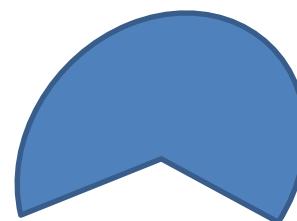
$$P_x = \frac{\sum \text{microstates giving } P_x}{\sum \text{all microstates}}$$

Cellular Mechanotransduction

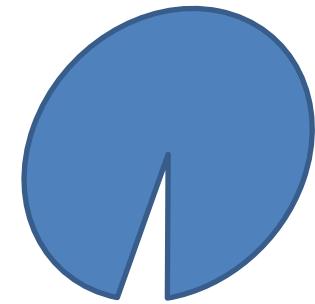
Chemical equilibrium

Thus, we can rewrite:

$$\frac{\Omega_2}{\Omega_1} = e^{-\frac{\Delta E}{kT}} \rightarrow \frac{P_2}{P_1} = e^{-\frac{\Delta E}{kT}}$$



P₁



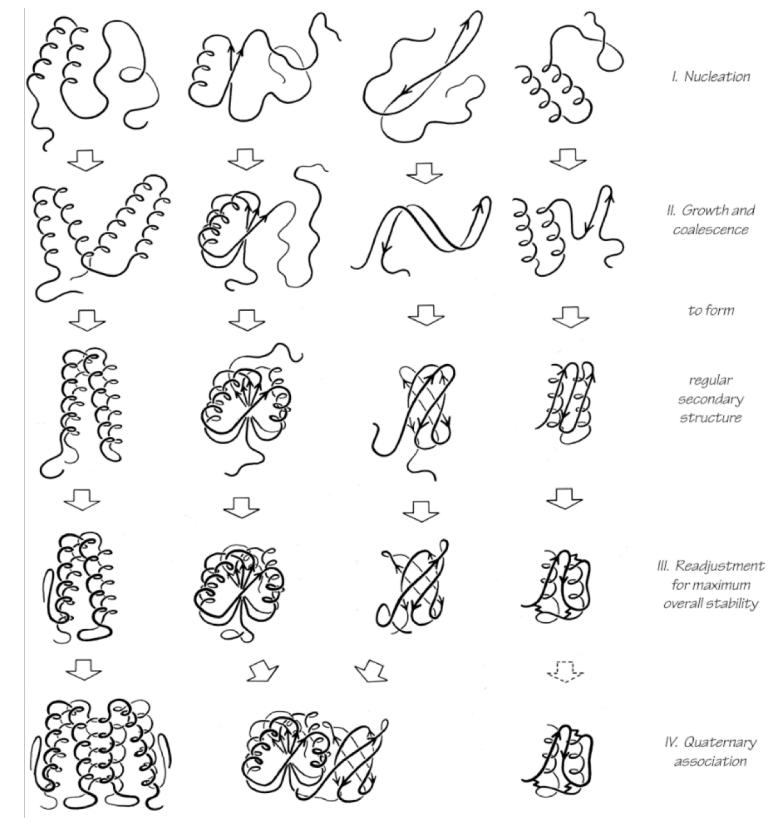
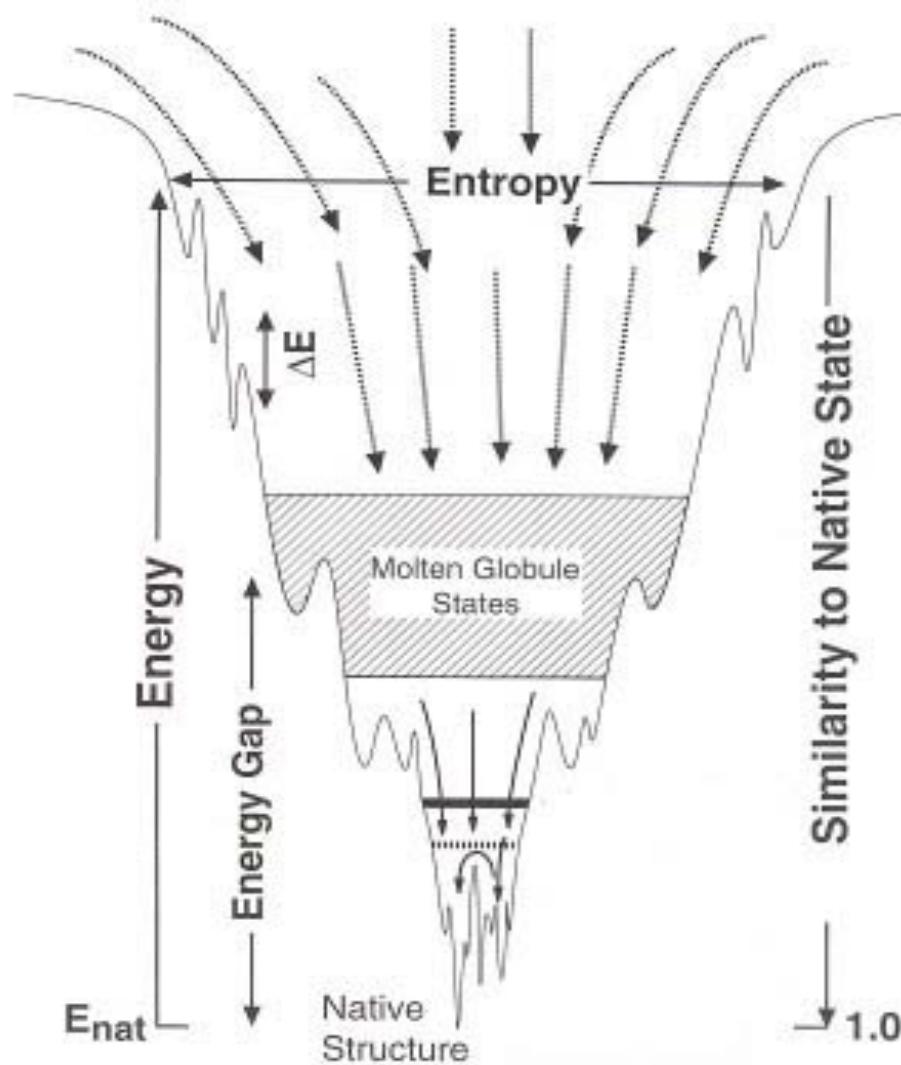
P₂

$$\frac{P_2}{P_1} = e^{-\frac{\Delta E}{kT}} = \frac{[\text{Species}_2]}{[\text{Species}_1]} = K_{eq.}$$

K_{eq.} = equilibrium constant

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Protein folding



Cellular Mechanotransduction

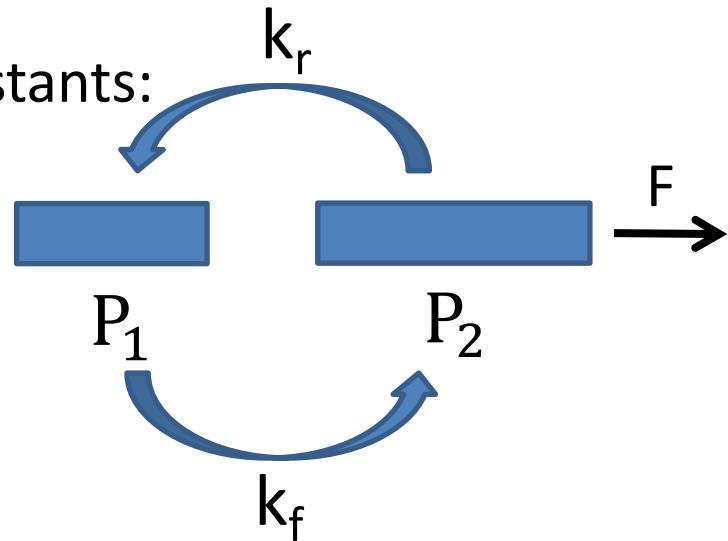
Protein folding, influence of force

$K_{eq.}$ can be written also using the rate constants:

$$\frac{[\text{Species}_2]}{[\text{Species}_1]} = \frac{k_f}{k_r} = K_{eq.}$$

k_f = forward rate constant

k_r = reverse rate constant



Force brings more energy to the system:

$$\Delta U(x) = F\Delta X$$

Then,

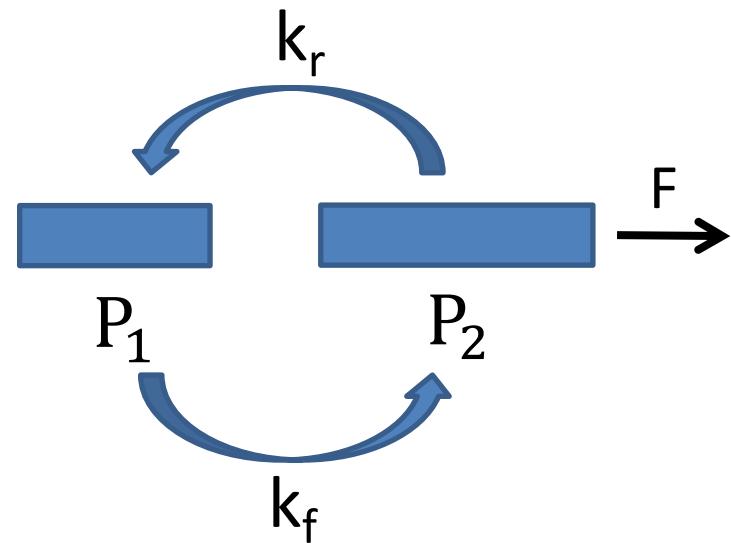
$$\frac{k_f}{k_r} = e^{-\frac{\Delta E + F\Delta X}{kT}} = K_{eq.} e^{\frac{F\Delta X}{kT}}$$

The force changes the equilibrium state!

Cellular Mechanotransduction

Protein folding, influence of force

In equilibrium state the molecular states shift between different conformations even without force contribution



Protein shape change is influenced by two different forces:

1. “elasticity” of the protein
2. “viscosity” rising from of the protein and the environment

The rate how fast the force is applied influences the “maximum force” which the bond(s) can handle

Cellular Mechanotransduction

Protein folding, influence of force

Elasticity can be simplified as a spring:

$$F_{elastic} = k\Delta X$$

k = "spring constant"

ΔX = length change

Viscosity can be described as:

$$F_{viscous} = \gamma \frac{dx}{dt} = \gamma v$$

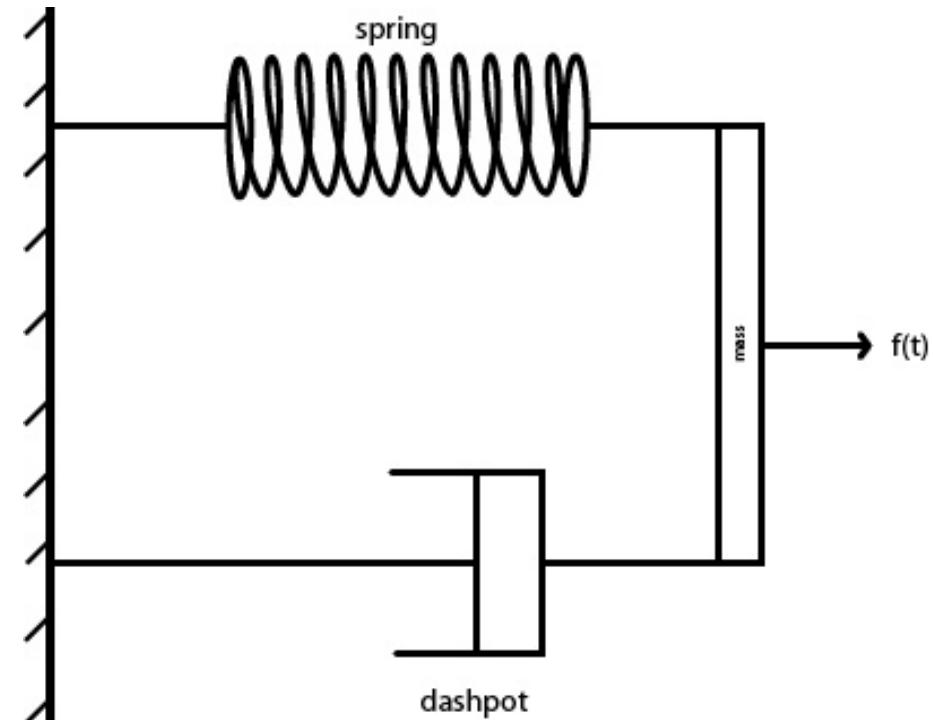
γ = drag coefficient

v = velocity

The sum of the forces:

$$F = k\Delta X + \gamma v$$

Kelvin-Voigt model of polymer behavior:



Cellular Mechanotransduction

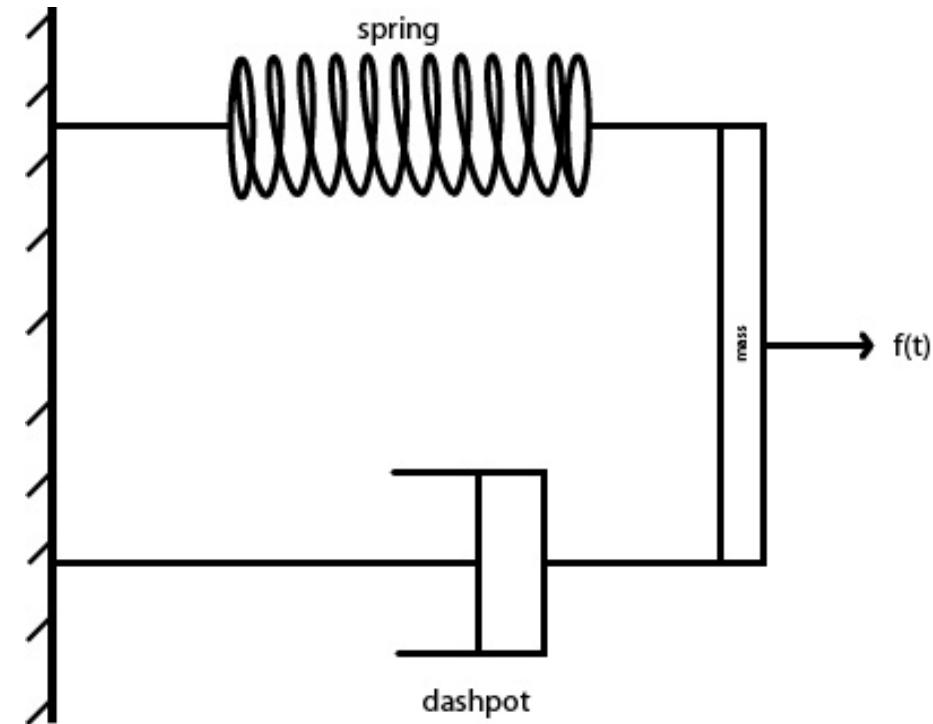
Protein folding, influence of force

The sum of the molecular forces
resisting the structural change:

$$F = k\Delta X + \gamma v$$

This means that if we apply a force
on the protein faster, **on average** it
will withstand higher force before
deformation.

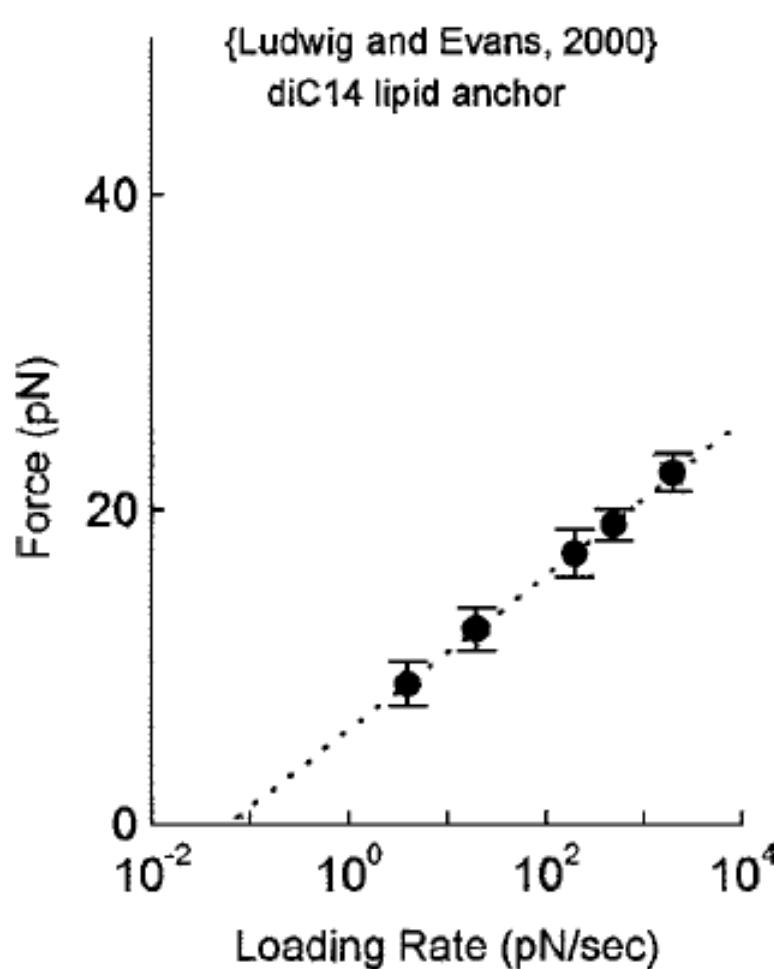
Kelvin-Voigt model of
polymer behavior:



Cellular Mechanotransduction

Protein folding, influence of force

Mechanically forced unfolding, loading rate



The sum of the forces
 $F = k\Delta X + \gamma v$

Single lipid is pulled out from
artificial lipid vesicle with
different loading rates

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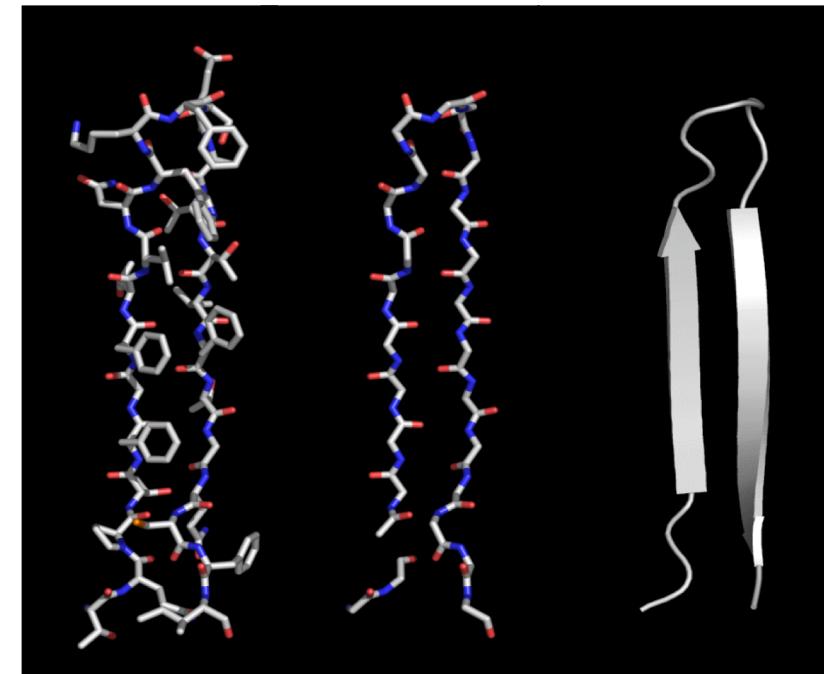
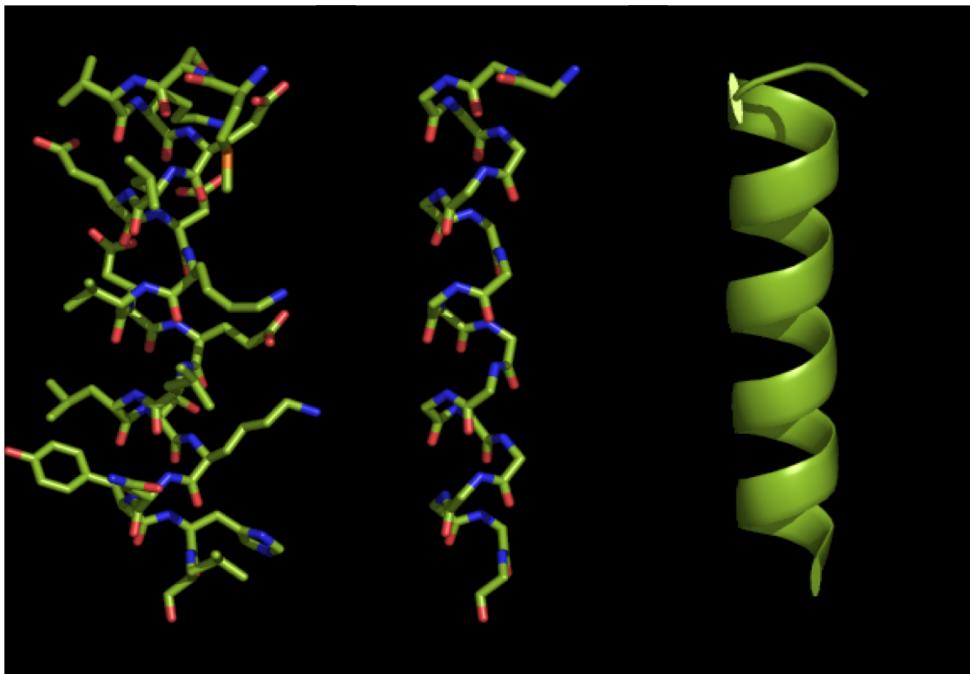
Protein unfolding under force

α -helix

Can be extended
significantly

β -sheet

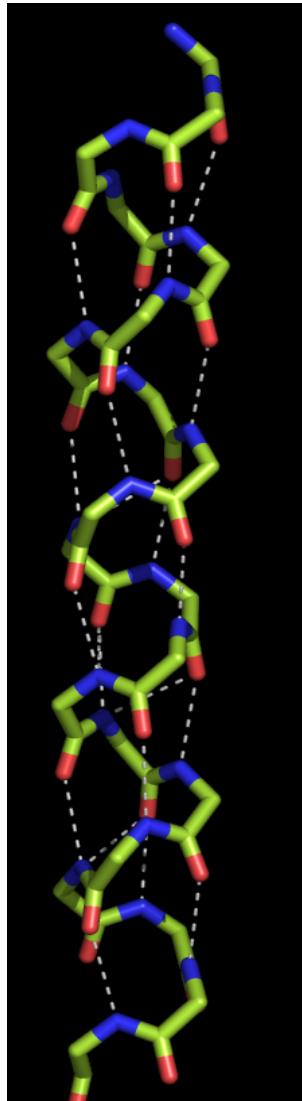
Almost completely extended
polypeptide chain



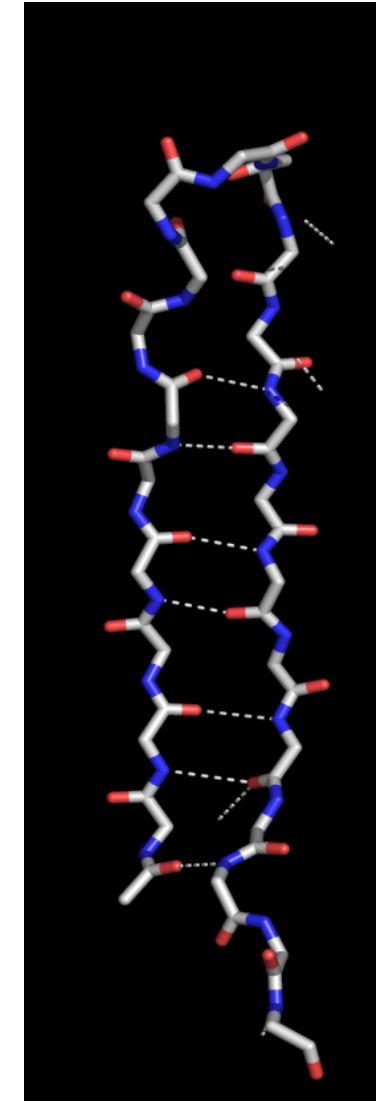
Cellular Mechanotransduction

Protein unfolding under force

α -helix



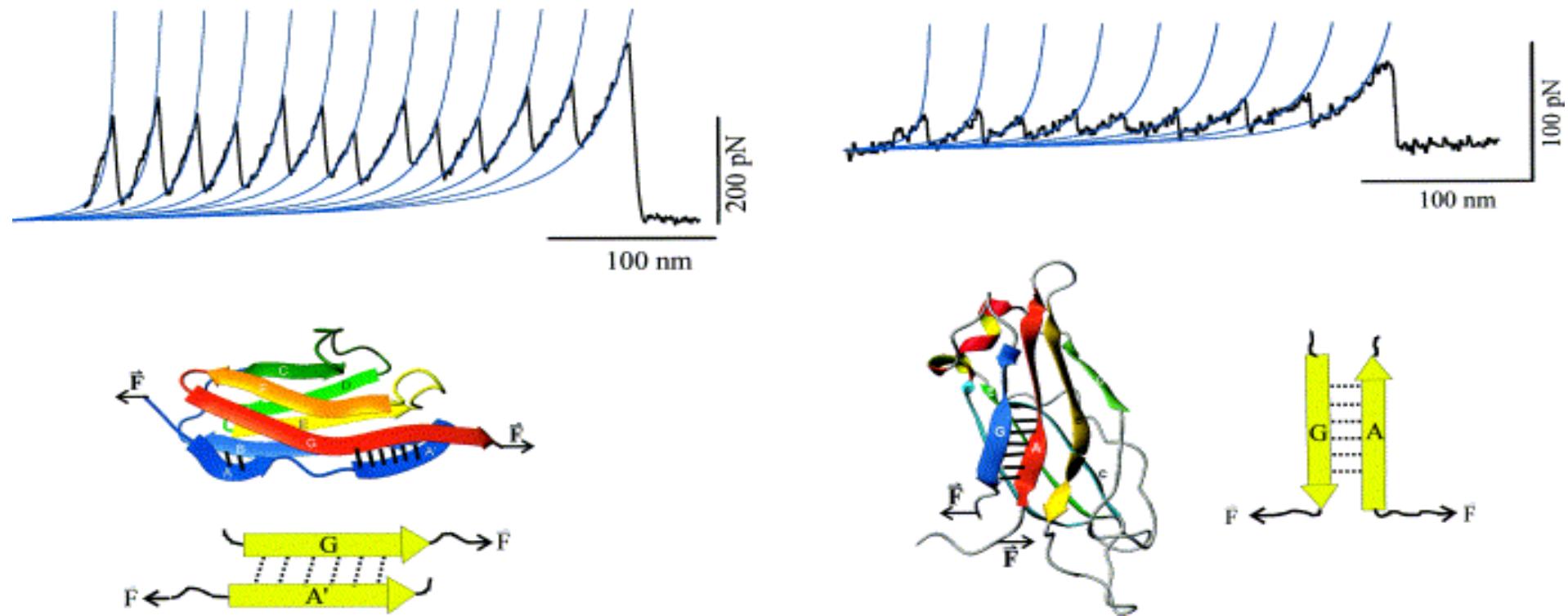
β -sheet



Cellular Mechanotransduction

Protein unfolding under force

The orientation of the force-bearing bonds in relation to applied force largely determines the mechanical stability of the structure



Cellular Mechanotransduction

Protein unfolding under force

The orientation of the force-bearing bonds in relation to applied force largely determines the mechanical stability of the structure



Cellular Mechanotransduction

Forces on proteins

1. Mechanical force on protein can alter its structure
→ new functions???
2. Loading rate influences the maximum force what the bond can tolerate
3. Directionality of the force has a big impact on protein structure