

## Control Systems: Competition 1

Due: 2019/11/22 21:00

### Problem Description

The transfer function of a satellite control system has been identified as:

$$P(s) = \frac{-1.202(s-1)}{s(s+9)(s^2+12s+56.25)} \quad (1)$$

Please design a controller  $C(s)$  to stabilize the open-loop plant  $P(s)$  (see Fig. 1 for the closed-loop feedback control architecture) and to optimize the closed-loop step response performance according to the given cost function  $J$  as defined below, i.e., design a controller  $C(s)$  that minimizes the cost  $J$ .

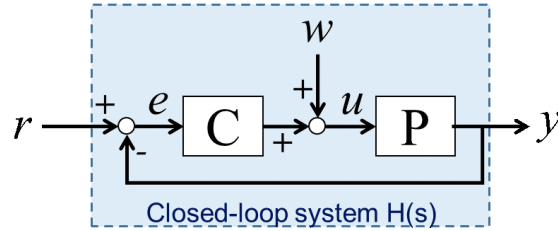


Figure 1: The architecture of closed-loop feedback control.

**Cost Function** The cost function  $J$  to be minimized is defined as

$$J := 10t_r + t_s + 20M_o + 100e_{ss} \quad (2)$$

( $t_r$ : rise time [sec];  $t_s$ : settling time [sec];  $M_o$ : maximum overshoot, which is the positive peak value of the output  $y$ ;  $e_{ss}$ : steady-state error of tracking a unity step input. )

The evaluation of this assignment is based on the final cost you get, as illustrated in Fig. 2.

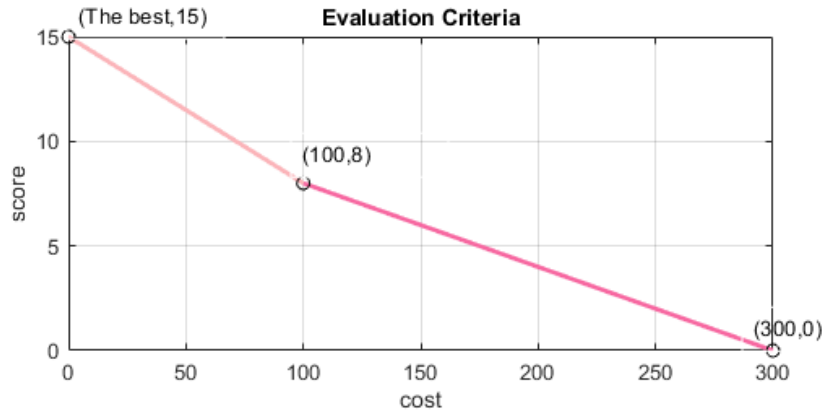


Figure 2: The evaluation criteria.

### Submission

1. Please describe how you designed the controller  $C(s)$ .
2. Save your report in PDF format, zip it together with your .m files and upload to NTU COOL. Name your file as [Student ID]\_competition1.zip .

**Warning:** If you plagiarized other's design, the competition score goes zero.