

# Online Incident Response Planning under Model Misspecification through Bayesian Learning and Belief Quantization

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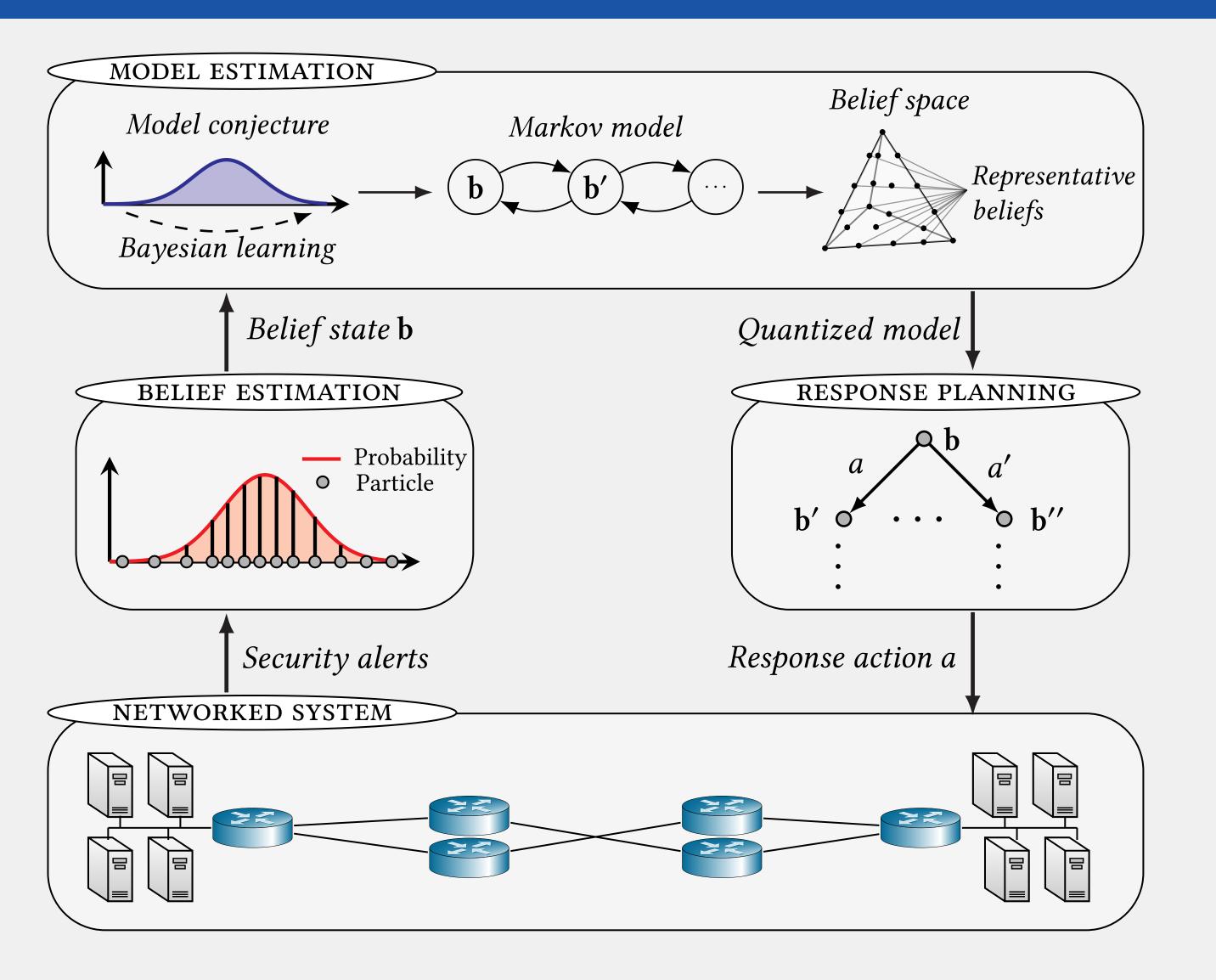
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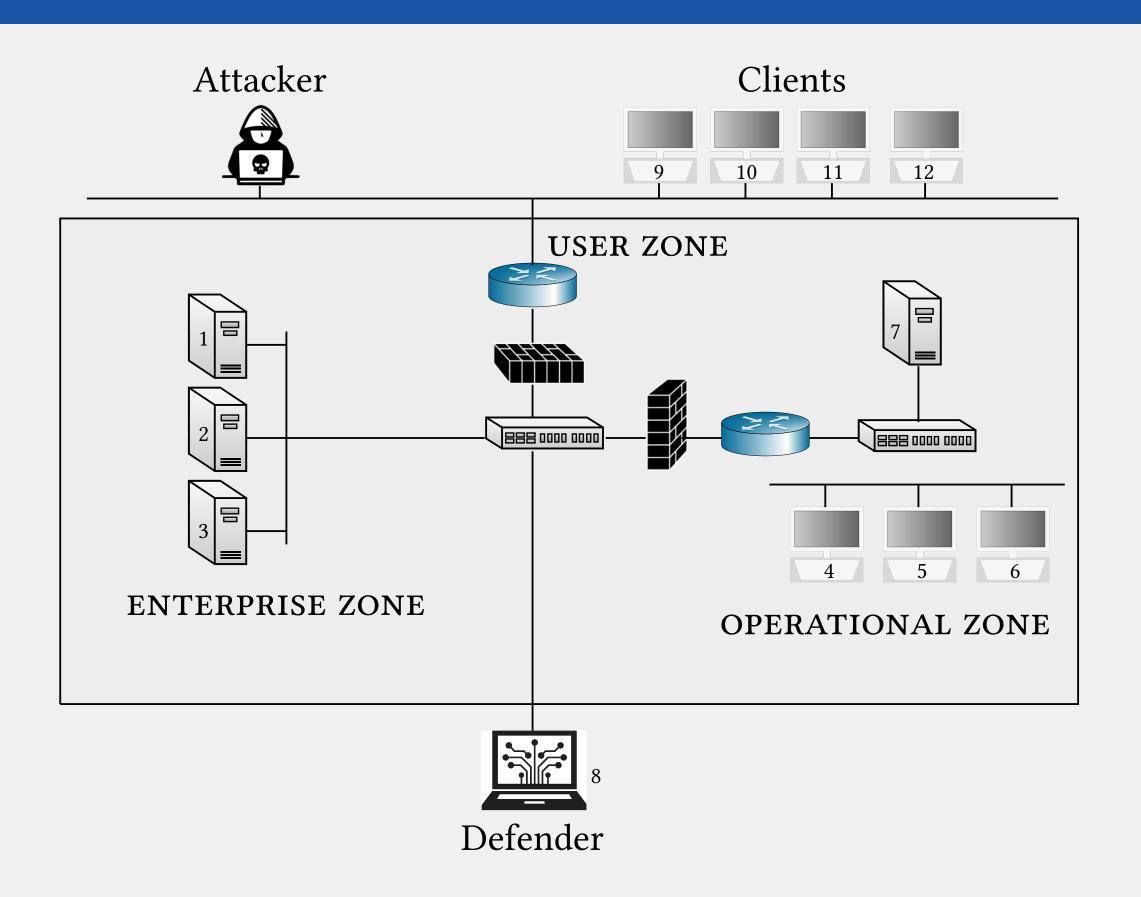
#### Contributions

- 1. We present MOBAL, an online method for incident response planning.
- 2. We establish bounds on misspecification and quantization errors.
- 3. We show that MOBAL obtains state-of-the-art performance on CAGE-2.

## Misspecified Online Bayesian Learning (MOBAL)



## POMDP Model of Incident Response



We formulate incident response planning as a POMDP and seek to find a near-optimal response strategy  $\pi$  that maps belief states to response actions.

### Theoretical Results (Informal)

**Proposition 1 (Consistent conjectures).** The model conjecture learned by MOBAL is asymptotically consistent with respect to the information feedback.

**Proposition 2 (Misspecification error bound).** The difference between the conjectured optimal cost function  $\overline{J}^*$  and the true optimal cost function  $J^*$  is bounded as

$$\|\overline{J}^{\star} - J^{\star}\|_{\infty} \leq \frac{\gamma \alpha c_{\max}}{(1 - \gamma)^2},$$

where  $\gamma$  is the discount factor,  $\alpha$  quantifies the difference between the transition probabilities in the conjectured model and the true model, and  $c_{\rm max}$  is the maximum stage cost.

**Proposition 3 (Approximation error bound).** The difference between the cost function approximation  $\tilde{J}$  obtained through quantization and the conjectured optimal cost function  $\overline{J}^*$  is bounded as

$$| ilde{J}(\mathbf{b}) - \overline{J}^{\star}(\mathbf{b})| \leq rac{\epsilon}{1 - \gamma},$$

where  $\gamma$  is the discount factor and  $\epsilon$  is the maximum variation of  $\overline{J}^{\star}$  within each belief space partition.

**Proposition 4 (Asymptotic (conjectured) optimality).** The cost function approximation  $\tilde{J}$  obtained through quantization converges to the conjectured optimal cost function  $\overline{J}^*$  as  $r \to \infty$ , where r is the quantization resolution.

Theorem 1 (Sub-optimality bound of MOBAL). The sub-optimality of the cost function approximation  $\tilde{J}$  obtained through MOBAL is bounded as

$$\|\tilde{J} - J^*\|_{\infty} \leq \frac{\epsilon}{1 - \gamma} + \frac{\gamma \alpha c_{\text{MAX}}}{(1 - \gamma)^2}.$$

#### **Evaluation Results on the CAGE-2 Benchmark**

Method	Offline/Online compute time (min)	Cost (↓ better)
No misspecification		
MOBAL	0/8.50	$15.19\pm0.82$
CARDIFF	300/0.01	$13.69 \pm 0.53$
PPO	1000/0.01	$119.02 \pm 58.11$
C-POMCP	0/0.50	$13.32 \pm 0.18$
POMCP	0/0.50	$29.51\pm2.00$
Misspecification		
MOBAL	0/8.50	$35.91 \pm 9.01$
CARDIFF	300/0.01	$94.28 \pm 33.27$
PPO	1000/0.01	$124.38 \pm 55.49$
C-POMCP	0/0.50	$92.71 \pm 27.67$
POMCP	0/0.50	$91.51 \pm 28.23$

(C-POMCP and CARDIFF are state-of-the-art methods.)

#### Online Response Planning, Belief Estimation, and Bayesian Learning

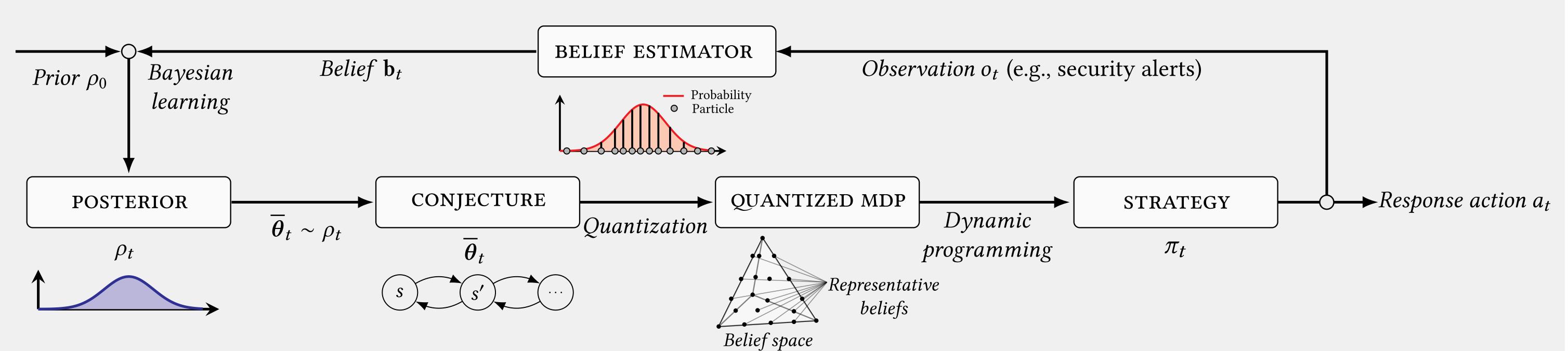


Figure: MOBAL: an iterative method for online learning of incident response strategies under model misspecification. The figure illustrates a time step during which (i) the posterior distribution over possible system models is updated via Bayesian learning based on feedback from the system; (ii) a conjectured model is sampled from the posterior and quantized into a computationally tractable MDP; and (iii) a response strategy is computed using dynamic programming. **Preprint:** https://arxiv.org/pdf/2508.14385.