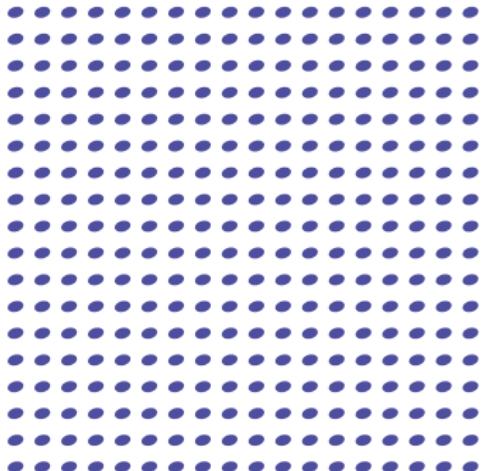


Predicting weak-lensing covariance with a fast simulator

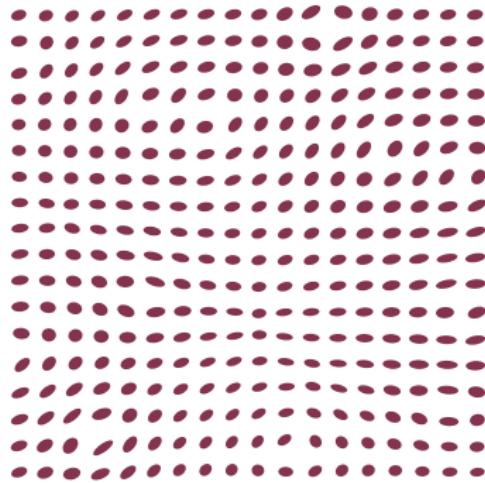
Chieh-An Lin (Linc)

September 12th, 2018

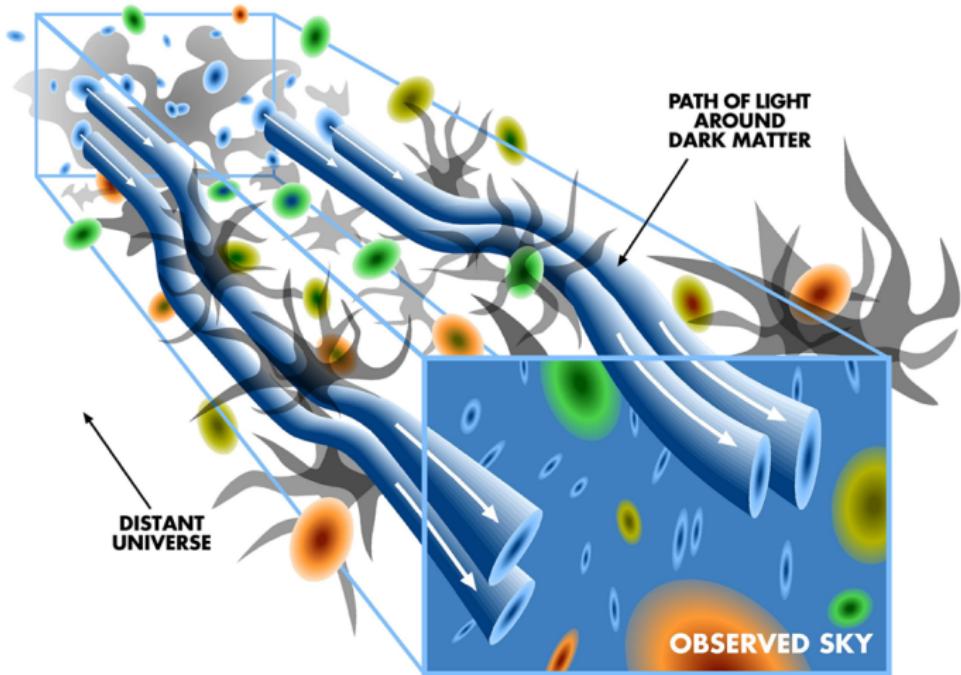
University College London



Unlensed sources

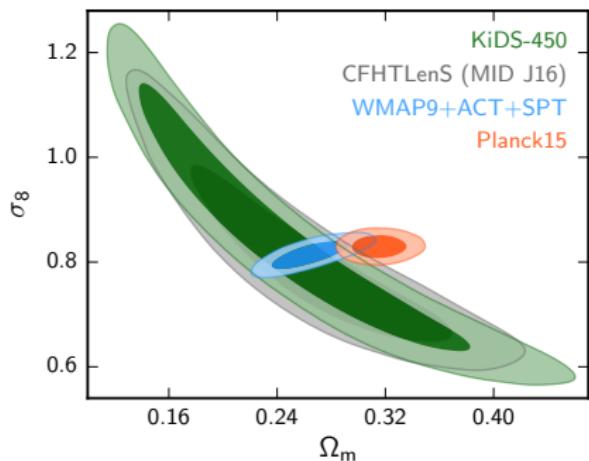


Weak lensing

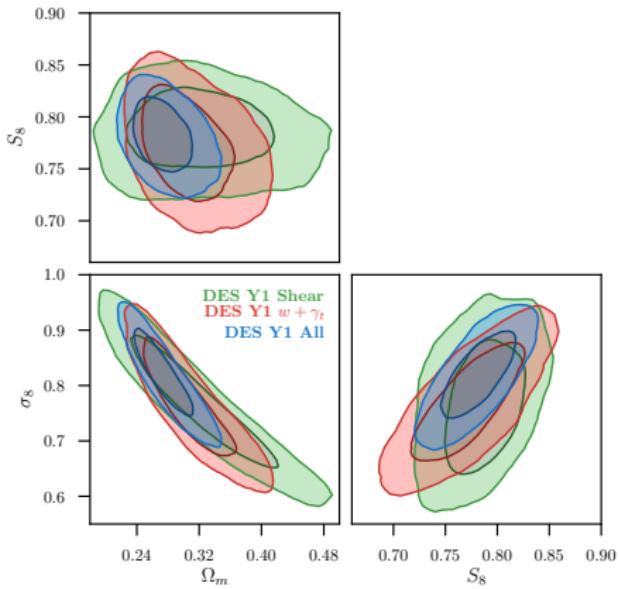


Source: LSST

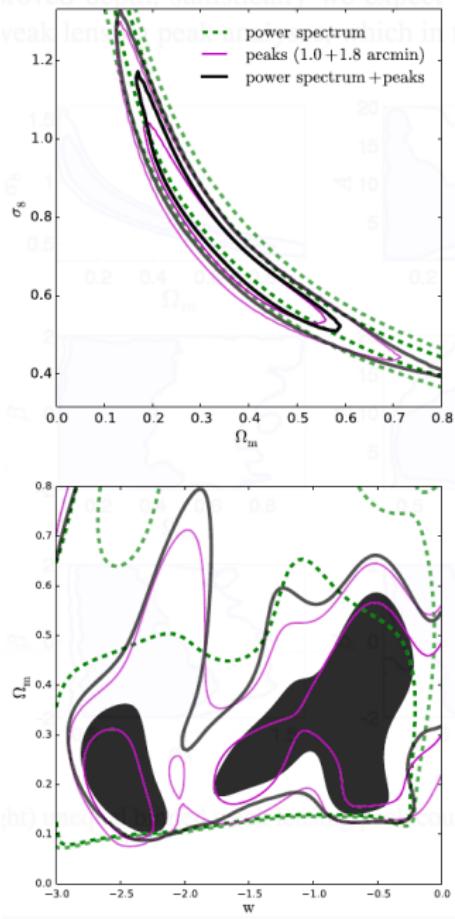
Recent results from 2PCF



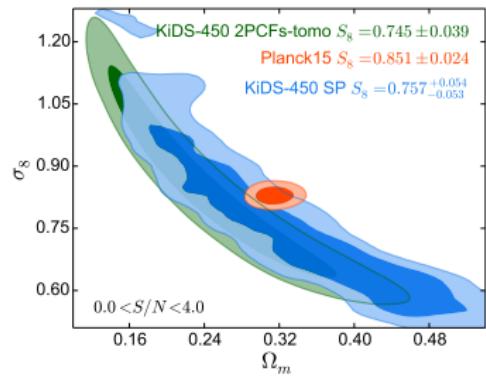
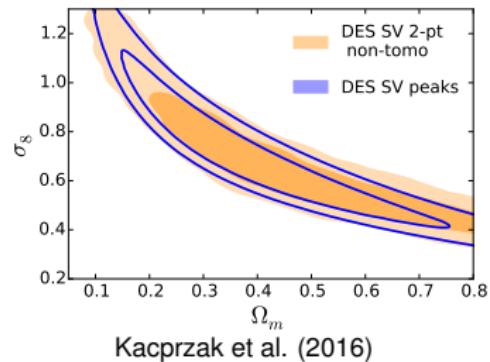
Hildebrandt et al. (2017)



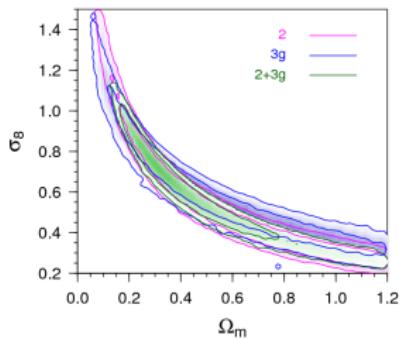
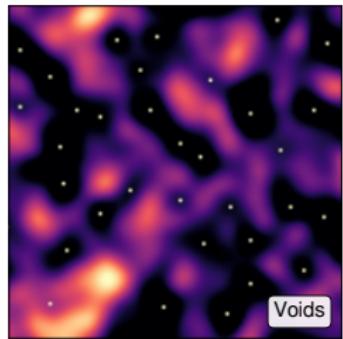
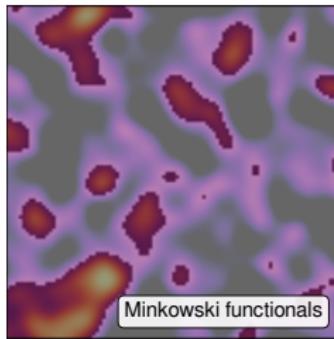
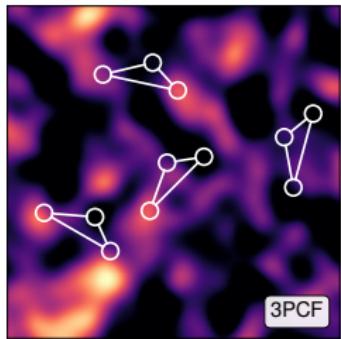
DES Collaboration (2018)



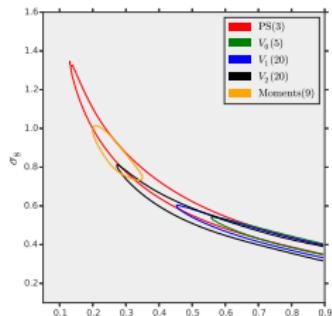
Recent results from peaks



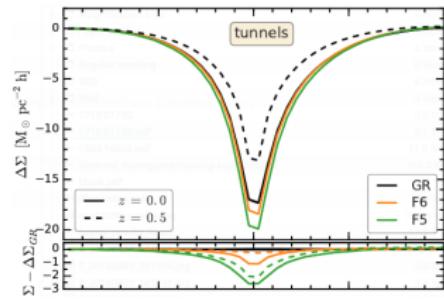
Other higher-order statistics



Fu et al. (2014)



Petri et al. (2015)



Cautun et al. (2018)

I have a dream...

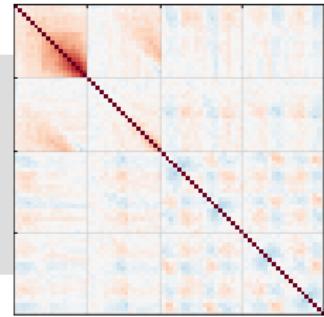
*... that all statistics will one day live in the same likelihood
where they will not be judged by their order
but by their degeneracy-breaking character.*

(From an anonymous lenser in a sleepy seminar?)

Covariance is the key

Analytical calculations

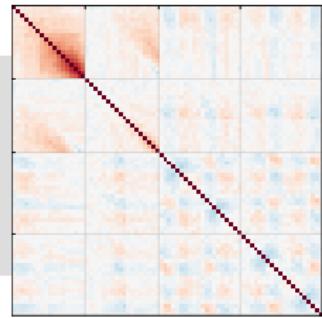
- Challenging for higher-order statistics
- Cross-correlating terms?
- Different survey effects



Covariance is the key

Analytical calculations

- Challenging for higher-order statistics
- Cross-correlating terms?
- Different survey effects



N -body simulations

- Large-scale limitation: box size
- Small-scale limitation: particle mass
- Time, time, & time



Challenges

How to estimate the cross-correlations between different WL statistics?

How to do it efficiently?

Solution: fast simulator

Three advantages

- Fast: orders of magnitude faster than N -body sims
- Flexible: ability to account for survey effects
- Full cross-correlations

Solution: fast simulator

Three advantages

- Fast: orders of magnitude faster than N -body sims
- Flexible: ability to account for survey effects
- Full cross-correlations

Three scientific goals

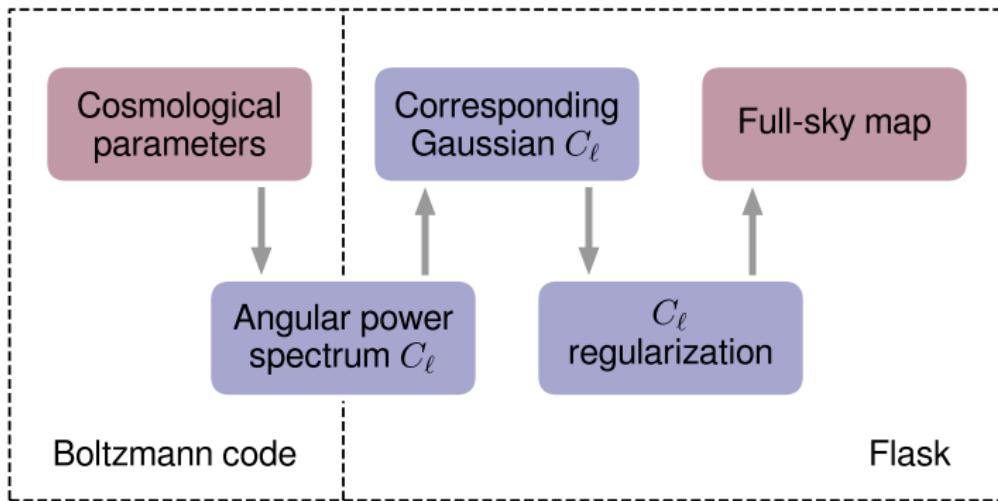
- High-risk: good accuracy of model prediction
- Middle-risk: good covariance accuracy
- Low-risk: physically-motivated model for related studies

Methodology

Xavier, Abdalla, & Joachimi (2016)

Flask

Fast simulations of full-sky lognormal fields



Halo model

But the lognormal approximation breaks on small scales

⇒ Let's take advantage of the halo model:

- Mass function
- Density profiles
- Clustering

How to determine clustering?

Populate halos with conditional mass functions:

$$n(M|\delta) = \Gamma(M|\delta) n(M)$$

where $\Gamma(M|\delta)$ is measured from N -body simulations

Underlying assumption

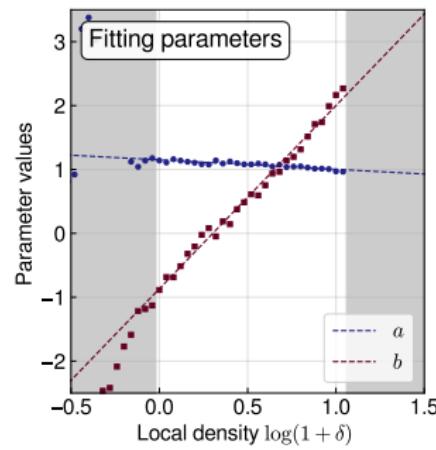
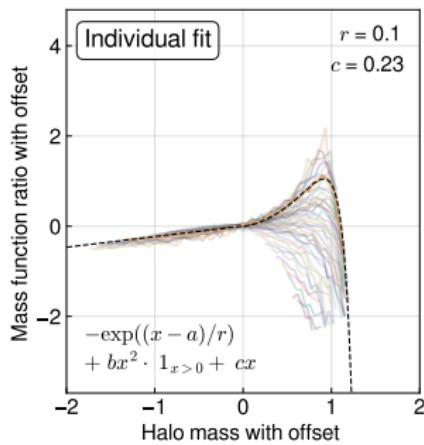
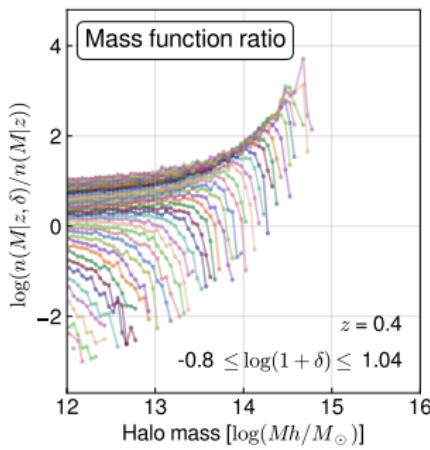
Halo population depends on the environment rather than on cosmology

How to determine clustering?

Populate halos with conditional mass functions:

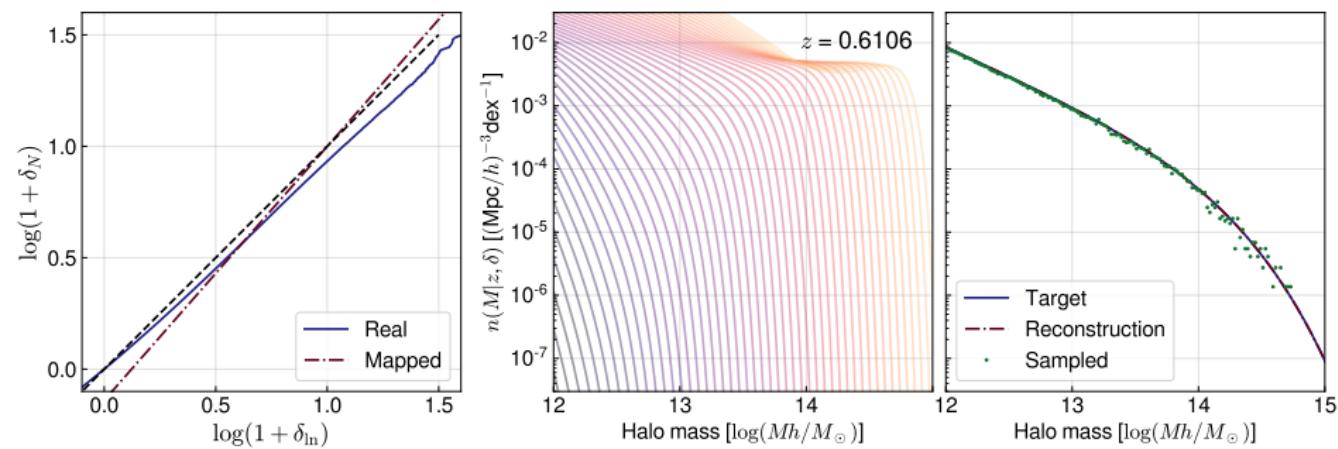
$$n(M|\delta) = \Gamma(M|\delta) n(M)$$

where $\Gamma(M|\delta)$ is measured from N -body simulations

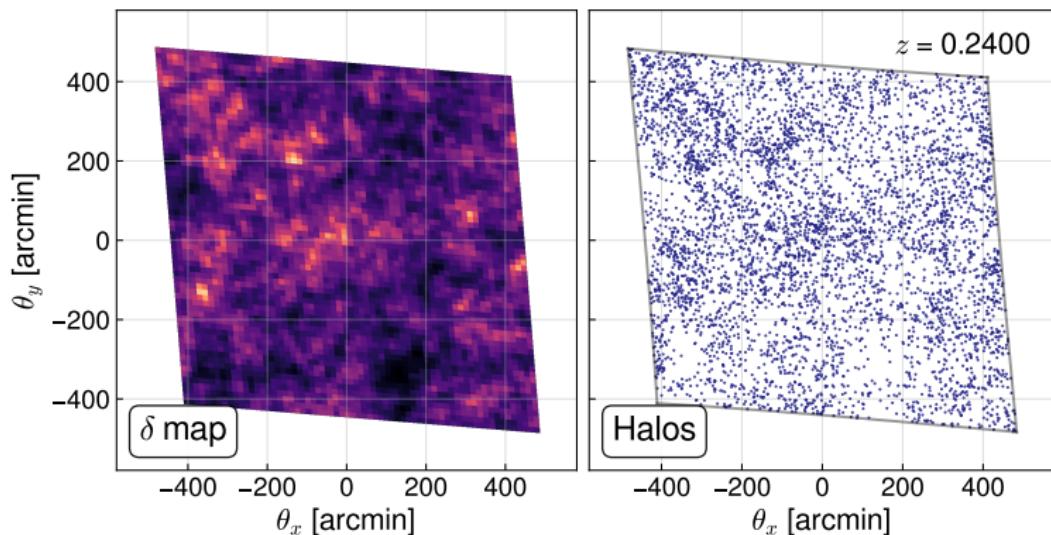


Caveats

- Different cosmologies
- Smoothing volume correspondence
- $\text{pdf}(\delta)$ from lognormal is not $\text{pdf}(\delta)$ from N -body



Halo clustering



Camelus: halo model & lensing computation
(Lin & Kilbinger 2015a, b)

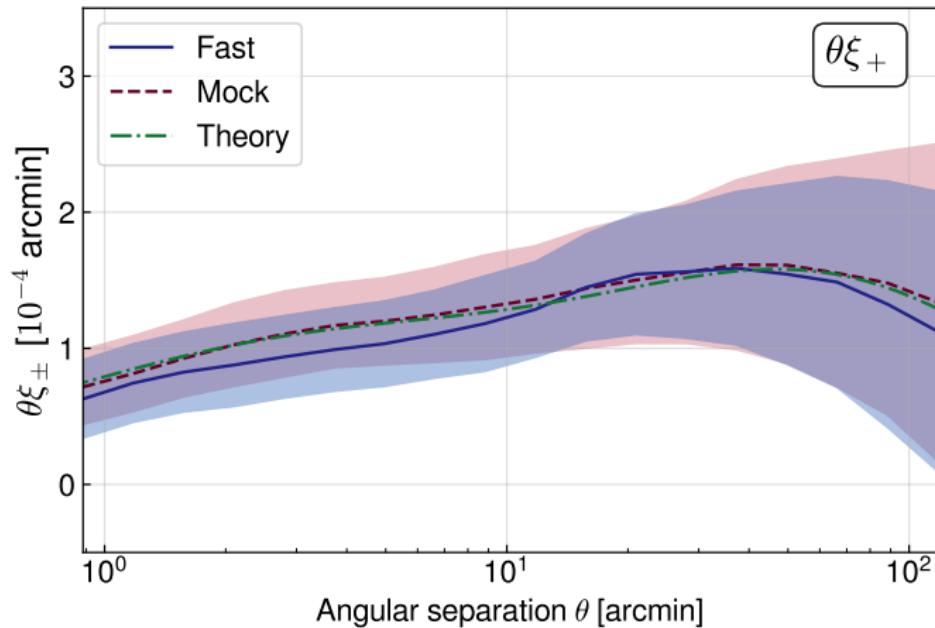
Results

Blue = fast simulator = Flask + Camelus

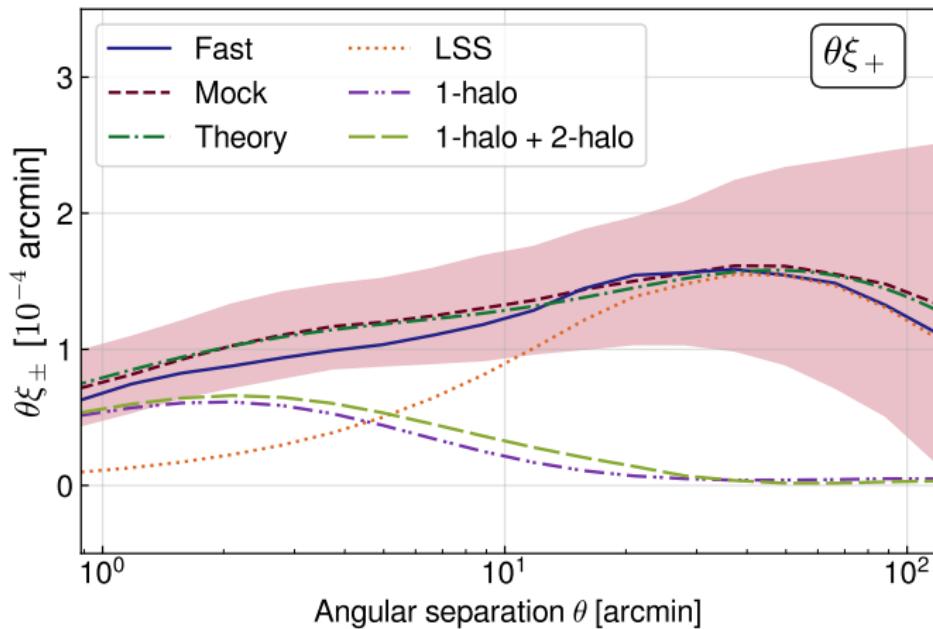
Red = N -body mocks = the SLICS suite

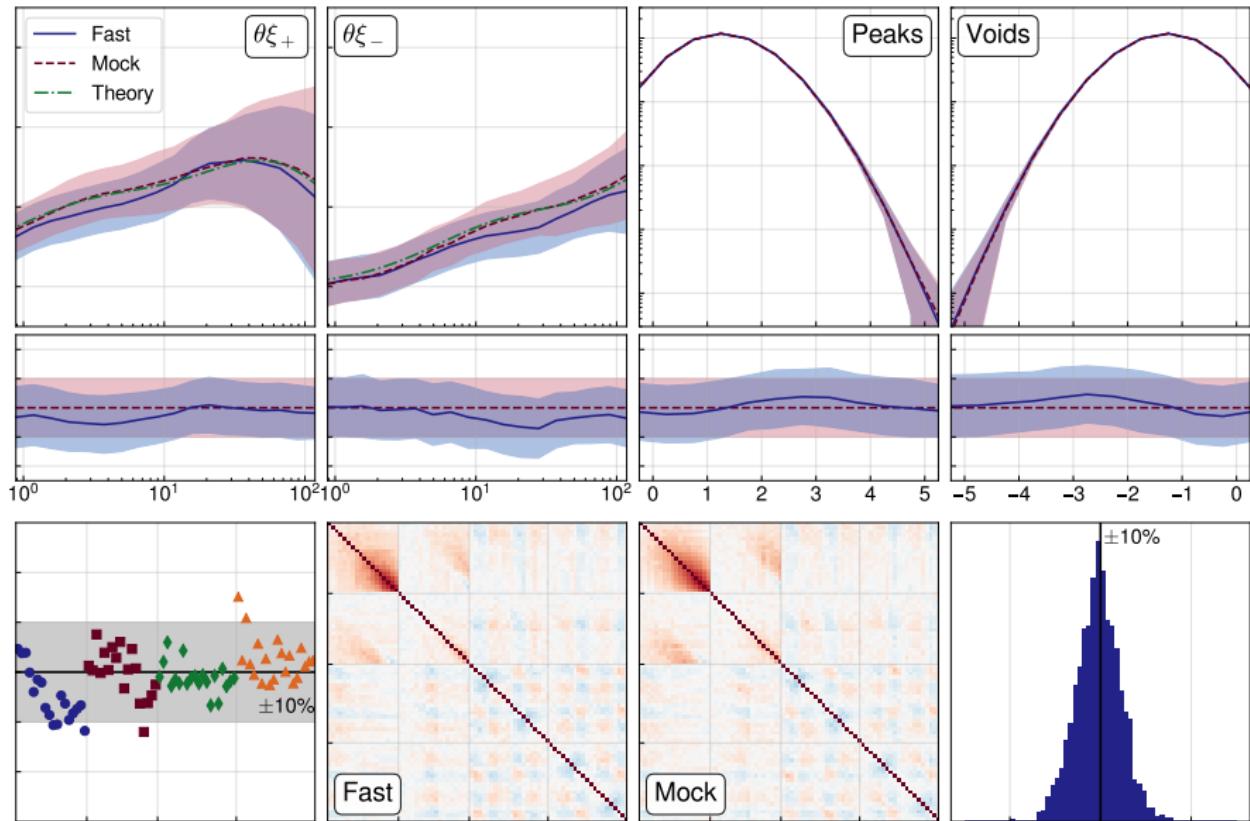
Green = theory = Nicaea (only for $\xi_{+/-}$)

Results on ξ_+



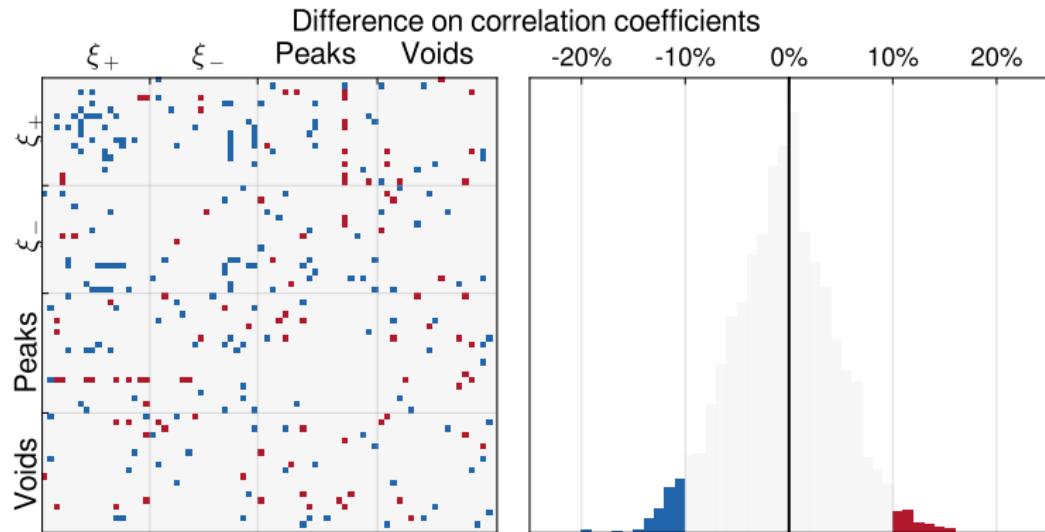
Lin et al. in prep.

Results on ξ_+ 

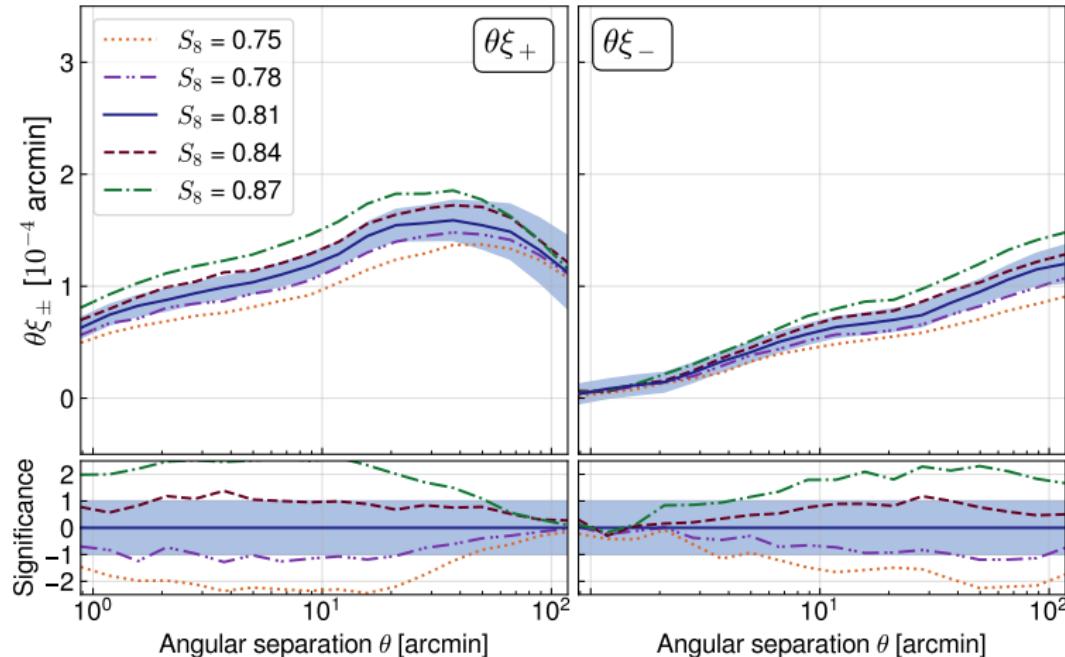


Where are the largest coefficient differences?

Lin et al. in prep.

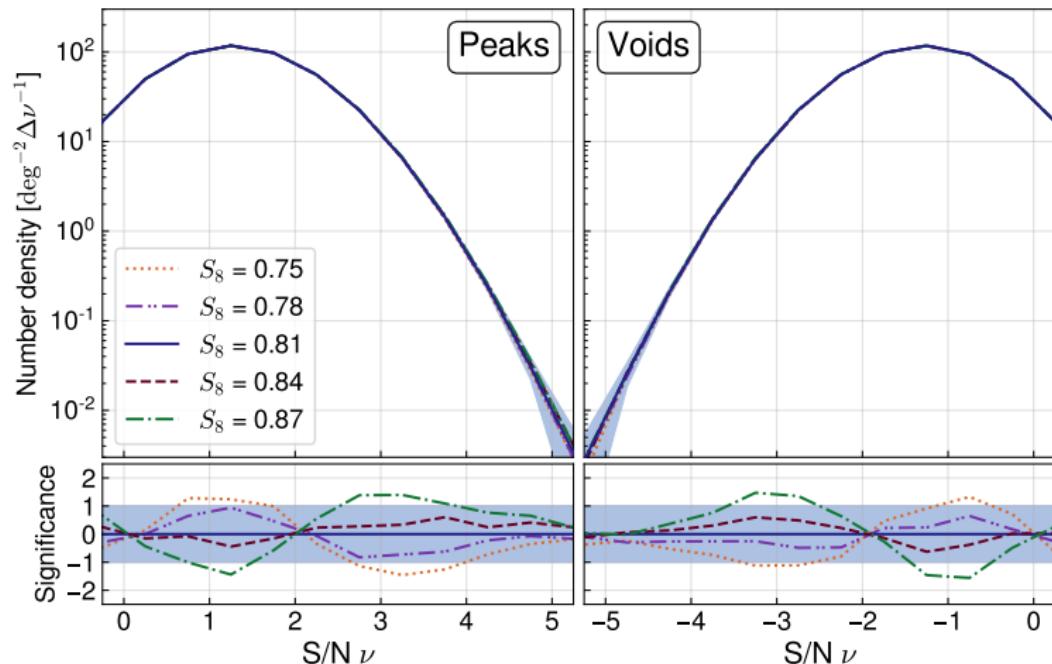


Lin et al. in prep.

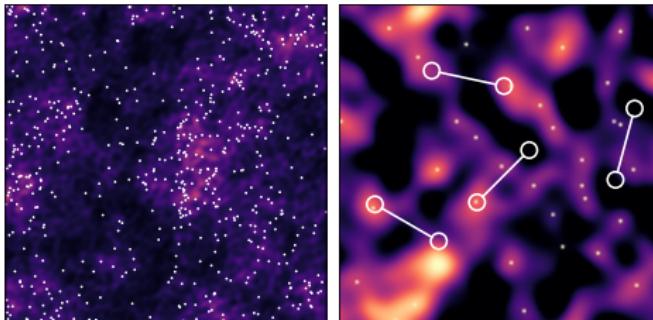
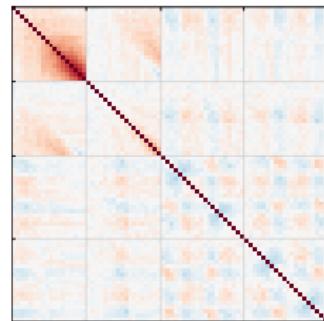
Cosmological sensitivity

Lin et al. in prep.

Cosmological sensitivity



- A fast simulator for WL statistics
- Lognormal fields & halo model
- Useful for covariance estimation
- Could be improved for model prediction



Collaborators

Shadab Alam

Catherine Heymans

Joachim Harnois-Déraps

Backup slides

Reshift dependence of fitting parameters

