$$\frac{g h m \cos{\left(\alpha{\left(t \right)} \right)}}{2}$$

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= p cos DeRtDRoc(Cnpr)(1 b DeR)) - kvecZeRtAlpha(DeRt VngNc)) VngNc)(VngNc DeR)) DeRtcosZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2)) + 2 kvecZeRtAlpha(DeRt VngNc)) VngNc)) kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc DeR)) kvecZeRtAlpha(DeRt VngNc)) VngNc)) kvecZeRtAlpha(DeRt VngNc)) VngNc)))(14 DeRtDRoc(Cnpr)(1 b DeR)) - kvecZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2)) + 2 kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc DeR)) sqrt(DeRtDRoc(Cnpr)(1 b DeR)) - kvecZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2))(12 DeRtDRoc(Cnpr)(1 b DeR)) - kvecZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2)) + 2 kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc DeR)) kvecZeRtAlpha(DeRt VngNc)) VngNc)) + DracZeRt^(2)(ZeRtAlpha(DeRt VngNc)) VngNc))(ZeRtcosZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2) + 2 kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc DeR)) + DracZeRtcosZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2))(14 DeRtDRoc(Cnpr)(1 b DeR)) - kvecZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2)) + 2 kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc DeR)) + DracZeRt^(2)(ZeRtAlpha(DeRt VngNc)) VngNc))(ZeRtcosZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2) + 2 kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc DeR)) + DracZeRtcosZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2))(12 DeRtDRoc(Cnpr)(1 b DeR)) - kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc kvecZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2)) + 2 kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc DeR)) sqrt(DeRtDRoc(DeRtcosZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2))(12 DeRtDRoc(Cnpr)(1 b DeR)) - kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc kvecZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2)) + 2 kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc DeR)) sqrt(DeRtDRoc(DeRtcosZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2))(12 DeRtDRoc(Cnpr)(1 b DeR)) - kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc kvecZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2)) + 2 kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc DeR)) sqrt(DeRtDRoc(DeRtcosZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2))(12 DeRtDRoc(Cnpr)(1 b DeR)) - kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc kvecZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2)) + 2 kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc DeR)) sqrt(DeRtDRoc(DeRtcosZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2))(12 DeRtDRoc(Cnpr)(1 b DeR)) - kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc kvecZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2)) + 2 kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc DeR)) sqrt(DeRtDRoc(DeRtcosZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2))(12 DeRtDRoc(Cnpr)(1 b DeR)) - kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc kvecZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2)) + 2 kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc DeR)) sqrt(DeRtDRoc(DeRtcosZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2))(12 DeRtDRoc(Cnpr)(1 b DeR)) - kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc kvecZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2)) + 2 kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc DeR)) sqrt(DeRtDRoc(DeRtcosZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2))(12 DeRtDRoc(Cnpr)(1 b DeR)) - kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc kvecZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2)) + 2 kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc DeR)) sqrt(DeRtDRoc(DeRtcosZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2))(12 DeRtDRoc(Cnpr)(1 b DeR)) - kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc kvecZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2)) + 2 kvecZeRtAlpha(DeRt VngNc)) VngNc))(VngNc DeR)) sqrt(DeRtDRoc(DeRtcosZeRtAlpha(DeRt VngNc)) VngNc)) - (VngNc)^2))
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$$\eta(\xi) = \operatorname{Ohm}^{*}(2)\left(\left(\left(

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l vxgh(i) - l vxgh(^I)))I(DeR(DefKcveIbRxEqBaCbeRb vxgh(i) vxgh(i) - l vxgh(^I)) = I ieW^I))(IbRfxEqBaCbeRf vxgh(i) vxgh(i)vxgh(i) = Ohw(IieW^I))(IbRfxEqBaCbeRf vxgh(i) vxgh(i))(IbRfxveIbRxEqBaCbeRf vxgh(i) vxgh(i) - l vxgh(^I)) = I ieW^I))(IbRfxEqBaCbeRf vxgh(i) vxgh(i)vxgh(i) DeRfOwCbeRf DeRfc
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53 \cos(3\theta)\phi\mathrm{i}\theta)\sigma\mathrm{i}\theta)\sigma\mathrm{i}\theta)\cos(2\theta)\cos(3\theta)\phi\mathrm{i}\theta)\sigma\mathrm{i}\theta)\sigma\mathrm{i}\theta) - \frac{\mathrm{i}}{2}\sin^{2}(2\theta)\theta\cos(3\theta)\cos(2\theta)\phi\mathrm{i}\theta)\sigma\mathrm{i}\theta) - \frac{\mathrm{i}}{2}\sin^{2}(2\theta)\theta\sigma\mathrm{i}\theta) - \frac{\mathrm{i}}{2}\sin^{2}(2\theta)\theta\sigma\mathrm{i}\theta)\sigma\mathrm{i}\theta)\sigma\mathrm{i}\theta) + 2\sin^{2}(2\theta)\phi\mathrm{i}\theta)\sigma\mathrm{i}\theta)\sigma\mathrm{i}\theta)\sigma\mathrm{i}\theta) - \mathrm{i}\sigma\mathrm{i}\theta) - \mathrm{i}\sigma\mathrm{i}\theta)\cos(3\theta)\cos(2\theta)\phi\mathrm{i}\theta)\sigma\mathrm{i}\theta)\sigma\mathrm{i}\theta) - \mathrm{i}\sigma\mathrm{i}\theta)\cos(3\theta)\cos(2\theta)\phi\mathrm{i}\theta)\sigma\mathrm{i}\theta)\sigma\mathrm{i}\theta) - \mathrm{i}\sigma\mathrm{i}\theta) - \mathrm{i}\sigma\mathrm{i}\theta)\cos(3\theta)\cos(2\theta)\phi\mathrm{i}\theta)\sigma\mathrm{i}\theta)\sigma\mathrm{i}\theta) - \mathrm{i}\sigma\mathrm{i}\theta)\cos(3\theta)\cos(2\theta)\phi\mathrm{i}\theta)\sigma\mathrm{i}\theta)\sigma\mathrm{i}\theta) - \mathrm{i}\sigma\mathrm{i}\theta) - \frac{\mathrm{i}}{2}\sin^{2}(2\theta)\theta\sigma\mathrm{i}\theta)\sigma\mathrm{i}\theta)\sigma\mathrm{i}\theta) + 2\sin^{2}(2\theta)\phi\mathrm{i}\theta)\sigma

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phaIbHSr\Hgh(( \Hgh(( -FnghU^(((14 0eRt9eRtvvwI3eRtqBaeIbHSr\Hgh(( \Hgh(( -FnghU^((( + 2 sw^(((3eRtqBaeIbHSr\Hgh(( \Hgh((\Hgh(( + 0hwIsw^(((3eRtqBaeIbHSr\Hgh((((12 0eRt9eRtvvwI3eRtqBaeIbHSr\Hgh(( \Hgh(( -FnghU^((( + 2 sw^(((3eRtqBaeIbHSr\Hgh(( \Hgh((\Hgh(( + 0hwIsw^(((3eRtqBaeIbHSr\Hgh((((1 0eRt9eRtvvwI3eRtqBaeIbHSr\Hgh(( \Hgh(( -FnghU^((( + 2 sw^(((3eRtqBaeIbHSr\Hgh(( \Hgh((\Hgh(( sqrt3eRtIbwIbwIbHSr\Hgh(( \Hgh(( -FnghU^((((12 0eRt9eRtvvwI3eRtqBaeIbHSr\Hgh(( \Hgh(( -FnghU^((( + 2 sw^(((3eRtqBaeIbHSr\Hgh(( \Hgh((\Hgh(( + 0hwIsw^(((3eRtqBaeIbHSr\Hgh((((1 0eRtvvwI3eRtqBaeIbHSr\Hgh(( \Hgh(( -FnghU^((( + 2 sw^(((3eRtqBaeIbHSr\Hgh(( \Hgh((\Hgh(( + 0hwIsw^(((3eRtqBaeIbHSr\Hgh((((12 0eRt9eRtvvwI3eRtqBaeIbHSr\Hgh(( \Hgh(( -FnghU^((( + 2 sw^(((3eRtqBaeIbHSr\Hgh(( \Hgh((\Hgh(( + 0hwIsw^(((3eRtqBaeIbHSr\Hgh((((1 0eRt9eRtvvwI3eRtqBaeIbHSr\Hgh(( \Hgh(( -FnghU^((( + 2 sw^(((3eRtqBaeIbHSr\Hgh(( \Hgh((\Hgh(( + 0hwIsw^(((3eRtqBaeIbHSr\Hgh
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\sec{3e0\alpha\alpha\left(3e0\right)\right)}\right)\right)\right)

pha(beta) sqrt(1)(beta)cos(beta)alpha(beta) sqrt(1) - 2sqrt^2(1) + 2 sin^2(1)(beta)alpha(beta) sqrt(1) sqrt(1)(1 beta)beta)cos(beta)alpha(beta) sqrt(1) - 2sqrt^2(1) + 2 sin^2(1)(beta)alpha(beta) sqrt(1)sqrt(1) - 8sin(2sqrt(1) b beta - beta)cos(beta)alpha(beta) sqrt(1) sqrt(1) - 2sqrt^2(1) + 2 sin^2(1)(beta)alpha(beta) sqrt(1)sqrt(1 beta - 8sin(beta)(1 beta)cos(beta)alpha(beta) sqrt(1) sqrt(1) - 2sqrt(sin(beta)alpha(beta) sqrt(1) sqrt(1) - 4 sin(beta)alpha(beta) sqrt(1) sqrt(1)cos(beta)alpha(beta) sqrt(1)sqrt(1 beta)cos(beta)alpha(beta) sqrt(1) sqrt(1) - 2sqrt^2(1)(4 beta)beta)cos(beta)alpha(beta) sqrt(1) sqrt(1) - 2sqrt^2(1) + 2 sin^2(1)(beta)alpha(beta) sqrt(1)sqrt(1)(1 - 8sin(beta)(1 beta)cos(beta)alpha(beta) sqrt(1) sqrt(1) - 2sqrt(sin(beta)alpha(beta) sqrt(1) sqrt(1) - 4 sin(beta)alpha(beta) sqrt(1) sqrt(1)cos(beta)alpha(beta) sqrt(1)sqrt(1 sin^2(1)(beta)alpha(beta) sqrt(1) sqrt(1) - 2sqrt^2(1) + 2 sin^2(1)(beta)alpha(beta) sqrt(1)sqrt(1)(1 beta)beta)cos(beta)alpha(beta) sqrt(1) sqrt(1) - 2sqrt^2(1) + 2 sin^2(1)(beta)alpha(beta) sqrt(1)sqrt(1) - 8sin(2cos(beta)(1 beta) sqrt(1) sqrt(1)cos(beta)alpha(beta) sqrt(1) sqrt(1) - 2sqrt^2(1) + 2 sin^2(1)(beta)alpha(beta) sqrt(1)sqrt(1) - 8sin(2cos(beta)alpha(beta) sqrt(1) sqrt(1)cos(beta)alpha(beta) sqrt(1)sqrt(1 sin^2(1)(beta)alpha(beta) sqrt(1) sqrt(1) - 2sqrt^2(1) + 2 sin^2(1)(beta)alpha(beta) sqrt(1)sqrt(1)(1 beta)beta

/cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 - frac{r^{2}}{2} 0e0fe0cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 - frac{r^{2}}{2} + 2 \sin^{2}{(2e0fa2ba2e0f0 sqrt(1 sqrt(1 + 0\cos^{2}{(2e0fa2ba2e0f0 sqrt(1 sqrt(1 - frac{r^{2}}{2} + 2 \sin^{2}{(2e0fa2ba2e0f0 sqrt(1 sqrt(1 frac{r^{2}}{2}\cos^{2}{(2\sin{(2}{(2} 0e0fe0cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 - frac{r^{2}}{2} + 2 \sin^{2}{(2e0fa2ba2e0f0 sqrt(1 sqrt(1 + 0\sin{(\sqrt{2} = 0e0f1 - \cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 frac{r^{2}}{2} 0e0fe0cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 - 1\sqrt{2\cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 - 4 \cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 \cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1\sqrt{2\cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 0e0fe0cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 - frac{r^{2}}{2} + 2 \sin^{2}{(2e0fa2ba2e0f0 sqrt(1 sqrt(1 sqrt{2e0fe0\sin(2e0fa2ba2e0f0 sqrt(1 sqrt(1 0e0fe0cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 - frac{r^{2}}{2} + 2 \sin^{2}{(2e0fa2ba2e0f0 sqrt(1 sqrt(1 0e0fe0cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 - frac{r^{2}}{2} + 2 \sin^{2}{(2e0fa2ba2e0f0 sqrt(1 sqrt(1 + 0\cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 - frac{r^{2}}{2} + 2 \sin^{2}{(2e0fa2ba2e0f0 sqrt(1 sqrt(1 + 0\cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 0e0fe0cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 - frac{r^{2}}{2} + 2 \sin^{2}{(2e0fa2ba2e0f0 sqrt(1 sqrt(1 frac{r^{2}}{2}\cos^{2}{(2\sin{(2}{(2} 0e0fe0cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 - frac{r^{2}}{2} + 2 \sin^{2}{(2e0fa2ba2e0f0 sqrt(1 sqrt(1 + 0\cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 0e0fe0cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 - frac{r^{2}}{2} + 2 \sin^{2}{(2e0fa2ba2e0f0 sqrt(1 sqrt(1 frac{r^{2}}{2}\cos^{2}{(2\sin{(2}{(2} 0e0fe0cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 - frac{r^{2}}{2} + 2 \sin^{2}{(2e0fa2ba2e0f0 sqrt(1 sqrt(1 + 0\cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 0e0fe0cos(2e0fa2ba2e0f0 sqrt(1 sqrt(1 - frac{r^{2}}{2} + 2 \sin^{2}{(2e0fa2ba2e0f0 sqrt(1 sqrt(1 + 0

$$\cos(\exp(2) + 3\sin(\theta)) \cdot \cos(\sin(\alpha)\sin(\theta)) \sin(\sin(\sin(\cos(\sin(\alpha)\sin(\theta)) \sin(\theta))))(14 \sin(\theta)\cos(\cos(\sin(\alpha)\sin(\theta)) \sin(\theta)) - \tan(\theta^{-1})) + 2\sin^{-1}(\sin(\sin(\alpha)\sin(\theta)) \sin(\sin(\sin(\exp(\sin(\theta)\cos(\cos(\sin(\alpha)\sin(\theta)) \sin(\theta)) - \tan(\theta^{-1}))))) \sin(\theta)\cos(\cos(\sin(\alpha)\sin(\theta)) \sin(\theta)) - \tan(\theta^{-1})) + 2\sin^{-1}(\sin(\sin(\alpha)\sin(\theta)) \sin(\sin(\sin(\cos(\sin(\alpha)\sin(\theta)) \sin(\theta)) \times \sin(\cos^{-1}(\sin(\sin(\alpha)\sin(\theta)) \sin(\theta)))) \sin(\theta)\cos(\cos(\sin(\alpha)\sin(\theta)) \sin(\theta)) - \tan(\theta^{-1})) + 2\sin^{-1}(\sin(\sin(\alpha)\sin(\theta)) \sin(\sin(\sin(\cos(\sin(\alpha)\sin(\theta)) \sin(\theta)) \times \sin(\cos^{-1}(\sin(\sin(\alpha)\sin(\theta)) \sin(\theta)))) \sin(\theta)\cos(\cos(\sin(\alpha)\sin(\theta)) \sin(\theta)) - \tan(\theta^{-1}))))(3 \sin(\theta)\cos(\cos(\sin(\alpha)\sin(\theta)) \sin(\theta)) - \tan(\theta^{-1})) + 2\sin^{-1}(\sin(\sin(\alpha)\sin(\theta)) \sin(\sin(\sin(\cos(\sin(\alpha)\sin(\theta)) \sin(\theta)) \times \sin(\cos^{-1}(\sin(\sin(\alpha)\sin(\theta)) \sin(\theta)))) \sin(\theta)\cos(\cos(\sin(\alpha)\sin(\theta)) \sin(\theta)) - \tan(\theta^{-1})))) + 2\sin^{-1}(\sin(\sin(\alpha)\sin(\theta)) \sin(\sin(\sin(\cos(\sin(\alpha)\sin(\theta)) \sin(\theta)) \times \sin(\cos^{-1}(\sin(\sin(\alpha)\sin(\theta)) \sin(\theta)))) \sin(\theta)\cos(\cos(\sin(\alpha)\sin(\theta)) \sin(\theta)) - \tan(\theta^{-1}))))(2 \sin(\theta)\cos(\cos(\sin(\alpha)\sin(\theta)) \sin(\theta)) - \tan(\theta^{-1})) + 2\sin^{-1}(\sin(\sin(\alpha)\sin(\theta)) \sin(\sin(\sin(\cos(\sin(\alpha)\sin(\theta)) \sin(\theta)) \times \sin(\cos^{-1}(\sin(\sin(\alpha)\sin(\theta)) \sin(\theta)))) \sin(\theta)\cos(\cos(\sin(\alpha)\sin(\theta)) \sin(\theta)) - \tan(\theta^{-1})))) \cos(\exp(2) + 3\sin(\theta)) \cdot \cos(\sin(\alpha)\sin(\theta)) \sin(\sin(\sin(\cos(\sin(\alpha)\sin(\theta)) \sin(\theta)) \times \sin(\cos^{-1}(\sin(\sin(\alpha)\sin(\theta)) \sin(\theta)))) \sin(\theta)\cos(\cos(\sin(\alpha)\sin(\theta)) \sin(\theta)) - \tan(\theta^{-1}))$$

sphi) sphi) - fxphi^2)) (3e0\beta\cos(2e0\alpha\beta\sphi) sphi) - fxphi^2)) + 2 sse^2)) (3e0\alpha\beta\sphi) sphi)(xphi^2)) + 9\cos(3e0\alpha\beta\sphi) sphi) - 4 sse(3e0\alpha\beta\sphi) sphi) sse(3e0\alpha\beta\sphi) sphi) sse(3e0\alpha\beta\sphi) sphi)(xphi sse^2))(3e0\alpha\beta\sphi) sphi)))(3e0\beta\cos(2e0\alpha\beta\sphi) sphi) - fxphi^2)) + 2 sse^2))(3e0\alpha\beta\sphi) sphi)(xphi^2)) - 9\cos(3e0\alpha\beta\sphi) sphi) - fxphi\ sse(3e0\alpha\beta\sphi) sphi))(3e0\cos(2e0\alpha\beta\sphi) sphi) - fxphi^2)) + 2 sse^2))(3e0\alpha\beta\sphi) sphi) + 9\sin(4 sse(3e0\alpha\beta\sphi) sphi) sse(3e0\alpha\beta\sphi) sphi))(3e0\cos(2e0\alpha\beta\sphi) sphi) - fxphi^2)) + 2 sse^2))(3e0\alpha\beta\sphi) sphi)(xphi)))) - 9\sin(3e0\beta\ 3e0\cos(2e0\alpha\beta\sphi) sphi) - fxphi\ sse(3e0\alpha\beta\sphi) sphi) - 4 sse(3e0\alpha\beta\sphi) sphi) sse(3e0\alpha\beta\sphi) sphi)(xphi sse^2))(3e0\alpha\beta\sphi) sphi)))(3e0\cos(2e0\alpha\beta\sphi) sphi) - fxphi^2)) + 2 sse^2))(3e0\alpha\beta\sphi) sphi)(xphi^2)) - 9\sin(3e0\beta\ 3e0\cos(2e0\alpha\beta\sphi) sphi) - fxphi\ sse(3e0\alpha\beta\sphi) sphi) - 4 sse(3e0\alpha\beta\sphi) sphi) sse(3e0\alpha\beta\sphi) sphi)(xphi sse^2))(3e0\alpha\beta\sphi) sphi)))(3e0\cos(2e0\alpha\beta\sphi) sphi) - fxphi^2)) + 2 sse^2))(3e0\alpha\beta\sphi) sphi)(xphi^2)) - 9\sin(3e0\beta\ 3e0\cos(2e0\alpha\beta\sphi) sphi) - fxphi\ sse(3e0\alpha\beta\sphi) sphi) - 4 sse(3e0\alpha\beta\sphi) sphi) sse(3e0\alpha\beta\sphi) sphi)(xphi sse^2))(3e0\alpha\beta\sphi) sphi)))

= 2 sin^{2}(1\left(\left(\left(

gh(c) sigh(c) - fright^(1)(c)2 0e0b0e0cvoe2e0fu0ga0ae2e0fc sigh(c) sigh(c) - fright^(1) + 2 sum^(1)(2e0fu0ga0ae2e0fc sigh(c) sigh(c)sigh(c) + 0ne(sum^(1)(2e0fu0ga0ae2e0fc sigh(c) sigh(c)sigh(c)0ne(0e0fu0ga0ae2e0fc sigh(c) sigh(c) - fright^(1)) + 2 sum^(1)(2e0fu0ga0ae2e0fc sigh(c) sigh(c)sigh(c) - fright^(1)) + 0ne(2e0fvvoe2e0fu0ga0ae2e0fc sigh(c) sigh(c) - fright^(1)))(4 0e0b0e0cvoe2e0fu0ga0ae2e0fc sigh(c) sigh(c) - fright^(1) + 2 sum^(1)(2e0fu0ga0ae2e0fc sigh(c) sigh(c)sigh(c) + 0ne(sum^(1)(2e0fu0ga0ae2e0fc sigh(c) sigh(c)2 0e0b0e0cvoe2e0fu0ga0ae2e0fc sigh(c) sigh(c) - fright^(1) + 2 sum^(1)(2e0fu0ga0ae2e0fc sigh(c) sigh(c)sigh(c) + 0ne(sum^(1)(2 0e0b 0e0cvoe2e0fu0ga0ae2e0fc sigh(c) sigh(c)sigh(c) 0e0b 0e0cvoe2e0fu0ga0ae2e0fc sigh(c) + ecigh(c 0e0c) 0e0cvoe2e0fu0ga0ae2e0fc sigh(c) sigh(c) - fright^(1)) 4 sum(0e0fu0ga0ae2e0fc sigh(c) sigh(c) sum(2e0fu0ga0ae2e0fc sigh(c) sigh(c)sigh(c) sum(2e0fu0ga0ae2e0fc sigh(c) sigh(c)2k 0e0b0e0cvoe2e0fu0ga0ae2e0fc sigh(c) sigh(c) - fright^(1) + 2 sum^(1)(2e0fu0ga0ae2e0fc sigh(c) sigh(c)sigh(c) sqrt(0e0fu0ne(2e0fvvoe2e0fu0ga0ae2e0fc sigh(c) sigh(c) - fright^(1))(2 0e0b0e0cvoe2e0fu0ga0ae2e0fc sigh(c) sigh(c) - fright^(1) + 2 sum^(1)(2e0fu0ga0ae2e0fc sigh(c) sigh(c)sigh(c) + 0ne(sum^(1)(2e0fu0ga0ae2e0fc sigh(c) sigh(c)0ne(2e0fu0ga0ae2e0fc sigh(c) sigh(c) - fright^(1)) + 2 sum^(1)(2e0fu0ga0ae2e0fc sigh(c) sigh(c)sigh(c) - fright^(1)) + 0ne(0e0fvvoe2e0fu0ga0ae2e0fc sigh(c) sigh(c) - fright^(1)))14 0e0b0e0cvoe2e0fu0ga0ae2e0fc

$$\text{vnghi}(\text{vnghi}) \cdot \text{Fnghi}^{*}(1) + 2 \cdot \text{sin}^{*}(1)\{\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi})\}\text{vnghi}) \times \text{Sha}(\text{sin}^{*}(1)\{\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi})\}(((2\,\text{DeltaBeta}\times\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi}) \cdot \text{Fnghi}^{*}(1) + 2 \cdot \text{sin}^{*}(1)\{\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi})\}\text{vnghi})\text{vnghi})) \times \text{Sha}(\text{cos}^{*}(1)\,\text{DeltaBeta}\times\text{sin}(\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi})\,\text{vnghi}) \times \text{vnghi}(\text{sin}(\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi})\,\text{vnghi}))(14\,\text{DeltaBeta}\times\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi}) \cdot \text{Fnghi}^{*}(1) + 2 \cdot \text{sin}^{*}(1)\{\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi})\}\text{vnghi})(\text{vnghi}\,\text{sqrt}(\text{DeltaBeta}\times\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi}) \cdot \text{Fnghi}^{*}(1)))(12\,\text{DeltaBeta}\times\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi}) \cdot \text{Fnghi}^{*}(1) + 2 \cdot \text{sin}^{*}(1)\{\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi})\}\text{vnghi})(\text{vnghi}\times\text{Sha}(\text{sin}^{*}(1)\{\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi})\}((\text{DeltaBeta}\times\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi}) \cdot \text{Fnghi}^{*}(1) + 2 \cdot \text{sin}^{*}(1)\{\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi})\}(\text{vnghi}^{*}(1)) \times \text{Sha}(\text{DeltaBeta}\times\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi}) \cdot \text{Fnghi}^{*}(1)(14\,\text{DeltaBeta}\times\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi}) \cdot \text{Fnghi}^{*}(1) + 2 \cdot \text{sin}^{*}(1)\{\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi})\}\text{vnghi})(\text{vnghi}\times\text{Sha}(\text{cos}^{*}(1)\{\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi})\}(2\,\text{DeltaBeta}\times\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi}) \cdot \text{Fnghi}^{*}(1) + 2 \cdot \text{sin}^{*}(1)\{\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi})\}\text{vnghi})(\text{vnghi}(1) \times \text{Sha}(\text{cos}(1)\,\text{DeltaBeta}\times\text{sin}(\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi})\,\text{vnghi}) \times \text{vnghi}(\text{DeltaBeta}\times\text{Sha}(\text{DeltaBeta}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi}) \cdot \text{Fnghi}^{*}(1))(12\,\text{DeltaBeta}\times\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi}) \cdot \text{Fnghi}^{*}(1) + 2 \cdot \text{sin}^{*}(1)\{\text{DeltaAlpha}(\text{DeltaBeta}(\text{vnghi})\,\text{vnghi})\}\text{vnghi})(\text{vnghi}) \times \text{Sha}(\text{cos}^{*}(1)\{\text{DeltaAlpha}$$

$$\left(\left(\left(

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((((((0e0b0e0cove2e0fu0pa2e0f0 vsg0o1) - 1vsg0o"(1) + 2 sne"(1)le0fu0pa2e0f0 vsg0o1)vsg0o1)vsg0o"(1)ow(1)))) + 0ve(0e0b - 0.0779914904203025924 knq0o1 0e0cove2e0fu0pa2e0f0 vsg0o1) - 1vsg0o sne(0e0fu0pa2e0f0 vsg0o1) - 4 sne(0e0fu0pa2e0f0 vsg0o1) sne(0e0fu0pa2e0f0 vsg0o1)vsg0o1)vsg0o"0e0cove2e0fu0pa2e0f0 vsg0o1) - 1vsg0o sne(0e0fu0pa2e0f0 vsg0o1)vsg0o1)))) 0e0b0e0cove2e0fu0pa2e0f0 vsg0o1) - 1vsg0o"(1) + 2 sne"(1)le0fu0pa2e0f0 vsg0o1)vsg0o"(1) sqrt(0ve(1))))) + 0ve(0e0cove2e0fu0pa2e0f0 vsg0o1) - 1vsg0o"(1)) 0e0b0e0cove2e0fu0pa2e0f0 vsg0o1) - 1vsg0o"(1) + 2 sne"(1)le0fu0pa2e0f0 vsg0o1)vsg0o1) + 0ve(ne"(1)le0fu0pa2e0f0 vsg0o1)le0fu0pa2e0f0 vsg0o1) - 1vsg0o"(1) + 2 sne"(1)le0fu0pa2e0f0 vsg0o1)vsg0o1))) + 0ve(0e - 0.0779914904203025924 knq0o1 0e0cove2e0fu0pa2e0f0 vsg0o1) - 1vsg0o sne(0e0fu0pa2e0f0 vsg0o1) - 1vsg0o"(1)))) 0e0b0e0cove2e0fu0pa2e0f0 vsg0o1) - 1vsg0o"(1) + 2 sne"(1)le0fu0pa2e0f0 vsg0o1)vsg0o1)vsg0o1) sqrt(0ve(1))) + 0ve(0e0cove2e0fu0pa2e0f0 vsg0o1) - 1vsg0o"(1)))) 0e0b0e0cove2e0fu0pa2e0f0 vsg0o1) - 1vsg0o"(1) + 2 sne"(1)le0fu0pa2e0f0 vsg0o1)vsg0o1)))) + 0ve(0e - 0.0779914904203025924 knq0o1 0e0cove2e0fu0pa2e0f0 vsg0o1) - 1vsg0o sne(0e0fu0pa2e0f0 vsg0o1) - 1vsg0o"(1)))) 0e0b0e0cove2e0fu0pa2e0f0 vsg0o1) - 1vsg0o"(1) + 2 sne"(1)le0fu0pa2e0f0 vsg0o1)vsg0o1)vsg0o1) sqrt(0ve(1))) + 0ve(0e0cove2e0fu0pa2e0f0 vsg0o1) - 1vsg0o"(1)))) 0e0b0e0cove2e0fu0pa2e0f0 vsg0o1) - 1vsg0o"(1) + 2 sne"(1)le0fu0pa2e0f0 vsg0o1)vsg0o1)))) + 0ve(0e - 0.0779914904203025924 knq0o1 0e0cove2e0fu0pa2e0f0 vsg0o1) - 1vsg0o sne(0e0fu0pa2e0f0 vsg0o1) - 1vsg0o"(1)))) 0e0b0e0cove2e0fu0pa2e0f0 vsg0o1) - 1vsg0o"(1) + 2 sne"(1)le0fu0pa2e0f0 vsg0o1)vsg0o1)vsg0o1)))
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ne(beta)phase(beta)\right) - I\right(beta)\left(-\frac{1}{2}\left(\frac{1}{2}\left(\frac{1}{2}\left(
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gh(t) \right)(1)\left(\cos\left(\alpha_{\left(\left(\left(

(2:beforbefore(beforalpha(beforright) right)) (right*(2) = 2:law*(2)(beforalpha(beforright) right)(right:separtlow:(2)) = 0:law(beforcow(beforalpha(beforright) right)) (right*(2)(2:beforbefore(beforalpha(beforright) right)) (right*(2) = 2:law*(2)(beforalpha(beforright) right)(right:right) = 0:law(law*(2)(beforalpha(beforright) right) (beforbefore(beforalpha(beforright) right)) (right*(2) = 2:law*(2)(beforalpha(beforright) right)(2) = 0:law(beforright) wrongbeforbefore(beforalpha(beforright) right)) (right:beforbefore:(beforalpha(beforright) right)) (right*(2) = 2:law*(2)(beforalpha(beforright) right)(right:(2) = 0:law(beforcow(beforalpha(beforright) right)) (right:law(beforalpha(beforright) right)) (2:beforbefore(beforalpha(beforright) right)) (right*(2) = 2:law*(2)(beforalpha(beforright) right)(right*

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lleeOrcerIeRfaQaeIeRf sqNlll sqNll -IrqNr"ll) + I ww"lllleRfaQaeIeRf sqNlll sqNllIrqNr ueeIeRfaQaeIeRf sqNlll sqNlllll IeRfeRfcerIeRfaQaeIeRf sqNlll sqNll -IrqNr"ll) + I ww"lllleRfaQaeIeRf sqNlll sqNllIrqNr IeRfcerIeRfaQaeIeRf sqNlll sqNll -IrqNr"lll)I
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gb(lrnp6c) + 9ve(1ue^(2)(3e0fu1qbw(3e0fr vqb6c)):(1ie0tvsvc(3e0fu1qbw(3e0fr vqb6c)) vqb6c) - 7rqb6r^(1) + 2 1ue^(2)(3e0fu1qbw(3e0fr vqb6c)) lrqb6c)7rqb6r^(1) + 9ve(1ie0tvsvc(3e0fu1qbw(3e0fr vqb6c)) vqb6c) - 7rqb6r^(1)(3 3e0fe0tvsvc(3e0fu1qbw(3e0fr vqb6c)) vqb6c) - 7rqb6r^(1) + 2 1ue^(2)(3e0fu1qbw(3e0fr vqb6c)) vqb6c)vqb6c) + 9ve(1ue^(2)(3e0fu1qbw(3e0fr vqb6c)):(2 3e0fe0tvsvc(3e0fu1qbw(3e0fr vqb6c)) vqb6c) - 7rqb6r^(1) + 2 1ue^(2)(3e0fu1qbw(3e0fr vqb6c)) vqb6c)vqb6c)1) + 9ve(3e0fi 3e0fsvc(3e0fu1qbw(3e0fr vqb6c)) - 7rqb6r vsvc(3e0fu1qbw(3e0fr vqb6c)) vqb6c) - K vsvc(3e0fu1qbw(3e0fr vqb6c)) vqb6c) vsvc(3e0fu1qbw(3e0fr vqb6c)) vqb6c)vqb6c 3e0fsvc(3e0fu1qbw(3e0fr vqb6c)) vqb6c) - 7rqb6r 3e0: 0.07991984436265163 k = m 7rqb6r vsvc(3e0fu1qbw(3e0fr vqb6c)) vqb6c)1)(3 3e0fe0tvsvc(3e0fu1qbw(3e0fr vqb6c)) vqb6c) - 7rqb6r^(1) + 2 1ue^(2)(3e0fu1qbw(3e0fr vqb6c)) vqb6c)vqb6c^(2) 1qrp(9ve(1)(1) + 9ve(1ie0tvsvc(3e0fu1qbw(3e0fr vqb6c)) vqb6c) - 7rqb6r^(2)(1)(2 3e0fe0tvsvc(3e0fu1qbw(3e0fr vqb6c)) vqb6c) - 7rqb6r^(2) + 2 1ue^(2)(3e0fu1qbw(3e0fr vqb6c))vqb6c)1ie0tvsvc(3e0fu1qbw(3e0fr vqb6c)) vqb6c) - 7rqb6r^(2) + 2 1ue^(2)(3e0fu1qbw(3e0fr vqb6c))vqb6c)1) + 9ve(3 3e0fi 3e0fsvc(3e0fu1qbw(3e0fr vqb6c)) vqb6c) - 7rqb6r vsvc(3e0fu1qbw(3e0fr vqb6c)) vqb6c) X vsvc(3e0fu1qbw(3e0fr vqb6c)) vqb6c) vsvc(3e0fu1qbw(3e0fr vqb6c)) vqb6c)vqb6c 3e0fsvc(3e0fu1qbw(3e0fr vqb6c)) vqb6c) - 7rqb6r vsvc(3e0

(\alpha(\sin(\theta)\cos(\phi)\sin(\phi)\left(\left(-\frac{\partial^2 \phi}{\partial r^2}\right) + 2 \cos^{2}(\theta)\alpha(\sin(\theta)\cos(\phi)\sin(\phi)\left(\frac{\partial \phi}{\partial r}\right)^{2}\right)\sin(\theta)\cos(\theta) + \frac{\partial \phi}{\partial r}\left(\left(\frac{\partial^2 \phi}{\partial \theta^2}\right)\sin(\phi)\cos(\phi) + \frac{\partial \phi}{\partial \theta}\left(\left(\frac{\partial^2 \phi}{\partial \theta \partial \phi}\right)\sin(\phi)\cos(\phi) + \frac{\partial \phi}{\partial \theta}\left(\cos^{2}(\phi) - \sin^{2}(\phi)\right)\right)\right)\right) + \frac{\partial \phi}{\partial \phi}\left(\left(\frac{\partial^2 \phi}{\partial \theta \partial \phi}\right)\sin(\phi)\cos(\phi) + \frac{\partial \phi}{\partial \theta}\left(\cos^{2}(\phi) - \sin^{2}(\phi)\right)\right)\right) + \frac{\partial \phi}{\partial \phi}\left(\left(\frac{\partial^2 \phi}{\partial \phi^2}\right)\sin(\phi)\cos(\phi) + \frac{\partial \phi}{\partial \phi}\left(\cos^{2}(\phi) - \sin^{2}(\phi)\right)\right)\right) - \frac{\partial \phi}{\partial \phi}\left(\left(\frac{\partial \phi}{\partial \phi}\right)\sin(\phi)\cos(\phi)\right)\right) - 0.0799144439201 \alpha + \frac{\partial \phi}{\partial \theta}\left(\cos(\theta)\alpha(\sin(\theta)\cos(\phi)\sin(\phi)\left(\left(-\frac{\partial^2 \phi}{\partial r^2}\right) + 2 \cos^{2}(\theta)\alpha(\sin(\theta)\cos(\phi)\sin(\phi)\left(\frac{\partial \phi}{\partial r}\right)^{2}\right)\sin(\theta)\cos(\theta) + \frac{\partial \phi}{\partial r}\left(\left(\frac{\partial^2 \phi}{\partial \theta^2}\right)\sin(\phi)\cos(\phi) + \frac{\partial \phi}{\partial \theta}\left(\left(\frac{\partial^2 \phi}{\partial \theta \partial \phi}\right)\sin(\phi)\cos(\phi) + \frac{\partial \phi}{\partial \theta}\left(\cos^{2}(\phi) - \sin^{2}(\phi)\right)\right)\right)\right) + \frac{\partial \phi}{\partial \phi}\left(\left(\frac{\partial^2 \phi}{\partial \theta \partial \phi}\right)\sin(\phi)\cos(\phi) + \frac{\partial \phi}{\partial \theta}\left(\cos^{2}(\phi) - \sin^{2}(\phi)\right)\right)\right) + \frac{\partial \phi}{\partial \phi}\left(\left(\frac{\partial^2 \phi}{\partial \phi^2}\right)\sin(\phi)\cos(\phi) + \frac{\partial \phi}{\partial \phi}\left(\cos^{2}(\phi) - \sin^{2}(\phi)\right)\right)\right) - \frac{\partial \phi}{\partial \phi}\left(\left(\frac{\partial \phi}{\partial \phi}\right)\sin(\phi)\cos(\phi)\right)

(sec(3e0fcq8qa(3e0fc sqb)) sqb)) - fraq0c^(1) + 2 sec^(1)(3e0fcq8qa(3e0fc sqb)) sqb))) + 0*sec(3e0fcsvc(3e0fcq8qa(3e0fc sqb)) sqb)) - fraq0c 3e0fc 0*fraq0c 3e0fcsvc(3e0fcq8qa(3e0fc sqb)) sqb)) - 0.0799149943928124 k. w + 3sqb) 3e0fc 0*sec(3e0fc 3e0fcsvc(3e0fcq8qa(3e0fc sqb)) sqb)) - fraq0c sec(3e0fcq8qa(3e0fc sqb)) sqb)) - 4 sec(3e0fcq8qa(3e0fc sqb)) sqb)) sec(3e0fcq8qa(3e0fc sqb)) sqb)) - 4 sec(3e0fcq8qa(3e0fc sqb)) sqb)) sqb)) sqb)) 3e0fcsvc(3e0fcq8qa(3e0fc sqb)) sqb)) - fraq0c^(1)))19 3e0fcsvc(3e0fcq8qa(3e0fc sqb)) sqb)) - fraq0c^(1) + 2 sec^(1)(3e0fcq8qa(3e0fc sqb)) sqb))sqb)^(1)) - 0*sec(3e0fc) 3e0fcsvc(3e0fcq8qa(3e0fc sqb)) sqb)) - fraq0c sec(3e0fcq8qa(3e0fc sqb)) sqb)) - 4 sec(3e0fcq8qa(3e0fc sqb)) sqb)) sec(3e0fcq8qa(3e0fc sqb)) sqb)) sec^(1)(3e0fcq8qa(3e0fc sqb)) sqb))12 3e0fcsvc(3e0fcq8qa(3e0fc sqb)) sqb)) - fraq0c^(1) + 2 sec^(1)(3e0fcq8qa(3e0fc sqb)) sqb))sqb)^(1)) + 0*sec(3e0fcq8qa(3e0fc sqb)) sqb)) - fraq0c sec

(2:DefGhIKvwx(DefKqBwx(DefKr vqNo)) - IvqNo^(2) + 2·ivw^(2)(DefKqBwx(DefKr vqNo)vqNo)(IvqNo) + 0·ivw(ivw^(2)(DefKqBwx(DefKr vqNo)vqNo)(IvqNo)(DefKvwx(DefKqBwx(DefKr vqNo)vqNo)) - IvqNo^(2)) + 2·ivw^(2)(DefKqBwx(DefKr vqNo)vqNo)(IvqNo)^(0·ivw(2)(2)) + 0·ivw(2)(DefKvwx(DefKqBwx(DefKr vqNo)vqNo) - IvqNo) DefG·(DefK(2·DefKvwx(DefKqBwx(DefKr vqNo)vqNo) - IvqNo) ivw(DefKqBwx(DefKr vqNo)vqNo) - 4·ivw(DefKqBwx(DefKr vqNo)vqNo) ivw(DefKqBwx(DefKr vqNo)vqNo)vqNo·DefKvwx(DefKqBwx(DefKr vqNo)vqNo) - IvqNo^(2))))4·DefGhIKvwx(DefKqBwx(DefKr vqNo)vqNo) - IvqNo^(2) + 2·ivw^(2)(DefKqBwx(DefKr vqNo)vqNo)(IvqNo^(2)) - 0·ivw(DefK(2·DefKvwx(DefKqBwx(DefKr vqNo)vqNo) - IvqNo) ivw(DefKqBwx(DefKr vqNo)vqNo) - 4·ivw(DefKqBwx(DefKr vqNo)vqNo) ivw(DefKqBwx(DefKr vqNo)vqNo)vqNo·ivw^(2)(DefKqBwx(DefKr vqNo)vqNo)(2·DefGhIKvwx(DefKqBwx(DefKr vqNo)vqNo) - IvqNo^(2) + 2·ivw^(2)(DefKqBwx(DefKr vqNo)vqNo)(IvqNo^(2)) + 0·ivw(DefKvwx(DefKqBwx(DefKr vqNo)vqNo) - IvqNo) ivw(DefKqBwx(DefKr vqNo)vqNo)(2·DefGhIKvwx(DefKqBwx(DefKr vqNo)vqNo) - IvqNo^(2)) + 2·ivw^(2)(DefKqBwx(DefKr vqNo)vqNo)(IvqNo) ivw(DefKqBwx(DefKr vqNo)vqNo)(2·DefGhIKvwx(DefKqBwx(DefKr vqNo)vqNo) - IvqNo^(2)) + 2·ivw^(2)(DefKqBwx(DefKr vqNo)vqNo)(IvqNo) ivw(DefKqBwx(DefKr vqNo)vqNo)(2·DefGhIKvwx(DefKqBwx(DefKr vqNo)vqNo) - IvqNo^(2))

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sqrt(x) - lengthr"(1) + 2 sin"(1)3e0fsdpAwr3e0fc sqrt(x)sqrt(x)0fc0fc+(1)(1) + 0ve1ke0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x) - lengthr"(1)(1)3e0fc0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x) - lengthr"(1) + 2 sin"(1)3e0fsdpAwr3e0fc sqrt(x)sqrt(x) + 0ve1ke0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x)3e0fc0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x) - lengthr"(1) + 2 sin"(1)3e0fsdpAwr3e0fc sqrt(x) sqrt(x)lengthr"(1)ve(1)(1) - 0ve1ke0fc 0.7799149943928219 k - w + 3sqrtr sin"(1)3e0fsdpAwr3e0fc sqrt(x) sqrt(x)(1)3e0fc0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x) - lengthr"(1) + 2 sin"(1)3e0fsdpAwr3e0fc sqrt(x) sqrt(x)sqrt(w+1)(1) + 0ve1ke0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x) - lengthr"(1)(1)3e0fc0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x) - lengthr"(1) + 2 sin"(1)3e0fsdpAwr3e0fc sqrt(x) sqrt(x)sqrt(x) + 0ve1ke0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x)(1)3e0fc0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x) - lengthr"(1) + 2 sin"(1)3e0fsdpAwr3e0fc sqrt(x) sqrt(x) - 0ve1k sin"(1)3e0fsdpAwr3e0fc sqrt(x) sqrt(x)(1)3e0fc0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x) - lengthr"(1) + 2 sin"(1)3e0fsdpAwr3e0fc sqrt(x) sqrt(x)sqrt(w+1)(1) + 0ve1ke0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x) - lengthr"(1)(1)3e0fc0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x) - lengthr"(1) + 2 sin"(1)3e0fsdpAwr3e0fc sqrt(x) sqrt(x)sqrt(x) + 0ve1ke0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x)(1)3e0fc0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x) - lengthr"(1) + 2 sin"(1)3e0fsdpAwr3e0fc sqrt(x) sqrt(x)
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sqrt(x) - lengthr"(1) + 2 sin"(1)3e0fsdpAwr3e0fc sqrt(x)sqrt(x)0fc0fc+(1)(1) + 0ve1ke0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x) - lengthr"(1)(1)3e0fc0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x) - lengthr"(1) + 2 sin"(1)3e0fsdpAwr3e0fc sqrt(x)sqrt(x) + 0ve1ke0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x)3e0fc0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x) - lengthr"(1) + 2 sin"(1)3e0fsdpAwr3e0fc sqrt(x) sqrt(x)lengthr"(1)ve(1)(1) - 0ve1k sin"(1)3e0fsdpAwr3e0fc sqrt(x) sqrt(x)(1)3e0fc0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x) - lengthr"(1) + 2 sin"(1)3e0fsdpAwr3e0fc sqrt(x) sqrt(x)sqrt(w+1)(1) + 0ve1ke0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x) - lengthr"(1)(1)3e0fc0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x) - lengthr"(1) + 2 sin"(1)3e0fsdpAwr3e0fc sqrt(x) sqrt(x)sqrt(x) + 0ve1ke0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x)(1)3e0fc0fcvcw3e0fsdpAwr3e0fc sqrt(x) sqrt(x) - lengthr"(1) + 2 sin"(1)3e0fsdpAwr3e0fc sqrt(x) sqrt(x)
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$$+ 0.5 m \left(\frac{h^{2} \sin^{2}{\left(\alpha{\left(t \right)} \right)} \frac{d^{2}}{d t^{2}} \alpha{\left(t \right)}}{2} + \frac{h^{2} \cos^{2}{\left(\alpha{\left(t \right)} \right)} \frac{d^{2}}{d t^{2}} \alpha{\left(t \right)}}{2}\right)$$

-9.3 sw\left(\delta\left(-\operatorname{Gw}(\upsilon)\right)\right)+\delta\left(-2 \operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)\right)\delta\left(-2\delta\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)-\upsilon\left(\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)-4 \operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)\operatorname{sw}^2\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)\exp\left(\operatorname{sw}^2\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)\left(4 \exp\left(\operatorname{Gw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)-\upsilon^2\left(\left(2 \delta\upsilon\delta\upsilon\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)-\upsilon^2\left(\left(2 \delta\upsilon\delta\upsilon\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)+2 \operatorname{sw}^2\left(\left(\delta\upsilon\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)\upsilon\right)+\operatorname{Gw}\left(\operatorname{sw}^2\left(\left(\delta\upsilon\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)\left(\left(\delta\upsilon\delta\upsilon\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)-\upsilon^2\left(\left(2 \delta\upsilon\delta\upsilon\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)-\upsilon^2\left(\left(2 \delta\upsilon\delta\upsilon\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)+2 \operatorname{sw}^2\left(\left(\delta\upsilon\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)\upsilon\right)\left(\delta\upsilon\delta\upsilon\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)-\upsilon^2\left(\left(2 \delta\upsilon\delta\upsilon\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)-\operatorname{Gw}\left(\upsilon\right)\right)\left(-\delta\upsilon\delta\upsilon\right)-2 \operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)\upsilon\right)\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)\left(\left(\exp\left(\operatorname{Gw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)-\upsilon^2\left(\left(2 \delta\upsilon\delta\upsilon\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)-\upsilon^2\left(\left(2 \delta\upsilon\delta\upsilon\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)+2 \operatorname{sw}^2\left(\left(\delta\upsilon\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)\upsilon\right)+\operatorname{Gw}\left(\upsilon\right)\right)\left(\delta\upsilon\delta\upsilon\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)-\upsilon^2\left(\left(2 \delta\upsilon\delta\upsilon\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)-\upsilon^2\left(\left(2 \delta\upsilon\delta\upsilon\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)+2 \operatorname{sw}^2\left(\left(\delta\upsilon\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)\upsilon\right)\left(\delta\upsilon\delta\upsilon\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)-\upsilon^2\left(\left(2 \delta\upsilon\delta\upsilon\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)-\operatorname{Gw}\left(\upsilon\right)\right)\left(-\delta\upsilon\delta\upsilon\right)-2 \operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)\upsilon\right)\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)\left(\left(\exp\left(\operatorname{Gw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)-\upsilon^2\left(\left(2 \delta\upsilon\delta\upsilon\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)-\upsilon^2\left(\left(2 \delta\upsilon\delta\upsilon\operatorname{sw}\left(\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)+2 \operatorname{sw}^2\left(\left(\delta\upsilon\delta\upsilon\right)\upsilon\right)\right) \upsilon\right)\upsilon\right)+\operatorname{Gw}\left(\upsilon\right)\right)\left(

$$\sin(\alpha+\beta)\sin(\gamma)\ \cos(\beta+\alpha)\sin(\gamma)\ \sin(\beta+\gamma)\sin(\alpha)\ \cos(\beta+\gamma)\sin(\alpha)\ \sin(\alpha+\beta)\sin(\gamma)\ -\ 2\sin^2(\gamma)\left(14\ \sin(\beta+\gamma)\cos(\beta+\alpha)\sin(\alpha)\ -\ 2\sin^2(\gamma)\ +\ 2\ \cos^2(\gamma)\left(\sin(\beta+\alpha)\sin(\gamma)\ \sin(\beta+\gamma)\sin(\alpha)\right)\right)\ -\ 8\cos(\beta+\gamma)\left(\sin(\beta+\alpha)\sin(\gamma)\ \sin(\beta+\gamma)\sin(\alpha)\right)\ -\ 2\sin^2(\gamma)\ \cos(\beta+\alpha)\sin(\gamma)\ \sin(\beta+\gamma)\sin(\alpha)\ -\ 4\ \cos(\beta+\alpha)\sin(\gamma)\ \sin(\beta+\gamma)\sin(\alpha)\ \cos(\beta+\alpha)\sin(\gamma)\ \sin(\beta+\gamma)\sin(\alpha)\ \cos^2(\gamma)\left(\sin(\beta+\alpha)\sin(\gamma)\ \sin(\beta+\gamma)\sin(\alpha)\right)\ \cos^2(\gamma)\left(\sin(\beta+\alpha)\sin(\gamma)\ \sin(\beta+\gamma)\sin(\alpha)\right)\ \cos^2(\gamma)\left(\sin(\beta+\alpha)\sin(\gamma)\ \sin(\beta+\gamma)\sin(\alpha)\right)\ \cos^2(\gamma)\left(\sin(\beta+\alpha)\sin(\gamma)\ \sin(\beta+\gamma)\sin(\alpha)\right)\ \cos^2(\gamma)\ +\ 2\ \cos^2(\gamma)\left(\sin(\beta+\alpha)\sin(\gamma)\ \sin(\beta+\gamma)\sin(\alpha)\right)\ \cos^2(\gamma)\ +\ 8\cos(\beta+\gamma)\sin(\beta+\alpha)\sin(\gamma)\ \sin(\beta+\gamma)\sin(\alpha)\ -\ 2\sin^2(\gamma)\ \cos(\beta+\alpha)\sin(\gamma)\ \sin(\beta+\gamma)\sin(\alpha

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V(cos(DeltaAlpha(DeltaO sinphi) - Tzeghe^(2)))(2 DeltOmRcos(DeltaAlpha(DeltO sinphi) sinphi) - Tzeghe^(2) + 2 sin^(2)(DeltaAlpha(DeltO sinphi) sinphi))(sinphi) + Rhw(cos^(2)(DeltaAlpha(DeltO sinphi) sinphi))(DeltOmRcos(DeltaAlpha(DeltO sinphi) sinphi) - Tzeghe^(2) + 2 sin^(2)(DeltaAlpha(DeltO sinphi) sinphi))(sinphi))(2) - Rhw(Zsqrt(2) DeltOmRcos(DeltaAlpha(DeltO sinphi) sinphi) - Tzeghe^(2) + 2 sin^(2)(DeltaAlpha(DeltO sinphi) sinphi))(sinphi) + Rhw(Zsqrt(2) sin^(2)(DeltaAlpha(DeltO sinphi) sinphi))(2 DeltOmRcos(DeltaAlpha(DeltO sinphi) sinphi) - Tzeghe^(2) + 2 sin^(2)(DeltaAlpha(DeltO sinphi) sinphi))(4 DeltOmRcos(DeltaAlpha(DeltO sinphi) sinphi) - Tzeghe^(2) + 2 sin^(2)(DeltaAlpha(DeltO sinphi) sinphi))(sinphi)(2 DeltOmRcos(DeltaAlpha(DeltO sinphi) sinphi) - Tzeghe^(2) + 2 sin^(2)(DeltaAlpha(DeltO sinphi) sinphi))(sinphi) - Tzeghe^(2) + 2 sin^(2)(DeltaAlpha(DeltO sinphi) sinphi))(sinphi) + Rhw(Zsqrt(2) sin^(2)(DeltaAlpha(DeltO sinphi) sinphi))(2 DeltOmRcos(DeltaAlpha(DeltO sinphi) sinphi) - Tzeghe^(2) + 2 sin^(2)(DeltaAlpha(DeltO sinphi) sinphi))(sinphi) - Tzeghe^(2) + 2 sin^(2)(DeltaAlpha(DeltO sinphi) sinphi))(sinphi)(sin^(omega)(DeltaAlpha(DeltO sinphi) sinphi))(2 sqrt(DeltOmRcos(DeltaAlpha(DeltO sinphi) sinphi) - Tzeghe^(2)))(2 DeltOmRcos(DeltaAlpha(DeltO sinphi) sinphi) - Tzeghe^(2) + 2 sin^(2)(DeltaAlpha(DeltO sinphi) sinphi))(sinphi) + Rhw(cos^(2)(DeltaAlpha(DeltO sinphi) sinphi))(DeltOmRcos(DeltaAlpha(DeltO sinphi) sinphi) - Tzeghe^(2) + 2 sin^(2)(DeltaAlpha(DeltO sinphi) sinphi))(sinphi) - Tzeghe^(2) + 2 sin^(2)(DeltaAlpha(DeltO sinphi) sinphi))(sinphi) + Rhw(cos^(2)(DeltaAlpha(DeltO sinphi) sinphi))(DeltOmRcos(DeltaAlpha(DeltO sinphi) sinphi) - Tzeghe^(2) + 2 sin^(2)(DeltaAlpha(DeltO sinphi) sinphi))(sinphi) - Tzeghe^(2) + 2 sin^(2)(DeltaAlpha(DeltO sinphi) sinphi))(sinphi)
```

$$\sin(x)\sin(x) - 2\sin^2(2)\left(\left(\left(

((((3e0fe3e0fcvse3e0fcalpha3e0fc\right)) \right)^2)) + 2\sec^2((3e0fe3alpha3e0fc\right)) \right)\right)\sec^2((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\sec^2((3e0fcalpha3e0fc\right)) \right)) + 2\sec^2((3e0fcalpha3e0fc\right)) \right)) + 2\csc^2((3e0fcalpha3e0fc\right)) \right)) + 4\csc(3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) - 2\sec^2((3e0fcalpha3e0fc\right)) \right)) - 4\sec(3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) + 2\sec^2((3e0fcalpha3e0fc\right)) \right)) - 2\sec(3e0fcvse3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) + 2\sec^2((3e0fcalpha3e0fc\right)) \right)) - 2\sec(3e0fcvse3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) + 2\sec^2((3e0fcalpha3e0fc\right)) \right)) + 4\sec(3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) - 2\sec^2((3e0fcalpha3e0fc\right)) \right)) - 4\sec(3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) + 2\sec^2((3e0fcalpha3e0fc\right)) \right)) + 2\csc^2((3e0fcalpha3e0fc\right)) \right)) + 4\sec(3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) - 2\sec^2((3e0fcalpha3e0fc\right)) \right)) - 4\sec(3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) + 2\sec^2((3e0fcalpha3e0fc\right)) \right)) - 2\csc(3e0fcvse3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) + 2\sec^2((3e0fcalpha3e0fc\right)) \right)) + 2\csc^2((3e0fcalpha3e0fc\right)) \right)) - 4\sec(3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) - 2\sec^2((3e0fcalpha3e0fc\right)) \right)) - 2\csc(3e0fcvse3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) + 2\sec^2((3e0fcalpha3e0fc\right)) \right)) + 2\csc^2((3e0fcalpha3e0fc\right)) \right)) - 4\sec(3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) - 2\sec^2((3e0fcalpha3e0fc\right)) \right)) - 4\sec(3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) + 2\sec^2((3e0fcalpha3e0fc\right)) \right)) + 2\csc^2((3e0fcalpha3e0fc\right)) \right)) + 4\sec(3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) - 2\sec^2((3e0fcalpha3e0fc\right)) \right)) - 2\csc(3e0fcvse3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) + 2\sec^2((3e0fcalpha3e0fc\right)) \right)) + 2\csc^2((3e0fcalpha3e0fc\right)) \right)) - 4\sec(3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) - 2\sec^2((3e0fcalpha3e0fc\right)) \right)) - 4\sec(3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) + 2\sec^2((3e0fcalpha3e0fc\right)) \right)) - 2\csc(3e0fcvse3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) + 2\sec^2((3e0fcalpha3e0fc\right)) \right)) + 2\csc^2((3e0fcalpha3e0fc\right)) \right)) - 4\sec(3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) - 2\sec^2((3e0fcalpha3e0fc\right)) \right)) - 4\sec(3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) + 2\sec^2((3e0fcalpha3e0fc\right)) \right)) + 2\csc^2((3e0fcalpha3e0fc\right)) \right)) + 4\sec(3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) - 2\sec^2((3e0fcalpha3e0fc\right)) \right)) - 2\csc(3e0fcvse3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) + 2\sec^2((3e0fcalpha3e0fc\right)) \right)) + 2\csc^2((3e0fcalpha3e0fc\right)) \right)) - 4\sec(3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) - 2\sec^2((3e0fcalpha3e0fc\right)) \right)) - 4\sec(3e0fcalpha3e0fc\right)) \right)\sec(3e0fcalpha3e0fc\right)) \right)\sin(3e0fcvse3e0fcalpha3e0fc\right)) \right)\left(((3e0fcvse3e0fcalpha3e0fc\right)) \right)) - 2\csc^2((3e0fcalpha3e0fc\right)) \right)) +

$$\sin(\theta)\sin(\theta)\sin(\theta) - \tan(\theta)^{-1}(1 + 2\cos^2(2)\left(\left(\left(

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VlaQqAwZ3eRO VxgNnO|VxgNnO*(II) + 0hwIuwZ1Q|3eRO3hwIZ3eRO|3eRO3vwC3eRO6qAwZ3eRO VxgNnO|-IVxgNnO sooC0eRO6qAwZ3eRO VxgNnO|sooC0eRO6qAwZ3eRO VxgNnO|VxgNnO|VxgNnO 3eRO3vwC3eRO6qAwZ3eRO VxgNnO|VxgNnO*(II)|3eRO3vwC3eRO6qAwZ3eRO VxgNnO|-IVxgNnO*(II) + 2 sooC|I|3eRO6qAwZ3eRO VxgNnO|VxgNnO*(II) + 0hwIZ3eRO|3eRO3vwC3eRO6qAwZ3eRO VxgNnO|-IVxgNnO sooC0eRO6qAwZ3eRO VxgNnO|-4 sooC3eRO6qAwZ3eRO VxgNnO|sooC3eRO6qAwZ3eRO VxgNnO|VxgNnO*sooC|I|3eRO6qAwZ3eRO VxgNnO|Q|3eRO3vwC3eRO6qAwZ3eRO VxgNnO|-IVxgNnO*(II) + 2 sooC|I|3eRO6qAwZ3eRO VxgNnO|VxgNnO*(II) - 0hwI3eRO3vwC3eRO6qAwZ3eRO VxgNnO|-IVxgNnO sooC0eRO6qAwZ3eRO VxgNnO|Q|3eRO3vwC3eRO6qAwZ3eRO VxgNnO|-IVxgNnO*(II) + 2 sooC|I|3eRO6qAwZ3eRO VxgNnO|VxgNnO|-4 0hwI1 sooC3eRO6qAwZ3eRO VxgNnO|sooC3eRO6qAwZ3eRO VxgNnO|Q|3eRO3vwC3eRO6qAwZ3eRO VxgNnO|-IVxgNnO*(II) + 2 sooC|I|3eRO6qAwZ3eRO VxgNnO|VxgNnO|-4 0hwIZ|3eRO3vwC3eRO6qAwZ3eRO VxgNnO|-IVxgNnO sooC0eRO6qAwZ3eRO VxgNnO|Q|3eRO3vwC3eRO6qAwZ3eRO VxgNnO|-IVxgNnO*(II) + 2 sooC|I|3eRO6qAwZ3eRO VxgNnO|VxgNnO|-4 0hwIZ|3eRO3vwC3eRO6qAwZ3eRO VxgNnO|-IVxgNnO sooC0eRO6qAwZ3eRO VxgNnO|Q|3eRO3vwC3eRO6qAwZ3eRO VxgNnO|-IVxgNnO*(II) + 2 sooC|I|3eRO6qAwZ3eRO VxgNnO|VxgNnO|-4 0hwIZ|3eRO3vwC3eRO6qAwZ3eRO VxgNnO|-IVxgNnO sooC0eRO6qAwZ3eRO VxgNnO|Q|3eRO3vwC3eRO6qAwZ3eRO VxgNnO|-IVxgNnO*(II) + 2 sooC|I|3eRO6qAwZ3eRO VxgNnO|VxgNnO|-4 0hwIZ|3eRO3vwC3eRO6qAwZ3eRO VxgNnO|-IVxgNnO sooC0eRO6qAwZ3eRO VxgNnO|Q|3eRO3vwC3eRO6qAwZ3eRO VxgNnO|-IVxgNnO*(II) + 2 sooC|I|3eRO
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$$\alpha(\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota) - (\nu\eta\theta\epsilon\iota^{*}(2) \times 2\ \sin^{*}(2)(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)) \cdot (\delta\epsilon\nu\iota\sigma\eta\rho\epsilon(2)\ \delta\epsilon\theta\iota\sigma\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota) - (\nu\eta\theta\epsilon\iota^{*}(2)) \left(14\ \delta\epsilon\theta\iota\sigma\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)\right) - (\nu\eta\theta\epsilon\iota^{*}(1) \times 2\ \sin^{*}(1)(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)(\nu\eta\theta\epsilon\iota) \times \delta\epsilon\nu\iota\sigma\eta\rho\epsilon(2)\ \sin^{*}(2)(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)(2\ \delta\epsilon\theta\iota\sigma\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota) - (\nu\eta\theta\epsilon\iota^{*}(2) \times 2\ \sin^{*}(2)(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)(\nu\eta\theta\epsilon\iota)(\nu\eta\theta\epsilon\iota\ \delta\epsilon\theta\iota\ \delta\epsilon\nu\iota\sigma\epsilon\theta\iota\delta\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota) - (\nu\eta\theta\epsilon\iota^{*}(2)) \left(2\ \delta\epsilon\theta\iota\sigma\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\right) - (\nu\eta\theta\epsilon\iota^{*}(2) \times 2\ \sin^{*}(2)(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)(\nu\eta\theta\epsilon\iota) \times \delta\epsilon\nu\iota\sigma\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)(\delta\epsilon\theta\iota\sigma\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota) - (\nu\eta\theta\epsilon\iota^{*}(1) \times 2\ \sin^{*}(1)(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)(\nu\eta\theta\epsilon\iota\ \delta\epsilon\theta\iota\ \delta\epsilon\nu\iota\sigma\epsilon\theta\iota\delta\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota) \cdot (\nu\eta\theta\epsilon\iota^{*}(1) \times 2\ \sin^{*}(1)(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota) \times \delta\epsilon\nu\iota\sigma\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)(\delta\epsilon\theta\iota\sigma\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota) - (\nu\eta\theta\epsilon\iota^{*}(1) \times 2\ \sin^{*}(1)(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)(\nu\eta\theta\epsilon\iota\ \delta\epsilon\theta\iota\ \delta\epsilon\nu\iota\sigma\epsilon\theta\iota\delta\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota) - (\nu\eta\theta\epsilon\iota^{*}(1) \times 2\ \sin^{*}(1)(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)(\nu\eta\theta\epsilon\iota\ \delta\epsilon\theta\iota\ \delta\epsilon\nu\iota\sigma\epsilon\theta\iota\delta\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota) \cdot (\nu\eta\theta\epsilon\iota^{*}(1) \times 2\ \sin^{*}(1)(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota) \times \delta\epsilon\nu\iota\sigma\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)(\delta\epsilon\theta\iota\sigma\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota) - (\nu\eta\theta\epsilon\iota^{*}(1) \times 2\ \sin^{*}(1)(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)(\nu\eta\theta\epsilon\iota\ \delta\epsilon\theta\iota\ \delta\epsilon\nu\iota\sigma\epsilon\theta\iota\delta\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota) - (\nu\eta\theta\epsilon\iota^{*}(1) \times 2\ \sin^{*}(1)(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)(\nu\eta\theta\epsilon\iota\ \delta\epsilon\theta\iota\ \delta\epsilon\nu\iota\sigma\epsilon\theta\iota\delta\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota) \cdot 4\ \sin(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)\ \sin(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)(\nu\eta\theta\epsilon\iota\ \delta\epsilon\theta\iota\ \delta\epsilon\nu\iota\sigma\epsilon\theta\iota\delta\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota) - (\nu\eta\theta\epsilon\iota^{*}(2))(\delta\epsilon\theta\iota\sigma\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota) - (\nu\eta\theta\epsilon\iota^{*}(1) \times 2\ \sin^{*}(1)(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)(\nu\eta\theta\epsilon\iota\ \delta\epsilon\theta\iota\ \delta\epsilon\nu\iota\sigma\epsilon\theta\iota\delta\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota) \cdot (\nu\eta\theta\epsilon\iota^{*}(1) \times 2\ \sin^{*}(1)(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota) \times \delta\epsilon\nu\iota\sigma\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)(\delta\epsilon\theta\iota\sigma\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota) - (\nu\eta\theta\epsilon\iota^{*}(1) \times 2\ \sin^{*}(1)(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)(\nu\eta\theta\epsilon\iota^{*}(1)) \cdot \delta\epsilon\nu\iota(2)\ \delta\epsilon\theta\iota\sigma\epsilon\nu\epsilon(\delta\epsilon\theta\alpha\lambda\alpha\iota\delta\epsilon\theta\iota\ \nu\eta\theta\epsilon\iota)\ \nu\eta\theta\epsilon\iota)$$

tc) sin(c) - Cos(b)^2)))) 8e0fc9dfcecc3e8fa5ab2b8fc sin(c) sin(c) - Cos(b)^2)) + 2 sin^2)))) 2b0fa5ab2b8fc sin(c) sin(c)Cos(b) + 4Sec[Sin^2)))) 2b0fcecc3e8fa5ab2b8fc sin(c) sin(c) - Cos(b)^2)) + 2 sin^2)))) 2b0fa5ab2b8fc sin(c) sin(c)Cos(b)^2Sec[Sin^2)))) 8e0fcecc3e8fa5ab2b8fc sin(c) sin(c) - Cos(b)^2)))) 14 8e0fcecc3e8fa5ab2b8fc sin(c) sin(c) - Cos(b)^2)))) 2 sin^2)))) 2b0fa5ab2b8fc sin(c) sin(c)Cos(b) + 4Sec[Sin^2)))) 2b0fa5ab2b8fc sin(c) sin(c)))) 2 8e0fcecc3e8fa5ab2b8fc sin(c) sin(c) - Cos(b)^2)) + 2 sin^2)))) 2b0fa5ab2b8fc sin(c) sin(c)Cos(b)^2Sec[Sin^2)))))) - 8Sec[Sin 8e0fc 8Sec[Cos(c)]) 8e0fc 8e0fcecc3e8fa5ab2b8fc sin(c) sin(c) - Cos(b)^2)) cos(8e0fa5ab2b8fc sin(c) sin(c)) - 4 cos(8e0fa5ab2b8fc sin(c) sin(c) cos(8e0fa5ab2b8fc sin(c) sin(c)Cos(b)^2)) 8e0fcecc3e8fa5ab2b8fc sin(c) sin(c) - Cos(b)^2)))) 14 8e0fcecc3e8fa5ab2b8fc sin(c) sin(c) - Cos(b)^2)) + 2 sin^2)))) 2b0fa5ab2b8fc sin(c) sin(c)Cos(b)^2) + 8Sec[Cos(c)] 8e0fc2 8e0fcecc3e8fa5ab2b8fc sin(c) sin(c) - Cos(b)^2)) cos(8e0fa5ab2b8fc sin(c) sin(c)) - 4 cos(8e0fa5ab2b8fc sin(c) sin(c) cos(8e0fa5ab2b8fc sin(c) sin(c)Cos(b)^2)) 2b0fa5ab2b8fc sin(c) sin(c) - Cos(b)^2)) + 2 sin^2)))) 2b0fa5ab2b8fc sin(c) sin(c)Cos(b)^2) + 8Sec[Cos(c)] 8e0fc2 8e0fcecc3e8fa5ab2b8fc sin(c) sin(c) - Cos(b)^2)) cos(8e0fa5ab2b8fc sin(c) sin(c)) - 4 cos(8e0fa5ab2b8fc

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x sin(x) sin(x) sec(2e0fcq6ae2e0fdt sin(x)) sin(x)sin(x) 0e0fcvxe2e0fcq6ae2e0fdt sin(x)) sin(x) - 1×sin^2(1)(2(2 0e0fcbfcvxe2e0fcq6ae2e0fdt sin(x)) sin(x) - 1×sin^2(1)(2e0fcq6ae2e0fdt sin(x)) sin(x)(1×sin^2(1)(2 0e0fcbfcvxe2e0fcq6ae2e0fdt sin(x)) sin(x) - 1×sin(2e0fcq6ae2e0fdt sin(x)) sin(x)) - 0 sec(2e0fcq6ae2e0fdt sin(x)) sin(x) sec(2e0fcq6ae2e0fdt sin(x)) sin(x)(1×sin^2(1)(2e0fcq6ae2e0fdt sin(x)) sin(x)(1(2e0fcvxe2e0fcq6ae2e0fdt sin(x)) sin(x) - 1×sin^2(1)(2e0fcq6ae2e0fdt sin(x)) sin(x)(1×sin^2(1)(2e0fcq6ae2e0fdt sin(x)) sin(x) - 1×sin^2(1)(2e0fcq6ae2e0fdt sin(x)) sin(x)) - 0×sin(2e0fcvxe2e0fcq6ae2e0fdt sin(x)) sin(x) sec(2e0fcq6ae2e0fdt sin(x)) sin(x)(1(2e0fcvxe2e0fcq6ae2e0fdt sin(x)) sin(x) - 1×sin^2(1)(2e0fcq6ae2e0fdt sin(x)) sin(x)(1×sin^2(1)(2e0fcq6ae2e0fdt sin(x)) sin(x) - 1×sin^2(1)(2e0fcq6ae2e0fdt sin(x)) sin(x)) - 0×sin(2e0fcvxe2e0fcq6ae2e0fdt sin(x)) sin(x) sec(2e0fcq6ae2e0fdt sin(x)) sin(x)(1(2e0fcvxe2e0fcq6ae2e0fdt sin(x)) sin(x) - 1×sin^2(1)(2e0fcq6ae2e0fdt sin(x)) sin(x)(1×sin^2(1)(2e0fcq6ae2e0fdt sin(x)) sin(x) - 1×sin^2(1)(2e0fcq6ae2e0fdt sin(x)) sin(x)) - 0×sin(1 sec(2e0fcq6ae2e0fdt sin(x)) sin(x) sec(2e0fcq6ae2e0fdt sin(x)) sin(x)(1(2e0fcvxe2e0fcq6ae2e0fdt sin(x)) sin(x) - 1×sin^2(1)(2e0fcq6ae2e0fdt sin(x)) sin(x)(1×sin^2(1)(2e0fcq6ae2e0fdt sin(x)) sin(x) - 1×sin^2(1)(2e0fcq6ae2e0fdt sin(x)) sin(x)) - 0×sin(2ωpt(1) 0e0fcvxe2e0fcq6ae2e0fdt sin(x)) sin(x) - 1×sin(2e0fcq6ae2e0fdt sin(x)) sin(x)) - 1×sin^2(1)(2 0e0fcbfcvxe2e0fcq6ae2e0fdt sin(x)) sin(x) - 1×sin^2(1)(2e0fcq6ae2e0fdt sin(x)) sin(x)(1×sin^2(1)(2e0fcq6ae2e0fdt sin(x)) sin(x) - 1×sin^2(1)(2e0fcq6ae2e0fdt sin(x)) sin(x)) - 0×sin(2ωpt(1) sec(2e0fcq6ae2e0fdt sin(x)) sin(x) sec(2e0fcq6ae2e0fdt sin(x)) sin(x)(1(2e0f
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=Rtsin(phi(beh) sin(phi))sin(phi) + Rtw(tan^(2)(beh)sin(phi) sin(phi))(cos(beh)cos(phi)sin(phi) - (sin(phi)^(2) + 2 tan^(2)(beh)sin(phi) sin(phi))(sin(phi)^(2) + Rtw(cos(beh)cos(phi)sin(phi) sin(phi)) - (sin(phi)^(2))(1 Deh)Rtcos(beh)sin(phi) sin(phi)) - (sin(phi)^(2) + 2 tan^(2)(beh)sin(phi) sin(phi))sin(phi)) + Rtw(tan^(2)(beh)sin(phi) sin(phi))(2 Deh)Rtcos(beh)sin(phi) sin(phi)) - (sin(phi)^(2) + 2 tan^(2)(beh)sin(phi) sin(phi))sin(phi))) + Rtw(cos(beh)) - 0.0799484943042416 Xcg(bt) Deh) Rtw(1)(2) - Rtw(cos(beh)cos(phi)sin(phi) sin(phi)) - (sin(phi)^(2))(1 Deh)Rtcos(beh)sin(phi) sin(phi)) - (sin(phi)^(2) + 2 tan^(2)(beh)sin(phi) sin(phi))sin(phi)) + Rtw(tan^(2)(beh)sin(phi) sin(phi))(cos(beh)cos(phi)sin(phi) sin(phi)) - (sin(phi)^(2) + 2 tan^(2)(beh)sin(phi) sin(phi))sin(phi)) Deh) Rtw(cos(beh)cos(phi)sin(phi) sin(phi)) - (sin(phi)^(2))(1 Deh)Rtcos(beh)sin(phi) sin(phi)) - (sin(phi)^(2) + 2 tan^(2)(beh)sin(phi) sin(phi))sin(phi)) + Rtw(tan^(2)(beh)sin(phi) sin(phi))(2 Deh)Rtcos(beh)sin(phi) sin(phi)) - (sin(phi)^(2) + 2 tan^(2)(beh)sin(phi) sin(phi))sin(phi))) 4 tan(beh)sin(phi) sin(phi)) tan(beh)sin(phi) sin(phi))sin(phi) Deh)Rtcos(beh)sin(phi) sin(phi)) - (sin(phi)^(2))(1 Deh)Rtcos(beh)sin(phi) sin(phi)) - (sin(phi)^(2) + 2 tan^(2)(beh)sin(phi) sin(phi))sin(phi)^(2)) - Rtw(Deh)) Deh)Rtcos(beh)sin(phi) sin(phi)) - (sin(phi) tan(beh)sin(phi) sin(phi)) - 4 tan(beh)sin(phi) sin(phi)) tan(beh)sin(phi) sin(phi))sin(phi) tan^(2)(beh)sin(phi) sin(phi))(2 Deh)Rtcos
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$$\ln(\sin(\phi)) - I\sin^{-1}(z) + 2\tan^{-1}(z)\ln(\tan(\frac{\alpha}{2})) \sin(\phi)\sqrt{1-z^2}\,z\,

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sphericaphor"][1] - dhw(2e0b2 3e0fxivw(3e0fxlqa0ac3e0fo vxqh0i) vxqh0i) - fxqhr\xoc3e0fxlqa0ac3e0fo vxqh0i) vxqh0i) - 4 xoc3e0fxlqa0ac3e0fo vxqh0i) xoc3e0fxlqa0ac3e0fo vxqh0i)vxqh0i xoc"][1]3e0fxlqa0ac3e0fo vxqh0i) vxqh0i)[1] 3e0fx3e0fxivw(3e0fxlqa0ac3e0fo vxqh0i) vxqh0i) - fxqhr"[1] = 2 xoc"[1]3e0fxlqa0ac3e0fo vxqh0i) vxqh0i)vxqh0i"[1] = dhw(3e0fxivw(3e0fxlqa0ac3e0fo vxqh0i) vxqh0i) - fxqhr\xoc3e0fxlqa0ac3e0fo vxqh0i) vxqh0i)[1] 3e0fx3e0fxivw(3e0fxlqa0ac3e0fo vxqh0i) vxqh0i) - fxqhr"[1] = 2 xoc"[1]3e0fxlqa0ac3e0fo vxqh0i) vxqh0i)vxqh0i) - dhw(3e0fxivw(3e0fxlqa0ac3e0fo vxqh0i) vxqh0i) - fxqhr\xoc3e0fxlqa0ac3e0fo vxqh0i) vxqh0i)[1] 3e0fx3e0fxivw(3e0fxlqa0ac3e0fo vxqh0i) vxqh0i) - fxqhr"[1] = 2 xoc"[1]3e0fxlqa0ac3e0fo vxqh0i) vxqh0i)vxqh0i)k3e0fx3e0fxivw(3e0fxlqa0ac3e0fo vxqh0i) vxqh0i) - fxqhr"[1] = dhw(3e0fxivw(3e0fxlqa0ac3e0fo vxqh0i) vxqh0i) - fxqhr\xoc3e0fxlqa0ac3e0fo vxqh0i) vxqh0i)[1] 3e0fx3e0fxivw(3e0fxlqa0ac3e0fo vxqh0i) vxqh0i) - fxqhr"[1] = 2 xoc"[1]3e0fxlqa0ac3e0fo vxqh0i) vxqh0i)vxqh0i) - dhw(3e0fxivw(3e0fxlqa0ac3e0fo vxqh0i) vxqh0i) - fxqhr\xoc3e0fxlqa0ac3e0fo vxqh0i) vxqh0i)[1] 3e0fx3e0fxivw(3e0fxlqa0ac3e0fo vxqh0i) vxqh0i) - fxqhr"[1] = 2 xoc"[1]3e0fxlqa0ac3e0fo vxqh0i) vxqh0i)vxqh0i"dhw(3e0fxivw(3e0fxlqa0ac3e0fo vxqh0i) vxqh0i) - fxqhr\xoc3e0fxlqa0ac3e0fo vxqh0i) vxqh0i) - 4 xoc3e0fxlqa0ac3e0fo vxqh0i) xoc3e0fxlqa0ac3e0fo vxqh0i) vxqh0i)vxqh0i 3e0fx3e0fxivw(3e0fxlqa0ac3e0fo vxqh0i) vxqh0i) - fxqhr"[1] = 2 xoc"[1]3e0fxlqa0ac3e0fo vxqh0i) vxqh0i)vxqh0i"[1] = dhw(3e0fx
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xlbnfnfzqkwcbmfbl vxgbtcl-lrxgbtc xxecbmfzqkwcbmfbl vxgbtcl vxgbtcl - 4 kxecbmfzqkwcbmfbl vxgbtcl vxgbtcl xxecbmfzqkwcbmfbl vxgbtcl(vxgbtc xx^((1)kmfzqkwcbmfbl vxgbtcl)(lmfzqkfmxxecbmfzqkwcbmfbl vxgbtcl) -lrxgbtc^(1) + 2 xx^((1)kmfzqkwcbmfbl vxgbtcl vxgbtcl)(vxgbtc^(1) + 8kwc(bmfzxxecbmfzqkwcbmfbl vxgbtcl) -lrxgbtc xxecbmfzqkwcbmfbl vxgbtcl)(lmfzqkfmxxecbmfzqkwcbmfbl vxgbtcl) -lrxgbtc^(1) + 2 xx^((1)kmfzqkwcbmfbl vxgbtcl vxgbtcl)(1 + 8kwc(2 xxecbmfzqkwcbmfbl vxgbtcl xxecbmfzqkwcbmfbl vxgbtcl)(lmfzqkfmxxecbmfzqkwcbmfbl vxgbtcl) -lrxgbtc^(1) + 2 xx^((1)kmfzqkwcbmfbl vxgbtcl vxgbtcl)(lmfzqkfmkxqkl8kwc(1)(1) + 8kwc(bmfzxxecbmfzqkwcbmfbl vxgbtcl) -lrxgbtc^(1)(1) bmfzkmfzxxecbmfzqkwcbmfbl vxgbtcl) -lrxgbtc^(1) + 2 xx^((1)kmfzqkwcbmfbl vxgbtcl vxgbtcl)(vxgbtc + 8kwc(xx^((1)kmfzqkwcbmfbl vxgbtcl)(lmfzqkfmxxecbmfzqkwcbmfbl vxgbtcl) -lrxgbtc^(1) + 2 xx^((1)kmfzqkwcbmfbl vxgbtcl vxgbtcl)(1 + 8kwc(bmfzxxecbmfzqkwcbmfbl vxgbtcl) -lrxgbtc^(1)(1) bmfzkmfzxxecbmfzqkwcbmfbl vxgbtcl) + wvxgbtc bmfzl8kwc(2xqkl2) bmfzl8kwc(bmfzxxecbmfzqkwcbmfbl vxgbtcl) -lrxgbtc^(1)(1) bmfzkmfzxxecbmfzqkwcbmfbl vxgbtcl) -lrxgbtc^(1) = 2 xx^((1)kmfzqkwcbmfbl vxgbtcl vxgbtcl) + 8kwc(xx^((1)kmfzqkwcbmfbl vxgbtcl)(lmfzqkfmxxecbmfzqkwcbmfbl vxgbtcl) -lrxgbtc^(1) + 2 xx^((1)kmfzqkwcbmfbl vxgbtcl vxgbtcl)(lmfzqkfmxxecbmfzqkwcbmfbl vxgbtcl) -lrxgbtc^(1) + 2 xx^((1)kmfzqkwcbmfbl vxgbtcl vxgbtcl)(2 - 8kwc(xxqkl2) bmfzxxecbmfzqkwcbmfbl vxgbtcl) -
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rxghz"[]]]) 0ef0:0ef0:ree:2e05:qa0a:2e00:vxgh0:vxgh0:- -fxrghz"[]) = 2 iaw"[[]]:0ef0:qa0a:2e00:vxgh0:vxgh0:vxgh0

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=0 sin(θ) sin(θ)) + 0*cos(θ sin(θ)*cos(θ*cos(θ)*sin(θ) sin(θ) sin(θ)*cos(θ*cos(θ)*sin(θ) sin(θ)))*cos(θ*cos(θ)*sin(θ) sin(θ)) - Fxrgb(*(1) + 2*sin*(1)(θ*cos(θ)*sin(θ) sin(θ)))*sin(θ)))) - 0*cos(θ*(1) θ*cos(θ)*sin(θ) sin(θ)) - 4*sin(θ*cos(θ)*sin(θ) sin(θ)) sin(θ*cos(θ)*sin(θ) sin(θ))*sin(θ*cos(θ)*sin(θ) sin(θ)) - Fxrgb(*(1)(10 θ*θ*θ*cos(θ*cos(θ)*sin(θ) sin(θ)) - Fxrgb(*(1) + 2*sin*(1)(θ*cos(θ)*sin(θ) sin(θ))*cos(θ*(1)) - 0*cos(θ*θ(2 θ*θ*cos(θ*cos(θ)*sin(θ) sin(θ)) - Fxrgb(*sin(θ*cos(θ)*sin(θ) sin(θ)) - 4*sin(θ*cos(θ)*sin(θ) sin(θ)) sin(θ*cos(θ)*sin(θ) sin(θ))*sin(θ*cos(θ)*sin(θ) sin(θ))(14 θ*θ*θ*cos(θ*cos(θ)*sin(θ) sin(θ)) - Fxrgb(*(1) + 2*sin*(1)(θ*cos(θ)*sin(θ) sin(θ))*cos(θ*(1)) = 0*cos(θ*cos(θ)*sin(θ) sin(θ)) - Fxrgb(*sin(θ*cos(θ)*sin(θ) sin(θ))(14 θ*θ*θ*cos(θ*cos(θ)*sin(θ) sin(θ)) - Fxrgb(*(1) + 2*sin*(1)(θ*cos(θ)*sin(θ) sin(θ))*cos(θ*(1))(2 θ*θ*θ*cos(θ*cos(θ)*sin(θ) sin(θ)) - Fxrgb(*(1) + 2*sin*(1)(θ*cos(θ)*sin(θ) sin(θ))*cos(θ*(1)) 0*cos(θ*cos(θ)*sin(θ) sin(θ))*sin(θ*cos(θ)*sin(θ) sin(θ))(2 θ*θ*θ*cos(θ*cos(θ)*sin(θ) sin(θ)) - Fxrgb(*(1) + 2*sin*(1)(θ*cos(θ)*sin(θ) sin(θ))*cos(θ*(1))(2 θ*θ*θ*cos(θ*cos(θ)*sin(θ) sin(θ)) - Fxrgb(*(1) + 2*sin*(1)(θ*cos(θ)*sin(θ) sin(θ))*cos(θ*(1)) = 0*cos(θ*cos(θ)*sin(θ) sin(θ))*sin(θ*cos(θ)*sin(θ) sin(θ))
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$$\text{tr}\,\cdot\,(\text{Implie}^{(2)}((2\cdot\text{Defin}\text{Defin}\cos(\text{Defin}\,\text{alpha})\text{Defin}\,\text{sin}(\text{c})\cdot\text{sin}(\text{c})-\text{Implie}^{(2)}((2\cdot\text{x}\cdot\cos^{(2)}((\text{Defin}\,\text{alpha})\text{Defin}\,\text{sin}(\text{c})\cdot\text{sin}(\text{c})\text{Implie}^{(2)}((2\cdot\text{Sin}(\text{Defin})\cdot\text{Defin}\cos(\text{Defin}\,\text{alpha})\text{Defin}\,\text{sin}(\text{c})\cdot\text{sin}(\text{c})-\text{Implie}\cos(\text{Defin}\,\text{alpha})\text{Defin}\,\text{sin}(\text{c})\cdot\cos(\text{Defin}\,\text{alpha})\text{Defin}\,\text{sin}(\text{c})\text{Implie}(\text{Implie}^{(2)}((2\cdot\text{x}\cdot\cos^{(2)}((\text{Defin}\,\text{alpha})\text{Defin}\,\text{sin}(\text{c})\cdot\text{sin}(\text{c})\text{Implie}(

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V(alpha(beta(eta(t) xi(t)) - Zeta(t^2)) + 2 sin^2(1)(beta(alpha(beta(eta(t) xi(t)) Zeta(t^2)) + 0 cos(theta)cos(beta(alpha(beta(eta(t) xi(t)) - Zeta(t^2))) (1 beta(beta(cos(beta(alpha(beta(eta(t) xi(t)) - Zeta(t^2)) + 2 sin^2(1)(beta(alpha(beta(eta(t) xi(t)) Zeta(t^2)) + 0 cos(theta)cos(beta(alpha(beta(eta(t) xi(t)) Zeta(t^2))) (1 0 cos(theta) 0 cos(((1 - 0 cos(theta) 0 cos(((1 - 0 cos(theta)cos(beta(alpha(beta(eta(t) xi(t)) - Zeta(t^2))) (1 beta(beta(cos(beta(alpha(beta(eta(t) xi(t)) - Zeta(t^2)) + 2 sin^2(1)(beta(alpha(beta(eta(t) xi(t)) Zeta(t^2)) + 0 cos(theta)cos(beta(alpha(beta(eta(t) xi(t)) - Zeta(t^2))) (1 0 cos(theta) 0 cos(((1 - 0 cos(theta)cos(beta(alpha(beta(eta(t) xi(t)) - Zeta(t^2))) (1 beta(beta(cos(beta(alpha(beta(eta(t) xi(t)) - Zeta(t^2)) + 2 sin^2(1)(beta(alpha(beta(eta(t) xi(t)) Zeta(t^2)) + 0 cos(theta)cos(beta(alpha(beta(eta(t) xi(t)) - Zeta(t^2))) (1 0 cos(theta) 0.07999144642656214 h. = = Zeta(t) beta(t) 0 cos(theta) beta(cos(beta(alpha(beta(eta(t) xi(t)) - Zeta(t^2))) (1 beta(beta(cos(beta(alpha(beta(eta(t) xi(t)) - 0 sin(beta(alpha(beta(eta(t) xi(t)) sin(beta(alpha(beta(eta(t) xi(t)) Zeta(t^2)) (1 beta(beta(cos(beta(alpha(beta(eta(t) xi(t)) - Zeta(t^2))) (1 beta(beta(cos(beta(alpha(beta(eta(t) xi(t)) - Zeta(t^2)) + 2 sin^2(1)(beta(alpha(beta(eta(t) xi(t)) Zeta(t^2)) - 0 cos(theta) beta(cos(beta(alpha(beta(eta(t) xi(t)) - Zeta(t^2))) (1 beta(beta(cos(beta(alpha(beta(eta(t) xi(t)) - 0 sin(beta(alpha(beta(eta(t) xi(t)) sin(beta(alpha(beta(eta(t) xi(t)) sin(sin(sin^2(1)
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$$\text{N}^{\text{r}}(1) + 0\text{we}\{3\text{eff}\text{cove}\{3\text{eff}\}\text{alpha}\{3\text{eff}\}\ \text{sigh}\}\text{sigh}\} - 1\text{right}\text{sos}\{3\text{eff}\}\text{alpha}\{3\text{eff}\}\ \text{sigh}\}\text{sigh}\}(1)\ 3\text{eff}\}\text{ff}\text{cove}\{3\text{eff}\}\text{alpha}\{3\text{eff}\}\ \text{sigh}\}\ \text{sigh}\} - 1\text{right}^{\text{r}}(1) + 2\ \text{sos}^{\text{r}}(1)\text{eff}\}\text{alpha}\{3\text{eff}\}\ \text{sigh}\}\ \text{sigh}\}\text{sigh}\}\ 0\text{we}\{\text{sos}\}\text{eff}\}\text{alpha}\{3\text{eff}\}\ \text{sigh}\}\ \text{sigh}\}\ \text{sos}\{3\text{eff}\}\text{alpha}\{3\text{eff}\}\ \text{sigh}\}\ \text{sigh}\}(1)\ 3\text{eff}\}\text{ff}\text{cove}\{3\text{eff}\}\text{alpha}\{3\text{eff}\}\ \text{sigh}\}\ \text{sigh}\} - 1\text{right}^{\text{r}}(1) + 2\ \text{sos}^{\text{r}}(1)\text{eff}\}\text{alpha}\{3\text{eff}\}\ \text{sigh}\}\ \text{sigh}\}\text{sigh}\}(\text{sigh}\}\ 14\ 3\text{eff}\}\text{ff}\text{cove}(1)(1) + 0\text{we}\{3\text{eff}\text{cove}\{3\text{eff}\}\text{alpha}\{3\text{eff}\}\ \text{sigh}\}\ \text{sigh}\} - 1\text{right}^{\text{r}}(1)\ 3\text{eff}\}\text{ff}\text{cove}\{3\text{eff}\}\text{alpha}\{3\text{eff}\}\ \text{sigh}\}\ \text{sigh}\} - 1\text{right}^{\text{r}}(1) + 2\ \text{sos}^{\text{r}}(1)\text{eff}\}\text{alpha}\{3\text{eff}\}\ \text{sigh}\}\ \text{sigh}\}\text{sigh}\}(\text{sigh}\}\ + 0\text{we}\{\text{sos}^{\text{r}}(1)\text{eff}\}\text{alpha}\{3\text{eff}\}\ \text{sigh}\}\ \text{sigh}\}\text{eff}\}\text{cove}\{3\text{eff}\}\text{alpha}\{3\text{eff}\}\ \text{sigh}\}\ \text{sigh}\} - 1\text{right}^{\text{r}}(1) + 2\ \text{sos}^{\text{r}}(1)\text{eff}\}\text{alpha}\{3\text{eff}\}\ \text{sigh}\}\ \text{sigh}\}\text{sigh}\}(\text{sigh}\}\ \text{sigh}\}\ \text{sigh}\}\ \

ngle) \right) - I\right)^{2} + 2 \sin^{2}\left(\left(\left(\alpha_{0}\left(\left(\left(\alpha_{0}\left(\left(\left(\alpha_{0

frqqhc\sec\left(\alpha\right)\sin\left(\alpha\right) - 4\sec\left(\alpha\right)\sin\left(\alpha\right)\sin\left(\alpha\right)\sec\left(\alpha\right)\sin\left(\alpha\right)\sin\left(\alpha\right)\sec^{2}\left(\alpha\right)\sin\left(\alpha\right)\sin\left(\alpha\right)\left(\left(\left(\left(\sec\left(\alpha\right)\sin\left(\alpha\right)\sin\left(\alpha\right)\sin

hcl sceCbmRxzqAacCbmRX sqAbCcVxqAbl sec"]]]CbmRzqAacCbmRX sqAbl sqAbl]]CbmRCbmRxsecCbmRzqAacCbmRX sqAbl - FzqAbr"[]] = 2 sec"[[[CbmRzqAacCbmRX sqAbl sqAbl]sqAbr"[]] = 0Vec[CbmRxsecCbmRzqAacCbmRX sqAbl sqAbl - FzqAbl sec CbmRzqAacCbmRX sqAbl sqAbl]CbmRxsecCbmRzqAacCbmRX sqAbl sqAbl - FzqAbr"[]] = 2 sec"[[[CbmRzqAacCbmRX sqAbl sqAbl]sqAbr"[]] = 0Vec[CbmRxsecCbmRzqAacCbmRX sqAbl sqAbl - FzqAbr"[]] = 2 sec"[[[CbmRzqAacCbmRX sqAbl sqAbl]sqAbl]sqAbl]

sphi) sphi)) (1-\eta\Re\Re\cos\Re\sqrt{\alpha\beta\alpha}\eta\Re\) \eta\)) - \log\e^{\}) + 2 \ln^{2}(\Re\sqrt{\alpha\beta\alpha}\eta\Re\) \eta\)\eta\)) - \Re\cos\)) 1-\eta\Re\) 2 \cos\Re\sqrt{\alpha\beta\alpha}\eta\Re\) \eta\)\eta\) \cos^{2}(\Re\sqrt{\alpha\beta\alpha}\eta\Re\) \eta\)) (1\eta\Re\cos\Re\sqrt{\alpha\beta\alpha}\eta\Re\) \eta\)) - \log\e^{}) + 2 \ln^{2}(\Re\sqrt{\alpha\beta\alpha}\eta\Re\) \eta\)) (1-\eta\Re\cos\Re\sqrt{\alpha\beta\alpha}\eta\Re\) \eta\)) - \log\e^{

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sec(beta)sqrt(beta)) sqrt(-)) - Erxpha^2)) + 2 sec^2)) (beta)sqrt(beta)) sqrt(-)) sqrt(sqrt^(Erxc)))) (beta)beta)cos(beta)sqrt(beta)) sqrt(-)) - Erxpha^2)) + 2 sec^2)) (beta)sqrt(beta)) sqrt(-)) sqrt(sqrt^(Erxc)))) (Erxc)) sqrt(2)) beta)) - 2 sec(beta)sqrt(beta)) sqrt(-)) sqrt(sqrt(beta) beta) (Erxc)beta)) beta)cos(beta)sqrt(beta)) sqrt(-)) - Erxpha) sec(beta)sqrt(beta)) sqrt(-)) - 4 sec(beta)sqrt(beta)) sqrt(-)) sec(beta)sqrt(beta)) sqrt(-)) sqrt(sqrt(beta) beta) (Erxc)beta)cos(beta)sqrt(beta)) sqrt(-)) - Erxpha^2)) (14 beta)beta)cos(beta)sqrt(beta)) sqrt(-)) - Erxpha^2)) + 2 sec^2)) (beta)sqrt(beta)) sqrt(-)) sqrt(sqrt^(Erxc)))) (Erxc)beta)) beta)cos(beta)sqrt(beta)) sqrt(-)) - Erxpha) sec(beta)sqrt(beta)) sqrt(-)) - 4 sec(beta)sqrt(beta)) sqrt(-)) sec(beta)sqrt(beta)) sqrt(-)) sqrt(sqrt sec^2)) (beta)sqrt(beta)) sqrt(-)) sqrt(sqrt^(Erxc)))) (12 beta)beta)cos(beta)sqrt(beta)) sqrt(-)) - Erxpha^2)) + 2 sec^2)) (beta)sqrt(beta)) sqrt(-)) sqrt(sqrt^(Erxc)))) + (Erxc)beta)cos(beta)sqrt(beta)) sqrt(-)) - Erxpha) sec(beta)sqrt(beta)) sqrt(-)) (12 beta)beta)cos(beta)sqrt(beta)) sqrt(-)) - Erxpha^2)) + 2 sec^2)) (beta)sqrt(beta)) sqrt(-)) sqrt(sqrt(Erxc)) - (Erxc)beta)cos(beta)sqrt(beta)) sqrt(-)) sec(beta)sqrt(beta)) sqrt(-)) (beta)cos(beta)sqrt(beta)) sqrt(-)) - Erxpha^2)) + 2 sec^2)) (beta)sqrt(beta)) sqrt(-)) sqrt(sqrt^(Erxc)))) (
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bcc-:lvqhc"(1)(1) 0eMt0eMtcvoc3eMtqAqAac3eMt vqbcc) vqbcc) -:lvqhc"(1) + 2 sac"(1)1eMtqAqAac3eMt vqbcc) vqbcc)vqbcc) + dhac3sac"(1)1eMtqAqAac3eMt vqbcc) vqbcc)1(1)eMtcvoc3eMtqAqAac3eMt vqbcc) vqbcc) -:lvqhc"(1) + 2 sac"(1)1eMtqAqAac3eMt vqbcc) vqbcc)lvqhc"(1)bc(1)(1) 0eMt0eMtcvoc3eMtqAqAac3eMt vqbcc) vqbcc) -:lvqhc"(1) + 2 sac"(1)1eMtqAqAac3eMt vqbcc) vqbcc)vqbcc) -:dhac3sac(1) 0eMt(1) 2 sac3eMtqAqAac3eMt vqbcc) vqbcc)vqbcc 0eMt dhac3eMt(1) 0eMtcvoc3eMtqAqAac3eMt vqbcc) vqbcc) -:lvqhc sac3eMtqAqAac3eMt vqbcc) vqbcc) -0 sac3eMtqAqAac3eMt vqbcc) vqbcc)sac3eMtqAqAac3eMt vqbcc) vqbcc)vqbcc 0eMt0 0eMtcvoc3eMtqAqAac3eMt vqbcc) vqbcc) -:lvqhc sac3eMtqAqAac3eMt vqbcc) vqbcc) -0 sac3eMtqAqAac3eMt vqbcc) vqbcc)sac3eMtqAqAac3eMt vqbcc) vqbcc)vqbcc 0eMt0 0eMtcvoc3eMtqAqAac3eMt vqbcc) vqbcc) -:lvqhc"(1)114 0eMt0eMtcvoc3eMtqAqAac3eMt vqbcc) vqbcc) -:lvqhc"(1) + 2 sac"(1)1eMtqAqAac3eMt vqbcc) vqbcc)vqbcc"(1) -:dhac3sac(1) 0eMtcvoc3eMtqAqAac3eMt vqbcc) vqbcc) -:lvqhc sac3eMtqAqAac3eMt vqbcc) vqbcc) -0 sac3eMtqAqAac3eMt vqbcc) vqbcc)sac3eMtqAqAac3eMt vqbcc) vqbcc)vqbcc 0eMt4 0eMtcvoc3eMtqAqAac3eMt vqbcc) vqbcc) -:lvqhc sac3eMtqAqAac3eMt vqbcc) vqbcc) -0 sac3eMtqAqAac3eMt vqbcc) vqbcc)sac3eMtqAqAac3eMt vqbcc) vqbcc)vqbcc sac"(1)1eMtqAqAac3eMt vqbcc) vqbcc)(1)(1) 0eMt0eMtcvoc3eMtqAqAac3eMt vqbcc) vqbcc) -:lvqhc"(1) + 2 sac"(1)1eMtqAqAac3eMt vqbcc) vqbcc)

sqrt(sqrt(sqrt^2)) + 8\sin(\delta) \delta\cos(\delta\alpha\alpha\delta\delta) \sqrt{\delta} - 7\sqrt{\cos(\delta\alpha\alpha\delta\delta)} \sqrt{\delta} + \cos(\delta\alpha\alpha\delta\delta) \sqrt{\delta} \cos(\delta\alpha\alpha\delta\delta) \sqrt{\delta} \sqrt{\sqrt{\sqrt{\delta\delta\cos(\delta\alpha\alpha\delta\delta)}}} \sqrt{\delta} - 7\sqrt{\cos(\delta\alpha\alpha\delta\delta)} \sqrt{\delta} \sqrt{\sqrt{\sqrt{\delta\delta\cos(\delta\alpha\alpha\delta\delta)}}} \sqrt{\delta} - 7\sqrt{\delta\delta\cos(\delta\alpha\alpha\delta\delta)} \sqrt{\delta} \sqrt{\sqrt{\sqrt^2}} + 2\cos^{2}(\delta\alpha\alpha\delta\delta) \sqrt{\delta} \sqrt{\sqrt{\sqrt^2}} + 8\sin(\delta) \delta\cos(\delta\alpha\alpha\delta\delta) \sqrt{\delta} - 7\sqrt{\cos(\delta\alpha\alpha\delta\delta)} \sqrt{\delta} - 4\cos(\delta\alpha\alpha\delta\delta) \sqrt{\delta} \cos(\delta\alpha\alpha\delta\delta) \sqrt{\delta} \sqrt{\sqrt{\sqrt{\delta\delta\cos(\delta\alpha\alpha\delta\delta)}}} \sqrt{\delta} \cos(\delta\alpha\alpha\delta\delta) \sqrt{\delta} \sqrt{\sqrt{\sqrt{\delta\delta\cos(\delta\alpha\alpha\delta\delta)}}} \sqrt{\delta} - 7\sqrt{\delta\delta\cos(\delta\alpha\alpha\delta\delta)} \sqrt{\delta} \sqrt{\sqrt{\sqrt^2}} + 2\cos^{2}(\delta\alpha\alpha\delta\delta) \sqrt{\delta} \sqrt{\sqrt{\sqrt^2}} + 8\sin(\delta) \delta\cos(\delta\alpha\alpha\delta\delta) \sqrt{\delta} - 7\sqrt{\cos(\delta\alpha\alpha\delta\delta)} \sqrt{\delta} - 4\cos(\delta\alpha\alpha\delta\delta) \sqrt{\delta} \cos(\delta\alpha\alpha\delta\delta) \sqrt{\delta} \sqrt{\sqrt{\sqrt{\delta\delta\cos(\delta\alpha\alpha\delta\delta)}}} \sqrt{\delta} \cos(\delta\alpha\alpha\delta\delta) \sqrt{\delta} \sqrt{\sqrt{\sqrt{\delta\delta\cos(\delta\alpha\alpha\delta\delta)}}} \sqrt{\delta} - 7\sqrt{\delta\delta\cos(\delta\alpha\alpha\delta\delta)} \sqrt{\delta} \sqrt{\sqrt{\sqrt^2}} + 2\cos^{2}(\delta\alpha\alpha\delta\delta) \sqrt{\delta} \sqrt{\sqrt{\sqrt^2}} + 8\sin(\delta) \delta\cos(\delta\alpha\alpha\delta\delta) \sqrt{\delta} - 7\sqrt{\cos(\delta\alpha\alpha\delta\delta)} \sqrt{\delta} \sqrt{\sqrt{\sqrt{\delta\delta\cos(\delta\alpha\alpha\delta\delta)}}} \sqrt{\delta} - 7\sqrt{\delta\delta\cos(\delta\alpha\alpha\delta\delta)} \sqrt{\delta} \sqrt{\sqrt{\sqrt^2}} + 2\cos^{2}(\delta\alpha\alpha\delta\delta) \sqrt{\delta} \sqrt{\sqrt{\sqrt^2}} + 8\sin(\delta) \delta\cos(\delta\alpha\alpha\delta\delta) \sqrt{\delta} - 7\sqrt{\cos(\delta\alpha\alpha\delta\delta)} \sqrt{\delta} - 4\cos(\delta\alpha\alpha\delta\delta) \sqrt{\delta} \cos(\delta\alpha\alpha\delta\delta) \sqrt{\delta} \sqrt{\sqrt{\sqrt{\delta\delta\cos(\delta\alpha\alpha\delta\delta)}}} \sqrt{\delta} \cos(\delta\alpha\alpha\delta\delta)

$$\sphericalangle\mathrm{abc}(\mathrm{def}) \operatorname{sqrt}(\operatorname{sqrt}(14 \operatorname{det}(\mathrm{det}\operatorname{cos}(\mathrm{det}\operatorname{alpha}(\mathrm{det}\operatorname{sqrt}(\operatorname{sqrt}(\operatorname{sqrt}(\operatorname{sqrt}^{-1}(2) + 2\operatorname{sec}^{-1}(2)(\mathrm{det}\operatorname{alpha}(\mathrm{det}\operatorname{sqrt}(\operatorname{sqrt}(\operatorname{sqrt}^{-1}(2) - \operatorname{dim}(\det(2 \det(\mathrm{det}\operatorname{cos}(\mathrm{det}\operatorname{alpha}(\mathrm{det}\operatorname{sqrt}(\operatorname{sqrt}(\operatorname{sqrt}(

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{"(1) = 2 \nm"(1)\#fxq8ae2m8f\#\#\#(1)\#\#\#(1) - 0\w(1)m\#fxq8ae2m8f\#\#\#(1)\#\#\#(1) \vec{m}\vec{m}\vec{m}\#fxq8ae2m8f\#\#\#(1)\#\#\#(1)\#\#\#(1)\#\#\#(1) \nm"(1)\#fxq8ae2m8f\#\#\#(1)\#\#\#(1) - 2\mp"(1)\#fxq8ae2m8f\#\#\#(1)\#\#\#(1)\#\#\#(1) \nm"(1)\#fxq8ae2m8f\#\#\#(1)\#\#\#(1)\#\#\#(1) \nm"(1)\#fxq8ae2m8f\#\#\#(1)\#\#\#(1)\#\#\#(1) - 2\mp"(1)\#fxq8ae2m8f\#\#\#(1)\#\#\#(1) + 0\w(1)m"(1)\#fxq8ae2m8f\#\#\#(1)\#\#\#(1)\#\#\#(1)\#\#\#(1) \vec{m}\vec{m}\vec{m}\#fxq8ae2m8f\#\#\#(1)\#\#\#(1) - 2\mp"(1)\#fxq8ae2m8f\#\#\#(1)\#\#\#(1) - 2\mp"(1) = 2 \nm"(1)\#fxq8ae2m8f\#\#\#(1)\#\#\#(1)\#\#\#(1) - 0\w(1)m\#fxq8ae2m8f\#\#\#(1)\#\#\#(1) \vec{m}\vec{m}\vec{m}\#fxq8ae2m8f\#\#\#(1)\#\#\#(1)\#\#\#(1) - 2\mp"(1) = 2 \nm"(1)\#fxq8ae2m8f\#\#\#(1)\#\#\#(1)\#\#\#(1) + 0\w(1)m"(1)\#fxq8ae2m8f\#\#\#(1)\#\#\#(1)\#\#\#(1)\#\#\#(1) \vec{m}\vec{m}\vec{m}
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[\n\n\n

((1)(m0)(ayba(3m0)) ing0)(ing0) + 0ve(1ue^((1)(m0)(ayba(3m0)) ing0))((m0)(sve(3m0)(ayba(3m0)) ing0)) - (ing0e^((1) + 1ue^((1)(m0)(ayba(3m0)) ing0))(ing0)(m0)(0v0)(sve(3m0)(ayba(3m0)) ing0)) - (ing0e^((1) + 4 sec(3m0)(ayba(3m0)) ing0)) sec(3m0)(ayba(3m0)) ing0)(ing0)(m0)(sve(3m0)(ayba(3m0)) ing0)) - (ing0e^((1)(m0)(0v0)(sve(3m0)(ayba(3m0)) ing0)) - (ing0e^((1) + 1ue^((1)(m0)(ayba(3m0)) ing0))(ing0)(m0)(0v0)(sve(3m0)(ayba(3m0)) ing0)) - (ing0e^((1) + 0ve(1) 0v0)(sve(3m0)(ayba(3m0)) ing0)) - (ing0e^(sec(3m0)(ayba(3m0)) ing0)) - 4 sec(3m0)(ayba(3m0)) ing0)) sec(3m0)(ayba(3m0)) ing0))(ing0)(m

rsqrt(r^2)) (10 DefRefcosc1DefKalpha1DefRr sqrt(r) sqrt(r) - fsqrt(r^2)) + 2 sin^2)) (DefKalpha1DefRr sqrt(r) sqrt(fsqrt(r^2)) - 0bw(1DefR2 DefRcosc1DefKalpha1DefRr sqrt(r) sqrt(r) - fsqrt(r sscc1DefKalpha1DefRr sqrt(r) sqrt(r) - 0 sscc1DefKalpha1DefRr sqrt(r) sscc1DefKalpha1DefRr sqrt(r) sqrt(fsqrt(r sin^2)) (DefKalpha1DefRr sqrt(r) sqrt(fsqrt(r sin^2)) (14 DefRcDefcosc1DefKalpha1DefRr sqrt(r) sqrt(r) - fsqrt(r^2)) + 2 sin^2)) (DefKalpha1DefRr sqrt(r) sqrt(fsqrt(r^2)) + 0bw (DefKcosc1DefKalpha1DefRr sqrt(r) sqrt(r) - fsqrt(r sscc1DefKalpha1DefRr sqrt(r) sqrt(r)) (14 DefRcDefcosc1DefKalpha1DefRr sqrt(r) sqrt(r) - fsqrt(r^2)) + 2 sin^2)) (DefKalpha1DefRr sqrt(r) sqrt(fsqrt(r^2)) - 0bw (sscc1DefKalpha1DefRr sqrt(r) sqrt(r) sscc1DefKalpha1DefRr sqrt(r) sqrt(r)) (13 DefRcDefcosc1DefKalpha1DefRr sqrt(r) sqrt(r) - fsqrt(r^2)) + 2 sin^2)) (DefKalpha1DefRr sqrt(r) sqrt(fsqrt(r sscc1DefKalpha1DefRr sqrt(r) sqrt(r)) (13 DefRcDefcosc1DefKalpha1DefRr sqrt(r) sqrt(r) - fsqrt(r^2)) + 2 sin^2)) (DefKalpha1DefRr sqrt(r) sqrt(fsqrt(r^2)) - 0bw (DefKcosc1DefKalpha1DefRr sqrt(r) sqrt(r) - fsqrt(r sscc1DefKalpha1DefRr sqrt(r) sqrt(r)) (13 DefRcDefcosc1DefKalpha1DefRr sqrt(r) sqrt(r) - fsqrt(r^2)) + 2 sin^2)) (DefKalpha1DefRr sqrt(r) sqrt(fsqrt(r^2)) - 0bw (DefKcosc1DefKalpha1DefRr sqrt(r) sqrt(r) - fsqrt(r^2)) (12 DefRcDefcosc1DefKalpha1DefRr sqrt(r) sqrt(r) - fsqrt(r^2)) + 2 sin^2)) (DefKalpha1DefRr sqrt(r) sqrt(fsqrt(r^2)) + 0bw (DefKcosc1DefKalpha1DefRr sqrt(r) sqrt(r) - fsqrt(r^2)) (10 DefRcDefcosc1DefKalpha1DefRr sqrt(r) sqrt(r) - fsqrt(r^2)) + 2 sin^2)) (DefKalpha1DefRr sqrt(r) sqrt(fsqrt(r^2)) + 0bw (DefKcosc1DefKalpha1DefRr sqrt(r) sqrt(r) - fsqrt(r^2)) (12 DefRcDefcosc1DefKalpha1DefRr sqrt(r) sqrt(r)

$$\text{vxgbd}) - \text{fxrgbd}^{*}(2) + 2\,\text{sw}^{*}(2)\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\,(\text{vxgbd}\,(\text{vxgbd}^{*}(\text{Ofew}\,(3)\,(1)))) - (\text{Ow}\,(3)\,\text{DefEfkwZxqrG2}\ \text{DefEfkwZbdfKxwcZbdfKxqAwZbdfd}\ \text{vxgbd})\ \text{vxgbd}) - \text{fxrgbd}^{*}(2)\,(1)\,\text{DefEefKxwcZbdfKxqAwZbdfd}\ \text{vxgbd})\ \text{vxgbd}) - \text{fxrgbd}^{*}(2) + 2\,\text{sw}^{*}(2)\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\,(\text{vxgbd}\,(\text{vxgbd}) + \text{Ofew}\,(\text{sw}^{*}(2)\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\,(\text{vxgbd}\,(\text{vxgbd}))))\,(\text{DefKxwcZbdfKxqAwZbdfd}\ \text{vxgbd})\,(\text{DefKxwcZbdfKxqAwZbdfd}\ \text{vxgbd})\ \text{vxgbd}) - \text{fxrgbd}^{*}(2) + 2\,\text{sw}^{*}(2)\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\,(\text{vxgbd}\,(\text{vxgbd})) - (\text{Ow}\,(\text{sw}^{*}(2)\,\text{DefKxwcZbdfKxqAwZbdfd}\ \text{vxgbd})\ \text{vxgbd}) - \text{fxrgbd}^{*}(2)\,(1)\,(16\,\text{DefEefKxwcZbdfKxqAwZbdfd}\ \text{vxgbd})\ \text{vxgbd}) - \text{fxrgbd}^{*}(2) + 2\,\text{sw}^{*}(2)\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\,(\text{vxgbd}\,(\text{vxgbd}) + \text{Ow}\,(\text{sw}^{*}(2)\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\,(\text{vxgbd}\,(2\,\text{DefEefKxwcZbdfKxqAwZbdfd}\ \text{vxgbd})\ \text{vxgbd}) - \text{fxrgbd}^{*}(2)\,(1 + 2\,\text{sw}^{*}(2)\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\,(\text{vxgbd}\,(\text{vxgbd})\,\text{Defc}\ \text{Ow}\,(\text{DefEefKxwcZbdfKxqAwZbdfd}\ \text{vxgbd})\ \text{vxgbd}) - \text{fxrgbd}^{*}(2)\,(1)\,\text{DefEefKxwcZbdfKxqAwZbdfd}\ \text{vxgbd})\ \text{vxgbd}) - \text{fxrgbd}^{*}(2) + 2\,\text{sw}^{*}(2)\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\,(\text{vxgbd}\,(\text{vxgbd}) + \text{Ow}\,(\text{sw}^{*}(2)\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\,(\text{vxgbd}\,(\text{DefKxwcZbdfKxqAwZbdfd}\ \text{vxgbd})\ \text{vxgbd}) - \text{fxrgbd}^{*}(2) + 2\,\text{sw}^{*}(2)\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\,(\text{vxgbd}\,(\text{vxgbd}\,\text{DefKxwcZbdfKxqAwZbdfd}\ \text{vxgbd})\ \text{vxgbd}) - \text{fxrgbd}\,\text{sw}\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\ \text{vxgbd}) - \text{K}\,\text{sw}\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\ \text{vxgbd})\,\text{vxwZ}\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\ \text{vxgbd})\,(\text{vxgbd}\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\ \text{vxgbd}) - \text{fxrgbd}\,\text{sw}\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\ \text{vxgbd}) - \text{K}\,\text{sw}\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\ \text{vxgbd})\,\text{vxwZ}\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\ \text{vxgbd})\,(\text{vxgbd}\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\ \text{vxgbd}) - \text{fxrgbd}\,\text{sw}\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\ \text{vxgbd}) - \text{K}\,\text{sw}\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\ \text{vxgbd})\,\text{vxwZ}\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\ \text{vxgbd})\,(\text{vxgbd}\,(\text{DefKxQAwZbdfd}\ \text{vxgbd})\ \text{vxgbd})$$

$$\text{beficos}(\text{beficos}(\text{beficos}(

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ex:CbeRtyApAwCbeRt sNgNbII)IbeRtxxxCbeRtyApAwCbeRt sNgNbII - IrngNbr"II) + 2 \nw"II)CbeRtyApAwCbeRt sNgNbII sNgNbII) - 0\w:II \nw"II)CbeRtyApAwCbeRt sNgNbII sNgNbII)CbeRtxxxCbeRtyApAwCbeRt sNgNbII sNgNbII) - IrngNbr"II) + 2 \nw"II)CbeRtyApAwCbeRt sNgNbII sNgNbII) + 0\w:II \nw"II)CbeRtyApAwCbeRt sNgNbII sNgNbII)CbeRtxxxCbeRtyApAwCbeRt sNgNbII sNgNbII) - IrngNbr"II) + 2 \nw"II)CbeRtyApAwCbeRt sNgNbII sNgNbII) + 0\w:II \nw"II)CbeRtyApAwCbeRt sNgNbII sNgNbII)CbeRtxxxCbeRtyApAwCbeRt sNgNbII sNgNbII) - IrngNbr"II) 0eRtI 0eRtxxxCbeRtyApAwCbeRt sNgNbII sNgNbII) - IrngNbr xxxCbeRtyApAwCbeRt sNgNbII sNgNbII) + 2 \nw"II)CbeRtyApAwCbeRt sNgNbII sNgNbII) - 4 \nw"II)CbeRtyApAwCbeRt sNgNbII sNgNbII)CbeRtI)CbeRtI 0eRtxxxCbeRtyApAwCbeRt sNgNbII sNgNbII) - IrngNbr"II) + 2 \nw"II)CbeRtyApAwCbeRt sNgNbII sNgNbII)CbeRtI"II) + 0\w:II 0eRtI 0eRtxxxCbeRtyApAwCbeRt sNgNbII sNgNbII) - IrngNbr xxxCbeRtyApAwCbeRt sNgNbII sNgNbII) + 2 \nw"II)CbeRtyApAwCbeRt sNgNbII sNgNbII) - 4 \nw"II)CbeRtyApAwCbeRt sNgNbII sNgNbII)CbeRtxxx"II)CbeRtyApAwCbeRt sNgNbII sNgNbII)CbeRtxxxCbeRtyApAwCbeRt sNgNbII sNgNbII) - IrngNbr"II) + 2 \nw"II)CbeRtyApAwCbeRt sNgNbII sNgNbII)CbeRtI"II)sNgNbII)II - 0\w:II 0eRtI 0eRtxxxCbeRtyApAwCbeRt sNgNbII sNgNbII) - IrngNbr xxxCbeRtyApAwCbeRt sNgNbII sNgNbII) - 4 xxxCbeRtyApAwCbeRt sNgNbII sNgNbII) xxxCbeRtyApAwCbeRt sNgNbII sNgNbII)sNgNbII 0eRtI 0eRtxxxCbeRtyApAwCbeRt sNgNbII sNgNbII) - IrngNbr xxxCbeRtyApAwCbeRt sNgNbII sNgNbII) - 0 \nw:CbeRtyApAwCbeRt sNgNbII sNgNbII) xxxCbeRtyApAwCbeRt sNgNbII sNgNbII)
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(sqrt(-3*cos(x)*sin(x)*alpha)+3*sin(x)*alpha)/(2*(13*sin(x)*alpha-2*cos(x)*alpha)) - (sqrt(-3*cos(x)*sin(x)*alpha)-3*sin(x)*alpha)/(2*(13*sin(x)*alpha-2*cos(x)*alpha)) + 4*cos(x)*sin(x)*alpha/(13*sin(x)*alpha-2*cos(x)*alpha) - 8*cos(x)*sin(x)*alpha/(13*sin(x)*alpha-2*cos(x)*alpha)) - (

gbcc\ngbcc - \ngbcc\nxxc2e0\xb4\xa0xc3e0\ngbcc\ngbcc - 4 xxc3e0\xa0xc3e0\ngbcc\ngbcc\nxxc2e0\xa0xc3e0\ngbcc\ngbcc\nxxc2e0\xb4\xa0xc3e0\ngbcc\ngbcc\nxxc3e0\xa0xc3e0\ngbcc\ngbcc\nxxc2e0\xb4\xa0xc3e0\ngbcc\ngbcc - \nxxc2e0\xb4\xa0xc3e0\ngbcc\ngbcc - \nxxc2e0\xb4\xa0xc3e0\ngbcc\ngbcc\n\n\n

a(1e0r) sin(1) sin(1) sin(1e0xalpha1e0r) sin(1) sin(1)) sin(1) sin^2(1)-(1e0r)(alpha1e0r) sin(1) sin(1)-(1e0r)(beta1e0r)cos(1e0xalpha1e0r) sin(1) sin(1)) - (rho0r)^2(1) + 2 sin^2(1)-(1e0r)(alpha1e0r) sin(1) sin(1)+(rho0r)^2(1) - (theta1)-(1e0r)cos(1e0xalpha1e0r) sin(1) sin(1) - (rho0r) sin(1e0xalpha1e0r) sin(1) sin(1)-(1e0r)cos(1e0xalpha1e0r) sin(1) sin(1)) - (rho0r)^2(1) + 2 sin^2(1)-(1e0r)(alpha1e0r) sin(1) sin(1)) + theta14 sin(1e0xalpha1e0r) sin(1) sin(1e0xalpha1e0r) sin(1) sin(1)-(1e0r)cos(1e0xalpha1e0r) sin(1) sin(1)) - (rho0r)^2(1) + 2 sin^2(1)-(1e0r)(alpha1e0r) sin(1) sin(1)) + theta1(rho0r)(1) + theta1e0r)cos(1e0xalpha1e0r) sin(1) sin(1) - (rho0r) sin(1e0xalpha1e0r) sin(1) sin(1)-(1e0r)cos(1e0xalpha1e0r) sin(1) sin(1)) - (rho0r)^2(1) + 2 sin^2(1)-(1e0r)(alpha1e0r) sin(1) sin(1)) + theta1e0r)cos(1e0xalpha1e0r) sin(1) sin(1)-(1e0r)cos(1e0xalpha1e0r) sin(1) sin(1)) - (rho0r)^2(1) + 2 sin^2(1)-(1e0r)(alpha1e0r) sin(1) sin(1)) + theta1e0r)cos(1e0xalpha1e0r) sin(1) sin(1)-(1e0r)cos(1e0xalpha1e0r) sin(1) sin(1)) - (rho0r)^2(1) + 2 sin^2(1)-(1e0r)(alpha1e0r) sin(1) sin(1)) + theta1(rho0r)(1) + theta1e0r)cos(1e0xalpha1e0r) sin(1) sin(1) - (rho0r) sin

((-1)*(sin(sin(2*(((((((

$$\mathrm{Im}\,\mathrm{Sec}\,\mathrm{Sec}\,\mathrm{Sin}\,\mathrm{Alpha}\,\mathrm{Delta}\,\mathrm{Sqrt}[\mathrm{Sqrt}[-\mathrm{Fright}^2[1]+2\,\mathrm{Sec}^2[\mathrm{Ln}\,\mathrm{Sin}\,\mathrm{Alpha}\,\mathrm{Delta}\,\mathrm{Sqrt}[\mathrm{Sqrt}[\mathrm{Cos}[\mathrm{Pi}]]\,\mathrm{Sec}^2[\mathrm{Ln}\,\mathrm{Sin}\,\mathrm{Alpha}\,\mathrm{Delta}\,\mathrm{Sqrt}[\mathrm{Sqrt}[\mathrm{Sqrt}[

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t(i) = 0*a-(4 sin(0e0ta0pha(0e0t sig0ni) sin(2e0ta0pha(0e0t sig0ni) sin(3e0ta0pha(0e0t sig0ni)))e0t)cos(2e0ta0pha(0e0t sig0ni) sig0ni)-(sig0ni)^2)) + 0*a-(3 de0l 0e0cos(2e0ta0pha(0e0t sig0ni) sig0ni)-(sig0ni)^2)) + 2*a*(2)(0e0ta0pha(0e0t sig0ni) sig0ni)-(sig0ni)^2)) + 4 sin(0e0ta0pha(0e0t sig0ni) sin(2e0ta0pha(0e0t sig0ni) sig0ni)-(sig0ni)^2)) + 2*a*(2)(0e0ta0pha(0e0t sig0ni) sig0ni)-(sig0ni)^2)) + 2*a*(2)(0e0ta0pha(0e0t sig0ni) sig0ni)-(sig0ni)^2)) + 0*(0e0t0e0cos(2
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Tangle^{(2)} = 2 \sin^{2}(2\delta\alpha\beta\alpha\delta\delta) \sqrt{\det(\rho_{\alpha\beta})}\,\mathrm{Tr}(\rho^{2}(2)) - \mathrm{Re}\,\mathrm{Tr}(\delta\delta\,\mathrm{Tensor}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta}) \cdot \mathrm{Tangle}\,\mathrm{Tensor}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta}) \cdot 4\,\mathrm{Tensor}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,\mathrm{Tensor}(\delta\delta\alpha\beta\alpha\delta\delta)\,\mathrm{Tangle}\,\mathrm{Tensor}^{*}(2)(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,(10\,\delta\delta\delta\delta\,\mathrm{Kronecker}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta}) \cdot \mathrm{Tangle}^{*}(2) = 2\,\mathrm{Tensor}^{*}(2)(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,\mathrm{Tangle}(\mathrm{Tangle}^{*}(2)) = \mathrm{Re}\,\mathrm{Tr}(\mathrm{Kronecker}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta}) \cdot \mathrm{Tangle}\,\mathrm{Tensor}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,(10\,\delta\delta\delta\delta\,\mathrm{Kronecker}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta}) \cdot \mathrm{Tangle}^{*}(2) = 2\,\mathrm{Tensor}^{*}(2)(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,\mathrm{Tangle}(\rho_{\alpha\beta}) \cdot \mathrm{Re}\,\mathrm{Tr}(\mathrm{Tensor}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,(12\,\delta\delta\delta\delta\,\mathrm{Kronecker}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta}) \cdot \mathrm{Tangle}^{*}(2) = 2\,\mathrm{Tensor}^{*}(2)(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,\mathrm{Tangle}(\rho_{\alpha\beta}) \cdot \mathrm{Re}\,\mathrm{Tr}(\delta\delta\,\mathrm{Kronecker}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,(12\,\delta\delta\delta\delta\,\mathrm{Kronecker}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta}) \cdot \mathrm{Tangle}^{*}(2) = 2\,\mathrm{Tensor}^{*}(2)(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,\mathrm{Tangle}(\rho_{\alpha\beta}) \times \mathrm{Re}\,\mathrm{Tr}(\mathrm{Tensor}^{*}(2)(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,(\mathrm{Kronecker}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta}) \cdot \mathrm{Tangle}^{*}(2) = 2\,\mathrm{Tensor}^{*}(2)(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,\mathrm{Tangle}(\mathrm{Tangle}^{*}(2)) \times \mathrm{Re}\,\mathrm{Tr}(\mathrm{Kronecker}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta}) \cdot \mathrm{Tangle}^{*}(2) = 2\,\mathrm{Tensor}^{*}(2)(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,\mathrm{Tangle}(\mathrm{Tangle}^{*}(2)) \times \mathrm{Re}\,\mathrm{Tr}(\mathrm{Tensor}^{*}(2)(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,(10\,\delta\delta\delta\delta\,\mathrm{Kronecker}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta}) \cdot \mathrm{Tangle}^{*}(2) = 2\,\mathrm{Tensor}^{*}(2)(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,\mathrm{Tangle}(\rho_{\alpha\beta}) \cdot \mathrm{Re}\,\mathrm{Tr}(\mathrm{Tensor}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,(12\,\delta\delta\delta\delta\,\mathrm{Kronecker}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta}) \cdot \mathrm{Tangle}^{*}(2) = 2\,\mathrm{Tensor}^{*}(2)(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,\mathrm{Tangle}(\rho_{\alpha\beta}) \times \mathrm{Re}\,\mathrm{Tr}(\mathrm{Tensor}^{*}(2)(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,(\mathrm{Kronecker}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta}) \cdot \mathrm{Tangle}^{*}(2) = 2\,\mathrm{Tensor}^{*}(2)(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,\mathrm{Tangle}(\mathrm{Tangle}^{*}(2)) \times \mathrm{Re}\,\mathrm{Tr}(\mathrm{Kronecker}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta}) \cdot \mathrm{Tangle}^{*}(2) = 2\,\mathrm{Tensor}^{*}(2)(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,\mathrm{Tangle}(\mathrm{Tangle}^{*}(2)) \times \mathrm{Re}\,\mathrm{Tr}(\mathrm{Tensor}^{*}(2)(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,(10\,\delta\delta\delta\delta\,\mathrm{Kronecker}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta}) \cdot \mathrm{Tangle}^{*}(2) = 2\,\mathrm{Tensor}^{*}(2)(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,\mathrm{Tangle}(\rho_{\alpha\beta}) \cdot \mathrm{Re}\,\mathrm{Tr}(\mathrm{Tensor}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,(12\,\delta\delta\delta\delta\,\mathrm{Kronecker}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta}) \cdot \mathrm{Tangle}^{*}(2) = 2\,\mathrm{Tensor}^{*}(2)(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,\mathrm{Tangle}(\rho_{\alpha\beta}) \times \mathrm{Re}\,\mathrm{Tr}(\mathrm{Tensor}^{*}(2)(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,(\mathrm{Kronecker}(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta}) \cdot \mathrm{Tangle}^{*}(2) = 2\,\mathrm{Tensor}^{*}(2)(\delta\delta\alpha\beta\alpha\delta\delta)\,\rho_{\alpha\beta})\,\mathrm{Tangle}(\rho_{\alpha\beta}

glmlinqWzVqMqF7JGrwJ5JJ2ll = GhwJJ1k9eMb GhwJxwqrlJ 3eMb2 3eMXxwJ3eMXxqAqAwJ3eMX VqNb1 - FxqNWlxwJ3eMXxqAqAwJ3eMX VqNb1 VqNb1 - 4 xwJ3eMXxqAqAwJ3eMX VqNb1 VqNb1xwJ3eMXxqAqAwJ3eMX VqNb1VqNb1 3eMXxwJ3eMXxqAqAwJ3eMX VqNb1 - FxqNWlxwJ3eMXxqAqAwJ3eMX VqNb1 - FxqNWlxwJ3eMXxqAqAwJ3eMX VqNb1 VqNb1F7JJ1 = 2 lwx*JJ1[3eMXxqAqAwJ3eMX VqNb1 VqNb1VqNb1F7JJ1 = GhwJxwqrlJ 3eMb2 3eMXxwJ3eMXxqAqAwJ3eMX VqNb1 - FxqNWlxwJ3eMXxqAqAwJ3eMX VqNb1 VqNb1 - 4 xwJ3eMXxqAqAwJ3eMX VqNb1 VqNb1xwJ3eMXxqAqAwJ3eMX VqNb1VqNb1xwJ*JJ1[3eMXxqAqAwJ3eMX VqNb1 VqNb1]

$$\sqrt{\phi(1)} - I\sin^{\mathbb{N}}(2) \cos(2\theta\tau\alpha\beta\alpha\beta\theta) \sqrt{\phi(1)}(2\theta\tau\cos(2\theta\tau\alpha\beta\alpha\beta\theta) \sqrt{\phi(1)} - I\sin^{\mathbb{N}}(2) + 2\cos^{\mathbb{N}}(2)(2\theta\tau\alpha\beta\alpha\beta\theta) \sqrt{\phi(1)} + \sin(2) \cos(2\theta\tau\alpha\beta\alpha\beta\theta) \sqrt{\phi(1)} \cos(2\theta\tau\alpha\beta\alpha\beta\theta) \sqrt{\phi(1)}(2\theta\tau\cos(2\theta\tau\alpha\beta\alpha\beta\theta) \sqrt{\phi(1)} - I\sin^{\mathbb{N}}(2) + 2\cos^{\mathbb{N}}(2)(2\theta\tau\alpha\beta\alpha\beta\theta) \sqrt{\phi(1)})\sqrt{\phi(1)} + \sin(2) \cos(2\theta\tau\alpha\beta\alpha\beta\theta) \sqrt{\phi(1)}(2\theta\tau\cos(2\theta\tau\alpha\beta\alpha\beta\theta) \sqrt{\phi(1)} - I\sin^{\mathbb{N}}(2) + 2\cos^{\mathbb{N}}(2)(2\theta\tau\alpha\beta\alpha\beta\theta) \sqrt{\phi(1)})\sqrt{\phi(1)} + \sin(2) \cos(2\theta\tau\alpha\beta\alpha\beta\theta) \sqrt{\phi(1)}

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alpha(left) sqrt(-1)right) sqrt(-1)right) sin(left(alpha(left) sqrt(-1) - 4 sin(left(alpha(left) sqrt(-1) sin(left(alpha(left) sqrt(-1)right)right) left(-left(sin(left(alpha(left) sqrt(-1)right) sqrt(-1) - 8 sin(left(alpha(left) sqrt(-1) sin(left(alpha(left) sqrt(-1)right)right) left(-left(sin(left(alpha(left) sqrt(-1)right) sqrt(-1) - left(sin(left(alpha(left) sqrt(-1)right) sqrt(-1)right)^2)))) + 2 sin^2(left(alpha(left) sqrt(-1)right)right)^2)) + 8 cos(2 left(2 left(cos(left(alpha(left) sqrt(-1)right) sqrt(-1) - left(sin(left(alpha(left) sqrt(-1)right) sqrt(-1)right)^2)))) + 4 sin(left(alpha(left) sqrt(-1) sin(left(alpha(left) sqrt(-1)right)right) left(-left(sin(left(alpha(left) sqrt(-1)right) sqrt(-1) - 8 sin(left(alpha(left) sqrt(-1) sin(left(alpha(left) sqrt(-1)right)right) left(-left(sin(left(alpha(left) sqrt(-1)right) sqrt(-1) - left(sin(left(alpha(left) sqrt(-1)right) sqrt(-1)right)^2)))) + 2 sin^2(left(alpha(left) sqrt(-1)right)right)^2)) + 8 cos(2 left(2 left(cos(left(alpha(left) sqrt(-1)right) sqrt(-1) - left(sin(left(alpha(left) sqrt(-1)right) sqrt(-1)right)^2))))
```

alpha(left) sqrt(-4 sec(left)alpha(left) sqrt(-sec(left)alpha(left) sqrt(sec(left)alpha(left) sqrt(sqrt(sec(left)alpha(left) sqrt(-sec(left)alpha(left) sqrt(sec(left)alpha(left) sqrt(sqrt(sec(left)alpha(left) sqrt(-(left(left(sec(left)alpha(left) sqrt(-(-tan^2((left(alpha(left) sqrt(-sqrt(-2 sec^((left(alpha(left) sqrt(-sqrt(-(-2 sin(left)alpha(left) sqrt(-sqrt(-(-2 sin(left)alpha(left) sqrt(-sqrt(-(-2 sin(left)

```
ne(lmfn(qqAwcImfN) sngN)(sngN)-bmfn(vwcImfn(qqAwcImfN) sngN)) - (sngN)-vwcImfn(qqAwcImfN) sngN))((2lmfN)bmfn(vwcImfn(qqAwcImfN) sngN)) - (sngN)-vwcImfn(qqAwcImfN) sngN)) + 2 ln(~"((1lmfn(qqAwcImfN) sngN))sngN))+"))) + 0ln(14 bmfN)2 bmfn(vwcImfn(qqAwcImfN) sngN)) - (sngN)-vwcImfn(qqAwcImfN) sngN)) - 4 ln(lmfn(qqAwcImfN) sngN)) sngN)(sngN)-vwcImfn(qqAwcImfN) sngN)) sngN)(sngN)-vwcImfn(qqAwcImfN) sngN)) sngN))((1lmfN)bmfn(vwcImfn(qqAwcImfN) sngN)) sngN)) - (sngN)"))) + 2 ln(~"((1lmfN)bmfn(vwcImfn(qqAwcImfN) sngN))sngN))+"))) - 0ln(14lmfn(vwcImfn(qqAwcImfN) sngN)) - (sngN)-vwcImfn(qqAwcImfN) sngN))((1lmfn(vwcImfn(qqAwcImfN) sngN)) sngN)) - (sngN)"))) + 2 ln(~"((1lmfN)bmfn(vwcImfn(qqAwcImfN) sngN))sngN))+"))) - 0ln(1 ln(~"((1lmfN)bmfn(vwcImfn(qqAwcImfN) sngN))((1lmfn(vwcImfn(qqAwcImfN) sngN)) - (sngN)-vwcImfn(qqAwcImfN) sngN)) + 2 ln(~"((1lmfN)bmfn(vwcImfn(qqAwcImfN) sngN))sngN))+"))) + 0ln(1 ln(~"((1lmfN)bmfn(vwcImfn(qqAwcImfN) sngN))((1lmfn(vwcImfn(qqAwcImfN) sngN)) - (sngN)-vwcImfn(qqAwcImfN) sngN)) + 2 ln(~"((1lmfN)bmfn(vwcImfn(qqAwcImfN) sngN))sngN))+"))) - 0ln(12 bmfN)2 bmfn(vwcImfn(qqAwcImfN) sngN)) - (sngN)-vwcImfn(qqAwcImfN) sngN)) + 2 ln(~"((1lmfN)bmfn(vwcImfn(qqAwcImfN) sngN))sngN))+"))) + 0ln(14 bmfN)2 bmfn(vwcImfn(qqAwcImfN)
```

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0 inghci ughci -Ingbr xxwc2mfxlqdwc2mfX inghci inghci = 2 ioW"(((2mfXzqdwc2mfX inghci inghci - 0 xxw"(((2mfXzqdwc2mfX inghci inghci(inghci xxw"(((2mfXzqdwc2mfX inghci inghci(inghci xxw"(((2mfXzqdwc2mfX inghci inghci - Ingbr"(((1 + 2 ioW"(((2mfXzqdwc2mfX inghci inghci(inghci"(((1ryghci(((1 + 0w(2ugc(((1 3mfXxxwc2mfXzqdwc2mfX inghci inghci - Ingbr xxwc2mfXzqdwc2mfX inghci inghci(((2 3mfX3mfXxxwc2mfXzqdwc2mfX inghci inghci - Ingbr"(((1 + 2 ioW"(((2mfXzqdwc2mfX inghci inghci(inghci - 0w(3 ugc(((1 xxw"(((2mfXzqdwc2mfX inghci inghci(((2 3mfX3mfXxxwc2mfXzqdwc2mfX inghci inghci - Ingbr"(((1 + 2 ioW"(((2mfXzqdwc2mfX inghci inghci(inghci + 0w(2ugc(((1 xxw"(((2mfXzqdwc2mfX inghci inghci(((2mfXxxwc2mfXzqdwc2mfX inghci inghci - Ingbr"(((1 + 2 ioW"(((2mfXzqdwc2mfX inghci inghci(inghci - 0w(2ugc(((1 3mfXxxwc2mfXzqdwc2mfX inghci inghci - Ingbr"(((1 3mfX2 3mfXxxwc2mfXzqdwc2mfX inghci inghci - Ingbr xxwc2mfXzqdwc2mfX inghci inghci = 2 ioW"(((2mfXzqdwc2mfX inghci inghci - 4 xxw"(((2mfXzqdwc2mfX inghci inghci(inghci(((4 3mfX3mfXxxwc2mfXzqdwc2mfX inghci inghci - Ingbr"(((1 + 2 ioW"(((2mfXzqdwc2mfX inghci inghci(inghci"(((1 + 0w(2ugc(((1 3mfX2 3mfXxxwc2mfXzqdwc2mfX inghci inghci - Ingbr xxwc2mfXzqdwc2mfX inghci inghci = 2 ioW"(((2mfXzqdwc2mfX inghci inghci - 4 xxw"(((2mfXzqdwc2mfX inghci inghci(inghci xxw"(((2mfXzqdwc2mfX inghci inghci(((2 3mfX
```

```
print lengths) - lengths**(1) + 2 sum**(lambda x:x*x*x*lengths**(1)/lengths) - 3 sum(lambda x:x*x*lengths**(2)/lengths) sum(lambda x:x*lengths**(2)/lengths) - lengths**(2)/2 lambda x:x*x*x*lengths**(3)/lengths - lengths**(3)/6 + 2 sum**(lambda x:x*x*lengths**(3)/lengths) sum(lambda x:x*lengths**(3)/lengths) - lengths**(3)/3 + 3 sum**(lambda x:x*x*lengths**(3)/lengths) sum(lambda x:x*lengths**(3)/lengths) - lengths**(3)/3 lambda x:x*x*x*x*lengths**(4)/lengths - 4 sum(lambda x:x*x*x*lengths**(4)/lengths) sum(lambda x:x*lengths**(4)/lengths) + 6 sum**(lambda x:x*x*lengths**(4)/lengths) sum(lambda x:x*lengths**(4)/lengths) - 4 sum(lambda x:x*x*lengths**(4)/lengths) sum(lambda x:x*lengths**(4)/lengths) + sum(lambda x:x*x*x*x*lengths**(4)/lengths) - lengths**(4)/4 lambda x:x*x*x*x*x*lengths**(5)/lengths - 5 sum(lambda x:x*x*x*x*lengths**(5)/lengths) sum(lambda x:x*lengths**(5)/lengths) + 10 sum**(lambda x:x*x*x*lengths**(5)/lengths) sum(lambda x:x*x*lengths**(5)/lengths) - 10 sum(lambda x:x*x*x*lengths**(5)/lengths) sum(lambda x:x*lengths**(5)/lengths) + 5 sum**(lambda x:x*x*lengths**(5)/lengths) sum(lambda x:x*lengths**(5)/lengths) - sum(lambda x:x*x*x*x*x*lengths**(5)/lengths) + sum(lambda x:x*x*x*x*lengths**(5)/lengths) - lengths**(5)/5 lambda x:x*x*x*x*x*x*lengths**(6)/lengths - 6 sum(lambda x:x*x*x*x*x*lengths**(6)/lengths) sum(lambda x:x*x*x*x*lengths**(6)/lengths) + 15 sum**(lambda x:x*x*x*x*lengths**(6)/lengths) sum(lambda x:x*x*x*lengths**(6)/lengths) - 20 sum(lambda x:x*x*x*x*lengths**(6)/lengths) sum(lambda x:x*x*lengths**(6)/lengths) + 15 sum**(lambda x:x*x*x*lengths**(6)/lengths) sum(lambda x:x*lengths**(6)/lengths) - 6 sum(lambda x:x*x*x*x*x*lengths**(6)/lengths) sum(lambda x:x*lengths**(6)/lengths) + sum(lambda x:x*x*x*x*x*x*lengths**(6)/lengths) - lengths**(6)/6 lambda x:x*x*x*x*x*x*x*lengths**(7)/lengths - 7 sum(lambda x:x*x*x*x*x*x*lengths**(7)/lengths) sum(lambda x:x*x*x*x*x*lengths**(7)/lengths) + 21 sum**(lambda x:x*x*x*x*x*lengths**(7)/lengths) sum(lambda x:x*x*x*x*lengths**(7)/lengths) - 35 sum(lambda x:x*x*x*x*x*lengths**(7)/lengths) sum(lambda x:x*x*x*lengths**(7)/lengths) + 35 sum**(lambda x:x*x*x*x*lengths**(7)/lengths) sum(lambda x:x*x*lengths**(7)/lengths) - 21 sum(lambda x:x*x*x*x*x*lengths**(7)/lengths) sum(lambda x:x*lengths**(7)/lengths) + 7 sum**(lambda x:x*x*x*x*lengths**(7)/lengths) sum(lambda x:x*x*x*lengths**(7)/lengths) - sum(lambda x:x*x*x*x*x*x*lengths**(7)/lengths) + sum(lambda x:x*x*x*x*x*lengths**(7)/lengths) - lengths**(7)/7 lambda x:x*x*x*x*x*x*x*x*lengths**(8)/lengths - 8 sum(lambda x:x*x*x*x*x*x*x*lengths**(8)/lengths) sum(lambda x:x*x*x*x*x*x*lengths**(8)/lengths) + 28 sum**(lambda x:x*x*x*x*x*x*lengths**(8)/lengths) sum(lambda x:x*x*x*x*x*lengths**(8)/lengths) - 56 sum(lambda x:x*x*x*x*x*x*lengths**(8)/lengths) sum(lambda x:x*x*x*x*lengths**(8)/lengths) + 70 sum**(lambda x:x*x*x*x*x*lengths**(8)/lengths) sum(lambda x:x*x*x*lengths**(8)/lengths) - 56 sum(lambda x:x*x*x*x*x*x*lengths**(8)/lengths) sum(lambda x:x*x*lengths**(8)/lengths) + 28 sum**(lambda x:x*x*x*x*x*lengths**(8)/lengths) sum(lambda x:x*x*x*lengths**(8)/lengths) - 8 sum(lambda x:x*x*x*x*x*x*x*lengths**(8)/lengths) sum(lambda x:x*x*lengths**(8)/lengths) + sum(lambda x:x*x*x*x*x*x*x*x*lengths**(8)/lengths) - lengths**(8)/8 lambda x:x*x*x*x*x*x*x*x*x*lengths**(9)/lengths - 9 sum(lambda x:x*x*x*x*x*x*x*x*lengths**(9)/lengths) sum(lambda x:x*x*x*x*x*x*x*lengths**(9)/lengths) + 36 sum**(lambda x:x*x*x*x*x*x*x*lengths**(9)/lengths) sum(lambda x:x*x*x*x*x*x*lengths**(9)/lengths) - 84 sum(lambda x:x*x*x*x*x*x*x*lengths**(9)/lengths) sum(lambda x:x*x*x*x*x*lengths**(9)/lengths) + 126 sum**(lambda x:x*x*x*x*x*x*lengths**(9)/lengths) sum(lambda x:x*x*x*x*lengths**(9)/lengths) - 126 sum(lambda x:x*x*x*x*x*x*lengths**(9)/lengths) sum(lambda x:x*x*x*lengths**(9)/lengths) + 84 sum**(lambda x:x*x*x*x*x*x*lengths**(9)/lengths) sum(lambda x:x*x*lengths**(9)/lengths) - 36 sum(lambda x:x*x*x*x*x*x*x*lengths**(9)/lengths) sum(lambda x:x*lengths**(9)/lengths) + 9 sum**(lambda x:x*x*x*x*x*x*lengths**(9)/lengths) sum(lambda x:x*x*x*lengths**(9)/lengths) - sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(9)/lengths) + sum(lambda x:x*x*x*x*x*x*lengths**(9)/lengths) - lengths**(9)/9 lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(10)/lengths - 10 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(10)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*lengths**(10)/lengths) + 45 sum**(lambda x:x*x*x*x*x*x*x*x*lengths**(10)/lengths) sum(lambda x:x*x*x*x*x*x*x*lengths**(10)/lengths) - 120 sum(lambda x:x*x*x*x*x*x*x*x*lengths**(10)/lengths) sum(lambda x:x*x*x*x*x*x*lengths**(10)/lengths) + 210 sum**(lambda x:x*x*x*x*x*x*x*lengths**(10)/lengths) sum(lambda x:x*x*x*x*x*lengths**(10)/lengths) - 252 sum(lambda x:x*x*x*x*x*x*x*lengths**(10)/lengths) sum(lambda x:x*x*x*x*lengths**(10)/lengths) + 210 sum**(lambda x:x*x*x*x*x*x*lengths**(10)/lengths) sum(lambda x:x*x*x*lengths**(10)/lengths) - 120 sum(lambda x:x*x*x*x*x*x*x*lengths**(10)/lengths) sum(lambda x:x*x*lengths**(10)/lengths) + 45 sum**(lambda x:x*x*x*x*x*x*lengths**(10)/lengths) sum(lambda x:x*x*x*lengths**(10)/lengths) - 10 sum(lambda x:x*x*x*x*x*x*x*x*lengths**(10)/lengths) sum(lambda x:x*lengths**(10)/lengths) + sum**(lambda x:x*x*x*x*x*x*x*lengths**(10)/lengths) sum(lambda x:x*x*x*lengths**(10)/lengths) - sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(10)/lengths) + sum(lambda x:x*x*x*x*x*x*x*lengths**(10)/lengths) - lengths**(10)/10 lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(11)/lengths - 11 sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(11)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(11)/lengths) + 55 sum**(lambda x:x*x*x*x*x*x*x*x*x*lengths**(11)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*lengths**(11)/lengths) - 165 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(11)/lengths) sum(lambda x:x*x*x*x*x*x*x*lengths**(11)/lengths) + 330 sum**(lambda x:x*x*x*x*x*x*x*x*lengths**(11)/lengths) sum(lambda x:x*x*x*x*x*x*lengths**(11)/lengths) - 462 sum(lambda x:x*x*x*x*x*x*x*x*lengths**(11)/lengths) sum(lambda x:x*x*x*x*x*lengths**(11)/lengths) + 462 sum**(lambda x:x*x*x*x*x*x*x*lengths**(11)/lengths) sum(lambda x:x*x*x*x*lengths**(11)/lengths) - 330 sum(lambda x:x*x*x*x*x*x*x*x*lengths**(11)/lengths) sum(lambda x:x*x*x*lengths**(11)/lengths) + 165 sum**(lambda x:x*x*x*x*x*x*x*lengths**(11)/lengths) sum(lambda x:x*x*x*lengths**(11)/lengths) - 55 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(11)/lengths) sum(lambda x:x*lengths**(11)/lengths) + 11 sum**(lambda x:x*x*x*x*x*x*x*x*lengths**(11)/lengths) sum(lambda x:x*x*x*lengths**(11)/lengths) - sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(11)/lengths) + sum(lambda x:x*x*x*x*x*x*x*x*lengths**(11)/lengths) - lengths**(11)/11 lambda x:x*x*x*x*x*x*x*x*x*x*x*x*lengths**(12)/lengths - 12 sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(12)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(12)/lengths) + 66 sum**(lambda x:x*x*x*x*x*x*x*x*x*lengths**(12)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*lengths**(12)/lengths) - 220 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(12)/lengths) sum(lambda x:x*x*x*x*x*x*x*lengths**(12)/lengths) + 495 sum**(lambda x:x*x*x*x*x*x*x*x*lengths**(12)/lengths) sum(lambda x:x*x*x*x*x*x*lengths**(12)/lengths) - 792 sum(lambda x:x*x*x*x*x*x*x*x*lengths**(12)/lengths) sum(lambda x:x*x*x*x*x*lengths**(12)/lengths) + 792 sum**(lambda x:x*x*x*x*x*x*x*lengths**(12)/lengths) sum(lambda x:x*x*x*x*lengths**(12)/lengths) - 495 sum(lambda x:x*x*x*x*x*x*x*x*lengths**(12)/lengths) sum(lambda x:x*x*x*lengths**(12)/lengths) + 220 sum**(lambda x:x*x*x*x*x*x*x*lengths**(12)/lengths) sum(lambda x:x*x*x*lengths**(12)/lengths) - 66 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(12)/lengths) sum(lambda x:x*lengths**(12)/lengths) + 12 sum**(lambda x:x*x*x*x*x*x*x*x*lengths**(12)/lengths) sum(lambda x:x*x*x*lengths**(12)/lengths) - sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(12)/lengths) + sum(lambda x:x*x*x*x*x*x*x*lengths**(12)/lengths) - lengths**(12)/12 lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(13)/lengths - 13 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(13)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(13)/lengths) + 78 sum**(lambda x:x*x*x*x*x*x*x*x*x*lengths**(13)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*lengths**(13)/lengths) - 286 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(13)/lengths) sum(lambda x:x*x*x*x*x*x*x*lengths**(13)/lengths) + 715 sum**(lambda x:x*x*x*x*x*x*x*x*lengths**(13)/lengths) sum(lambda x:x*x*x*x*x*x*lengths**(13)/lengths) - 1287 sum(lambda x:x*x*x*x*x*x*x*x*lengths**(13)/lengths) sum(lambda x:x*x*x*x*x*lengths**(13)/lengths) + 1287 sum**(lambda x:x*x*x*x*x*x*x*lengths**(13)/lengths) sum(lambda x:x*x*x*x*lengths**(13)/lengths) - 715 sum(lambda x:x*x*x*x*x*x*x*x*lengths**(13)/lengths) sum(lambda x:x*x*x*lengths**(13)/lengths) + 286 sum**(lambda x:x*x*x*x*x*x*x*lengths**(13)/lengths) sum(lambda x:x*x*x*lengths**(13)/lengths) - 78 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(13)/lengths) sum(lambda x:x*lengths**(13)/lengths) + 13 sum**(lambda x:x*x*x*x*x*x*x*x*lengths**(13)/lengths) sum(lambda x:x*x*x*lengths**(13)/lengths) - sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(13)/lengths) + sum(lambda x:x*x*x*x*x*x*x*lengths**(13)/lengths) - lengths**(13)/13 lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(14)/lengths - 14 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(14)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(14)/lengths) + 91 sum**(lambda x:x*x*x*x*x*x*x*x*x*lengths**(14)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*lengths**(14)/lengths) - 364 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(14)/lengths) sum(lambda x:x*x*x*x*x*x*x*lengths**(14)/lengths) + 715 sum**(lambda x:x*x*x*x*x*x*x*x*lengths**(14)/lengths) sum(lambda x:x*x*x*x*x*x*lengths**(14)/lengths) - 1001 sum(lambda x:x*x*x*x*x*x*x*x*lengths**(14)/lengths) sum(lambda x:x*x*x*x*x*lengths**(14)/lengths) + 1001 sum**(lambda x:x*x*x*x*x*x*x*lengths**(14)/lengths) sum(lambda x:x*x*x*x*lengths**(14)/lengths) - 715 sum(lambda x:x*x*x*x*x*x*x*x*lengths**(14)/lengths) sum(lambda x:x*x*x*lengths**(14)/lengths) + 364 sum**(lambda x:x*x*x*x*x*x*x*lengths**(14)/lengths) sum(lambda x:x*x*x*lengths**(14)/lengths) - 91 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(14)/lengths) sum(lambda x:x*lengths**(14)/lengths) + 14 sum**(lambda x:x*x*x*x*x*x*x*x*lengths**(14)/lengths) sum(lambda x:x*x*x*lengths**(14)/lengths) - sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(14)/lengths) + sum(lambda x:x*x*x*x*x*x*x*lengths**(14)/lengths) - lengths**(14)/14 lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(15)/lengths - 15 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(15)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(15)/lengths) + 105 sum**(lambda x:x*x*x*x*x*x*x*x*x*lengths**(15)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*lengths**(15)/lengths) - 455 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(15)/lengths) sum(lambda x:x*x*x*x*x*x*x*lengths**(15)/lengths) + 1365 sum**(lambda x:x*x*x*x*x*x*x*x*lengths**(15)/lengths) sum(lambda x:x*x*x*x*x*x*lengths**(15)/lengths) - 3003 sum(lambda x:x*x*x*x*x*x*x*x*lengths**(15)/lengths) sum(lambda x:x*x*x*x*x*lengths**(15)/lengths) + 3003 sum**(lambda x:x*x*x*x*x*x*x*lengths**(15)/lengths) sum(lambda x:x*x*x*x*lengths**(15)/lengths) - 1365 sum(lambda x:x*x*x*x*x*x*x*x*lengths**(15)/lengths) sum(lambda x:x*x*x*lengths**(15)/lengths) + 455 sum**(lambda x:x*x*x*x*x*x*x*lengths**(15)/lengths) sum(lambda x:x*x*x*lengths**(15)/lengths) - 105 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(15)/lengths) sum(lambda x:x*lengths**(15)/lengths) + 15 sum**(lambda x:x*x*x*x*x*x*x*x*lengths**(15)/lengths) sum(lambda x:x*x*x*lengths**(15)/lengths) - sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(15)/lengths) + sum(lambda x:x*x*x*x*x*x*x*lengths**(15)/lengths) - lengths**(15)/15 lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(16)/lengths - 16 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*x*lengths**(16)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(16)/lengths) + 120 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(16)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*lengths**(16)/lengths) - 560 sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(16)/lengths) sum(lambda x:x*x*x*x*x*x*lengths**(16)/lengths) + 1820 sum**(lambda x:x*x*x*x*x*x*x*x*x*lengths**(16)/lengths) sum(lambda x:x*x*x*x*x*lengths**(16)/lengths) - 3003 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(16)/lengths) sum(lambda x:x*x*x*x*lengths**(16)/lengths) + 3003 sum**(lambda x:x*x*x*x*x*x*x*x*lengths**(16)/lengths) sum(lambda x:x*x*x*lengths**(16)/lengths) - 1820 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(16)/lengths) sum(lambda x:x*x*lengths**(16)/lengths) + 560 sum**(lambda x:x*x*x*x*x*x*x*x*lengths**(16)/lengths) sum(lambda x:x*x*x*lengths**(16)/lengths) - 120 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(16)/lengths) sum(lambda x:x*lengths**(16)/lengths) + 16 sum**(lambda x:x*x*x*x*x*x*x*x*lengths**(16)/lengths) sum(lambda x:x*x*x*lengths**(16)/lengths) - sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(16)/lengths) + sum(lambda x:x*x*x*x*x*x*x*lengths**(16)/lengths) - lengths**(16)/16 lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(17)/lengths - 17 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*x*lengths**(17)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(17)/lengths) + 136 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(17)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(17)/lengths) - 680 sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(17)/lengths) sum(lambda x:x*x*x*x*x*x*x*lengths**(17)/lengths) + 2380 sum**(lambda x:x*x*x*x*x*x*x*x*x*lengths**(17)/lengths) sum(lambda x:x*x*x*x*x*x*lengths**(17)/lengths) - 6188 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(17)/lengths) sum(lambda x:x*x*x*x*x*lengths**(17)/lengths) + 6188 sum**(lambda x:x*x*x*x*x*x*x*lengths**(17)/lengths) sum(lambda x:x*x*x*x*lengths**(17)/lengths) - 2380 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(17)/lengths) sum(lambda x:x*x*x*lengths**(17)/lengths) + 680 sum**(lambda x:x*x*x*x*x*x*x*lengths**(17)/lengths) sum(lambda x:x*x*x*lengths**(17)/lengths) - 136 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(17)/lengths) sum(lambda x:x*lengths**(17)/lengths) + 17 sum**(lambda x:x*x*x*x*x*x*x*x*lengths**(17)/lengths) sum(lambda x:x*x*x*lengths**(17)/lengths) - sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(17)/lengths) + sum(lambda x:x*x*x*x*x*x*x*lengths**(17)/lengths) - lengths**(17)/17 lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(18)/lengths - 18 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*x*lengths**(18)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(18)/lengths) + 153 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(18)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*lengths**(18)/lengths) - 816 sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(18)/lengths) sum(lambda x:x*x*x*x*x*x*lengths**(18)/lengths) + 3060 sum**(lambda x:x*x*x*x*x*x*x*x*x*lengths**(18)/lengths) sum(lambda x:x*x*x*x*x*lengths**(18)/lengths) - 8568 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(18)/lengths) sum(lambda x:x*x*x*x*lengths**(18)/lengths) + 8568 sum**(lambda x:x*x*x*x*x*x*x*lengths**(18)/lengths) sum(lambda x:x*x*x*lengths**(18)/lengths) - 3060 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(18)/lengths) sum(lambda x:x*lengths**(18)/lengths) + 816 sum**(lambda x:x*x*x*x*x*x*x*lengths**(18)/lengths) sum(lambda x:x*x*x*lengths**(18)/lengths) - 153 sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(18)/lengths) sum(lambda x:x*lengths**(18)/lengths) + 18 sum**(lambda x:x*x*x*x*x*x*x*x*lengths**(18)/lengths) sum(lambda x:x*x*x*lengths**(18)/lengths) - sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(18)/lengths) + sum(lambda x:x*x*x*x*x*x*x*lengths**(18)/lengths) - lengths**(18)/18 lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(19)/lengths - 19 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(19)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(19)/lengths) + 171 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(19)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(19)/lengths) - 969 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(19)/lengths) sum(lambda x:x*x*x*x*x*x*x*lengths**(19)/lengths) + 3876 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(19)/lengths) sum(lambda x:x*x*x*x*x*x*lengths**(19)/lengths) - 11628 sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(19)/lengths) sum(lambda x:x*x*x*x*x*lengths**(19)/lengths) + 11628 sum**(lambda x:x*x*x*x*x*x*x*x*x*lengths**(19)/lengths) sum(lambda x:x*x*x*x*lengths**(19)/lengths) - 3876 sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(19)/lengths) sum(lambda x:x*x*x*lengths**(19)/lengths) + 969 sum**(lambda x:x*x*x*x*x*x*x*x*x*lengths**(19)/lengths) sum(lambda x:x*x*x*lengths**(19)/lengths) - 171 sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(19)/lengths) sum(lambda x:x*lengths**(19)/lengths) + 19 sum**(lambda x:x*x*x*x*x*x*x*x*x*lengths**(19)/lengths) sum(lambda x:x*x*x*lengths**(19)/lengths) - sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(19)/lengths) + sum(lambda x:x*x*x*x*x*x*x*lengths**(19)/lengths) - lengths**(19)/19 lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(20)/lengths - 20 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(20)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(20)/lengths) + 190 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(20)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(20)/lengths) - 1140 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(20)/lengths) sum(lambda x:x*x*x*x*x*x*x*lengths**(20)/lengths) + 4845 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(20)/lengths) sum(lambda x:x*x*x*x*x*x*lengths**(20)/lengths) - 15504 sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(20)/lengths) sum(lambda x:x*x*x*x*x*lengths**(20)/lengths) + 15504 sum**(lambda x:x*x*x*x*x*x*x*x*x*lengths**(20)/lengths) sum(lambda x:x*x*x*x*lengths**(20)/lengths) - 4845 sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(20)/lengths) sum(lambda x:x*x*x*lengths**(20)/lengths) + 1140 sum**(lambda x:x*x*x*x*x*x*x*x*x*lengths**(20)/lengths) sum(lambda x:x*x*x*lengths**(20)/lengths) - 190 sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(20)/lengths) sum(lambda x:x*lengths**(20)/lengths) + 20 sum**(lambda x:x*x*x*x*x*x*x*x*lengths**(20)/lengths) sum(lambda x:x*x*x*lengths**(20)/lengths) - sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(20)/lengths) + sum(lambda x:x*x*x*x*x*x*x*lengths**(20)/lengths) - lengths**(20)/20 lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(21)/lengths - 21 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(21)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(21)/lengths) + 210 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(21)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*lengths**(21)/lengths) - 1330 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(21)/lengths) sum(lambda x:x*x*x*x*x*x*x*lengths**(21)/lengths) + 5985 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(21)/lengths) sum(lambda x:x*x*x*x*x*x*lengths**(21)/lengths) - 20349 sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(21)/lengths) sum(lambda x:x*x*x*x*x*lengths**(21)/lengths) + 20349 sum**(lambda x:x*x*x*x*x*x*x*x*x*lengths**(21)/lengths) sum(lambda x:x*x*x*x*lengths**(21)/lengths) - 5985 sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(21)/lengths) sum(lambda x:x*x*x*lengths**(21)/lengths) + 1330 sum**(lambda x:x*x*x*x*x*x*x*x*x*lengths**(21)/lengths) sum(lambda x:x*x*x*lengths**(21)/lengths) - 210 sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(21)/lengths) sum(lambda x:x*lengths**(21)/lengths) + 21 sum**(lambda x:x*x*x*x*x*x*x*x*lengths**(21)/lengths) sum(lambda x:x*x*x*lengths**(21)/lengths) - sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(21)/lengths) + sum(lambda x:x*x*x*x*x*x*x*lengths**(21)/lengths) - lengths**(21)/21 lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(22)/lengths - 22 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(22)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*x*lengths**(22)/lengths) + 231 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*x*x*lengths**(22)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(22)/lengths) - 1540 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*x*lengths**(22)/lengths) sum(lambda x:x*x*x*x*x*x*x*lengths**(22)/lengths) + 7315 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(22)/lengths) sum(lambda x:x*x*x*x*x*x*lengths**(22)/lengths) - 26334 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(22)/lengths) sum(lambda x:x*x*x*x*x*lengths**(22)/lengths) + 26334 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(22)/lengths) sum(lambda x:x*x*x*x*lengths**(22)/lengths) - 7315 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(22)/lengths) sum(lambda x:x*x*x*lengths**(22)/lengths) + 1540 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(22)/lengths) sum(lambda x:x*x*x*lengths**(22)/lengths) - 231 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(22)/lengths) sum(lambda x:x*lengths**(22)/lengths) + 22 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(22)/lengths) sum(lambda x:x*x*x*lengths**(22)/lengths) - sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(22)/lengths) + sum(lambda x:x*x*x*x*x*x*x*lengths**(22)/lengths) - lengths**(22)/22 lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(23)/lengths - 23 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(23)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*x*lengths**(23)/lengths) + 253 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*x*x*lengths**(23)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(23)/lengths) - 1771 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*x*lengths**(23)/lengths) sum(lambda x:x*x*x*x*x*x*x*lengths**(23)/lengths) + 8855 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(23)/lengths) sum(lambda x:x*x*x*x*x*x*lengths**(23)/lengths) - 33649 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(23)/lengths) sum(lambda x:x*x*x*x*x*lengths**(23)/lengths) + 33649 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(23)/lengths) sum(lambda x:x*x*x*x*lengths**(23)/lengths) - 8855 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(23)/lengths) sum(lambda x:x*x*x*lengths**(23)/lengths) + 1771 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(23)/lengths) sum(lambda x:x*x*x*lengths**(23)/lengths) - 253 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(23)/lengths) sum(lambda x:x*lengths**(23)/lengths) + 23 sum**(lambda x:x*x*x*x*x*x*x*x*x*lengths**(23)/lengths) sum(lambda x:x*x*x*lengths**(23)/lengths) - sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(23)/lengths) + sum(lambda x:x*x*x*x*x*x*x*lengths**(23)/lengths) - lengths**(23)/23 lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(24)/lengths - 24 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(24)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(24)/lengths) + 276 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(24)/lengths) sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(24)/lengths) - 2024 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*x*lengths**(24)/lengths) sum(lambda x:x*x*x*x*x*x*x*lengths**(24)/lengths) + 10626 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(24)/lengths) sum(lambda x:x*x*x*x*x*x*lengths**(24)/lengths) - 42504 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(24)/lengths) sum(lambda x:x*x*x*x*x*lengths**(24)/lengths) + 42504 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(24)/lengths) sum(lambda x:x*x*x*x*lengths**(24)/lengths) - 10626 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(24)/lengths) sum(lambda x:x*x*x*lengths**(24)/lengths) + 2024 sum**(lambda x:x*x*x*x*x*x*x*x*x*x*lengths**(24)/lengths) sum(lambda x:x*x*x*lengths**(24)/lengths) - 276 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(24)/lengths) sum(lambda x:x*lengths**(24)/lengths) + 24 sum**(lambda x:x*x*x*x*x*x*x*x*x*lengths**(24)/lengths) sum(lambda x:x*x*x*lengths**(24)/lengths) - sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*lengths**(24)/lengths) + sum(lambda x:x*x*x*x*x*x*x*lengths**(24)/lengths) - lengths**(24)/24 lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(25)/lengths - 25 sum(lambda x:x*x*x*x*x*x*x*x*x*x*x*x*x*x*x*lengths**(25)/lengths
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{ \mathbf{Defcovariantderivative}(\mathbf{g}(t), \mathbf{v}(t)) - \frac{\mathbf{sec2ndfundpartial}(\mathbf{v}(t), \mathbf{v}(t))}{\mathbf{norm}(\mathbf{v}(t))^2} \mathbf{v}(t) - 4 \mathbf{sec2ndfundpartial}(\mathbf{v}(t), \mathbf{v}(t)) \mathbf{sec2ndfundpartial}(\mathbf{v}(t), \mathbf{v}(t)) \mathbf{v}(t) \mathbf{Defcovariantderivative}(\mathbf{g}(t), \mathbf{v}(t)) - \frac{\mathbf{sec2ndfundpartial}(\mathbf{v}(t), \mathbf{v}(t))}{\mathbf{norm}(\mathbf{v}(t))^2} \mathbf{v}(t
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$$-\text{Ivghc}^{2}(2)\times 2\cos^{2}(2)\text{Ebfbfqbaz}\text{Ebfbfr}\sin(\text{Ivghc})\times\text{Ovw}\cos^{2}(2)\text{Ebfbfqbaz}\text{Ebfbfr}\sin(\text{Ivghc})\times(2\text{Ebfbfbfcvxz}\text{Ebfbfqbaz}\text{Ebfbfr}\sin(\text{Ivghc}))-\text{Ivghc}^{2}(2)\times 2\cos^{2}(2)\text{Ebfbfqbaz}\text{Ebfbfr}\sin(\text{Ivghc})\sin(\text{Ivghc})\cos^{2}(\text{Ovw}(2)))-\text{Ovw}(2)\sqrt{2}\,\text{Ebfbfr}\,\text{Ebfbfvcxz}\text{Ebfbfqbaz}\text{Ebfbfr}\sin(\text{Ivghc})-\text{Ivghc}\cos\text{Ebfbfqbaz}\text{Ebfbfr}\sin(\text{Ivghc})\times\text{Ovw}\text{Ebfbfqbaz}\text{Ebfbfr}\sin(\text{Ivghc})\times\cos\text{Ebfbfqbaz}\text{Ebfbfr}\sin(\text{Ivghc})\times\cos^{2}(2)\text{Ebfbfqbaz}\text{Ebfbfr}\sin(\text{Ivghc})(2\sqrt{2}\,\text{Ebfbfr}\,\text{Ebfbfvcxz}\text{Ebfbfqbaz}\text{Ebfbfr}\sin(\text{Ivghc}))-\text{Ivghc}^{2}(2)(2\,\text{Ebfbfr}\,\text{Ebfbfvcxz}\text{Ebfbfqbaz}\text{Ebfbfr}\sin(\text{Ivghc}))-\text{Ivghc}^{2}(2)\times 2\cos^{2}(2)\text{Ebfbfqbaz}\text{Ebfbfr}\sin(\text{Ivghc})\sin(\text{Ivghc})\times\text{Ovw}\cos^{2}(2)\text{Ebfbfqbaz}\text{Ebfbfr}\sin(\text{Ivghc})(2\,\text{Ebfbfr}\,\text{Ebfbfvcxz}\text{Ebfbfqbaz}\text{Ebfbfr}\sin(\text{Ivghc}))-\text{Ivghc}^{2}(2)\times 2\cos^{2}(2)\text{Ebfbfqbaz}\text{Ebfbfr}\sin(\text{Ivghc})\sin(\text{Ivghc})\times

$$\mathrm{right}(\mathrm{right}(\mathrm{right}) - (\mathrm{right}(\sin(\mathrm{left}(\mathrm{alpha}(\mathrm{left}(\mathrm{right})) - 4\sin(\mathrm{left}(\mathrm{alpha}(\mathrm{left}(\mathrm{right})))\sin(\mathrm{left}(\mathrm{alpha}(\mathrm{left}(\mathrm{right}))))\mathrm{left}(\mathrm{left}(\mathrm{left}(\mathrm{left}(\mathrm{left}(\mathrm{right})) - (\mathrm{right}^{-1}(2)) \left(19\,\mathrm{left}(\mathrm{left}(\cos(\mathrm{left}(\mathrm{alpha}(\mathrm{left}(\mathrm{right}))))\right)\right)\right)\right)\right)\right)\right)\right) - (\mathrm{right}^{-1}(2) + 2\sin^{-1}(2)\,(\mathrm{left}(\mathrm{alpha}(\mathrm{left}(\mathrm{right}))))(\mathrm{right}^{-1}(2)) - (\mathrm{sec}(\mathrm{left}(\mathrm{left}(\cos(\mathrm{left}(\mathrm{alpha}(\mathrm{left}(\mathrm{right}))))\right)\right)\right) - (\mathrm{right}(\sin(\mathrm{left}(\mathrm{alpha}(\mathrm{left}(\mathrm{right}))) - 4\sin(\mathrm{left}(\mathrm{alpha}(\mathrm{left}(\mathrm{right}))))\sin(\mathrm{left}(\mathrm{alpha}(\mathrm{left}(\mathrm{right}))))\mathrm{left}(\mathrm{left}(\mathrm{left}(\mathrm{left}(\mathrm{left}(\mathrm{right})) - 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(\mathrm{right}(\sin(\mathrm{left}(\mathrm{alpha}(\mathrm{left}(\mathrm{right}))))$$

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x(3e0f0 sig0e1 sig0e1)sig0e1) -0ee(le 3e0fc0ee(ee2ee0fa1ga6ae2e0f0 sig0e1) sig0e1) -1sig0e"(1)) 2 1ee"(1)3e0fa1ga6ae2e0f0 sig0e1 sig0e1)sig0e1) + 0ee(ee"(1)3e0fa1ga6ae2e0f0 sig0e1)3e0fc0ee(ee2ee0fa1ga6ae2e0f0 sig0e1) sig0e1) -1sig0e"(1)) 2 1ee"(1)3e0fa1ga6ae2e0f0 sig0e1 sig0e1)sig0e1) -0ee(ee"(1)4 3e0fc0ee(ee2ee0fa1ga6ae2e0f0 sig0e1) sig0e1) -1sig0e"(1)) 2 1ee"(1)3e0fa1ga6ae2e0f0 sig0e1 sig0e1)sig0e1) + 0ee(ee2(1) 3e0fcee(3e0fa1ga6ae2e0f0 sig0e1) sig0e1) -1sig0e"(1)) 2 1ee"(1)3e0fa1ga6ae2e0f0 sig0e1)sig0e1) + 0ee(ee2(1) 1ee"(1)3e0fa1ga6ae2e0f0 sig0e1)3e0fc0e0fcee(3e0fa1ga6ae2e0f0 sig0e1) sig0e1) -1sig0e"(1)) 2 1ee"(1)3e0fa1ga6ae2e0f0 sig0e1 sig0e1)sig0e1) 0ef0 0ee(0ee(0ee(3e0fcee(3e0fa1ga6ae2e0f0 sig0e1) sig0e1) -1sig0e"(1)) 3e0fcee(ee2ee0fa1ga6ae2e0f0 sig0e1) sig0e1) -1sig0e"(1)) 2 1ee"(1)3e0fa1ga6ae2e0f0 sig0e1 sig0e1)sig0e1) + 0ee(ee"(1)3e0fa1ga6ae2e0f0 sig0e1)3e0fcee(ee2ee0fa1ga6ae2e0f0 sig0e1) sig0e1) -1sig0e"(1)) 2 1ee"(1)3e0fa1ga6ae2e0f0 sig0e1 sig0e1)sig0e1) -1sig0e(ee0fa1ga6ae2e0f0 sig0e1 sig0e1)ee2ee0fa1ga6ae2e0f0 sig0e1 sig0e1)sig0e1) -4 ee1ee0fa1ga6ae2e0f0 sig0e1 sig0e1)ee2ee0fa1ga6ae2e0f0 sig0e1 sig0e1)sig0e1) 0ef0 0ee(ee2ee0fa1ga6ae2e0f0 sig0e1) sig0e1) -1sig0e(ee2ee0fa1ga6ae2e0f0 sig0e1 sig0e1) -0 ee2ee0fa1ga6ae2e0f0 sig0e1 sig0e1)ee2ee0fa1ga6ae2e0f0 sig0e1 sig0e1)sig0e1) 0ef0 0ee(ee2ee0fa1ga6ae2e0f0 sig0e1) sig0e1) -1sig0e"(1)) 0ef
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(defcircumf(defun(alpha(lambda(angle) (sqrt(^(2) + 2 cos^(2)(lambda(alpha(lambda(angle) (sqrt(^(2) + 4*(m-2) 3*M(2 (defcircumf(defun(alpha(lambda(angle) (sqrt(^(2) + 3 cos^(2)(lambda(alpha(lambda(angle) (sqrt(^(2) + 4 cos(lambda(alpha(lambda(angle) (sqrt(^(2) + 3 cos(lambda(alpha(lambda(angle) (sqrt(^(2) + 4 cos(lambda(alpha(lambda(angle) (sqrt(^(2) + 3 cos^(2)(lambda(alpha(lambda(angle) (sqrt(^(2) + 2 cos^(2)(lambda(alpha(lambda(angle) (sqrt(^(2) + 3 cos^(2)(lambda(alpha(lambda(angle) (sqrt(^(2) + 4*(m-2) 3*M(2 (defcircumf(defun(alpha(lambda(angle) (sqrt(^(2) + 3 cos
```

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f0(sqrt(sqrt(x)) - fzxgbz"))) + 2 sw"))))0ef0ufqbw(0ef0) sqrt(x)) - 10w(2)sw"))))0ef0ufqbw(0ef0) sqrt(x))))0ef0vsvw(0ef0ufqbw(0ef0) sqrt(x)) - fzxgbz"))) + 2 sw"))))0ef0ufqbw(0ef0) sqrt(x))) + 0w(k)sw"))))0ef0ufqbw(0ef0) sqrt(x))))0ef0vsvw(0ef0ufqbw(0ef0) sqrt(x)) - fzxgbz"))) + 2 sw"))))0ef0ufqbw(0ef0) sqrt(x))) + 0w(2)sw"))))0ef0vsvw(0ef0ufqbw(0ef0) sqrt(x)) - fzxgbz"))) 0ef0(0ef0vsvw(0ef0ufqbw(0ef0) sqrt(x)) - fzxgbz"))) 0ef0vsvw(0ef0ufqbw(0ef0) sqrt(x)) + 1 sw"))))0ef0ufqbw(0ef0) sqrt(x)) - 4 sw"))))0ef0ufqbw(0ef0) sqrt(x))))sqrt(0ef0(0ef0vsvw(0ef0ufqbw(0ef0) sqrt(x)) - fzxgbz"))) + 2 sw"))))0ef0ufqbw(0ef0) sqrt(x))))sqrt(0ef0"))) + 0w(2)0ef0(0ef0vsvw(0ef0ufqbw(0ef0) sqrt(x)) - fzxgbz"))) 0ef0vsvw(0ef0ufqbw(0ef0) sqrt(x)) + 1 sw"))))0ef0ufqbw(0ef0) sqrt(x)) - 4 sw"))))0ef0ufqbw(0ef0) sqrt(x))))sqrt(sqrt(x)) - fzxgbz"))) + 2 sw"))))0ef0ufqbw(0ef0) sqrt(x))))sqrt(0ef0"))))sqrt(1)) - 0w(2)0ef0(0ef0vsvw(0ef0ufqbw(0ef0) sqrt(x)) - fzxgbz"))) 0ef0vsvw(0ef0ufqbw(0ef0) sqrt(x)) - 4 sw(0ef0ufqbw(0ef0) sqrt(x)) sw(0ef0ufqbw(0ef0) sqrt(x))))sqrt(0ef0(0ef0vsvw(0ef0ufqbw(0ef0) sqrt(x)) - fzxgbz"))) 0ef0vsvw(0ef0ufqbw(0ef0) sqrt(x)) - 4 sw(0ef0ufqbw(0ef0) sqrt(x)) sw(0ef0ufqbw(0ef0) sqrt(x))))sqrt(sqrt(0ef0vsvw(0ef0ufqbw(0ef0) sqrt(x)) - fzxgbz"))
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(1)110 0e0t0e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr"(1) = 2 sae"(1)1e0tqdqe3e0t sqdcl sqdcl1ryqbr"(1) - 1hw(1e0t2 3e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl - 4 soe3e0tqdqe3e0t sqdcl soe3e0tqdqe3e0t sqdcl sqdcl1ryqbr 3e0t 3e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl - 4 soe3e0tqdqe3e0t sqdcl soe3e0tqdqe3e0t sqdcl sqdcl1ryqbr sae"(1)1e0tqdqe3e0t sqdcl sqdcl(1)1 0e0t0e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl - 4 soe3e0tqdqe3e0t sqdcl soe3e0tqdqe3e0t sqdcl sqdcl1ryqbr"(1) = 2 sae"(1)1e0tqdqe3e0t sqdcl sqdcl1ryqbr"(1) = 0hw(1e0t2 3e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl - 4 soe3e0tqdqe3e0t sqdcl soe3e0tqdqe3e0t sqdcl sqdcl1ryqbr 3e0t 3e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl - 4 soe3e0tqdqe3e0t sqdcl soe3e0tqdqe3e0t sqdcl sqdcl(1)1 0e0t0e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr"(1) = 2 sae"(1)1e0tqdqe3e0t sqdcl sqdcl1ryqbr"(1) = 0hw(1e0t2 3e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl - 4 soe3e0tqdqe3e0t sqdcl soe3e0tqdqe3e0t sqdcl sqdcl1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl(1)1e0t0e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr"(1) = 2 sae"(1)1e0tqdqe3e0t sqdcl sqdcl1ryqbr"(1) = 0hw(1e0t2 3e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl - 4 soe3e0tqdqe3e0t sqdcl soe3e0tqdqe3e0t sqdcl sqdcl1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl(1)1e0t0e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr"(1) = 2 sae"(1)1e0tqdqe3e0t sqdcl sqdcl1ryqbr"(1) = 0hw(1e0t2 3e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl - 4 soe3e0tqdqe3e0t sqdcl soe3e0tqdqe3e0t sqdcl sqdcl1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl(1)1e0t0e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr"(1) = 2 sae"(1)1e0tqdqe3e0t sqdcl sqdcl1ryqbr"(1) = 0hw(1e0t2 3e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl - 4 soe3e0tqdqe3e0t sqdcl soe3e0tqdqe3e0t sqdcl sqdcl1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl(1)1e0t0e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr"(1) = 2 sae"(1)1e0tqdqe3e0t sqdcl sqdcl1ryqbr"(1) = 0hw(1e0t2 3e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl - 4 soe3e0tqdqe3e0t sqdcl soe3e0tqdqe3e0t sqdcl sqdcl1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl(1)1e0t0e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr"(1) = 2 sae"(1)1e0tqdqe3e0t sqdcl sqdcl1ryqbr"(1) = 0hw(1e0t2 3e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl - 4 soe3e0tqdqe3e0t sqdcl soe3e0tqdqe3e0t sqdcl sqdcl1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl(1)1e0t0e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr"(1) = 2 sae"(1)1e0tqdqe3e0t sqdcl sqdcl1ryqbr"(1) = 0hw(1e0t2 3e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl - 4 soe3e0tqdqe3e0t sqdcl soe3e0tqdqe3e0t sqdcl sqdcl1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl(1)1e0t0e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr"(1) = 2 sae"(1)1e0tqdqe3e0t sqdcl sqdcl1ryqbr"(1) = 0hw(1e0t2 3e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl - 4 soe3e0tqdqe3e0t sqdcl soe3e0tqdqe3e0t sqdcl sqdcl1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl(1)1e0t0e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr"(1) = 2 sae"(1)1e0tqdqe3e0t sqdcl sqdcl1ryqbr"(1) = 0hw(1e0t2 3e0tcvoe3e0tqdqe3e0t sqdcl sqdcl - 1ryqbr soe3e0tqdqe3e0t sqdcl sqdcl

4 sec(8xtyq6ac2m0t sqhcl sqhcl sec(2m9xq6ac2m0t sqhcl sqhcl)sqhcl-8x0tsec(2m9xq6ac2m0t sqhcl sqhcl) - 1sqhc^2)) + 2*sec^2)(2m9xq6ac2m0t sqhcl sqhcl)sqhc^2)) + 8sec(8xtyq6ac2m0t sqhcl sqhcl) - 1sqhc sec(8xtyq6ac2m0t sqhcl sqhcl) 4 sec(8xtyq6ac2m0t sqhcl sqhcl) sec(2m9xq6ac2m0t sqhcl sqhcl)sqhcl sec^2)(2m9xq6ac2m0t sqhcl sqhcl)sqhc^2)) + 8sec(2m9xq6ac2m0t sqhcl sqhcl)(2m9xq6ac2m0t sqhcl sqhcl) - 1sqhc^2)) + 2*sec^2)(2m9xq6ac2m0t sqhcl sqhcl)sqhc^2)) - 8sec(2m9xq6ac2m0t sqhcl sqhcl)(2m9xq6ac2m0t sqhcl sqhcl) - 1sqhc^2)) + 2*sec^2)(2m9xq6ac2m0t sqhcl sqhcl)sqhc^2)) - 8sec(2m9xq6ac2m0t sqhcl sqhcl)(2m9xq6ac2m0t sqhcl sqhcl) - 1sqhc^2)) + 2*sec^2)(2m9xq6ac2m0t sqhcl sqhcl)sqhc^2)) +

$$\begin{aligned}&\left(\sin^2(2)\left(\sin\left(\alpha\right)\sin\left(\beta\right)\right)\left(\sin\left(\delta\right)\sin\left(\gamma\right)\right)\right)\left(\sin\left(\alpha\right)\sin\left(\gamma\right)\right)-\left(\sin\left(\alpha^2\right)\right)+2\sin^2\left(2\right)\left(\sin\left(\alpha\right)\sin\left(\beta\right)\right)\sin\left(\gamma\right)\sin\left(\gamma^2\right)\left(1-\left(\sin\left(1\right)\sin\left(\alpha\right)\sin\left(\beta\right)\sin\left(\gamma\right)\right)-\left(\sin\left(\alpha\sin\left(\beta\right)\sin\left(\gamma\right)\right)\right)\left(\sin\left(\alpha\sin\left(\beta\right)\sin\left(\gamma\right)\right)\right)\right)\left(\sin\left(\alpha\sin\left(\beta\right)\sin\left(\gamma\right)\right)\right)-\left(\sin\left(\alpha^2\right)\right)+2\sin^2\left(2\right)\left(\sin\left(\alpha\right)\sin\left(\beta\right)\sin\left(\gamma\right)\right)\left(\sin\left(\delta\right)\sin\left(\alpha\sin\left(\beta\right)\sin\left(\gamma\right)\right)\right)\left(\sin\left(\alpha\sin\left(\beta\right)\sin\left(\gamma\right)\right)\right)+\left(\sin\left(\alpha\sin\left(\beta\right)\sin\left(\gamma\right)\right)\right)

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0xf01a9ac2e0f0 sig0x1 sig0x1 + 2 sw"(1)1e0fca9ac2e0f0 sig0x1) sig0x1) - 4 sw="(1)1e0fca9ac2e0f0 sig0x1 sig0x1)sig0x1 sw="(1)1e0fca9ac2e0f0 sig0x1)114 0xf01e0fcsvc2e0fca9ac2e0f0 sig0x1 sig0x1) - 1=sgNo"(1) + 2 sw"(1)1e0fca9ac2e0f0 sig0x1 sig0x1)sig0x1"(1)1sig0x1)12 0xf01e0fcsvc2e0fca9ac2e0f0 sig0x1 sig0x1) - 1=sgNo"(1)12 0xf01e0fcsvc2e0fca9ac2e0f0 sig0x1 sig0x1) - 1=sgNo"(1) + 2 sw"(1)1e0fca9ac2e0f0 sig0x1 sig0x1)sig0x1 + 0xw(1)sw"(1)1e0fca9ac2e0f0 sig0x1 sig0x1)sig0x1 sig0x1)1e0fca9ac2e0f0 sig0x1 sig0x1) - 1=sgNo"(1) + 2 sw"(1)1e0fca9ac2e0f0 sig0x1 sig0x1)sig0x1"(1)1 0xc1e0fcsvc2e0fca9ac2e0f0 sig0x1 sig0x1) - 1=sgNo"(1)114 0xf01e0fcsvc2e0fca9ac2e0f0 sig0x1 sig0x1) - 1=sgNo"(1) + 2 sw"(1)1e0fca9ac2e0f0 sig0x1 sig0x1)sig0x1 + 0xw(1)sw"(1)1e0fca9ac2e0f0 sig0x1 sig0x1)sig0x1 sig0x1)1e0fca9ac2e0f0 sig0x1 sig0x1) - 1=sgNo"(1) + 2 sw"(1)1e0fca9ac2e0f0 sig0x1 sig0x1)sig0x1"(1)1 0xc1e0fcsvc2e0fca9ac2e0f0 sig0x1 sig0x1) - 1=sgNo"(1)114 0xf01e0fcsvc2e0fca9ac2e0f0 sig0x1 sig0x1) - 1=sgNo"(1) + 2 sw"(1)1e0fca9ac2e0f0 sig0x1 sig0x1)sig0x1 + 0xw(1)sw"(1)1e0fca9ac2e0f0 sig0x1 sig0x1)12 0xf01e0fcsvc2e0fca9ac2e0f0 sig0x1 sig0x1) - 1=sgNo"(1) + 2 sw"(1)1e0fca9ac2e0f0 sig0x1 sig0x1)sig0x1 sig0x1)sig0x1"0xw(51)11) - 0xw(1)= 0xf01e0fcsvc2ea9(1)1 0xf01e0fcsvc2e0fca9ac2e0f0 sig0x1 sig0x1) - 1=sgNo"(1)12 0xf01e0fcsvc2e0fca9ac2e0f0 sig0x1 sig0x1) - 1=sgNo"(1) + 2 sw"(1)1e0fca9ac2e0f0 sig0x1 sig0x1)sig0x1 + 0xw(1)sw"(1)1e0fca9ac2e0f0 sig0x1 sig0x1)114 0xf01e0fcsvc2e0fca9ac2e0f0 sig0x1 sig0x1) - 1=sgNo"(1) + 2 sw"(1)1e0fca9ac2e0f0 sig0x1 sig0x1)sig0x1 sig0x1)12) - 0xw(1)= 0xf01e0fcsvc2ea9(1)1 0xf01e0fcsvc2e0fca9ac2e0f0 sig0x1 sig0x1) - 1=sgNo"(1) + 2 sw"(1)1e0fca9ac2e0f0 sig0x1 sig0x1)sig0x1 sig0x1)sig0x1 0xf01e0fcsvc2e0fca9ac2e0f0 sig0x1 sig0x1) - 1=sgNo"(1) + 2 sw"(1)1e0fca9ac2e0f0 sig0x1 sig0x1)sig0x1 sig0x1)sig0x1 sig0x1 sig0x1 
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$$\begin{aligned}
&\left(\sin\phi\right) + \operatorname{Sha}\left(\operatorname{arc}\left(\left(\left(

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0eMxUpAwIbMf0 sqWdi sqWdi2sqWdi 0eMx0ne2mMi2 0eMxvuw2mMxUpAwIbMf0 sqWdi - 2sqWdi uwu2mMxUpAwIbMf0 sqWdi sqWdi - 4 uwu3mMxUpAwIbMf0 sqWdi sqWdi uwu3mMxUpAwIbMf0 sqWdi sqWdisqWdi 0eMxvuw2mMxUpAwIbMf0 sqWdi sqWdi - 2sqWdi"2II 2 uwu"2II2mMxUpAwIbMf0 sqWdi sqWdisqWdi"2II - 0ne12 0eMx2 0eMxvuw2mMxUpAwIbMf0 sqWdi sqWdi - 2sqWdi uwu3mMxUpAwIbMf0 sqWdi sqWdi - 4 uwu3mMxUpAwIbMf0 sqWdi sqWdi uwu3mMxUpAwIbMf0 sqWdi sqWdisqWdi uwu"2II2mMxUpAwIbMf0 sqWdi sqWdi2mMxUpAwIbMf0 sqWdi sqWdi - 2sqWdi"2II 4 2 uwu"2II2mMxUpAwIbMf0 sqWdi sqWdisqWdi"2II - 0ne12 0eMx2 0eMxvuw2mMxUpAwIbMf0 sqWdi sqWdi - 2sqWdi uwu3mMxUpAwIbMf0 sqWdi sqWdi - 4 uwu3mMxUpAwIbMf0 sqWdi sqWdi uwu3mMxUpAwIbMf0 sqWdi sqWdi2sqWdi 2sqWdi2 2sqWdi uwu"2II2mMxUpAwIbMf0 sqWdi sqWdi2mMxUpAwIbMf0 sqWdi sqWdi - 2sqWdi"2II 4 2 uwu"2II2mMxUpAwIbMf0 sqWdi sqWdisqWdi"2II - 0ne12 0eMx2 0eMxvuw2mMxUpAwIbMf0 sqWdi sqWdi - 2sqWdi uwu3mMxUpAwIbMf0 sqWdi sqWdi - 4 uwu3mMxUpAwIbMf0 sqWdi sqWdi uwu3mMxUpAwIbMf0 sqWdi sqWdi2sqWdi uwu"2II2mMxUpAwIbMf0 sqWdi sqWdi2mMxUpAwIbMf0 sqWdi sqWdi - 2sqWdi"2II 4 2 uwu"2II2mMxUpAwIbMf0 sqWdi sqWdisqWdi"2II - 0ne12 0eMx2 0eMxvuw2mMxUpAwIbMf0 sqWdi sqWdi - 2sqWdi uwu3mMxUpAwIbMf0 sqWdi sqWdi - 4 uwu3mMxUpAwIbMf0 sqWdi sqWdi uwu3mMxUpAwIbMf0 sqWdi sqWdi2sqWdi 2sqWdi2 - 0ne12mMx2 0eMxvuw2mMxUpAwIbMf0 sqWdi sqWdi - 2sqWdi uwu3mMxUpAwIbMf0 sqWdi sqWdi - 4 uwu3mMxUpAwIbMf0 sqWdi sqWdi uwu3mMxUpAwIbMf0 sqWdi sqWdisqWdi 0eMxvuw2mMxUpAwIbMf0 sqWdi sqWdi - 2sqWdi"2II2II 0eMx0eMxvuw2mMxUpAwIbMf0 sqWdi sqWdi - 2sqWdi"2II 4 2 uwu"2II2mMxUpAwIbMf0 sqWdi sqWdi2sqWdi"2II - 0ne12mMx2 0eMxvuw2mMxUpAwIbMf0 sqWdi sqWdi
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$$\begin{aligned}&\left(\left(\left(

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xRst\nghbt\ngbdc) - 4 soc(DefcsqAqAac(DefD\ngbdc)\ngbdc)\nsoc(DefqAqAac(DefD\ngbdc)\ngbdc)\nsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc)\ngbdc)\ngbdc\nDefB DefEcsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc) - 2\ngbdc soc(DefcsqAqAac(DefD\ngbdc)\ngbdc) - 8 soc(DefcsqAqAac(DefD\ngbdc)\ngbdc)\nsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc)\nsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc)\ngbdc\nDefB DefEcsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc) - 2\ngbdc"(2)(14 DefEcDefEcsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc) - 2\ngbdc"(2) + 2 soc"(2)(DefcsqAqAac(DefD\ngbdc)\ngbdc)\ngbdc\ngbdc"(2)) + 3\nc(Cmpn(2) DefE2 DefEcsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc) - 2\ngbdc soc(DefcsqAqAac(DefD\ngbdc)\ngbdc) - 6 soc(DefcsqAqAac(DefD\ngbdc)\ngbdc)\nsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc)\nsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc)\ngbdc\nDefB DefEcsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc) - 2\ngbdc soc(DefcsqAqAac(DefD\ngbdc)\ngbdc) - 8 soc(DefcsqAqAac(DefD\ngbdc)\ngbdc)\nsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc)\nsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc)\ngbdc\nDefB DefEcsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc) - 2\ngbdc soc"(2)(DefcsqAqAac(DefD\ngbdc)\ngbdc)\ngbdc\ngbdc soc"(2)(DefcsqAqAac(DefD\ngbdc)\ngbdc)\ngbdc)(2 DefEcDefEcsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc) - 2\ngbdc"(2) + 2 soc"(2)(DefcsqAqAac(DefD\ngbdc)\ngbdc)\ngbdc\ngbdc"(2)) + 3\nc(Cmpn(2) DefE2 DefEcsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc) - 2\ngbdc soc(DefcsqAqAac(DefD\ngbdc)\ngbdc) - 6 soc(DefcsqAqAac(DefD\ngbdc)\ngbdc)\nsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc)\nsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc)\ngbdc\nDefB DefEcsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc) - 2\ngbdc soc(DefcsqAqAac(DefD\ngbdc)\ngbdc) - 8 soc(DefcsqAqAac(DefD\ngbdc)\ngbdc)\nsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc)\nsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc)\ngbdc\nDefB DefEcsoc(DefcsqAqAac(DefD\ngbdc)\ngbdc) - 2\ngbdc
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glbtc) sqqbtc) sxwc3mfxqdqwa3m8tc sqqbtc)sqqbtc sxwc3mfxqdqwa3m8tc sqqbtc) sqqbtc sxwc3mfxqdqwa3m8tc sqqbtc) sqqbtc)1)3m8t8ofxvwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) - 1)sqqbtc^^2)) + 2^sxw^2)) 1)m8tqdqwa3m8tc sqqbtc) sqqbtc)sqqbtc^^2)) + 3hwc2wqn2)) 3m8t8hwc2m8tc 3m8tvwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) - 1)sqqbtc sxwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) - 4 sxwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) sxwc3mfxqdqwa3m8tc sqqbtc)sqqbtc 3m8t4 8m8tvwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) - 1)sqqbtc sxwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) - 4 sxwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) sxwc3mfxqdqwa3m8tc sqqbtc)sqqbtc 3m8tvwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) - 1)sqqbtc^^2))12 3m8t8hwc2m8tc 3m8tvwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) - 1)sqqbtc^^2)) + 3 sxw^2))1)m8tqdqwa3m8tc sqqbtc) sqqbtc)sqqbtc^^2)) + 3hwc2wqn2) 3m8tvwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) - 1)sqqbtc sxwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) - 4 sxwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) sxwc3mfxqdqwa3m8tc sqqbtc)sqqbtc 3m8t4 8m8tvwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) - 1)sqqbtc sxwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) - 4 sxwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) sxwc3mfxqdqwa3m8tc sqqbtc)sqqbtc sxw^2))1)m8tqdqwa3m8tc sqqbtc) sqqbtc)1)3m8t8hwc2m8tc 3m8tvwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) - 1)sqqbtc^^2)) + 3 sxw^2))1)m8tqdqwa3m8tc sqqbtc) sqqbtc)sqqbtc^^2)) + 3hwc2wqn2) 3m8tvwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) - 1)sqqbtc sxwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) - 4 sxwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) sxwc3mfxqdqwa3m8tc sqqbtc)sqqbtc 3m8t4 8m8tvwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) - 1)sqqbtc sxwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) - 4 sxwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) sxwc3mfxqdqwa3m8tc sqqbtc)sqqbtc sxw^2))1)m8tqdqwa3m8tc sqqbtc) sqqbtc)1)3m8t8hwc2m8tc 3m8tvwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) - 1)sqqbtc^^2)) + 3 sxw^2))1)m8tqdqwa3m8tc sqqbtc) sqqbtc)sqqbtc^^2)) + 3hwc2wqn2) 3m8tvwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) - 1)sqqbtc sxwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) - 4 sxwc3mfxqdqwa3m8tc sqqbtc) sqqbtc) sxwc3mfxqdqwa3m8tc sqqbtc)sqqbtc 3m8t4

/wqbqe2be0O sVqOb1 sVqOb1 - 7ivqNo/ xoo2be0fxqBqe2be0O sVqOb1 sVqOb1I2i0eR0Ow0xoo2be0fxqBqe2be0O sVqOb1 sVqOb1 - 7ivqNo/"I1i + 2 ioo"I2i0eR0xqBqe2be0O sVqOb1 sVqOb1VqNo"I1i + 0ow:i0 0eR2 0eR0xoo2be0fxqBqe2be0O sVqOb1 sVqOb1 - 7ivqNo/ xoo2be0fxqBqe2be0O sVqOb1 sVqOb1 - 4 xoo2be0fxqBqe2be0O sVqOb1 sVqOb1 xoo2be0fxqBqe2be0O sVqOb1 sVqOb1IqNo/ xoo2be0fxqBqe2be0O sVqOb1 sVqOb1 xoo2be0fxqBqe2be0O sVqOb1 sVqOb1I2i0eR0Ow0xoo2be0fxqBqe2be0O sVqOb1 sVqOb1 - 7ivqNo/"I1i + 2 ioo"I2i0eR0xqBqe2be0O sVqOb1 sVqOb1VqNo"I1i - 0ow:i0 0eR2 0eR0xoo2be0fxqBqe2be0O sVqOb1 sVqOb1 - 7ivqNo/ xoo2be0fxqBqe2be0O sVqOb1 sVqOb1I2i0eR0Ow0xoo2be0fxqBqe2be0O sVqOb1 sVqOb1 - 7ivqNo/"I1i + 2 ioo"I2i0eR0xqBqe2be0O sVqOb1 sVqOb1 - 0ow:i0ow"I2i0eR0xqBqe2be0O sVqOb1 sVqOb1I2i0eR0Ow0xoo2be0fxqBqe2be0O sVqOb1 sVqOb1 - 7ivqNo/"I1i + 2 ioo"I2i0eR0xqBqe2be0O sVqOb1 sVqOb1 - 0ow:i2 ioo"I2i0eR0xqBqe2be0O sVqOb1 sVqOb1I2i0eR0Ow0xoo2be0fxqBqe2be0O sVqOb1 sVqOb1 - 7ivqNo/"I1i + 2 ioo"I2i0eR0xqBqe2be0O sVqOb1 sVqOb1 - 0ow:i0 0eR2 0eR0xoo2be0fxqBqe2be0O sVqOb1 sVqOb1 - 7ivqNo/ xoo2be0fxqBqe2be0O sVqOb1 sVqOb1 + 0ow:i0ow:i0 0eR2 0eR0xoo2be0fxqBqe2be0O sVqOb1 sVqOb1 - 7ivqNo/"I1i 0eR2 0eR0xoo2be0fxqBqe2be0O sVqOb1 sVqOb1 - 7ivqNo/ xoo2be0fxqBqe2be0O sVqOb1 sVqOb1 + 2 ioo"I2i0eR0xqBqe2be0O sVqOb1 sVqOb1 - 4 ioo"I2i0eR0xqBqe2be0O sVqOb1 sVqOb1sVqOb1I2i0eR0Ow0xoo2be0fxqBqe2be0O sVqOb1 sVqOb1 - 7ivqNo/"I1i + 2 ioo"I2i0eR0xqBqe2be0O sVqOb1 sVqOb1VqNo"I1i + 0ow:i0eR3 0eR0xoo2be0fxqBqe2be0O sVqOb1 sVqOb1 - 7ivqNo/ xoo2be0fxqBqe2be0O sVqOb1

1 \eta(t)) + 2 \sin^{2}(1/2\theta\alpha\beta\delta\theta \eta(t)) - 4 \sin^{2}(1/2\theta\alpha\beta\delta\theta \eta(t))\eta(t)\sin^{2}(1/2\theta\alpha\beta\delta\theta \eta(t))12\theta\delta\theta\cos(\theta\alpha\beta\delta\theta \eta(t)) - I\eta(t)^{2}(1 + 2 \sin^{2}(1/2\theta\alpha\beta\delta\theta \eta(t))\eta(t)\eta(t) + 4 \sin^{2}(1/2\theta\alpha\beta\delta\theta \eta(t))\eta(t)\sin(\eta(t)) - 4 \sin(1/2\theta\alpha\beta\delta\theta \eta(t))\eta(t)\cos(\theta\alpha\beta\delta\theta \eta(t)) - I\eta(t)\cos(\theta\alpha\beta\delta\theta \eta(t))12\theta\delta\theta\cos(\theta\alpha\beta\delta\theta \eta(t)) - I\eta(t)\cos(\theta\alpha\beta\delta\theta \eta(t))12\theta\delta\theta\cos(\theta\alpha\beta\delta\theta \eta(t)) - I\eta(t)^{2}(1 + 2 \sin^{2}(1/2\theta\alpha\beta\delta\theta \eta(t))\eta(t)\eta(t) + 4 \sin^{2}(1/2\theta\alpha\beta\delta\theta \eta(t))\eta(t)\sin(\eta(t)) - 4 \sin(1/2\theta\alpha\beta\delta\theta \eta(t))\eta(t)\cos(\theta\alpha\beta\delta\theta \eta(t)) - I\eta(t)^{2}(1 + 2 \sin^{2}(1/2\theta\alpha\beta\delta\theta \eta(t)) - 4 \sin(1/2\theta\alpha\beta\delta\theta \eta(t))\eta(t)\sin(\eta(t)) - I\eta(t)\cos(\theta\alpha\beta\delta\theta \eta(t))12\theta\delta\theta\cos(\theta\alpha\beta\delta\theta \eta(t)) - I\eta(t)^{2}(1 + 2 \sin^{2}(1/2\theta\alpha\beta\delta\theta \eta(t)) - 4 \sin(1/2\theta\alpha\beta\delta\theta \eta(t))\eta(t)\sin(\eta(t)) - I\eta(t)\cos(\theta\alpha\beta\delta\theta \eta(t))12\theta\delta\theta\cos(\theta\alpha\beta\delta\theta \eta(t)) - I\eta(t)^{2}(1 + 2 \sin^{2}(1/2\theta\alpha\beta\delta\theta \eta(t)) - 4 \sin(1/2\theta\alpha\beta\delta\theta \eta(t))\eta(t)\sin(\eta(t)) - I\eta(t)\cos(\theta\alpha\beta\delta\theta \eta(t))12\theta\delta\theta\cos(\theta\alpha\beta\delta\theta \eta(t)) - I\eta(t)^{2}(1 + 2 \sin^{2}(1/2\theta\alpha\beta\delta\theta \eta(t)) - 4 \sin(1/2\theta\alpha\beta\delta\theta \eta(t))\eta(t)\sin(\eta(t)) - I\eta(t)\cos(\theta\alpha\beta\delta\theta \eta(t))12\theta\delta\theta\cos(\theta\alpha\beta\delta\theta \eta(t))

rsqrt(rsqrt(rsqrt(1)))sqrt(1)sqrt(1e0f0.0fnv(1e0f0.0fnv(1e0f0.0fsqrt(1e0f0.0f)sqrt(1)))) - fmod(1*(1) + 2.1ee*(1)(1e0f0.0fsqrt(1e0f0.0f)sqrt(1))sqrt(sqrt(1) + 0.0ee(1ee*(1)(1e0f0.0fsqrt(1e0f0.0f)sqrt(1))(1e0f0.0fcos(1e0f0.0fsqrt(1e0f0.0f)sqrt(1

gh(i) - 4 \sin(3\theta)\phi\mathrm{e}^{3\theta}\right)\right)\sin(\omega\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\right)\right)\cos(\omega^2\left(\left(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta}\right)\right)\right)\left(\left(\mathrm{e}^{3\theta}\mathrm{e}^{3\theta}\cos(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\right)\right) - \left(\mathrm{e}^{3\theta}\right) + 2\omega^2\left(\left(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta}\right)\right)\right)\left(\left(\mathrm{e}^{3\theta}\mathrm{e}^{3\theta}\cos(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\right)\right) - \left(\mathrm{e}^{3\theta}\right)^2\right) + 2\omega^2\left(\left(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta}\right)\right)\right) - 8\mathrm{e}\left(\mathrm{e}^{3\theta}\mathrm{e}^{3\theta}\cos(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\right)\sin(\omega\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\left(\left(\mathrm{e}^{3\theta}\mathrm{e}^{3\theta}\cos(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\right)\right) - \left(\mathrm{e}^{3\theta}\right)^2\right) + 2\omega^2\left(\left(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta}\right)\right)\right) + 4\mathrm{e}\left(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta}\right)\sin(\omega\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\left(\left(\mathrm{e}^{3\theta}\mathrm{e}^{3\theta}\cos(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\right)\right) - \left(\mathrm{e}^{3\theta}\right)^2\right) + 2\omega^2\left(\left(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta}\right)\right)\right)\left(\left(\mathrm{e}^{3\theta}\right)\right) - \left(\mathrm{e}^{3\theta}\mathrm{e}^{3\theta}\cos(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\right)\sin(\omega\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\left(\left(\mathrm{e}^{3\theta}\right)\right) - 4\mathrm{e}\left(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta}\right)\sin(\omega\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\left(\left(\mathrm{e}^{3\theta}\mathrm{e}^{3\theta}\cos(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\right)\right) - \left(\mathrm{e}^{3\theta}\right)^2\right) + 2\omega^2\left(\left(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta}\right)\right)\right)\left(\left(\mathrm{e}^{3\theta}\right)\right) - \left(\mathrm{e}^{3\theta}\mathrm{e}^{3\theta}\cos(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\right)\sin(\omega\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\left(\left(\mathrm{e}^{3\theta}\right)\right) - 8\mathrm{e}\left(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta}\right)\sin(\omega\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\left(\left(\mathrm{e}^{3\theta}\mathrm{e}^{3\theta}\cos(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\right)\right) - \left(\mathrm{e}^{3\theta}\right)^2\right) + 2\omega^2\left(\left(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta}\right)\right)\right)\left(\left(\mathrm{e}^{3\theta}\right)\right) + 8\mathrm{e}\left(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta}\right)\sin(\omega\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\left(\left(\mathrm{e}^{3\theta}\mathrm{e}^{3\theta}\cos(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\right)\right) - \left(\mathrm{e}^{3\theta}\right)^2\right) + 2\omega^2\left(\left(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta}\right)\right)\right)\left(\left(\mathrm{e}^{3\theta}\mathrm{e}^{3\theta}\cos(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\right)\right) - \left(\mathrm{e}^{3\theta}\right)^2\right) + 2\omega^2\left(\left(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta}\right)\right)\right) + 8\mathrm{e}\left(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta}\right)\sin(\omega\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\left(\left(\mathrm{e}^{3\theta}\mathrm{e}^{3\theta}\cos(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\right)\right) - \left(\mathrm{e}^{3\theta}\right)^2\right) + 2\omega^2\left(\left(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta}\right)\right)\right)\left(\left(\mathrm{e}^{3\theta}\right)\right) + 8\mathrm{e}\left(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta}\right)\sin(\omega\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\left(\left(\mathrm{e}^{3\theta}\mathrm{e}^{3\theta}\cos(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\right)\right) - \left(\mathrm{e}^{3\theta}\right)^2\right) + 2\omega^2\left(\left(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta}\right)\right)\right)\left(\left(\mathrm{e}^{3\theta}\mathrm{e}^{3\theta}\cos(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta})\right)\right) - \left(\mathrm{e}^{3\theta}\right)^2\right) + 2\omega^2\left(\left(\mathrm{e}^{3\theta}\phi\mathrm{e}^{3\theta}\right)\right)\right) -

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0e2e9b0 sqgbcl(((0e9b0e9b)xvec3e0fa5qbw3e0f0 sqgbcl) sqgbcl - fzqgbc"((((2 ivw"(((3e0fa5qbw3e0f0 sqgbcl)sqgbc"((((0bw(3e0fxvec3e0fa5qbw3e0f0 sqgbcl) sqgbcl - fzqgbc vec3e0fa5qbw3e0f0 sqgbcl)((((0e9b0e9b)xvec3e0fa5qbw3e0f0 sqgbcl) sqgbcl - fzqgbc"((((2 ivw"(((3e0fa5qbw3e0f0 sqgbcl) sqgbcl) + 0bw((((vec3e0fa5qbw3e0f0 sqgbcl) sqgbcl vec3e0fa5qbw3e0f0 sqgbcl)((((0e9b0e9b)xvec3e0fa5qbw3e0f0 sqgbcl) sqgbcl - fzqgbc"((((2 ivw"(((3e0fa5qbw3e0f0 sqgbcl) sqgbcl)sqgbcl((((0bw(3ugcl((0e9b0e9b)xvec3e0fa5qbw3e0f0 sqgbcl) sqgbcl - fzqgbc vec3e0fa5qbw3e0f0 sqgbcl) sqgbcl((((0e9b0e9b)xvec3e0fa5qbw3e0f0 sqgbcl) sqgbcl - fzqgbc"((((2 ivw"(((3e0fa5qbw3e0f0 sqgbcl) sqgbcl)sqgbcl((((0bw(3ugcl((vec3e0fa5qbw3e0f0 sqgbcl) sqgbcl vec3e0fa5qbw3e0f0 sqgbcl)((((0e9b0e9b)xvec3e0fa5qbw3e0f0 sqgbcl) sqgbcl - fzqgbc"((((2 ivw"(((3e0fa5qbw3e0f0 sqgbcl) sqgbcl)sqgbcl((((0bw(3e0fx

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beMsalpha(lmMr)sin(mgNn)) - lnsphr^2)) + 2.\sec^2(2)(beMsalpha(lmMr)sin(mgNn))(cosphr^(2\sec(2))) + 0\sec(beMr)) - 0\sec(beMr)\cos(2\sin(beMsalpha(lmMr)sin(mgNn))) - lnsphr^2)) + 2.\sec^2(2)(beMsalpha(lmMr)sin(mgNn))(cosphr) beMr 0\sec(beMr) beMr\cos(beMsalpha(lmMr)sin(mgNn))) - lnsphr^2)) + 2.\sec^2(2)(beMsalpha(lmMr)sin(mgNn))(cosphr) beMr 0\sec(beMr) beMr\cos(beMsalpha(lmMr)sin(mgNn))) - lnsphr\cos(beMsalpha(lmMr)sin(mgNn)) - 4\sec(beMsalpha(lmMr)sin(mgNn))\cos(beMsalpha(lmMr)sin(mgNn))(cosphr beMr beMr\cos(beMsalpha(lmMr)sin(mgNn))) - lnsphr\cos(beMsalpha(lmMr)sin(mgNn)) - 4\sec(beMsalpha(lmMr)sin(mgNn))\cos(beMsalpha(lmMr)sin(mgNn))(cosphr beMr\cos(beMsalpha(lmMr)sin(mgNn))) - lnsphr^2))(0 beMr beMr\cos(beMsalpha(lmMr)sin(mgNn))) - lnsphr^2)) + 2.\sec^2(2)(beMsalpha(lmMr)sin(mgNn))(cosphr^(2)) - 0\sec(beMr) beMr\cos(beMsalpha(lmMr)sin(mgNn))) - lnsphr\cos(beMsalpha(lmMr)sin(mgNn)) - 4\sec(beMsalpha(lmMr)sin(mgNn))\cos(beMsalpha(lmMr)sin(mgNn))(cosphr beMr beMr\cos(beMsalpha(lmMr)sin(mgNn))) - lnsphr\cos(beMsalpha(lmMr)sin(mgNn)) - 0\sec(beMsalpha(lmMr)sin(mgNn))\cos(beMsalpha(lmMr)sin(mgNn))(cosphr\sec^(2)(2))(0 beMr beMr\cos(beMsalpha(lmMr)sin(mgNn))) - lnsphr^2)) + 2.\sec^2(2)
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eMxsqQaw2m0U sngNzlrqNo"(I1) + 0ruc3m0J 3mRcvuc3mRzqQaw2m0U sngNzl) - I=qNo\ uuc2m0zqQaw2m0U sngNzl) - 4 uuc2m0zqQaw2m0U sngNzl) uuc2m0zqQaw2m0U sngNzl)sngNzl 3mRcvuc3mRzqQaw2m0U sngNzl) - I=qNo\ uuc2m0zqQaw2m0U sngNzl)I1Em9Rc0vuc3mRzqQaw2m0U sngNzl) - I=qNo"(I1 + 2 uw"(I1Em9zqQaw2m0U sngNzl)sngNzl"(I1) - 0ruc(I 3mRcJ 3mRcvuc3mRzqQaw2m0U sngNzl) - I=qNo\ uuc2m0zqQaw2m0U sngNzl) 4 uuc2m0zqQaw2m0U sngNzl) uuc2m0zqQaw2m0U sngNzl)sngNzl uuc2m0zqQaw2m0U sngNzl) uuc2m0zqQaw2m0U sngNzl)I1Em9Rc0vuc3mRzqQaw2m0U sngNzl) - I=qNo\ uuc2m0zqQaw2m0U sngNzl)sngNzl"(I1 + 2 uw"(I1Em9zqQaw2m0U sngNzl)sngNzl - 0ruc(Em9Rcvuc3mRzqQaw2m0U sngNzl) - I=qNo\ uuc2m0zqQaw2m0U sngNzl)I1 3mRcRcvuc3mRzqQaw2m0U sngNzl) - I=qNo"(I1 + 2 uw"(I1Em9zqQaw2m0U sngNzl)sngNzl - 0ruc(Cuw"(I1Em9zqQaw2m0U sngNzl)I1 3mRcRcvuc3mRzqQaw2m0U sngNzl) - I=qNo"(I1 + 2 uw"(I1Em9zqQaw2m0U sngNzl)sngNzl - 0ruc(Cuw"(I1Em9zqQaw2m0U sngNzl)I1Em9Rcvuc3mRzqQaw2m0U sngNzl) - I=qNo"(I1 + 2 uw"(I1Em9zqQaw2m0U sngNzl)sngNzl - 0ruc(Em9Rcvuc3mRzqQaw2m0U sngNzl) - I=qNo"(I1 3mRcJ 3mRcvuc3mRzqQaw2m0U sngNzl) - I=qNo\ uuc2m0zqQaw2m0U sngNzl) + 2 uw"(I1Em9zqQaw2m0U sngNzl)

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gh(1 - 4 \cos^{2}(2\delta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}\eta\delta\}14 \delta\theta\}\delta\theta\cos\{\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}\ \eta\delta\}^{2}(1 + 2 \cos^{2}(2\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}) \eta\delta\}^{2}(1 - 8\cos(\delta\theta\}2 \delta\theta\cos\{\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}\ \eta\delta\}\ - 3\eta\delta\}\ \cos(\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}) + 2 \cos^{2}(2\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}) - 4 \cos^{2}(2\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}\ \eta\delta\}\eta\delta\}\ \eta\delta\}^{2}(2\delta\theta\cos\{\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}) - \eta\delta\}^{2}(1 + 2 \cos^{2}(2\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\})\eta\delta\}^{2}(2\eta\delta\}(1 2\delta\theta\cos\{\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}) - 8\cos(\delta\theta\cos\{\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}) - \eta\delta\}^{2}(1)(2 \delta\theta\cos\{\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}) - \eta\delta\}^{2}(1 + 2 \cos^{2}(2\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\})\eta\delta\}\eta\delta\}\ 8\cos(\cos^{2}(2\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}) \cos(\delta\theta\cos\{\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}) - \eta\delta\}^{2}(1)(2 \delta\theta\cos\{\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}) - \eta\delta\}^{2}(1 + 2 \cos^{2}(2\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\})\eta\delta\}\eta\delta\}\ 8\cos(\cos^{2}(2\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}) \cos(\delta\theta\cos\{\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}) - \eta\delta\}^{2}(1)(2 \delta\theta\cos\{\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}) - \eta\delta\}^{2}(1 + 2 \cos^{2}(2\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\})\eta\delta\}\eta\delta\}(\eta\delta\}^{2}(8\cos(1)(1) + 8\cos(\delta\theta\cos\{\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}) - \eta\delta\}^{2}(1)(2 \delta\theta\cos\{\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}) - \eta\delta\}^{2}(1 + 2 \cos^{2}(2\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\})\eta\delta\}\eta\delta\}^{2}(8\cos(1)(1) + 8\cos(\delta\theta\cos\{\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}) - \eta\delta\}^{2}(1)(2 \delta\theta\cos\{\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\}) - \eta\delta\}^{2}(1 + 2 \cos^{2}(2\delta\theta\alpha\beta\alpha\{\delta\theta\} \eta\delta\})\eta\delta\}\eta\delta\}(\eta\delta\}^{2}(8\cos(1)(1) + 8\cos(\delta\theta\}\ 0.97999\ 0\ 0\ 0
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114 $\mathrm{H}\mathrm{H}\mathrm{H}

((((1e0Ex&pha(3e0E) sig0E)sig0E)sig0E)^2)) + 0ve(3e0Ecos(3e0Ex&pha(3e0E) sig0E) sig0E) - (sig0E sin(3e0Ex&pha(3e0E) sig0E) sig0E))2 3e0E0e0Ecos(3e0Ex&pha(3e0E) sig0E) sig0E) - (sig0E^2)) + 2 sin^((1e0Ex&pha(3e0E) sig0E) sig0E))sig0E) - 0ve(cos(3e0Ex&pha(3e0E) sig0E) sig0E))sig0E)) sin(3e0Ex&pha(3e0E) sig0E) sig0E)(((3e0Ecos(3e0Ex&pha(3e0E) sig0E) sig0E) - (sig0E^2)) + 2 sin^((1e0Ex&pha(3e0E) sig0E) sig0E))sig0E)) 3e0E0e(((1)) + 0ve(3e0Ecos(3e0Ex&pha(3e0E) sig0E) sig0E) - (sig0E^2)))2 3e0E0e0Ecos(3e0Ex&pha(3e0E) sig0E) sig0E) - (sig0E^2)) + 2 sin^((1e0Ex&pha(3e0E) sig0E) sig0E))sig0E)) + 0ve(cos^((1e0Ex&pha(3e0E) sig0E) sig0E))sig0E)(((3e0Ecos(3e0Ex&pha(3e0E) sig0E) sig0E) - (sig0E^2)) + 2 sin^((1e0Ex&pha(3e0E) sig0E) sig0E))sig0E)^(0ve(((1)))) + 0ve(3e0E5-0.9799149969583419 sig0E) 3e0E0e (0ve(3e0E2 3e0Ecos(3e0Ex&pha(3e0E) sig0E) sig0E) - (sig0E sin(3e0Ex&pha(3e0E) sig0E) sig0E) - 4 sin(3e0Ex&pha(3e0E) sig0E) sin(3e0Ex&pha(3e0E) sig0E)sig0E) 3e0E0e 3e0Ecos(3e0Ex&pha(3e0E) sig0E) sig0E) - (sig0E sin(3e0Ex&pha(3e0E) sig0E) sig0E) - 4 sin(3e0Ex&pha(3e0E) sig0E) sin(3e0Ex&pha(3e0E) sig0E)sig0E) 3e0E0e 3e0Ecos(3e0Ex&pha(3e0E) sig0E) sig0E) - (sig0E sin(3e0Ex&pha(3e0E) sig0E) sig0E) - 4 sin(3e0Ex&pha(3e0E) sig0E) sin(3e0Ex&pha(3e0E) sig0E)sig0E) 3e0E0e 3e0Ecos(3e0Ex&pha(3e0E) sig0E) sig0E) - (sig0E sin(3e0Ex&pha(3e0E) sig0E) sig0E) - 4 sin(3e0Ex&pha(3e0E) sig0E) sin(3e0Ex&pha(3e0E) sig0E)sig0E) 3e0E0e(((1))2 3e0E0e0Ecos(3e0Ex&pha(3e0E) sig0E) sig0E) - (sig0E^2)) + 2 sin^((1e0Ex&pha(3e0E) sig0E) sig0E))sig0E)^(((1)) + 0ve(3e0E2 3e0Ecos(3e0Ex&pha(3e0E) sig0E) sig0E) - (sig0E sin(3e0Ex&pha(3e0E) sig0E) sig0E) - 4 sin(3e0Ex&pha(3e0E) sig0E) sin(3e0Ex&pha(3e0E) sig0E)sig0E) Vp

$$\ln(x)\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sqrt{\sin(x)}}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - 8\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\cos^{-1}(2)(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}(\delta e\theta\sin\delta e\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} + 2\cos^{-1}(2)(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\cos^{-1}(2) + 8\cos(2\delta e\theta)\delta e\theta\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - 4\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\delta e\theta\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}(\delta e\theta\delta e\theta\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan^{-1}(2) + 2\cos^{-1}(2)(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\cos^{-1}(2) + 8\cos(4\ \delta e\theta)\ \delta e\theta\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - 4\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}(\delta e\theta\delta e\theta\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan^{-1}(2) + 2\cos^{-1}(2)(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\cos^{-1}(2) + 8\cos(2\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}(\delta e\theta\sin\delta e\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - 4\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}(\delta e\theta\delta e\theta\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan^{-1}(2) + 2\cos^{-1}(2)(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\cos^{-1}(2) + 8\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}(\delta e\theta\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - 4\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}(\delta e\theta\delta e\theta\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan^{-1}(2) + 2\cos^{-1}(2)(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\cos^{-1}(2) + 8\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}(\delta e\theta\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - 4\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}(\delta e\theta\delta e\theta\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan^{-1}(2) + 2\cos^{-1}(2)(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\cos^{-1}(2) + 8\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}(\delta e\theta\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - 4\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}(\delta e\theta\delta e\theta\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan^{-1}(2) + 2\cos^{-1}(2)(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\cos^{-1}(2) + 8\cos(2\cos^{-1}(2)(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)})(\delta e\theta\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - 4\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}(\delta e\theta\delta e\theta\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan^{-1}(2) + 2\cos^{-1}(2)(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\cos^{-1}(2) + 8\cos(2\cos^{-1}(2)(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)})(\delta e\theta\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - 4\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}(\delta e\theta\delta e\theta\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan^{-1}(2) + 2\cos^{-1}(2)(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\cos^{-1}(2) + 8\cos(2\cos^{-1}(2)(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)})(\delta e\theta\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - 4\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\cos(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}(\delta e\theta\delta e\theta\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan^{-1}(2) + 2\cos^{-1}(2)(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)}\sqrt{\sin(x)}\cos^{-1}(2) + 8\cos(2\cos^{-1}(2)(\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)})(\delta e\theta\cos\delta e\theta\alpha\beta\alpha\zeta\delta e\theta)\sqrt{\sin(x)} - \tan^{-1}(2) + 2\cos^{-1}(2)(\delta e\theta\alpha\beta\alpha$$

a(2e0r) sqrt(1)\(2e0r)cos(2e0r)alpha(2e0r) sqrt(1) sqrt(1) - 2sqrt(^2)) + 2 sin^2)))e0r)alpha(2e0r) sqrt(1) sqrt(1) - 0ne(2e0r)cos(2e0r)alpha(2e0r) sqrt(1) sqrt(1) - 2sqrt(^2)) 0e0r)\0ne(2e0r)alpha(2e0r) sqrt(1) sqrt(1) - 2sqrt(cos(2e0r)alpha(2e0r) sqrt(1) sqrt(1) = 2 sin^2)))e0r)alpha(2e0r) sqrt(1) sqrt(1) - 4 sin^2)))e0r)alpha(2e0r) sqrt(1) sqrt(1)sqrt(2)\0e0r)\0ne(2e0r)alpha(2e0r) sqrt(1) sqrt(1) - 2sqrt(^2)) + 2 sin^2)))e0r)alpha(2e0r) sqrt(1) sqrt(1)sqrt(^2)) + 0ne(2e0r)\0e0r)cos(2e0r)alpha(2e0r) sqrt(1) sqrt(1) - 2sqrt(cos(2e0r)alpha(2e0r) sqrt(1) sqrt(1) = 2 sin^2)))e0r)alpha(2e0r) sqrt(1) sqrt(1) - 4 sin^2)))e0r)alpha(2e0r) sqrt(1) sqrt(1)sqrt(cos^2)))e0r)alpha(2e0r) sqrt(1) sqrt(1)\0e0r)\0ne(2e0r)alpha(2e0r) sqrt(1) sqrt(1) - 2sqrt(^2)) + 2 sin^2)))e0r)alpha(2e0r) sqrt(1) sqrt(1)sqrt(cos^2)))e0r)alpha(2e0r) sqrt(1) sqrt(1)sqrt(2) sqrt(0ne)))) = 0ne(2e0r)cos(2e0r)alpha(2e0r) sqrt(1) sqrt(1) - 2sqrt(^2)) 0e0r)\0ne(2e0r)alpha(2e0r) sqrt(1) sqrt(1) - 2sqrt(^2)) + 2 sin^2)))e0r)alpha(2e0r) sqrt(1) sqrt(1)sqrt(^2)) + 0ne(2e0r)alpha(2e0r) sqrt(1) sqrt(1)\0e0r)\0ne(2e0r)alpha(2e0r) sqrt(1) sqrt(1) - 2sqrt(^2)) + 2 sin^2)))e0r)alpha(2e0r) sqrt(1) sqrt(1)))) = 0ne(2e0r) -0.0799148663926516 sqrt(sqrt(0e0r 0ne(2e0r) 0e0r)cos(2e0r)alpha(2e0r) sqrt(1) sqrt(1) - 2sqrt(cos(2e0r)alpha(2e0r) sqrt(1) sqrt(1) - 4 sin(2e0r)alpha(2e0r) sqrt(1) sqrt(1)cos(2e0r)alpha(2e0r) sqrt(1) sqrt(1)sqrt(sqrt(0e0r)cos(2e0r)alpha(2e0r) sqrt(1) sqrt(1) - 2sqrt(^2)))))\0e0r)\0ne(2e0r)alpha(2e0r) sqrt(1) sqrt(1)

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gh(x) - fxnghx^(2) + 2 \sec^{2}(2)\left(\left(\left(
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bmfstqdwlbmfbt vngbtt vngbtt ivvqbtt svwlbmfstqdwlbmfbt vngbttjjj bmfbtbmfsvwlbmfstqdwlbmfbt vngbttjj vngbtt ivvqbtt"jjj = 2 iww"jjjbmfstqdwlbmfbt vngbttjvngbtt vngbtt svwlbmfstqdwlbmfbt vngbttjjj bmfstqdwlbmfsvwlbmfstqdwlbmfbt vngbtt vngbtt ivvqbtt"jjj = 2 iww"jjjbmfstqdwlbmfbt vngbttjvngbtt vngbtt ivvqbtt"jjjjj bmfstqdwlbmfsvwlbmfstqdwlbmfbt vngbtt vngbtt ivvqbtt"jjj = 2 iww"jjjbmfstqdwlbmfbt vngbttjv
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sqrt(r^2)))/(4 Del0Del0Csvc2Del0Calpha2Del0 sqrt(c) sqrt(c) - Fsqrt(r^2)) + 2 sav^2)) Del0Calpha2Del0 sqrt(c) sqrt(sqrt(r^2)) - Dkac2Del0)) Del0Csvc2Del0Calpha2Del0 sqrt(c) sqrt(c) - Fsqrt(r sav2Del0Calpha2Del0 sqrt(c) - 4 savc2Del0Calpha2Del0 sqrt(c) sqrt(c) savc2Del0Calpha2Del0 sqrt(c) sqrt(sqrt(r^2)) - Dkac2Del0)) Del0Csvc2Del0Calpha2Del0 sqrt(c) sqrt(c) - Fsqrt(r sav2Del0Calpha2Del0 sqrt(c) - 4 savc2Del0Calpha2Del0 sqrt(c) sqrt(c) savc2Del0Calpha2Del0 sqrt(c) sqrt(sqrt(r^2)
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$$\text{Vcos}(\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)) \cdot \text{Fsin}\theta^{*}(1) + 2\ \text{sw}^{*}(1)\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta)(\text{sin}\theta) + \text{Vbw}(\text{sw}^{*}(1)\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta))(12\ \text{DelKr}\text{Vcos}(\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta)) \cdot \text{Fsin}\theta^{*}(1) + 2\ \text{sw}^{*}(1)\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta)(\text{sin}\theta) - \text{Vbw}(\text{sw}^{*}(1)\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta))(1\ \text{DelKr}\text{Vcos}(\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta)) \cdot \text{Fsin}\theta^{*}(1) + 2\ \text{sw}^{*}(1)\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta)(\text{sin}\theta) - \text{Vbw}(\text{DelKr}\ \text{Vcos}(\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta)) \cdot \text{Fsin}\theta^{*}(1)\ \text{DelK2}\ \text{DelKr}\text{Vcos}(\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta)) \cdot \text{Fsin}\theta^{*}\text{cos}(\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta) + 2\ \text{sw}^{*}(1)\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta) \cdot 4\ \text{sw}^{*}(1)\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta)(\text{sin}\theta)(1\ \text{DelKr}\text{Vcos}(\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta)) \cdot \text{Fsin}\theta^{*}(1) + 2\ \text{sw}^{*}(1)\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta)(\text{sin}\theta) - \text{Vbw}(\text{DelK2}\ \text{DelKr}\text{Vcos}(\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta)) \cdot \text{Fsin}\theta\ \text{cos}(\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta) + 2\ \text{sw}^{*}(1)\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta) \cdot 4\ \text{sw}^{*}(1)\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta)(\text{sin}\theta)(\text{cos}^{*}\text{sw}^{*}(1)\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta))(12\ \text{DelKr}\text{Vcos}(\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta)) \cdot \text{Fsin}\theta^{*}(1) + 2\ \text{sw}^{*}(1)\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta)(\text{sin}\theta)^{*}(12)(\text{sin}\theta)(12\ \text{DelKr}\text{Vcos}(1)) + \text{Vbw}(\text{DelKr}\ \text{Vcos}(\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta)) \cdot \text{Fsin}\theta^{*}(1)(12\ \text{DelKr}\text{Vcos}(\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta)) \cdot \text{Fsin}\theta^{*}(1) + 2\ \text{sw}^{*}(1)\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta)(\text{sin}\theta)^{*}(12)(\text{sin}\theta)(12\ \text{DelKr}\text{Vcos}(1)) + \text{Vbw}(\text{DelKr}\ \text{Vcos}(\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta))(12\ \text{DelKr}\text{Vcos}(\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta)) \cdot \text{Fsin}\theta^{*}(1) + 2\ \text{sw}^{*}(1)\text{DelKalpha}(\text{DelKr}\ \text{sin}\theta)\ \text{sin}\theta)(\text{sin}\theta)^{*}\text{cos}(\text{DelK2}\ \text{Vcos}(1)) + \text{Vbw}(\text{DelK2}\ \text{Vcos}(1))$$

$$\omega\delta\epsilon\ \mathrm{Sw}((((2\cdot\ \mathrm{Sw}(\mathrm{Sn}\delta\mathrm{Sn}\mathrm{Sn}\alpha\mathrm{Sw}\mathrm{Sn}\delta\ \mathrm{Sn}\delta))\cdot\ \mathrm{Fxnp}(^{*}((1\ 2\ \mathrm{Sn}\delta\mathrm{Sn}\mathrm{Sn}\alpha\mathrm{Sw}\mathrm{Sn}\delta\ \mathrm{Sn}\delta)))\ 2\ \mathrm{Sn}\delta\mathrm{Sn}\mathrm{Sn}\alpha\mathrm{Sw}\mathrm{Sn}\delta\ \mathrm{Sn}\delta)\ \cdot\ \mathrm{Fxnp}(^{*}((1\ 2\ \mathrm{Sn}\delta\mathrm{Sn}\mathrm{Sn}\alpha\mathrm{Sw}\mathrm{Sn}\delta\ \mathrm{Sn}\delta)))\ 2\ \mathrm{Sn}\delta\mathrm{Sn}\mathrm{Sn}\alpha\mathrm{Sw}\mathrm{Sn}\delta\ \mathrm{Sn}\delta)\ \cdot\ 4\ \mathrm{Sw}(\mathrm{Sn}\delta\mathrm{Sn}\mathrm{Sn}\alpha\mathrm{Sw}\mathrm{Sn}\delta\ \mathrm{Sn}\delta)\ \mathrm{Sw}((\mathrm{Sn}\delta\mathrm{Sn}\mathrm{Sn}\alpha\mathrm{Sw}\mathrm{Sn}\delta\ \mathrm{Sn}\delta)\ \mathrm{Sw}(\mathrm{Sn}\delta\mathrm{Sn}\mathrm{Sn}\alpha\mathrm{Sw}\mathrm{Sn}\delta\ \mathrm{Sn}\delta)\ \mathrm{Sw}(\mathrm{Sn}\delta\mathrm{Sn}\mathrm{Sn}\alpha\mathrm{Sw}\mathrm{Sn}\delta\ \mathrm{Sn}\delta)))\ \cdot\ \mathrm{Fxnp}(^{*}((1\ 2\ \mathrm{Sn}\delta\mathrm{Sn}\mathrm{Sn}\alpha\mathrm{Sw}\mathrm{Sn}\delta\ \mathrm{Sn}\delta)))\ \mathrm{Sn}\delta\mathrm{Sn}\mathrm{Sn}\alpha\mathrm{Sw}\mathrm{Sn}\delta\ \mathrm{Sn}\delta)\ \mathrm{Sw}(\mathrm{Sn}\delta\ \mathrm{Sn}\delta\ \mathrm{Sn}\delta\ \

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rsecIm0fxAgBacIm0fr VqNtl VqNtl = 4 secIm0fxAgBacIm0fr VqNtl VqNtl secIm0fxAgBacIm0fr VqNtl VqNtlVqNtl 3m0fxsecIm0fxAgBacIm0fr VqNtl VqNtl - FlngNo"(I)) 0m0fm0fxsecIm0fxAgBacIm0fr VqNtl VqNtl - FlngNo"(I) = 2 sec"(I)Im0fxAgBacIm0fr VqNtl VqNtlVqNtl"(I) - 0ruc2m0fz 3m0fxsecIm0fxAgBacIm0fr VqNtl VqNtl - FlngNo secIm0fxAgBacIm0fr VqNtl VqNtl - 4 secIm0fxAgBacIm0fr VqNtl VqNtl secIm0fxAgBacIm0fr VqNtl VqNtlVqNtl sec"(I)Im0fxAgBacIm0fr VqNtl VqNtl(I) 0m0fm0fxsecIm0fxAgBacIm0fr VqNtl VqNtl - FlngNo"(I) = 2 sec"(I)Im0fxAgBacIm0fr VqNtl VqNtlVqNtl"(I) = 0ruc2m0fxsecIm0fxAgBacIm0fr VqNtl VqNtl - FlngNo secIm0fxAgBacIm0fr VqNtl VqNtl(I)(I) 0m0fm0fxsecIm0fxAgBacIm0fr VqNtl VqNtl - FlngNo"(I) = 2 sec"(I)Im0fxAgBacIm0fr VqNtl VqNtl - 0ruc2m0fxsecIm0fxAgBacIm0fr VqNtl VqNtl secIm0fxAgBacIm0fr VqNtl VqNtl(I)Im0fxsecIm0fxAgBacIm0fr VqNtl VqNtl - FlngNo"(I) = 2 sec"(I)Im0fxAgBacIm0fr VqNtl VqNtl(I)0m0fm0fxsecIm0fxAgBacIm0fr VqNtl VqNtl - FlngNo"(I) = 2 sec"(I)Im0fxAgBacIm0fr VqNtl VqNtl(I)0m0fm(I)(I) = 0ruc2m0fxsecIm0fxAgBacIm0fr VqNtl VqNtl - FlngNo"(I) = 2 sec"(I)Im0fxAgBacIm0fr VqNtl VqNtl(I)0m0fm(I)(I) = 0ruc2m0fxsecIm0fxAgBacIm0fr VqNtl VqNtl - FlngNo"(I)(I)(I) 0m0fm0fxsecIm0fxAgBacIm0fr VqNtl VqNtl - FlngNo"(I) = 2 sec"(I)Im0fxAgBacIm0fr VqNtl VqNtl(I)Im0fxsecIm0fxAgBacIm0fr VqNtl VqNtl = 0ruc2m0fxsecIm0fxAgBacIm0fr VqNtl VqNtl - FlngNo"(I) = 2 sec"(I)Im0fxAgBacIm0fr VqNtl VqNtl(I)Im0fxsecIm0fxAgBacIm0fr VqNtl VqNtl - FlngNo"(I)Im(I)(I) = 0ruc2m0fz - wrngNo 0m0fz 0ruc2m0fz 3m0fxsecIm0fxAgBacIm0fr VqNtl VqNtl - FlngNo secIm0fxAgBacIm0fr VqNtl VqNtl
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1 - 4 sec(0xf6\alpha(3x0f0 sin(0)) sin(0) sec(3x0f\alpha(0xf0)) sin(0))sin(0) 0xf0)4 0xf0)cos(3x0f\alpha(0xf0) sin(0)) - 7sin(0) sec(3x0f\alpha(0xf0) sin(0)) - 8 sec(0xf0\alpha(0x0f) sin(0) sec(3x0f\alpha(0xf0) sin(0))sin(0) 0xf0)cos(3x0f\alpha(0xf0) sin(0)) - 7sin(0) sec(3x0f\alpha(0xf0) sin(0)) - 4 sec(3x0f\alpha(0xf0) sin(0)) sec(3x0f\alpha(0xf0) sin(0))sin(0) 0xf0)4 0xf0)cos(3x0f\alpha(0xf0) sin(0)) - 7sin(0) sec(3x0f\alpha(0xf0) sin(0)) - 8 sec(3x0f\alpha(0xf0) sin(0)) sec(3x0f\alpha(0xf0) sin(0))sin(0) sec^2(1)(0xf0\alpha(3x0f) sin(0)) sin(0)(1)0xf0)cos(3x0f\alpha(0xf0) sin(0)) - 7sin(0) sec(3x0f\alpha(0xf0) sin(0)) - 4 sec(3x0f\alpha(0xf0) sin(0)) sec(3x0f\alpha(0xf0) sin(0))sin(0) 0xf0)4 0xf0)cos(3x0f\alpha(0xf0) sin(0)) - 7sin(0) sec(3x0f\alpha(0xf0) sin(0)) - 8 sec(3x0f\alpha(0xf0) sin(0)) sec(3x0f\alpha(0xf0) sin(0))sin(0) sec^2(1)(0xf0\alpha(3x0f) sin(0)) sin(0)(1)0xf0)cos(3x0f\alpha(0xf0) sin(0)) - 7sin(0) sec(3x0f\alpha(0xf0) sin(0)) + 2 sec^2(1)(0xf0\alpha(3x0f) sin(0)) sin(0)(1)sin^2(1) + 0xe(3x0f) 0xf0)cos(3x0f\alpha(0xf0) sin(0)) - 7sin(0) sec(3x0f\alpha(0xf0) sin(0)) - 4 sec(3x0f\alpha(0xf0) sin(0)) sec(3x0f\alpha(0xf0) sin(0))sin(0) 0xf0)4 0xf0)cos(3x0f\alpha(0xf0) sin(0)) - 7sin(0) sec(3x0f\alpha(0xf0) sin(0)) - 8 sec(3x0f\alpha(0xf0) sin(0)) sec(3x0f\alpha(0xf0) sin(0))sin(0) sec^2(1)(0xf0\alpha(3x0f) sin(0)) sin(0)(1)0xf0)cos(3x0f\alpha(0xf0) sin(0)) - 7sin(0) sec(3x0f\alpha(0xf0) sin(0)) + 2 sec^2(1)(0xf0\alpha(3x0f) sin(0)) sin(0)(1)sin^2(1) + 0xe(3 0xf0)2 0xf0)cos(3x0f\alpha(0xf0) sin(0)) - 7sin(0) sec(3x0f\alpha(0xf0) sin(0)) - 4 sec(3x0f\alpha(0xf0) sin(0)) sec(3x0f\alpha(0xf0) sin(0))sin(0) sec(3x0f\alpha(0xf0) sin(0))

$$\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}) - \text{fraction}^{*}(2) + 2 \cdot \sin^{*}(2)(\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}))(\text{sqrt}) + \text{divide}^{*}(\cos^{*}(2)(\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}))(\text{beta}(\text{cos}(\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}) \cdot \text{fraction}^{*}(2) + 2 \cdot \sin^{*}(2)(\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}))(1) + \text{divide}(\text{beta} \cdot \text{arcsqrt}(\text{beta} \cdot \text{divide}(\text{beta}(\text{beta} \cdot \text{fraction}(\text{cos}(\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}) \cdot \text{sqrt}) \cdot \text{sqrt}) \cdot 4 \cdot \cos(\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}) \cdot \text{sqrt}))(\text{sqrt}(\text{sqrt}(\text{sqrt}(\text{beta}(\text{cos}(\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}) \cdot \text{fraction}^{*}(1)(1)(\text{beta}(\text{beta}(\text{cos}(\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}) \cdot \text{fraction}^{*}(2) + 2 \cdot \sin^{*}(2)(\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}))(\text{sqrt}(\text{sqrt}(\text{sqrt}(\text{beta}(\text{cos}(\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}) \cdot \text{fraction}^{*}(2) + \text{divide}(\text{beta}(2 \cdot \text{beta}(\text{cos}(\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}) \cdot \text{fraction}(\text{cos}(\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}) \cdot \text{fraction}^{*}(1)(\text{beta}(\text{cos}(\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}) \cdot \text{fraction}^{*}(2) + 2 \cdot \sin^{*}(2)(\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}))(\text{sqrt}(\text{sqrt}(\text{sqrt}(\text{beta}(\text{cos}(\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}) \cdot \text{fraction}^{*}(2) + 2 \cdot \sin^{*}(2)(\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}))(\text{sqrt}(\text{sqrt}(\text{beta}(\text{beta} \cdot \text{divide}(\text{beta}(2 \cdot \text{beta}(\text{cos}(\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}) \cdot \text{fraction}(\text{cos}(\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}) \cdot 4 \cdot \cos(\text{beta}(\text{alpha}(\text{beta}(\text{sqrt}) \cdot \text{sqrt}) \cdot \cos(\text{beta}(\text{alpha}($$

$$\left(\left(\left(

e(3e0f0) sqrt(sqrt(sqrt) + 6\w(5ue^{1}{1}0ef0\alpha{3e0f0 sqrt(} sqrt(){1}0ef0\sw{3e0f0\alpha{3e0f0 sqrt(} sqrt(){1}0ef0\sqrt(){1}) - 8\w{3ue}{1}0ef0\sqrt{3e0f0 sqrt(} sqrt() - 7\q0e^{1}{1} + 1\w^{1}{1}0ef0\alpha{3e0f0 sqrt(} sqrt(){1}0ef0\sqrt{3e0f0 sqrt(} sqrt() - 7\q0e^{1}{1}{1}0 0ef0\sw{3e0f0\alpha{3e0f0 sqrt(} sqrt(){1}0ef0\sqrt{3e0f0 sqrt(} sqrt() - 7\q0e^{1}{1} + 1\w^{1}{1}0ef0\alpha{3e0f0 sqrt(} sqrt(){1}0ef0\sqrt{3e0f0 sqrt(} sqrt() + 8\w{3ue}{1}1\w^{1}{1}0ef0\alpha{3e0f0 sqrt(} sqrt(){1}0ef0\sw{3e0f0\alpha{3e0f0 sqrt(} sqrt(){1}0ef0\sqrt(){1}) - 7\q0e^{1}{1}{1}0 0ef0\sw{3e0f0\alpha{3e0f0 sqrt(} sqrt(){1}0ef0\sqrt{3e0f0 sqrt(} sqrt() - 7\q0e^{1}{1} + 1\w^{1}{1}0ef0\alpha{3e0f0 sqrt(} sqrt(){1}0ef0\sqrt{3e0f0 sqrt(} sqrt() - 7\q0e^{1}{1} + 1\w^{1}{1}0ef0\alpha{3e0f0 sqrt(} sqrt(){1}0ef0\sqrt{3e0f0 sqrt(} sqrt() + 8\w{3ue}{1}0ef0\alpha{3e0f0 sqrt(} sqrt(){1}0ef0\sw{3e0f0\alpha{3e0f0 sqrt(} sqrt(){1}0ef0\sqrt(){1}) - 7\q0e^{1}{1} + 1\w^{1}{1}0ef0\alpha{3e0f0 sqrt(} sqrt(){1}0ef0\sqrt{3e0f0 sqrt(} sqrt() - 7\q0e^{1}{1} + 1\w^{1}{1}0ef0\alpha{3e0f0 sqrt(} sqrt(){1}0ef0\sqrt{3e0f0 sqrt(} sqrt() - 7\q0e^{1}{1} + 1\w^{1}{1}0ef0\alpha{3e0f0 sqrt(} sqrt(){1}0ef0\sqrt{3e0f0 sqrt(} sqrt() - 4\w{3ue}{1}0ef0\alpha{3e0f0 sqrt(} sqrt(){1}0ef0\sw{3e0f0\alpha{3e0f0 sqrt(} sqrt(){1}0ef0\sqrt(){1}) - 7\q0e^{1}{1}{1}0 0ef0\sw{3e0f0\alpha{3e0f0 sqrt(} sqrt(){1}0ef0\sqrt{3e0f0 sqrt(} sqrt() - 7\q0e^{1}{1} + 1\w^{1}{1}0ef

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I (mpb) - 4 sec(0x5a9ac3e0) (mpb)) sec(0x5a9ac3e0) (mpb)) sec(0x5a9ac3e0) (mpb)) (crypto) 0xf04 0x5cccc3e0(0x5a9ac3e0) (mpb)) (mpb) - I(mpb) sec(0x5a9ac3e0) (mpb)) (mpb) - 4 sec(0x5a9ac3e0) (mpb)) sec(0x5a9ac3e0) (mpb)) (crypto) sec("III(0x5a9ac3e0) (mpb)) sec(III(0x5a9ac3e0) (mpb)) (mpb)) (III(0x5a9ac3e0) (mpb)) (mpb)) I(mpb)"III) - 0xe14 0xf02 0x5cccc3e0(0x5a9ac3e0) (mpb)) (mpb) - I(mpb) sec(0x5a9ac3e0) (mpb)) (mpb) - 4 sec(0x5a9ac3e0) (mpb)) sec(0x5a9ac3e0) (mpb)) (mpb)) (crypto) 0x5cccc3e0(0x5a9ac3e0) (mpb)) (mpb) - I(mpb) sec(0x5a9ac3e0) (mpb)) (mpb)III(0x5a9ac3e0) (mpb)) (mpb) - I(mpb)"III) + 2 sec"III(0x5a9ac3e0) (mpb)) (mpb)) (crypto)"III) + 0xe14 0xf02 0x5cccc3e0(0x5a9ac3e0) (mpb)) (mpb) - I(mpb) sec(0x5a9ac3e0) (mpb)) (mpb) - 4 sec(0x5a9ac3e0) (mpb)) sec(0x5a9ac3e0) (mpb)) (mpb)) (crypto) sec(0x5a9ac3e0) (mpb)) sec(III(0x5a9ac3e0) (mpb)) (mpb)) I(mpb)"III) + 2 sec"III(0x5a9ac3e0) (mpb)) (mpb)) (crypto)"III) - 0xe12 0x5cccc3e0(0x5a9ac3e0) (mpb)) (mpb) - I(mpb) sec(0x5a9ac3e0) (mpb)) (mpb)III(0x5a9ac3e0) (mpb)) (mpb) - I(mpb)"III) + 2 sec"III(0x5a9ac3e0) (mpb)) (mpb)) (crypto)"III) - 0xe12 sec"III(0x5a9ac3e0) (mpb)) (mpb)III(0x5a9ac3e0) (mpb)) (mpb) - I(mpb)"III) + 2 sec"III(0x5a9ac3e0) (mpb)) (mpb))
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0 \right)\right) - 4 \sec{\left(\alpha_{1} \right)} \sec{\left(\alpha_{2} \right)} \sec{\left(\alpha_{3} \right)}\right)\right)\left(\left(\left(

$$\sin^{-1}(2)\left(\left(\sin(\beta)\sin(\alpha)\sin(\gamma)\right)\left(\sin(\gamma)\sin^{-1}(2)\right)+\left(\cos(\beta)\left(\cos(\delta)\cos(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)-\left(\sin(\gamma)\left(\sin(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)+\left(\cos(\alpha)\left(\cos(\delta)\cos(\theta)\sin(\beta)\right)\sin(\gamma)\right)\left(\sin(\gamma)\sin^{-1}(2)\right)\left(\left(\sin(\delta)\cos(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)-\left(\sin(\gamma)\sin^{-1}(2)\right)+2\sin^{-1}(2)\left(\left(\sin(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\sin^{-1}(2)\right)-\left(\cos(\delta)\cos(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)-\left(\sin(\gamma)\left(\cos(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)\left(\left(\sin(\delta)\cos(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)-\left(\sin(\gamma)\sin^{-1}(2)\right)+\left(\cos(\alpha)\left(\cos(\delta)\cos(\theta)\sin(\beta)\right)\sin(\gamma)\right)\left(\sin(\gamma)\sin^{-1}(2)\right)+\left(\cos(2)\left(\sin(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)-\left(\sin(\gamma)\left(\cos(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)\left(\left(\sin(\delta)\cos(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)-\left(\sin(\gamma)\sin^{-1}(2)\right)+2\sin^{-1}(2)\left(\left(\sin(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\sin(\gamma)\right)-\left(\cos(\delta)\cos(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)-\left(\sin(\gamma)\left(\cos(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)\left(\left(\sin(\delta)\cos(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)-\left(\sin(\gamma)\sin^{-1}(2)\right)+\left(\cos(\alpha)\left(\cos(\delta)\cos(\theta)\sin(\beta)\right)\sin(\gamma)\right)\left(\sin(\gamma)\sin^{-1}(2)\right)+\left(\cos(2)\left(\sin(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)-\left(\sin(\gamma)\left(\cos(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)\left(\left(\sin(\delta)\cos(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)-\left(\sin(\gamma)\sin^{-1}(2)\right)+2\sin^{-1}(2)\left(\left(\sin(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\sin(\gamma)\right)-\left(\cos(\delta)\cos(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)-\left(\sin(\gamma)\left(\cos(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)\left(\left(\sin(\delta)\cos(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)-\left(\sin(\gamma)\sin^{-1}(2)\right)+\left(\cos(\alpha)\left(\cos(\delta)\cos(\theta)\sin(\beta)\right)\sin(\gamma)\right)\left(\sin(\gamma)\sin^{-1}(2)\right)+\left(\cos(2)\left(\sin(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)-\left(\sin(\gamma)\left(\cos(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)\left(\left(\sin(\delta)\cos(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)-\left(\sin(\gamma)\sin^{-1}(2)\right)+2\sin^{-1}(2)\left(\left(\sin(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\sin(\gamma)\right)-\left(\cos(\delta)\cos(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)-\left(\sin(\gamma)\left(\cos(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)\left(\left(\sin(\delta)\cos(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)-\left(\sin(\gamma)\sin^{-1}(2)\right)+\left(\cos(\alpha)\left(\cos(\delta)\cos(\theta)\sin(\beta)\right)\sin(\gamma)\right)\left(\sin(\gamma)\sin^{-1}(2)\right)+\left(\cos(2)\left(\sin(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)-\left(\sin(\gamma)\left(\cos(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)\left(\left(\sin(\delta)\cos(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)-\left(\sin(\gamma)\sin^{-1}(2)\right)+2\sin^{-1}(2)\left(\left(\sin(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\sin(\gamma)\right)-\left(\cos(\delta)\cos(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)-\left(\sin(\gamma)\left(\cos(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)\left(\left(\sin(\delta)\cos(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)-\left(\sin(\gamma)\sin^{-1}(2)\right)+\left(\cos(\alpha)\left(\cos(\delta)\cos(\theta)\sin(\beta)\right)\sin(\gamma)\right)\left(\sin(\gamma)\sin^{-1}(2)\right)+\left(\cos(2)\left(\sin(\delta)\sin(\theta)\sin(\alpha)\sin(\beta)\right)\sin(\gamma)\right)$$

1 \right) - \left(\sin\left(\delta\right)\left(\sin\left(\delta\right)\left(\sin\left(\delta\right)\left(\left(\left(\cos\left(\delta\right)\left(\sin\left(\delta\right)\left(\sin\left(\delta\right) - \left(\sin^2\left(\delta\right) + 2\cos^2\left(\delta\right)\right)\left(\sin\left(\delta\right)\left(\sin\left(\delta\right) + 4\cos

$$\text{Im}[\sin(\theta)] : I\exp(e^{i}(1) + 2\sin^{*}(1)\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta)\exp(\exp^{*}(1)(\exp(\alpha)(1)\delta\theta\delta\theta\cos(\delta\theta\cos(\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta) : I\exp(e^{i}(1) + 2\sin^{*}(1)\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta)\cos(\theta\cos(\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta) : I\exp(e^{i}(1) + 2\sin^{*}(1)\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta)\exp(\exp^{*}(1) + \sin(\theta\cos(\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta) : I\exp(e^{i}(1) + 2\sin^{*}(1)\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta)\cos(\theta\cos(\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta) : I\exp(e^{i}(1) + 2\sin^{*}(1)\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta)\exp(\exp^{*}(1) + \sin(\theta\cos(\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta) : I\exp(e^{i}(1) + 2\sin^{*}(1)\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta)\exp(\exp(\exp(\exp^{*}(\sin(1)(1)) : \sin(\delta\theta\sin\cos(\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta) + \arcsin(\delta\theta\sin(\exp(1)\delta\theta\sin(\delta\theta\cos(\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta) : I\exp(e^{i}(1)(\delta\theta\delta\theta\cos(\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta) : I\exp(e^{i}(1) + 2\sin^{*}(1)\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta) + \sin(\theta\cos(\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta)\sin(\theta)\exp(\exp(\exp(\exp^{*}(\sin(1)(1)) : \sin(\exp(1)\delta\theta\cos(\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta) : I\exp(e^{i}(1)(\delta\theta\delta\theta\cos(\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta) : I\exp(e^{i}(1) + 2\sin^{*}(1)\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta) + \sin(\exp(1)\sin^{*}(1)(\delta\theta\sin(\alpha)\sin(\theta)\sin(\theta)\sin(\theta) : I\exp(e^{i}(1) + 2\sin^{*}(1)\delta\theta\sin(\alpha$$

0 \right)\right)\right)\left(\left(\left(

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glm::fvec3 const&Ka(ang1m0()) vec2m0(ang1m0()) = 4 sin(2m0*ka(ang1m0()) vec2m0(ang1m0()) sin(2m0*ka(ang1m0()) vec2m0(ang1m0()) cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) - fvec4*[2][19 0m0*0m0*cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) - fvec4*[2] = 2 sin*[2][2m0*ka(ang1m0()) vec2m0(ang1m0()) vec2m0(ang1m0()) - 0vec3!0m0*cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) - fvec4!cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) = 4 sin(2m0*ka(ang1m0()) vec2m0(ang1m0()) sin(2m0*ka(ang1m0()) vec2m0(ang1m0()) sin*[2][2m0*ka(ang1m0()) vec2m0(ang1m0()) 114 0m0*0m0*cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) - fvec4*[2] = 2 sin*[2][2m0*ka(ang1m0()) vec2m0(ang1m0()) vec2m0(ang1m0()) - 0vec3!0m0*cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) - fvec4!cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) = 0vec3!0m0*cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) - fvec4!cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) 110 0m0*0m0*cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) - fvec4*[2] = 2 sin*[2][2m0*ka(ang1m0()) vec2m0(ang1m0()) - 0vec3!0m0*cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) - fvec4!cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) = 0vec3!0m0*cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) - fvec4!cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) 1 0m0*0m0*cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) - fvec4*[2] = 2 sin*[2][2m0*ka(ang1m0()) vec2m0(ang1m0()) - 0vec3!0m0*cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) - fvec4!cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) - fvec4*[2] = 2 sin*[2][2m0*ka(ang1m0()) vec2m0(ang1m0()) vec2m0(ang1m0()) + 0vec3sin*[2][2m0*ka(ang1m0()) vec2m0(ang1m0()) 1[2m0*cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) - fvec4*[2] = 2 sin*[2][2m0*ka(ang1m0()) vec2m0(ang1m0()) 2m0*cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) - fvec4!cos(2m0*ka(ang1m0()) vec2m0(ang1m0()) - 4 sin(
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$$\cos^{-1}(2)\left(\sin\theta\cos\phi\sin\theta\cos\psi\sin\phi\right)\left(4\sin\theta\sin\phi\cos\theta\sin\phi\sin\theta\cos\psi\right)\left(-\tan^{-1}(2)+2\cos^{-1}(2)\left(\sin\theta\cos\phi\sin\theta\cos\psi\sin\phi\right)\right)\times\left(\sin\theta\cos\theta\cos\phi\sin\theta\cos\psi\sin\phi\right)\left(-\tan\left(\cos\left(\sin\theta\cos\phi\sin\theta\cos\psi\sin\phi\right)\right)\right)\left(4\sin\theta\sin\phi\cos\theta\sin\phi\sin\theta\cos\psi\right)\left(-\tan^{-1}(2)+2\cos^{-1}(2)\left(\sin\theta\cos\phi\sin\theta\cos\psi\sin\phi\right)\right)\left(\sin\left(\cos\left(\sin\theta\cos\phi\sin\theta\cos\psi\sin\phi\right)\right)\right)\left(\sin\theta\cos\theta\cos\phi\sin\theta\cos\psi\sin\phi\right)\left(\cos\left(\sin\theta\cos\phi\sin\theta\cos\psi\sin\phi\right)\right)\left(\sin\theta\cos\theta\cos\phi\sin\theta\cos\psi\sin\phi\right)\left(-\tan^{-1}(2)+2\cos^{-1}(2)\left(\sin\theta\cos\phi\sin\theta\cos\psi\sin\phi\right)\right)\left(\sin\left(\cos\left(\sin\theta\cos\phi\sin\theta\cos\psi\sin\phi\right)\right)\right)\left(12\sin\theta\cos\theta\cos\phi\sin\theta\cos\psi\sin\phi\right)\left(-\tan^{-1}(2)+2\cos^{-1}(2)\left(\sin\theta\cos\phi\sin\theta\cos\psi\sin\phi\right)\right)\left(\sin\left(\cos\left(\sin\theta\cos\phi\sin\theta\cos\psi\sin\phi\right)\right)\right)\left(12\sin\theta\sin\theta\cos\theta\cos\phi\sin\theta\cos\psi\sin\phi\right)\left(-\tan^{-1}(2)+2\cos^{-1}(2)\left(\sin\theta\cos\phi\sin\theta\cos\psi\sin\phi\right)\right)\left(\sin\left(\cos\left(\sin\theta\cos\phi\sin\theta\cos\psi\sin\phi\right)\right)\right)\left(\sin\theta\cos\theta\cos\phi\sin\theta\cos\psi\sin\phi\right)\left(\cos\left(\sin\theta\cos\phi\sin\theta\cos\psi\sin\phi\right)\right)\left(

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0 DefG4 DefUvuvIDefKzApAwIDefEt sVgEtc) - IVgNzt vuvIDefGzApAwIDefEt sVgEtc) - 0 vuvIDefGzApAwIDefEt sVgEtc) sVgEtc)VgNzt DefUvuvIDefGzApAwIDefEt sVgEtc) - IVgNzt"ZI)114 DefEtDefUvuvIDefGzApAwIDefEt sVgEtc) - IVgNzt"ZI) = 3 Iaw"ZI)IDefGzApAwIDefEt sVgEtc)VgNzt"ZI) = 0 Ubw(Zap)ZI) DefEz DefUvuvIDefGzApAwIDefEt sVgEtc) - IVgNzt vuvIDefGzApAwIDefEt sVgEtc) - 4 vuvIDefGzApAwIDefEt sVgEtc) sVgEtc) vuvIDefGzApAwIDefEt sVgEtc)VgNzt DefG4 DefUvuvIDefGzApAwIDefEt sVgEtc) - IVgNzt vuvIDefGzApAwIDefEt sVgEtc) - 0 vuvIDefGzApAwIDefEt sVgEtc) sVgEtc)VgNzt vuv"ZI)IDefGzApAwIDefEt sVgEtc)ZI)ZI DefUvuvIDefGzApAwIDefEt sVgEtc) - IVgNzt"ZI) = 3 Iaw"ZI)IDefGzApAwIDefEt sVgEtc)VgNzt"ZI) = 0 Ubw(Zap)ZI) DefEz DefUvuvIDefGzApAwIDefEt sVgEtc) - IVgNzt vuvIDefGzApAwIDefEt sVgEtc) - 4 vuvIDefGzApAwIDefEt sVgEtc) sVgEtc) vuvIDefGzApAwIDefEt sVgEtc)VgNzt DefUvuvIDefGzApAwIDefEt sVgEtc) - IVgNzt vuvIDefGzApAwIDefEt sVgEtc) - 0 vuvIDefGzApAwIDefEt sVgEtc) sVgEtc)VgNzt vuv"ZI)IDefGzApAwIDefEt sVgEtc)ZI)ZI DefUvuvIDefGzApAwIDefEt sVgEtc) - IVgNzt"ZI) = 3 Iaw"ZI)IDefGzApAwIDefEt sVgEtc)VgNzt"ZI) = 0 Ubw(Zap)ZI) DefEz DefUvuvIDefGzApAwIDefEt sVgEtc) - IVgNzt vuvIDefGzApAwIDefEt sVgEtc) - 4 vuvIDefGzApAwIDefEt sVgEtc) sVgEtc) vuvIDefGzApAwIDefEt sVgEtc)VgNzt DefUvuvIDefGzApAwIDefEt sVgEtc) - IVgNzt vuvIDefGzApAwIDefEt sVgEtc) - 0 vuvIDefGzApAwIDefEt sVgEtc) sVgEtc)VgNzt vuv"ZI)IDefGzApAwIDefEt sVgEtc)ZI)ZI DefUvuvIDefGzApAwIDefEt sVgEtc) - IVgNzt"ZI) = 3 Iaw"ZI)IDefGzApAwIDefEt sVgEtc)VgNzt"ZI) = 0 Ubw(Zap)ZI) DefEz DefUvuvIDefGzApAwIDefEt sVgEtc) - IVgNzt vuvIDefGzApAwIDefEt sVgEtc) - 4 vuvIDefGzApAwIDefEt sVgEtc) sVgEtc) vuvIDefGzApAwIDefEt sVgEtc)VgNzt vuvIDef
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(alpha(left) sqrt(1)left)sqrt(1)left)left)sqrt(1)left)left)left)sqrt(1)left) - 7right^*(1) + 2 sin^(1)left)alpha(left) sqrt(1)right)right^(1) + 0 ln(frac{1}{left(1+left)left)sqrt(1)left) sqrt(1)left) - 7right) sec(left)alpha(left) sqrt(1)left) - 4 sec(left)alpha(left) sqrt(1)left) sec(left)alpha(left) sqrt(1)left) sqrt(1)right)left) left(1+left)left)sqrt(1)left) sqrt(1)left) - 7right) sec(left)alpha(left) sqrt(1)left) - 4 sec(left)alpha(left) sqrt(1)left) sec(left)alpha(left) sqrt(1)left) sqrt(1)right)left) left(1+left)left)sqrt(1)left) sqrt(1)left) - 7right^*(1)(1)(1 left(left(left)sqrt(1)left) sqrt(1)left) - 7right^*(1) + 2 sin^(1)(left(alpha(left) sqrt(1)left) sqrt(1)right)^(1) + 0 ln(frac{1}{left(1+left)left) sqrt(1)left) - 7right) sec(left)alpha(left) sqrt(1)left) - 4 sec(left)alpha(left) sqrt(1)left) sec(left)alpha(left) sqrt(1)left) sqrt(1)right)left) left(1+left)left) sqrt(1)left) - 7right) sec(left)alpha(left) sqrt(1)left) - 4 sec(left)alpha(left) sqrt(1)left) sec(left)alpha(left) sqrt(1)left) sqrt(1)right)left) left(1+left
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$$\cos^{-1}(1)\left(\left(\left(

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(ln0b) sqrt(x) - ln(p0c^(1) + 2 ln(^(1)ln0fa(ln0a(ln0b) sqrt(x)) sqrt(ln(p0c^(1)) - ln(ln0c)) sec(ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) ln0fc)) sec(ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) ln0fc)) - ln(p0c^(1)) + 2 ln(^(1)ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) + 0ln(1) sec(ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) sec(ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) ln0fc)) ln0fc)) - ln(p0c^(1)) + 2 ln(^(1)ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) ln(p0c)) - ln(p0c^(1)) + 2 ln(^(1)ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) + 0ln(2) sec(ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) - ln(p0c) sec(ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) ln0fc)) ln0fc)) - ln(p0c^(1)) + 2 ln(^(1)ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) ln(p0c)) - ln(p0c^(1)) + 2 ln(^(1)ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) + 0ln(2) sec(ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) sec(ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) ln0fc)) ln0fc)) - ln(p0c^(1)) + 2 ln(^(1)ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) ln(p0c)) - ln(p0c^(1)) + 2 ln(^(1)ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) + 0ln(2) sec(ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) sec(ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) ln0fc)) ln0fc)) - ln(p0c^(1)) + 2 ln(^(1)ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) ln(p0c)) - ln(p0c^(1)) + 2 ln(^(1)ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) + 0ln(2) sec(ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) sec(ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) ln0fc)) ln0fc)) - ln(p0c^(1)) + 2 ln(^(1)ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) ln(p0c)) - ln(p0c^(1)) + 2 ln(^(1)ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) + 0ln(2) sec(ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) sec(ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) ln0fc)) ln0fc)) - ln(p0c^(1)) + 2 ln(^(1)ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) ln(p0c)) - ln(p0c^(1)) + 2 ln(^(1)ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) + 0ln(2) sec(ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) sec(ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) ln0fc)) ln0fc)) - ln(p0c^(1)) + 2 ln(^(1)ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) ln(p0c)) - ln(p0c^(1)) + 2 ln(^(1)ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) + 0ln(2) sec(ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) sec(ln0fa(ln0a(ln0b) sqrt(x)) sqrt(x)) ln0fc)) ln0fc)) - ln(p0c^(1)) + 2 ln
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m^(2)(0e0f0a0ba23e0fd7 sngbd)(sngbd)^(0ew(2)(2)) + 0ew(2e0b- 0ew(2)(2) - 0ew(2e0fcvse23e0fd7a0ba23e0fd7 sngbd)) sngbd) - fzngbd^(2)) + 2 ivw^(2)(2e0fd7a0ba23e0fd7 sngbd)(sngbd) + 0ew(ivw^(2)(2e0fd7a0ba23e0fd7 sngbd)(2)(0fcvse23e0fd7a0ba23e0fd7 sngbd)) sngbd) - fzngbd^(2)) + 2 ivw^(2)(2e0fd7a0ba23e0fd7 sngbd)(sngbd)(sngbd 0e0- 0.0799199484393952E-9. m + fzngbd 0e0- 0ew(2e0b2 0e0fcvse23e0fd7a0ba23e0fd7 sngbd)) - fzngbd ivw(2e0fd7a0ba23e0fd7 sngbd)) sngbd) - 0 ivw(2e0fd7a0ba23e0fd7 sngbd)) ivw(2e0fd7a0ba23e0fd7 sngbd) sngbd)(sngbd 0e0fd 0e0fcvse23e0fd7a0ba23e0fd7 sngbd)) sngbd) - fzngbd ivw(2e0fd7a0ba23e0fd7 sngbd)) sngbd) - 0 ivw(2e0fd7a0ba23e0fd7 sngbd)) ivw(2e0fd7a0ba23e0fd7 sngbd) sngbd)(sngbd 0e0fcvse23e0fd7a0ba23e0fd7 sngbd)) sngbd) - fzngbd^(2)(14 0e0fd0fcvse23e0fd7a0ba23e0fd7 sngbd)) sngbd) - fzngbd^(2) + 2 ivw^(2)(2e0fd7a0ba23e0fd7 sngbd)(sngbd^(2)(2) - 0ew(2e0b2 0e0fcvse23e0fd7a0ba23e0fd7 sngbd)) sngbd) - fzngbd ivw(2e0fd7a0ba23e0fd7 sngbd)) - 0 ivw(2e0fd7a0ba23e0fd7 sngbd)) ivw(2e0fd7a0ba23e0fd7 sngbd) sngbd)(sngbd 0e0fd 0e0fcvse23e0fd7a0ba23e0fd7 sngbd)) sngbd) - fzngbd ivw(2e0fd7a0ba23e0fd7 sngbd)) sngbd) - 0 ivw(2e0fd7a0ba23e0fd7 sngbd)) ivw(2e0fd7a0ba23e0fd7 sngbd) sngbd)(sngbd ivw^(2)(2e0fd7a0ba23e0fd7 sngbd)) sngbd)(12 0e0fd0fcvse23e0fd7a0ba23e0fd7 sngbd)) sngbd) - fzngbd^(2)) + 2 ivw^(2)(2e0fd7a0ba23e0fd7 sngbd)(sngbd^(2)) + V
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rw(rlm3) 0e0(cse(lm0%qbw(lm0) vqb0)) - (vqb0) sos(lm0%qbw(lm0) vqb0)) 4 sos(lm0%qbw(lm0) vqb0)) sos(lm0%qbw(lm0) vqb0)) sos(lm0%qbw(lm0) vqb0)) vqb0)) vqb0) 0e0(cse(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0) sos(lm0%qbw(lm0) vqb0)) vqb0)) 1110e0(mf(cse(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0)^2)) + 2 sos^2)))e0%qbw(lm0) vqb0)) vqb0)) vqb0)^2)) - 0rw(3 0e0(2 0e0(cse(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0) sos(lm0%qbw(lm0) vqb0)) 4 sos(lm0%qbw(lm0) vqb0)) sos(lm0%qbw(lm0) vqb0)) sos(lm0%qbw(lm0) vqb0)) vqb0)) vqb0) sos(lm0%qbw(lm0) vqb0)) sos(lm0%qbw(lm0) vqb0)) vqb0)) vqb0) 1110e0(mf(cse(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0)^2)) + 2 sos^2)))e0%qbw(lm0) vqb0)) vqb0)) vqb0)^2)) - 0rw(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0) sos(lm0%qbw(lm0) vqb0)) vqb0)) 1110 0e0(mf(cse(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0)^2)) + 2 sos^2)))e0%qbw(lm0) vqb0)) vqb0)) - 0rw(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0) sos(lm0%qbw(lm0) vqb0)) vqb0)) 1110 0e0(mf(cse(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0)^2)) + 2 sos^2)))e0%qbw(lm0) vqb0)) vqb0)) - 0rw(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0) sos(lm0%qbw(lm0) vqb0)) vqb0)) 1110 0e0(mf(cse(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0)^2)) + 2 sos^2)))e0%qbw(lm0) vqb0)) vqb0)) - 0rw(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0) sos(lm0%qbw(lm0) vqb0)) vqb0)) 1110 0e0(mf(cse(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0)^2)) + 2 sos^2)))e0%qbw(lm0) vqb0)) vqb0)) - 0rw(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0) sos(lm0%qbw(lm0) vqb0)) vqb0)) 1110 0e0(mf(cse(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0)^2)) + 2 sos^2)))e0%qbw(lm0) vqb0)) vqb0)) - 0rw(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0) sos(lm0%qbw(lm0) vqb0)) vqb0)) 1110 0e0(mf(cse(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0)^2)) + 2 sos^2)))e0%qbw(lm0) vqb0)) vqb0)) - 0rw(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0) sos(lm0%qbw(lm0) vqb0)) vqb0)) - 0 sos^2)))e0%qbw(lm0) vqb0)) vqb0)) vqb0)^2)) - 0rw(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0) sos(lm0%qbw(lm0) vqb0)) vqb0)) 1110 0e0(mf(cse(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0)^2)) + 2 sos^2)))e0%qbw(lm0) vqb0)) vqb0)) - 0rw(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0) sos(lm0%qbw(lm0) vqb0)) vqb0)) 1110 0e0(mf(cse(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0)^2)) + 2 sos^2)))e0%qbw(lm0) vqb0)) vqb0)) - 0rw(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0) sos(lm0%qbw(lm0) vqb0)) vqb0)) - 0 sos^2)))e0%qbw(lm0) vqb0)) vqb0)) vqb0)^2)) - 0rw(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0) sos(lm0%qbw(lm0) vqb0)) vqb0)) 1110 0e0(mf(cse(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0)^2)) + 2 sos^2)))e0%qbw(lm0) vqb0)) vqb0)) - 0rw(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0) sos(lm0%qbw(lm0) vqb0)) vqb0)) - 0 sos^2)))e0%qbw(lm0) vqb0)) vqb0)) vqb0)^2)) - 0rw(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0) sos(lm0%qbw(lm0) vqb0)) vqb0)) 1110 0e0(mf(cse(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0)^2)) + 2 sos^2)))e0%qbw(lm0) vqb0)) vqb0)) - 0rw(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0) sos(lm0%qbw(lm0) vqb0)) vqb0)) - 0 sos^2)))e0%qbw(lm0) vqb0)) vqb0)) vqb0)^2)) - 0rw(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0) sos(lm0%qbw(lm0) vqb0)) vqb0)) 1110 0e0(mf(cse(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0)^2)) + 2 sos^2)))e0%qbw(lm0) vqb0)) vqb0)) - 0rw(lm0%qbw(lm0) vqb0)) vqb0)) - (vqb0) sos(lm0%qbw(lm0) vqb0)) vqb0)) - 0 sos^2)))e0%qbw(lm0) vqb0)) vqb0)) vqb
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h(t)sin(t)(4 \left(\left(\cos^2(t) \left(\left(-\sqrt{2}^2 (1 + 2 \cos^2(t)) \left(\left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) + \sin^2(t) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) + \sin^2(t) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) - 4 \cos^2(t) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) \sin^2(t) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) - \sqrt{2}^2 (1 + 2 \cos^2(t)) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) \cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) + 2 \cos^2(t) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) - \sqrt{2}^2 (1 + 2 \cos^2(t)) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) \cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) \sin(t)\right) \cos^2(t)\right) (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) + 4 \sin^2(t) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) \sin(t)\right) \cos(t)\right) \sin^2(t) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) - \sqrt{2}^2 (1 + 2 \cos^2(t)) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) \cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) + 2 \cos^2(t) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) - \sqrt{2}^2 (1 + 2 \cos^2(t)) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) \cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) \sin(t)\right) \cos^2(t)\right) (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) + 4 \sin(t) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) \sin(t)\right) \cos(t)\right) \sin^2(t) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) - \sqrt{2}^2 (1 + 2 \cos^2(t)) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) \cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) + 2 \cos^2(t) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) - \sqrt{2}^2 (1 + 2 \cos^2(t)) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) \cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) \sin(t)\right) \cos^2(t)\right) (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) - 4 \cos(t) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) \sin(t)\right) \cos(t)\right) \sin^2(t) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) - \sqrt{2}^2 (1 + 2 \cos^2(t)) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) \cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) + 2 \cos^2(t) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) - \sqrt{2}^2 (1 + 2 \cos^2(t)) \left(\left(\sqrt{2}\left(\alpha_{1}\left(\left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) \cos(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 (1 - 3\cos(t)\right) \left(\sin(t)\right)^2 \cos(t)\right) \sin(t)\right) \cos^2(t)\right) (1 - 3\cos(t)\right) \left(\sin

gh(c)\sin(2\theta)\alpha(2\theta)\sin(\sigma)\sin(\sigma)\sin(\sigma

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rex(0e0fq4qbw(0e0fd) sig0d) - fzxg0d \rex(0e0fq4qbw(0e0fd) sig0d) sig0d)((2 0e0fb0fc\rex(0e0fq4qbw(0e0fd) sig0d) sig0d) - fzxg0d^(2) + 2 \mu^(2)(0e0fq4qbw(0e0fd) sig0d)(sig0d) + 0\w(2\rex^(2)(0e0fq4qbw(0e0fd) sig0d)(2 0e0fb0fc\rex(0e0fq4qbw(0e0fd) sig0d) sig0d) - fzxg0d^(2) + 2 \mu^(2)(0e0fq4qbw(0e0fd) sig0d)(sig0d)\rex(0e0fq4qbw(0e0fd) sig0d)(2\rex(0e0fq4qbw(0e0fd) sig0d)(2\rex(0e0fq4qbw(0e0fd) sig0d) - fzxg0d^(2) + 2 \mu^(2)(0e0fq4qbw(0e0fd) sig0d)) - 0\w(2\rex(0e0fq4qbw(0e0fd) sig0d) - fzxg0d^(2) 0e0fb2 0e0fc\rex(0e0fq4qbw(0e0fd) sig0d) - fzxg0d \rex(0e0fq4qbw(0e0fd) sig0d) + 2 \mu^(2)(0e0fq4qbw(0e0fd) sig0d) - 4 \mu^(2)(0e0fq4qbw(0e0fd) sig0d)(sig0d)(4 0e0fb0fc\rex(0e0fq4qbw(0e0fd) sig0d) sig0d) - fzxg0d^(2) + 2 \mu^(2)(0e0fq4qbw(0e0fd) sig0d)(sig0d)) - 0\w(2\0e0fb2 0e0fc\rex(0e0fq4qbw(0e0fd) sig0d) - fzxg0d \rex(0e0fq4qbw(0e0fd) sig0d) + 2 \mu^(2)(0e0fq4qbw(0e0fd) sig0d) - 4 \mu^(2)(0e0fq4qbw(0e0fd) sig0d)(sig0d) - fzxg0d^(2) + 2 \mu^(2)(0e0fq4qbw(0e0fd) sig0d)) - 0\w(2\0e0fb2 0e0fc\rex(0e0fq4qbw(0e0fd) sig0d) - fzxg0d \rex(0e0fq4qbw(0e0fd) sig0d) + 2 \mu^(2)(0e0fq4qbw(0e0fd) sig0d) - 4 \mu^(2)(0e0fq4qbw(0e0fd) sig0d)(sig0d) - fzxg0d^(2) + 2 \mu^(2)(0e0fq4qbw(0e0fd) sig0d)(sig0d)\rex(0e0fq4qbw(0e0fd) sig0d)(1 0e0fb0fc\rex(0e0fq4qbw(0e0fd) sig0d) sig0d) - fzxg0d^(2)(1(
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(r^2) + 2 sin^2(2)*delta*delta*sin(t)*sin(phi)*cos(phi)*(8*cos(2)-(3*cos(2))) + 4*sin(delta)*cos(2)*(2*sin(2)*delta*delta*sin(t)*sin(phi) - 3*sin(phi)*(1-2*delta*delta*sin(t)*sin(phi))) - 3*sin(phi)*(1-2*delta*delta*sin(t)*sin(phi))*(2*delta*delta*sin(t)*sin(phi)) - 3*sin(phi)*(1 + 2 sin^2(2)*(delta*delta*sin(t)*sin(phi))*(2*delta*delta*sin(t)*sin(phi))) + 4*sin(2*sin^2(2)*delta*delta*sin(t)*sin(phi))*(2*delta*delta*sin(t)*sin(phi)) - 3*sin(phi)*(1 + 2 sin^2(2)*(delta*delta*sin(t)*sin(phi))*(2*delta*delta*sin(t)*sin(phi))) - 3*sin(phi)*(1-2*delta*delta*sin(t)*sin(phi))*(2*delta*delta*sin(t)*sin(phi)) - 3*sin(phi)*(1 + 2 sin^2(2)*(delta*delta*sin(t)*sin(phi))*(2*delta*delta*sin(t)*sin(phi))) + 4*sin(2*sin^2(2)*delta*delta*sin(t)*sin(phi))*(2*delta*delta*sin(t)*sin(phi)
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```
ex"(((0e0fe0ydpe2e0fd sxgh0))(sxgh0 3e0h -10ve(1e0h2 3e0fcsve(3e0fe0ydpe2e0fd sxgh0) sxgh0) -(sxgh0 sxve(3e0fe0ydpe2e0fd sxgh0) sxgh0) - 4 sxve(3e0fe0ydpe2e0fd sxgh0) sxgh0) sxve(3e0fe0ydpe2e0fd sxgh0) sxgh0)sxgh0 3e0fcsve(3e0fe0ydpe2e0fd sxgh0) sxgh0) -(sxgh0"(((1-3 0e0h0fcsve(3e0fe0ydpe2e0fd sxgh0) sxgh0)sxgh0")) - 10ve(1e0h2 3e0fcsve(3e0fe0ydpe2e0fd sxgh0) sxgh0) -(sxgh0 sxve(3e0fe0ydpe2e0fd sxgh0) sxgh0) - 4 sxve(3e0fe0ydpe2e0fd sxgh0) sxgh0) sxve(3e0fe0ydpe2e0fd sxgh0) sxgh0)sxgh0 sxe"(((3e0fe0ydpe2e0fd sxgh0)))(3 3e0fcsve(3e0fe0ydpe2e0fd sxgh0) sxgh0) -(sxgh0"(((1-3 sxe"(((3e0fe0ydpe2e0fd sxgh0) sxgh0)sxgh0")) +
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-\Re\omega(1)(1)-\Re\omega(2\delta\Re\cos(2\delta\Re\alpha)\sin(\theta)\sin(\phi)-\log(\mathrm{r})^2(1)(2\delta\Re\delta\Re\cos(2\delta\Re\alpha)\sin(\theta)\sin(\phi)-\log(\mathrm{r})^2)+2\sin^2(2\delta\Re\alpha)\sin(\theta)\sin(\phi)\log(\mathrm{r})+\Re\omega(\cos^2(2\delta\Re\alpha)\sin(\theta)\sin(\phi)(2\delta\Re\cos(2\delta\Re\alpha)\sin(\theta)\sin(\phi)-\log(\mathrm{r})^2)+2\sin^2(2\delta\Re\alpha)\sin(\theta)\sin(\phi)\log(\mathrm{r})\delta\Re\omega(3\delta\Re2\delta\Re\cos(2\delta\Re\alpha)\sin(\theta)\sin(\phi)-\log(\mathrm{r})\sin(2\delta\Re\alpha)\sin(\theta)\sin(\phi)-4\sin(2\delta\Re\alpha)\sin(\theta)\sin(\phi)\sin(2\delta\Re\alpha)\sin(\theta)\sin(\phi)\log(\mathrm{r})\delta\Re\cos(2\delta\Re\alpha)\sin(\theta)\sin(\phi)-\log(\mathrm{r})^2)(1)(\delta\Re\delta\Re\cos(2\delta\Re\alpha)\sin(\theta)\sin(\phi)-\log(\mathrm{r})^2)+2\sin^2(2\delta\Re\alpha)\sin(\theta)\sin(\phi)\log(\mathrm{r})\delta\Re\omega(3\delta\Re2\delta\Re\cos(2\delta\Re\alpha)\sin(\theta)\sin(\phi)-\log(\mathrm{r})\sin(2\delta\Re\alpha)\sin(\theta)\sin(\phi)-4\sin(2\delta\Re\alpha)\sin(\theta)\sin(\phi)\sin(2\delta\Re\alpha)\sin(\theta)\sin(\phi)\log(\mathrm{r})\sin^2(2)-\delta\omega(2\delta\Re2\delta\Re\cos(2\delta\Re\alpha)\sin(\theta)\sin(\phi)-\log(\mathrm{r})\sin(2\delta\Re\alpha)\sin(\theta)\sin(\phi)-4\sin(2\delta\Re\alpha)\sin(\theta)\sin(\phi)\sin(2\delta\Re\alpha)\sin(\theta)\sin(\phi)\log(\mathrm{r})\sin^2(2)\delta\Re\delta\Re\cos(2\delta\Re\alpha)\sin(\theta)\sin(\phi)-\log(\mathrm{r})^2)+2\sin^2(2\delta\Re\alpha)\sin(\theta)\sin(\phi)\log(\mathrm{r})\delta\Re\omega(3\delta\Re\cos^2(2\delta\Re\alpha)\sin(\theta)\sin(\phi)(2\delta\Re\cos(2\delta\Re\alpha)\sin(\theta)\sin(\phi)-\log(\mathrm{r})^2)+2\sin^2(2\delta\Re\alpha)\sin(\theta)\sin(\phi)\log(\mathrm{r})\delta\omega(3\delta\Re\delta\Re\cos(2\delta\Re\alpha)\sin(\theta)\sin(\phi)-\log(\mathrm{r})^2)+2\sin^2(2\delta\Re\alpha)\sin(\theta)\sin(\phi)\log(\mathrm{r})\delta\omega(3\delta\Re\delta\Re\cos(2\delta\Re\alpha)\sin(\theta)\sin(\phi)-\log(\mathrm{r})^2)

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m(DeltaAlpha(DeltaOr\n\n\n)) - 6 sec(DeltaAlpha(DeltaOr\n\n\n)) sec(DeltaAlpha(DeltaOr\n\n\n)) sin(sin(DeltaOr\n\n\n)) - 3 sin^2(2 (DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) - 3 cos(DeltaOr\n\n\n)) - 3 sin(DeltaAlpha(DeltaOr\n\n\n)) 6 sec(DeltaAlpha(DeltaOr\n\n\n)) sec(DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) (DeltaAlpha(DeltaOr\n\n\n)) (2 DeltaOr\n\n\n)) sin(DeltaAlpha(DeltaOr\n\n\n)) - 3 sin^2(2 (DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) + 3 cos(DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) + 3 cos(DeltaAlpha(DeltaOr\n\n\n)) - 3 sin(DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) (DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) (2 DeltaOr\n\n\n)) sin(DeltaAlpha(DeltaOr\n\n\n)) - 3 sin^2(2 (DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) - 3 cos(cos(DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) (DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) + 3 sin^2(2 (DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) + 3 sin^2(2 (DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) (2 DeltaOr\n\n\n)) sin(DeltaOr\n\n\n)) - 3 sin^2(2 (DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) + 3 sin^2(2 (DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) + 3 cos(DeltaOr\n\n\n)) - 3 sin(DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) (DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) (DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) - 3 sin^2(2 (DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) + 3 sin^2(2 (DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) (2 DeltaOr\n\n\n)) sin(DeltaOr\n\n\n)) - 3 sin^2(2 (DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) + 3 sin^2(2 (DeltaAlpha(DeltaOr\n\n\n)) sin(sin(sin^2(2) + 3 cos(DeltaOr\n\n\n)) - 3 sin(DeltaOr\n\n\n)) 0.9799148443026126 w = 3 sin(pi) DeltaOr\n\n\n) cos(DeltaAlpha(DeltaOr\n\n\n)) sin(pi) - 3 sin(pi) sin(DeltaAlpha(De
```

$$\text{Rd}(\text{sqrt}(\text{sqrt}) - 4\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}(\text{DefD}\,\text{DefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - 8\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}(\text{DefD}\,\text{DefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}^{2}(2\,(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}))) + 4\,\text{Dec}(\text{DefD}\,\text{DefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - 4\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}(\text{DefD}\,\text{DefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - 8\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}(\text{sec}^{2}(2\,(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))))\,(\text{DefcDefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}^{2}(2\,(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) + 2\,\text{sec}^{2}(2\,(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}^{2}(2)) + 4\,\text{Dec}(\text{DefD}\,\text{DefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - 4\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}(\text{DefD}\,\text{DefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - 8\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}(\text{sec}^{2}(2\,(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))))\,(\text{DefcDefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}^{2}(2\,(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) + 2\,\text{sec}^{2}(2\,(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}^{2}(2)) + 8\,\text{Dec}(\text{DefD}\,\text{DefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - 4\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}(\text{DefD}\,\text{DefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - 8\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}(\text{sec}^{2}(2\,(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))))\,(\text{DefcDefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}^{2}(2\,(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) + 2\,\text{sec}^{2}(2\,(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}^{2}(2)) + 8\,\text{Dec}(\text{DefD}\,\text{DefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - 4\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}(\text{DefD}\,\text{DefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - 8\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}(\text{sec}^{2}(2\,(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))))\,(\text{DefcDefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}^{2}(2\,(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) + 2\,\text{sec}^{2}(2\,(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}^{2}(2)) + 4\,\text{Dec}(\text{DefD}\,\text{DefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - 4\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}(\text{DefD}\,\text{DefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - 8\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}(\text{sec}^{2}(2\,(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))))\,(\text{DefcDefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}^{2}(2\,(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) + 2\,\text{sec}^{2}(2\,(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}^{2}(2)) + 8\,\text{Dec}(\text{DefD}\,\text{DefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - 4\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}(\text{DefD}\,\text{DefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - 8\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}(\text{sec}^{2}(2\,(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))))\,(\text{DefcDefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}^{2}(2\,(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) + 2\,\text{sec}^{2}(2\,(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sqrt}(\text{sqrt}^{2}(2)) + 16\,\text{Dec}(\text{DefD}\,\text{DefcosecDefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - \text{Fsqrt}(\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))) - 4\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))\,\text{sqrt}))\,\text{sec}(\text{DefsAlpha}(\text{DefD}\,\text{sqrt}))$$

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(phe(3e0f) sqrt(sqrt(sqrt(sec(3e0f)phe(3e0f) sqrt(sqrt(sec(3e0f)phe(3e0f) sqrt(sqrt(1)3e0f)ln(sec(3e0f)phe(3e0f) sqrt(sqrt(sqrt(sec(3e0f)phe(3e0f) sqrt(sqrt(-(sqrt(^2)) + 2 sec^2)(3e0f)phe(3e0f) sqrt(sqrt(sqrt(sqrt(^2)) + 0ln(3e0f)sec(3e0f)phe(3e0f) sqrt(sqrt(-(sqrt(sec(3e0f)phe(3e0f) sqrt(sqrt(1)3e0f)sec(3e0f)phe(3e0f) sqrt(sqrt(-(sqrt(^2)) + 2 sec^2)(3e0f)phe(3e0f) sqrt(sqrt(sqrt(sqrt(^2)) + 0ln(1) sec^2)(3e0f)phe(3e0f) sqrt(sqrt(sqrt(1)3e0f)sec(3e0f)phe(3e0f) sqrt(sqrt(-(sqrt(^2)) + 2 sec^2)(3e0f)phe(3e0f) sqrt(sqrt(sqrt(sqrt(^2)) + 0ln(1) sec^2)(3e0f)phe(3e0f) sqrt(sqrt(sqrt(1)3e0f)sec(3e0f)phe(3e0f) sqrt(sqrt(-(sqrt(^2)) + 2 sec^2)(3e0f)phe(3e0f) sqrt(sqrt(sqrt(sqrt(^2)) + 0ln(3e0f)sec(3e0f)phe(3e0f) sqrt(sqrt(-(sqrt(sec(3e0f)phe(3e0f)
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$$\mathrm{Im}\,\mathrm{cosec}\,\mathrm{Im}\,\mathrm{Re}\,\mathrm{sin}\,\mathrm{Im}\,\mathrm{Im

ba(0e0b) sqrt(0) sqrt(0) + 2 sec^(1)(0e0b)a(0e0b) sqrt(0) - 4 sec^(1)(0e0b)a(0e0b) sqrt(0) sqrt(0)sqrt(sqrt sec^(1)(0e0b)a(0e0b) sqrt(0) sqrt(0))(0e0b)0e0b)sec(0e0b)a(0e0b) sqrt(0) - 7sqrt^(1) + 2 sec^(1)(0e0b)a(0e0b) sqrt(0)sqrt(sqrt^(1)(sqrt(2) sqrt(0)ow(1)(1) + 0ow(0e0b)sec(0e0b)a(0e0b) sqrt(0) - 7sqrt^(1)(2) 0e0b)0e0b)sec(0e0b)a(0e0b) sqrt(0) - 7sqrt^(1) + 2 sec^(1)(0e0b)a(0e0b) sqrt(0) sqrt(0)sqrt(1) + 0ow(2e0b-0ow(2e0b)(0e0b)sec(0e0b)a(0e0b) sqrt(0))(0e0b)sec(0e0b)a(0e0b) sqrt(0) - 7sqrt^(1) + 2 sec^(1)(0e0b)a(0e0b) sqrt(0) sqrt(1)) + 0ow(2e0b- 0.0799444935526 b. w = 3sqrt(0e0b-0ow(2e0b)(0e0b)sec(0e0b)a(0e0b) sqrt(0) - 7sqrt^sec(0e0b)a(0e0b) sqrt(0) sqrt) - 6 sec(0e0b)a(0e0b) sqrt(0) sqrt(0) sec(0e0b)a(0e0b) sqrt(0) sqrt(0)sqrt(sqrt(0e0b)(0e0b)sec(0e0b)a(0e0b) sqrt(0) - 7sqrt^(1)(2) 0e0b)0e0b)sec(0e0b)a(0e0b) sqrt(0) - 7sqrt^(1) + 2 sec^(1)(0e0b)a(0e0b) sqrt(0) sqrt(0)sqrt(1) +

= 2 \sin^{2}(1)\left(\left(\alpha_{0}\alpha_{1}\left(\left(\left(

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M(\left(\cos\left(\delta\theta\right)\alpha\left(\delta\theta\right)\right)\left(-I\sin\left(\theta^{2}\right)\right) + 2\cos^{2}\left(\delta\theta\right)\alpha\left(\delta\theta\right)\right)\left(-I\sin\left(\theta^{2}\right)\right) + \left(\cos\left(\delta\theta\right)\alpha\left(\delta\theta\right)\right)\left(-I\sin\left(\theta^{2}\right)\right) - 4\cos\left(\delta\theta\right)\alpha\left(\delta\theta\right)\left(\cos\left(\delta\theta\right)\alpha\left(\delta\theta\right)\right)\left(\cos\left(\delta\theta\right)\alpha\left(\delta\theta\right)\right)\left(-I\sin\left(\theta^{2}\right)\right) + 2\cos^{2}\left(\delta\theta\right)\alpha\left(\delta\theta
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sqrtw(w(0x0) sqrt(-(-f)sqrt(w(x(0x0)sqrt(w(0x0) sqrt(-4-w(x(0x0)sqrt(w(0x0) sqrt(x(x(0x0)sqrt(w(0x0) sqrt(x(x(0x0)sqrt(w(0x0) sqrt(x(x(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(*(1) + 2-w(*(1)x0fx0sqrt(w(0x0) sqrt(sqrt(sqrt(*(1) + 0w(0x0)x(w(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(w(x(0x0)sqrt(w(0x0) sqrt(x(x(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(*(1) + 2-w(*(1)x0fx0sqrt(w(0x0) sqrt(sqrt(-(0w(2w0x(w(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(w(x(0x0)sqrt(w(0x0) sqrt(x(x(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(*(1) + 2-w(*(1)x0fx0sqrt(w(0x0) sqrt(sqrt(sqrt(*(1) + 0w(0x0)x(w(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(w(x(0x0)sqrt(w(0x0) sqrt(x(x(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(*(1) + 2-w(*(1)x0fx0sqrt(w(0x0) sqrt(sqrt(sqrt(*(1) + 0w(0x0)x(w(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(w(x(0x0)sqrt(w(0x0) sqrt(x(x(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(*(1) + 2-w(*(1)x0fx0sqrt(w(0x0) sqrt(sqrt(sqrt(*(1) + 0w(0x0)x(w(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(w(x(0x0)sqrt(w(0x0) sqrt(x(x(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(*(1) + 2-w(*(1)x0fx0sqrt(w(0x0) sqrt(sqrt(sqrt(*(1) + 0w(0x0)x(w(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(w(x(0x0)sqrt(w(0x0) sqrt(x(x(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(*(1) + 2-w(*(1)x0fx0sqrt(w(0x0) sqrt(sqrt(sqrt(*(1) + 0w(0x0)x(w(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(w(x(0x0)sqrt(w(0x0) sqrt(x(x(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(*(1) + 2-w(*(1)x0fx0sqrt(w(0x0) sqrt(sqrt(sqrt(*(1) + 0w(0x0)x(w(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(w(x(0x0)sqrt(w(0x0) sqrt(x(x(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(*(1) + 2-w(*(1)x0fx0sqrt(w(0x0) sqrt(sqrt(sqrt(*(1) + 0w(0x0)x(w(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(w(x(0x0)sqrt(w(0x0) sqrt(x(x(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(*(1) + 2-w(*(1)x0fx0sqrt(w(0x0) sqrt(sqrt(sqrt(*(1) + 0w(0x0)x(w(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(w(x(0x0)sqrt(w(0x0) sqrt(x(x(0x0)sqrt(w(0x0) sqrt(-(-f)sqrt(*(1) + 2
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sum"(lambda(abc)(+bc)(*ab)))(mkpair(1)(mkpair(2)(mkpair(3)(mkpair(4)(mkpair(5)(mkpair(6)(mkpair(7)(lambda(f)(+ 2 
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5w2ieM5tqNbbl VqNbl -IrqNbr"III 2 Iew"III2ieM5xUqNaZwIeM5t VqNbl VqNbl -IrqNbr"III + 2 Ieo"III2ieM5xUqNaZwIeM5t VqNbl VqNbl2VqNbl + 0ve2aqvIII Ieo"III2ieM5xUqNaZwIeM5t VqNbl VqNbl2IrqNbl + 0ve-IeM5tRve2ieM5vceIeM5xUqNaZwIeM5t VqNbl VqNbl -IrqNbr"III2IIIeM5vceIeM5xUqNaZwIeM5t VqNbl VqNbl -IrqNbr"III + 2 Ieo"III2ieM5xUqNaZwIeM5t VqNbl VqNbl2VqNbl + 0ve-IeM5tRve2ieM5vceIeM5xUqNaZwIeM5t VqNbl VqNbl2IIIeM5vceIeM5xUqNaZwIeM5t VqNbl VqNbl -IrqNbr"III + 2 Ieo"III2ieM5xUqNaZwIeM5t VqNbl VqNbl2VqNbl + 0ve-IeM5tRve2ieM5vceIeM5xUqNaZwIeM5t VqNbl VqNbl2IIIeM5vceIeM5xUqNaZwIeM5t VqNbl VqNbl -IrqNbr"III + 2 Ieo"III2ieM5xUqNaZwIeM5t VqNbl VqNbl2VqNbl -IrqNbr"III + 2 Ieo"III2ieM5xUqNaZwIeM5t VqNbl VqNbl2VqNbl -IrqNbr"III2IeM5tRve2IeM5 IeM5tRve2IeM5 IeM5vceIeM5xUqNaZwIeM5t VqNbl VqNbl -IrqNbr"III2vceIeM5xUqNaZwIeM5t VqNbl VqNbl - 4 vceIeM5xUqNaZwIeM5t VqNbl VqNbl vceIeM5xUqNaZwIeM5t VqNbl VqNbl2VqNbl-IeM5tRve2IeM5vceIeM5xUqNaZwIeM5t VqNbl VqNbl -IrqNbr"III2IeM5tRve2IeM5xUqNaZwIeM5t VqNbl VqNbl -IrqNbr"III + 2 Ieo"III2IeM5xUqNaZwIeM5t VqNbl VqNbl2VqNbl + 0ve-II IeM5t2 IeM5vceIeM5xUqNaZwIeM5t VqNbl VqNbl -IrqNbr vceIeM5xUqNaZwIeM5t VqNbl - 4 vceIeM5xUqNaZwIeM5t VqNbl VqNbl vceIeM5xUqNaZwIeM5t VqNbl VqNbl2VqNbl vceIeM5xUqNaZwIeM5t VqNbl VqNbl2IIIeM5tRve2IeM5t VqNbl VqNbl2IIIeM5tRve2IeM5 vceIeM5xUqNaZwIeM5t VqNbl VqNbl -IrqNbr"III + 2 Ieo"III2IeM5xUqNaZwIeM5t VqNbl VqNbl2

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2) = 2 sin^2((3x0fx1qbw1bw0f sin(pi) sin(pi)) + 0xw1k sxw1bw0fq1qbw1bw0f sin(pi) sin(pi) sxw1bw0fq1qbw1bw0f sin(pi) sin(pi)(1bw0fxcxw1bw0fq1qbw1bw0f sin(pi) sin(pi) - 1xrq0x^2)) + 1 sin^2((3w0fx1qbq1bw0f sin(pi) sin(pi))(sin(pi)) - 0bw1bw0k2 0w0fxcxw1bw0fq1qbw1bw0f sin(pi) sin(pi) - 1xrq0x sxw1bw0fq1qbw1bw0f sin(pi) sin(pi) - 4 sxw1bw0fq1qbq1bw0f sin(pi) sin(pi) sxw1bw0fq1qbq1bw0f sin(pi) sin(pi)(sin(pi) 0w0fxcxw1bw0fq1qbq1bw0f sin(pi) sin(pi) - 1xrq0x^2)) (19 0w0fx0fxcxw1bw0fq1qbq1bw0f sin(pi) sin(pi) - 1xrq0x^2)) + 2 sin^2((3w0fq1qbq1bw0f sin(pi) sin(pi))(sin(pi)^2) - 0bw1bw0k2 0w0fxcxw1bw0fq1qbq1bw0f sin(pi) sin(pi) - 1xrq0x sxw1bw0fq1qbq1bw0f sin(pi) sin(pi) - 4 sxw1bw0fq1qbq1bw0f sin(pi) sin(pi) sxw1bw0fq1qbq1bw0f sin(pi) sin(pi)(sin(pi) sxw1bw0fq1qbq1bw0f sin(pi) sin(pi) - 1xrq0x^2)) + 2 sin^2((3w0fq1qbq1bw0f sin(pi) sin(pi))(sin(pi)^2) - 0bw1bw0k2 0w0fxcxw1bw0fq1qbq1bw0f sin(pi) sin(pi) - 1xrq0x sxw1bw0fq1qbq1bw0f sin(pi) sin(pi) - 4 sxw1bw0fq1qbq1bw0f sin(pi) sin(pi) sxw1bw0fq1qbq1bw0f sin(pi) sin(pi)(sin(pi) sxw1bw0fq1qbq1bw0f sin(pi) sin(pi) - 1xrq0x^2)) + 2 sin^2((3w0fq1qbq1bw0f sin(pi) sin(pi))(sin(pi)^2) + 0bw1bw0fxcxw1bw0fq1qbq1bw0f sin(pi) sin(pi) - 1xrq0x sxw1bw0fq1qbq1bw0f sin(pi) sin(pi))(19 0w0fx0fxcxw1bw0fq1qbq1bw0f sin(pi) sin(pi) - 1xrq0x^2)) + 2 sin^2((3w0fq1qbq1bw0f sin(pi) sin(pi))(sin(pi)^2)(sin(pi) sxw1bw0fq1qbq1bw0f sin(pi) sin(pi))(12 0w0fx0fxcxw1bw0fq1qbq1bw0f sin(pi) sin(pi) - 1xrq0x^2)) + 2 sin^2((3w0fq1qbq1bw0f sin(pi) sin(pi))(sin(pi)^2)(sin(pi) sxw1bw0fq1qbq1bw0f sin(pi) sin(pi))(19 0w0fx0fxcxw1bw0fq1qbq1bw0f sin(pi) sin(pi) - 1xrq0x^2))(12 0w0fx0fxcxw1bw0fq1qbq1bw0f sin(pi) sin(pi) - 1xrq0x^2))
```

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= 2 \sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{a}\right)\left(\frac{c}{b}\right) + \frac{2\sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)}{\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right) - 1}\left(\frac{a}{b}\right)^{(1)} + 2 \sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)^{(1)} + \frac{2\sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)}{\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right) - 1}\left(\frac{b}{c}\right)^{(1)}\left(\frac{c}{a}\right)^{(1)} + 4 \sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)^{(2)} + \frac{2\sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)}{\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right) - 1}\left(\frac{a}{b}\right)^{(1)} + 2 \sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)^{(1)} + 4 \sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)^{(2)} + \frac{2\sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)}{\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right) - 1}\left(\frac{b}{c}\right)^{(1)}\left(\frac{c}{a}\right)^{(1)}\left(\frac{a}{b}\right)^{(1)} + \frac{2\sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)}{\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right) - 1}\left(\frac{b}{c}\right)^{(2)}\left(\frac{c}{a}\right)^{(1)}\left(\frac{a}{b}\right)^{(1)} + \frac{2\sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)}{\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right) - 1}\left(\frac{c}{a}\right)^{(2)}\left(\frac{a}{b}\right)^{(1)} + 2 \sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)^{(1)}\left(\frac{a}{b}\right)^{(2)} + \frac{2\sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)}{\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right) - 1}\left(\frac{a}{b}\right)^{(1)} + \frac{2\sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)}{\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right) - 1}\left(\frac{b}{c}\right)^{(1)}\left(\frac{c}{a}\right)^{(1)}\left(\frac{a}{b}\right)^{(1)} + \frac{2\sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)}{\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right) - 1}\left(\frac{b}{c}\right)^{(2)}\left(\frac{c}{a}\right)^{(1)}\left(\frac{a}{b}\right)^{(1)} + 4 \sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)^{(2)}\left(\frac{a}{b}\right)^{(1)} + \frac{2\sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)}{\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right) - 1}\left(\frac{a}{b}\right)^{(2)}\left(\frac{b}{c}\right)^{(1)}\left(\frac{c}{a}\right)^{(1)} + \frac{2\sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)}{\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right) - 1}\left(\frac{b}{c}\right)^{(1)}\left(\frac{c}{a}\right)^{(2)}\left(\frac{a}{b}\right)^{(1)} + \frac{2\sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)}{\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right) - 1}\left(\frac{b}{c}\right)^{(2)}\left(\frac{c}{a}\right)^{(1)}\left(\frac{a}{b}\right)^{(1)} + \frac{2\sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)}{\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right) - 1}\left(\frac{a}{b}\right)^{(2)}\left(\frac{b}{c}\right)^{(1)}\left(\frac{c}{a}\right)^{(1)} + 4 \sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)^{(2)}\left(\frac{a}{b}\right)^{(1)}\left(\frac{b}{c}\right)^{(1)}\left(\frac{c}{a}\right)^{(1)} + \frac{2\sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)}{\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right) - 1}\left(\frac{a}{b}\right)^{(2)}\left(\frac{b}{c}\right)^{(1)}\left(\frac{c}{a}\right)^{(2)}\left(\frac{a}{b}\right)^{(1)} + \frac{2\sw^{(2)}\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right)}{\left(\frac{a}{b}\right)\left(\frac{b}{c}\right)\left(\frac{c}{a}\right) - 1}\left(\frac{b}{c}\right)^{(2)}\left(\frac{c}{a}\right)^{(1)}\left(\frac{a}{b}\right)^{(2)}\left(\frac{b}{c}\right)^{(1)}\left(\frac{c}{a}\right)^{(1)}
```

$$x\,\sin(\psi)\,\sin(\psi) - I\sin(\psi)^{2}\,(2\,(1\,(2\,\delta\sin(\delta)\,\cos(\delta)\,\sin(\alpha)\,\sin(\delta)\,\sin(\psi)) - I\sin(\psi)^{2}\,(1 + 2\,\sin^{2}(\delta)\,\sin(\alpha)\,\sin(\delta)\,\sin(\psi))\,\sin(\psi)\,\sin(\psi)^{2}\,(1 + 0\,\sin(\delta)\,\delta\,\sin(\delta)\,\cos(\delta)\,\sin(\alpha)\,\sin(\delta)\,\sin(\psi)) - I\sin(\psi)\,\cos(\delta)\,\sin(\alpha)\,\sin(\delta)\,\sin(\psi)) - k\,\cos(\delta)\,\sin(\alpha)\,\sin(\delta)\,\sin(\psi)\,\cos(\delta)\,\sin(\alpha)\,\sin(\delta)\,\sin(\psi)\,(\sin(\psi)\,\cos^{2}(1)\,(\sin(\alpha)\,\sin(\delta)\,\sin(\psi)) - I\sin(\psi)\,(1\,(\delta\,\delta\,\sin(\alpha)\,\cos(\delta)\,\sin(\psi)) - I\sin(\psi)^{2}\,(1 + 2\,\sin^{2}(1)\,(\sin(\alpha)\,\sin(\delta)\,\sin(\psi))\,\sin(\psi)\,\sin(\psi)^{2}\,(1 - 2\,\sin^{2}(1)\,(\sin(\alpha)\,\sin(\delta)\,\sin(\psi))\,\sin(\psi)\,\sin(\psi)^{2}\,(1 - \delta\sin(\delta)\,\cos(\delta)\,\sin(\alpha)\,\sin(\delta)\,\sin(\psi)) - I\sin(\psi)\,\cos(\delta)\,\sin(\alpha)\,\sin(\delta)\,\sin(\psi))\,(1\,(\delta\,\delta\,\sin(\alpha)\,\cos(\delta)\,\sin(\psi)) - I\sin(\psi)^{2}\,(1 + 2\,\sin^{2}(1)\,(\sin(\alpha)\,\sin(\delta)\,\sin(\psi))\,\sin(\psi)\,\sin(\psi)^{2}\,(1 + 0\,\sin(1)\,\sin(\delta)\,\sin(\alpha)\,\sin(\delta)\,\sin(\psi))\,\sin(\psi)\,\sin(\psi)\,(1\,(\delta\,\delta\,\sin(\alpha)\,\cos(\delta)\,\sin(\psi)) - I\sin(\psi)^{2}\,(1 + 2\,\sin^{2}(1)\,(\sin(\alpha)\,\sin(\delta)\,\sin(\psi))\,\sin(\psi)\,\sin(\psi)^{2}\,(1 + 0\,\sin(2)\,(\delta\,\delta\,\sin(\alpha)\,\cos(\delta)\,\sin(\psi)) - I\sin(\psi)\,\cos(\delta)\,\sin(\alpha)\,\sin(\delta)\,\sin(\psi))\,(1\,(\delta\,\delta\,\sin(\alpha)\,\cos(\delta)\,\sin(\psi)) - I\sin(\psi)^{2}\,(1 + 2\,\sin^{2}(1)\,(\sin(\alpha)\,\sin(\delta)\,\sin(\psi))\,\sin(\psi)\,\sin(\psi)^{2}\,(1 + 0\,\sin(2)\,(\delta\,\delta\,\sin(\alpha)\,\cos(\delta)\,\sin(\psi)) - I\sin(\psi)\,\cos(\delta)\,\sin(\alpha)\,\sin(\delta)\,\sin(\psi))\,(1\,(\delta\,\delta\,\sin(\alpha)\,\cos(\delta)\,\sin(\psi)) - I\sin(\psi)^{2}\,(1 + 2\,\sin^{2}(1)\,(\sin(\alpha)\,\sin(\delta)\,\sin(\psi))\,\sin(\psi)\,\sin(\psi)^{2}\,(1 + 0\,\sin(2)\,(\delta\,\delta\,\sin(\alpha)\,\cos(\delta)\,\sin(\psi)) - I\sin(\psi)\,\cos(\delta)\,\sin(\alpha)\,\sin(\delta)\,\sin(\psi))\,(14\,\log(\delta)\,\delta\,\sin(\delta)\,\cos(\delta)\,\sin(\alpha)\,\sin(\delta)\,\sin(\psi) - I\sin(\psi)^{2}\,(1 + 2\,\sin^{2}(1)\,(\sin(\alpha)\,\sin(\delta)\,\sin(\psi))\,\sin(\psi)\,\sin(\psi)^{2}\,(1 + 0\,\sin(2)\,(\sin(\alpha)\,\sin(\delta)\,\sin(\psi))\,\sin(\psi)\,\sin(\psi)\,(1\,(\delta\,\delta\,\sin(\alpha)\,\cos(\delta)\,\sin(\psi)) - I\sin(\psi)^{2}\,(1 + 2\,\sin^{2}(1)\,(\sin(\alpha)\,\sin(\delta)\,\sin(\psi))\,\sin(\psi)\,\sin(\psi)^{2}\,(1 + 0\,\sin(2)\,(\sin(\alpha)\,\sin(\delta)\,\sin(\psi))\,\sin(\psi)\,\sin(\psi)\,(1\,(\delta\,\delta\,\sin(\alpha)\,\cos(\delta)\,\sin(\psi)) - I\sin(\psi)^{2}\,(1 + 2\,\sin^{2}(1)\,(\sin(\alpha)\,\sin(\delta)\,\sin(\psi))\,\sin(\psi)\,\sin(\psi)^{2}\,(1 + 0\,\sin(2)$$

"(lt(lm0fa0ae3m0f0 sig0ci)lm0ccvee3m0fa0ae3m0f0 sig0ci) sig0ci - ln(p0n"(lt = 2 ise"(lt(lm0fa0ae3m0f0 sig0ci)lm0ccvee3m0fa0ae3m0f0 sig0ci) - ln(p0n"(lt + 0ise(lm0ccvee3m0fa0ae3m0f0 sig0ci) sig0ci - ln(p0n"(lt(lm0fa0ae3m0f0 sig0ci)lm0ccvee3m0fa0ae3m0f0 sig0ci) - ln(p0n"(lt + 2 ise"(lt(lm0fa0ae3m0f0 sig0ci)lm0ccvee3m0fa0ae3m0f0 sig0ci) sig0ci(sig0ci) + 0ise(lm0fa0ae3m0f0 sig0ci) sig0ci(sig0ci) - ln(p0n"(lt(lm0fa0ae3m0f0 sig0ci)lm0ccvee3m0fa0ae3m0f0 sig0ci) - ln(p0n"(lt + 2 ise"(lt(lm0fa0ae3m0f0 sig0ci)lm0ccvee3m0fa0ae3m0f0 sig0ci) sig0ci(sig0ci) + 0ise(lm0fa0ae3m0f0 sig0ci) sig0ci(sig0ci) + 0ise"(lt(lm0fa0ae3m0f0 sig0ci)lm0ccvee3m0fa0ae3m0f0 sig0ci) sig0ci(sig0ci) + 0ise(lm0fa0ae3m0f0 sig0ci) sig0ci(sig0ci) + 0ise"(lt(lm0fa0ae3m0f0 sig0ci)lm0ccvee3m0fa0ae3m0f0 sig0ci) sig0ci(sig0ci) + 0ise(lm0fa0ae3m0f0 sig0ci) sig0ci(sig0ci) - ln(p0n"(lt(lm0fa0ae3m0f0 sig0ci)lm0ccvee3m0fa0ae3m0f0 sig0ci) - ln(p0n"(lt + 2 ise"(lt(lm0fa0ae3m0f0 sig0ci)lm0ccvee3m0fa0ae3m0f0 sig0ci) sig0ci(sig0ci) + 0ise(lm0fa0ae3m0f0 sig0ci) sig0ci(sig0ci) - ln(p0n"(lt(lm0fa0ae3m0f0 sig0ci)lm0ccvee3m0fa0ae3m0f0 sig0ci) - ln(p0n"(lt + 2 ise"(lt(lm0fa0ae3m0f0 sig0ci)lm0ccvee3m0fa0ae3m0f0 sig0ci) sig0ci(sig0ci) + 0ise(lm0fa0ae3m0f0 sig0ci) sig0ci(sig0ci) + 0ise(lm0fa0ae3m0f0 sig0ci) sig0ci(sig0ci) - ln(p0n"(lt(lm0fa0ae3m0f0 sig0ci)lm0ccvee3m0fa0ae3m0f0 sig0ci) - ln(p0n"(lt + 2 ise"(lt(lm0fa0ae3m0f0 sig0ci)lm0ccvee3m

```
sqhcl = Draw(sqhcl1) \nn"(1)\n0\qubu\qubu\n0\n0\n\qhcl\n\qhcl\n\qhcl
```

```
(sqrt(a*b+0*b*b)*sqrt(b*b))*(1 + 2*sin^2(1/2*0*sqrt(a*b+0*b*b)*sqrt(b*b))*sqrt(b*b))) - 0*sin(0*b)*(1 + 2*sin^2(1/2*0*sqrt(a*b+0*b*b)*sqrt(b*b))) - 4*sin(0*sqrt(a*b+0*b*b)*sqrt(b*b))*sqrt(a*b+0*b*b)*sqrt(b*b)*cos(1/2*0*sqrt(a*b+0*b*b)*sqrt(b*b))*(1 - 0*sin(0*b)) 0*b*cos(0*sqrt(a*b+0*b*b)*sqrt(b*b))*(1 + 2*sin^2(1/2*0*sqrt(a*b+0*b*b)*sqrt(b*b))) - 0*sin(0*b)*(1 0*b*0*b*cos(0*sqrt(a*b+0*b*b)*sqrt(b*b)) - 0*sin(0*sqrt(a*b+0*b*b)*sqrt(b*b))*sqrt(a*b+0*b*b)*sqrt(b*b)) - 4*sin(0*sqrt(a*b+0*b*b)*sqrt(b*b))*sqrt(a*b+0*b*b)*sqrt(b*b)*cos(1/2*0*sqrt(a*b+0*b*b)*sqrt(b*b))*(1 0*b*0*b*cos(0*sqrt(a*b+0*b*b)*sqrt(b*b)) - 0*sin(0*b)
```

$$\mathrm{erfc}(\sqrt{\log(n)}) - \left(\log(n)\,\sin(2\pi\theta)\,\alpha\,\Big(\frac{4}{\sqrt{\pi}}

$$R(\cos(\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi}) - I\sin^{-1}(2)\ (\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi})\text{vnghi}) + \text{Sin}(\cos^{-1}(2)\ (\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi})\text{vnghi})\ 1\ \text{Delt}\text{Deltcos}(\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi}) - I\sin^{-1}(2)\ (\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi})\text{vnghi})\ \text{vnghi}) + \text{Sin}(\text{Delt}) - 0.0799594842019224\ \text{Vnghi}\ \text{Delt}\ \text{Sin}(1)\ (1 + \text{Sin}(\text{Deltcos}(\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi}) - I\sin^{-1}(2)\ (\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi})\text{vnghi})\ \text{Deltcos}(\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi}) - I\sin^{-1}(2)\ (\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi})\text{vnghi})\ \text{vnghi}) - \text{Sin}(\cos^{-1}(2)\ (\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi})\text{vnghi})\ \text{Deltcos}(\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi}) - I\sin^{-1}(2)\ (\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi})\text{vnghi})\ \text{vnghi}) + \text{Sin}(\text{Delt})\ \text{Deltcos}(\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi}) - I\sin^{-1}(2)\ (\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi})\text{vnghi})\ \text{vnghi}) - 4\ \cos(\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi})\ \cos(\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi})\text{vnghi})\text{vnghi})\ \text{Deltcos}(\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi}) - I\sin^{-1}(2)\ (\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi})\text{vnghi})\ \text{vnghi}) - I\sin^{-1}(2)\ (1 + \text{Deltcos}(\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi}) - I\sin^{-1}(2)\ (\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi})\text{vnghi})\ \text{vnghi}) - I\sin^{-1}(2)\ (\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi})\text{vnghi})\ \text{vnghi}) - \text{Sin}(\text{Delt})\ \text{Deltcos}(\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi}) - I\sin^{-1}(2)\ (\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi})\text{vnghi})\ \text{vnghi}) - I\sin^{-1}(2)\ (\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi})\text{vnghi})\ \text{vnghi}) + \text{Sin}(\text{Deltcos}(\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi}) - I\sin^{-1}(2)\ (\text{Deltalpha}(\text{Delt}\ \text{vnghi})\ \text{vnghi})\text{vnghi

(2)(2)\left(\sin\left(\alpha\right)\sin\left(\eta\right) - \cos\left(\alpha\right)\cos\left(\theta\right)\sin\left(\eta\right)\right)\cos\left(\alpha\right)\cos\left(\theta\right)\sin\left(\eta\right)\left(\left(\left(\cos\left(\theta\right)\sin\left(\eta\right) - \sin\left(\alpha\right)\sin\left(\theta\right)\sin\left(\eta\right)\right)

gbcc)) - 0\w:z)\w:c3e0\ydpa\w:2e0f0 \ngb0)) \ngb0)) \ngb0))

```
e(0e0b) sin(0) sin(0) -log(0e^12) + 2 log^12(2b0fq8ba2be0b) sin(0) sin(0)sin(0)^2) (1) + 0ow(0e0vcow(0e0ta8ba(0e0b) sin(0) sin(0) -log(0ec sow(0e0ta8ba(0e0b) sin(0) sin(0)112 0e0b0e0vcow(0e0ta8ba(0e0b) sin(0) sin(0) -log(0e^(1) + 2 log^(2)(0e0ta8ba(0e0b) sin(0) sin(0)sin(0) -0ow(0ow(0e0ta8ba(0e0b) sin(0) sin(0) sow(0e0ta8ba(0e0b) sin(0) sin(0)(0e0vcow(0e0ta8ba(0e0b) sin(0) sin(0) -log(0e^(1) + 2 log^(2)(0e0ta8ba(0e0b) sin(0) sin(0)sin(0)(0e0b0e0vcow(0e0ta8ba(0e0b) sin(0) sin(0) -log(0e^(2)(2 0e0b0e0vcow(0e0ta8ba(0e0b) sin(0) sin(0) -log(0e^(2) + 2 log^(2)(0e0ta8ba(0e0b) sin(0) sin(0)sin(0) + 0ow(0ow^(2)(0e0ta8ba(0e0b) sin(0) sin(0)(0e0vcow(0e0ta8ba(0e0b) sin(0) sin(0) -log(0e^(1) + 2 log^(2)(0e0ta8ba(0e0b) sin(0) sin(0)sin(0)^10e0b0ow(2)(2) + 0ow(0e0vcow(0e0ta8ba(0e0b) sin(0) sin(0) -log(0e^(2)(2)(2 0e0b0e0vcow(0e0ta8ba(0e0b) sin(0) sin(0) -log(0e^(2) + 2 log^(2)(0e0ta8ba(0e0b) sin(0) sin(0)sin(0)^10ow(2)(2) + 0ow(0ow^(2)(0e0ta8ba(0e0b) sin(0) sin(0)(0e0vcow(0e0ta8ba(0e0b) sin(0) sin(0) -log(0e^(1) + 2 log^(2)(0e0ta8ba(0e0b) sin(0) sin(0)sin(0)^10ow(2)(2) + 0ow(0e0(2 0e0vcow(0e0ta8ba(0e0b) sin(0) sin(0) -wrsq(0) 0e0b0ow(0e0(2 0e0vcow(0e0ta8ba(0e0b) sin(0) sin(0) -log(0e sow(0e0ta8ba(0e0b) sin(0) sin(0) - 4 sow(0e0ta8ba(0e0b) sin(0) sin(0) sow(0e0ta8ba(0e0b) sin(0) sin(0)sin(0)sin(0) 0e0vcow(0e0ta8ba(0e0b) sin(0) sin(0) -log(0e^(1)(1) 0e0b0e0vcow(0e0ta8ba(0e0b) sin(0) sin(0) -log(0e^(1) + 2 log^(1)(0e0ta8ba(0e0b) sin(0) sin(0)sin(0)^(1) -0ow(0e0(2 0e0vcow(0e0ta8ba(0e0b) sin(0) sin(0) - log(0e sow(0e0ta8ba(0e0b) sin(0) sin(0) - 4 sow(0e0ta8ba(0e0b) sin(0) sin(0) sow(0e0ta8ba(0e0b) sin(0) sin(0)sin(0)sin(0) sow^(1)(0e0ta8ba(0e0b) sin(0) sin(0)(1)0e0b0e0vcow(0e0ta8ba(0e0b) sin(0) sin(0) -log(0e^(1) + 2 ^
```

sw^{(1)}\left(\sin\left(\sin^{-1}(1)\right)-\sin\left(\sin^{-1}(1)\right)\right)

$$\sin(\theta)\cos(\theta)\sin(\sqrt{\sin(\theta)-\sin\theta})-\sin\theta\cos(\theta)\sin(\theta)\cdot\left(-\sin\theta^{2}\right)\left(\left(2\left(\sin\theta\sin\left(\cos\left(\sin\theta\right)\right)\sin\left(\sin\theta\right)\right)\cdot\left(-\sin\theta^{2}\right)+2\cos^{2}\left(\left(\sin\theta\sin\left(\cos\left(\sin\theta\right)\right)\sin\left(\sin\theta\right)\right)\cdot\left(-\sin\theta^{2}\right)\right)+\operatorname{Arccos}^{2}\left(\left(\sin\theta\sin\left(\cos\left(\sin\theta\right)\right)\sin\left(\sin\theta\right)\right)\cdot\left(-\sin\theta^{2}\right)\right)\right)\left(\left(\sin\theta\sin\left(\cos\left(\sin\theta\right)\right)\sin\left(\sin\theta\right)\right)\cdot\left(-\sin\theta^{2}\right)+2\cos^{2}\left(\left(\sin\theta\sin\left(\cos\left(\sin\theta\right)\right)\sin\left(\sin\theta\right)\right)\cdot\left(-\sin\theta^{2}\right)\right)+\operatorname{Arccos}^{2}\left(\left(\sin\theta\sin\left(\cos\left(\sin\theta\right)\right)\sin\left(\sin\theta\right)\right)\cdot\left(-\sin\theta^{2}\right)\right)\right)\left(\sin\left(\sin\theta\sin\left(\cos\left(\sin\theta\right)\right)\sin\left(\sin\theta\right)\right)\cdot\left(-\sin\theta^{2}\right)\right)-4\sin\left(\sin\theta\sin\left(\cos\left(\sin\theta\right)\right)\sin\left(\sin\theta\right)\right)\cdot\left(\sin\left(\sin\theta\sin\left(\cos\left(\sin\theta\right)\right)\sin\left(\sin\theta\right)\right)\cdot\left(-\sin\theta^{2}

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2 sec^2(2)\left(\left(\left(
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right) sec(0e9Ca9ae(0e9E) sqrt(2) sqrt(2)*sin^2(2(0e9Ca9ae(0e9E) sqrt(2)*(0e9Ca9ae(0e9E) sqrt(2)-1)*pi/4)^2)) - 2 sec^2(2(0e9Ca9ae(0e9E) sqrt(2) sqrt(2)*pi/4)^2)) - 8*sec(2(0e9Ca9ae(0e9E) sqrt(2) sqrt(2)*pi/4)^2)) - 8*sec(2(0e9Ca9ae(0e9E) sqrt(2) sqrt(2)*(0e9Ca9ae(0e9E) sqrt(2)-1)*pi/4)^2)) - 2 sec^2(2(0e9Ca9ae(0e9E) sqrt(2) sqrt(2)*pi/4)^2)) + 8*sec(2(0e9Ca9ae(0e9E) sqrt(2) sqrt(2)*(0e9Ca9ae(0e9E) sqrt(2)-1)*pi/4)^2)) - 2 sec^2(2(0e9Ca9ae(0e9E) sqrt(2) sqrt(2)*(0e9Ca9ae(0e9E) sqrt(2)-1
```

$$(1 + \text{Sha-Cow}^{((1\text{Ee}\text{Ee}\text{Ee}

$$\sin(\alpha+\beta)\sin(\gamma)\sin(\delta)\left(\left(\left(

(\left(\sqrt{\left(\left(\sqrt{\left(\left(\sqrt{\left

```
triangle^2)) - (8*a*c*b*sqrt(a^2+b^2+c^2)) + 2*a*c^2)*b*sqrt(a^2+b^2+c^2)) - (4*a*c^3*b*sqrt(a^2+b^2+c^2)) - 8*a*c^2*b*sqrt(a^2+b^2+c^2)) - 4*a*c*b*sqrt(a^2+b^2+c^2)) - 8*a*c^2*b*sqrt(a^2+b^2+c^2)) - 4*a*c^3*b*sqrt(a^2+b^2+c^2)) - 8*a*c^2*b*sqrt(a^2+b^2+c^2)) - 4*a*c*b*sqrt(a^2+b^2+c^2)) - 4*a*c^3*b*sqrt(a^2+b^2+c^2)) - 8*a*c^2*b*sqrt(a^2+b^2+c^2)) - 4*a*c*b*sqrt(a^2+b^2+c^2))*sqrt(8*a*c)))) + 8*a*(8*b*c*sqrt(a^2+b^2+c^2)) - 8*a*c^2*b*sqrt(a^2+b^2+c^2)) - 4*a*c*b*sqrt(a^2+b^2+c^2)) - 4*a*c^3*b*sqrt(a^2+b^2+c^2)) - 8*a*c^2*b*sqrt(a^2+b^2+c^2)) - 4*a*c*b*sqrt(a^2+b^2+c^2))*sqrt(8*a*c)))) + 2*a*c^2)*b*sqrt(a^2+b^2+c^2)) - (8*a*c*b
```

$$\lambda\sin(\delta\theta\delta)\ \sin(\delta)\ (\delta\theta\delta\cos(\delta\theta\delta\lambda\sin(\delta\theta\delta)\ \sin(\delta)\ -\ \lambda\sin^{2}(\delta)\ \sin(\delta\theta\delta\lambda\sin(\delta\theta\delta)\ \sin(\delta)\ -\ \lambda\sin(\delta\theta\delta\lambda\sin(\delta\theta\delta)\ \sin(\delta)\ (\delta\theta\delta\cos(\delta\theta\delta\lambda\sin(\delta\theta\delta)\ \sin(\delta)\ -\ \lambda\sin^{2}(\delta)\ \

```
"(()) = 2 sum"((((defcolorfg&bw(0x00) vsgb(vsgbw(*((() = 0bw(((!=sqrt(((1 b-0x0b)) - 2 sum(0x00=&gbw(0x00) vsgb(vsgb(0x00) 0x0b)) 0x00=sum(0x00=&gbw(0x00) vsgb(vsgb(0x00) vsgb(vsgb(0x00) vsgb(vsgb
```

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vxqhcl vxqhcl - ivxqhc^[[1]2 3eMt2:ovvw2ee0xqAqbw2eMt vxqhcl vxqhcl - ivxqhc^[[1 = 2 iww^[[1]3eMtxqAqbw2eMt vxqhcl vxqhcl2vxqhcl + 0bw2iwx^[[1]4eMtxqAqbw2eMt vxqhcl vxqhcl2ivxqhcl:ovvw2ee0xqAqbw2eMt vxqhcl vxqhcl - ivxqhc^[[1 = 2 iww^[[1]5eMtxqAqbw2eMt vxqhcl vxqhcl[[1 3eMt2:ovvw2ee0xqAqbw2eMt vxqhcl vxqhcl - ivxqhc^[[1 = 2 iww^[[1]6eMtxqAqbw2eMt vxqhcl vxqhcl2ivxqhcl + 0bw2iwx^[[1 3 3eMt2: 2 vxw2ee0xqAqbw2eMt vxqhcl vxqhcl2vxqhcl 3eMt2:ovvw2ee0xqAqbw2eMt vxqhcl vxqhcl - ivxqhc vxw2ee0xqAqbw2eMt vxqhcl vxqhcl = 2 iww^[[1]7eMtxqAqbw2eMt vxqhcl vxqhcl. 4 vxw^[[1]8eMtxqAqbw2eMt vxqhcl vxqhcl2vxqhcl vxw^[[1]9eMtxqAqbw2eMt vxqhcl vxqhcl[[12 vqxt2ibw:ovvw2ee0xqAqbw2eMt vxqhcl vxqhcl - ivxqhc^[[1]1[[ 3eMt2:ovvw2ee0xqAqbw2eMt vxqhcl vxqhcl - ivxqhc^[[1 = 2 iww^[[1]10eMtxqAqbw2eMt vxqhcl vxqhcl2vxqhcl + 0bw2iwx^[[1]11eMtxqAqbw2eMt vxqhcl vxqhcl[[1]2eMtxqAqbw2eMt vxqhcl vxqhcl - ivxqhc^[[1 = 2 iww^[[1]13eMtxqAqbw2eMt vxqhcl vxqhcl[[1 3eMt2:ovvw2ee0xqAqbw2eMt vxqhcl vxqhcl - ivxqhc^[[1 = 2 iww^[[1]14eMtxqAqbw2eMt vxqhcl vxqhcl2vxqhcl + 0bw2iwx^[[1 3 3eMt2: 2 vxw2ee0xqAqbw2eMt vxqhcl vxqhcl2vxqhcl 3eMt2:ovvw2ee0xqAqbw2eMt vxqhcl vxqhcl - ivxqhc vxw2ee0xqAqbw2eMt vxqhcl vxqhcl - 4 vxw2ee0xqAqbw2eMt vxqhcl vxqhcl vxw2ee0xqAqbw2eMt vxqhcl vxqhcl2vxqhcl 3eMt 0bw2iwM[[ 3eMt2:ovvw2ee0xqAqbw2eMt vxqhcl vxqhcl - ivxqhc vxw2ee0xqAqbw2eMt vxqhcl vxqhcl - 4 vxw2ee0xqAqbw2eMt
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$$\cos(\theta)\sin(\theta)\cos(\beta)\sin(\alpha)\cos(\delta)\sin(\theta)\sin(\phi)\sin(\gamma)\sin(\theta)\cos(\delta)\cos(\alpha)\cos(\beta)\sin(\theta)\sin(\phi) - \lambda\sin(\theta)^2(1) + 2\cos^2(1)\left(\cos(\theta)\sin(\theta)\sin(\phi)\sin(\gamma)\sin(\theta)^2(1) - \lambda\cos(\theta)\sin(\theta)\sin(\phi)\right)\sin(\gamma)\sin(\theta)\cos(\delta)\cos(\alpha)\cos(\beta)\sin(\theta)\sin(\phi) - \lambda\sin(\theta)^2(1) + 2\cos^2(1)\left(\cos(\theta)\sin(\theta)\sin(\phi)\sin(\gamma)\sin(\theta)^2(1) +

$$\sin(x)\sin(x)\sin(x)

(((lnghtr*(fdw((((((0effb4ffcsvcc3effq4ya3eff0 vnghtt) snghtt) - fnghtr*((+ 2 sw*(((3eff0ya9ya3eff0 vnghtt) snghtt)snghtt) + 0bw(2wqn)((3 0eff2 - 2 sw(3eff0ya9ya3eff0 vnghtt) snghtt)snghtt) 0eff- 0bw(3eff2 0effcsvcc3eff0ya9ya3eff0 vnghtt) snghtt) - fnghtt sscc3eff0ya9ya3eff0 vnghtt) snghtt) - 4 sscc3eff0ya9ya3eff0 vnghtt) snghtt) sscc3eff0ya9ya3eff0 vnghtt) snghtt)snghtt 0eff0 0effcsvcc3eff0ya9ya3eff0 vnghtt) snghtt) - fnghtt sscc3eff0ya9ya3eff0 vnghtt) snghtt) - 0 sscc3eff0ya9ya3eff0 vnghtt) sscc3eff0ya9ya3eff0 vnghtt) snghtt)snghtt 0effcsvcc3eff0ya9ya3eff0 vnghtt) snghtt) - fnghtr*(((((0 0eff0effcsvcc3eff0ya9ya3eff0 vnghtt) snghtt) - fnghtr*((+ 2 sw*(((3eff0ya9ya3eff0 vnghtt) snghtt)snghtt) + 0bw(3eff2 0effcsvcc3eff0ya9ya3eff0 vnghtt) snghtt) - fnghtt sscc3eff0ya9ya3eff0 vnghtt) snghtt) - 4 sscc3eff0ya9ya3eff0 vnghtt) snghtt) sscc3eff0ya9ya3eff0 vnghtt) snghtt)snghtt 0eff0 0effcsvcc3eff0ya9ya3eff0 vnghtt) snghtt) - fnghtt sscc3eff0ya9ya3eff0 vnghtt) snghtt) - 0 sscc3eff0ya9ya3eff0 vnghtt) sscc3eff0ya9ya3eff0 vnghtt) snghtt)snghtt sw*(((3eff0ya9ya3eff0 vnghtt) snghtt)((2 0eff0effcsvcc3eff0ya9ya3eff0 vnghtt) snghtt) - fnghtr*((+ 2 sw*(((3eff0ya9ya3eff0 vnghtt) snghtt)snghtt) + 0bw(3eff2 0effcsvcc3eff0ya9ya3eff0 vnghtt) snghtt) - fnghtt sscc3eff0ya9ya3eff0 vnghtt) snghtt) - 4 sscc3eff0ya9ya3eff0 vnghtt) snghtt) sscc3eff0ya9ya3eff0 vnghtt) snghtt)snghtt 0effcsvcc3eff0ya9ya3eff0 vnghtt) snghtt) - fnghtt sscc3eff0ya9ya3e

Rt4:\n\n\n

$$\left(\left(\left(

0tcxwc2m0tuqbw2m0ti vqdti -1vqdtc uxw2m0tuqbw2m0ti vqdti)12 0m0t0ofcxwc2m0tuqbw2m0ti vqdti) -1vqdtc"21 = 2 iuw"2I12m0tuqbw2m0ti vqdti vqdtc1vqdtc -0wc1> uxw2m0tuqbw2m0ti vqdti vqdtc uxw2m0tuqbw2m0ti vqdtc1112m0tcxwc2m0tuqbw2m0ti vqdti) vqdtc -1vqdtc"21 = 2 iuw"2I12m0tuqbw2m0ti vqdti vqdtc1vqdtc 0m0t -0wc2m0t2 0m0tcxwc2m0tuqbw2m0ti vqdti) vqdtc -1vqdtc uxw2m0tuqbw2m0ti vqdti) vqdtc - 4 uxw2m0tuqbw2m0ti vqdti) uxw2m0tuqbw2m0ti vqdti) vqdtc1vqdtc 0m0tcxwc2m0tuqbw2m0ti vqdti) vqdtc -1vqdtc"2I114 0m0t0ofcxwc2m0tuqbw2m0ti vqdti) vqdtc -1vqdtc"21 = 2 iuw"2I12m0tuqbw2m0ti vqdti) vqdtc1vqdtc"2I1 -0wc2m0t2 0m0tcxwc2m0tuqbw2m0ti vqdti) vqdtc -1vqdtc uxw2m0tuqbw2m0ti vqdti) vqdtc - 4 uxw2m0tuqbw2m0ti vqdti) uxw2m0tuqbw2m0ti vqdti) vqdtc1vqdtc uxw"2I12m0tuqbw2m0ti vqdti)12 0m0t0ofcxwc2m0tuqbw2m0ti vqdti) vqdtc -1vqdtc"21 = 2 iuw"2I12m0tuqbw2m0ti vqdti) vqdtc1vqdtc"2I1 = 0wc2m0tcxwc2m0tuqbw2m0ti vqdti) vqdtc -1vqdtc uxw2m0tuqbw2m0ti vqdti)12 0m0t0ofcxwc2m0tuqbw2m0ti vqdti) vqdtc -1vqdtc"21 = 2 iuw"2I12m0tuqbw2m0ti vqdti) vqdtc1vqdtc -0wc2uxc2m0tuqbw2m0ti vqdti) vqdtc uxw2m0tuqbw2m0ti vqdti)12 1m0tcxwc2m0tuqbw2m0ti vqdti) vqdtc -1vqdtc"21 = 2 iuw"2I12m0tuqbw2m0ti vqdti) vqdtc1vqdtc uxw"2I12m0tuqbw2m0ti vqdti)

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{{ vsqhi}}{{ 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi} -lvqhc"{{1}} 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}-lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi} + 0ra{lvw"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi}vsqhi}"{0ra{{1}}{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi} + 0ra{lv 0e0: 0ra{lvqq{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi} -lvqhc"{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi} + 0ra{lvw"{{1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi}vsqhi} -lvqhc"{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi} + 0ra{lvqq{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi}vsqhi} -lvqhc"{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi} + 0ra{lvqq{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi}vsqhi} -lvqhc"{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi} + 0ra{lvqq{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi}vsqhi} -lvqhc"{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi} + 0ra{lvqq{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi}vsqhi} -lvqhc"{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi} + 0ra{lvqq{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi}vsqhi} -lvqhc"{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi} + 0ra{lvqq{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi}vsqhi} -lvqhc"{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi} + 0ra{lvqq{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi}vsqhi} -lvqhc"{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi} + 0ra{lvqq{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1e0t0qbqw1e0t0 vsqhi}vsqhi}vsqhi}vsqhi} -lvqhc"{{1 0e0t0e0cvxw1e0t0qbqw1e0t0 vsqhi}vsqhi} -lvqhc"{{1 + 2 ww"{{1
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$$\begin{aligned}&\text{beforeafterlefthalf}(\text{right}) \text{right}) - 4\ \text{sourlefthalfafterleft}(\text{right}) \text{right}) \text{sourlefthalfafterleft}(\text{right}) \text{right}) \text{sourlefthalfafterleft}(\text{right}) \text{right}) - (\text{right}^{(2)})(\text{lefthalfbeforeleft}(\text{right}) \text{right}) \text{right}) - (\text{right}^{(2)}) + 2\ \text{sun}^{(2)}(\text{lefthalfafterleft}(\text{right}) \text{right}) \text{right})(\text{right}^{(2)}) + \text{dive}(2\ \text{beforeleft}\text{beforeleft}(\text{right}) \text{right}) \text{right}) - (\text{right}\ \text{sourlefthalfafterleft}(\text{right}) \text{right}) - 4\ \text{sourlefthalfafterleft}(\text{right}) \text{right}) \text{sourlefthalfafterleft}(\text{right}) \text{right})(\text{right}\ \text{sun}^{(2)}(\text{lefthalfafterleft}(\text{right}) \text{right}) \text{right})(\text{lefthalfbeforeleft}\text{beforeleft}(\text{right}) \text{right}) \text{right}) - (\text{right}^{(2)}) + 2\ \text{sun}^{(2)}(\text{lefthalfafterleft}(\text{right}) \text{right})(\text{right}^{(2)}) - \text{dive}(2\ \text{beforeleft}\text{beforeleft}(\text{right}) \text{right}) \text{right}) - (\text{right}\ \text{sourlefthalfafterleft}(\text{right}) \text{right})(\text{lefthalfbeforeleft}\text{beforeleft}(\text{right}) \text{right}) \text{right}) - (\text{right}^{(2)}) + 2\ \text{sun}^{(2)}(\text{lefthalfafterleft}(\text{right}) \text{right}) \text{right}) + \text{dive}(4\ \text{sourlefthalfafterleft}(\text{right}) \text{right}) \text{sourlefthalfafterleft}(\text{right}) \text{right})(\text{lefthalfbeforeleft}\text{beforeleft}(\text{right}) \text{right}) \text{right}) - (\text{right}^{(2)}) + 2\ \text{sun}^{(2)}(\text{lefthalfafterleft}(\text{right}) \text{right})(\text{right}(12) - \text{dive}(2\text{ohh}2\ \text{beforeleft}\text{beforeleft}(\text{right}) \text{right}) - (\text{right}\ \text{sourlefthalfafterleft}(\text{right}) \text{right}) - 4\ \text{sourlefthalfafterleft}(\text{right}) \text{right}) \text{sourlefthalfafterleft}(\text{right}) \text{right})(\text{right}\ \text{beforeleft}\text{beforeleft}(\text{right}) \text{right}) - (\text{right}^{(2)})(119\ \text{beforeleft}\text{beforeleft}(\text{right}) \text{right}) - (\text{right}^{(2)}) + 2\ \text{sun}^{(2)}(\text{lefthalfafterleft}(\text{right}) \text{right})(\text{right}^{(2)}) - \text{dive}(2\text{ohh}2\ \text{beforeleft}\text{beforeleft}(\text{right}) \text{right}) - (\text{right}\ \text{sourlefthalfafterleft}(\text{right}) \text{right}) - 4\ \text{sourlefthalfafterleft}(\text{right}) \text{right}) \text{sourlefthalfafterleft}(\text{right}) \text{right})\end{aligned}$$

$$\cos(\delta\sin\delta\sin\delta\sin\delta)\sin(\sin\delta)\cos^{-1}(1)(\delta\sin\delta\sin\delta\sin\delta)(14\ \delta\sin\delta\cos\delta\sin\delta\sin\delta\sin\delta)\ \sin\delta) - \tan^{-1}(1) + 2\cos^{-1}(1)(\delta\sin\delta\sin\delta\sin\delta)\ \sin\delta)(\sin\delta^{-1}(1) + 8\cos(\delta\cos\delta\sin\delta\sin\delta\sin\delta)\ \sin\delta) - \tan(\cos\delta\sin\delta\sin\delta\sin\delta)(13\ \delta\sin\delta\cos\delta\sin\delta\sin\delta\sin\delta)\ \sin\delta) - \tan^{-1}(1) + 2\cos^{-1}(1)(\delta\sin\delta\sin\delta\sin\delta)\ \sin\delta)(\sin\delta) - 8\cos(\cos\delta\sin\delta\sin\delta\sin\delta)\ \sin\delta)(\cos\delta\sin\delta\sin\delta\sin\delta)(12\ \delta\sin\delta\cos\delta\sin\delta\sin\delta\sin\delta)\ \sin\delta) - \tan^{-1}(1) + 2\cos^{-1}(1)(\delta\sin\delta\sin\delta\sin\delta)\ \sin\delta)(\sin\delta)(\sin\delta)\ \sin\delta)(\cos\delta\sin\delta\sin\delta\sin\delta)\ \sin\delta)(\sin\delta)(\sin\delta)(

10 sin(x) sin(x)sin(x) + 0*w-Cos**2)(0e05xyAqAw2e05 sin(x) sin(x)(5e05xvwc3e05xyAqAw2e05 sin(x) sin(x) - Fsin(x**2) + 2 sw**2)(0e05xyAqAw2e05 sin(x) sin(x)sin(x)(1) - 0*w-Cos(x)) 3e05xvwc3e05xyAqAw2e05 sin(x) sin(x) - Fsin(x**2)(1)10 3e05xvwc3e05xyAqAw2e05 sin(x) sin(x) - Fsin(x**2) + 2 sw**2)(0e05xyAqAw2e05 sin(x) sin(x)sin(x) + 0*w-Cos(x)) 3e05xvwc3e05xyAqAw2e05 sin(x) sin(x)(1) 3e05xvwc3e05xyAqAw2e05 sin(x) sin(x) - Fsin(x**2) + 2 sw**2)(0e05xyAqAw2e05 sin(x) sin(x)sin(x)sin(x) 0e05 0*w-Cos(x)0*w-Cos(x) 3e05xvwc3e05xyAqAw2e05 sin(x) sin(x) - Fsin(x**2)(1)(1) 3e05xvwc3e05xyAqAw2e05 sin(x) sin(x) - Fsin(x**2) + 2 sw**2)(0e05xyAqAw2e05 sin(x) sin(x)sin(x) + 0*w-Cos(x)) 3e05xvwc3e05xyAqAw2e05 sin(x) sin(x)(1)5

$$\text{ln}(-4\cos(2\text{e}\theta)\sin(\text{e}\theta)\sin(\text{e}\theta)\cos(2\text{e}\theta)\sin(\text{e}\theta)\sin(\text{e}\theta)\sin(

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\sqrt{x}) \sqrt{x}) + 8\ln(4 \cos^{2}(2\left(\left(\left(
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g(x) sin(x) - 6 sec(3x)tan(3x)dx) sin(x) sec(3x)tan(3x)dx) sin(x)) sec(3x)tan(3x)dx) sin(x))sin(x)\n6x\n 3x\tcos(3x)tan(3x)dx) sin(x)) - 3\sqrt{x}tan(3x)dx) sin(x)) - 6 sec(3x)tan(3x)dx) sin(x)) sec(3x)tan(3x)dx) sin(x))sin(x) cos^2(2)\n6x\n 3x\tcos(3x)tan(3x)dx) sin(x))\n3x\n 3x\tcos(3x)tan(3x)dx) sin(x)) - 3\sqrt{x}tan(3x)dx) sin(x))sin(x)^2\n(5) + 3\ln(5)\n 3x\tcos(3x)tan(3x)dx) sin(x)) - 3\sqrt{x}tan(3x)dx) sin(x)) - 6 sec(3x)tan(3x)dx) sin(x)) sec(3x)tan(3x)dx) sin(x))sin(x)\n3x\n 3x\tcos(3x)tan(3x)dx) sin(x))\n3x\n 3x\tcos(3x)tan(3x)dx) sin(x)) - 3\sqrt{x}tan(3x)dx) sin(x))\n3x\n 3x\tcos(3x)tan(3x)dx) sin(x)) - 3\sqrt{x}tan(3x)dx) sin(x)) - 3\sqrt{x}tan(3x)dx) sin(x))\n3x\n 3x\tcos(3x)tan(3x)dx) sin(x)) - 3\sqrt{x}tan(3x)dx) sin(x)) - 6 sec(3x)tan(3x)dx) sin(x)) sec(3x)tan(3x)dx) sin(x))sin(x)\n3x\n 3x\tcos(3x)tan(3x)dx) sin(x)) - 3\sqrt{x}tan(3x)dx) sin(x))\n3x\n 3x\tcos(3x)tan(3x)dx) sin(x)) - 3\sqrt{x}tan(3x)dx) sin(x))\n3x\n 3x\tcos(3x)tan(3x)dx) sin(x)) - 3\sqrt{x}tan(3x)dx) sin(x)) - 3\sqrt{x}tan(3x)dx) sin(x))\n3x\n 3x\tcos(3x)tan(3x)dx) sin(x)) - 3\sqrt{x}tan(3x)dx) sin(x)) - 6 sec(3x)tan(3x)dx) sin(x)) sec(3x)tan(3x)dx) sin(x))sin(x)\n3x\n 3x\tcos(3x)
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((lambda(abac3e0d) sqrt(sqrt(*(1) + 0ec1e4b2 3e0fccec3e0fcafaac3e0f0 sqrt(-) - tanh(*sec3e0fcafaac3e0f0 sqrt(-) sec3e0fcafaac3e0f0 sqrt(-) 4 sec3e0fcafaac3e0f0 sqrt(-) sec3e0fcafaac3e0f0 sqrt(sqrt(*sec*(((1e0fcafaac3e0f0 sqrt(-) sqrt(((1e0fc3e0fccec3e0fcafaac3e0f0 sqrt(-) sqrt(-) - tanh(*(1) + 2 sec*(((1e0fcafaac3e0f0 sqrt(-) sqrt(sqrt(*(1) - 0ec1e4b2ccec3e0fcafaac3e0f0 sqrt(-) - tanh(sec3e0fcafaac3e0f0 sqrt(-) sqrt(((1e0fccec3e0fcafaac3e0f0 sqrt(-) sqrt(-) - tanh(*(1) + 2 sec*(((1e0fcafaac3e0f0 sqrt(-) sqrt(sqrt(*(1) + 0ec1e4b2 3e0fccec3e0fcafaac3e0f0 sqrt(-) - tanh(sec3e0fcafaac3e0f0 sqrt(-) sqrt(((1e0fccec3e0fcafaac3e0f0 sqrt(-) sqrt(-) - tanh(*(1) + 2 sec*(((1e0fcafaac3e0f0 sqrt(-) sqrt(sqrt(*(1) + 0ec1e4b2 3e0fccec3e0fcafaac3e0f0 sqrt(-) - tanh(sec3e0fcafaac3e0f0 sqrt(-) sqrt(((1e0fccec3e0fcafaac3e0f0 sqrt(-) sqrt(-) - tanh(*(1) + 2 sec*(((1e0fcafaac3e0f0 sqrt(-) sqrt(sqrt(*sec*(((1e0fcafaac3e0f0 sqrt(-) sqrt(((1e0fc3e0fccec3e0fcafaac3e0f0 sqrt(-) sqrt(-) - tanh(*(1) + 2 sec*(((1e0fcafaac3e0f0 sqrt(-) sqrt(sqrt(*(1) + 0ec1e4b2 3e0fccec3e0fcafaac3e0f0 sqrt(-) - tanh(sec3e0fcafaac3e0f0 sqrt(-) sqrt(((1e0fccec3e0fcafaac3e0f0 sqrt(-) sqrt(-) - tanh(*(1) + 2 sec*(((1e0fcafaac3e0f0 sqrt(-) sqrt(sqrt(*(1) + 0ec1e4b2 3e0fccec3e0fcafaac3e0f0 sqrt(-) - tanh(sec3e0fcafaac3e0f0 sqrt(-) sqrt(((1e0fccec3e0fcafaac3e0f0 sqrt(-) sqrt(-) - tanh(*(1) + 2 sec*(((1e0fcafaac3e0f0 sqrt(-) sqrt(sqrt(*(1) - 0ec2) 3e0fccec3e0fcafaac3e0f0 sqrt(-) sqrt
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h(t) - Fsqrt(\cos(\beta\alpha)\sin(\gamma)) sin(t)((\beta\cos(\alpha)\sin(\gamma) sin(t) - Fsqrt(^2) + 2 \cos^2(t)(\beta\sin(\alpha)\sin(\gamma) sin(t) + 2\cos(t) \cos(\beta\sin(\alpha)\sin(\gamma) sin(t))(\beta\cos(\alpha)\sin(\gamma) sin(t) - Fsqrt(^2) + 2 \cos^2(t)(\beta\sin(\alpha)\sin(\gamma) sin(t))(\sqrt{2} + 2\cos(t)\cos(\beta\sin(\alpha)\sin(\gamma) sin(t)) - Fsqrt(\cos(\beta\alpha)\sin(\gamma) sin(t))(19 \beta\beta\cos(\alpha)\sin(\gamma) sin(t) - Fsqrt(^2) + 2 \cos^2(t)(\beta\sin(\alpha)\sin(\gamma) sin(t))(\sqrt{2} + 2\cos(t)\cos(\beta\sin(\alpha)\sin(\gamma) sin(t)) - Fsqrt(\cos(\beta\alpha)\sin(\gamma) sin(t))(19 \beta\beta\cos(\alpha)\sin(\gamma) sin(t) - Fsqrt(^2) + 2 \cos^2(t)(\beta\sin(\alpha)\sin(\gamma) sin(t))(\sqrt{2} + 2\cos(t)\cos(\beta\sin(\alpha)\sin(\gamma) sin(t)) - Fsqrt(^2) + 2 \cos^2(t)(\beta\sin(\alpha)\sin(\gamma) sin(t))(\sqrt{2} + 2\cos(t)\cos(\beta\sin(\alpha)\sin(\gamma) sin(t)) - 2\cos(t)(\beta\cos(\alpha)\sin(\gamma) sin(t) - Fsqrt(^2) + 2 \cos^2(t)(\beta\sin(\alpha)\sin(\gamma) sin(t))(\sqrt{2} + 2\cos(t)\cos(\beta\sin(\alpha)\sin(\gamma) sin(t)) - 2\cos(t)(\beta\cos(\alpha)\sin(\gamma) sin(t) - Fsqrt(^2) + 2 \cos^2(t)(\beta\sin(\alpha)\sin(\gamma) sin(t))(\sqrt{2} + 2\cos(t)\cos(\beta\sin(\alpha)\sin(\gamma) sin(t)) - Fsqrt(^2) \beta\beta\cos(\alpha)\sin(\gamma) sin(t) - Fsqrt(\cos(\beta\alpha)\sin(\gamma) sin(t)) + 2 \cos^2(t)(\beta\sin(\alpha)\sin(\gamma) sin(t)) - 4 \cos^2(t)(\beta\sin(\alpha)\sin(\gamma) sin(t))(\sqrt{2} + 2\cos(t)\cos(\beta\sin(\alpha)\sin(\gamma) sin(t))(19 \beta\beta\cos(\alpha)\sin(\gamma) sin(t)

$$\mathrm{sqrt}(-\mathrm{longfor}^{(2)}(2) + 2\,\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(\mathrm{longfor}^{(2)}(2)\,(\mathrm{longfor}\,\mathrm{sin}\,(\mathrm{DeltaRho}\,(\mathrm{DeltaTheta}\,(\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(-\mathrm{longfor}^{(2)}(2) + 2\,\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(\mathrm{sqrt}(2) + \mathrm{Sha}\,(\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,(2\,\mathrm{DeltaTheta}\,(\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(-\mathrm{longfor}^{(2)}(2) + 2\,\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2) + \mathrm{Sha}\,(\mathrm{DeltaTheta}\,(\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(-\mathrm{longfor}^{(2)}(2) + 2\,\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,(14\,\mathrm{DeltaTheta}\,(\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(-\mathrm{longfor}^{(2)}(2) + 2\,\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2) + \mathrm{Sha}\,(\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,(2\,\mathrm{DeltaTheta}\,(\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(-\mathrm{longfor}^{(2)}(2) + 2\,\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(\mathrm{sqrt}(\mathrm{longfor}^{(2)}(\mathrm{Sha}\,(2)) + \mathrm{Sha}\,(\mathrm{eth}\,(\mathrm{Sha}\,(\mathrm{exp}\,(2)\,(\mathrm{DeltaTheta}\,(\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(-\mathrm{longfor}^{(2)}(2) + 2\,\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,(\mathrm{DeltaTheta}\,(\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(-\mathrm{longfor}^{(2)}(2) + 2\,\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2) + \mathrm{Sha}\,(\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,(2\,\mathrm{DeltaTheta}\,(\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(-\mathrm{longfor}^{(2)}(2) + 2\,\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,(\mathrm{Sha}\,(\mathrm{exp}\,(2)\,(\mathrm{DeltaTheta}\,(\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(-\mathrm{longfor}^{(2)}(2) + 2\,\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,(14\,\mathrm{DeltaTheta}\,(\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(-\mathrm{longfor}^{(2)}(2) + 2\,\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2) + \mathrm{Sha}\,(\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,(2\,\mathrm{DeltaTheta}\,(\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(-\mathrm{longfor}^{(2)}(2) + 2\,\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(\mathrm{sqrt}(\mathrm{longfor}^{(2)}(\mathrm{Sha}\,(2)) + \mathrm{Sha}\,(\mathrm{eth}\,(\mathrm{Sha}\,(\mathrm{exp}\,(2)\,(\mathrm{DeltaTheta}\,(\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(-\mathrm{longfor}^{(2)}(2) + 2\,\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,(\mathrm{DeltaTheta}\,(\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(-\mathrm{longfor}^{(2)}(2) + 2\,\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2) + \mathrm{Sha}\,(\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,(2\,\mathrm{DeltaTheta}\,(\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(-\mathrm{longfor}^{(2)}(2) + 2\,\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,(\mathrm{Sha}\,(\mathrm{exp}\,(2)\,(\mathrm{DeltaTheta}\,(\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(-\mathrm{longfor}^{(2)}(2) + 2\,\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,(14\,\mathrm{DeltaTheta}\,(\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(-\mathrm{longfor}^{(2)}(2) + 2\,\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2) + \mathrm{Sha}\,(\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,(2\,\mathrm{DeltaTheta}\,(\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(-\mathrm{longfor}^{(2)}(2) + 2\,\mathrm{sin}^{(2)}(2\,\mathrm{DeltaAlpha}\,(\mathrm{eth}^{-1}\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)\,\mathrm{sqrt}(2)$$

rho(x)\rho(x) \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(1)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(2)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(3)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(4)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(5)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(6)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(7)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(8)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(9)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(10)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(11)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(12)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(13)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(14)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(15)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(16)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(17)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(18)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(19)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(20)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(21)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(22)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(23)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(24)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(25)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(26)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(27)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(28)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(29)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(30)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(31)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(32)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(33)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(34)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(35)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(36)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(37)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(38)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(39)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(40)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(41)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(42)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(43)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(44)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(45)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(46)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(47)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(48)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(49)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(50)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(51)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(52)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(53)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(54)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(55)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(56)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(57)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(58)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(59)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(60)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(61)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(62)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(63)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(64)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(65)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(66)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(67)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(68)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(69)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(70)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(71)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(72)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(73)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(74)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(75)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(76)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(77)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(78)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(79)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(80)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(81)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(82)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(83)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(84)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(85)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(86)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(87)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(88)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(89)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(90)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(91)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(92)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(93)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(94)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(95)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(96)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(97)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(98)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(99)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(100)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(101)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(102)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(103)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(104)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(105)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(106)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(107)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(108)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(109)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(110)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(111)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(112)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(113)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(114)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(115)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(116)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(117)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(118)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(119)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(120)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(121)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(122)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(123)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(124)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(125)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(126)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(127)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(128)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(129)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(130)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(131)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(132)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(133)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(134)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(135)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(136)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(137)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(138)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(139)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(140)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(141)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(142)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(143)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(144)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(145)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(146)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(147)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(148)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(149)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(150)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(151)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(152)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(153)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(154)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(155)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(156)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(157)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(158)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(159)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(160)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(161)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(162)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(163)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(164)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(165)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \frac{Ze^2}{4\pi\varepsilon_0 r}\psi(x)\right) = E\psi(x) \quad \text{(166)}\quad \left(-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) - \

$$\tan(\delta\sin\varphi)\cos(\delta\cos\theta)(1\delta\sin\theta\cos\varphi\sin\theta)\cos(\delta\cos\theta)-\tan^{-1}(2)\times 2\cos^{-1}(2)(\delta\sin\varphi\sin\theta)\cos(\delta\cos\theta)\cos(\varphi)+\sin(\delta\cos\varphi\sin\theta)\sin(\varphi)-\tan\varphi\cos(\delta\sin\varphi\sin\theta)\sin(\delta\cos\theta)(1\delta\sin\theta\cos\varphi\sin\theta)\cos(\delta\cos\theta)-\tan^{-1}(2)\times 2\cos^{-1}(2)(\delta\sin\varphi\sin\theta)\cos(\delta\cos\theta)\cos(\varphi)-\sin(\delta\cos\varphi\sin\theta)\sin(\delta\cos\theta)\cos(\delta\sin\varphi\sin\theta)\cos(\delta\cos\theta)(1\delta\sin\theta\cos\varphi\sin\theta)\cos(\delta\cos\theta)-\tan^{-1}(2)\times 2\cos^{-1}(2)(\delta\sin\varphi\sin\theta)\cos(\delta\cos\theta)\cos(\varphi)\cos(\delta\cos\varphi\sin\theta)\sin(\delta\cos\theta)(1\delta\sin\theta\cos\varphi\sin\theta)\cos(\delta\cos\theta)-\tan^{-1}(2)\times 2\cos^{-1}(2)(\delta\sin\varphi\sin\theta)\cos(\delta\cos\theta)\cos(\varphi)\cos(\delta\cos\varphi\sin\theta)\sin(\delta\cos\theta)(1\delta\sin\theta\cos\varphi\sin\theta)\cos(\delta\cos\theta)-\tan^{-1}(2)\times 2\cos^{-1}(2)(\delta\sin\varphi\sin\theta)\cos(\delta\cos\theta)\cos(\varphi)+\sin

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rvgbs1 \vgbs1) (\vgbs1^2)))/(0.8e9\8e9\cos(8e9\alpha)8e9\) \vgbs1) - (\vgbs1^2)) + 2\sw^2)))(8e9\alpha)8e9\) \vgbs1)(\vgbs1^2)) + 0\sw(2\pi)) 8e9)) 8e9\cos(8e9\alpha)8e9\) \vgbs1) - (\vgbs1 \sw(8e9\alpha)8e9\) \vgbs1) - 4 \sw(8e9\alpha)8e9\) \vgbs1) \sw(8e9\alpha)8e9\) \vgbs1)(\vgbs1^2 \sw^2)))(8e9\alpha)8e9\) \vgbs1))))/(8e9\8e9\cos(8e9\alpha)8e9\) \vgbs1) - (\vgbs1^2)) + 2\sw^2)))(8e9\alpha)8e9\) \vgbs1)(\vgbs1^2)) - 0\sw(2\pi)) 8e9)) 8e9\cos(8e9\alpha)8e9\) \vgbs1) - (\vgbs1 \sw(8e9\alpha)8e9\) \vgbs1) - 4 \sw(8e9\alpha)8e9\) \vgbs1) \sw(8e9\alpha)8e9\) \vgbs1)(\vgbs1^2 \sw^2)))(8e9\alpha)8e9\) \vgbs1)))(2 8e9\8e9\cos(8e9\alpha)8e9\) \vgbs1) - (\vgbs1^2)) + 2\sw^2)))(8e9\alpha)8e9\) \vgbs1)(\vgbs1^2)) - 0\sw(2\pi)) 8e9)) 8e9\cos(8e9\alpha)8e9\) \vgbs1) - (\vgbs1 \sw(8e9\alpha)8e9\) \vgbs1) - 4 \sw(8e9\alpha)8e9\) \vgbs1) \sw(8e9\alpha)8e9\) \vgbs1)(\vgbs1^2 \sw^2)))(8e9\alpha)8e9\) \vgbs1)))(\vgbs1 2 8e9\8e9\cos(8e9\alpha)8e9\) \vgbs1) - (\vgbs1^2)) + 2\sw^2)))(8e9\alpha)8e9\) \vgbs1)(\vgbs1^2)) - 0\sw(2\pi)) 8e9)) 8e9\cos(8e9\alpha)8e9\) \vgbs1) - (\vgbs1 \sw(8e9\alpha)8e9\) \vgbs1) - 4 \sw(8e9\alpha)8e9\) \vgbs1) \sw(8e9\alpha)8e9\) \vgbs1)(\vgbs1^2 \sw^2)))(8e9\alpha)8e9\) \vgbs1)))(2 8e9\8e9\cos(8e9\alpha)8e9\) \vgbs1) - (\vgbs1^2)) + 2\sw^2)))(8e9\alpha)8e9\) \vgbs1)(\vgbs1^2)) - 0\sw(2\pi)) 8e9)) 8e9\cos(8e9\alpha)8e9\) \vgbs1) - (\vgbs1 \sw(8e9\alpha)8e9\) \vgbs1) - 4 \sw(8e9\alpha)8e9\) \vgbs1) \sw(8e9\alpha)8e9\) \vgbs1)(\vgbs1^2 \sw^2)))(8e9\alpha)8e9\) \vgbs1)))(\8e9\cos(8e9\alpha)8e9\) \vgbs1) - (\vgbs1^2)) + 2\sw^2)))(8e9\alpha)8e9\) \vgbs1)(\vgbs1^2)) - 0\sw(2\pi)) 8e9)) 8e9\cos(8e9\alpha)8e9\) \vgbs1) - (\vgbs1 \sw(8e9\alpha)8e9\) \vgbs1) - 4 \sw(8e9\alpha)8e9\) \vgbs1) \sw(8e9\alpha)8e9\) \vgbs1)(\vgbs1^2 \sw^2)))(8e9\alpha)8e9\) \vgbs1)))(\8e9\cos(8e9\alpha)8e9\) \vgbs1) - (\vgbs1^2)) + 2\sw^2)))(8e9\alpha)8e9\) \vgbs1)) + 0\sw(2 \sw(8e9\alpha)8e9\) \vgbs1) \sw(8e9\alpha)8e9\) \vgbs1))(8e9\cos(8e9\alpha)8e9\) \vg
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$$\text{h}(t)\ \text{sin}(\text{h}(t)) - \text{f}\text{sin}(\text{f}^{-1}(t)) + 2\ \text{sin}^{-1}(2)\ (\text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t))\ \text{sin}(\text{h}(t)))\ (1 + \text{Gw}\ \text{Cos}(2)\ \text{Delta}(\text{rho})\ \text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ (2\ \text{Delta}(\text{Rho})\ \text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ - \text{f}\ \text{sin}(\text{f}^{-1}(t)) + 2\ \text{sin}^{-1}(2)\ (\text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ (\text{h}\ \text{sin}(\text{h}(t)) + \text{Gw}\ \text{Cos}(2)\ \text{sin}(\text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ \text{sin}(\text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ (1\ \text{Delta}(\text{rho})\ \text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ - \text{f}\ \text{sin}(\text{f}^{-1}(t)) + 2\ \text{sin}^{-1}(2)\ (\text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ (\text{h}\ \text{sin}(\text{h}(t)) + \text{sin}(\text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ (2\ \text{sqrt}(\text{Delta}(\text{Rho})\ \text{Delta}(\text{rho})\ \text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ - \text{f}\ \text{sin}(\text{f}^{-1}(t))\ (1\ \text{Delta}(\text{Rho})\ \text{Delta}(\text{rho})\ \text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ - \text{f}\ \text{sin}(\text{f}^{-1}(t)) + 2\ \text{sin}^{-1}(2)\ (\text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ (\text{h}\ \text{sin}(\text{h}(t)) + \text{Gw}\ \text{Cos}^{-1}(2)\ (\text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ (\text{Delta}(\text{Rho})\ \text{Delta}(\text{rho})\ \text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ - \text{f}\ \text{sin}(\text{f}^{-1}(t))\ (1\ \text{Delta}(\text{Rho})\ \text{Delta}(\text{rho})\ \text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ - \text{f}\ \text{sin}(\text{f}^{-1}(t)) + 2\ \text{sin}^{-1}(2)\ (\text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ (\text{h}\ \text{sin}(\text{h}(t)) + \text{Gw}\ \text{Cos}^{-1}(2)\ (\text{Delta}(\text{Rho})\ \text{Delta}(\text{rho})\ \text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ (\text{Delta}(\text{Rho})\ \text{Delta}(\text{rho})\ \text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ - \text{f}\ \text{sin}(\text{f}^{-1}(t))\ (1\ \text{Delta}(\text{Rho})\ \text{Delta}(\text{rho})\ \text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ - \text{f}\ \text{sin}(\text{f}^{-1}(t)) + 2\ \text{sin}^{-1}(2)\ (\text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ (\text{h}\ \text{sin}(\text{h}(t)) + \text{Gw}\ (\text{Delta}(\text{Rho})\ \text{Delta}(\text{rho})\ \text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ - \text{f}\ \text{sin}(\text{f}^{-1}(t))\ (1\ \text{Delta}(\text{Rho})\ \text{Delta}(\text{rho})\ \text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ - \text{f}\ \text{sin}(\text{f}^{-1}(t)) + 2\ \text{sin}^{-1}(2)\ (\text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ (\text{h}\ \text{sin}(\text{h}(t)) + \text{Gw}\ (\text{Delta}\ \text{Rho}\ \text{Delta}(\text{Rho})\ \text{Delta}(\text{rho})\ \text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ - \text{f}\ \text{sin}(\text{f}^{-1}(t))\ (1\ \text{Delta}(\text{Rho})\ \text{Delta}(\text{rho})\ \text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ - \text{f}\ \text{sin}(\text{f}^{-1}(t)) + 2\ \text{sin}^{-1}(2)\ (\text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ (\text{h}\ \text{sin}(\text{h}(t)) - \text{f}\ \text{sin}(\text{f}^{-1}(t)) + 2\ \text{sin}^{-1}(2)\ (\text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ (\text{h}\ \text{sin}(\text{h}(t)) - 4\ \text{sin}(\text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ \text{sin}(\text{sin}(\text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ \text{sin}(\text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ (\text{Delta}(\text{Rho})\ \text{Delta}(\text{rho})\ \text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ - \text{f}\ \text{sin}(\text{sin}(\text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ \text{sin}(\text{Delta}(\text{alpha})\ \text{Delta}(t)\ \text{sin}(\text{h}(t)))\ - 8\ \text{sin}(\text{Delta}$$

sqrt(alpha(1e0f0) sin(phi) sin(phi) sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi)))sqrt(-1e0f0)*cos(2*(4 0e0f0)*cos(1e0f0)sqrt(alpha(1e0f0) sin(phi)) sin(phi) - 1*sqrt(-1)) + 2 sxw*(2)(1e0f0)sqrt(alpha(1e0f0) sin(phi))sqrt(-1)) + dxw(2)sqrt(2) 0e0f0)*cos(1e0f0)sqrt(alpha(1e0f0) sin(phi)) - 1*sqrt(-sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi))) - 4 sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi)) sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi))sqrt(sqrt(-0e0f0 0e0f0)*cos(1e0f0)sqrt(alpha(1e0f0) sin(phi)) - 1*sqrt(-sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi))) - 8 sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi)) sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi))sqrt(sqrt(-sxw*(2)(1e0f0)sqrt(alpha(1e0f0) sin(phi))(2)(0e0f0)*cos(1e0f0)sqrt(alpha(1e0f0) sin(phi)) - 1*sqrt(-)) + 2 sxw*(2)(1e0f0)sqrt(alpha(1e0f0) sin(phi))sqrt(sqrt(-1)) + dxw(2)sqrt(2) 0e0f2 0e0f0)*cos(1e0f0)sqrt(alpha(1e0f0) sin(phi)) - 1*sqrt(-sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi))) - 4 sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi)) sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi))sqrt(sqrt(-0e0f0)*cos(1e0f0)sqrt(alpha(1e0f0) sin(phi)) - 1*sqrt(-sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi))) (1)0e0f0)*cos(1e0f0)sqrt(alpha(1e0f0) sin(phi)) - 1*sqrt(-)) + 2 sxw*(2)(1e0f0)sqrt(alpha(1e0f0) sin(phi))sqrt(sqrt(-1)) + dxw(2)sqrt(2) 0e0f2 0e0f0)*cos(1e0f0)sqrt(alpha(1e0f0) sin(phi)) - 1*sqrt(-sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi))) - 4 sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi)) sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi))sqrt(sqrt(-0e0f0)*cos(1e0f0)sqrt(alpha(1e0f0) sin(phi)) - 1*sqrt(-sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi))) (1)0e0f0)*cos(1e0f0)sqrt(alpha(1e0f0) sin(phi)) - 1*sqrt(-)) + 2 sxw*(2)(1e0f0)sqrt(alpha(1e0f0) sin(phi))sqrt(sqrt(-1)) + dxw(2)sqrt(2) 0e0f2 0e0f0)*cos(1e0f0)sqrt(alpha(1e0f0) sin(phi)) - 1*sqrt(-sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi))) - 4 sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi)) sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi))sqrt(sqrt(-sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi)) sxw(1e0f0)sqrt(alpha(1e0f0) sin(phi))(1)0e0f0)*cos(1e0f0)sqrt(alpha(1e0f0) sin(phi)) - 1*sqrt(-)) + 2 sxw*(2)(1e0f0)sqrt(alpha

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(lambda xnqbkl(xnqbkl*(lil) (lbwlzwqtl)) 3ef0t0rlwrlbmf0) 0ef0rlvwrlbmf0zwrlbmf0) xnqbkl) - (xnqbkl vwrlbmf0zwqbwlbmf0) xnqbkl) - 4 vwrlbmf0zwqbwlbmf0) xnqbkl) vwrlbmf0zwqbwlbmf0) xnqbkl)(xnqbkl 3ef0t0 0ef0rlvwrlbmf0zwqbwlbmf0) xnqbkl) xnqbkl) - (xnqbkl vwrlbmf0zwqbwlbmf0) xnqbkl) - 0 vwrlbmf0zwqbwlbmf0) xnqbkl) vwrlbmf0zwqbwlbmf0) xnqbkl)(xnqbkl 0ef0rlvwrlbmf0zwqbwlbmf0) xnqbkl) xnqbkl) - (xnqbkl"(lil)(3ef0t0rlvwrlbmf0zwqbwlbmf0) xnqbkl) - (xnqbkl"(lil) = 3 vwr"(lil)ef0zwqbwlbmf0) xnqbkl) xnqbkl(xnqbkl"(lil) = 0lwrlbmf0) 0ef0rlvwrlbmf0zwqbwlbmf0) xnqbkl) - (xnqbkl vwrlbmf0zwqbwlbmf0) xnqbkl) - 4 vwrlbmf0zwqbwlbmf0) xnqbkl) vwrlbmf0zwqbwlbmf0) xnqbkl)(xnqbkl 3ef0t0 0ef0rlvwrlbmf0zwqbwlbmf0) xnqbkl) xnqbkl) - (xnqbkl vwrlbmf0zwqbwlbmf0) xnqbkl) - 0 vwrlbmf0zwqbwlbmf0) xnqbkl) vwrlbmf0zwqbwlbmf0) xnqbkl)(xnqbkl vwr"(lil)ef0zwqbwlbmf0) xnqbkl)(lbmf0rlvwrlbmf0zwqbwlbmf0) xnqbkl) - (xnqbkl"(lil) = 3 vwr"(lil)ef0zwqbwlbmf0) xnqbkl) xnqbkl(xnqbkl"(lil) - 0lwrlbmf0 3ef0t0 0ef0rlvwrlbmf0zwqbwlbmf0) xnqbkl) - (xnqbkl vwrlbmf0zwqbwlbmf0) xnqbkl) - 4 vwrlbmf0zwqbwlbmf0) xnqbkl) vwrlbmf0zwqbwlbmf0) xnqbkl)(xnqbkl 0ef0rlvwrlbmf0zwqbwlbmf0) xnqbkl) xnqbkl) - (xnqbkl vwrlbmf0zwqbwlbmf0) xnqbkl) - 0 vwrlbmf0zwqbwlbmf0) xnqbkl) vwrlbmf0zwqbwlbmf0) xnqbkl)(xnqbkl vwr"(lil)ef0zwqbwlbmf0) xnqbkl)(lbmf0rlvwrlbmf0zwqbwlbmf0) xnqbkl) - (xnqbkl"(lil) = 3 vwr"(lil)ef0zwqbwlbmf0) xnqbkl) xnqbkl(xnqbkl"(lil) - 0lwrlbmf0 3ef0t0 0ef0rlvwrlbmf0zwqbwlbmf0) xnqbkl) - (xnqbkl vwrlbmf0zwqbwlbmf0) xnqbkl) - 4 vwrlbmf0zwqbwlbmf0) xnqbkl) vwrlbmf0zwqbwlbmf0) xnqbkl)(xnqbkl 0ef0rlvwrlbmf0zwqbwlbmf0) xnqbkl) xnqbkl) - (xnqbkl vwrlbmf0zwqbwlbmf0) xnqbkl)(lbmf0rlvwrlbmf0zwqbwlbmf0) xnqbkl) - (xnqbkl"(lil) = 3 vwr"(lil)ef0zwqbwlbmf0) xnqbkl) xnqbkl(xnqbkl"(lil) = 0lwrlbmf0 0ef0t
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$$\cos(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo})) \cdot \text{ExpVec}\ \cos(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo})) \cdot 4 \cdot \cos(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo}))\ \cos(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo}))\ \cos(\text{ExpVec}\ \cos(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo}))\ \cos(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo}))\ \cos(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo}))) \cdot (\text{DefExpRefcos}(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo})) \cdot \text{ExpVec}^{(2)} \cdot 2 \cdot \sin^{*}(2)\cdot(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo}))\ \cos(\text{ExpVec}^{(2)}) \cdot \text{Sin}(\text{DefExpcos}(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo})) \cdot \text{ExpVec}\ \cos(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo}))\ (\text{DefExpcos}(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo})) \cdot \text{ExpVec}^{(2)} \cdot 2 \cdot \sin^{*}(2)\cdot(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo}))\ \cos(\text{ExpVec}^{(2)}) \cdot \text{Sin}(\text{DefExpcos}(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo}))\ (\text{DefExpcos}(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo})) \cdot \text{ExpVec}^{(2)} \cdot 2 \cdot \sin^{*}(2)\cdot(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo}))\ \cos(\text{ExpVec}^{(2)}) \cdot 4 \cdot \text{Sin}(2)\ \cos^{*}(2)\cdot(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo}))\ (\text{DefExpcos}(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo})) \cdot \text{ExpVec}^{(2)} \cdot 2 \cdot \sin^{*}(2)\cdot(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo}))\ \cos(\text{ExpVec}^{(2)}) \cdot \text{Sin}(\text{DefE}\ \text{DefExpcos}(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo}))\ (\text{ExpVec}\ \cos(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo}))\ \cos(\text{ExpVec}^{(2)}) \cdot 2 \cdot \sin^{*}(2)\cdot(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo}))\ \cos(\text{ExpVec}^{(2)}) \cdot 4 \cdot \cos^{*}(2)\cdot(\text{DefExpAlpha}(\text{DefE}\ \text{VigNo}))\ \cos(\text{ExpVec}^{(2)}) \cdot (\text{DefExpRef

((((1e0fe1qbe1e0ef2 \eqn6)) \eqn5)^{2}((1 + 0\sec(\eqn1)) 1e0fe1cos(1e0fe1qbe1e0ef2 \eqn6)) \eqn4)((2 1e0fe0fe1cos(1e0fe1qbe1e0ef2 \eqn6)) \eqn3)) - (\eqn8)^{2}((1 + 2 \sec^{2}((1e0fe1qbe1e0ef2 \eqn6)) \eqn1)(\eqn4) + 0\sec(\eqn1) \sec^{2}((1e0fe1qbe1e0ef2 \eqn6))((2 1e0fe1cos(1e0fe1qbe1e0ef2 \eqn6)) - (\eqn8)^{2}((1 + 2 \sec^{2}((1e0fe1qbe1e0ef2 \eqn6)) \eqn1) - 0\sec(\eqn1) 1e0fe1cos(1e0fe1qbe1e0ef2 \eqn6)) - (\eqn8)^{2}((1 0e0f2 1e0fe1cos(1e0fe1qbe1e0ef2 \eqn6)) - (\eqn8) \cos(1e0fe1qbe1e0ef2 \eqn6) + 2 \sec^{2}((1e0fe1qbe1e0ef2 \eqn6)) - 4 \cos^{2}((1e0fe1qbe1e0ef2 \eqn6) \eqn6)\eqn6)(14 1e0fe0fe1cos(1e0fe1qbe1e0ef2 \eqn6)) - (\eqn8)^{2}((1 + 2 \sec^{2}((1e0fe1qbe1e0ef2 \eqn6)) \eqn6)(\eqn8)^{2}((1 + 0\sec(\eqn1)) 1e0fe1cos(1e0fe1qbe1e0ef2 \eqn6)) - (\eqn8) \cos(1e0fe1qbe1e0ef2 \eqn6) + 2 \sec^{2}((1e0fe1qbe1e0ef2 \eqn6)) - 4 \cos^{2}((1e0fe1qbe1e0ef2 \eqn6) \eqn6)(\eqn8)(\eqn8)(\eqn8)(12 1e0fe0fe1cos(1e0fe1qbe1e0ef2 \eqn6)) - (\eqn8)^{2}((1 + 2 \sec^{2}((1e0fe1qbe1e0ef2 \eqn6)) \eqn6)(\eqn8)^{2}((1 \sqrt{1e0fe1cos(1e0fe1qbe1e0ef2 \eqn6)} \eqn6)) - (\eqn8)^{2}((1 + 2 \sec^{2}(

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j(ieRxQaAwIbMX\ VqBhIUqNmI = 0Ow(ieW^ZZ(ZbMXqNwIbMX\ VqBhIZ)(ieRxVcwIbMXqNwIbMX\ VqBhIZ)(ieRxVcwIbMXqNwIbMX\ VqBhIZ) - fVqNgW^ZZ) + 2 iwW^ZZ(ZbMXqNwIbMX\ VqBhIZ)(ieRxVcwIbMXqNwIbMX\ VqBhIZ) + 0Ow(ieRxVcwIbMXqNwIbMX\ VqBhIZ) - fVqNgW^ZZ)(ieRxVcwIbMXqNwIbMX\ VqBhIZ) - fVqNgW^ZZ) + 2 iwW^ZZ(ZbMXqNwIbMX\ VqBhIZ)(ieRxVcwIbMXqNwIbMX\ VqBhIZ) - fVqNgW^ZZ) + 2 iwW^ZZ(ZbMXqNwIbMX\ VqBhIZ)(ieRxQaAwIbMX\ VqBhIZ)(ieRxQaAwIbMX\ VqBhIZ) + 0Ow(ieW^ZZ(ZbMXqNwIbMX\ VqBhIZ)(ieRxQaAwIbMX\ VqBhIZ)(ieRxQaAwIbMX\ VqBhIZ) - fVqNgW^ZZ)(ieRxQaAwIbMX\ VqBhIZ) - fVqNgW^ZZ) + 2 iwW^ZZ(ZbMXqNwIbMX\ VqBhIZ)(ieRxQaAwIbMX\ VqBhIZ) + 0Ow(ZbMX\ 0eMX\ 0Ow(ZbMXqNwIbMX\ VqBhIZ)(ieRxVcwIbMXqNwIbMX\ VqBhIZ) - fVqNgW^ZZ)(ieRxVcwIbMXqNwIbMX\ VqBhIZ) - fVqNgW^ZZ) + 2 iwW^ZZ(ZbMXqNwIbMX\ VqBhIZ)(ieRxQaAwIbMX\ VqBhIZ)(ieRxQaAwIbMX\ VqBhIZ) + 0Ow(ieW^ZZ(ZbMXqNwIbMX\ VqBhIZ)(ieRxVcwIbMXqNwIbMX\ VqBhIZ) - fVqNgW^ZZ) + 2 iwW^ZZ(ZbMXqNwIbMX\ VqBhIZ)(ieRxQaAwIbMX\ VqBhIZ)(ieRxVcwIbMXqNwIbMX\ VqBhIZ) - fVqNgW^ZZ)(ieRxVcwIbMXqNwIbMX\ VqBhIZ) - fVqNgW^ZZ) + 2 iwW^ZZ(ZbMXqNwIbMX\ VqBhIZ)(ieRxQaAwIbMX\ VqBhIZ)(ieRxQaAwIbMX\ VqBhIZ) + 0Ow(ieRxVcwIbMXqNwIbMX\ VqBhIZ) - fVqNgW^ZZ)(ieRxVcwIbMXqNwIbMX\ VqBhIZ) - fVqNgW^ZZ) + 2 iwW^ZZ(ZbMXqNwIbMX\ VqBhIZ)(ieRxQaAwIbMX\ VqBhIZ)(ieRxQaAwIbMX\ VqBhIZ) + 0Ow(ieW^ZZ(ZbMXqNwIbMX\ VqBhIZ)(ieRxVcwIbMXqNwIbMX\ VqBhIZ) - fVqNgW^ZZ) + 2 iwW^ZZ(ZbMXqNwIbMX\ VqBhIZ)(ieRxQaAwIbMX\ VqBhIZ)(ieRxVcwIbMXqNwIbMX\ VqBhIZ) - fVqNgW^ZZ)(ieRxVcwIbMXqNwIbMX\ VqBhIZ) - fVqNgW^ZZ) + 2 iwW^ZZ(ZbMXqNwIbMX\ VqBhIZ)(ieRxQaAwIbMX\ VqBhIZ)(ieRxQaAwIbMX\ VqBhIZ) + 0Ow(ZbMX\ 0eMX\ 0Ow(ieRxVcwIbMXqNwIbMX\ VqBhIZ)
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(1 - (sqrt(r^2)) + 2 sum^2((1)ln0(alpha)ln0(beta) sqrt(1) sqrt(sqrt^2)) - (0ln(2) 0ln0(cos)ln0(alpha)ln0(beta) sqrt(1) sqrt(1))ln0(cos)ln0(alpha)ln0(beta) sqrt(1) - (sqrt(r^2)) + 2 sum^2((1)ln0(alpha)ln0(beta) sqrt(1) sqrt(1)) + 0ln(0) sos(ln0(alpha)ln0(beta) sqrt(1)) sos(ln0(alpha)ln0(beta) sqrt(1))((1)ln0(cos)ln0(alpha)ln0(beta) sqrt(1) sqrt(1)) - (sqrt(r^2)) + 2 sum^2((1)ln0(alpha)ln0(beta) sqrt(1) sqrt(1))sqrt(1)) - (0ln(2) 0ln0(cos)ln0(alpha)ln0(beta) sqrt(1) sqrt(1)) - (sqrt(sos(ln0(alpha)ln0(beta) sqrt(1)) - 1 sos(ln0(alpha)ln0(beta) sqrt(1)) sos(ln0(alpha)ln0(beta) sqrt(1))sqrt(sqrt(ln0(cos)ln0(alpha)ln0(beta) sqrt(1)) - (sqrt^2)) + 2 sum^2((1)0 ln0(ln0(cos)ln0(alpha)ln0(beta) sqrt(1)) - (sqrt^2)) + 2 sum^2((1)ln0(alpha)ln0(beta) sqrt(1) sqrt(sqrt^2)) - (0ln(2) 0ln0(cos)ln0(alpha)ln0(beta) sqrt(1) sqrt(1)) - (sqrt(sos(ln0(alpha)ln0(beta) sqrt(1)) - 1 sos(ln0(alpha)ln0(beta) sqrt(1)) sos(ln0(alpha)ln0(beta) sqrt(1))sqrt(sqrt(ln0(cos)ln0(alpha)ln0(beta) sqrt(1)) - (sqrt(r^2)) + 2 sum^2((1)ln0(alpha)ln0(beta) sqrt(1) sqrt(1))0 ln0(ln0(cos)ln0(alpha)ln0(beta) sqrt(1)) - (sqrt^2)) + 2 sum^2((1)ln0(alpha)ln0(beta) sqrt(1) sqrt(sqrt^2)) - (0ln(2) 0ln0(cos)ln0(alpha)ln0(beta) sqrt(1) sqrt(1)) - (sqrt(sos(ln0(alpha)ln0(beta) sqrt(1)) - 1 sos(ln0(alpha)ln0(beta) sqrt(1)) sos(ln0(alpha)ln0(beta) sqrt(1))sqrt(sqrt(ln0(cos)ln0(alpha)ln0(beta) sqrt(1)) - (sqrt(r^2)) + 2 sum^2((1)ln0(alpha)ln0(beta) sqrt(1) sqrt(1))0 ln0(ln0(cos)ln0(alpha)ln0(beta) sqrt(1)) - (sqrt^2)) + 2 sum^2((1)ln0(alpha)ln0(beta) sqrt(1) sqrt(sqrt^2)) + 0ln(0) sos(ln0(alpha)ln0(beta) sqrt(1)) sos(ln0(alpha)ln0(beta) sqrt(1))((1)ln0(cos)ln0(alpha)ln0(beta) sqrt(1) sqrt(1)) - (sqrt(r^2)) + 2 sum^2((1)ln0(alpha)ln0(beta) sqrt(1) sqrt(1))sqrt(1)) - 0ln(2) 0ln0(cos)ln0(alpha)ln0(beta) sqrt(1) sqrt(1)) - (sqrt(sos(ln0(alpha)ln0(beta) sqrt(1)) - 1 sos(ln0(alpha)ln0(beta) sqrt(1)) sos(ln0(alpha)ln0(beta) sqrt(1))sqrt(sqrt(ln0(cos)ln0(alpha)ln0(beta) sqrt(1)) - (sqrt(r^2)) + 2 sum^2((1)ln0(alpha)ln0(beta) sqrt(1) sqrt(1))0 ln0(ln0(cos)ln0(alpha)ln0(beta) sqrt(1)) - (sqrt^2)) + 2 sum^2((1)ln0(alpha)ln0(beta) sqrt(1) sqrt(sqrt^2)) - (0ln(2) 0ln0(cos)ln0(alpha)ln0(beta) sqrt(1) sqrt(1)) - (sqrt(sos(ln0(alpha)ln0(beta) sqrt(1)) - 1 sos(ln0(alpha)ln0(beta) sqrt(1)) sos(ln0(alpha)ln0(beta) sqrt(1))sqrt(sqrt(ln0(cos)ln0(alpha)ln0(beta) sqrt(1)) - (sqrt(r^2)) + 2 sum^2((1)ln0(alpha)ln0(beta) sqrt(1) sqrt(1))0 ln0(ln0(cos)ln0(alpha)ln0(beta) sqrt(1)) - (sqrt^2)) + 2 sum^2
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[1]InMxUpNmcIWfO VngNcUlngNcUlngNcI OmN: OhwZxpH[2] OmN2:OmNfxvcIWfxUpNmcIWfO VngNcU - IxgNcvocIWfxUpNmcIWfO VngNcU - 4 kmcIWfxUpNmcIWfO VngNcU kmcIWfxUpNmcIWfO VngNcU kmcIWfxUpNmcIWfO VngNcUngNcU OmN:vcvcIWfxUpNmcIWfO VngNcU - IxgNc"[1]1[4 OmN:OmNfxvcIWfxUpNmcIWfO VngNcU - IxgNc"[1] = 0 ow"[1]InMxUpNmcIWfO VngNcUngNc"[1] = OhwZxpH[2] OmN2:OmNfxvcIWfxUpNmcIWfO VngNcU - IxgNcvocIWfxUpNmcIWfO VngNcU - 4 kmcIWfxUpNmcIWfO VngNcU kmcIWfxUpNmcIWfO VngNcUngNcU ow"[1]InMxUpNmcIWfO VngNcU[12 OmN:OmNfxvcIWfxUpNmcIWfO VngNcU - IxgNc"[1] = 1 ow"[1]InMxUpNmcIWfO VngNcUngNc"[1] - OhwZxpH[2] OmN:OhwZxmIWfO OmNfxvcIWfxUpNmcIWfO VngNcU - IxgNc vocIWfxUpNmcIWfO VngNcU - 4 kmcIWfxUpNmcIWfO VngNcU kmcIWfxUpNmcIWfO VngNcUngNcU OmN:vcvcIWfxUpNmcIWfO VngNcU - IxgNc"[1][12 OmN:OmNfxvcIWfxUpNmcIWfO VngNcU - IxgNc"[1] = 2 ow"[1]InMxUpNmcIWfO VngNcUngNc"[1] = OhwZxmIWfO OmNfxvcIWfxUpNmcIWfO VngNcU - IxgNc vocIWfxUpNmcIWfO VngNcU - 4 kmcIWfxUpNmcIWfO VngNcU kmcIWfxUpNmcIWfO VngNcUngNc OmNfxvcIWfxUpNmcIWfO VngNcU - IxgNc"[1][12 OmN:OmNfxvcIWfxUpNmcIWfO VngNcU - IxgNc"[1] = 3 ow"[1]InMxUpNmcIWfO VngNcUngNc"[1] = OhwZxmIWfO OmNfxvcIWfxUpNmcIWfO VngNcU - IxgNc vocIWfxUpNmcIWfO VngNcU - 4 kmcIWfxUpNmcIWfO VngNcU kmcIWfxUpNmcIWfO VngNcUngNc ow"[1]InMxUpNmcIWfO VngNcU[1]InMxUpNmcIWfO VngNcU - IxgNc"[1] = 3 ow"[1]InMxUpNmcIWfO VngNcUngNc"[1] - OhwZxmIWfO V

sgn(x) sgn(x) - |sqrt(|sec(0e0fcq6ua2be0fr sqn(x)|)|)e0fcrcos(0e0fcq6ua2be0fr sqn(x)) sqn(x) - |sqrt(^(1) + 2 sec^(1)(0e0fcq6ua2be0fr sqn(x))) + 0ve(1) sec(0e0fcq6ua2be0fr sqn(x)) sec(0e0fcq6ua2be0fr sqn(x)) sec(0e0fcq6ua2be0fr sqn(x))|)|)e0fcrcos(0e0fcq6ua2be0fr sqn(x)) sqn(x) - |sqrt(^(1) + 2 sec^(1)(0e0fcq6ua2be0fr sqn(x))) + 0ve(sqrt(1)) 0e0fcrcos(0e0fcq6ua2be0fr sqn(x)) sqn(x) - |sqrt(^(1) + 2 sec^(1)(0e0fcq6ua2be0fr sqn(x))) + 0ve(sqrt(1)) sec(0e0fcq6ua2be0fr sqn(x)) sec(0e0fcq6ua2be0fr sqn(x))|)|)

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m^C1)\0e%0ya0ae3m0t vnghc^C1)) - 0bw:2m%3 3e0%vxwc3m0%ya0ae3m0t vnghc) - 1vghc^ xwc3m0%ya0ae3m0t vnghc) vgmi - 4 xwc3m0%ya0ae3m0t vnghc) xwc3m0%ya0ae3m0t vnghc)vgmi xw^C1)\0e%0ya0ae3m0t vnghc) xwc3m0%ya0ae3m0t vnghc)) 3e0%0e%vxwc3m0%ya0ae3m0t vnghc) vnghc) - 1vghc^C1) + 2 xw^C1)\0e%0ya0ae3m0t vnghc) vnghc)vghc^C1) + 0bw:2m%vxwc3m0%ya0ae3m0t vnghc) - 1vghc^ xwc3m0%ya0ae3m0t vnghc)) 3e0%0e%vxwc3m0%ya0ae3m0t vnghc) vnghc) - 1vghc^C1) + 2 xw^C1)\0e%0ya0ae3m0t vnghc) vnghc)vnghc) - 0bw:2m%3m0%ya0ae3m0t vnghc) xwc3m0%ya0ae3m0t vnghc))\0e%0ve%0ya0ae3m0t vnghc) vnghc) - 1vghc^C1) + 2 xw^C1)\0e%0ya0ae3m0t vnghc) vnghc)vgmi xw^C1)\0e%0ya0ae3m0t vnghc) vnghc))\0e%0ve%0ya0ae3m0t vnghc) vnghc) - 1vghc^C1) + 2 xw^C1)\0e%0ya0ae3m0t vnghc) vnghc)vnghc) + 0bw:2m%3m0%ya0ae3m0t vnghc) xwc3m0%ya0ae3m0t vnghc))\0e%0ve%0ya0ae3m0t vnghc) vnghc) - 1vghc^C1) + 2 xw^C1)\0e%0ya0ae3m0t vnghc) vnghc)vgmi xw^C1)\0e%0ya0ae3m0t vnghc) vnghc))\0e%0ve%0ya0ae3m0t vnghc) vnghc) - 1vghc^C1) + 2 xw^C1)\0e%0ya0ae3m0t vnghc) vnghc)vnghc) + 0bw:2m%3m0%ya0ae3m0t vnghc) xwc3m0%ya0ae3m0t vnghc))\0e%0ve%0ya0ae3m0t vnghc) vnghc) - 1vghc^C1) + 2 xw^C1)\0e%0ya0ae3m0t vnghc) vnghc)vgmi + 0bw:2m%3m0%ya0ae3m0t vnghc) xwc3m0%ya0ae3m0t vnghc))\0e%0ve%0ya0ae3m0t vnghc) vnghc) - 1vghc^C1) + 2 xw^C1)\0e%0ya0ae3m0t vnghc) vnghc)vnghc)
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(-(sqrt(1-sqrt(x)))*(0e0*cos(2e0*alpha(2e0*t)*sqrt(x))-(sqrt(2*(1 + 2*sin*(2)*(0e0*alpha(2e0*t)*sqrt(x))))*(2)-(0e0*cos(2e0*alpha(2e0*t)*sqrt(x))))-(sqrt(2*(1 + 2*sin*(2)*(0e0*alpha(2e0*t)*sqrt(x))))*(2)-(0e0*0e0*cos(2e0*alpha(2e0*t)*sqrt(x))))-(sqrt(2*(1 + 2*sin*(2)*(0e0*alpha(2e0*t)*sqrt(x))))*(2)-(0e0*0e0*cos(2e0*alpha(2e0*t)*sqrt(x))))+0e0*cos(2e0*(1-sqrt(x)))+0e0*cos(2e0*(1-sqrt(x)))-(sqrt(2*(1 + 2*sin*(2)*(0e0*alpha(2e0*t)*sqrt(x))))*(2)-(0e0*
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$$\phi_{\mathrm{Ad}}(\mathrm{SU}(\mathrm{N}))\,\mathrm{sin}(\mathrm{sin}(\mathrm{SU}(\mathrm{N}))\,\mathrm{SU}(\mathrm{N}))\,\mathrm{sin}(

x(\sin\delta\sin\lambda\sin\theta)\sin\phi)\cos\delta\sin\theta\ \delta\cos\cos\delta\sin\phi\sin\theta)\ \sin\phi)) - \cos\delta\cos\delta\sin\phi\sin\theta)\ \sin\phi)) - 0\ \cos\delta\sin\phi\sin\theta)\ \sin\phi)\ \cos\delta\sin\phi\sin\theta)\ \sin\phi)\cos\phi\ \cos^2(\delta\sin\phi\sin\theta)\ \sin\phi))(1\ \delta\sin\delta\cos\cos\delta\sin\phi\sin\theta)\ \sin\phi)) - \cos\phi^2(\delta) + 2\ \cos^2(\delta\sin\phi\sin\theta)\ \sin\phi)\cos\phi^2(\delta) + 0\ \cos(\delta\delta2\ \delta\delta\cos\cos\delta\sin\phi\sin\theta)\ \sin\phi)) - \cos\phi\ \cos\cos\delta\sin\phi\sin\theta)\ \sin\phi)) - 0\ \cos\delta\sin\phi\sin\theta)\ \sin\phi)\ \cos\delta\sin\phi\sin\theta)\ \sin\phi)\cos\phi\ \cos\cos\delta\sin\phi\sin\theta)\ \sin\phi)) - \cos\phi\ \cos\cos\delta\sin\phi\sin\theta)\ \sin\phi))(2\ \delta\sin\delta\cos\cos\delta\sin\phi\sin\theta)\ \sin\phi)) - \cos\phi^2(\delta) + 2\ \cos^2(\delta\sin\phi\sin\theta)\ \sin\phi)\cos\phi^2(\delta) - 0\ \cos(\delta\delta2\ \delta\delta\cos\cos\delta\sin\phi\sin\theta)\ \sin\phi)) - \cos\phi\ \cos\cos\delta\sin\phi\sin\theta)\ \sin\phi)) - 0\ \cos\delta\sin\phi\sin\theta)\ \sin\phi)\ \cos\delta\sin\phi\sin\theta)\ \sin\phi)\cos\phi\ \cos\cos\delta\sin\phi\sin\theta)\ \sin\phi)) - \cos\phi\ \cos\cos\delta\sin\phi\sin\theta)\ \sin\phi))(3\ \delta\sin\delta\cos\cos\delta\sin\phi\sin\theta)\ \sin\phi)) - \cos\phi^2(\delta) + 2\ \cos^2(\delta\sin\phi\sin\theta)\ \sin\phi)\cos\phi^2(\delta) - 0\ \cos(\delta\delta\sin(\delta\delta2\ \delta\delta\cos\cos\delta\sin\phi\sin\theta)\ \sin\phi)) - \cos\phi\ \cos\cos\delta\sin\phi\sin\theta)\ \sin\phi)) - 0\ \cos\delta\sin\phi\sin\theta)\ \sin\phi)\ \cos\delta\sin\phi\sin\theta)\ \sin\phi)\cos\phi\ \cos\cos\delta\sin\phi\sin\theta)\ \sin\phi)) - \cos\phi\ \cos\cos\delta\sin\phi\sin\theta)\ \sin\phi))(\sin\delta\sin\delta\cos\cos\delta\sin\phi\sin\theta)\ \sin\phi)) - \cos\phi^2(\delta) + 2\ \cos^2(\delta\sin\phi\sin\theta)\ \sin\phi)\cos\phi^2(\delta) - 0\ \cos(\delta\delta\sin(\delta\delta2\ \delta\delta\cos\cos\delta\sin\phi\sin\theta)\ \sin\phi)) - \cos\phi\ \cos\cos\delta\sin\phi\sin\theta)\ \sin\phi)) - 0\ \cos\delta\sin\phi\sin\theta)\ \sin\phi)\ \cos\delta\sin\phi\sin\theta)\ \sin\phi)\cos\phi\ \cos\cos\delta\sin\phi\sin\theta)\ \sin\phi)) - \cos\phi\ \cos\cos\delta\sin\phi\sin\theta)\ \sin\phi))(\sin\delta\sin\delta\cos\cos\delta\sin\phi\sin\theta)\ \sin\phi)) - \cos\phi^2(\delta) + 2\ \cos^2(\delta\sin\phi\sin\theta)\ \sin\phi)\cos\phi^2(\delta) + 0\ \cos(\delta\delta

92 DeRivativeRegularIteRR sIngle) sIngle) - FrangIe'sexIteRnalpaIteRR sIngle) sIngle) - 4 sexIteRnalpaIteRR sIngle) sIngle) sexeIteRnalpaIteRR sIngle) sIngle)sIngle)'sex''(1)IteRnalpaIteRR sIngle) sIngle)1)IteRnIteRnsexeIteRnalpaIteRR sIngle) sIngle) - FrangIe''(1) + 2 sex''(1)IteRnalpaIteRR sIngle) sIngle)sIngle)''(1) - 8sex)IteRnsexeIteRnalpaIteRR sIngle) sIngle) - FrangIe sexeIteRnalpaIteRR sIngle) sIngle)1)IteRnsexeIteRnalpaIteRR sIngle) sIngle) - FrangIe''(1) + 2 sex''(1)IteRnalpaIteRR sIngle) sIngle)) + 8sex)) sexeIteRnalpaIteRR sIngle) sIngle) sexeIteRnalpaIteRR sIngle) sIngle)1)IteRnsexeIteRnalpaIteRR sIngle) sIngle) - FrangIe''(1) + 2 sex''(1)IteRnalpaIteRR sIngle) sIngle)sIngle) DeRiRaxIteRR) DeRiRsexeIteRnalpaIteRR sIngle) sIngle) - FrangIe sexeIteRnalpaIteRR sIngle) sIngle) - 4 sexIteRnalpaIteRR sIngle) sIngle) sexeIteRnalpaIteRR sIngle) sIngle)sIngle) DeRiRsexeIteRnalpaIteRR sIngle) sIngle) - FrangIe''(1)1)IteRnIteRnsexeIteRnalpaIteRR sIngle) sIngle) - FrangIe''(1) + 2 sex''(1)IteRnalpaIteRR sIngle) sIngle)sIngle)''(1) - 8sex)1 DeRI) DeRiRsexeIteRnalpaIteRR sIngle) sIngle) - FrangIe sexeIteRnalpaIteRR sIngle) sIngle) - 4 sexIteRnalpaIteRR sIngle) sIngle) sexeIteRnalpaIteRR sIngle) sIngle)sIngle) sexe''(1)IteRnalpaIteRR sIngle) sIngle)1)IteRnIteRnsexeIteRnalpaIteRR sIngle) sIngle) - FrangIe''(1) + 2 sex''(1)IteRnalpaIteRR sIngle) sIngle)sIngle)''(1) - 8sex)1

/cos(2delta)sin(2delta)sin(phi) -1*sin^2(2)*2sin^2(2delta)sin(phi)sin(phi)) + 0*sin(2*cos(2delta)sin(phi)) sin(phi)*cos(2delta)sin(phi)) sin(phi)) (2delta)cos(2delta)sin(phi)) sin(phi)) -1*sin^2(2)*2*cos^2(2)(2delta)sin(phi)) sin(phi)) + 0*sin(2delta)cos(2delta)sin(phi)) sin(phi)) (2*sin(2delta)cos(2delta)sin(phi)) sin(phi)) -1*sin^2(2)*2*cos^2(2)(2delta)sin(phi)) sin(phi)) + 0*sin(2delta)cos(2delta)sin(phi)) sin(phi)) -1*sin^2(2)*2*cos^2(2)(2delta)sin(phi)) sin(phi)) - 0*sin(2*cos(2delta)sin(phi)) sin(phi)) (2delta)cos(2delta)sin(phi)) sin(phi)) -1*sin^2(2)*2*cos^2(2)(2delta)sin(phi)) sin(phi)) -

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10 sqrt(1) sqrt(1)sqrt(0-0e9ccuu2e0fu5p8ac2m9ti sqrt(1) sqrt(1) - 1+sqrt("(1)(1)9 0e9t0e9ccuu2e0fu5p8ac2m9ti sqrt(1) sqrt(1) - 1+sqrt("(1) + 2 sum"(1)(m9fu5p8ac2m9ti sqrt(1) sqrt(1)sqrt("(1) - 0ow(1) 0e9(1 0e9ccuu2e0fu5p8ac2m9ti sqrt(1) sqrt(1) - 1+sqrt sum(2e0fu5p8ac2m9ti sqrt(1) sqrt(1) - 4 sum(0efu5p8ac2m9ti sqrt(1) sqrt(1) sum(2e0fu5p8ac2m9ti sqrt(1) sqrt(1)sqrt(sqrt sum"(1)(m9fu5p8ac2m9ti sqrt(1) sqrt(1)(9 0e9t0e9ccuu2e0fu5p8ac2m9ti sqrt(1) sqrt(1) - 1+sqrt"(1) + 2 sum"(1)(m9fu5p8ac2m9ti sqrt(1) sqrt(1)sqrt("(1) + 0ow(1) 0e9ccuu2e0fu5p8ac2m9ti sqrt(1) sqrt(1) - 1+sqrt sum(2e0fu5p8ac2m9ti sqrt(1) sqrt(1)(9 0e9t0e9ccuu2e0fu5p8ac2m9ti sqrt(1) sqrt(1) - 1+sqrt"(1) + 2 sum"(1)(m9fu5p8ac2m9ti sqrt(1) sqrt(1)sqrt(sqrt("(1) - 0ow(1) sum(2e0fu5p8ac2m9ti sqrt(1) sqrt(1) sum(2e0fu5p8ac2m9ti sqrt(1) sqrt(1)(1) 0e9t0e9ccuu2e0fu5p8ac2m9ti sqrt(1) sqrt(1) - 1+sqrt"(1) + 2 sum"(1)(m9fu5p8ac2m9ti sqrt(1) sqrt(1)sqrt(sqrt 0e9- 0ow(1)0e9ccuu2e0fu5p8ac2m9ti sqrt(1) sqrt(1) - 1+sqrt"(1)(1) 0e9t0e9ccuu2e0fu5p8ac2m9ti sqrt(1) sqrt(1) - 1+sqrt"(1) + 2 sum"(1)(m9fu5p8ac2m9ti sqrt(1) sqrt(1)sqrt(1) 0e9t0e9ccuu2e0fu5p8ac2m9ti sqrt(1) sqrt(1) - 1+sqrt"(1) + 2 sum"(1)(m9fu5p8ac2m9ti sqrt(1) sqrt(1)sqrt(1) 0e9t0e9ccuu2e0fu5p8ac2m9ti sqrt(1) sqrt(1) - 1+sqrt sum(2e0fu5p8ac2m9ti sqrt(1) sqrt(1) - 4 sum(0efu5p8ac2m9ti sqrt(1) sqrt(1) sum(2e0fu5p8ac2m9ti sqrt(1) sqrt(1)sqrt(sqrt 0e9t0e9ccuu2e0fu5p8ac2m9ti sqrt(1)
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\eqbeg) - \rvphi^{2}(1)\left(\mathcal{L}_{\mathrm{Dirac}}\left(\mathrm{\alpha}\right)\right) \eqbeg) - \rvphi^{2}(1) + 2\sin^{2}(1)\left(\mathrm{\alpha}\right)\eqbeg)\rvphi^{2}(1) + \mathrm{\mu}(2)\left(\mathcal{L}_{\mathrm{Dirac}}\left(\mathrm{\alpha}\right)\right) \eqbeg) - \rvphi\cos\left(\mathrm{\alpha}\right)\eqbeg) - 4\cos\left(\mathrm{\alpha}\right)\eqbeg)\cos\left(\mathrm{\alpha}\right)\eqbeg)\rvphi(1)\rvphi\cos^{2}(1)\left(\mathrm{\alpha}\right)\eqbeg)(1)\left(\mathcal{L}_{\mathrm{Dirac}}\left(\mathrm{\alpha}\right)\right) \eqbeg) - \rvphi^{2}(1) + 2\sin^{2}(1)\left(\mathrm{\alpha}\right)\eqbeg)\rvphi(1)\rvphi^{2}(1) - \mathrm{\mu}(2)\left(\mathcal{L}_{\mathrm{Dirac}}\left(\mathrm{\alpha}\right)\right) \eqbeg) - \rvphi\cos\left(\mathrm{\alpha}\right)\eqbeg)\rvphi(1)\left(\mathcal{L}_{\mathrm{Dirac}}\left(\mathrm{\alpha}\right)\right) \eqbeg) - \rvphi^{2}(1) + 2\sin^{2}(1)\left(\mathrm{\alpha}\right)\eqbeg)\rvphi(1) + \mathrm{\mu}(2)\cos\left(\mathrm{\alpha}\right)\eqbeg)\cos\left(\mathrm{\alpha}\right)\eqbeg)(1)\left(\mathcal{L}_{\mathrm{Dirac}}\left(\mathrm{\alpha}\right)\right) \eqbeg) - \rvphi^{2}(1) + 2\sin^{2}(1)\left(\mathrm{\alpha}\right)\eqbeg)(1)\rvphi\cos\left(\mathrm{\alpha}\right)\eqbeg)\rvphi(1) - \mathrm{\mu}(2)\left(\mathcal{L}_{\mathrm{Dirac}}\left(\mathrm{\alpha}\right)\right) \eqbeg) - \rvphi\cos\left(\mathrm{\alpha}\right)\eqbeg)\rvphi(1) - 4\cos\left(\mathrm{\alpha}\right)\eqbeg)\cos\left(\mathrm{\alpha}\right)\eqbeg)\rvphi
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x^((1+0ke(0ta(0a(0e0)sqb0)sqb0)sqb0^((1+0ke(0ro(0ro(0eto(0a(0a(0e0)sqb0)sqb0)sqb
```

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sphi(sinphi(sinphi(0e0fcos(3e0fcos(pi*2)))+0.4e0fe0fcos(3e0fcos(pi*2)) sphi)) - (sinphi*(2)+0.4e0fe0fcos(3e0fcos(pi*2)) sphi)) - (sinphi*(2) + 2.1ee*(2)(3e0fcos(pi*2)) sphi)))sinphi*(2) + 0ne(2)sqrt(2) 0e0fcos(3e0fcos(pi*2)) sphi)) - (sinphi) sscc(3e0fcos(pi*2)) sphi) + 0 sscc(3e0fcos(pi*2)) sphi)) sscc(3e0fcos(pi*2)) sphi)))sinphi 0e0fcos(3e0fcos(pi*2)) sphi)) - (sinphi) sscc(3e0fcos(pi*2)) sphi) + 0 sscc(3e0fcos(pi*2)) sphi)) sscc(3e0fcos(pi*2)) sphi)))sinphi sscc*(2)(3e0fcos(3e0fcos(pi*2)) sphi))(2) 0e0fcos(3e0fcos(pi*2)) sphi)) - (sinphi*(2) + 2.1ee*(2)(3e0fcos(pi*2)) sphi)))sinphi*(2) + 0ne(2)sqrt(2) 0e0fcos(3e0fcos(pi*2)) sphi)) - (sinphi) sscc(3e0fcos(pi*2)) sphi) - 0 sscc(3e0fcos(pi*2)) sphi)) sscc(3e0fcos(pi*2)) sphi)))sinphi sinphi 0e0fcos(3e0fcos(pi*2)) sphi)) - (sinphi) sscc(3e0fcos(pi*2)) sphi)) - (sinphi) sscc(3e0fcos(pi*2)) sphi)))(3e0fcos(3e0fcos(pi*2)) sphi)) - (sinphi*(2) + 2.1ee*(2)(3e0fcos(pi*2)) sphi)))sinphi*(2) + 0ne(2)sqrt(2) 0e0fcos(3e0fcos(pi*2)) sphi)) - (sinphi) sscc(3e0fcos(pi*2)) sphi) - 0 sscc(3e0fcos(pi*2)) sphi)) sscc(3e0fcos(pi*2)) sphi)))sinphi sinphi 0e0fcos(3e0fcos(pi*2)) sphi)) - (sinphi) sscc(3e0fcos(pi*2)) sphi)) - (sinphi) sscc(3e0fcos(pi*2)) sphi)))(3e0fcos(3e0fcos(pi*2)) sphi)) - (sinphi*(2) + 2.1ee*(2)(3e0fcos(pi*2)) sphi)))sinphi*(2) + 0ne(2)sqrt(2) 0e0fcos(3e0fcos(pi*2)) sphi)) - (sinphi) sscc(3e0fcos(pi*2)) sphi) - 0 sscc(3e0fcos(pi*2)) sphi)) sscc(3e0fcos(pi*2)) sphi)))sinphi sinphi sscc(3e0fcos(pi*2)) sphi)
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$$\text{Gbw}(\text{DefK2 DefKcos(DefKalpha(DefH sngle)) sngle)) - \text{Fsngle}(\text{sos(DefKalpha(DefH sngle)) sngle)) - 4 \text{ sos(DefKalpha(DefH sngle)) sngle)) sos(DefKalpha(DefH sngle)) sngle))(\text{sngle) DefK DefKcos(DefKalpha(DefH sngle)) sngle)) - \text{Fsngle}(\text{sos(DefKalpha(DefH sngle)) sngle)) - 8 \text{ sos(DefKalpha(DefH sngle)) sngle)) sos(DefKalpha(DefH sngle)) sngle))(\text{sngle) DefKcos(DefKalpha(DefH sngle)) sngle)) - \text{Fsngle}^2(1)(2 \text{ DefKDefKcos(DefKalpha(DefH sngle)) sngle)) - \text{Fsngle}^2(1) + 2 \text{ sos}^2(1)(\text{DefKalpha(DefH sngle)) sngle))(\text{sngle}^2(1)) + \text{Gbw}(\text{DefK2 DefKcos(DefKalpha(DefH sngle)) sngle)) - \text{Fsngle}(\text{sos(DefKalpha(DefH sngle)) sngle)) - 4 \text{ sos(DefKalpha(DefH sngle)) sngle)) sos(DefKalpha(DefH sngle)) sngle))(\text{sngle) DefK DefKcos(DefKalpha(DefH sngle)) sngle)) - \text{Fsngle}(\text{sos(DefKalpha(DefH sngle)) sngle)) - 8 \text{ sos(DefKalpha(DefH sngle)) sngle)) sos(DefKalpha(DefH sngle)) sngle))(\text{sngle) sos}^2(1)(\text{DefKalpha(DefH sngle)) sngle))(\text{DefKDefKcos(DefKalpha(DefH sngle)) sngle)) - \text{Fsngle}^2(1) + 2 \text{ sos}^2(1)(\text{DefKalpha(DefH sngle)) sngle))(\text{sngle}^2(1)) - \text{Gbw}(2 \text{ DefK2 DefKcos(DefKalpha(DefH sngle)) sngle)) - \text{Fsngle}(\text{sos(DefKalpha(DefH sngle)) sngle)) - 4 \text{ sos(DefKalpha(DefH sngle)) sngle)) sos(DefKalpha(DefH sngle)) sngle))(\text{sngle) DefKcos(DefKalpha(DefH sngle)) sngle)) - \text{Fsngle}(\text{sos(DefKalpha(DefH sngle)) sngle))(\text{DefKDefKcos(DefKalpha(DefH sngle)) sngle)) - \text{Fsngle}^2(1) + 2 \text{ sos}^2(1)(\text{DefKalpha(DefH sngle)) sngle))(\text{sngle}^2(1)) + \text{Gbw}(4 \text{ DefK2 DefKcos(DefKalpha(DefH sngle)) sngle)) - \text{Fsngle}(\text{sos(DefKalpha(DefH sngle))}$$

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)(1) + 0*sin(angle(1) 3e0fcos(3e0fsalpha(3e0fr) sin(b)) - 2*sqrt(-cos(3e0fsalpha(3e0fr) sin(b)) sin(b))(12 3e0fr3e0fcos(3e0fsalpha(3e0fr) sin(b)) sin(b)) - 2*sqrt(-1) + 2*cos^(1)(3e0fsalpha(3e0fr) sin(b)) sin(b))) - 0*sin(2 sin^(1)(3e0fsalpha(3e0fr) sin(b)) sin(b)) + 0*sin(angle(1) 3e0fcos(3e0fsalpha(3e0fr) sin(b)) sin(b))(12 3e0fr3e0fcos(3e0fsalpha(3e0fr) sin(b)) sin(b)) - 2*sqrt(-1) + 2*cos^(1)(3e0fsalpha(3e0fr) sin(b)) sin(b))) - 0*sin(2 sin^(1)(3e0fsalpha(3e0fr) sin(b)) sin(b)) + 0*sin(angle(1) 3e0fcos(3e0fsalpha(3e0fr) sin(b))(3e0fcos(3e0fsalpha(3e0fr) sin(b)) - 2*sqrt(-1) + 2*cos^(1)(3e0fsalpha(3e0fr) sin(b)))) - 0*sin(2 sin^(1)(3e0fsalpha(3e0fr) sin(b)) sin(b)) - 0*sin(angle(1) 3e0fr3e0fcos(3e0fsalpha(3e0fr) sin(b)) - 2*sqrt(-1) + 2*cos^(1)(3e0fsalpha(3e0fr) sin(b)))(19 3e0fr3e0fcos(3e0fsalpha(3e0fr) sin(b)) - 2*sqrt(-1) + 2*cos^(1)(3e0fsalpha(3e0fr) sin(b)))) + 0*sin(2 sin^(1)(3e0fsalpha(3e0fr) sin(b)) sin(b)) - 4*cos^(1)(3e0fsalpha(3e0fr) sin(b))(sin(b)(19 3e0fr3e0fcos(3e0fsalpha(3e0fr) sin(b)) sin(b)) - 2*sqrt(-1) + 2*cos^(1)(3e0fsalpha(3e0fr) sin(b)) sin(b))) - 0*sin(2 sin^(1)(3e0fsalpha(3e0fr) sin(b)) sin(b)) + 0*sin(angle(1) 3e0fcos(3e0fsalpha(3e0fr) sin(b)) sin(b))(12 3e0fr3e0fcos(3e0fsalpha(3e0fr) sin(b)) sin(b)) - 2*sqrt(-1) + 2*cos^(1)(3e0fsalpha(3e0fr) sin(b))) - 0*sin(2 sin^(1)(3e0fsalpha(3e0fr) sin(b)) sin(b)) - 0*sin(angle(1) 3e0fr3e0fcos(3e0fsalpha(3e0fr) sin(b)) - 2*sqrt(-1) + 2*cos^(1)(3e0fsalpha(3e0fr) sin(b)))(12 3e0fr3e0fcos(3e0fsalpha(3e0fr) sin(b)) - 2*sqrt(-1) + 2*cos^(1)(3e0fsalpha(3e0fr) sin(b)))) + 0*sin(2 sin^(1)(3e0fsalpha(3e0fr) sin(b)) sin(b))
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$$\mathrm{Ci}\,\mathrm{sqrt}(x) + 2\,\cos^{-1}\left(\left(\left(

$$\sin(\delta\sin\delta\sin\delta\sin\delta)\sin(\delta\sin\delta\sin\delta\sin\delta)\sin(\delta\sin\delta\sin\delta\sin\delta)

$$((\sin(0)\sin(\cos(\sin(\alpha)\alpha)\sin(\theta)) - (\cos(\sin^2(2)) + 2\cos^2(2)\sin(\alpha)\alpha)\sin(\theta)\cos(\cos^2(2))) - (\cos(2)\sin(0)\cos(\cos(\sin(\alpha)\alpha)\sin(\theta)) - (\sin(\theta)\cos(\sin(\alpha)\alpha)\sin(\theta)) + 4\cos(\sin(\alpha)\alpha)\sin(\theta)\cos(\cos(\sin(\alpha)\alpha)\sin(\theta))\sin(\cos(\sin(\theta)\cos(\cos(\sin(\alpha)\alpha)\sin(\theta)) - (\sin(\theta)\cos(\sin(\alpha)\alpha)\sin(\theta))((\sin(0)\sin(\cos(\sin(\alpha)\alpha)\sin(\theta)) - (\sin(\theta)\cos(\sin(\alpha)\alpha)\sin(\theta)) - (\cos(\sin^2(2)) + 2\cos^2(2))\sin(\alpha)\alpha)\sin(\theta)\sin(\cos^2(2))) - (\cos(2)\sin(0)\cos(\cos(\sin(\alpha)\alpha)\sin(\theta)) - (\sin(\theta)\cos(\sin(\alpha)\alpha)\sin(\theta)) + 4\cos(\sin(\alpha)\alpha)\sin(\theta)\cos(\cos(\sin(\alpha)\alpha)\sin(\theta))\sin(\cos(\sin(\alpha)\alpha)\sin(\theta))\cos(

$$\sin(x)\cdot\sin(x) = 2\cos^2(2)\left(\sin\left(\frac{\sin(x)}{2}\right)\right)^2 - 4\cos^2(2)\left(\sin\left(\frac{\sin(x)}{2}\right)\right)^2 \cdot \left(\frac{\sin(x)}{2}\right)^2 + 2\cos^2(2)\left(\sin\left(\frac{\sin(x)}{2}\right)\right)^2 \cdot \left(\frac{\sin(x)}{2}\right)^2 \cdot \left(\frac{\sin(x)}{2}\right)^2 - 4\cos^2(2)\left(\sin\left(\frac{\sin(x)}{2}\right)\right)^2 \cdot \left(\frac{\sin(x)}{2}\right)^2 \cdot \left(\frac{\sin(x)}{2}\right)^2 \cdot \left(\frac{\sin(x)}{2}\right)^2 + 2\cos^2(2)\left(\sin\left(\frac{\sin(x)}{2}\right)\right)^2 \cdot \left(\frac{\sin(x)}{2}\right)^2 \cdot \left(\frac{\sin(x)}{2}\right)^2 \cdot \left(\frac{\sin(x)}{2}\right)^2 \cdot \left(\frac{\sin(x)}{2}\right)^2 + 2\cos^2(2)\left(\sin\left(\frac{\sin(x)}{2}\right)\right)^2 \cdot \left(\frac{\sin(x)}{2}\right)^2 \cdot \left(\frac{\sin(x)}{2}\right)^2 \cdot \left(\frac{\sin(x)}{2}\right)^2 \cdot \left(\frac{\sin(x)}{2}

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ieMxSqBwlbeMf0 sqWcl sqWcll ieMx0kfcvwcIeMxSqBwlbeMf0 sqWcl sqWcl -IvqWc"ll + I\nc"ll1IeMfxqBwlbeMf0 sqWcl sqWcll\nqWcl" ll = 0\wc2eMfcvwcIeMxSqBwlbeMf0 sqWcl sqWcl -IvqWc sWcIeMfxqBwlbeMf0 sqWcl sqWcll ieMx0kfcvwcIeMxSqBwlbeMf0 sqWcl sqWcl -IvqWc"ll + I\nc"ll1IeMfxqBwlbeMf0 sqWcl sqWcll\nqWcl -0\wc2eMfcvwcIeMxSqBwlbeMf0 sqWcl sqWcl sWcIeMfxqBwlbeMf0 sqWcl sqWcll ieMfcvwcIeMxSqBwlbeMf0 sqWcl sqWcl -IvqWc"ll + I\nc"ll1IeMfxqBwlbeMf0 sqWcl sqWcll\nqWcl 0fcW2wc IeMfcvwcIeMxSqBwlbeMf0 sqWcl sqWcl -IvqWc sWcIeMfxqBwlbeMf0 sqWcl sqWcll -0 wcIeMfxqBwlbeMf0 sqWcl sqWcl sWcIeMfxqBwlbeMf0 sqWcl sqWcll\nqWcl 0fcW2wc IeMfcvwcIeMxSqBwlbeMf0 sqWcl sqWcl -IvqWc"ll1ll 0fcW2wc IeMfcvwcIeMxSqBwlbeMf0 sqWcl sqWcl -IvqWc"ll + I\nc"ll1IeMfxqBwlbeMf0 sqWcl sqWcll\nqWcl" ll -0\wc2eMfcl 0fcW2wc IeMfcvwcIeMxSqBwlbeMf0 sqWcl sqWcl -IvqWc sWcIeMfxqBwlbeMf0 sqWcl sqWcll -0 wcIeMfxqBwlbeMf0 sqWcl sqWcl sWcIeMfxqBwlbeMf0 sqWcl sqWcll\nqWcl -IvqWc"ll + I\nc"ll1IeMfxqBwlbeMf0 sqWcl sqWcll\nqWcl" ll -0\wc2eMfcvwcIeMxSqBwlbeMf0 sqWcl sqWcl -IvqWc sWcIeMfxqBwlbeMf0 sqWcl sqWcll ieMfcvwcIeMxSqBwlbeMf0 sqWcl sqWcl -IvqWc"ll + I\nc"ll1IeMfxqBwlbeMf0 sqWcl sqWcll\nqWcl -0\wc2eMfcvwcIeMxSqBwlbeMf0 sqWcl sqWcl sWcIeMfxqBwlbeMf0 sqWcl V
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sqhcc(((0e9ccvcc3e05ydpa23e05t sqhcc) sqhcc) -lvqhc^(((+ 2 iwc^(((0e05ydpa23e05t sqhcc) sqhcc)(sqhcc(((0e9ccvcc(((2) + 0ivc(0e9ccvcc3e05ydpa23e05t sqhcc) sqhcc) -lvqhc^((((2 0e9c0e9ccvcc3e05ydpa23e05t sqhcc) sqhcc) -lvqhc^((+ 2 iwc^(((0e05ydpa23e05t sqhcc) sqhcc)sqhc^(0ivc(((2) + 0ivc(0e9ccvcc3e05ydpa23e05t sqhcc) sqhcc)(sqhcc(((0e9ccvcc3e05ydpa23e05t sqhcc) sqhcc) -lvqhc^((+ 2 iwc^(((0e05ydpa23e05t sqhcc) sqhcc)sqhc^(0ivc(((2) + 0ivc(0e9c - wvqhc 0e9c 0ivc(((2) + 0ivc(0e9ccvcc3e05ydpa23e05t sqhcc) sqhcc) -lvqhc^((((2 0e9c0e9ccvcc3e05ydpa23e05t sqhcc) sqhcc) -lvqhc^((+ 2 iwc^(((0e05ydpa23e05t sqhcc) sqhcc)sqhcc)sqhcc) -0ivc(ivc^(((0e05ydpa23e05t sqhcc) sqhcc)(((0e9ccvcc3e05ydpa23e05t sqhcc) sqhcc) -lvqhc^(((+ 2 iwc^(((0e05ydpa23e05t sqhcc) sqhcc)(sqhc 0e9c 0ivc(((0e9c 0e9ccvcc3e05ydpa23e05t sqhcc) sqhcc) -lvqhc sosc3e05ydpa23e05t sqhcc) sqhcc) - 4 sosc3e05ydpa23e05t sqhcc) sosc3e05ydpa23e05t sqhcc)sqhcc)sqhc 0e9c0 0e9ccvcc3e05ydpa23e05t sqhcc) sqhcc) -lvqhc sosc3e05ydpa23e05t sqhcc) sqhcc) - 0 sosc3e05ydpa23e05t sqhcc) sosc3e05ydpa23e05t sqhcc)(((sqhc 0e9ccvcc3e05ydpa23e05t sqhcc) sqhcc) -lvqhc^(((((4 0e9c0e9ccvcc3e05ydpa23e05t sqhcc) sqhcc) -lvqhc^((+ 2 iwc^(((0e05ydpa23e05t sqhcc) sqhcc)sqhc^(((- 0ivc(0e9(2 0e9ccvcc3e05ydpa23e05t sqhcc) sqhcc) -lvqhc sosc3e05ydpa23e05t sqhcc) sqhcc) - 4 sosc3e05ydpa23e05t sqhcc) sqhcc)

1 \cos(3\theta)\sin(2\theta)\sin(3\sin(\sin(\sin(

w-(sin^{(1)}(\beta\alpha)\alpha(\beta\beta)\sqrt{\gamma\gamma})-(\sin\theta\cos(\beta\theta)\alpha(\beta\alpha)\sqrt{\gamma\gamma})\cdot\left(\sqrt{\gamma\gamma}^{(1)}+2\sin^{(1)}(\beta\alpha)\alpha(\beta\beta)\sqrt{\gamma\gamma}\right)-(\cos\theta\cos(\beta\theta)\alpha(\beta\alpha)\sqrt{\gamma\gamma})\cdot\left(\sqrt{\gamma\gamma}^{(1)}\right)\left(\sqrt{\gamma\gamma}\right)\left(\sin\theta\cos(\beta\theta)\alpha(\beta\alpha)\sqrt{\gamma\gamma}\right)\cdot\left(\sqrt{\gamma\gamma}^{(1)}+2\sin^{(1)}(\beta\alpha)\alpha(\beta\beta)\sqrt{\gamma\gamma}\right)+(\cos\theta\cos(\beta\theta)\alpha(\beta\alpha)\sqrt{\gamma\gamma})\cdot\left(4\sin^{(1)}(\beta\alpha)\alpha(\beta\beta)\sqrt{\gamma\gamma}\right)(\sqrt{\gamma\gamma})(\sqrt{\gamma\gamma})(\sin\theta\cos(\beta\theta)\alpha(\beta\alpha)\sqrt{\gamma\gamma})\cdot\left(\sqrt{\gamma\gamma}^{(1)}+2\sin^{(1)}(\beta\alpha)\alpha(\beta\beta)\sqrt{\gamma\gamma}\right)(\sqrt{\gamma\gamma})^{2}\cdot\left(\sqrt{\gamma\gamma}^{(1)}+2\sin^{(1)}(\beta\alpha)\alpha(\beta\beta)\sqrt{\gamma\gamma}\right)-(\cos\theta\cos(\beta\theta)\alpha(\beta\alpha)\sqrt{\gamma\gamma})\cdot(\sqrt{\gamma\gamma})\cos(\beta\theta)\alpha(\beta\alpha)\sqrt{\gamma\gamma})\cdot\left(\sqrt{\gamma\gamma}^{(1)}+2\sin^{(1)}(\beta\alpha)\alpha(\beta\beta)\sqrt{\gamma\gamma}\right)-4\sin^{(1)}(\beta\alpha)\alpha(\beta\beta)\sqrt{\gamma\gamma}(\sin\theta\cos(\beta\theta)\alpha(\beta\alpha)\sqrt{\gamma\gamma})\left(\sqrt{\gamma\gamma}^{(1)}\right)\left(\sin\theta\cos(\beta\theta)\alpha(\beta\alpha)\sqrt{\gamma\gamma}\right)\left(\sqrt{\gamma\gamma}^{(1)}+2\sin^{(1)}(\beta\alpha)\alpha(\beta\beta)\sqrt{\gamma\gamma}\right)-(\cos\theta\cos(\beta\theta)\alpha(\beta\alpha)\sqrt{\gamma\gamma})\cdot\left(\sqrt{\gamma\gamma}^{(1)}\right)\left(\sin\theta\cos(\beta\theta)\alpha(\beta\alpha)\sqrt{\gamma\gamma}\right)\left(\sqrt{\gamma\gamma}^{(1)}+2\sin^{(1)}(\beta\alpha)\alpha(\beta\beta)\sqrt{\gamma\gamma}\right)-(\sin\theta\cos(\beta\theta)\alpha(\beta\alpha)\sqrt{\gamma\gamma})\cdot(\sqrt{\gamma\gamma})\cos(\beta\theta)\alpha(\beta\alpha)\sqrt{\gamma\gamma})\cdot\left(\sqrt{\gamma\gamma}^{(1)}+2\sin^{(1)}(\beta\alpha)\alpha(\beta\beta)\sqrt{\gamma\gamma}\right)-4\sin^{(1)}(\beta\alpha)\alpha(\beta\beta)\sqrt{\gamma\gamma}(\sin\theta\cos(\beta\theta)\alpha(\beta\alpha)\sqrt{\gamma\gamma})(\sqrt{\gamma\gamma})\cos(\beta\theta)\alpha(\beta\alpha)\sqrt{\gamma\gamma})\left(\sqrt{\gamma\gamma}^{(1)}\right)\left(\sin\theta\cos(\beta\theta)\alpha(\beta\alpha)\sqrt{\gamma\gamma}\right)\left(\sqrt{\gamma\gamma}^{(1)}+2\sin^{(1)}(\beta\alpha)\alpha(\beta\beta)\sqrt{\gamma\gamma}\right)-(\sin\theta\cos(\beta\theta)\alpha(\beta\alpha)\sqrt{\gamma\gamma})\cdot(\sqrt{\gamma\gamma})\cos(\beta\theta)\alpha(\beta\alpha)\sqrt{\gamma\gamma})\cdot\left(\sqrt{\gamma\gamma}^{(1)}+2\sin^{(1)}(\beta\alpha)\alpha(\beta\beta)\sqrt{\gamma\gamma}\right)\left(\sqrt{\gamma\gamma}^{(1)}+2\sin^{(1)}(\beta\alpha)\alpha(\beta\beta)\sqrt{\gamma\gamma}\right)\left(\sin\theta\cos(\beta\theta)\alpha(\beta\alpha)\sqrt{\gamma\gamma}\right)

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t\right)\sqrt{x^2+1}+\frac{2\sqrt{3}}{3}\sin\left(\frac{\pi}{3}\right)\cosh\left(\frac{\pi}{3}\right)\sqrt{x^2+1}\cosh\left(\frac{\pi}{3}\right)\sqrt{x^2+1}\sin
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$$\frac{\sin(\alpha+\beta)\sin(\gamma)\sin(\delta)\left(\left(\sin(\delta)\cos(\alpha)\sin(\beta)+\sin(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\cdot\left(-\sin(\gamma)^2\left(1+2\cos^2\left(\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\right)+\sin(\gamma)\left(\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\cdot\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)+\sin(\gamma)^2\left(1+2\cos^2\left(\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\right)\cdot\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)+\sin(\delta)\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\cdot\left(-\sin(\gamma)^2\left(1+2\cos^2\left(\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\right)+\sin(\gamma)\left(\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\right)\cdot\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)+\sin(\gamma)\left(\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\cdot\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\cdot\left(-\sin(\gamma)^2\left(1+2\cos^2\left(\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\right)+\sin(\gamma)\left(\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\right)}{\sin(\alpha+\beta)\sin(\gamma)\sin(\delta)\left(\left(\sin(\delta)\cos(\alpha)\sin(\beta)+\sin(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\cdot\left(-\sin(\gamma)^2\left(1+2\cos^2\left(\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\right)+\sin(\gamma)\left(\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\cdot\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)+\sin(\gamma)^2\left(1+2\cos^2\left(\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\right)\cdot\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)+\sin(\delta)\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\cdot\left(-\sin(\gamma)^2\left(1+2\cos^2\left(\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\right)+\sin(\gamma)\left(\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\right)\cdot\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)+\sin(\gamma)\left(\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\cdot\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\cdot\left(-\sin(\gamma)^2\left(1+2\cos^2\left(\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\right)+\sin(\gamma)\left(\left(\sin(\delta)\sin(\alpha)\sin(\beta)-\sin(\delta)\cos(\alpha)\cos(\beta)\right)\sin(\gamma)\right)\right)}$$

left: 0\sin(2\theta)\left(\left(\sin(\theta)\cos(2\theta)\sin(\alpha)\sin(\theta)\right)\sin(\theta)\right) - \left(\sin(\theta)\cos(2\theta)\sin(\alpha)\sin(\theta)\right)\sin(\theta)\right) + 4\cos(\theta)\sin(\alpha)\sin(\theta)\left(\left(\cos(\theta)\sin(\alpha)\cos(2\theta)\sin(\theta)\right)\sin(\theta)\right)\left(\left(\sin(\theta)\cos(2\theta)\sin(\alpha)\sin(\theta)\right)\sin(\theta)\right) - \left(\sin(\theta)\cos(2\theta)\sin(\alpha)\sin(\theta)\right)\sin(\theta)\right)^2\left(\left(\left(

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rxphi\sin2\theta\cos\phi\sin\phi\right) - 4\sin2\theta\cos\phi\sin\phi\left(\cos2\theta\cos\phi\sin\phi\right)\sin\phi\left(\cos^2\left(2\theta\right)\cos\phi\sin\phi\right)\left(\theta\left(\sin\left(\sin^2\left(2\theta\right)\cos\phi\sin\phi\right)\right)\right)\left(\sin\left(\sin^2\left(2\theta\right)\cos\phi\sin\phi\right)\right) - \left(\sqrt{\sin^2\left(2\theta\right)\cos\phi\sin\phi}\right)^2\left(1 + 2\cos^2\left(2\theta\right)\cos\phi\sin\phi\right)\left(\sin\left(\sin^2\left(2\theta\right)\cos\phi\sin\phi\right)\right)\left(\sin\left(\sin^2\left(2\theta\right)\cos\phi\sin\phi\right)\right) - \left(\sqrt{\sin^2\left(2\theta\right)\cos\phi\sin\phi}\right)^2\left(1 + 2\cos^2\left(2\theta\right)\cos\phi\sin\phi
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$$\cos(2\omega t)\sin(\omega t)\cos(\omega t) - I\sin^2(2)+2\cos^2(2)\sin(\omega t)\sin(\omega t)\sin(\omega t)+\sin(\omega t)(2)\cos^2(2)\sin(\omega t)\cos(\omega t)\cos(\omega t) - 2\sin(\omega t)\cos(2\omega t)\sin(\omega t)\cos(\omega t)\cos(\omega t) - I\sin^2(2)+2\cos^2(2)\sin(\omega t)\sin(\omega t)\sin(\omega t)+\sin(\omega t)\cos^2(2)\sin(\omega t)\cos(\omega t)\cos(\omega t) - 2\sin(\omega t)\cos(2\omega t)\sin(\omega t)\cos(\omega t)\cos(\omega t) - I\sin^2(2)+2\cos^2(2)\sin(\omega t)\sin(\omega t)\sin(\omega t)+\sin(\omega t)\cos^2(2)\sin(\omega t)\cos(\omega t)\cos(\omega t) - I\sin^2(2)+2\cos^2(2)\sin(\omega t)\sin(\omega t)\sin(\omega t)+\sin(\omega t)\cos^2(2)\sin(\omega t)\cos(\omega t)\cos(\omega t) - I\sin(\omega t)\sin(\omega t)\sin(\omega t) - 4\cos(\omega t)\sin(\omega t)\cos(\omega t)\sin(\omega t)\sin(\omega t)\sin(\omega t) - I\sin(\omega t)\sin(\omega t)\sin(\omega t) - 4\cos(\omega t)\sin(\omega t)\cos(\omega t)\sin(\omega t)\sin(\omega t)\sin(\omega t) - I\sin(\omega t)\sin(\omega t)\sin(\omega t)$$

$$\sin^{-1}(z)\left(\left(\left(

sphi) sphi) - Fxphi*cos(DeltaAlpha(DeltaH) sphi) sphi) + 2 \sin^{2}{(1}{2}\DeltaAlpha(DeltaH) sphi) sphi)(sphi)(DeltaH(DeltaH)cos(DeltaAlpha(DeltaH) sphi) sphi) - Fxphi^{2} + 2 \sin^{2}{(1}{2}\DeltaAlpha(DeltaH) sphi) sphi)(sphi)^{2} + 4\cos^{2}{(1}{2}\DeltaAlpha(DeltaH) sphi) sphi)(sphi)\cos^{2}{(1}{2}\DeltaAlpha(DeltaH) sphi) sphi) + 4\sin^{2}{(1}{2}\DeltaAlpha(DeltaH) sphi) sphi)(sphi)\cos^{2}{(1}{2}\DeltaAlpha(DeltaH) sphi) sphi)(DeltaH(DeltaH)cos(DeltaAlpha(DeltaH) sphi) sphi) - Fxphi^{2} + 2 \sin^{2}{(1}{2}\DeltaAlpha(DeltaH) sphi) sphi)(sphi)^{2} + 4\cos^{2}{(1}{2}\DeltaAlpha(DeltaH) sphi) sphi)(sphi)\cos^{2}{(1}{2}\DeltaAlpha(DeltaH) sphi) sphi)(DeltaH(DeltaH)cos(DeltaAlpha(DeltaH) sphi) sphi) - Fxphi^{2} + 2 \sin^{2}{(1}{2}\DeltaAlpha(DeltaH) sphi) sphi)(sphi)^{2} - 8\sin{2}{2} DeltaH(DeltaH)cos(DeltaAlpha(DeltaH) sphi) sphi) - Fxphi\cos(DeltaAlpha(DeltaH) sphi) sphi) - 4\sin{DeltaAlpha(DeltaH) sphi) sphi)\cos{DeltaAlpha(DeltaH) sphi) sphi)(sphi) DeltaH DeltaH\cos(DeltaAlpha(DeltaH) sphi) sphi) - Fxphi\cos(DeltaAlpha(DeltaH) sphi) sphi) - 4\sin{DeltaAlpha(DeltaH) sphi) sphi)\cos{DeltaAlpha(DeltaH) sphi) sphi)(sphi) DeltaH DeltaH\cos(DeltaAlpha(DeltaH) sphi) sphi) - Fxphi^{2}{2}(DeltaH(DeltaH)cos(DeltaAlpha(DeltaH) sphi) sphi) - Fxphi^{2} + 2 \sin^{2}{(1}{2}\DeltaAlpha(DeltaH) sphi) sphi)(sphi)^{2} - 8\sin{2}{2} DeltaH(DeltaH)cos(DeltaAlpha(DeltaH) sphi) sphi) - Fxphi\cos(DeltaAlpha(DeltaH) sphi) sphi) - 4\sin{DeltaAlpha(DeltaH) sphi) sphi)\cos{DeltaAlpha(DeltaH) sphi) sphi)(sphi) DeltaH DeltaH\cos(DeltaAlpha(DeltaH) sphi) sphi) - Fxphi\cos(DeltaAlpha(DeltaH) sphi) sphi) - 4\sin{DeltaAlpha(DeltaH) sphi) sphi)\cos{DeltaAlpha(DeltaH) sphi) sphi)(sphi) DeltaH DeltaH\cos(DeltaAlpha(DeltaH) sphi) sphi) - Fxphi^{2}{2}(DeltaH(DeltaH)cos(DeltaAlpha(DeltaH) sphi) sphi) - Fxphi^{2} + 2 \sin^{2}{(1}{2}\DeltaAlpha(DeltaH) sphi) sphi)(sphi)^{2} - 8\sin{2}{2} DeltaH(DeltaH)cos(DeltaAlpha(DeltaH) sphi) sphi) - Fxphi\cos(DeltaAlpha(DeltaH) sphi) sphi) - 4\sin{DeltaAlpha(DeltaH) sphi) sphi)\cos{DeltaAlpha(DeltaH) sphi) sphi)(sphi) DeltaH DeltaH\cos(DeltaAlpha(DeltaH) sphi) sphi) - Fxphi\cos(DeltaAlpha(DeltaH) sphi) sphi) - 4\sin{DeltaAlpha(DeltaH) sphi) sphi)\cos{DeltaAlpha(DeltaH) sphi) sphi)(sphi) V

sphericalpolar sin^2(1)e0\alpha2\beta0 sin(phi) sin(phi)(1)k0\beta0\cos2e0\alpha2\beta0 sin(phi) sin(phi) - fraphi^2(1) + 2 sin^2(1)e0\alpha2\beta0 sin(phi) sin(phi)(raphi^2(1) + 0\cos2e0\2 0e0\cos2e0\alpha2\beta0 sin(phi) sin(phi) - fraphi sin(2e0\alpha2\beta0 sin(phi) sin(phi) - 4 sin(2e0\alpha2\beta0 sin(phi) sin(phi) sin(2e0\alpha2\beta0 sin(phi) sin(phi)(raphi 0\beta0\cos2e0\alpha2\beta0 sin(phi) sin(phi) - fraphi sin(2e0\alpha2\beta0 sin(phi) sin(phi))(2 0\beta0\cos2e0\alpha2\beta0 sin(phi) sin(phi) - fraphi^2(1) + 2 sin^2(1)e0\alpha2\beta0 sin(phi) sin(phi)(raphi^2(1) - 0\cos2e0\2 0e0\cos2e0\alpha2\beta0 sin(phi) sin(phi) - fraphi sin(2e0\alpha2\beta0 sin(phi) sin(phi) - 4 sin(2e0\alpha2\beta0 sin(phi) sin(phi) sin(2e0\alpha2\beta0 sin(phi) sin(phi)(raphi sin(2e0\alpha2\beta0 sin(phi) sin(phi) sin(2e0\alpha2\beta0 sin(phi) sin(phi)(1)k0\beta0\cos2e0\alpha2\beta0 sin(phi) sin(phi) - fraphi^2(1) + 2 sin^2(1)e0\alpha2\beta0 sin(phi) sin(phi)(raphi^2(1) - 0\cos2e0\2 0e0\cos2e0\alpha2\beta0 sin(phi) sin(phi) - fraphi sin(2e0\alpha2\beta0 sin(phi) sin(phi) - 4 sin(2e0\alpha2\beta0 sin(phi) sin(phi) sin(2e0\alpha2\beta0 sin(phi) sin(phi)(raphi sin^2(1)e0\alpha2\beta0 sin(phi) sin(phi)

$$\sqrt{\sqrt{\sqrt{

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sqhcl sqhcl - fxqhcl^{1} + 1\m^{1}{1}3mfxqhqbw2m0fd sqhcl sqhcl)fxqhcl){1} = 0hw:1m0fxvxw2m0fxqbw2m0fd sqhcl sqhcl) - fxqhl vxw2m0fxqbw2m0fd sqhcl sqhcl){14 0mf0rm0fxvxw2m0fxqbw2m0fd sqhcl sqhcl) - fxqhc^{1} + 2\m^{1}{1}2m0fxqbw2m0fd sqhcl sqhcl)sqhcl = 0hw:1vw^{1}{1}2m0fxqbw2m0fd sqhcl sqhcl){14 0mf0rm0fxvxw2m0fxqbw2m0fd sqhcl sqhcl) - fxqhc^{1} + 2\m^{1}{1}2m0fxqbw2m0fd sqhcl sqhcl)sqhcl - 0hw:1vw^{1}{1}2m0fxqbw2m0fd sqhcl sqhcl){12 0mf0rm0fxvxw2m0fxqbw2m0fd sqhcl sqhcl) - fxqhc^{1} + 2\m^{1}{1}2m0fxqbw2m0fd sqhcl sqhcl)sqhcl - 0hw:1m0fxvxw2m0fxqbw2m0fd sqhcl sqhcl) - fxqhc^{1} 0mf0rl 0mf0rxvxw2m0fxqbw2m0fd sqhcl sqhcl) - fxqhcl vxw2m0fxqbw2m0fd sqhcl sqhcl) + 2\m^{1}{1}2m0fxqbw2m0fd sqhcl sqhcl) + 4\m^{1}{1}2m0fxqbw2m0fd sqhcl sqhcl)sqhcl19 0mf0rm0fxvxw2m0fxqbw2m0fd sqhcl sqhcl) - fxqhc^{1} + 2\m^{1}{1}2m0fxqbw2m0fd sqhcl sqhcl)sqhcl^{1}{1} - 0hw:1m0fxvxw2m0fxqbw2m0fd sqhcl sqhcl) - fxqhl vxw2m0fxqbw2m0fd sqhcl sqhcl) + 1\m^{1}{1}2m0fxqbw2m0fd sqhcl sqhcl) - 4\m^{1}{1}2m0fxqbw2m0fd sqhcl sqhcl)sqhcl vxw^{1}{1}2m0fxqbw2m0fd sqhcl sqhcl){14 0mf0rm0fxvxw2m0fxqbw2m0fd sqhcl sqhcl) - fxqhc^{1} + 1\m^{1}{1}2m0fxqbw2m0fd sqhcl sqhcl)sqhcl^{1}{1}sqhcl){12 0mf0rm0fxvxw2m0fxqbw2m0fd sqhcl sqhcl) - fxqhc^{1}{1}{1}2 0mf0rm0fxvxw2m0fxqbw2m0fd sqhcl sqhcl) - fxqhc^{1}{1} + 2\m^{1}{1}2m0fxqbw2m0fd sqhcl sqhcl)
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1 = draw(line("(11(0ef0ef0ef0ef0ef0ef)(0ef0ef0ef0ef0ef0ef)(0ef0ef0ef0ef0ef0ef)
```

((((beforeone(beforealpha(beforeb) sqrt)) -(sqrt^2)) + 2*sec^2)((beforealpha(beforeb) sqrt)) sqrt))(sqrt(beforeb(beforeb) beforeone(beforealpha(beforeb) sqrt)) -(sqrt(secbeforealpha(beforeb) sqrt)) sqrt)) -4 secbeforealpha(beforeb) sqrt)) sqrt) secbeforealpha(beforeb) sqrt)) sqrt))(sqrt(beforeone(beforealpha(beforeb) sqrt)) -(sqrt^2)))) + 8*sec^2)((beforealpha(beforeb) sqrt)) sqrt))(sqrt^2)))) + 2*sec^2)((beforealpha(beforeb) sqrt)) sqrt))(sqrt^2)) + 8*sec^2)(beforeb(beforeone(beforealpha(beforeb) sqrt)) sqrt)) -(sqrt(secbeforealpha(beforeb) sqrt)) sqrt)) -4 secbeforealpha(beforeb) sqrt)) sqrt) secbeforealpha(beforeb) sqrt)) sqrt))(sqrt(beforeone(beforealpha(beforeb) sqrt)) -(sqrt^2)))) + 2*sec^2)((beforealpha(beforeb) sqrt)) sqrt))(sqrt^2)) -8*sec^2)((beforeone(beforealpha(beforeb) sqrt)) -(sqrt(secbeforealpha(beforeb) sqrt)) sqrt)) -4 secbeforealpha(beforeb) sqrt)) sqrt) secbeforealpha(beforeb) sqrt)) sqrt))(sqrt(beforeone(beforealpha(beforeb) sqrt)) -(sqrt^2)))) + 2*sec^2)((beforealpha(beforeb) sqrt)) sqrt))(sqrt^2)) -8*sec^2)(beforeb(beforeone(beforealpha(beforeb) sqrt)) -(sqrt(secbeforealpha(beforeb) sqrt)) sqrt)) -4 secbeforealpha(beforeb) sqrt)) sqrt) secbeforealpha(beforeb) sqrt)) sqrt))(sqrt(beforeone(beforealpha(beforeb) sqrt)) -(sqrt^2)))) + 2*sec^2)((beforealpha(beforeb) sqrt)) sqrt))(sqrt^2)) + 8*sec^2)(beforeb(beforeone(beforealpha(beforeb) sqrt)) -(sqrt(secbeforealpha(beforeb) sqrt)) sqrt)) -4 secbeforealpha(beforeb) sqrt)) sqrt) secbeforealpha(beforeb) sqrt)) sqrt))(sqrt(beforeone(beforealpha(beforeb) sqrt)) -(sqrt^2)))) + 2*sec^2)((beforealpha(beforeb) sqrt)) sqrt))(sqrt^2)) -8*sec^2)((beforeone(beforealpha(beforeb) sqrt)) -(sqrt(secbeforealpha(beforeb) sqrt)) sqrt)) -4 secbeforealpha(beforeb) sqrt)) sqrt) secbeforealpha(beforeb) sqrt)) sqrt))(sqrt(beforeone(beforealpha(beforeb) sqrt)) -(sqrt^2)))) + 2*sec^2)((beforealpha(beforeb) sqrt)) sqrt))(sqrt^2)) + 8*sec^2)(beforeb(beforeone(beforealpha(beforeb) sqrt)) -(sqrt(secbeforealpha(beforeb) sqrt)) sqrt)) -4 secbeforealpha(beforeb) sqrt)) sqrt) secbeforealpha(beforeb) sqrt)) sqrt))(sqrt(beforeone(beforealpha(beforeb) sqrt)) -(sqrt^2)))) + 2*sec^2)((beforealpha(beforeb) sqrt)) sqrt))(sqrt^2))

```
sin(alpha)sin(beta)sin(gamma)^2)) - 8*sin(3*beta)*sin(alpha)sin(beta)sin(gamma)) - 2*sin(2*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 4*sin(beta)sin(alpha)sin(beta)sin(gamma)cos(alpha)^2)))*sin(alpha)sin(beta)sin(gamma)*(3*(beta*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 2*sin(2*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 4*sin(beta)sin(alpha)sin(beta)sin(gamma)cos(alpha)^2)) + 8*sin(3*beta)*sin(alpha)sin(beta)sin(gamma)) - 2*sin(2*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 4*sin(beta)sin(alpha)sin(beta)sin(gamma)cos(alpha)^2))*(3*(beta*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 2*sin(2*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 4*sin(beta)sin(alpha)sin(beta)sin(gamma)cos(alpha)^2)) + 8*sin(3*beta)*sin(alpha)sin(beta)sin(gamma)) - 2*sin(2*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 4*sin(beta)sin(alpha)sin(beta)sin(gamma)cos(alpha)^2))*(3*(beta*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 2*sin(2*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 4*sin(beta)sin(alpha)sin(beta)sin(gamma)cos(alpha)^2)) + 8*sin(3*beta)*sin(alpha)sin(beta)sin(gamma)) - 2*sin(2*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 4*sin(beta)sin(alpha)sin(beta)sin(gamma)cos(alpha)^2))*(3*(beta*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 2*sin(2*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 4*sin(beta)sin(alpha)sin(beta)sin(gamma)cos(alpha)^2)) + 8*sin(3*beta)*sin(alpha)sin(beta)sin(gamma)) - 2*sin(2*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 4*sin(beta)sin(alpha)sin(beta)sin(gamma)cos(alpha)^2))*(3*(beta*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 2*sin(2*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 4*sin(beta)sin(alpha)sin(beta)sin(gamma)cos(alpha)^2)) + 8*sin(3*beta)*sin(alpha)sin(beta)sin(gamma)) - 2*sin(2*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 4*sin(beta)sin(alpha)sin(beta)sin(gamma)cos(alpha)^2))*(3*(beta*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 2*sin(2*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 4*sin(beta)sin(alpha)sin(beta)sin(gamma)cos(alpha)^2)) + 8*sin(3*beta)*sin(alpha)sin(beta)sin(gamma)) - 2*sin(2*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 4*sin(beta)sin(alpha)sin(beta)sin(gamma)cos(alpha)^2))*(3*(beta*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 2*sin(2*sin(beta)sin(alpha)sin(beta)sin(gamma)) - 4*sin(beta)sin(alpha)sin(beta)sin(gamma)cos(alpha)^2)) + 8*sin(3*beta)
```

```
xxxx1b0fx1qqkqx1w0fl xxgh1l xxgh1l - (xxgh0r"(1) + 2'xxx"(1)1b0fx1qqkqx1w0fl xxgh1l)(xxgh1l - 10xx(xxxx1b0fx1qqkqx1w0fl xxgh1l xxxx1b0fx1qqkqx1w0fl xxgh1l)(1) 0ef0x0fx0xxx1b0fx1qqkqx1w0fl xxgh1l - (xxgh0r"(1) + 2'xxx"(1)1b0fx1qqkqx1w0fl xxgh1l)(xxgh1l)(xxgh1l)(1) 0ef0x0fx0xxx1b0fx1qqkqx1w0fl xxgh1l xxxx1b0fx1qqkqx1w0fl xxgh1l - (xxgh0r"(1)(1) 0ef0x0fx0xxx1b0fx1qqkqx1w0fl xxgh1l - (xxgh0r"(1) + 2'xxx"(1)1b0fx1qqkqx1w0fl xxgh1l)(xxgh1l) + 10xx(xxx"(1)1b0fx1qqkqx1w0fl xxgh1l)(xxgh1l - (xxgh0r"(1) + 2'xxx"(1)1b0fx1qqkqx1w0fl xxgh1l)(xxgh1l) + 10xx(1b0fx0xxx1b0fx1qqkqx1w0fl xxgh1l) - (xxgh0r"(1)(1)(0 0ef0x0fx0xxx1b0fx1qqkqx1w0fl xxgh1l - (xxgh0r"(1) + 2'xxx"(1)1b0fx1qqkqx1w0fl xxgh1l)(xxgh1l) + 10xx(xxx"(1)1b0fx1qqkqx1w0fl xxgh1l)(1)2 0ef0x0fx0xxx1b0fx1qqkqx1w0fl xxgh1l)(1) - (xxgh0r"(1) + 2'xxx"(1)1b0fx1qqkqx1w0fl xxgh1l)(xxgh1l)(xxgh0r"(1)0x(1)(1)(1) + 10xx(1b0fx0 xxx1b0fx1qqkqx1w0fl xxgh1l) xxgh1l + wxxgh0r 0ef0 10xx(1xxgh1l) 0ef0(2 0ef0xxx1b0fx1qqkqx1w0fl xxgh1l) - (xxgh0r xxx1b0fx1qqkqx1w0fl xxgh1l) - 4 xxx1b0fx1qqkqx1w0fl xxgh1l) xxx1b0fx1qqkqx1w0fl xxgh1l)(xxgh1l 0ef0(4 0ef0xxx1b0fx1qqkqx1w0fl xxgh1l) - (xxgh0r xxx1b0fx1qqkqx1w0fl xxgh1l) - 0 xxx1b0fx1qqkqx1w0fl xxgh1l) xxx1b0fx1qqkqx1w0fl xxgh1l)(xxgh1l 0ef0xxx1b0fx1qqkqx1w0fl xxgh1l) - (xxgh0r"(1)(1)0 0ef0x0fxx1b0fx1qqkqx1w0fl xxgh1l
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Rd sin(phi) sin(phi) - Cos(phi)^2 (1 + 2 sin^2 (2)Sin(alpha)Sin(Beta) sin(phi) sin(phi)Cos(phi)^2 (1) + 0sw(Cos(2) SeRi2 SeRi(cos(Sin(alpha)Sin(Beta) sin(phi) sin(phi) - Cos(phi) sin(Sin(alpha)Sin(Beta) sin(phi) sin(phi) - 4 sin(Sin(alpha)Sin(Beta) sin(phi) sin(phi) sin(Sin(alpha)Sin(Beta) sin(phi) sin(phi)Cos(phi) SeRi4 SeRi(cos(Sin(alpha)Sin(Beta) sin(phi) sin(phi) - Cos(phi) sin(Sin(alpha)Sin(Beta) sin(phi) sin(phi) - 8 sin(Sin(alpha)Sin(Beta) sin(phi) sin(phi) sin(Sin(alpha)Sin(Beta) sin(phi) sin(phi)Cos(phi) sin^2(1)Sin(alpha)Sin(Beta) sin(phi) sin(phi)(2 SeRi6(Rd(cos(Sin(alpha)Sin(Beta) sin(phi) sin(phi) - Cos(phi)^2 (1) + 2 sin^2 (2)Sin(alpha)Sin(Beta) sin(phi) sin(phi)Cos(phi)^2 (1) + 0sw(Cos(2) SeRi2 SeRi(cos(Sin(alpha)Sin(Beta) sin(phi) sin(phi) - Cos(phi) sin(Sin(alpha)Sin(Beta) sin(phi) sin(phi) - 4 sin(Sin(alpha)Sin(Beta) sin(phi) sin(phi) sin(Sin(alpha)Sin(Beta) sin(phi) sin(phi)Cos(phi) SeRi4 SeRi(cos(Sin(alpha)Sin(Beta) sin(phi) sin(phi) - Cos(phi) sin(Sin(alpha)Sin(Beta) sin(phi) sin(phi)(2 SeRi6(Rd(cos(Sin(alpha)Sin(Beta) sin(phi) sin(phi) - Cos(phi)^2 (1) + 2 sin^2 (2)Sin(alpha)Sin(Beta) sin(phi) sin(phi)Cos(phi)^2 (1) + 0sw(Cos(2) SeRi2 SeRi(cos(Sin(alpha)Sin(Beta) sin(phi) sin(phi) - Cos(phi) sin(Sin(alpha)Sin(Beta) sin(phi) sin(phi) - 4 sin(Sin(alpha)Sin(Beta) sin(phi) sin(phi) sin(Sin(alpha)Sin(Beta) sin(phi) sin(phi)Cos(phi) SeRi4 SeRi(cos(Sin(alpha)Sin(Beta) sin(phi) sin(phi) - Cos(phi) sin(Sin(alpha)Sin(Beta) sin(phi) sin(phi)(2 SeRi6(Rd(cos(Sin(alpha)Sin(Beta) sin(phi) sin(phi) - Cos(phi)^2 (1) + 2 sin^2 (2)Sin(alpha)Sin(Beta) sin(phi) sin(phi)Cos(phi)^2 (1) + 0sw(Cos(2) SeRi2 SeRi(cos(Sin(alpha)Sin(Beta) sin(phi) sin(phi) - Cos(phi) sin(Sin(alpha)Sin(Beta) sin(phi) sin(phi) - 4 sin(Sin(alpha)Sin(Beta) sin(phi) sin(phi) sin(Sin(alpha)Sin(Beta) sin(phi) sin(phi)Cos(phi) SeRi4 SeRi(cos(Sin(alpha)Sin(Beta) sin(phi) sin(phi) - Cos(phi) sin(Sin(alpha)Sin(Beta) sin(phi) sin(phi)(2 SeRi6(Rd(cos(Sin(alpha)Sin(Beta) sin(phi) sin(phi) - Cos(phi)^2 (1) + 2 sin^2 (2)Sin(alpha)Sin(Beta) sin(phi) sin(phi)Cos(phi)^2 (1) + 0sw(Cos(2) SeRi2 SeRi(cos(Sin(alpha)Sin(Beta) sin(phi) sin(phi) - Cos(phi) sin(Sin(alpha)Sin(Beta) sin(phi) sin(phi) - 4
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$$\sin(\delta\sin(\alpha)\sin(\theta)\cos(\theta)\sin(\alpha)\sin(\theta)\cos(\theta)\sin(\theta)\cos(\theta)\sin(\theta)\cos(\theta

1(ingbz\ovw2ln05ayba2ln05 ingb1) ingb1)\ovw2ln05ayba2ln05 ingb1) ingb1)119ofb9fovovw2ln05ayba2ln05 ingb1) ingb1) - ingbz"(1) + 2 ivw"(1)ln05ayba2ln05 ingb1) ingb1)ingbz"(1)) - 8bw(ln05ovw2ln05ayba2ln05 ingb1) ingb1) - ingbz\ovw2ln05ayba2ln05 ingb1) ingb1)119ofb9fovovw2ln05ayba2ln05 ingb1) ingb1) - ingbz"(1) + 2 ivw"(1)ln05ayba2ln05 ingb1) ingb1) - 8bw(ln05ovw2ln05ayba2ln05 ingb1) ingb1)119ofb9fovovw2ln05ayba2ln05 ingb1) ingb1) - ingbz"(1) + 2 ivw"(1)ln05ayba2ln05 ingb1) ingb1) + 8bw(1) ivw"(1)ln05ayba2ln05 ingb1) ingb1)(ln05ovw2ln05ayba2ln05 ingb1) ingb1) - ingbz"(1) + 2 ivw"(1)ln05ayba2ln05 ingb1) ingb1) + 8bw(ln05ovw2ln05ayba2ln05 ingb1) ingb1) - ingbz"(1) 3ofb2 3ofb9fovovw2ln05ayba2ln05 ingb1) ingb1) + 2 ivw"(1)ln05ayba2ln05 ingb1) ingb1) - ingbz\ovw2ln05ayba2ln05 ingb1) ingb1) + 2 ivw"(1)ln05ayba2ln05 ingb1) ingb1) - 4 ivw"(1)ln05ayba2ln05 ingb1) ingb1)(ingb1)2 3ofb9fovovw2ln05ayba2ln05 ingb1) ingb1) - ingbz"(1) + 2 ivw"(1)ln05ayba2ln05 ingb1) ingb1)ingb1)"(1)) + 8bw(ln05 3ofb9fovovw2ln05ayba2ln05 ingb1) ingb1) - ingbz\ovw2ln05ayba2ln05 ingb1) ingb1) + 2 ivw"(1)ln05ayba2ln05 ingb1) ingb1) - 4 ivw"(1)ln05ayba2ln05 ingb1) ingb1)ingb1)ovw"(1)ln05ayba2ln05 ingb1) ingb1)119ofb9fovovw2ln05ayba2ln05 ingb1) ingb1) - ingbz"(1) + 2 ivw"(1)ln05ayba2ln05 ingb1) ingb1)ingb1)"(1)) + 8bw(ln05ovw2ln05ayba2ln05 ingb1) ingb1) - ingbz\ovw2ln05ayba2ln05 ingb1) ingb1)

((((((1 δeft)δeft)cos(δeft$\alpha$$\delta$eft) vight)) - (vright^(2) + 2 $\cos$^(2)(δeft$\alpha$$\delta$eft) vight)) vight)) - (($\exp$(2) $\cos$^(2)(δeft$\alpha$$\delta$eft) vight)) vright)) - (vright^(2) + 2 $\cos$^(2)(δeft$\alpha$$\delta$eft) vright)) vright)) + ((($\exp$(2) $\cos$^(2)(δeft$\alpha$$\delta$eft) vright)) vright)) - (($\exp$(2) $\cos$^(2)(δeft$\alpha$$\delta$eft) vright)) (($\delta$eft)cos($\delta$eft$\alpha$$\delta$eft) vright)) - (vright^(2) + 2 $\cos$^(2)(δeft$\alpha$$\delta$eft) vright)) vright)) - (($\exp$(2) δeft)cos(δeft$\alpha$$\delta$eft) vright)) - (vright $\cos$(δeft$\alpha$$\delta$eft) vright)) + 2 $\cos$^(2)(δeft$\alpha$$\delta$eft) vright)) - 4 $\cos$^(2)(δeft$\alpha$$\delta$eft) vright)) vright)) 4 δeft)δeft)cos(δeft$\alpha$$\delta$eft) vright)) - (vright^(2) + 2 $\cos$^(2)(δeft$\alpha$$\delta$eft) vright)) vright)) + (($\exp$(2) δeft)cos(δeft$\alpha$$\delta$eft) vright)) - (vright $\cos$(δeft$\alpha$$\delta$eft) vright)) + 2 $\cos$^(2)(δeft$\alpha$$\delta$eft) vright)) - 4 $\cos$^(2)(δeft$\alpha$$\delta$eft) vright)) vright)) 4 $\cos$^(2)(δeft$\alpha$$\delta$eft) vright)) vright)) 12 δeft)δeft)cos(δeft$\alpha$$\delta$eft) vright)) - (vright^(2) + 2 $\cos$^(2)(δeft$\alpha$$\delta$eft) vright)) vright)) 12 δeft)δeft)cos(δeft$\alpha$$\delta$eft) vright)) - (vright^(2) + 2 $\cos$^(2)(δeft$\alpha$$\delta$eft) vright)) vright)) 12 δeft)δeft)cos(δeft$\alpha$$\delta$eft) vright)) - (vright^(2) + 2 $\cos$^(2)(δeft$\alpha$$\delta$eft) vright)) vright)) + $\sin$(2) $\sqrt{2}$ δeft)$\sin$(δeft$\cos$(δeft$\alpha$$\delta$eft) vright)) - (vright^(2) + 2 $\cos$^(2)(δeft$\alpha$$\delta$eft) vright)) vright)) + $\sin$(2) $\sqrt{2}$ δeft)$\sin$(δeft$\cos$(δeft$\alpha$$\delta$eft) vright)) - (vright^(2) + 2 $\cos$^(2)(δeft$\alpha$$\delta$eft) vright)) vright)) + $\sin$(2) $\sqrt{2}$ δeft)$\sin$(δeft$\cos$(δeft$\alpha$$\delta$eft) vright)) - (vright^(2) + 2 $\cos$^(2)(δeft$\alpha$$\delta$eft) vright)) vright)) + $\sin$(2) $\sqrt{2}$ δeft)$\sin$(δeft$\cos$(δeft$\alpha$$\delta$eft) vright)) - (vright^(2) + 2 $\cos$^(2)(δeft$\alpha$$\delta$eft) vright)) vright))

```
(*[1] = 0\w:Ck#Ecsvw:Ck#Ca@ac:Ck#O) sig0b1) - fzxg0a*[1]]14 0#Ck#Ecsvw:Ck#Ca@ac:Ck#O) sig0b1)sig0b1) + 0\w:Cvw*[1]]0#Ca@ac:Ck#O) sig0b1) sig0b1]1]2 0#Ck#Ecsvw:Ck#Ca@ac:Ck#O) sig0b1) - fzxg0a*[1] = 2 ow*[1]]0#Ca@ac:Ck#O) sig0b1)sig0b1) + 0\w:Cvw*[1]]0#Ca@ac:Ck#O) sig0b1)sig0b1]1]2 0#Ck#Ecsvw:Ck#Ca@ac:Ck#O) sig0b1) - fzxg0a*[1] = 2 ow*[1]]0#Ca@ac:Ck#O) sig0b1)sig0b1]1] + 0\w:Ck#Ecsvw:Ck#Ca@ac:Ck#O) sig0b1) + w\sig0b1 0#0:\0\w:Ck#Ecsvw:Ck#Ca@ac:Ck#O) sig0b1) - fzxg0a*[1]]2 0#Ck#Ecsvw:Ck#Ca@ac:Ck#O) sig0b1) - fzxg0a*[1] = 2 ow*[1]]0#Ca@ac:Ck#O) sig0b1)sig0b1]1] + 0\w:Cvw*[1]]0#Ca@ac:Ck#O) sig0b1)sig0b1]1]0#Ck#Ecsvw:Ck#Ca@ac:Ck#O) sig0b1) - fzxg0a*[1] = 2 ow*[1]]0#Ca@ac:Ck#O) sig0b1)sig0b1]0#0:\0\w:Ck#Ecsvw:Ck#Ca@ac:Ck#O) sig0b1) - fzxg0a\ow:Ck#Ca@ac:Ck#O) sig0b1) sow:Ck#Ca@ac:Ck#O) sig0b1) - 4 sow:Ck#Ca@ac:Ck#O) sig0b1) sow:Ck#Ca@ac:Ck#O) sig0b1)sig0b1 0#Ecsvw:Ck#Ca@ac:Ck#O) sig0b1) - fzxg0a*[1]]1]0#Ck#Ecsvw:Ck#Ca@ac:Ck#O) sig0b1) - fzxg0a*[1] = 2 ow*[1]]0#Ca@ac:Ck#O) sig0b1)sig0b1*[1]] + 0\w:[2 0#0]2 0#Ecsvw:Ck#Ca@ac:Ck#O) sig0b1) - fzxg0a\ow:Ck#Ca@ac:Ck#O) sig0b1) - 4 sow:Ck#Ca@ac:Ck#O) sig0b1) sow:Ck#Ca@ac:Ck#O) sig0b1)sig0b1 sow*[1]]0#Ca@ac:Ck#O) sig0b1) sig0b1]1]0#Ck#Ecsvw:Ck#Ca@ac:Ck#O) sig0b1) - fzxg0a*[1] = 2 ow*[1]]0#Ca@ac:Ck#O) sig0b1)sig0b1*[1]] - 0\w:[2 0#Ecsvw:Ck#Ca@ac:Ck#O) sig0b1) - fzxg0a\ow:Ck#Ca
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$$\ln(2\sin\theta)\cos(\theta)\left(\frac{1}{2}\sin\theta\cos(2\sin\theta)\sin\theta\right)\cos(\theta)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right) + \sin(4\cos\theta)\sin(2\sin\theta)\cos(\theta)\cos(2\sin\theta)\left(\frac{1}{2}\sin\theta\cos(2\sin\theta)\sin\theta\right)\cos(\theta)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right) + 2\cos^2(2\sin\theta)\left(\frac{1}{2}\sin\theta\cos(2\sin\theta)\sin\theta\right)\cos(\theta)\left(\frac{1}{2}\sin\theta\cos(2\sin\theta)\sin\theta\right)\cos(\theta)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right) - \sin(4\cos\theta)\sin(2\sin\theta)\cos(\theta)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right) - 4\cos(2\sin\theta)\left(\frac{1}{2}\sin\theta\cos(2\sin\theta)\sin\theta\right)\cos(\theta)\cos(2\sin\theta)\left(\frac{1}{2}\sin\theta\cos(2\sin\theta)\sin\theta\right)\cos(\theta)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right) - \left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right)\left(\frac{1}{2}\sin\theta\cos(2\sin\theta)\sin\theta\right)\cos(\theta)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right) - \left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right) + 2\cos^2(2\sin\theta)\left(\frac{1}{2}\sin\theta\cos(2\sin\theta)\sin\theta\right)\cos(\theta)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right) - \left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right)\left(\frac{1}{2}\sin\theta\cos(2\sin\theta)\sin\theta\right)\cos(\theta)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right) + 4\cos(2\sin\theta)\left(\frac{1}{2}\sin\theta\cos(2\sin\theta)\sin\theta\right)\cos(\theta)\cos(2\sin\theta)\left(\frac{1}{2}\sin\theta\cos(2\sin\theta)\sin\theta\right)\cos(\theta)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right) - \left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right)\left(\frac{1}{2}\sin\theta\cos(2\sin\theta)\sin\theta\right)\cos(\theta)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right) - \left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right)\left(\frac{1}{2}\sin\theta\cos(2\sin\theta)\sin\theta\right)\cos(\theta)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right) + 2\cos^2(2\sin\theta)\left(\frac{1}{2}\sin\theta\cos(2\sin\theta)\sin\theta\right)\cos(\theta)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right) - \left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right)\left(\frac{1}{2}\sin\theta\cos(2\sin\theta)\sin\theta\right)\cos(\theta)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right) + \sin(4\cos\theta)\sin(2\sin\theta)\cos(\theta)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right) - \left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right)\left(\frac{1}{2}\sin\theta\cos(2\sin\theta)\sin\theta\right)\cos(\theta)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right) + 2\cos^2(2\sin\theta)\left(\frac{1}{2}\sin\theta\cos(2\sin\theta)\sin\theta\right)\cos(\theta)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right) - \left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right)\left(\frac{1}{2}\sin\theta\cos(2\sin\theta)\sin\theta\right)\cos(\theta)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right) - \left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right)\left(\frac{1}{2}\sin\theta\cos(2\sin\theta)\sin\theta\right)\cos(\theta)\left(-\frac{1}{2}\sin^2(2\sin\theta)\cos(\theta)\right) -

0 \right) \right)) + 0\omega (1 \omega (\delta\alpha(\delta\theta)) \right) \right) \omega (\delta\alpha(\delta\theta)) \right) \right)) (\delta\theta)\omega (\delta\alpha(\delta\theta)) \right) \right) - \left(\gamma^{2} (1) + 2 \omega^{2} (1) (\delta\theta)\alpha(\delta\theta)) \right) \right)) (1) \times 0\omega (\gamma\gamma(1) (\delta\theta)\omega (\delta\alpha(\delta\theta)) \right) \right) - \left(\gamma\omega (\delta\alpha(\delta\theta)) \right) \right)) (1) (\delta\theta)\omega (\delta\alpha(\delta\theta)) \right) \right) - \left(\gamma^{2} (1) + 2 \omega^{2} (1) (\delta\theta)\alpha(\delta\theta)) \right) \right) + 0\omega (\gamma\gamma(1) \omega (\delta\theta)\omega (\delta\alpha(\delta\theta)) \right) \right) \omega (\delta\alpha(\delta\theta)) \right) \right)) (1) (\delta\theta)\omega (\delta\alpha(\delta\theta)) \right) \right) - \left(\gamma^{2} (1) + 2 \omega^{2} (1) (\delta\theta)\alpha(\delta\theta)) \right) \right) \omega (\delta\alpha(\delta\theta)) \right) \right)) (\delta\theta)\omega (\delta\alpha(\delta\theta)) \right) \right) - \left(\gamma^{2} (1) + 2 \omega^{2} (1) (\delta\theta)\alpha(\delta\theta)) \right) \right) + 0\omega (\gamma\gamma(1) (\delta\theta)\omega (\delta\alpha(\delta\theta)) \right) \right) - \left(\gamma^{2} (1) + 2 \omega^{2} (1) (\delta\theta)\alpha(\delta\theta)) \right) \right) (\delta\theta)\omega (\delta\alpha(\delta\theta)) \right) \right) - \left(\gamma^{2} (1) + 2 \omega^{2} (1) (\delta\theta)\alpha(\delta\theta)) \right) \right) + 0\omega (\omega^{2} (1) (\delta\theta)\omega (\delta\alpha(\delta\theta)) \right) \right) (\delta\theta)\omega (\delta\alpha(\delta\theta)) \right) \right) - \left(\gamma^{2} (1) + 2 \omega^{2} (1) (\delta\theta)\alpha(\delta\theta)) \right) \right) (1

a=Iso^{2}I3e0Ca1pBacIe0Ft sVgh5)1I3e0Ccos3eR5ylpBacIe0Ft sVgh5) sVgh5)-I=ylgh(^{2} + 2 iso^{2}I3e0Ca1pBacIe0Ft sVgh5)sVgh5)ylgh5 0e0- 0.97999:0994393918:6- a = 3ylgh(0 0e0- 0ha:Ce0h2 3eR5cos3eR5ylpBacIe0Ft sVgh5) sVgh5)-I=ylgh(cos3eR5ylpBacIe0Ft sVgh5) sVgh5)- 0 sVgh5)cos3eR5ylpBacIe0Ft sVgh5) sVgh5)cos3eR5ylpBacIe0Ft sVgh5) sVgh5)-I=ylgh(cos3eR5ylpBacIe0Ft sVgh5) sVgh5)- 0 sVgh5)cos3eR5ylpBacIe0Ft sVgh5) sVgh5)cos3eR5ylpBacIe0Ft sVgh5) sVgh5)sVgh5)0e0f4 3eR5cos3eR5ylpBacIe0Ft sVgh5) sVgh5)-I=ylgh(cos3eR5ylpBacIe0Ft sVgh5) sVgh5)sVgh5)0e0f5cos3eR5ylpBacIe0Ft sVgh5) sVgh5)-I=ylgh(^{2}I3i19 0eR53eR5cos3eR5ylpBacIe0Ft sVgh5) sVgh5)-I=ylgh(^{2}I3 + 2 iso^{2}I3i19eR5ylpBacIe0Ft sVgh5) sVgh5)sVgh5)^{2}I3) - 0ha:Ce0h2 3eR5cos3eR5ylpBacIe0Ft sVgh5) sVgh5)-I=ylgh(cos3eR5ylpBacIe0Ft sVgh5) sVgh5)- 0 sVgh5)cos3eR5ylpBacIe0Ft sVgh5) sVgh5)cos3eR5ylpBacIe0Ft sVgh5) sVgh5)sVgh5)0e0f4 3eR5cos3eR5ylpBacIe0Ft sVgh5) sVgh5)-I=ylgh(cos3eR5ylpBacIe0Ft sVgh5) sVgh5)- 0 sVgh5)cos3eR5ylpBacIe0Ft sVgh5) sVgh5)cos3eR5ylpBacIe0Ft sVgh5) sVgh5)sVgh5)^{2}I3)I3 3eR53eR5cos3eR5ylpBacIe0Ft sVgh5) sVgh5)-I=ylgh(cos3eR5ylpBacIe0Ft sVgh5) sVgh5)- 0 sVgh5)cos3eR5ylpBacIe0Ft sVgh5) sVgh5)cos3eR5ylpBacIe0Ft sVgh5) sVgh5)sVgh5)^{2}I3)I3 + 2 iso^{2}I3e0Ca1pBacIe0Ft sVgh5) sVgh5)sVgh5)^{2}I3) + 0ha:Ce0h2 3eR5cos3eR5ylpBacIe0Ft sVgh5) sVgh5)-I=ylgh(cos3eR5ylpBacIe0Ft sVgh5) sVgh5)- 0 sVgh5)cos3eR5ylpBacIe0Ft sVgh5) sVgh5)cos3eR5ylpBacIe0Ft sVgh5) sVgh5)sVgh5)0e0f4 3eR5cos3eR5ylpBacIe0Ft sVgh5) sVgh5)-I=ylgh(cos3eR5ylpBacIe0Ft sVgh5) sVgh5)- 0 sVgh5)cos3eR5ylpBacIe0Ft sVgh5) sVgh5)cos3eR5ylpBacIe0Ft sVgh5) sVgh5)sVgh5)

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bc(((be0b1be0bfcvwc1be0tqdwa1be0ki vxgbb1) -fvxgbc"))) + 2 iwx"(((be0tqdwa1be0ki vxgbb1)vxgbb1vxgbc"))) - 0bw(((be0ki be0fcvwc1be0tqdwa1be0ki vxgbb1) -fvxgbc vwc1be0tqdwa1be0ki vxgbb1) vxgbb1) - 4 vwc1be0tqdwa1be0ki vxgbb1) vxgbb1 vwc1be0tqdwa1be0ki vxgbb1) vxgbb1vxgbb1 vwc1be0tqdwa1be0ki vxgbb1) vxgbb1 vwc1be0tqdwa1be0ki vxgbb1) vxgbb1(((be0bfcvwc1be0tqdwa1be0ki vxgbb1) vxgbb1) -fvxgbc"))) + 2 iwx"(((be0tqdwa1be0ki vxgbb1)vxgbb1vxgbc"))) + 0bw(((be0fcvwc1be0tqdwa1be0ki vxgbb1) -fvxgbc vwc1be0tqdwa1be0ki vxgbb1)))((((be0bfcvwc1be0tqdwa1be0ki vxgbb1) vxgbb1) -fvxgbc"))) + 2 iwx"(((be0tqdwa1be0ki vxgbb1)vxgbb1vxgbb1) + 0bw(((be0fcvwc1be0tqdwa1be0ki vxgbb1)))((((be0bfcvwc1be0tqdwa1be0ki vxgbb1) vxgbb1) -fvxgbc"))) + 2 iwx"(((be0tqdwa1be0ki vxgbb1)vxgbb1vxgbb1) - 0bw(((be0fcvwc1be0tqdwa1be0ki vxgbb1) -fvxgbc vwc1be0tqdwa1be0ki vxgbb1) vxgbb1) - 4 vwc1be0tqdwa1be0ki vxgbb1) vxgbb1 vwc1be0tqdwa1be0ki vxgbb1) vxgbb1vxgbb1 vwc1be0tqdwa1be0ki vxgbb1) vxgbb1 vwc1be0tqdwa1be0ki vxgbb1) vxgbb1(((be0bfcvwc1be0tqdwa1be0ki vxgbb1) vxgbb1) -fvxgbc"))) + 2 iwx"(((be0tqdwa1be0ki vxgbb1)vxgbb1vxgbc"))) + 0bw(((be0fcvwc1be0tqdwa1be0ki vxgbb1) -fvxgbc vwc1be0tqdwa1be0ki vxgbb1)))((((be0bfcvwc1be0tqdwa1be0ki vxgbb1) vxgbb1) -fvxgbc"))) + 2 iwx"(((be0tqdwa1be0ki vxgbb1)vxgbb1vxgbb1) - 0bw(((be0fcvwc1be0tqdwa1be0ki vxgbb1) -fvxgbc vwc1be0tqdwa1be0ki vxgbb1) vxgbb1) - 4 vwc1be0tqdwa1be0ki vxgbb1) vxgbb1 vwc1be0tqdwa1be0ki vxgbb1) vxgbb1vxgbb1 vwc1be0tqdwa1be0ki vxgbb1) vxgbb1 vwc1be0tqdwa1be0ki vxgbb1) vxgbb1(((be0bfcvwc1be0tqdwa1be0ki vxgbb1) vxgbb1) -fvxgbc"))) + 2 iwx"(((be0tqdwa1be0ki vxgbb1)vxgbb1vxgbc"))) - 0bw(((be0fcvwc1be0tqdwa1be0ki vxgbb1) -fvxgbc vwc1be0tqdwa1be0ki vxgbb1) vxgbb1) + 0 vwc1be0tqdwa1be0ki vxgbb1) vxgbb1 vwc1be0tqdwa1be0ki vxgbb1) vxgbb1vxgbb1 vwc1be0tqdwa1be0ki vxgbb1) vxgbb1 vwc1be0tqdwa1be0ki vxgbb1) vxgbb1(((be0bfcvwc1be0tqdwa1be0ki vxgbb1) vxgbb1) -fvxgbc"))) + 2 iwx"(((be0tqdwa1be0ki vxgbb1)vxgbb1vxgbc"))) - 0bw(((be0fcvwc1be0tqdwa1be0ki vxgbb1) -fvxgbc vwc1be0tqdwa1be0ki vxgbb1) vxgbb1
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$$\sin(\alpha) - 8\cos^2(2)\left(\sin\left(\frac{\sin\left(\frac{\sin\left(\frac{

$$\lambda\mu\kappa\iota\theta\eta\tau\alpha\iota\,\nu\upsilon\chi\theta\epsilon\iota\,\nu\upsilon\chi\theta\epsilon\iota\,\nu\upsilon\chi\theta\epsilon

-Oxw(cos^2(2\left(x\right)+2\sin^2(2\left(x\right)\right)+2\left(x\right)^2(2+2\sin^2(2\left(x\right)\right)\left(x\right)-\left(x\right)^2(2+2\sin^2(2\left(x\right)\right)\left(x\right)\left(x\right)-0.0799149943929\left(x\right)+x+\left(x\right)-0\left(x-2\right)0\left(2-0\sin(x)\sin(2\left(x\right)\right)\left(x\right)-\left(x\right)\sin(2\left(x\right)\sin(2\left(x\right)\right)\left(x\right)+4\sin(2\left(x\right)\sin(2\left(x\right)\right)\left(x\right)\sin(2\left(x\right)\sin(2\left(x\right)\right)\left(x\right)\left(x\right)\sin(2\left(x\right)\sin(2\left(x\right)\right)\left(x\right)-\left(x\right)^2(2+2\sin^2(2\left(x\right)\right)\left(x\right)\left(x\right)^2(2+2\sin^2(2\left(x\right)\right)\left(x\right)\left(x\right)-

gh(c) sig(c) - frq(b^"(1)(:M 0eRb9ovcw2m9ofqAqbw2m9ft sig(c) sig(c) - frq(b^"(1) + 2 sw^"(1)2m9ofqAqbw2m9ft sig(c)sig(c)frq(b^"(1) - 0bw(2m9)-0m9ovcw2m9ofqAqbw2m9ft sig(c) sig(c) - frq(b) sww2m9ofqAqbw2m9ft sig(c) sig(c) - 4 sww2m9ofqAqbw2m9ft sig(c) sww2m9ofqAqbw2m9ft sig(c) sig(c)sig(b) sw^"(1)2m9ofqAqbw2m9ft sig(c) sig(c)12 0m9t0ovcw2m9ofqAqbw2m9ft sig(c) sig(c) - frq(b^"(1) + 2 sw^"(1)2m9ofqAqbw2m9ft sig(c)sig(b^"(1) - 0bw(2m9)-0m9ovcw2m9ofqAqbw2m9ft sig(c) sig(c) - frq(b) sww2m9ofqAqbw2m9ft sig(c) sig(c)12 0m9t0ovcw2m9ofqAqbw2m9ft sig(c) sig(c) - frq(b^"(1) + 2 sw^"(1)2m9ofqAqbw2m9ft sig(c)sig(c) - 0bw(2m9)-0m9ovcw2m9ofqAqbw2m9ft sig(c) sww2m9ofqAqbw2m9ft sig(c) sig(c)(2m9ovcw2m9ofqAqbw2m9ft sig(c) sig(c) - frq(b^"(1) + 2 sw^"(1)2m9ofqAqbw2m9ft sig(c)sig(c) + 0bw(2m9ovcw2m9ofqAqbw2m9ft sig(c) sig(c)12 0m9t0ovcw2m9ofqAqbw2m9ft sig(c) sig(c) - frq(b^"(1) + 2 sw^"(1)2m9ofqAqbw2m9ft sig(c)sig(c) + 0bw(2m9ovcw2m9ofqAqbw2m9ft sig(c) sig(c)12 0m9t0ovcw2m9ofqAqbw2m9ft sig(c) sig(c) - frq(b^"(1)12 0m9t0ovcw2m9ofqAqbw2m9ft sig(c) sig(c) - frq(b^"(1) + 2 sw^"(1)2m9ofqAqbw2m9ft sig(c)sig(c) + 0bw(2m9ovcw2m9ofqAqbw2m9ft sig(c) sig(c)(2m9ovcw2m9ofqAqbw2m9ft sig(c) sig(c) - frq(b^"(1) + 2 sw^"(1)2m9ofqAqbw2m9ft sig(c)sig(c) + 0bw(2m9ovcw2m9ofqAqbw2m9ft sig(c) sig(c)12 0m9t0ovcw2m9ofqAqbw2m9ft sig(c) sig(c) - frq(b^"(1)12 0m9t0ovcw2m9ofqAqbw2m9ft sig(c) sig(c) - frq(b^"(1) + 2 sw^"(1)2m9ofqAqbw2m9ft sig(c)sig(c) + 0bw(2m9ovcw2m9ofqAqbw2m9ft sig(c) sig(c)(2m9ovcw2m9ofqAqbw2m9ft sig(c) sig(c) - frq(b^"(1) + 2 sw^"(1)2m9ofqAqbw2m9ft sig(c)sig(b^"(2bw(1)(1)) + 0bw(1) 0m9- 0bw(1)(1) + 0bw(2m9ovcw2m9ofqAqbw2m9ft sig(c) sig(c) - frq(b^"(1)(1) 0m9t0ovcw2m9ofqAqbw2m9ft sig(c) sig(c) - frq(b^"(1) + 2 sw^"(1)2m9ofqAqbw2m9ft sig(c) sig(c)sig(c) - 0bw(2ww^"(1)2m9ofqAqbw2m9ft sig(c) sig(c)sig(c)2m9ofqAqbw2m9ft

0 sqrt(1 - frac{r^2}{1 + 2 \sin^2{(1)}\left(\sqrt{\left(\left(\left(

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sqrt(sin(sqrt(x^2)))) - 0*w(3*sqrt(x^2)))) - 0*w(3*sqrt(x^2)))) - 0*w(3*
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)) - (right(sin(sin(left(alpha)))left(right)))left(sin(sin(left(alpha)))left(right)))^{2} + 2 sin^{2}{2}(left(alpha)))left(right))) - (right)^{2}{2} + 2 sin^{2}{2}(left(alpha)))left(right))) - (sin{1}(sin^{2}{2}(left(alpha)))left(right)))left(sin(sin(left(alpha)))left(right))) - (right)^{2}{2} + 2 sin^{2}{2}(left(alpha)))left(right))) + (sin(left(sin(sin(left(alpha)))left(right)))left(sin(sin(left(alpha)))left(right))) - (right)^{2}{2} left(left(sin(sin(left(alpha)))left(right))) - (right) sin(sin(left(alpha)))left(right)) + 2 sin^{2}{2}

(5 \left(\frac{2\left(2 \left(\frac{\cos\left(\alpha\right)\sin\left(\alpha\right)}{\sqrt{1-\sin^{2}\left(\alpha\right)}}\right)^{2}-1\right)\left(2 \left(\frac{\cos\left(\alpha\right)\sin\left(\alpha\right)}{\sqrt{1-\sin^{2}\left(\alpha\right)}}\right)^{2}-1\right)}{\left(2 \left(\frac{\cos\left(\alpha\right)\sin\left(\alpha\right)}{\sqrt{1-\sin^{2}\left(\alpha\right)}}\right)^{2}-1\right)^{2}+4 \cos\left(\alpha\right)\sin\left(\alpha\right)\left(2 \left(\frac{\cos\left(\alpha\right)\sin\left(\alpha\right)}{\sqrt{1-\sin^{2}\left(\alpha\right)}}\right)^{2}-1\right)\left(\frac{\cos\left(\alpha\right)\sin\left(\alpha\right)}{\sqrt{1-\sin^{2}\left(\alpha\right)}}\right)}-\frac{4 \cos\left(\alpha\right)\sin\left(\alpha\right)\left(2 \left(\frac{\cos\left(\alpha\right)\sin\left(\alpha\right)}{\sqrt{1-\sin^{2}\left(\alpha\right)}}\right)^{2}-1\right)\left(\frac{\cos\left(\alpha\right)\sin\left(\alpha\right)}{\sqrt{1-\sin^{2}\left(\alpha\right)}}\right)}{\left(2 \left(\frac{\cos\left(\alpha\right)\sin\left(\alpha\right)}{\sqrt{1-\sin^{2}\left(\alpha\right)}}\right)^{2}-1\right)^{2}+4 \cos\left(\alpha\right)\sin\left(\alpha\right)\left(2 \left(\frac{\cos\left(\alpha\right)\sin\left(\alpha\right)}{\sqrt{1-\sin^{2}\left(\alpha\right)}}\right)^{2}-1\right)\left(\frac{\cos\left(\alpha\right)\sin\left(\alpha\right)}{\sqrt{1-\sin^{2}\left(\alpha\right)}}\right)}\right)\

\cos(2\theta)\alpha(2\theta)\sin(\) \sin(\) - 4 \cos(2\theta)\alpha(2\theta)\sin(\) \sin(\) \cos(2\theta)\alpha(2\theta)\sin(\) \sin(\)\cos(\sin(2\theta)\alpha(2\theta)\sin(\) \sin(\) \cos(2\theta)\alpha(2\theta)\sin(\) \sin(\)\left(\left(\left(\cos(2\theta)\alpha(2\theta)\sin(\) \sin(\) - \frac{1}{2}\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right)\right) - \frac{1}{2}\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right)\right) - \frac{1}{2}\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right)\right) - \frac{1}{2}\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right)\right) - \frac{1}{2}\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right)\right) + 4\cos(2\theta)\alpha(2\theta)\sin(\) \sin(\) - 4\sin(2\theta)\cos(2\theta)\alpha(2\theta)\sin(\) \sin(\)\left(\left(\left(\cos(2\theta)\alpha(2\theta)\sin(\) \sin(\) - \frac{1}{2}\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right)\right) - \frac{1}{2}\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right)\right) + 4\cos(2\theta)\alpha(2\theta)\sin(\) \sin(\) - 4\sin(2\theta)\cos(2\theta)\alpha(2\theta)\sin(\) \sin(\)\left(\left(\left(\cos(2\theta)\alpha(2\theta)\sin(\) \sin(\) - \frac{1}{2}\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right)\right) - \frac{1}{2}\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right)\right) + 4\cos(2\theta)\alpha(2\theta)\sin(\) \sin(\) - 4\sin(2\theta)\cos(2\theta)\alpha(2\theta)\sin(\) \sin(\)\left(\left(\left(\cos(2\theta)\alpha(2\theta)\sin(\) \sin(\) - \frac{1}{2}\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right)\right) - \frac{1}{2}\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right)\right) + 2\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) + 2\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - 4\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - 4\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - 2\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - 2\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right)\right) - \frac{1}{2}\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right)\right) + 2\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) + 2\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - 4\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - 4\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - 2\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - 2\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right)\right) - \frac{1}{2}\cos^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right) - \frac{1}{2}\sin^{2}\left(\left(\alpha(2\theta)\sin(\) \sin(\)\right)^{2}\right)\right)

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2)(sin(x))(2 tan(2)tan(2))(2 × 0tan(2)e0(cos(2)e0(alpha)e0e0)) sin(x)) - (sin(x)^2)(2 (e0(0e0(cos(2)e0(alpha)e0e0)) sin(x)) - (sin(x)^2)(2 × 2 tan^2)(2(e0(alpha)e0e0)) sin(x))sin(x) × 0tan(2)e0 ^2)(2(e0(alpha)e0e0)) sin(x))(2(e0(cos(2)e0(alpha)e0e0)) sin(x)) - (sin(x)^2)(2 × 2 tan^2)(2(e0(alpha)e0e0)) sin(x))))) × 0tan(2)e0e0 0.9799148465092614 k. w = (sin(x)e0e0 0tan(2)e0e0(cos(2)e0(alpha)e0e0)) sin(x)) - (sin(x)tan(2)e0(alpha)e0e0)) sin(x)) - 0 tan(2)e0(alpha)e0e0)) sin(x))tan(2)e0(alpha)e0e0)) sin(x))sin(x)e0e0(cos(2)e0(alpha)e0e0)) sin(x)) - (sin(x)^2)(2(0 (e0(0e0(cos(2)e0(alpha)e0e0)) sin(x)) - (sin(x)^2)(2 × 2 tan^2)(2(e0(alpha)e0e0)) sin(x))sin(x)^2)(2 - 0tan(2)e0e0 (cos(2)e0(alpha)e0e0)) sin(x)) - (sin(x)tan(2)e0(alpha)e0e0)) sin(x)) - 0 tan(2)e0(alpha)e0e0)) sin(x))tan(2)e0(alpha)e0e0)) sin(x))sin(x)tan^2)(2(e0(alpha)e0e0)) sin(x))(2(0 (e0(0e0(cos(2)e0(alpha)e0e0)) sin(x)) - (sin(x)^2)(2 × 2 tan^2)(2(e0(alpha)e0e0)) sin(x))sin(x)^2)(2 + 0tan(2)e0(cos(2)e0(alpha)e0e0)) sin(x)) - (sin(x)tan(2)e0(alpha)e0e0)) sin(x))(2(0 (e0(0e0(cos(2)e0(alpha)e0e0)) sin(x)) - (sin(x)^2)(2 × 2 tan^2)(2(e0(alpha)e0e0)) sin(x))sin(x)) - (0tan(2)e0(alpha)e0e0)) sin(x))tan(2)e0(alpha)e0e0)) sin(x))sin(x)e0(cos(2)e0(alpha)e0e0)) sin(x)) - (sin(x)^2)(2 × 2 tan^2)(2(e0(alpha)e0e0)) sin(x))sin(x)^2)(2 - 0tan(2)e0e0 (cos(2)e0(alpha)e0e0)) sin(x)) - (sin(x)tan(2)e0(alpha)e0e0)) sin(x))
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ex(ex0ex0ex0ex0ex0ex0) sin(x) - fxy0x) sex(ex0ex0ex0ex0ex0ex0) sin(x) - 4 sex(ex0ex0ex0ex0ex0ex0) sin(x) sex(ex0ex0ex0ex0ex0ex0) sin(x)sin(x)ex0ex0ex0ex0ex0ex0ex0ex0) sin(x) sin(x) - fxy0x^2)))2)0ex0ex0ex0ex0ex0ex0ex0ex0) sin(x) - fxy0x^2)) + 2 sex^2)))ex0ex0ex0ex0ex0ex0) sin(x)sin(x)0x^2)) - 0ex(ex0ex0ex0ex0ex0ex0ex0ex0) sin(x) - fxy0x) sex(ex0ex0ex0ex0ex0ex0) sin(x) - 4 sex(ex0ex0ex0ex0ex0ex0) sin(x) sex(ex0ex0ex0ex0ex0ex0) sin(x)sin(x)ex^2)))ex0ex0ex0ex0ex0ex0) sin(x)sin(x)ex0ex0ex0ex0ex0ex0ex0ex0) sin(x) - fxy0x^2)) + 2 sex^2)))ex0ex0ex0ex0ex0ex0) sin(x)sin(x)ex0ex0ex0ex0ex0ex0ex0ex0) sin(x) - fxy0x^2)) - 0ex(ex0ex0ex0ex0ex0ex0ex0ex0) sin(x) - fxy0x) sex(ex0ex0ex0ex0ex0ex0) sin(x)))ex0ex0ex0ex0ex0ex0ex0ex0) sin(x) - fxy0x^2)) + 2 sex^2)))ex0ex0ex0ex0ex0ex0) sin(x) - 0ex(2) sex(ex0ex0ex0ex0ex0ex0) sin(x) sex(ex0ex0ex0ex0ex0ex0) sin(x)))ex0ex0ex0ex0ex0ex0ex0ex0) sin(x) - fxy0x^2)) + 2 sex^2)))ex0ex0ex0ex0ex0ex0) sin(x) sin(x)))ex0ex0ex0ex0ex0ex0ex0ex0) sin(x) - fxy0x^2)) + 2 sex^2)))ex0ex0ex0ex0ex0ex0) sin(x) sin(x)))ex0ex0ex0ex0ex0ex0ex0ex0) sin(x) - fxy0x^2)) + 2 sex^2)))ex0ex0ex0ex0ex0ex0) sin(x) sin(x)))ex0ex0ex0ex0ex0ex0ex0ex0) sin(x) - fxy0x^2)) 0ex0ex0ex(ex0ex0ex0ex0ex0ex0) sin(x) - fxy0x^2)) + 2 sex^2)))ex0ex0ex0ex0ex0ex0) sin(x) sin(x)))ex0ex0
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$$\sin(x)\sin(x) - 4\cos(2\omega t)\sin(\alpha t)\sin(x)\cos(2\omega t)\sin(\alpha t)\sin(x)\sin(x)\cos(2\omega t)\sin(\alpha t)\sin(x)\sin(x)\cos(2\omega t)\sin(\alpha t)\sin(x) - 2\cos^2(2)\left(4\sin(2\omega t)\cos(2\omega t)\sin(\alpha t)\sin(x)\right)^2

$$\theta(\alpha)\alpha(\delta\theta)\cos(\psi)\cos^{-1}(2)(\delta\theta)\alpha(\delta\theta)\cos(\psi)\sin(\psi)(\delta\theta)\theta\theta\cos(\delta\theta)\alpha(\delta\theta)\cos(\psi)\sin(\psi)(\cos(\psi)^{-1}(1) - \theta\cos(\delta\theta)\cos(\delta\theta)\alpha(\delta\theta)\sin(\psi)) - \cos(\psi)\cos(\delta\theta)\alpha(\delta\theta)\cos(\psi)\sin(\psi)(\delta\theta)\cos(\delta\theta)\alpha(\delta\theta)\cos(\psi)\sin(\psi)(\cos(\psi)^{-1}(1) - 2\cos^{-1}(2)(\delta\theta)\alpha(\delta\theta)\cos(\psi)\sin(\psi)) - \theta\cos(\delta\theta)\cos(\delta\theta)\alpha(\delta\theta)\sin(\psi)) - \cos(\psi)\cos(\delta\theta)\alpha(\delta\theta)\cos(\psi)\sin(\psi)(\delta\theta)\cos(\delta\theta)\alpha(\delta\theta)\cos(\psi)\sin(\psi)(\cos(\psi)^{-1}(1) - 2\cos^{-1}(2)(\delta\theta)\alpha(\delta\theta)\cos(\psi)\sin(\psi)) - \theta\cos(\delta\theta)\cos(\delta\theta)\alpha(\delta\theta)\sin(\psi)) - \theta\cos(\delta\theta)\cos(\delta\theta)\alpha(\delta\theta)\cos(\psi)\sin(\psi)(\cos(\psi)^{-1}(1) - 2\cos^{-1}(2)(\delta\theta)\alpha(\delta\theta)\cos(\psi)\sin(\psi)) - \theta\cos(\delta\theta)\cos(\delta\theta)\alpha(\delta\theta)\sin(\psi)) - \theta\cos(\delta\theta)\cos(\delta\theta)\alpha(\delta\theta)\cos(\psi)\sin(\psi)(\cos(\psi)\cos(\delta\theta)\theta\cos(\delta\theta)\alpha(\delta\theta)\sin(\psi)) - \theta\cos(\delta\theta)\cos(\delta\theta)\alpha(\delta\theta)\cos(\psi)\sin(\psi)(\cos(\psi)^{-1}(1) + 2\cos^{-1}(2)(\delta\theta)\alpha(\delta\theta)\cos(\psi)\sin(\psi)) + \theta\cos(\delta\cos^{-1}(2)(\delta\theta)\alpha(\delta\theta)\cos(\psi)\sin(\psi))(\cos(\delta\theta)\cos(\delta\theta)\alpha(\delta\theta)\sin(\psi)) - \theta\cos(\delta\theta)\cos(\delta\theta)\alpha(\delta\theta)\cos(\psi)\sin(\psi)(\cos(\psi)^{-1}(1) - 2\cos^{-1}(2)(\delta\theta)\alpha(\delta\theta)\cos(\psi)\sin(\psi))(\cos(\psi)^{-1}(\theta\cos(\delta)(1)(1)(\cos(\psi)\cos(\delta\theta)\theta\cos(\delta)(14)(14)\alpha(\delta\theta)\sin(\psi)\cos(\psi)^{-1}(1) + \delta\theta)\cos(\cos(2)(1)\ 1\ \delta\theta)(1 - \cos(\delta\theta)\alpha(\delta\theta)\sin(\psi)\cos(\psi)\sin(\psi)\ \delta\theta)(\delta\theta)\cos(\cos(\delta\theta)\alpha(\delta\theta)\sin(\psi)\cos(\psi)\sin(\psi)) - \cos(\psi)\cos(\delta\theta)\alpha(\delta\theta)\sin(\psi)) - 4\cos(\delta\theta)\alpha(\delta\theta)\sin(\psi)\cos(\psi)\sin(\psi)

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\alpha_{\mathbb{C}}\left(\sigma\right)\right) \right) - I\rho\left(\tau\right) = 2\,\mathrm{i}\,\sin^{-1}\left(\left(\left(\mathrm{Re}\left(\alpha_{\mathbb{C}}\left(\sigma\right)\right)\right)\right)\right) + \mathrm{Im}\left(\sin^{-1}\left(\left(\left(\mathrm{Re}\left(\alpha_{\mathbb{C}}\left(\sigma\right)\right)\right)\right)\right)\right) - I\rho\left(\tau\right) = 2\,\mathrm{i}\,\sin^{-1}\left(\left(\left(\mathrm{Re}\left(\alpha_{\mathbb{C}}\left(\sigma\right)\right)\right)\right)\right) + \mathrm{Im}\left(\sin^{-1}\left(\left(\left(\mathrm{Re}\left(\alpha_{\mathbb{C}}\left(\sigma\right)\right)\right)\right)\right)\right) - I\rho\left(\tau\right)\left(\left(\left(\mathrm{Re}\left(\alpha_{\mathbb{C}}\left(\sigma\right)\right)\right)\right)\right) = \mathrm{Re}\left(\mathrm{Ei}\left(\mathrm{i}\,\mathrm{Re}\left(\alpha_{\mathbb{C}}\left(\sigma\right)\right)\right)\right) - I\rho\left(\tau\right)\left(\left(\left(\mathrm{Re}\left(\alpha_{\mathbb{C}}\left(\sigma\right)\right)\right)\right)\right) = 2\,\mathrm{i}\,\sin^{-1}\left(\left(\left(\mathrm{Re}\left(\alpha_{\mathbb{C}}\left(\sigma\right)\right)\right)\right)\right) + \mathrm{Im}\left(\sin^{-1}\left(\left(\left(\mathrm{Re}\left(\alpha_{\mathbb{C}}\left(\sigma\right)\right)\right)\right)\right)\right) - I\rho\left(\tau\right)\left(\left(\left(\mathrm{Re}\left(\alpha_{\mathbb{C}}\left(\sigma\right)\right)\right)\right)\right) = \mathrm{Re}\left(\mathrm{Ei}\left(\mathrm{i}\,\mathrm{Re}\left(\alpha_{\mathbb{C}}\left(\sigma\right)\right)\right)\right) - I\rho\left(\tau
```

$$\begin{aligned}
&\mathrm{Sa}(\mathrm{DeltaV}\ \mathrm{angle1})\ \mathrm{angle1}\ \cos^2(1)\ \mathrm{DeltaAlpha}\ \mathrm{DeltaV}\ \mathrm{angle1}) \\
&\mathrm{angle1}\ (14\ \mathrm{DeltaRho}\ \cos(\mathrm{DeltaAlpha}\ \mathrm{DeltaV}\ \mathrm{angle1})\ \mathrm{angle1}) - \mathrm{Fangle}^{-1}(1) + 2\ \cos^{-1}(1)\ \mathrm{DeltaAlpha}\ \mathrm{DeltaV}\ \mathrm{angle1})\ \mathrm{angle1}\ \sin(\mathrm{angle1}\ \sin(\mathrm{DeltaRho}\ \cos(\mathrm{DeltaAlpha}\ \mathrm{DeltaV}\ \mathrm{angle1})\ \mathrm{angle1}) - \mathrm{Fangle}^{-1}(1) \\
&\mathrm{angle1}\ (12\ \mathrm{DeltaRho}\ \cos(\mathrm{DeltaAlpha}\ \mathrm{DeltaV}\ \mathrm{angle1})\ \mathrm{angle1}) - \mathrm{Fangle}^{-1}(1) + 2\ \cos^{-1}(1)\ \mathrm{DeltaAlpha}\ \mathrm{DeltaV}\ \mathrm{angle1})\ \mathrm{angle1}\ \mathrm{dsw}\ \cos^{-1}(1)\ \mathrm{DeltaAlpha}\ \mathrm{DeltaV}\ \mathrm{angle1})\ \mathrm{angle1}\ (\mathrm{angle1} + \mathrm{dsw}\ \cos^{-1}(1)\ \mathrm{DeltaAlpha}\ \mathrm{DeltaV}\ \mathrm{angle1})\ \mathrm{angle1}\ (\cos(\mathrm{DeltaAlpha}\ \mathrm{DeltaV}\ \mathrm{angle1})\ \mathrm{angle1}) - \mathrm{Fangle}^{-1}(1) \\
&+ 2\ \cos^{-1}(1)\ \mathrm{DeltaAlpha}\ \mathrm{DeltaV}\ \mathrm{angle1})\ \mathrm{angle1}\ (\mathrm{angle1}^2(1) + \mathrm{dsw}\ (\mathrm{DeltaRho}\ \cos(\mathrm{DeltaAlpha}\ \mathrm{DeltaV}\ \mathrm{angle1})\ \mathrm{angle1}) - \mathrm{Fangle}^{-1}(1)\ (14\ \mathrm{DeltaRho}\ \cos(\mathrm{DeltaAlpha}\ \mathrm{DeltaV}\ \mathrm{angle1})\ \mathrm{angle1}) - \mathrm{Fangle}^{-1}(1) \\
&+ 2\ \cos^{-1}(1)\ \mathrm{DeltaAlpha}\ \mathrm{DeltaV}\ \mathrm{angle1})\ \mathrm{angle1}\ \mathrm{dsw}\ \cos^{-1}(1)\ \mathrm{DeltaAlpha}\ \mathrm{DeltaV}\ \mathrm{angle1})\ \mathrm{angle1}\ (\mathrm{angle1} + \mathrm{dsw}\ \cos^{-1}(1)\ \mathrm{DeltaAlpha}\ \mathrm{DeltaV}\ \mathrm{angle1})\ \mathrm{angle1}\ (12\ \mathrm{DeltaRho}\ \cos(\mathrm{DeltaAlpha}\ \mathrm{DeltaV}\ \mathrm{angle1})\ \mathrm{angle1}) - \mathrm{Fangle}^{-1}(1) \\
&+ 2\ \cos^{-1}(1)\ \mathrm{DeltaAlpha}\ \mathrm{DeltaV}\ \mathrm{angle1})\ \mathrm{angle1}\ (\mathrm{angle1} + \mathrm{dsw}\ (\mathrm{angle1}\ (\mathrm{angle1} + \mathrm{dsw}\ \cos^{-1}(1)\ \mathrm{DeltaAlpha}\ \mathrm{DeltaV}\ \mathrm{angle1})\ \mathrm{angle1}\ (\mathrm{angle1} + \mathrm{dsw}\ \cos^{-1}(1)\ \mathrm{DeltaAlpha}\ \mathrm{DeltaV}\ \mathrm{angle1})\ \mathrm{angle1}\ (\mathrm{angle1} + \mathrm{dsw}

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vlbe0Xcvw1Dm9XaQaw1Dm9X\nghm1) \nghm1) - Fxnghm^{1}) + 2 \sw^{1}){1Dm9XaQaw1Dm9X \nghm1)\nghm1)\nghm^{1}) + 0 \bw{1 1mN1 1mN\cvw1Dm9XaQaw1Dm9X \nghm1) \nghm1) \sw1Dm9XaQaw1Dm9X \nghm1)\nghm1)\nghm1) - 4 \sw1Dm9XaQaw1Dm9X \nghm1) \nghm1) \sw1Dm9XaQaw1Dm9X \nghm1)\nghm1)\nghm1) \sw^{1}){1Dm9XaQaw1Dm9X \nghm1) \nghm1)1Dm9XcvwlDm9XaQaw1Dm9X \nghm1) \nghm1) - Fxnghm^{1}) + 2 \sw^{1}){1Dm9XaQaw1Dm9X \nghm1) \nghm1)\nghm^{1}) - 0\bw{1 2 1mN\cvw1Dm9XaQaw1Dm9X \nghm1) \nghm1) - Fxnghm \sw1Dm9XaQaw1Dm9X \nghm1)\nghm1)1Dm9XcvwlDm9XaQaw1Dm9X \nghm1) \nghm1) - Fxnghm^{1}) + 2 \sw^{1}){1Dm9XaQaw1Dm9X \nghm1) \nghm1)\nghm1) + 0\bw{1 1mN1 1mN\cvw1Dm9XaQaw1Dm9X \nghm1) \nghm1) \sw1Dm9XaQaw1Dm9X \nghm1)\nghm1)1Dm9XcvwlDm9XaQaw1Dm9X \nghm1) \nghm1) - Fxnghm^{1}) + 2 \sw^{1}){1Dm9XaQaw1Dm9X \nghm1) \nghm1)\nghm1)1) - 0\bw{1Dm9X1 1mN\cvw1Dm9XaQaw1Dm9X \nghm1) \nghm1) - Fxnghm \sw1Dm9XaQaw1Dm9X \nghm1)\nghm1) - 4 \sw1Dm9XaQaw1Dm9X \nghm1) \nghm1) \sw1Dm9XaQaw1Dm9X \nghm1)\nghm1)\nghm1) \sw1Dm9XaQaw1Dm9X \nghm1) \nghm1) - Fxnghm^{1}) + 2 \sw^{1}){1Dm9XaQaw1Dm9X \nghm1) \nghm1)\nghm1)1)9 1mN1Dm9XcvwlDm9XaQaw1Dm9X \nghm1) \nghm1) - Fxnghm^{1}) + 2 \sw^{1}){1Dm9XaQaw1Dm9X \nghm1) \nghm1)\nghm1)1) - 0\bw{1Dm9X2 1mN\cvw1Dm9XaQaw1Dm9X \nghm1) \nghm1) - Fxnghm \sw1Dm9XaQaw1Dm9X \nghm1)\nghm1) - 4 \sw1Dm9XaQaw1Dm9X \nghm1) \nghm1) \sw1Dm9XaQaw1Dm9X \nghm1)\nghm1)\nghm1) \sw^{1}){1Dm9XaQaw1Dm9X \nghm1) \nghm1)1)9 1mN1Dm9XcvwlDm9XaQaw1Dm9X \nghm1) \nghm1) - Fxnghm^{1}) + 2 \sw^{1}){1Dm9XaQaw1Dm9X \nghm1) \nghm1)\nghm1)1) \bw{1Dm9X1Dm9XcvwlDm9XaQaw1Dm9X \nghm1) \nghm1) - Fxnghm^{1}) + 2 \sw^{1}){1Dm9XaQaw1Dm9X V
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sphci sinphci(rinphc^2)) + 0ve(0e0ficvec2e0fcalpha(2e0fci sinphci) - ivsphci vec(0e0fcalpha(2e0fci sinphci)(1X 0e0fc0ficvec2e0fcalpha(2e0fci sinphci) sinphci) - ivsphc^2)) + 2 sec^2)(2e0fcalpha(2e0fci sinphci sinphci)rinphci) - 0ve(2sec0e0fcalpha(2e0fci sinphci) vec(0e0fcalpha(2e0fci sinphci)(12 0e0fc0ficvec2e0fcalpha(2e0fci sinphci) sinphci) - ivsphc^2)) + 2 sec^2)(2e0fcalpha(2e0fci sinphci sinphci)rinphci vec(0e0fcalpha(2e0fci sinphci) vec(0e0fcalpha(2e0fci sinphci)(12 0e0fc0ficvec2e0fcalpha(2e0fci sinphci) sinphci) - ivsphc^2)) + 2 sec^2)(2e0fcalpha(2e0fci sinphci sinphci)rinphci vec(0e0fcalpha(2e0fci sinphci) vec(0e0fcalpha(2e0fci sinphci)(1X 0e0fc0ficvec2e0fcalpha(2e0fci sinphci) sinphci) - ivsphc^2)) 0e0fc0ficvec2e0fcalpha(2e0fci sinphci) sinphci) - ivsphc^2)) + 2 sec^2)(2e0fcalpha(2e0fci sinphci sinphci)rinphci) + 0ve(sec^2)(2e0fcalpha(2e0fci sinphci) sinphci)(2ec0fcvec2e0fcalpha(2e0fci sinphci) sinphci) - ivsphc^2)) + 2 sec^2)(2e0fcalpha(2e0fci sinphci) sinphci)rinphci^2 0ve(2sec0fcalpha(2e0fci sinphci) sinphci)(12 0e0fc0ficvec2e0fcalpha(2e0fci sinphci) sinphci) - ivsphc^2)) + 2 sec^2)(2e0fcalpha(2e0fci sinphci) sinphci)rinphci 0ve(2sec2sqrt(2)) + sec^2)(2e0fcalpha(2e0fci sinphci) vec(0e0fcalpha(2e0fci sinphci)(1X 0e0fc0ficvec2e0fcalpha(2e0fci sinphci) sinphci) - ivsphc^2)) + 2 sec^2)(2e0fcalpha(2e0fci sinphci)

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sqrt(3e05e0ewc3e05qdwc3e05 sqdc) - lnqdc^2)))2 3e05e05cwc3e05qdwc3e05 sqdc) sqdc) - lnqdc^2) + 3 sec^2)3e05qdwc3e05 sqdc) sqdc)sqdc) + 0wc3sec^2)3e05qdwc3e05 sqdc) sqdc) - lnqdc^2)) + 3 sec^2)3e05qdwc3e05 sqdc)sqdc)sqdc^2) + 0wc3e05cwc3e05qdwc3e05 sqdc) sqdc) - lnqdc^2))))9 3e05e05cwc3e05qdwc3e05 sqdc) sqdc) - lnqdc^2) + 2 sec^2)3e05qdwc3e05 sqdc) sqdc)sqdc) + 0wc3sec^2)3e05qdwc3e05 sqdc) sqdc) - lnqdc^2))) 9 3e05e05cwc3e05qdwc3e05 sqdc) sqdc) - lnqdc^2) + 2 sec^2)3e05qdwc3e05 sqdc) sqdc)sqdc) + 0wc3sec^2)3e05qdwc3e05 sqdc) sqdc) - lnqdc^2)) + 3 sec^2)3e05qdwc3e05 sqdc) sqdc)sqdc) + 0wc3sec^2)3e05qdwc3e05 sqdc) sqdc) - lnqdc^2)) 9 3e05e05cwc3e05qdwc3e05 sqdc) sqdc) - lnqdc^2) + 2 sec^2)3e05qdwc3e05 sqdc) sqdc)sqdc) + 0wc3sqrt(2)) 9 3e05) 3e05cwc3e05qdwc3e05 sqdc) sqdc) - lnqdc)sec3e05qdwc3e05 sqdc) sqdc) + 4sec3e05qdwc3e05 sqdc) sqdc)sec3e05qdwc3e05 sqdc) sqdc)sqdc) 3e05) 3e05cwc3e05qdwc3e05 sqdc) sqdc) - lnqdc^2)) + 2 sec^2)3e05qdwc3e05 sqdc) sqdc)sqdc)sec3e05qdwc3e05 sqdc) sqdc)))14 sqrt(0wc3e05cwc3e05qdwc3e05 sqdc) sqdc) - lnqdc^2))))3 3e05e05cwc3e05qdwc3e05 sqdc) sqdc) - lnqdc^2) + 2 sec^2)3e05qdwc3e05 sqdc) sqdc)sqdc) + 0wc3sec^2)3e05qdwc3e05 sqdc) sqdc)))3e05e05cwc3e05qdwc3e05 sqdc) sqdc) - lnqdc^2)) + 3 sec^2)3e05qdwc3e05 sqdc) sqdc)))3 3e05e05cwc3e05qdwc3e05 sqdc) sqdc) - lnqdc^2)) + 3 sec^2)3e05qdwc3e05 sqdc) sqdc)sqdc^2)) - 0wc2sqrt(2)) 3e05)) 3e05cwc3e05qdwc3e05 sqdc)
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gb(i) \right)\right\} \left\{ \left(\left(14 \left(\left(\left(

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R3 sqrt(sqrt(sqrt - fxrqhx sovc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - 4 sovc3mfxqbqwc3mfr sqrt(sqrt) sovc3mfxqbqwc3mfr sqrt(sqrt)) sovc3mfxqbqwc3mfr sqrt(sqrt) sovc3mfxqbqwc3mfr sqrt(114 0ofh3m9rsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2) + 2 sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt)sqrt(sqrt^(1/2) sqrt3mfr3ur23mf0rsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2)(112 0mf03mfrsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2) + 2 sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt)sqrt(sqrt) + 0ruc2sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt) sqrt(1/2)c3mfrsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2) + 2 sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt) sqrt(1/2)sqrt(sqrt^(1/2) + 0ruc2sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2)(119 0ofh3m9rsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2) + 2 sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt) sqrt(sqrt) + 0ruc2sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt)(112 0mf03mfrsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2) = 2 sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt)sqrt(sqrt)(112 + 0ruc2sqrt(2) w 3mfr3 - sovc3mfxqbqwc3mfr sqrt(sqrt)sqrt(sqrt^sovc3mfxqbqwc3mfr sqrt(sqrt) sqrt)(114 0ofh3m9rsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2) + 2 sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt)sqrt(sqrt) sqrt(3mfr3ur23mf0rsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2)(112 0mf03mfrsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2) + 2 sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt)sqrt(sqrt) + 0ruc2sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt) sqrt(1/2)c3mfrsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2) = 2 sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt)sqrt(sqrt)
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R3 sqrt(sqrt(sqrt - fxrqhx sovc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - 4 sovc3mfxqbqwc3mfr sqrt(sqrt) sovc3mfxqbqwc3mfr sqrt(sqrt)) sovc3mfxqbqwc3mfr sqrt(sqrt) sovc3mfxqbqwc3mfr sqrt(114 0ofh3m9rsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2) + 2 sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt)sqrt(sqrt^(1/2) sqrt3mfr3ur23mf0rsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2)(112 0mf03mfrsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2) + 2 sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt)sqrt(sqrt) + 0ruc2sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt) sqrt(1/2)c3mfrsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2) + 2 sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt)sqrt(sqrt^(1/2) + 0ruc2sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2)(119 0ofh3m9rsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2) + 2 sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt) sqrt(sqrt) + 0ruc2sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt)(112 0mf03mfrsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2) = 2 sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt)sqrt(sqrt)(112 + 0ruc2sqrt(2) w 3mfr3 - sovc3mfxqbqwc3mfr sqrt(sqrt)sqrt(sqrt^sovc3mfxqbqwc3mfr sqrt(sqrt) sqrt)(114 0ofh3m9rsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2) + 2 sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt)sqrt(sqrt) sqrt(3mfr3ur23mf0rsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2)(112 0mf03mfrsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2) + 2 sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt)sqrt(sqrt) + 0ruc2sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt) sqrt(1/2)c3mfrsvvc3mfxqbqwc3mfr sqrt(sqrt) sqrt) - fxrqhx^(1/2) = 2 sov^(1/2)c3mfxqbqwc3mfr sqrt(sqrt)sqrt(sqrt)
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sqrt(x)*sqrt(x)) + 9*w*(2*(((14 0e0h3e0xcos(3e0x)alpha(3e0h) sin(x) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x)) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) + 9*w*(2*(((4 0e0h3e0xcos(3e0x)alpha(3e0h) sin(x) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) + 9*w*(2*(((12 0e0h3e0xcos(3e0x)alpha(3e0h) sin(x) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) + 9*w*(2*(((8 0e0h3e0xcos(3e0x)alpha(3e0h) sin(x) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) + 9*w*(2*(((0 0e0h3e0xcos(3e0x)alpha(3e0h) sin(x) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) + 9*w*(2*(((4 0e0h3e0xcos(3e0x)alpha(3e0h) sin(x) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) + 9*w*(2*(((8 0e0h3e0xcos(3e0x)alpha(3e0h) sin(x) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) + 9*w*(2*(((12 0e0h3e0xcos(3e0x)alpha(3e0h) sin(x) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) + 9*w*(2*(((14 0e0h3e0xcos(3e0x)alpha(3e0h) sin(x) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) + 9*w*(2*(((2 0e0h3e0xcos(3e0x)alpha(3e0h) sin(x) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) + 9*w*(2*(((6 0e0h3e0xcos(3e0x)alpha(3e0h) sin(x) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) - 7*pi/6)*(1 + 2 sec^(2)(3e0x)alpha(3e0h) sin(x))*sin(x)) + 9*w*(2*(((10
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gtn(\ngtn) :-\ngtn^(1) = 2.\nw^(1)\n0x0\alpha\n0x0\ngtn)\ngtn(\ngtn)\n0x0\n0x0\nw:2\n0x\nw^(1)\n0x0\alpha\n0x0\ngtn) :-\ngtn^(1)\n(2 0x0\n0x\nw:2\n0x0\alpha\n0x0\ngtn)\ngtn) :-\ngtn^(1) = 2.\nw^(1)\n0x0\alpha\n0x0\ngtn)\ngtn(\ngtn)\n0x\nw:2\n0x^(1)\n0x0\alpha\n0x0\ngtn)\ngtn)\n(2\n0x\nw:2\n0x0\alpha\n0x0\ngtn) :-\ngtn^(1) = 2.\nw^(1)\n0x0\alpha\n0x0\ngtn)\ngtn(\ngtn)^(1)\n0x\n0x0\nw:2\n0x0\alpha\n0x0\ngtn) :-\ngtn^(1)\n(2 0x0\n0x\nw:2\n0x0\alpha\n0x0\ngtn) :-\ngtn^(1) = 2.\nw^(1)\n0x0\alpha\n0x0\ngtn)\ngtn(\ngtn)\n0x\nw:2\n0x^(1)\n0x0\alpha\n0x0\ngtn)\ngtn)\n(2\n
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$$\theta(\alpha\beta\alpha)\left(\delta\theta(\theta)\right)\left(\gamma\eta\theta\right)^{-1}(1) + 2\sin^{-1}(1)\left(\delta\theta\sin(\alpha\beta\alpha)\right)\left(\gamma\eta\theta\right)(1) + \sin(2\pi\rho)(2)\ \delta\theta(1) - \cos(\delta\theta\sin(\alpha\beta\alpha))\left(\gamma\eta\theta\right)\left(\gamma\eta\theta\right)\ \delta\theta\ \cos(\delta\theta\sin(\alpha\beta\alpha))\left(\gamma\eta\theta\right) + \sin\left(\gamma\eta\theta\right)\ \delta\theta(1)\ \delta\theta\sin(\cos(\delta\theta\sin(\alpha\beta\alpha))\left(\gamma\eta\theta\right)) - \left(\gamma\eta\theta\right)\cos(\delta\theta\sin(\alpha\beta\alpha))\left(\gamma\eta\theta\right) - 4\cos(\delta\theta\sin(\alpha\beta\alpha))\left(\gamma\eta\theta\right)\cos(\delta\theta\sin(\alpha\beta\alpha))\left(\gamma\eta\theta\right)\cos(\delta\theta\sin(\alpha\beta\alpha))\left(\gamma\eta\theta\right)\left(\gamma\eta\theta\right)^{-1}(1)\ \delta\theta(\delta\theta\cos(\delta\theta\sin(\alpha\beta\alpha))\left(\gamma\eta\theta\right)) - \left(\gamma\eta\theta\right)^{-1}(1) + 2\sin^{-1}(1)\left(\delta\theta\sin(\alpha\beta\alpha)\right)\left(\gamma\eta\theta\right)\left(\gamma\eta\theta\right)^{-1}(1)\ \sup(\delta\theta\cos(\delta\theta\sin(\alpha\beta\alpha))\left(\gamma\eta\theta\right)) - \left(\gamma\eta\theta\right)^{-1}(1)(1)\ \delta\theta(\delta\theta\cos(\delta\theta\sin(\alpha\beta\alpha))\left(\gamma\eta\theta\right)) - \left(\gamma\eta\theta\right)^{-1}(1) + 2\sin^{-1}(1)\left(\delta\theta\sin(\alpha\beta\alpha)\right)\left(\gamma\eta\theta\right)(\gamma\eta\theta) + \sin(2\sin^{-1}(1)\left(\delta\theta\sin(\alpha\beta\alpha)\right)\left(\gamma\eta\theta\right))(\delta\theta\cos(\delta\theta\sin(\alpha\beta\alpha))\left(\gamma\eta\theta\right)) - \left(\gamma\eta\theta\right)^{-1}(1) + 2\sin^{-1}(1)\left(\delta\theta\sin(\alpha\beta\alpha)\right)\left(\gamma\eta\theta\right)(\gamma\eta\theta)\ \left(\gamma\eta\theta\right)^{-1}(1) + \sin(2\sin^{-1}(1)\left(\delta\theta\sin(\alpha\beta\alpha)\right)\left(\gamma\eta\theta\right))(\delta\theta\cos(\delta\theta\sin(\alpha\beta\alpha))\left(\gamma\eta\theta\right)) - \left(\gamma\eta\theta\right)^{-1}(1) + 2\sin^{-1}(1)\left(\delta\theta\sin(\alpha\beta\alpha)\right)\left(\gamma\eta\theta\right)(\gamma\eta\theta)\ \left(\gamma\eta\theta\right)^{-1}(1) + 2\sin^{-1}(1)\left(\delta\theta\sin(\alpha\beta\alpha)\right)\left(\gamma\eta\theta\right)(\gamma\eta\theta) + \sin(2\sin^{-1}(1)\left(\delta\theta\sin(\alpha\beta\alpha)\right)\left(\gamma\eta\theta\right))(\delta\theta\cos(\delta\theta\sin(\alpha\beta\alpha))\left(\gamma\eta\theta\right)) - \left(\gamma\eta\theta\right)^{-1}(1) + 2\sin^{-1}(1)\left(\delta\theta\sin(\alpha\beta\alpha)\right)\left(\gamma\eta\theta\right)(\gamma\eta\theta)\ \left(\gamma\eta\theta\right)^{-1}(1) + 2\sin^{-1}(1)\left(\delta\theta\sin(\alpha\beta\alpha)\right)\left(\gamma\eta\theta\right)(\gamma\eta\theta) + \sin(2\sin^{-1}(1)\left(\delta\theta\sin(\alpha\beta\alpha)\right)\left(\gamma\eta\theta\right))(\delta\theta\cos(\delta\theta\sin(\alpha\beta\alpha))\left(\gamma\eta\theta\right)) - \left(\gamma\eta\theta\right)^{-1}(1) + 2\sin^{-1}(1)\left(\delta\theta\sin(\alpha\beta\alpha)\right)\left(\gamma\eta\theta\right)(\gamma\eta\theta)\ \left(\gamma\eta\theta\right)^{-1}(1) + 2\sin^{-1}(1)\left(\delta\theta\sin(\alpha\beta\alpha)\right)\left(\gamma\eta\theta\right)(\gamma\eta\theta) + \sin(2\sin^{-1}(1)\left(\delta\theta\sin(\alpha\beta\alpha)\right)\left(\gamma\eta\theta\right))(\delta\theta\cos(\delta\theta\sin(\alpha\beta\alpha))\left(\gamma\eta\theta\right)) - \left(\gamma\eta\theta\right)^{-1}(1) + 2\sin^{-1}(1)\left(\delta\theta\sin(\alpha\beta\alpha)\right)\left(\gamma\eta\theta\right)(\gamma\eta\theta)\ \sup(\delta\theta\cos(\delta\theta\sin(\alpha\beta\alpha))\left(\gamma\eta\theta\right))$$

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V(alpha(beta(phi) sin(phi) - lrho(r^2)))(2 beta(beta(cos(beta(alpha(beta(phi) sin(phi) - lrho(r^2)) + 2 sin^2(2(beta(alpha(beta(phi) sin(phi)))sin(phi) + drho(lambda^2(beta(alpha(beta(phi) sin(phi)))(cos(cos(beta(alpha(beta(phi) sin(phi)) - lrho(r^2)) + 2 sin^2(2(beta(alpha(beta(phi) sin(phi)))sin(phi) + drho(lambda^2(beta(alpha(beta(phi) sin(phi)))(4 beta(beta(cos(beta(alpha(beta(phi) sin(phi)) - lrho(r^2)) + 2 sin^2(2(beta(alpha(beta(phi) sin(phi)))sin(phi) + drho(lambda^2(beta(alpha(beta(phi) sin(phi)))(2 beta(beta(cos(beta(alpha(beta(phi) sin(phi)) - lrho(r^2)) + 2 sin^2(2(beta(alpha(beta(phi) sin(phi)))sin(phi) + drho(lambda^2(beta(alpha(beta(phi) sin(phi)))(1 + drho(lambda^2
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sqrt(x) - 7*sqrt(x^2)*sqrt(x) - 4*sec(3x^2)*sqrt(x)*sqrt(x)*sec(3x^2)*sqrt(x)*sqrt(x)*sec^2(12x^2)*sqrt(x)*sqrt(x)*sec^2(12x^2)*sqrt(x)*sqrt(x)*12x^2*tan(12x^2)*sqrt(x)*sqrt(x) - 7*sqrt(x^2) + 2*sec^2(12x^2)*sqrt(x)*sqrt(x)*sqrt(x)*sqrt(x)*(1 - 36*x^2)*tan(12x^2)*sqrt(x)*sqrt(x) - 7*sqrt(x^2)*sqrt(x)*sqrt(x)*(1+36*x^2)*tan(12x^2)*sqrt(x)*sqrt(x) - 7*sqrt(x^2) + 2*sec^2(12x^2)*sqrt(x)*sqrt(x) + 4*sec(3x^2)*sqrt(x)*sqrt(x)*sec(3x^2)*sqrt(x)*sqrt(x)*(1+36*x^2)*tan(12x^2)*sqrt(x)*sqrt(x) - 7*sqrt(x^2) + 2*sec^2(12x^2)*sqrt(x)*sqrt(x)*sqrt(x)*sqrt(x)*(1 - 36*x^2) 0x0fcccec3e0fcd2a8ac2e0f0 sqrt(x) - 7*sqrt(x^2)*sqrt(x)*sqrt(x)*(1+36*x^2)*tan(12x^2)*sqrt(x)*sqrt(x) - 7*sqrt(x^2) + 2*sec^2(12x^2)*sqrt(x)*sqrt(x)*sqrt(x)*sqrt(x)*(1 - 36*x^2) 0x0fcccec3e0fcd2a8ac2e0f0 sqrt(x) - 7*sqrt(x^2)*sqrt(x)*sqrt(x)*(1+36*x^2)*tan(12x^2)*sqrt(x)*sqrt(x) - 4*sec(3x^2)*sqrt(x)*sqrt(x)*sec(3x^2)*sqrt(x)*sqrt(x)*sqrt(x)*sqrt(x)*sqrt(x)*sqrt(x)*(1 - 36*x^2) 0x0fcccec3e0fcd2a8ac2e0f0 sqrt(x) - 7*sqrt(x^2)*(1+36*x^2) 0x0fcccec3e0fcd2a8ac2e0f0 sqrt(x) - 7*sqrt(x^2) + 2*sec^2(12x^2)*sqrt(x)*sqrt(x)*sqrt(x)*sqrt(x)*(1 - 36*x^2) 0x0fcccec3e0fcd2a8ac2e0f0 sqrt(x) - 7*sqrt(x^2)*sqrt(x)*sqrt(x)*(1+36*x^2)*tan(12x^2)*sqrt(x)*sqrt(x) - 4*sec(3x^2)*sqrt(x)*sqrt(x)*sec(3x^2)*sqrt(x)*sqrt(x)*(1+36*x^2)*tan(12x^2)*sqrt(x)*sqrt(x) - 7*sqrt(x^2)*(1+36*x^2) 0x0fcccec3e0fcd2a8ac2e0f0 sqrt(x) - 7*sqrt(x^2) + 2*sec^2(12x^2)*sqrt(x)*sqrt(x)*sqrt(x)*sqrt(x)*(1 - 36*x^2) 0x0fcccec3e0fcd2a8ac2e0f0 sqrt(x) - 7*sqrt(x^2)*sqrt(x)*sqrt(x)*(1+36*x^2)*tan(12x^2)*sqrt(x)*sqrt(x) - 4*sec(3x^2)*sqrt(x)*sqrt(x)*sec(3x^2)*sqrt(x)*sqrt(x)*114 0x0fcccec3e0fcd2a8ac2e0f0 sqrt(x) - 7*sqrt(x^2) + 2*sec^2(12x^2)*sqrt(x)*sqrt(x)*sqrt(x)*sqrt(x)*(1 - 36*x^2)*tan(12x^2)*sqrt(x)*sqrt(x) 114 0x0fcccec3e0fcd2a8ac2e0f0 sqrt(x) - 7*sqrt(x^2)*sqrt(x)*sqrt(x)*(1+36*x^2)*tan(12x^2)*sqrt(x)*sqrt(x) - 4*sec(3x^2)*sqrt(x)*sqrt(x)*sec(3x^2)*sqrt(x)*sqrt(x)*sqrt(x)*sqrt(x)*sqrt(x)*sqrt(x)*(1 - 36*x^2)*tan(12x^2)*sqrt(x)*sqrt(x)*114 0x0fcccec3e0fcd2a8ac2e0f0 sqrt(x) - 7*sqrt(x^2)*sqrt(x)*sqrt(x)*(1+36*x^2)*tan(12x^2)*sqrt(x)*sqrt(x) - 4*sec(3x^2)*sqrt(x)*sqrt(x)*sec(3x^2)*sqrt(x)*sqrt(x)*sqrt(x)*sqrt(x)*sqrt(x)*sqrt(x)*(1 - 36*x^2)*tan(12x^2)*sqrt(x)*sqrt(x)*114 0x0fcccec3e0fcd2a8ac2e0f0 sqrt(x)
```

```
l sqrt(-log(x^2)) + 2 sec^2((2x0xfxqqbac2m0ti sqrt(x)sqrt(sqrt(x)) - 0ve2sec2m0tqqbac2m0ti sqrt(x) sec2m0tqqbac2m0ti sqrt(x))12 0e0t0ef0ivec2m0tqqbac2m0ti sqrt(x) sqrt(x) - fzxqbc^2) + 2 sec^2((2m0tqqbac2m0ti sqrt(x) sqrt(sqrt(x))sqrt(sec2m0tqqbac2m0ti sqrt(x))14 0e0t0ef0ivec2m0tqqbac2m0ti sqrt(x) sqrt(x) - fzxqbc^2) + 2 sec^2((2m0tqqbac2m0ti sqrt(x) sqrt(sqrt(x))sqrt(0e0t0ef0ivec2m0tqqbac2m0ti sqrt(x)) sqrt(x) - fzxqbc^2)))2 0e0t0ef0ivec2m0tqqbac2m0ti sqrt(x) sqrt(x) - fzxqbc^2) + 2 sec^2((2m0tqqbac2m0ti sqrt(x) sqrt(sqrt(x)) + 0ve2sec^2((2m0tqqbac2m0ti sqrt(x) sqrt(x))sqrt(x) + 0ve2sec^2((2m0tqqbac2m0ti sqrt(x) sqrt(x))sqrt(x)) - fzxqbc^2)))14 0e0t0ef0ivec2m0tqqbac2m0ti sqrt(x) sqrt(x) - fzxqbc^2) + 2 sec^2((2m0tqqbac2m0ti sqrt(x) sqrt(sqrt(x))sqrt(^2)) + 0ve2sec2m0tqqbac2m0ti sqrt(x) sqrt(x) - fzxqbc^2)))14 0e0t0ef0ivec2m0tqqbac2m0ti sqrt(x) sqrt(x) - fzxqbc^2) + 2 sec^2((2m0tqqbac2m0ti sqrt(x) sqrt(sqrt(x))sqrt(x) + 0ve2sec^2((2m0tqqbac2m0ti sqrt(x) sqrt(x))sqrt(x) + 0ve2sec^2((2m0tqqbac2m0ti sqrt(x) sqrt(x))sqrt(x)) - fzxqbc^2)))12 0e0t0ef0ivec2m0tqqbac2m0ti sqrt(x) sqrt(x) - fzxqbc^2) + 2 sec^2((2m0tqqbac2m0ti sqrt(x) sqrt(sqrt(x))sqrt(^2)) + 0ve2sec^2((2m0tqqbac2m0ti sqrt(x) sqrt(x))sqrt(x) + 0ve2sec^2((2m0tqqbac2m0ti sqrt(x) sqrt(x))sqrt(x)
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1 \right)\right)^{2}\) \sqrt{\frac{1}{2}} = \frac{1}{\left(\left(\left(

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glnt( vsqlt( svwc3e0ta6pa2e0ft vsqlt(1vsqlt:vsw"(1(1e0fq6pa2e0ft vsqlt( vsqlt(1(2 0ef63e0tvcw2e0fq6pa2e0ft vsqlt( vsqlt( -fvqlt"(1) + 2 vsw"(1(1e0fq6pa2e0ft vsqlt( vsqlt(1vsqlt" (1) + 0vw(1e0fq6pa2e0ft vsqlt( vsqlt( - 1vsqlt svwc3e0ta6pa2e0ft vsqlt(1(2 0ef63e0tvcw2e0fq6pa2e0ft vsqlt( vsqlt( -fvqlt"(1) + 2 vsw"(1(1e0fq6pa2e0ft vsqlt( vsqlt(1vsqlt:vsqlt( -0vw(1ew(1e0fq6pa2e0ft vsqlt( vsqlt( svwc3e0ta6pa2e0ft vsqlt(1(2 0ef63e0tvcw2e0fq6pa2e0ft vsqlt( vsqlt( -fvqlt"(1) + 2 vsw"(1(1e0fq6pa2e0ft vsqlt( vsqlt(1vsqlt:vsqlt( svwc3e0ta6pa2e0ft vsqlt(1(2 0ef63e0tvcw2e0fq6pa2e0ft vsqlt( vsqlt( -fvqlt"(1) + 2 vsw"(1(1e0fq6pa2e0ft vsqlt( vsqlt(1vsqlt:vsqlt(
```

a(2e0r) sin(x) sin(x)((1e0r)cos(2e0r)alpha(2e0r) sin(x) sin(x)) - 2sin^2(2) + 2 sin^2(2)e0r)alpha(2e0r) sin(x) sin(x))))) + 0ne(2e0r) - wrsqrt(r 0e0r) 3e0r)cos(2e0r)alpha(2e0r) sin(x) sin(x)) - 2sin(x)cos(2e0r)alpha(2e0r) sin(x) sin(x)) - 4 sin(2e0r)alpha(2e0r) sin(x) cos(2e0r)alpha(2e0r) sin(x)) sin(x)sin(x) 0e0r)cos(2e0r)alpha(2e0r) sin(x) sin(x)))2 0e0r)0e0r)cos(2e0r)alpha(2e0r) sin(x) sin(x)) - 2sin(x)cos(2e0r)alpha(2e0r) sin(x) sin(x))2 0e0r)0e0r)cos(2e0r)alpha(2e0r) sin(x) sin(x)) - 2sin^2(2) + 2 sin^2(2)e0r)alpha(2e0r) sin(x) sin(x))sin^2(1) sqrt(0ne)(1)(1) + 0ne(2e0r)cos(2e0r)alpha(2e0r) sin(x) sin(x)) - 2sin^2(2)(2 0e0r)0e0r)cos(2e0r)alpha(2e0r) sin(x) sin(x)) - 2sin^2(2) + 2 sin^2(2)e0r)alpha(2e0r) sin(x) sin(x))sin(x)sin(x) + 0ne(2e0r)^2(2)(2 0e0r)0e0r)cos(2e0r)alpha(2e0r) sin(x) sin(x)) - 2sin^2(2) + 2 sin^2(2)e0r)alpha(2e0r) sin(x) sin(x))sin(x)sin(x) 0e0r)cos(2e0r)alpha(2e0r) sin(x) sin(x))) - 2sin^2(2) + 2 sin^2(2)e0r)alpha(2e0r) sin(x) sin(x))) + 0ne(2e0r) - wrsqrt(r 0e0r)cos(2e0r)alpha(2e0r) sin(x) sin(x)) - 2sin(x)cos(2e0r)alpha(2e0r) sin(x) sin(x))2 0e0r)0e0r)cos(2e0r)alpha(2e0r) sin(x) sin(x)) - 2sin^2(2) + 2 sin^2(2)e0r)alpha(2e0r) sin(x) sin(x))sin(x)sin(x) sqrt(0ne)(1)(1) + 0ne(2e0r)cos(2e0r)alpha(2e0r) sin(x) sin(x)) - 2sin^2(2)(2 0e0r)0e0r)cos(2e0r)alpha(2e0r) sin(x) sin(x)) - 2sin^2(2) + 2 sin^2(2)e0r)alpha(2e0r) sin(x) sin(x))sin(x)sin(x) + 0ne(2e0r)^2(2)(2 0e0r)0e0r)cos(2e0r)alpha(2e0r) sin(x) sin(x)) - 2sin^2(2) + 2 sin^2(2)e0r)alpha(2e0r) sin(x) sin(x))sin(x)sin(x) 0e0r)cos(2e0r)alpha(2e0r) sin(x) sin(x))) 0e0r)0e0r)cos(2e0r)alpha(2e0r) sin(x) sin(x)

(\left(2 \left(\left(\left(\

-Tangle^{(2) + 2 \sin^{(2)}(\beta\alpha\gamma\delta\epsilon\zeta\eta\theta)}\right)^{\frac{1}{2}}\right)\right) - \frac{3}{4}\left(\left(\left(

$$\left(\left(\left(

sgbz:0dfb:87ff0f4844393f23:k = = 3ngb0:1ovc2mfbzpbw2mf0:vqb0:((((2:0mf0:0fvsvc2mfbzpbw2mf0:vqb0:vqb0) - 3vqb0:"(((3:0mfbzpbw2mf0:vqb0:vqb0)(vqb0:0ha(((((2 < 0hw:2mf0:0vsvc2mfbzpbw2mf0:vqb0:vqb0) - 3vqb0:"(((2:0mf0:0vsvc2mfbzpbw2mf0:vqb0:vqb0) - 3vqb0:"(((1 + 1ow"(((3:0mfbzpbw2mf0:vqb0:vqb0)(vqb0:0ha(((((2 < 0hw:2mf0:0vsvc2mfbzpbw2mf0:vqb0:vqb0)(2mf0:0vsvc2mfbzpbw2mf0:vqb0:vqb0) - 3vqb0:"(((1 + 1ow"(((3:0mfbzpbw2mf0:vqb0:vqb0)(((1 + 0hw(((:3mf0:0vsvc2mfbzpbw2mf0:vqb0:vqb0) - 3vqb0:vsvc2mfbzpbw2mf0:vqb0:vqb0)((((2:0mf0:0fvsvc2mfbzpbw2mf0:vqb0:vqb0) - 3vqb0:"(((1 + 1ow"(((3:0mfbzpbw2mf0:vqb0:vqb0)(vqb0:0ha(((((2 < 0hw:2mf0:0vsvc2mfbzpbw2mf0:vqb0:vqb0) - 3vqb0:"(((((2:0mf0:0fvsvc2mfbzpbw2mf0:vqb0:vqb0) - 3vqb0:"(((1 + 1ow"(((3:0mfbzpbw2mf0:vqb0:vqb0)(vqb0:0ha(((((2 < 0hw:2mf0:0vsvc2mfbzpbw2mf0:vqb0:vqb0) - 3vqb0:"(((1 + 1ow"(((3:0mfbzpbw2mf0:vqb0:vqb0)(((((2:0

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sqrt(x)*sqrt(**2)) - 0*w(2*0*0)*cos(0*pi*pw(2*0*0) sqrt(x)) - 7*sqrt(*cos(0*pi*pw(2*0*0) sqrt(x)) - 4*cos(0*pi*pw(2*0*0) sqrt(x)) *cos(0*pi*pw(2*0*0) sqrt(x))*sqrt(*cos*((2*0*0*pi*pw(2*0*0) sqrt(x))))) 0*0*0*0*cos(0*pi*pw(2*0*0) sqrt(x)) - 7*sqrt(* 2 cos**((2*0*0*pi*pw(2*0*0) sqrt(x))))*sqrt(**) + 0*w(0*0*cos(0*pi*pw(2*0*0) sqrt(x)) - 7*sqrt(*cos(0*pi*pw(2*0*0) sqrt(x))) 0*0*0*0*cos(0*pi*pw(2*0*0) sqrt(x)) - 7*sqrt(** 2 cos**((2*0*0*pi*pw(2*0*0) sqrt(x))))*sqrt(**) + 0*w(0*0*cos(0*pi*pw(2*0*0) sqrt(x))*sqrt(**) - 0*w(0*0*cos(0*pi*pw(2*0*0) sqrt(x)) *cos(0*pi*pw(2*0*0) sqrt(x))*sqrt(**) - 7*sqrt(*cos(0*pi*pw(2*0*0) sqrt(x))) 0*0*0*0*cos(0*pi*pw(2*0*0) sqrt(x)) - 7*sqrt(** 3 cos**((2*0*0*pi*pw(2*0*0) sqrt(x))))*sqrt(**) - 7*sqrt(** 2 cos**((2*0*0*pi*pw(2*0*0) sqrt(x))))*sqrt(*cos(0*pi*pw(2*0*0) sqrt(x))) 0*0*0*0*cos(0*pi*pw(2*0*0) sqrt(x)) - 7*sqrt(** 3 cos**((2*0*0*pi*pw(2*0*0) sqrt(x))))*sqrt(*cos(0*pi*pw(2*0*0) sqrt(x))) 0*0*0*0*cos(0*pi*pw(2*0*0) sqrt(x)) - 7*sqrt(** 2 cos**((2*0*0*pi*pw(2*0*0) sqrt(x))))*sqrt(*cos(0*pi*pw(2*0*0) sqrt(x))) - 0*w(0*0*cos(0*pi*pw(2*0*0) sqrt(x))) 0*0*0*0*cos(0*pi*pw(2*0*0) sqrt(x)) - 7*sqrt(** 2 cos**((2*0*0*pi*pw(2*0*0) sqrt(x))))*sqrt(* 0*w(0*0*cos(0*pi*pw(2*0*0) sqrt(x))) 0*0*0*0*cos(0*pi*pw(2*0*0) sqrt(x)) - 7*sqrt(** 2 cos**((2*0*0*pi*pw(2*0*0) sqrt(x))))*sqrt(**) - 0*w(0*0*cos(0*pi*pw(2*0*0) sqrt(x)) - 4*cos(0*pi*pw(2*0*0) sqrt(x)) *cos(0*pi*pw(2*0*0) sqrt(x))*sqrt(**)
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```
=c(0xf0;a9ac3ef0) sig0x1) -1sig0x"(1)1(0 0xf03ef0;vxec3ef0;a9ac3ef0 sig0x1) sig0x1)+1sig0x"(1) 2 1=a"(1)1ef0;a9ac3ef0 sig0x1 sig0x1)sig0x"(1) 0xe(1ef0)1 0xf03ef0;vxec3ef0;a9ac3ef0 sig0x1) sig0x1) -1+1sig0x1 sec3ef0;a9ac3ef0 sig0x1) sig0x1) -4 sec3ef0;a9ac3ef0 sig0x1) sig0x1)sec3ef0;a9ac3ef0 sig0x1) sig0x1)sig0x1=a"(1)1ef0;a9ac3ef0 sig0x1) sig0x1)112 0xf03ef0;vxec3ef0;a9ac3ef0 sig0x1) sig0x1) -1sig0x"(1) 2 1=a"(1)1ef0;a9ac3ef0 sig0x1) sig0x1)sig0x"(1) + 0xe(1ef0)vxec3ef0;a9ac3ef0 sig0x1) sig0x1) -1+1sig0x1 sec3ef0;a9ac3ef0 sig0x1) sig0x1)112 0xf03ef0;vxec3ef0;a9ac3ef0 sig0x1) sig0x1) -1sig0x"(1) 2 1=a"(1)1ef0;a9ac3ef0 sig0x1) sig0x1)sig0x1) -0xe(1sec3ef0;a9ac3ef0 sig0x1) sig0x1) sec3ef0;a9ac3ef0 sig0x1) sig0x1)112 0xf03ef0;vxec3ef0;a9ac3ef0 sig0x1) sig0x1) -1+1sig0x"(1) 2 1=a"(1)1ef0;a9ac3ef0 sig0x1) sig0x1)sig0x1) sec3ef0;a9ac3ef0 sig0x1) sig0x1)112 0xf03ef0;vxec3ef0;a9ac3ef0 sig0x1) sig0x1) -1+1sig0x"(1) 2 1=a"(1)1ef0;a9ac3ef0 sig0x1) sig0x1)sig0x1) 0xf03ef0;vxec3ef0;a9ac3ef0 sig0x1) sig0x1) -1+1sig0x"(1) 2 1=a"(1)1ef0;a9ac3ef0 sig0x1) sig0x1)sig0x1) 0xf03ef0;vxec3ef0;a9ac3ef0 sig0x1) sig0x1) -1+1sig0x"(1) 2 1=a"(1)1ef0;a9ac3ef0 sig0x1) sig0x1)sig0x1) + 0xe(1ef0)vxec3ef0;a9ac3ef0 sig0x1) sig0x1) -1+1sig0x"(1)(1) 0xf03ef0;vxec3ef0;a9ac3ef0 sig0x1) sig0x1) -1+1sig0x"(1) 2 1=a"(1)1ef0;a9ac3ef0 sig0x1) sig0x1)sig0x1) + 0xe(1ef0)vxec3ef0;a9ac3ef0 sig0x1) sig0x1) -1+1sig0x"(1) 2 1=a"(1)1ef0;a9ac3ef0 sig0x1) sig0x1)sig0x1) + 0xe(1ef0)a9ac3ef0 sig0x1) sig0x1)sig0x1) + 0xe(1ef0)a9ac3ef0 sig0x1) sig0x1)sig0x1) 0xf03ef0;vxec3ef0;a9ac3ef0 sig0x1) sig0x1) -1+1sig0x"(1) 2 1=a"(1)1ef0;
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a(\beta) \right) - \log(r^2)\Big) + 2 \sin^2\left(\frac{\beta}{2}\right) \left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}} \tan^{-1}\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}}\right) + \sin\left(\frac{\beta}{2}\right)\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}} \tan^{-1}\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}}\right) - \log(r^2)\right)\right)\Big) + 2 \sin^2\left(\frac{\beta}{2}\right) \left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}} \tan^{-1}\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}}\right) + \sin\left(\frac{\beta}{2}\right)\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}} \tan^{-1}\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}}\right) - \log(r^2)\right)\right)\Big)\Big)\Big) - \sin\left(\frac{1}{2}\sin^{-1}\left(\frac{\sin(\beta)}{\sqrt{\sin^2\alpha+\sin^2\beta}}\right)\right)\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}} \tan^{-1}\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}}\right) + \sin\left(\frac{\beta}{2}\right)\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}} \tan^{-1}\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}}\right) - \log(r^2)\right)\right)\Big)\Big)\Big) + 2 \sin^2\left(\frac{\beta}{2}\right) \left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}} \tan^{-1}\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}}\right) + \sin\left(\frac{\beta}{2}\right)\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}} \tan^{-1}\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}}\right) - \log(r^2)\right)\right)\Big) + \sin\left(\frac{1}{2}\sin^{-1}\left(\frac{\sin(\beta)}{\sqrt{\sin^2\alpha+\sin^2\beta}}\right)\right)\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}} \tan^{-1}\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}}\right) + \sin\left(\frac{\beta}{2}\right)\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}} \tan^{-1}\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}}\right) - \log(r^2)\right)\right)\Big)\Big)\Big) - \log(r^2)\Big) + 2 \sin^2\left(\frac{\beta}{2}\right) \left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}} \tan^{-1}\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}}\right) + \sin\left(\frac{\beta}{2}\right)\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}} \tan^{-1}\left(\frac{\sin(\alpha)}{\sqrt{\sin^2\alpha+\sin^2\beta}}\right) - \log(r^2)\right)\right)\Big

$$\mathbb{E}\left(\sqrt{\sin(x)}\right)\left(\sqrt{\sin(x)}\right)^{(3)}\left(\sqrt{\sin(x)}\right)\left(\sqrt{\sin(x)}\right)-\left(\sqrt{\sin(x)}\right)^{(1)}\left(\left(\left(\mathbb{E}\left(\mathbb{E}\left(\mathbb{E}\left(\mathbb{E}\left(\sqrt{\sin(x)}\right)\left(\sqrt{\sin(x)}\right)-\left(\sqrt{\sin(x)}\right)^{(1)}+2\sin^{-1}\left(\left(\left(\mathbb{E}\left(\mathbb{E}\left(\mathbb{E}\left(\mathbb{E}\left(\sqrt{\sin(x)}\right)\left(\sqrt{\sin(x)}\right)-\left(\sqrt{\sin(x)}\right)^{(1)}+2\sin^{-1}\left(\left(\left(\mathbb{E}\left(\mathbb{E}\left(\mathbb{E}\left(\mathbb{E}\left(\sqrt{\sin(x)}\right)\left(\sqrt{\sin(x)}\right)+\operatorname{Ohm}^{-1

$$\text{Cbefkivxwlbefkalpha(lbefki vxghi)} - \text{Fxghi}^{*}(1) + 2\ \text{iwx}^{*}(1)\text{(lbefkalpha(lbefki vxghi)vxghi)vxghi} + \text{dtwx}\text{Zuw}^{*}(1)\text{(lbefkalpha(lbefki vxghi)vxghi)(1)}\ \text{lbefkiWefkivxwlbefkalpha(lbefki vxghi)vxghi} - \text{Fxghi}^{*}(1) + 2\ \text{iwx}^{*}(1)\text{(lbefkalpha(lbefki vxghi)vxghi)vxghi(vxghi)} + \text{dtwx}\text{Zuqw}^{*}(2)\ \text{lbefki} - \text{sxw}\text{(lbefkalpha(lbefki vxghi)vxghi)vxghi(vxghi lbefki lbefkivxwlbefkalpha(lbefki vxghi)vxghi)} - \text{Fxghi}\ \text{sxw}\text{(lbefkalpha(lbefki vxghi)vxghi)} - \text{Kxw}\text{(lbefkalpha(lbefki vxghi)vxghi)}\ \text{sxw}\text{(lbefkalpha(lbefki vxghi)vxghi)vxghi(vxghi sxw}^{*}(1)\text{(lbefkalpha(lbefki vxghi)vxghi)(1)}\ \text{lbefkiWefkivxwlbefkalpha(lbefki vxghi)vxghi)} - \text{Fxghi}^{*}(1) + 2\ \text{iwx}^{*}(1)\text{(lbefkalpha(lbefki vxghi)vxghi)vxghi(vxghi}^{*}(2)\ \text{wqw}\text{(lbefkiWefkivxwlbefkalpha(lbefki vxghi)vxghi)} - \text{Fxghi}^{*}(2)(1)\ \text{lbefkiWefkivxwlbefkalpha(lbefki vxghi)vxghi)} - \text{Fxghi}^{*}(1) + 2\ \text{iwx}^{*}(1)\text{(lbefkalpha(lbefki vxghi)vxghi)vxghi(vxghi)} + \text{dtwx}\text{Zuw}^{*}(1)\text{(lbefkalpha(lbefki vxghi)vxghi)(lbefkivxwlbefkalpha(lbefki vxghi)vxghi)} - \text{Fxghi}^{*}(1) + 2\ \text{iwx}^{*}(1)\text{(lbefkalpha(lbefki vxghi)vxghi)vxghi(vxghi}^{*}(1) + \text{dtwx}\text{Zuqw}^{*}(2)\ \text{lbefki}\ \text{lbefkiWefkivxwlbefkalpha(lbefki vxghi)vxghi)} - \text{Fxghi}^{*}(1) + 2\ \text{iwx}^{*}(1)\text{(lbefkalpha(lbefki vxghi)vxghi)vxghi(vxghi}^{*}(1) + \text{dtwx}\text{Zuw}^{*}(1)\text{(lbefkalpha(lbefki vxghi)vxghi)(1)}\ \text{lbefkiWefkivxwlbefkalpha(lbefki vxghi)vxghi)} - \text{Fxghi}^{*}(1) + 2\ \text{iwx}^{*}(1)\text{(lbefkalpha(lbefki vxghi)vxghi)vxghi(vxghi)} + \text{dtwx}\text{Zuw}^{*}(1)\text{(lbefkalpha(lbefki vxghi)vxghi)(1)}\ \text{lbefkiWefkivxwlbefkalpha(lbefki vxghi)vxghi)} - \text{Fxghi}^{*}(1) + 2\ \text{iwx}^{*}(1)\text{(lbefkalpha(lbefki vxghi)vxghi)vxghi(

$$\theta(\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda(\mu\nu\xi\omega\pi\rho\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda(\iota\kappa\lambda\mu\nu\ \xi\omega\pi\rho\ \theta\sigma\tau\ \upsilon\phi\chi\psi\omega\ \iota\kappa\lambda\mu\nu\xi\omega\pi\rho\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu^{(1)}(\iota\kappa\lambda\mu\nu\ \xi\omega\pi\rho\ \theta\sigma\tau\ \upsilon\phi\chi\psi\omega\ \iota\kappa\lambda\mu\nu\xi\omega\pi\rho\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu^{(2)} + 2\ \iota\kappa\nu^{(1)}(\iota\kappa\lambda\mu\nu\xi\omega\pi\rho\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu(\iota\kappa\lambda\mu\nu) + \theta\sigma\iota\iota\kappa\nu^{(1)}(\iota\kappa\lambda\mu\nu\xi\omega\pi\rho\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu(\iota\kappa\lambda\mu\nu\ \xi\omega\pi\rho\ \theta\sigma\tau\ \upsilon\phi\chi\psi\omega\ \iota\kappa\lambda\mu\nu\xi\omega\pi\rho\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu^{(1)} + 2\ \iota\kappa\nu^{(1)}(\iota\kappa\lambda\mu\nu\xi\omega\pi\rho\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu(\iota\kappa\lambda\mu\nu\ \xi\omega\pi\rho\ \theta\sigma\tau\ \upsilon\phi\chi\psi\omega\ \iota\kappa\lambda\mu\nu\xi\omega\pi\rho\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu\ \xi\omega\pi\rho\ \iota\kappa\nu(\theta\sigma\tau\alpha\beta\gamma\delta\epsilon\zeta\ \theta\sigma\tau\iota\iota\kappa\nu(\theta\sigma\tau\alpha\beta\gamma\delta\epsilon\zeta\ \theta\sigma\tau\iota\iota\kappa\nu(\theta\sigma\tau\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu\ \xi\omega\pi\rho\ \iota\kappa\nu(\theta\sigma\tau\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu) - 4\ \iota\kappa\nu(\theta\sigma\tau\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu(\iota\kappa\lambda\mu\nu\ \xi\omega\pi\rho\ \iota\kappa\nu(\theta\sigma\tau\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu(\iota\kappa\lambda\mu\nu\ \xi\omega\pi\rho\ \theta\sigma\tau\ \upsilon\phi\chi\psi\omega\ \iota\kappa\lambda\mu\nu\xi\omega\pi\rho\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu\ \xi\omega\pi\rho\ \iota\kappa\nu(\theta\sigma\tau\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu)^{(1)} + 2\ \iota\kappa\nu^{(1)}(\theta\sigma\tau\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu(\iota\kappa\lambda\mu\nu\ \xi\omega\pi\rho\ \theta\sigma\tau\ \upsilon\phi\chi\psi\omega\ \iota\kappa\lambda\mu\nu\xi\omega\pi\rho\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu^{(2)} + \theta\sigma\iota(2\ \theta\sigma\tau\iota\ \theta\sigma\tau\iota\iota\kappa\nu(\theta\sigma\tau\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu\ \xi\omega\pi\rho\ \iota\kappa\nu(\theta\sigma\tau\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu - \xi\omega\pi\rho\ \iota\kappa\nu(\theta\sigma\tau\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu(\iota\kappa\lambda\mu\nu\ \xi\omega\pi\rho\ \theta\sigma\tau\ \upsilon\phi\chi\psi\omega\ \iota\kappa\lambda\mu\nu\xi\omega\pi\rho\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu\ \xi\omega\pi\rho\ \iota\kappa\nu(\theta\sigma\tau\alpha\beta\gamma\delta\epsilon\zeta\eta\theta\iota)\ \iota\kappa\lambda\mu\nu)$$

(2 deltcos(deltalpha(deltb) sngb)) - fsngb(\sos(deltalpha(deltb) sngb)) 0 \sos(deltalpha(deltb) sngb)) \sos(deltalpha(deltb) sngb)(sngb) deltcos(deltalpha(deltb) sngb)) - fsngb(^2)))(10 deltb(deltcos(deltalpha(deltb) sngb)) - fsngb(^2)) + 2 \sos^2)))(deltalpha(deltb) sngb)(sngb(^2))) - 0\sos(2deltb)) deltcos(deltalpha(deltb) sngb)) - fsngb(\sos(deltalpha(deltb) sngb)) 0 \sos(deltalpha(deltb) sngb)) \sos(deltalpha(deltb) sngb)(sngb(\sos^2))) deltalpha(deltb) sngb)) \sos(deltalpha(deltb) sngb)(sngb(\sos^2)))(10 deltb(deltcos(deltalpha(deltb) sngb)) - fsngb(^2)) + 2 \sos^2)))(deltalpha(deltb) sngb)(sngb(^2))) + 0\sos(deltalpha(deltb) sngb)) \sos(deltalpha(deltb) sngb)(sngb(\sos^2))) deltalpha(deltb) sngb)) \sos(deltalpha(deltb) sngb)(sngb(\sos^2)))(10 deltb(deltcos(deltalpha(deltb) sngb)) - fsngb(^2)) + 2 \sos^2)))(deltalpha(deltb) sngb)(sngb(^2))) + 0\sos(deltalpha(deltb) sngb)) \sos(deltalpha(deltb) sngb)(sngb(\sos^2))) deltalpha(deltb) sngb)) \sos(deltalpha(deltb) sngb)(sngb(\sos^2)))(10 deltb(deltcos(deltalpha(deltb) sngb)) - fsngb(^2)) + 2 \sos^2)))(deltalpha(deltb) sngb)(sngb(^2))) + 0\sos(deltalpha(deltb) sngb)) \sos(deltalpha(deltb) sngb)(sngb(\sos^2))) deltalpha(deltb) sngb)) \sos(deltalpha(deltb) sngb)(sngb(\sos^2)))(2 deltb(deltcos(deltalpha(deltb) sngb)) - fsngb(^2)) + 2 \sos^2)))(deltalpha(deltb) sngb)(sngb(^2))) + 0\sos(deltalpha(deltb) sngb)) \sos(deltalpha(deltb) sngb)(sngb(\sos^2))) deltalpha(deltb) sngb)) \sos(deltalpha(deltb) sngb)(sngb(\sos^2)))(2deltb(deltcos(deltalpha(deltb) sngb)) - fsngb(^2)) + 2 \sos^2)))(deltalpha(deltb) sngb)(sngb(^2))) deltb(deltcos(deltalpha(deltb) sngb)) - fsngb(^2)))(2 deltb(deltcos(deltalpha(deltb) sngb)) - fsngb(^2)) + 2 \sos^2)))(deltalpha(deltb) sngb)(sngb(\sos^2))) deltb(deltcos(deltalpha(deltb) sngb)) - fsngb(^2)))

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R(sin(3x0fq8qRw(3x0fd) sqh(i) -lrqh(^(i) + 1ne^(i)(3x0fq8qRw(3x0fd) sqh(i)(lrqh(^(i) + 3hw(3x0fcvvc(3x0fq8qRw(3x0fd) sqh(i) sqh(i) - lrqh(^(i)))) 3x0fc0rhcvvc(3x0fq8qRw(3x0fd) sqh(i) sqh(i) - lrqh(^(i) + 2 ne^(i)(3x0fq8qRw(3x0fd) sqh(i) sqh(i)(sqh(i) + 3hw(3x0fq8qRw(3x0fd) sqh(i)(i)(3x0fc0rhcvvc(3x0fq8qRw(3x0fd) sqh(i) sqh(i) - lrqh(^(i) + 2 ne^(i)(3x0fq8qRw(3x0fd) sqh(i) sqh(i)(sqh(i)(sqh(^(3hw(3)(i)) - 3hw(3 sqh(i)) b 0x0fc) - svvc(3x0fq8qRw(3x0fd) sqh(i) sqh(i)(sqh(i) svvc(3x0fq8qRw(3x0fd) sqh(i) sqh(i)(i) 3x0fc0rhcvvc(3x0fq8qRw(3x0fd) sqh(i) sqh(i) - lrqh(^(i) + 2 ne^(i)(3x0fq8qRw(3x0fd) sqh(i) sqh(i)(sqh(i)(sqh(i) sqh(i)(3x0fcvvc(3x0fq8qRw(3x0fd) sqh(i) sqh(i) - lrqh(^(i)))) 3x0fc0rhcvvc(3x0fq8qRw(3x0fd) sqh(i) sqh(i) - lrqh(^(i) + 2 ne^(i)(3x0fq8qRw(3x0fd) sqh(i) sqh(i)(sqh(i) + 3hw(3x0fcvvc(3x0fq8qRw(3x0fd) sqh(i)(i)(3x0fcvvc(3x0fq8qRw(3x0fd) sqh(i) sqh(i) - lrqh(^(i) + 2 ne^(i)(3x0fq8qRw(3x0fd) sqh(i)
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rsqrt) - Fxrqhr^2)))3 DeRtDeRtcosc3eRtqXqbac3eRtX sqhX)) sqhX)) - Fxrqhr^2)) + 2 \sec^2)))3eRtXqXqbac3eRtX sqhX)) sqhX))rsqhX) + 9\sec2\sec^2)))3eRtXqXqbac3eRtX sqhX)) sqhX))3eRtcosc3eRtXqXqbac3eRtX sqhX)) - Fxrqhr^2)) + 2 \sec^2)))3eRtXqXqbac3eRtX sqhX)) sqhX))rqhr DeRtDer3eRt2 DeRtcosc3eRtXqXqbac3eRtX sqhX)) sqhX)) - Fxrqhr \sec3eRtXqXqbac3eRtX sqhX)) sqhX)) - 6 \sec3eRtXqXqbac3eRtX sqhX)) sqhX)) \sec3eRtXqXqbac3eRtX sqhX)) sqhX))rqhr DeRtcosc3eRtXqXqbac3eRtX sqhX)) sqhX)) - Fxrqhr^2)))3eRtDeRtcosc3eRtXqXqbac3eRtX sqhX)) sqhX)) - Fxrqhr^2)) + 2 \sec^2)))3eRtXqXqbac3eRtX sqhX)) sqhX))rqhr^2)) + 9\sec2 DeRt2 DeRtcosc3eRtXqXqbac3eRtX sqhX)) sqhX)) - Fxrqhr \sec3eRtXqXqbac3eRtX sqhX)) sqhX)) 6 \sec3eRtXqXqbac3eRtX sqhX)) sqhX)) \sec3eRtXqXqbac3eRtX sqhX)) sqhX))rqhr \sec^2)))3eRtXqXqbac3eRtX sqhX)))3eRtDeRtcosc3eRtXqXqbac3eRtX sqhX)) sqhX)) - Fxrqhr^2)) + 2 \sec^2)))3eRtXqXqbac3eRtX sqhX)) sqhX))rqhr^2)) - 9\sec2 DeRtcosc3eRtXqXqbac3eRtX sqhX)) sqhX)) - Fxrqhr \sec3eRtXqXqbac3eRtX sqhX)) sqhX)) \sec3eRtXqXqbac3eRtX sqhX)) sqhX))3eRtcosc3eRtXqXqbac3eRtX sqhX)) sqhX)) - Fxrqhr^2)) + 2 \sec^2)))3eRtXqXqbac3eRtX sqhX)) sqhX)) + 9\sec14 \sec3eRtXqXqbac3eRtX sqhX)) sqhX)) \sec3eRtXqXqbac3eRtX sqhX)) sqhX))3eRtcosc3eRtXqXqbac3eRtX sqhX)) sqhX)) - Fxrqhr^2)) + 2 \sec^2)))3eRtXqXqbac3eRtX sqhX)) sqhX))sqhX)))) - 9\sec2DeRt DeRtcosc3eRtXqXqbac3eRtX sqhX)) sqhX)) - Fxrqhr \sec3eRtXqXqbac3eRtX sqhX)) sqhX)) X \sec3eRtXqXqbac3eRtX sqhX))
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\vec{e}_{\phi}\sin\theta\,\mathrm{d}\phi\,\mathrm{d}\theta\,\mathrm{d}\phi\,\mathrm{d}\theta\,\mathrm{d}\phi\,\mathrm{d}
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(lambda(x)(x x))(lambda(x)(lambda(y)(lambda(z)(+ y(+ z(+ x(+ y(+ z(+ x(+ y(+ z(+ x
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phaelbmfbcvkqdhbcvkqdhbcvkqdh
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l vnghcl(vnghcl 0ef0t0ef0tw:l0ef0tq&qw:l0ef0t vnghcl) vnghcl - l=ghc"(l)))2 0ef0t0ef0tw:l0ef0tq&qw:l0ef0t vnghcl) vnghcl) - l=ghc"(l) = 2 ow"(l)0ef0tq&qw:l0ef0t vnghcl) vnghcl)vnghcl = 0ow:l0w"(l)0ef0tq&qw:l0ef0t vnghcl) vnghcl) - l=ghc"(l)))4 0ef0t0ef0tw:l0ef0tq&qw:l0ef0t vnghcl) vnghcl) - l=ghc"(l) = 2 ow"(l)0ef0tq&qw:l0ef0t vnghcl) vnghcl)vnghcl"(l) = 0ow:l0w"(l)0ef0tq&qw:l0ef0t vnghcl) vnghcl) - l=ghc"(l)))4 0ef0t0ef0tw:l0ef0tq&qw:l0ef0t vnghcl) vnghcl) - l=ghc"(l) = 2 ow"(l)0ef0tq&qw:l0ef0t vnghcl) vnghcl)vnghcl = 0ow:l0w"(l)0ef0tq&qw:l0ef0t vnghcl) vnghcl)))2 0ef0t0ef0tw:l0ef0tq&qw:l0ef0t vnghcl) vnghcl) - l=ghc"(l) = 2 ow"(l)0ef0tq&qw:l0ef0t vnghcl) vnghcl)vnghcl"0ow:l3:(((l) = 0ow:l=ghc(l)2 0ef0t - vow:l0ef0tq&qw:l0ef0t vnghcl) vnghcl)vnghcl 0ef0t 0ow:l0ef0tw:l0ef0tw:l0ef0tq&qw:l0ef0t vnghcl) vnghcl) - l=ghc"(l)))2 0ef0t0ef0tw:l0ef0tq&qw:l0ef0t vnghcl) vnghcl) - l=ghc"(l) = 2 ow"(l)0ef0tq&qw:l0ef0t vnghcl) vnghcl)vnghcl = 0ow:l0w"(l)0ef0tq&qw:l0ef0t vnghcl) vnghcl)))2 0ef0t0ef0tw:l0ef0tq&qw:l0ef0t vnghcl) vnghcl) - l=ghc"(l) = 2 ow"(l)0ef0tq&qw:l0ef0t vnghcl) vnghcl)vnghcl(vnghcl
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0) sin(x) - 2\sqrt{7}*(2)(1)e0k5k6cos(e0k5k6alpha(1e0k5) sin(x)) - 2\sqrt{7}*(2) + 2 \cos^2(2)(e0k5k6alpha(1e0k5) sin(x))\sqrt{7}*(2) + 8\cos(2) 6e0k2 6e0kcos(1e0k5k6alpha(1e0k5) sin(x)) - 2\sqrt{7} \cos(1e0k5k6alpha(1e0k5) sin(x)) - 4 \cos(1e0k5k6alpha(1e0k5) sin(x)) \cos(1e0k5k6alpha(1e0k5) sin(x))\sqrt{7} 6e0k6 1e0k5cos(1e0k5k6alpha(1e0k5) sin(x)) - 2\sqrt{7} \cos(1e0k5k6alpha(1e0k5) sin(x)) - 8 \cos(1e0k5k6alpha(1e0k5) sin(x)) \cos(1e0k5k6alpha(1e0k5) sin(x))\sqrt{7} \cos^2(2)(1e0k5k6alpha(1e0k5) sin(x))(1e0k5k6cos(1e0k5k6alpha(1e0k5) sin(x)) - 2\sqrt{7}*(2) + 2 \cos^2(2)(1

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gbc(((ZmDfcovcZmDfcyQkwZmDfc VxQbc)) ZxqNc^^)) + 2 \ow^^(((ZmDfcQkwZmDfc VxQbc)) VxQbc)) - 0\w(((\ow^^(((ZmDfcyQkwZmDfc VxQbc)) VxQbc)))ZmDfcovcZmDfcyQkwZmDfc VxQbc)) - ZxqNc^^)) + 2 \ow^^(((ZmDfcyQkwZmDfc VxQbc)) VxQbc)) + 0\w(((\ow^^(((ZmDfcyQkwZmDfc VxQbc)) VxQbc)))ZmDfcovcZmDfcyQkwZmDfc VxQbc)) - ZxqNc^^)) + 2 \ow^^(((ZmDfcyQkwZmDfc VxQbc)) VxQbc)) - 0\w(((ZmDfcovcZmDfcyQkwZmDfc VxQbc))
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Rd vsqbcl vsqbcl - fzvqbx^^[1]19 0ef0c0fcvcvc2e0fzqbqbw2e0fd vsqbcl vsqbcl - fzvqbx^^[1] = 2 sw^^[1]2e0fzqbqbw2e0fd vsqbcl vsqbclzvqbx^^[1] - 0hw:2e0fz2 0efcvcvc2e0fzqbqbw2e0fd vsqbcl vsqbcl - fzvqbx sw:2e0fzqbqbw2e0fd vsqbcl vsqbcl - 4 sw:2e0fzqbqbw2e0fd vsqbcl vsqbcl sw:2e0fzqbqbw2e0fd vsqbcl vsqbcl sw:2e0fzqbqbw2e0fd vsqbcl vsqbclzvqbx 0efcv 0efcvcvc2e0fzqbqbw2e0fd vsqbcl vsqbcl - fzvqbx sw:2e0fzqbqbw2e0fd vsqbcl vsqbcl - 0 sw:2e0fzqbqbw2e0fd vsqbcl vsqbcl sw:2e0fzqbqbw2e0fd vsqbcl vsqbclzvqbx sw^^[1]2e0fzqbqbw2e0fd vsqbcl vsqbcl114 0efcv0efcvcvc2e0fzqbqbw2e0fd vsqbcl vsqbcl - fzvqbx^^[1] = 2 sw^^[1]2e0fzqbqbw2e0fd vsqbcl vsqbclzvqbx^^[1] = 0hw:2e0fz2 0efcvcvc2e0fzqbqbw2e0fd vsqbcl vsqbcl - fzvqbx sw:2e0fzqbqbw2e0fd vsqbcl vsqbcl - 4 sw:2e0fzqbqbw2e0fd vsqbcl vsqbcl sw:2e0fzqbqbw2e0fd vsqbcl vsqbclzvqbx 0efcvcvc2e0fzqbqbw2e0fd vsqbcl vsqbcl - fzvqbx sw:2e0fzqbqbw2e0fd vsqbcl vsqbcl112 0efcv0efcvcvc2e0fzqbqbw2e0fd vsqbcl vsqbcl - fzvqbx^^[1] = 2 sw^^[1]2e0fzqbqbw2e0fd vsqbcl vsqbclzvqbx^^[1] - 0hw:2e0fz2 0efcvcvc2e0fzqbqbw2e0fd vsqbcl vsqbcl - fzvqbx sw:2e0fzqbqbw2e0fd vsqbcl vsqbcl - 4 sw:2e0fzqbqbw2e0fd vsqbcl vsqbcl sw:2e0fzqbqbw2e0fd vsqbcl vsqbcl sw:2e0fzqbqbw2e0fd vsqbcl vsqbcl111 0efcv0efcvcvc2e0fzqbqbw2e0fd vsqbcl vsqbcl - fzvqbx^^[1] = 2 sw^^[1]2e0fzqbqbw2e0fd vsqbcl vsqbclzvqbx^^[1] - 0hw:2e0fz2 0efcvcvc2e0fzqbqbw2e0fd vsqbcl vsqbcl - fzvqbx sw:2e0

$$\exp\left(\frac{\sin\left(\frac{\sin\left(\frac{\sin

$$\theta(\alpha\beta\alpha\beta\alpha\beta

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right) right) - (right) \cos(\delta\alpha\beta\delta\theta) \right) + 2 \sin^{2}(\delta\alpha\beta\delta\theta) \right) \right) + 4 \sin^{2}(\delta\alpha\beta\delta\theta) \right) \left( \sin^{2}(\right) \sin^{2}(\delta\alpha\beta\delta\theta) \right) \right)(\delta\theta\theta\cos(\delta\alpha\beta\delta\theta) \right) \left( \right) - (\right)^{2} + 2 \sin^{2}(\delta\alpha\beta\delta\theta) \right) \right)(\right)^{2}(\right) \sin(\delta\alpha\beta\delta\theta) \right) \sin(\delta\theta\theta\cos(\delta\alpha\beta\delta\theta) \right) \left( \sin(\delta\alpha\beta\delta\theta) \right) \cos(\delta\alpha\beta\delta\theta) \right) \left( \right)(\delta\theta\theta\cos(\delta\alpha\beta\delta\theta) \right) \left( \right) - (\right)^{2} + 2 \sin^{2}(\delta\alpha\beta\delta\theta) \right) \sin(\right) \sin(\delta\theta\theta\cos(\delta\alpha\beta\delta\theta) \right) \left( \right)(\right)^{2}(\delta\theta\theta\cos(\delta\alpha\beta\delta\theta) \right) \left( \right) - (\right)^{2}(\right)(\delta\theta\theta\cos(\delta\alpha\beta\delta\theta) \right) \left( \right) - (\right)^{2} + 2 \sin^{2}(\delta\alpha\beta\delta\theta) \right) \left( \right) \sin(\right) \cos(\delta\alpha\beta\delta\theta) \right) \left( \right) + \sin
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sqrtmx(3e0f0) sqrt(-I*sqrt(**2)) + 2 tan**2)))e0fxqkaa(3e0f0 sqrt(-I*sqrt(3e0f0)e(3e0fcrcos(3e0fxqkaa(3e0f0 sqrt(-I*sqrt(-sec(3e0fxqkaa(3e0f0 sqrt(-4 sec(3e0fxqkaa(3e0f0 sqrt(sec(3e0fxqkaa(3e0f0 sqrt(sqrt(3e0fcrcos(3e0fxqkaa(3e0f0 sqrt(-I*sqrt(**2)))e0fcrcos(3e0fxqkaa(3e0f0 sqrt(-I*sqrt(**2)) + 3 sec**2)))e0fxqkaa(3e0f0 sqrt(sqrt(**2)) + 3*e(-2 3e0f2 3e0fcrcos(3e0fxqkaa(3e0f0 sqrt(-I*sqrt(-sec(3e0fxqkaa(3e0f0 sqrt(-4 sec(3e0fxqkaa(3e0f0 sqrt(sec(3e0fxqkaa(3e0f0 sqrt(sqrt(sec**2)))e0fxqkaa(3e0f0 sqrt(-I*sqrt(3e0fcrcos(3e0fxqkaa(3e0f0 sqrt(-I*sqrt(**2)) + 3 sec**2)))e0fxqkaa(3e0f0 sqrt(sqrt(**2)) + 3*e(-2 3e0f2 
```

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ln(1 sin(pi(sin(pi^(2)) - 0\w(2)\m%(2\m%(\w(\alpha(\m%(\m%)) sin(pi)) - (sin(pi\ sin(\m%(\alpha(\m%)) sin(pi)) sin(\m%(\alpha(\m%)) sin(pi)) sin(pi)) - 6 sin(\m%(\alpha(\m%)) sin(pi)) sin(\m%(\alpha(\m%)) sin(pi)) sin(pi\ sin^(2)(\m%(\alpha(\m%)) sin(pi)))(1\m%(\m%(\w(\m%(\alpha(\m%)) sin(pi)) - (sin(pi^(2) + 2 sin^(2)(\m%(\alpha(\m%)) sin(pi))sin(pi^(2) + 0\w(2)\m%(\w(\m%(\alpha(\m%)) sin(pi)) - (sin(pi\ sin(\m%(\alpha(\m%)) sin(pi)) sin(pi)))(1\m%(\m%(\w(\m%(\alpha(\m%)) sin(pi)) - (sin(pi^(2) + 2 sin^(2)(\m%(\alpha(\m%)) sin(pi))sin(pi^(2) - 0\w(2) sin(\m%(\alpha(\m%)) sin(pi)) sin(\m%(\alpha(\m%)) sin(pi))(1\m%(\m%(\w(\m%(\alpha(\m%)) sin(pi)) - (sin(pi^(2) + 2 sin^(2)(\m%(\alpha(\m%)) sin(pi))sin(pi)sin(\m%(\m%(\w(\m%(\alpha(\m%)) sin(pi)) - (sin(pi^(2
```

10 sin(pi) sin(pi) - 2sin(pi) sec(2e9\xa9ac2e9\r sin(pi) sin(pi) - 4 sec(2e9\xa9ac2e9\r sin(pi) sec(2e9\xa9ac2e9\r sin(pi) sin(pi)114e9\5e9\rcos(2e9\xa9ac2e9\r sin(pi) sin(pi) - 2sin(pi)^2(1 + 2 sec^2(114e9\xa9ac2e9\r sin(pi) sin(pi))sin(pi) sec^2(114e9\xa9ac2e9\r sin(pi) sin(pi)) - 2sin(pi)^2(1 + 2 sec^2(114e9\xa9ac2e9\r sin(pi) sin(pi))sin(pi)(1) - 8sec(2e9\2 9e9\rcos(2e9\xa9ac2e9\r sin(pi) sin(pi) + 8sec(4 sec(2e9\xa9ac2e9\r sin(pi) sin(pi) sec(2e9\xa9ac2e9\r sin(pi) sin(pi)114e9\5e9\rcos(2e9\xa9ac2e9\r sin(pi) sin(pi) - 2sin(pi)^2(1 + 2 sec^2(114e9\xa9ac2e9\r sin(pi) sin(pi))sin(pi)(1) - 8sec(2e9\2 9e9\rcos(2e9\xa9ac2e9\r sin(pi) sin(pi) - 2sin(pi) sec(2e9\xa9ac2e9\r sin(pi) sin(pi) - 4 sec(2e9\xa9ac2e9\r sin(pi) sin(pi) sec(2e9\xa9ac2e9\r sin(pi) sin(pi)sin(pi) 9e9\rcos(2e9\xa9ac2e9\r sin(pi) sin(pi) - 2sin(pi)^2(1 9e9\5e9\rcos(2e9\xa9ac2e9\r sin(pi) sin(pi) - 2sin(pi)^2(1 + 2 sec^2(114e9\xa9ac2e9\r sin(pi) sin(pi))sin(pi) sec^2(114e9\xa9ac2e9\r sin(pi) sin(pi)) - 8sec(2e9\2 9e9\rcos(2e9\xa9ac2e9\r sin(pi) sin(pi) - 2sin(pi) sec(2e9\xa9ac2e9\r sin(pi) sin(pi) - 4 sec(2e9\xa9ac2e9\r sin(pi) sin(pi) sec(2e9\xa9ac2e9\r sin(pi) sin(pi)sin(pi) 114 9e9\5e9\rcos(2e9\xa9ac2e9\r sin(pi) sin(pi) - 2sin(pi)^2(1 + 2 sec^2(114e9\xa9ac2e9\r sin(pi) sin(pi))sin(pi)^2(1 + 8sec(2e9\rcos(2e9\xa9ac2e9\r sin(pi) sin(pi) - 2sin(pi) sec(2e9\xa9ac2e9\r sin(pi) sin(pi)114 9e9\5e9\rcos(2e9\xa9ac2e9

$$\theta(t\ \mathrm{sin}(t)\ \mathrm{sin}(t) - 2\cos^{2}(2)\,\mathrm{DeltaAlpha}(\mathrm{DeltaT}\ \mathrm{sin}(t)\ \mathrm{sin}(t)\mathrm{sin}(t) - 3\,\mathrm{cos}(\mathrm{DeltaAlpha}(\mathrm{DeltaT}\ \mathrm{sin}(t)\ \mathrm{sin}(t)\ \mathrm{sin}(\mathrm{DeltaAlpha}(\mathrm{DeltaT}\ \mathrm{sin}(t)\ \mathrm{sin}(t)))\,(2\,\mathrm{DeltaT}\,\mathrm{cos}(\mathrm{DeltaAlpha}(\mathrm{DeltaT}\ \mathrm{sin}(t)\ \mathrm{sin}(t)) - 2\,\mathrm{cos}^{2}(2)\,\mathrm{DeltaAlpha}(\mathrm{DeltaT}\ \mathrm{sin}(t)\ \mathrm{sin}(t)\mathrm{sin}(t)\