MATLAB/Simulink Session 2

Part 2

Symbolic Laplace Calculation

```
% laplace with syms
syms t s
laplace(cos(t))
ans =
```

ans =

$$y = t e^{-t}$$

laplace(y)

ans = $\frac{1}{(s+1)^2}$

```
syms y(t) a
eqn = diff(y,t) == a*y;
y = dsolve(eqn)
```

$$y = C_1 e^{at}$$

laplace(y)

ans = $-\frac{C_1}{a-s}$

Laplace Inverse Calculation

```
% inverse laplace
ilaplace(ans)
```

ans =
$$C_1 e^{at}$$

```
syms t s
 G = 1/(s + 1)
 G =
  ilaplace(G)
 ans = e^{-t}
Define Laplase: Seccond Method
Note: To plot the step response or calculate DC gain, poles and zeros, use methods below.
 % another method
  s = tf('s')
  s =
   s
  Continuous-time transfer function.
 G = 1/(s + 1)
 G =
     1
   s + 1
 Continuous-time transfer function.
  clc;
  clear
 % 1st method
  N = [1 1]
 N = 1 \times 2
      1
 D = [1 \ 2 \ 1]
  D = 1 \times 3
            2
                  1
  G1 = tf(N, D)
 G1 =
       s + 1
```

```
s^2 + 2 s + 1
```

Continuous-time transfer function.

```
% 2nd method
s = tf('s')
```

s =

S

Continuous-time transfer function.

$$G2 = (s+1)/(s^2 + 2*s + 1)$$

G2 = S + 1 $S^2 + 2 S + 1$

Continuous-time transfer function.

Poles, Zeros and DC gain of Transfer Functions

```
% poles, zeros, dc gain
zero(G2)
```

ans = -1

pole(G2)

ans = 2×1 -1 -1

dcgain(G2)

ans = 1

Step Response

```
% step response
s = tf('s')
```

s = s

Continuous-time transfer function.

$$G1 = 1/(s+1)$$

G1 = 1 s + 1

Continuous-time transfer function.

$$G2 = 1/(s+1)^2$$

G2 =

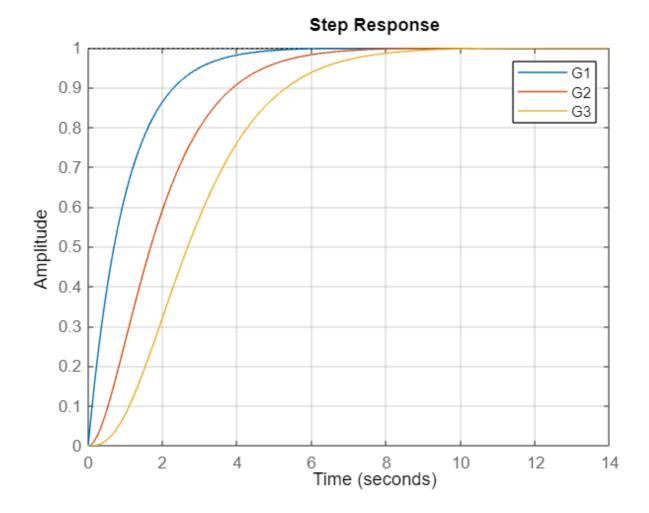
Continuous-time transfer function.

$$G3 = 1/(s+1)^3$$

G3 =

Continuous-time transfer function.

step(G1) hold on step(G2) step(G3) grid on legend



```
clc
close all
clear
s = tf('s')
```

s =

S

Continuous-time transfer function.

```
H1 = (s+1)/(s+2)
```

H1 =

s + 1

s + 2

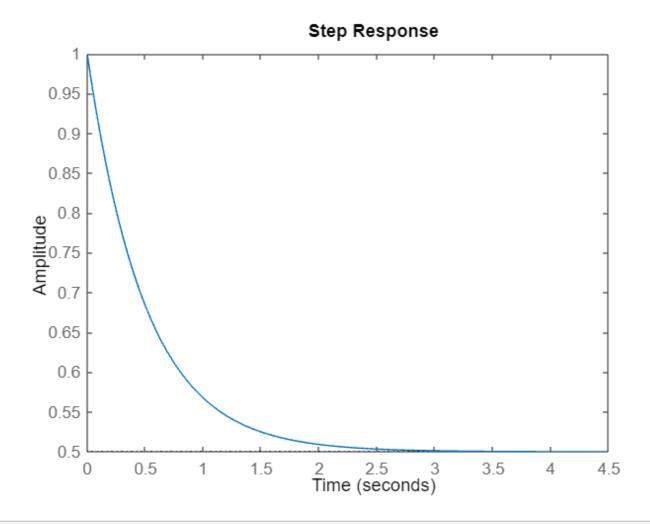
Continuous-time transfer function.

$$H2 = 2/(s+2)$$

```
H2 =
```

Continuous-time transfer function.

step(H1)



step(H2)

