Q Learning and Deep Q Network

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Games



Agents

- Model-free reinforcement learning algorithm
- Uses a table to store Q values for each state-action pair
- Effective in simple environments
- Struggles in more complexe environments since it is impractical to store and update Q values for all the state-action pairs
- Deep Q Network (DQN)
 - Uses neural networks to learn policies to map states to Q values
 - Neural networks can handle large state spaces and continuous action spaces

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- Impractical to store all Q values for a continuous observation space
- Discretization needed
- Hyperparameters used for Q Learning
 - Discount factor $\gamma = 0.99$
 - Start epsilon of 1
 - End epsilon of 0.001
 - Epsilon decay of 5^{-4}
 - 10 bins
 - learning rate of 0.25 and 0.005 for CartPole and Lunar Lander, respectively

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Q Learning Algorithm

12: end for

Algorithm Q Learning(episodes, α, ϵ, γ)

```
1: Initialize Q(s, a) for all s \in \mathcal{S}, a \in \mathcal{A}(s) arbitrarily
 2: Set Q(terminal, \cdot) = 0 for all terminal states
 3: for each episode in episodes do
        Initialize s
 4:
     done \leftarrow False
 5:
       while not done do
 6:
             Choose a \in \mathcal{A} from s using policy derived from Q
 7:
             Take action a and observe reward r and next state s'
 8:
             Q(s, a) \leftarrow Q(s, a) + \alpha [r + \gamma \max_{a} Q(s', a) - Q(s, a)]
 9:
             s \leftarrow s'
10.
11:
        end while
```

DQN Algorithm Setup

- Implementation of ReplayMemory, which acts as a replay buffer
- Implementation of deep neural network
 - Two hidden layers, each with 128 units
 - ReLU activation function
 - Adam's optimizer
 - Huber loss

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```
1: Initialize replay buffer \mathcal{D} with maximum capacity 100000
 2: Initialize policy network Q with random weights \theta
 3: Initialize target network \tilde{Q} with random weights \tilde{\theta}
 4: for each episode in episodes do
         Initialize s
 5.
         Set t \leftarrow 0
         done ← False
 7.
 8:
         while not done do
              Choose a \in \mathcal{A} from s using policy network Q
              Take action a and observe reward r, next state s' and done
10.
              Store transition (s, a, r, s', done)
11:
12:
              Sample a minibatch of random transitions (s, a, r, s', done) from \mathcal{D}
             \mathsf{Set}\; \hat{y} = \begin{cases} r & \text{if $s$ is a terminal state} \\ r + \gamma \max_{a} \tilde{\mathcal{Q}}(s', a; \tilde{\theta}) & \text{otherwise} \end{cases}
13.
              Perform gradient descent on (\hat{y} - Q(s, a; \theta))^2 w.r.t. the policy
14:
     network parameters \theta
              if t \mod C = 0 then
15.
                   \tilde{\Omega} \leftarrow \Omega
16:
              end if
17:
         end while
18:
```

- Learning rate 0.003 Start epsilon of 1 End epsilon of 0.01
- End epsilon of 0.01
- Epsilon decay of
- $\tau = 0.005$
- Default batch size of 64

Algorithm DQN(episodes, $\alpha, \epsilon, \gamma, C$)

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Plots

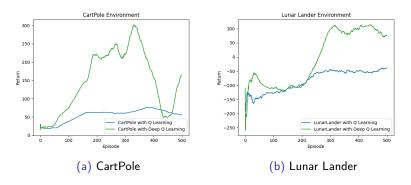


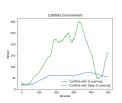
Figure: 500 training episodes for Q Learning and DQN. Returns are averaged over the last 100 episodes.

CartPole

DQN

- Learns much quicker than Q Learning
- Reached an average return of 300 at around 300 episodes
- Unstable learning process: significant drop at episode 350
- Agent is possibly trying to escape a local minimum

- Learns much slower compared to DQN
- Not great returns, even after 500 training episodes
- Agent might be stuck in a local minima

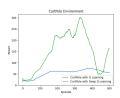


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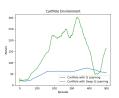


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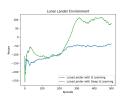


Lunar Lander

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- Slow but stable learning
- No drastic change in average return.
 Instead, the average return slowly increases



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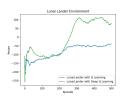


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DQN

 Learns much faster in both games, but the agent exhibited some instability during the learning process

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Future Work

Deep deterministic policy gradient (DDPG)

- Combines Q Learning with policy gradients to learn a deterministic policy directly
- This has shown to be effective in continuous action spaces and could address some of the instability issues observed in DQN.

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