

Time Series Analysis

Project III

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Introduction:

In this report we will be focusing on a few Time series algorithms and discussing their performance on well known dataset Covid_19 by forecasting their results on response variables i.e. new_deaths.

TimeSeries.scala program forecasts COVID-19 data using three different time-series models:

1. **Random Walk Model (RW)**
2. **Auto-Regressive Model of order 1 (AR1)**
3. **Auto-Regressive Model of order 2 (AR2)**

It involves loading the data, defining response variables, creating models, training them, testing them, and performing validations.

Loading Data :

1. Source File:

- The data is read from covid_19_weekly.csv.

2. Headers:

- The column names in the dataset (e.g., new_cases, new_deaths) are listed in the header array.

3. Response Variable:

- The variable to be predicted, e.g., new_deaths, is defined as response.

4. Methods:

- loadData:
 - Loads selected columns (x_strs) as exogenous variables and one column (y_str) as the response variable.
 - Returns a MatrixD for predictors and a VectorD for the response.
 - Useful for building models with independent variables.
- loadData_y:
 - Loads only the response variable (new_deaths) as a VectorD.
 - Useful for univariate forecasting.

- `loadData_yy`:
 - Loads multiple columns as a `MatrixD`.
 - Useful for multivariate models like VAR.

5. Data Trimming:

- The `trim` parameter allows skipping initial rows (e.g., where values are all zeros) to clean the data.

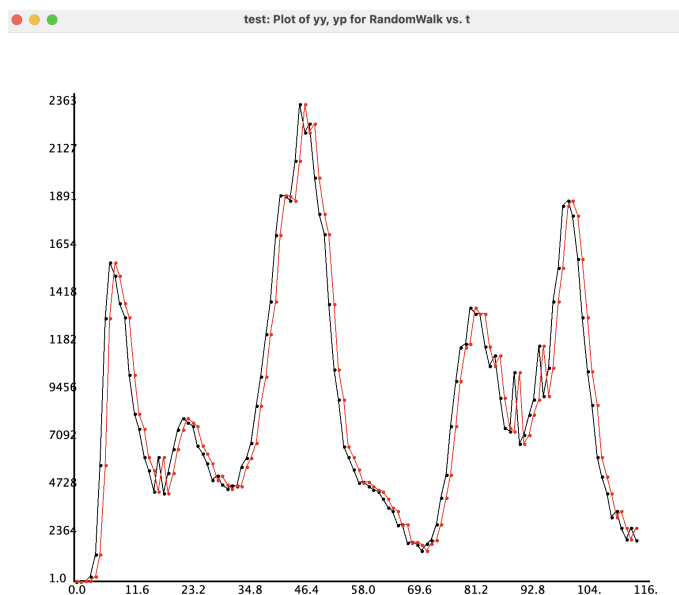
Random Walk:

In Random walk, R2 value in In-sample is more than the train and test R2 whose values are 0.906 and 0.888 respectively and below images shows the prediction for hyperparameter 1.

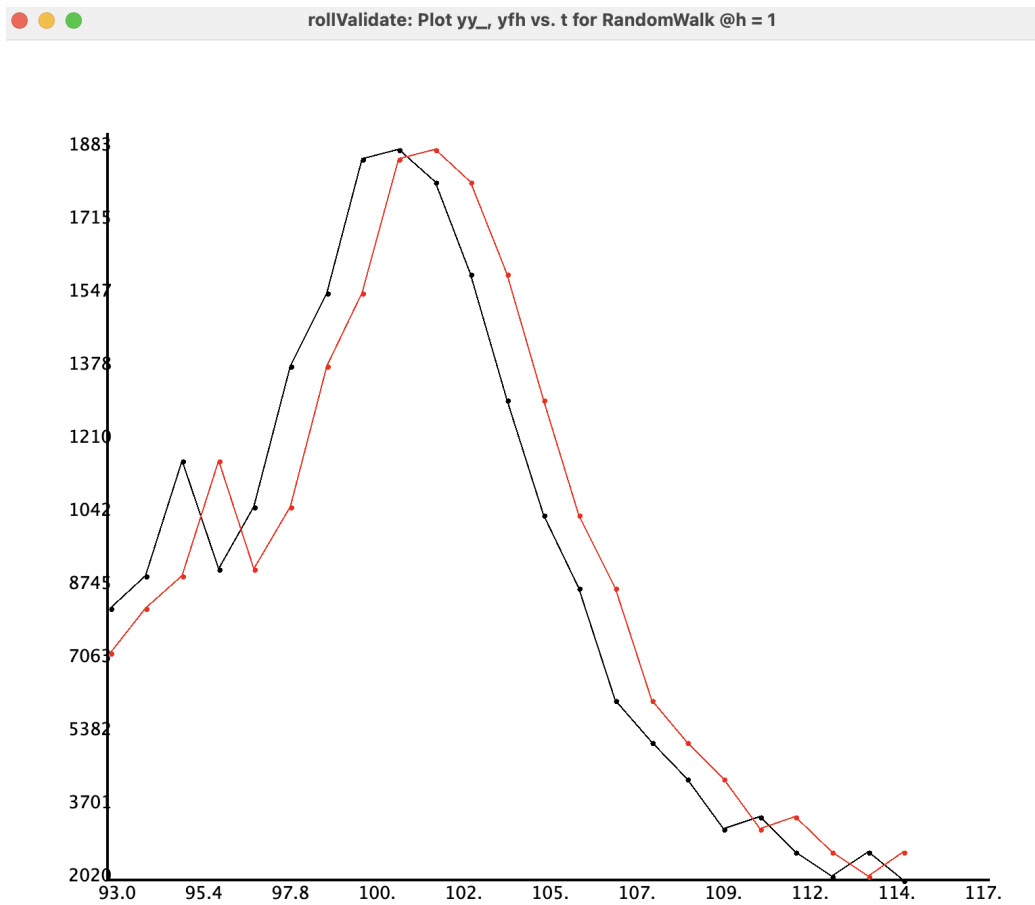
Insample:

`rSq` -> `VectorD(0.906288, 0.713537, 0.441865, 0.114432, -0.212585, -0.512304)`

`rSqBar` -> `VectorD(0.905466, 0.711001, 0.436882, 0.106454, -0.223609, -0.526179)`



Train & Test:



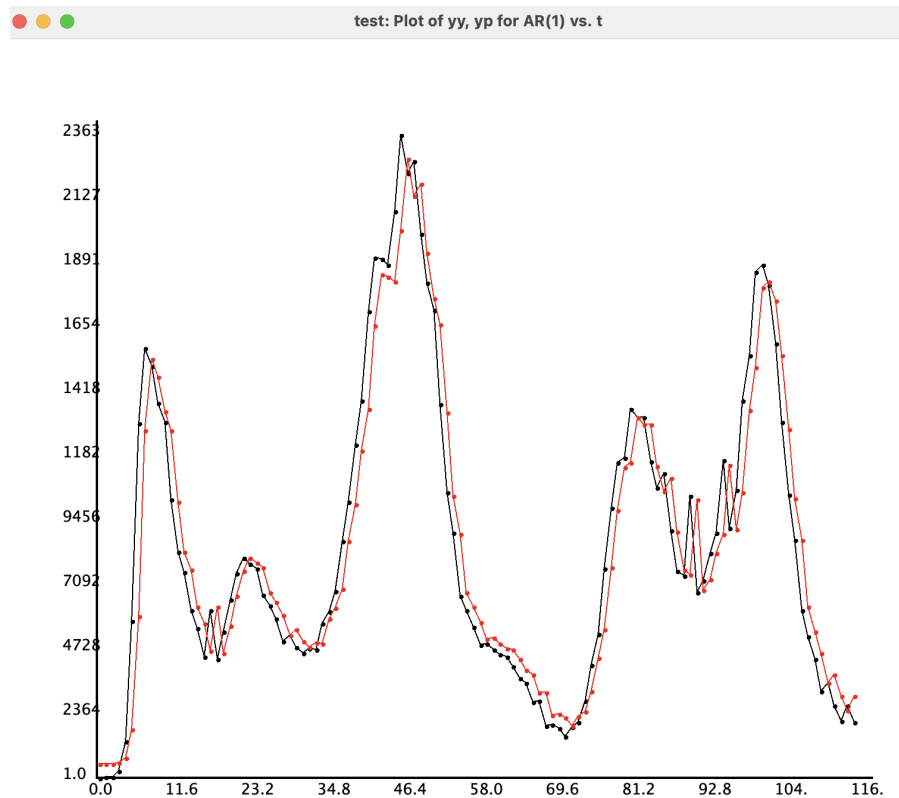
$rSq \rightarrow \text{VectorD}(0.893076, 0.684745, 0.388791, 0.0480943, -0.304726, -0.660500)$

$rSqBar \rightarrow \text{VectorD}(0.888216, 0.669733, 0.358230, -0.00200605, -0.377211, -0.758177)$

AR1 :

Same as Randomwalk Insample performed better that in Train and test and the R2 values were improved compared to Randomwalk.

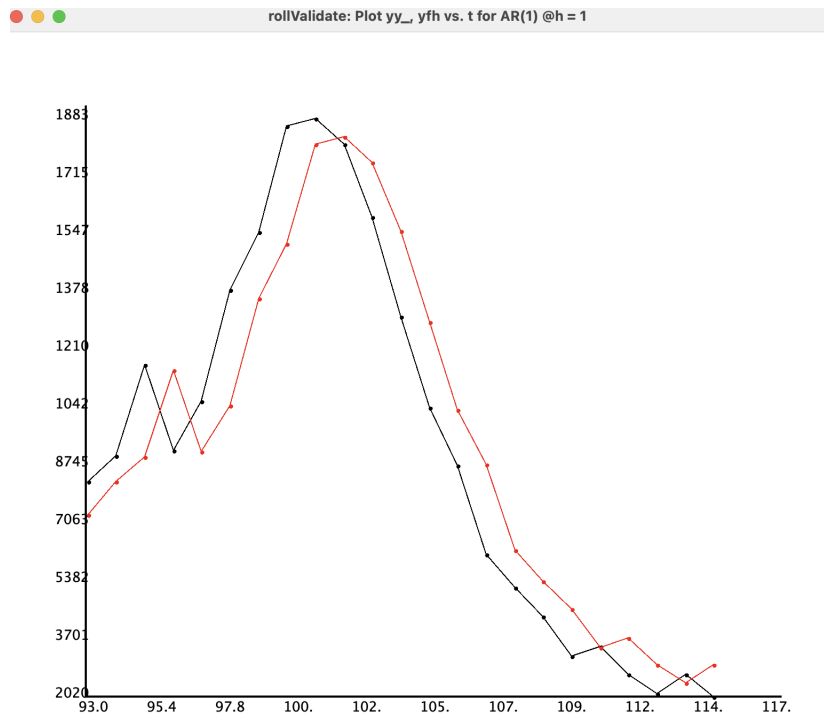
InSample:



```
rSq -> VectorD(0.910664, 0.740794, 0.521500, 0.277842,  
0.0422287, -0.163902)
```

```
rSqBar -> VectorD(0.909887, 0.738520, 0.517265, 0.271394,  
0.0336002, -0.174483)
```

Train and test



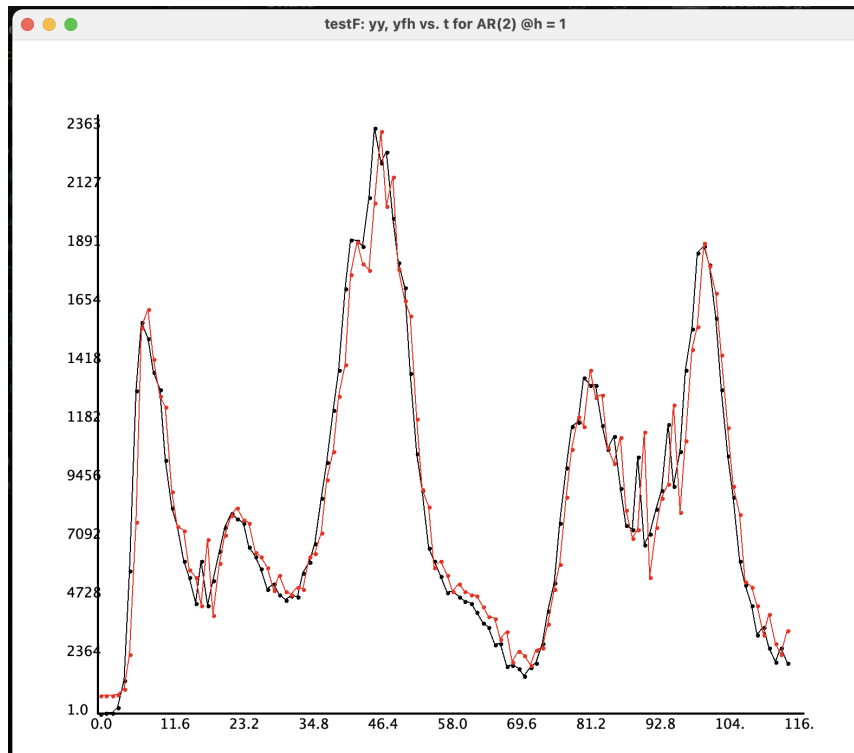
$rSq \rightarrow \text{VectorD}(0.892962, 0.696079, 0.433779, 0.157531, -0.106624, -0.350869)$

$rSqBar \rightarrow \text{VectorD}(0.888097, 0.681607, 0.405468, 0.113190, -0.168104, -0.430332)$

AR2:

AR2 performed way better than AR1 and Randomwalk whose R2 values for Insample and train and test are 0.932 and 0.914 respectively.

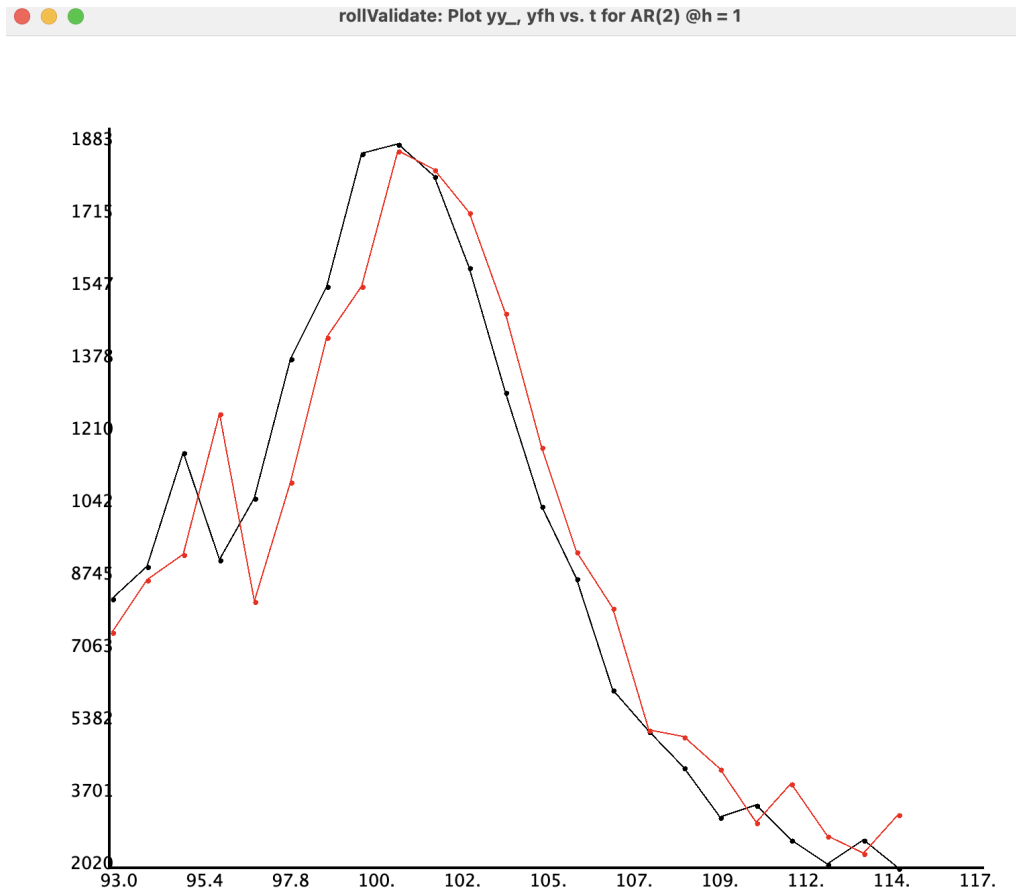
Insample :



rSq -> VectorD(0.932725, 0.803068, 0.625478, 0.424202,
0.254051, 0.114079)

rSqBar -> VectorD(0.931534, 0.799552, 0.618730, 0.413733,
0.240364, 0.0976726)

Train and test :



$rSq \rightarrow \text{VectorD}(0.914804, 0.760847, 0.543322, 0.285391, 0.0635117, -0.146414)$

$rSqBar \rightarrow \text{VectorD}(0.906691, 0.736932, 0.495250, 0.205990, -0.0466634, -0.289715)$

Comparison Table:

Model	Test method	In-Sample	Train and Test
Random Walk		0.906288	0.893076
AR1		0.910664	0.892962
AR2		0.932725	0.914804

Clearly AR2 dominated both Randomwalk and AR1 in both In-sample and Train and test.